

Data-driven decentralised control design in distribution networks

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(joint work with Stavros Karagiannopoulos and Gabriela Hug, ETH Zurich)

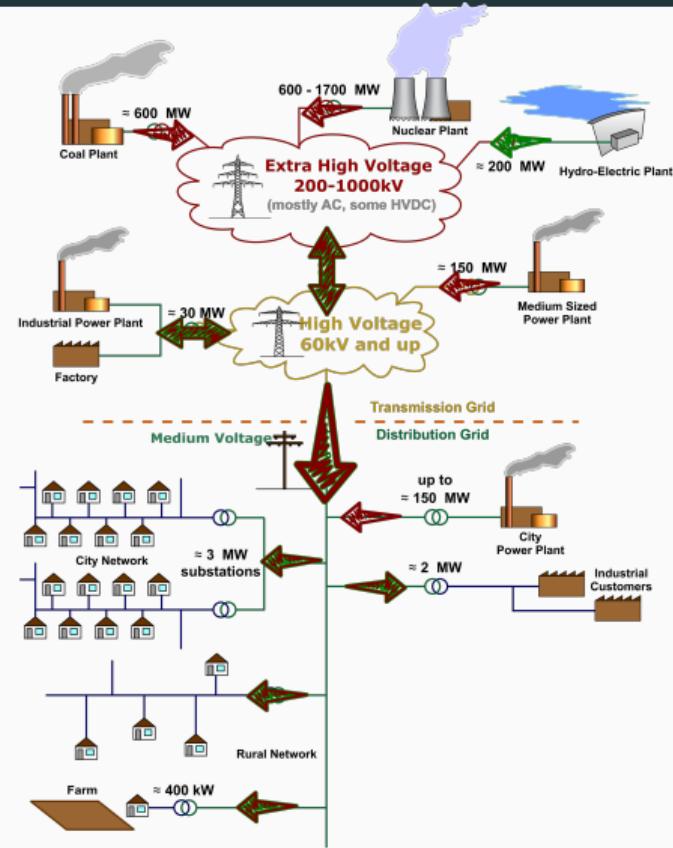


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Motivation

Transformation of power systems

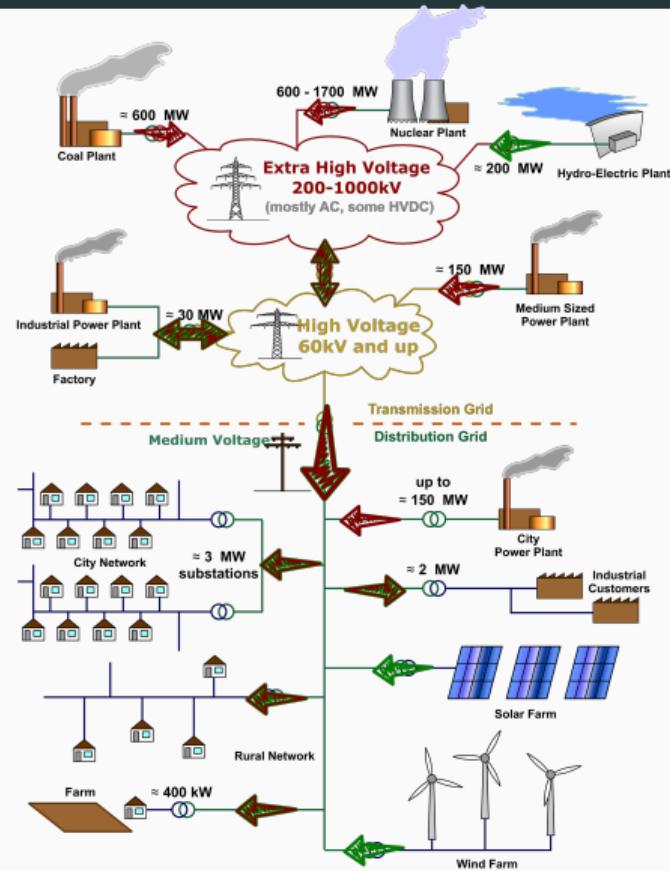
New developments in distribution grids



Transformation of power systems

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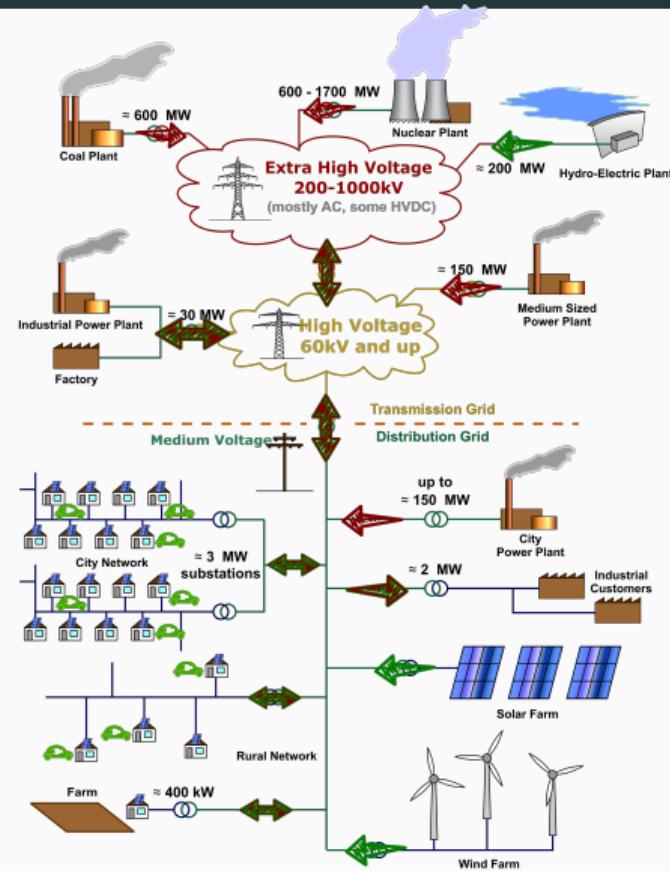
- Introduction of large distributed generators
(renewable energy sources, etc.)



Transformation of power systems

New developments in distribution grids

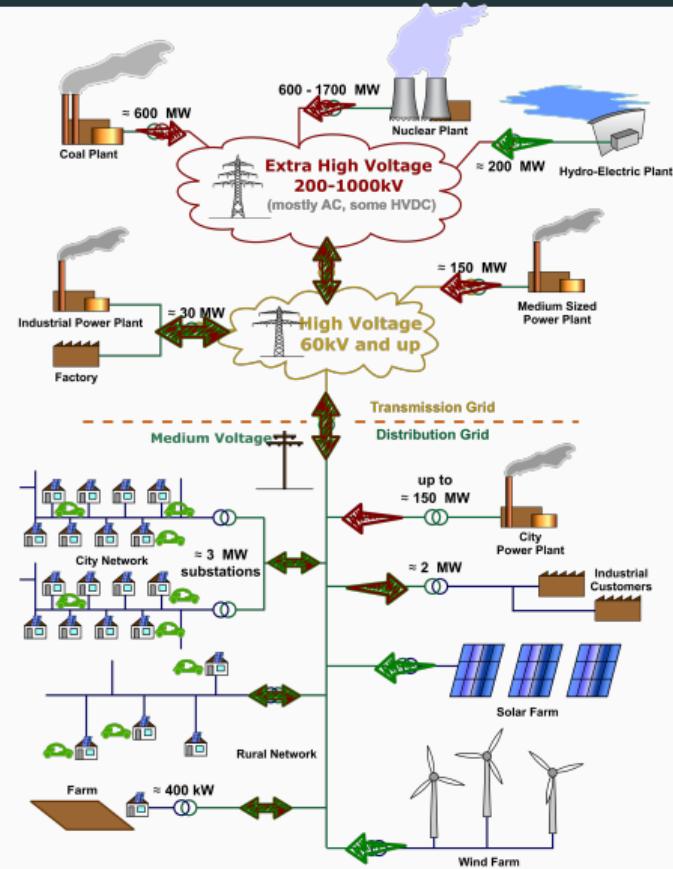
- Introduction of large distributed generators (renewable energy sources, etc.)
- Introduction of small distributed generators and energy storage systems
- Electrification of transportation (plug-in hybrid, battery electric, etc.)



Transformation of power systems

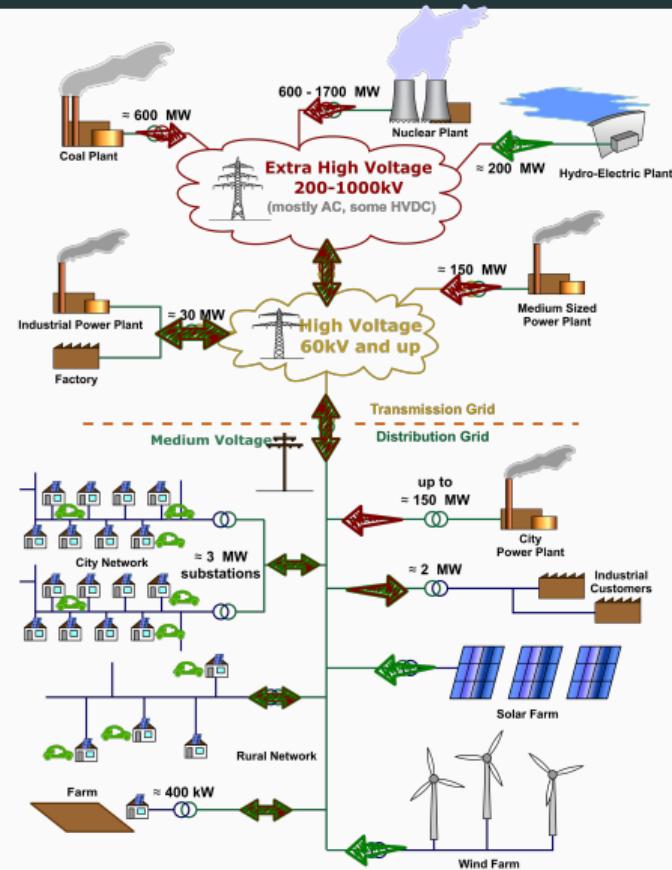
New developments in distribution grids

- Introduction of large distributed generators (renewable energy sources, etc.)
- Introduction of small distributed generators and energy storage systems
- Electrification of transportation (plug-in hybrid, battery electric, etc.)
- Demand response schemes (reaction to price signals, emergency load reduction, peak shaving, etc.)



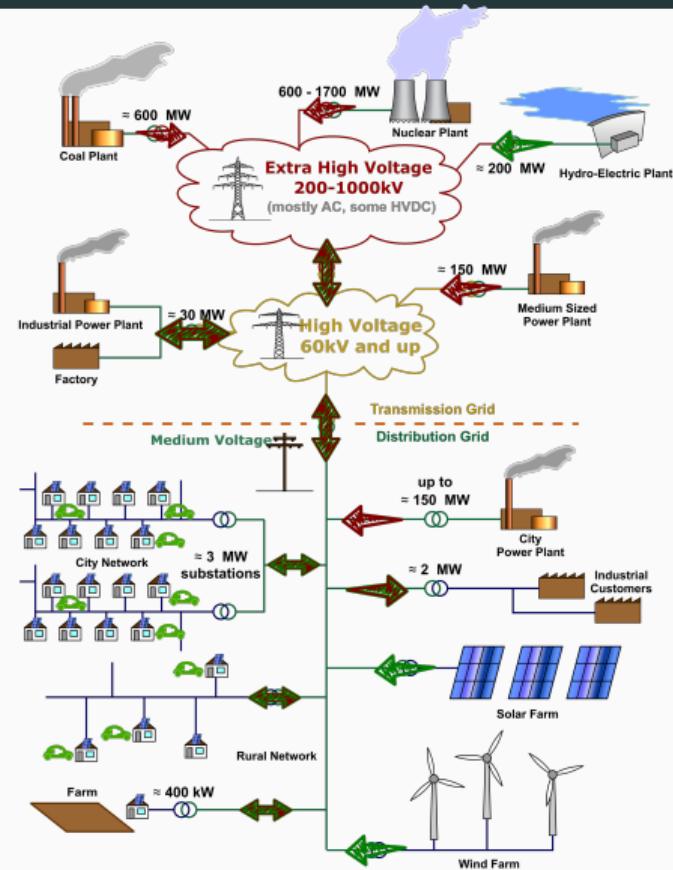
New challenges

- Operation of the distribution grids close or above the physical limits and hosting capacity. *Distribution grids were not designed to host generation.*



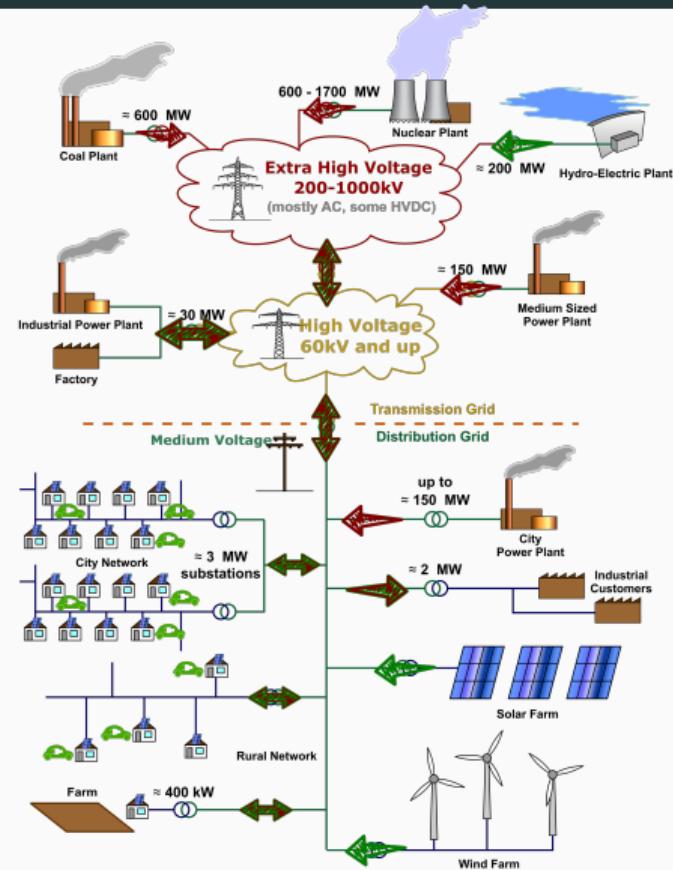
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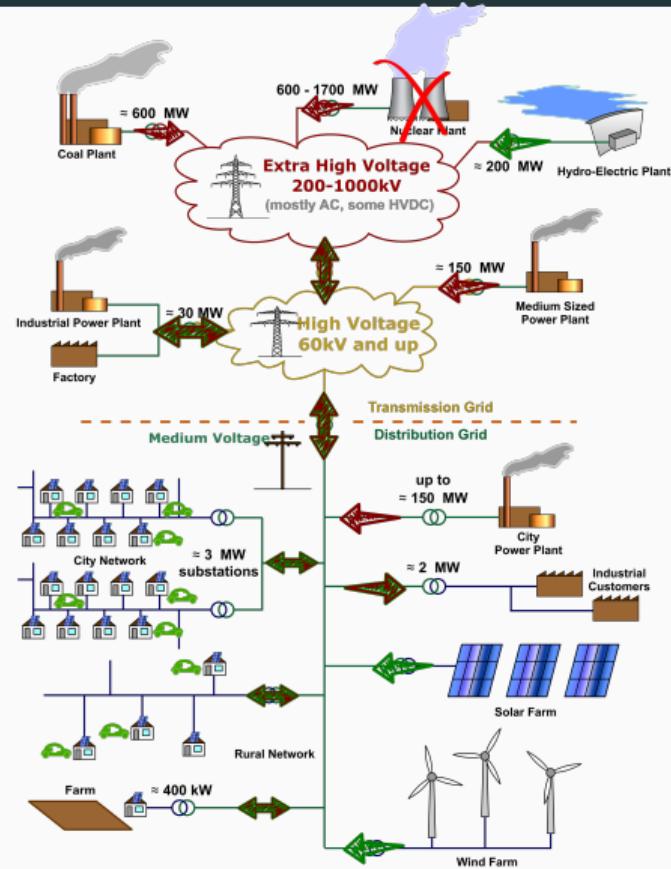
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- Decommission of conventional units. *Loss of traditional "dispatchable" generation and control.*



Real-time operation

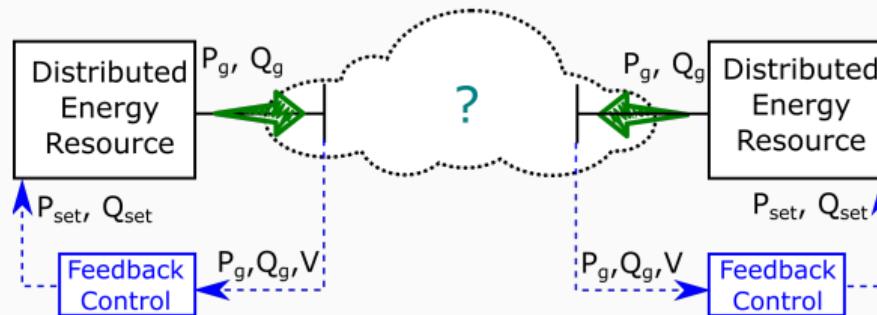
Distribution grid control approaches

Real-time operation

Distribution grid control approaches

Local

Only local measurements
and decisions
No communication
Lower cost and more robust
"One size fits all"



Real-time operation

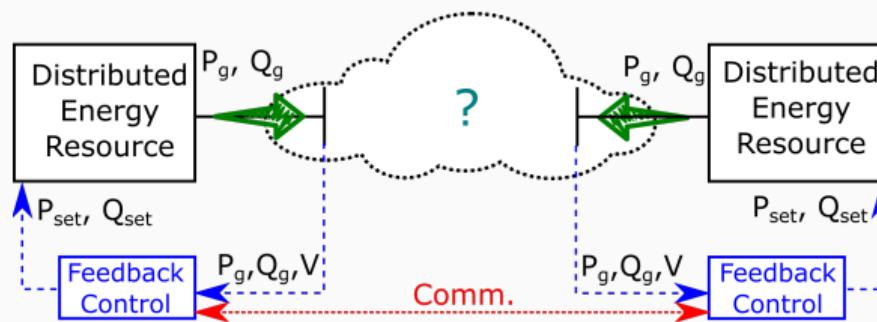
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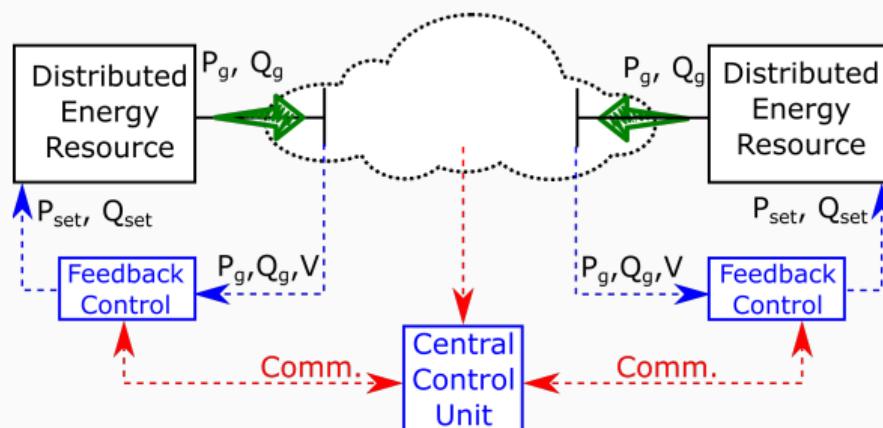
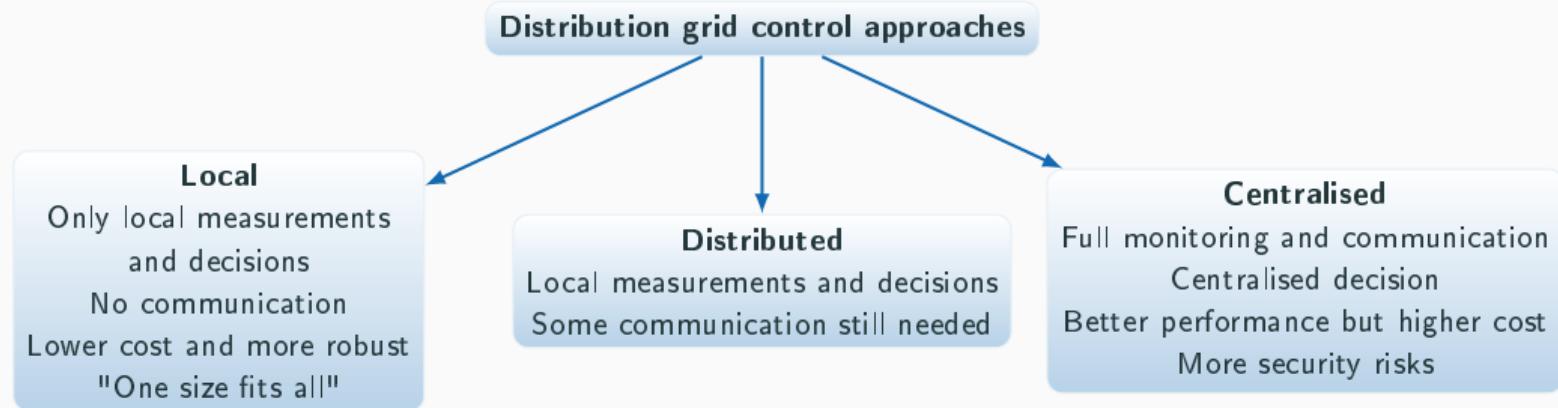
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Distributed

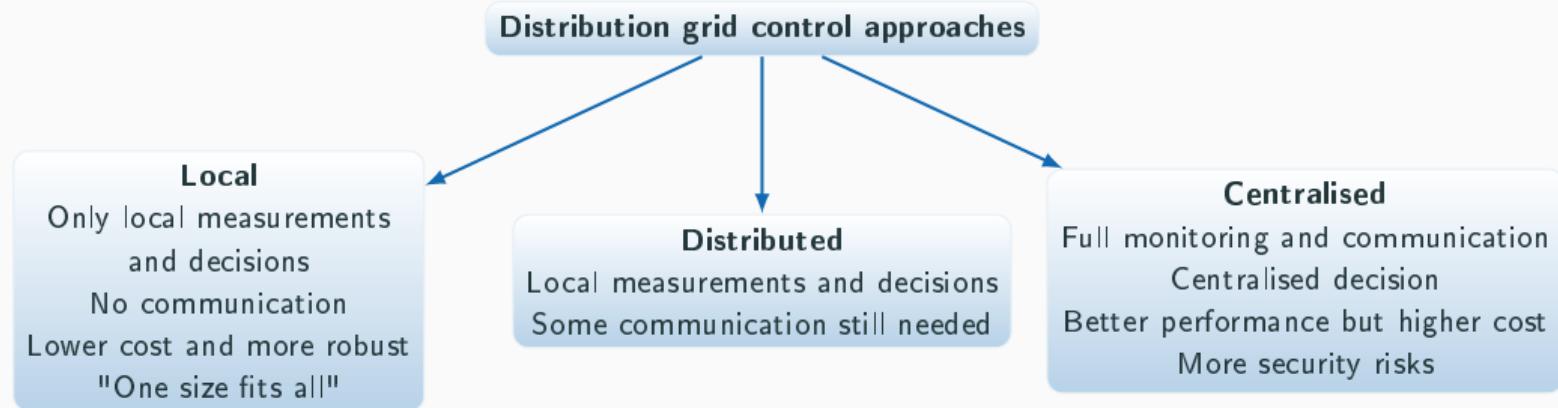
Local measurements and decisions
Some communication still needed



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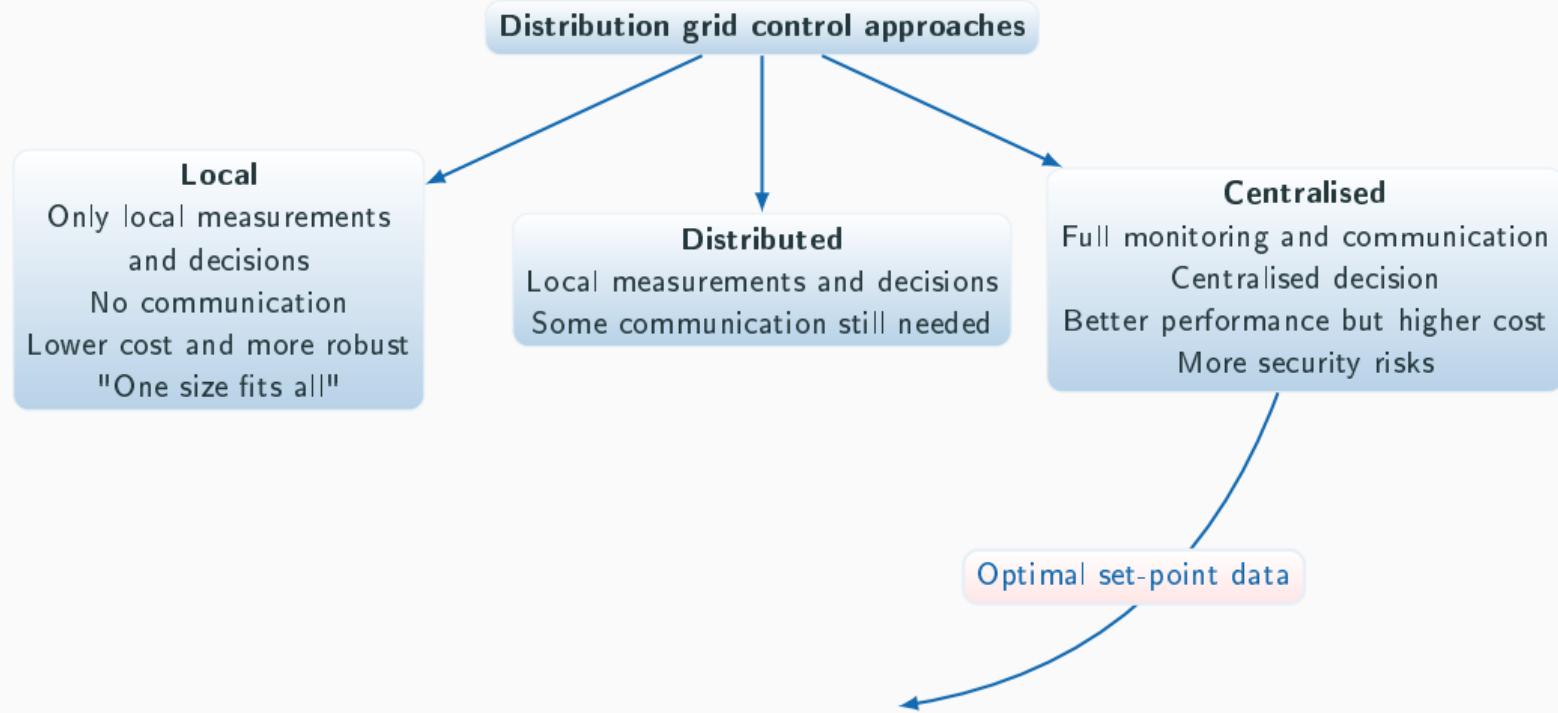


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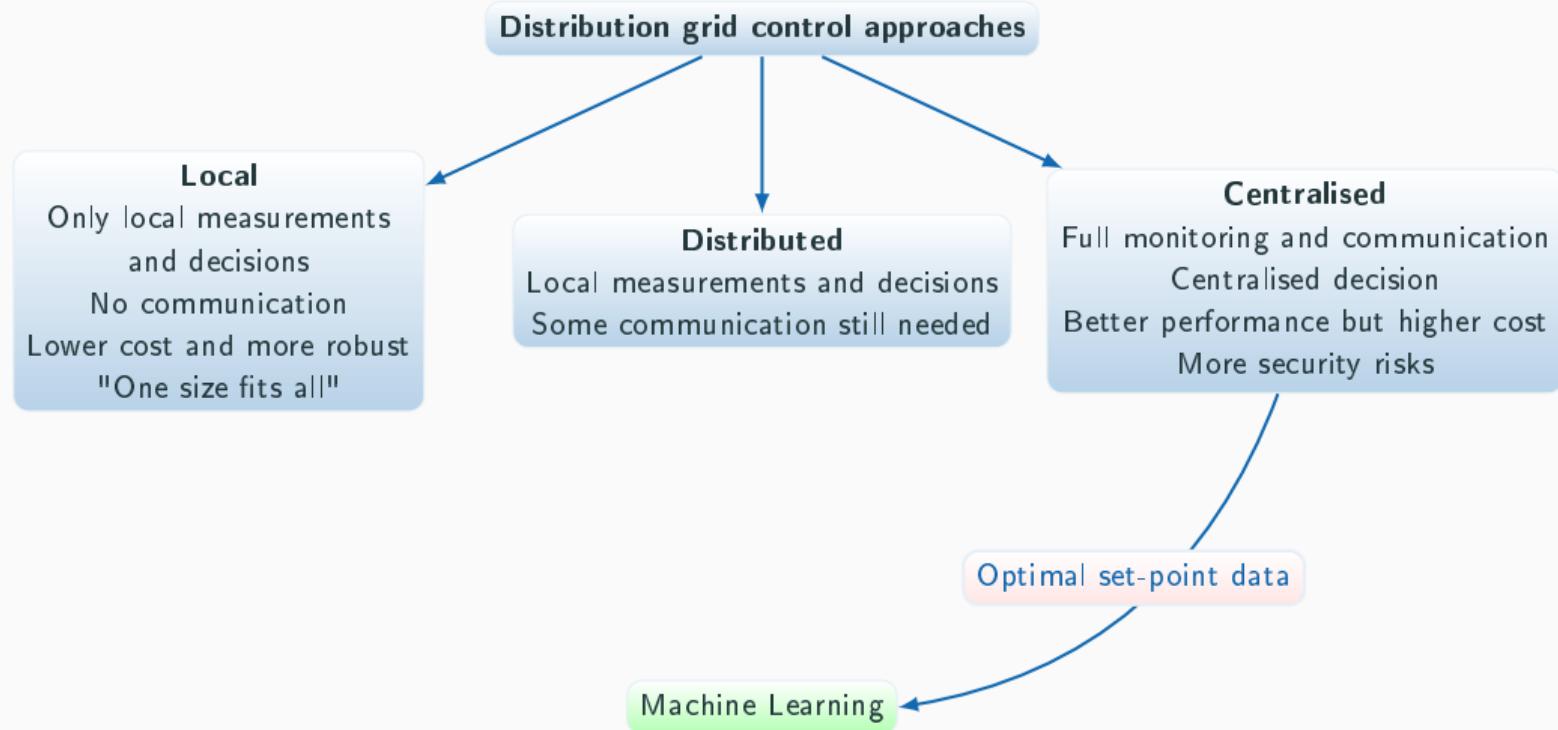


Can we derive a local control scheme that is trained to mimic the optimal behavior?

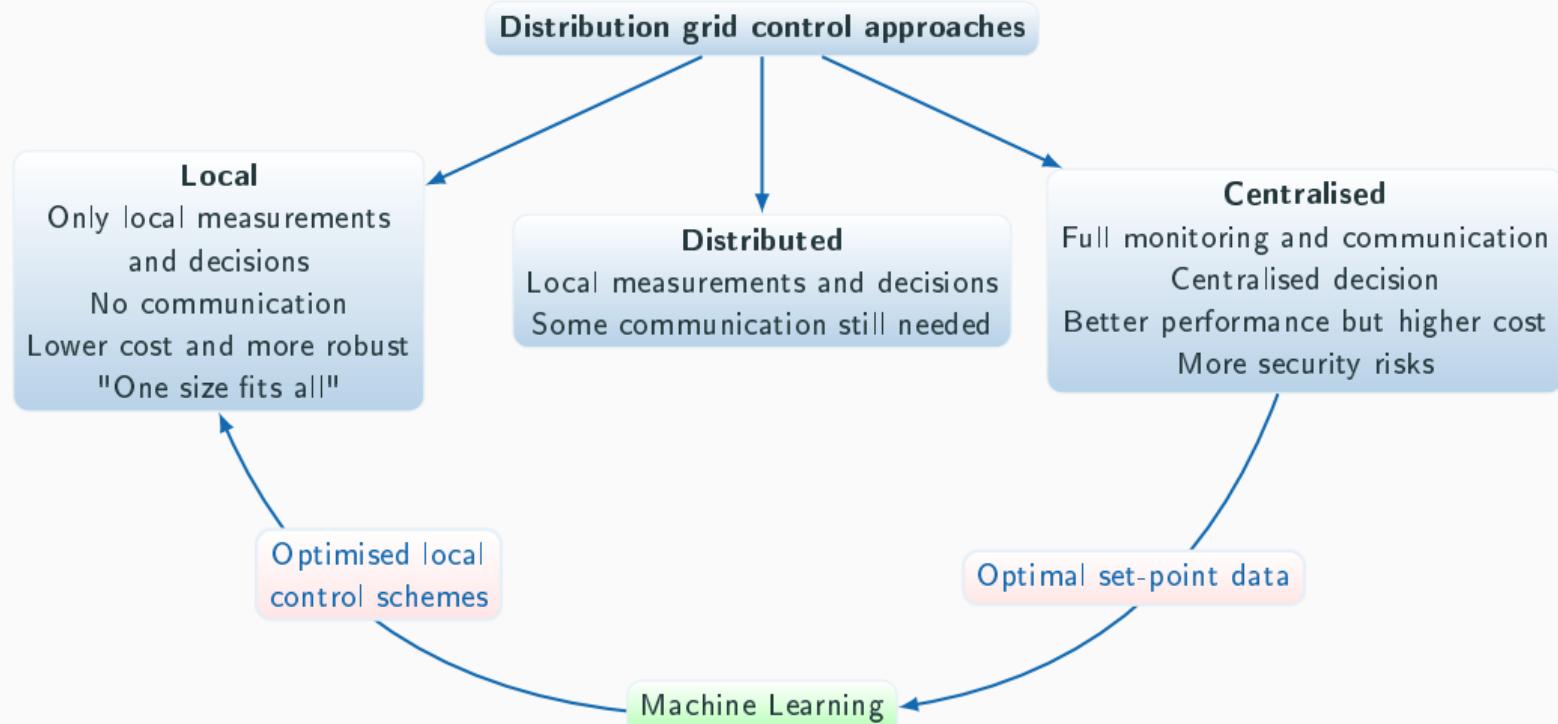
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Optimised local control

Methodology overview

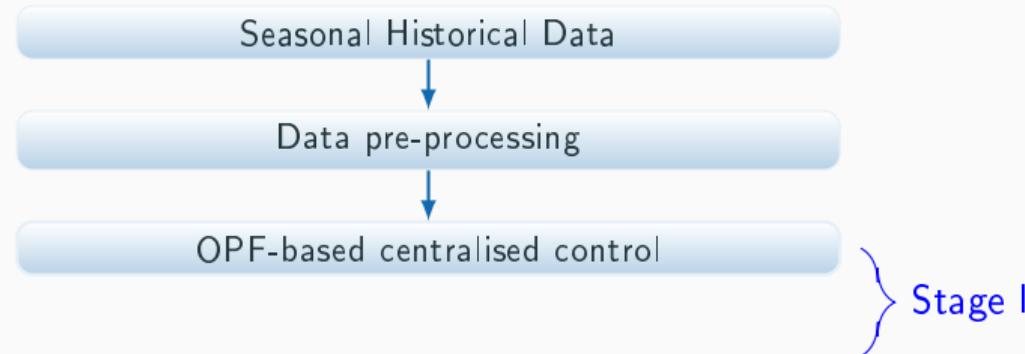
Seasonal Historical Data

} Initialisation

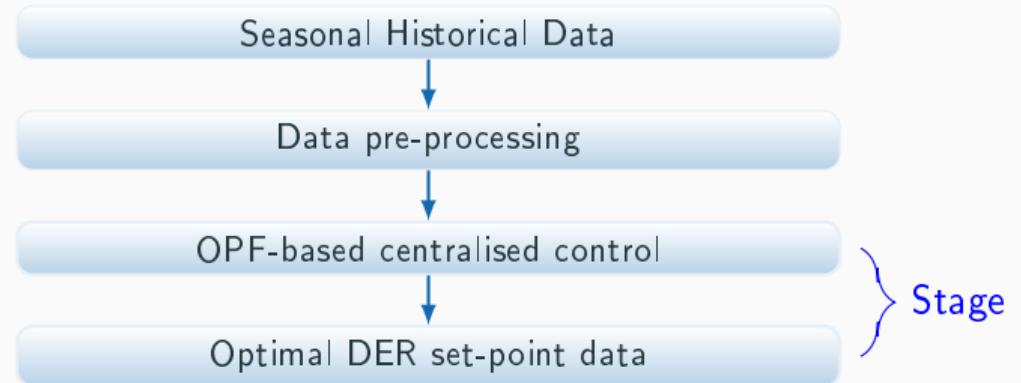
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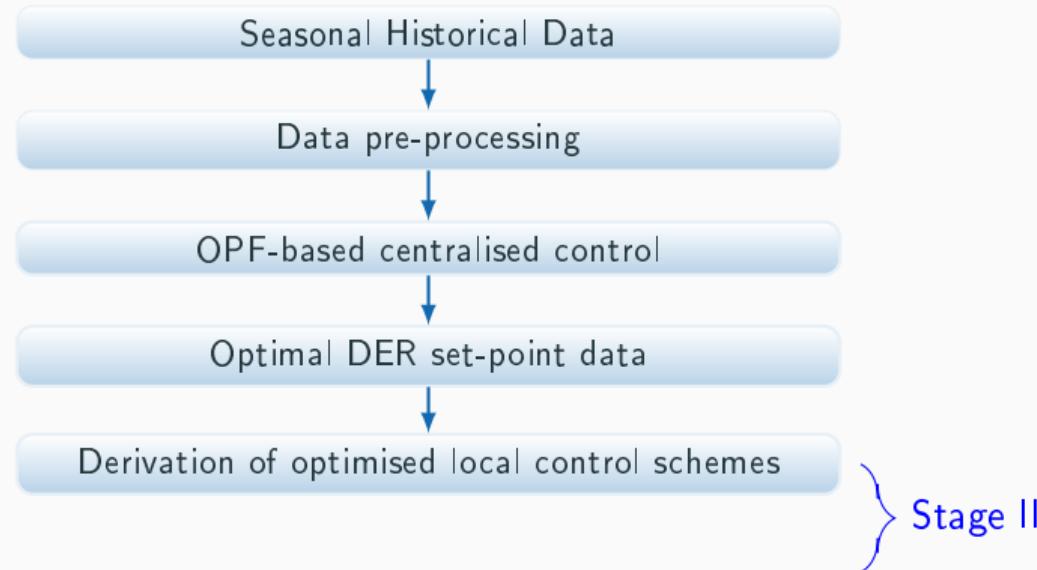
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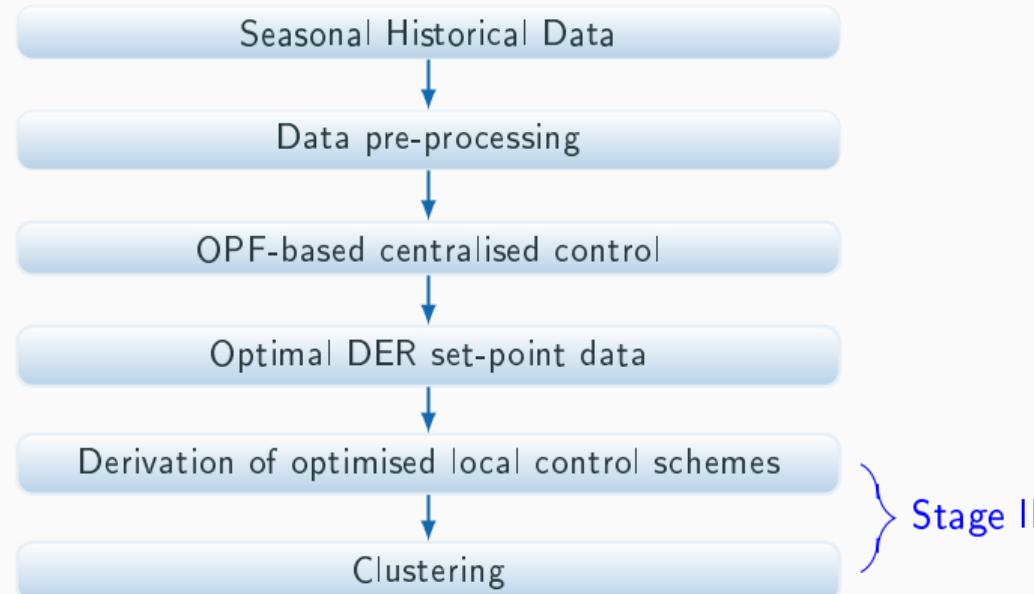
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Operational planning problem with centralised control

Multi-period OPF problem formulation

$$\min_{\boldsymbol{u}} \sum_t (c_{op}^T \boldsymbol{u} + c_{el}^T losses)$$

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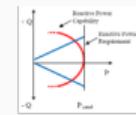
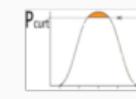
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Subject to:

- AC power-flow constraints
- Voltage limits
- Thermal loading limits
- DER limits
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- Controllable load constraints
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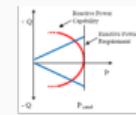
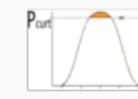
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AC power-flow constraints

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Operational planning problem with centralised control

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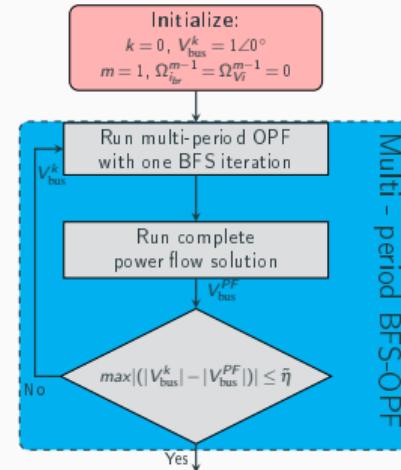
- Non-convex and non-linear
 - Linear approximations of the AC power flows, heuristics, convex relaxations (Venzke et al 2018, Shchetinin & Hug 2017, Capitanescu & Bilibin 2016, Sankur et al. 2016, Bolognani & Dörfler 2015, Dall' Anese et al. 2015, Molzahn & Hiskens 2015, Lavaei & Low 2012, Paudyal et al. 2011)
 - Backward/Forward Sweep (BFS) power flow (Fortsenbacher et al. 2016)
 - ▶ Iterative procedure
 - ▶ Exploit the radial grid structure
 - ▶ Weakly meshed treatment

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 - **Backward/Forward Sweep (BFS) power flow (Fortenbacher et al. 2016)**
 - ▶ Iterative procedure
 - ▶ Exploit the radial grid structure
 - ▶ Weakly meshed treatment
- **Use a single BFS iteration for the OPF problem**

Operational planning problem with centralised control



Tackling Uncertainty

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Operational planning problem with centralised control

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Operational planning problem with centralised control

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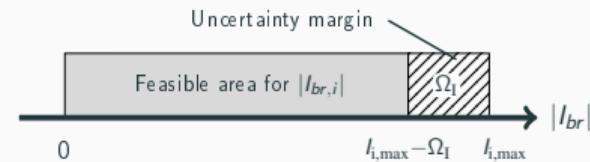
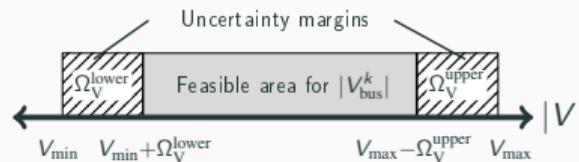
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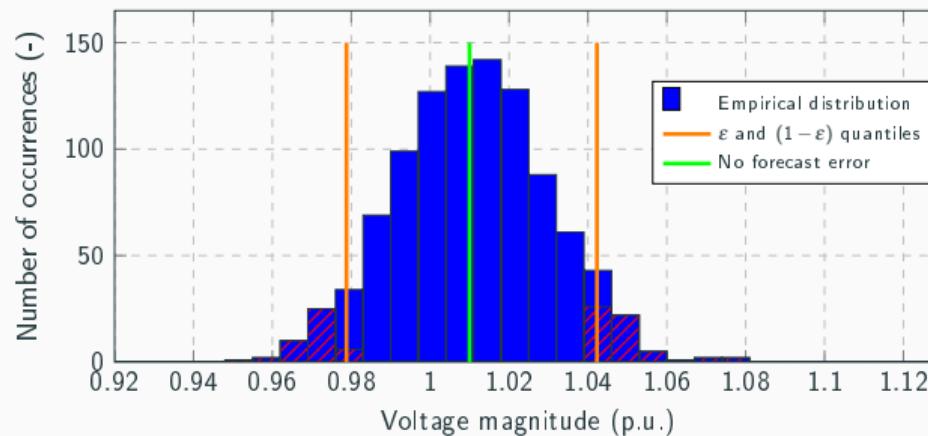
Uncertainty margins evaluation

- Analytical approach → Need to know the probability distribution

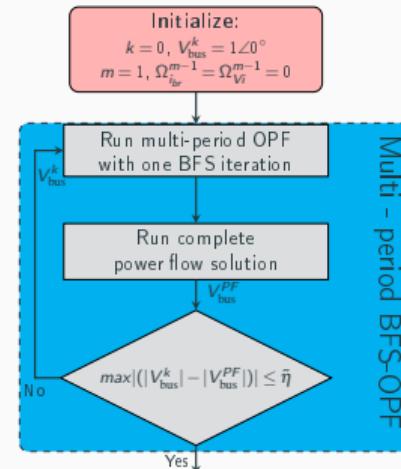
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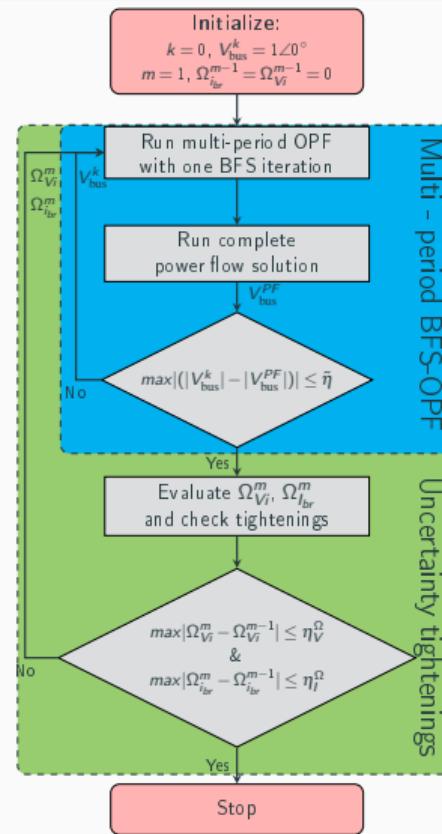
- Analytical approach → Need to know the probability distribution
- Monte Carlo simulation using historical data from forecast errors
 - No assumptions about the uncertainty distribution
- Quantile ε calculation



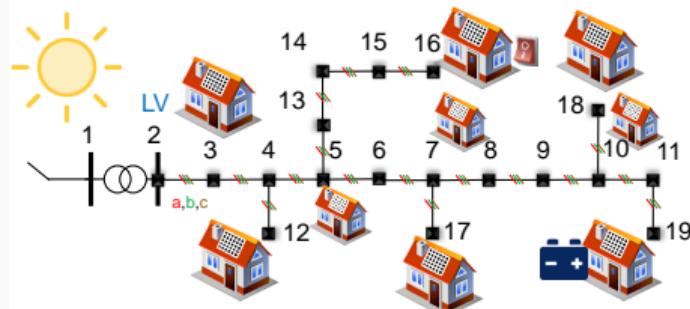
Operational planning problem with centralised control



Operational planning problem with centralised control



Test system



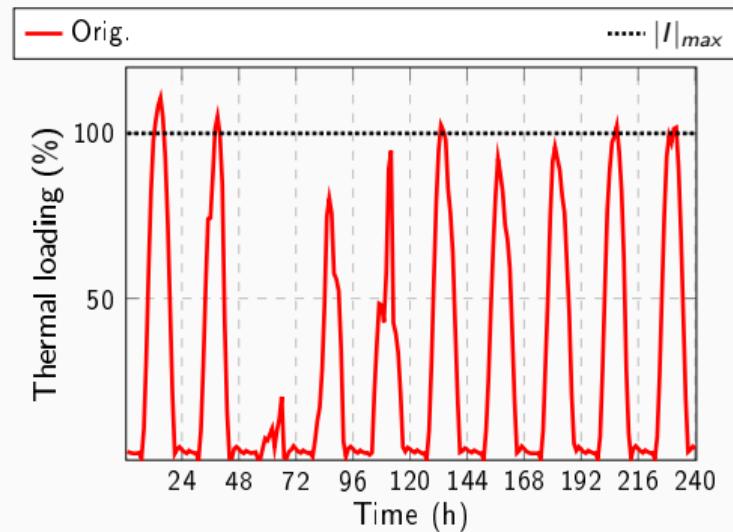
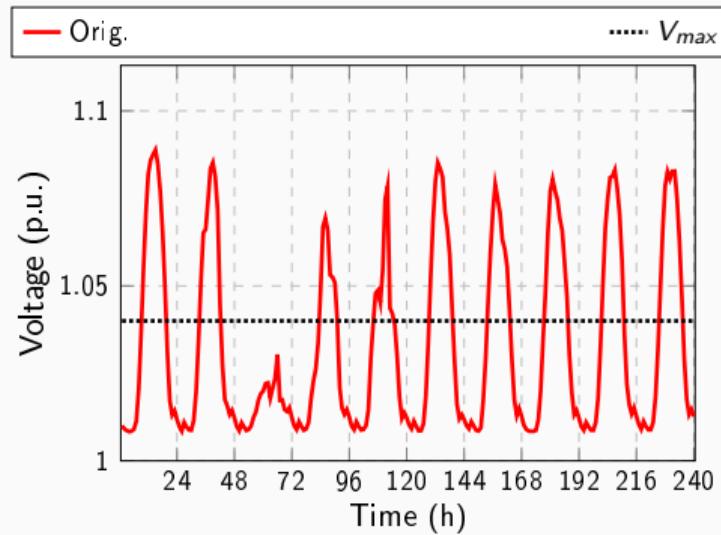
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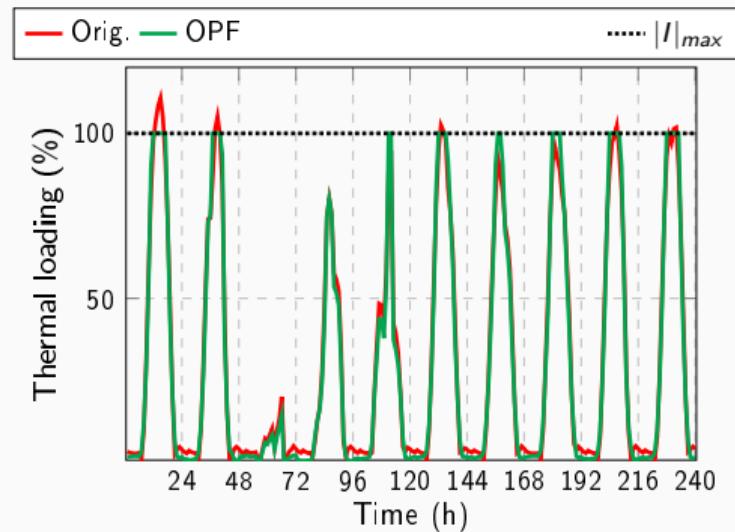
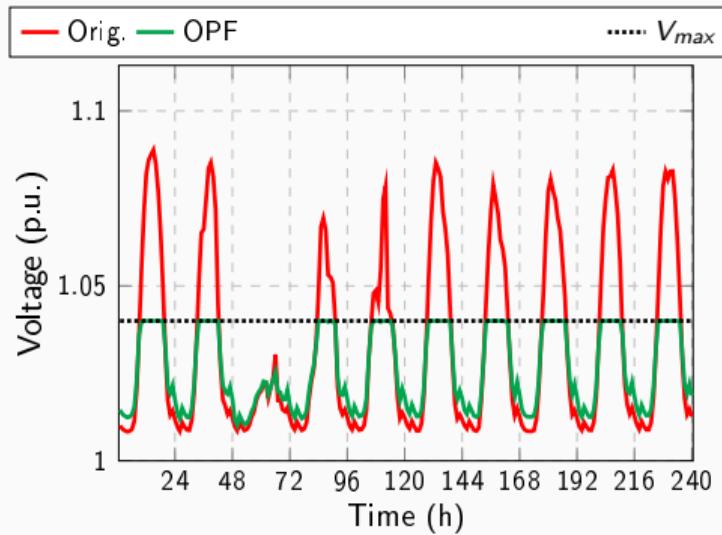
Network description

- Based on European CIGRE LV grid
- Normalized profiles
 - PV & forecasts: Real data from Zurich
 - Load: Typical profiles based on CIGRE
- Summer day simulations
 - High solar radiation
- Acceptable limits:
 - Voltage: $\pm 4\%$
 - Current: up to 1 p.u.
 - VUF: up to 2%

Some results



Some results



Methodology overview



Methodology overview



Selection of local input

- Local load (active and reactive), local generation (active), net load, power factor, local voltage magnitude, ...

Ability to better “map” OPF setpoints?

- Single feature
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“Closed”-loop

- Output of the controller has an impact on the local measurements and influences the controller’s input through a feedback term
- Can perform well even when the real-time conditions are “far” from the training dataset

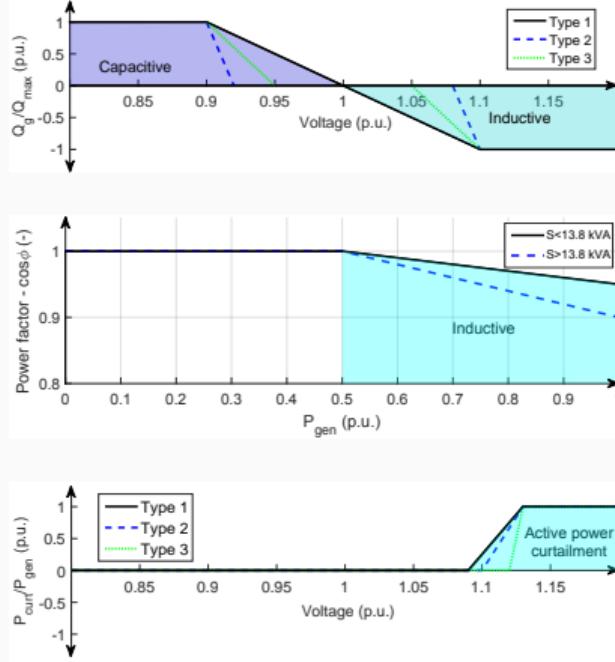
Existing local control schemes

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Optimised local control schemes

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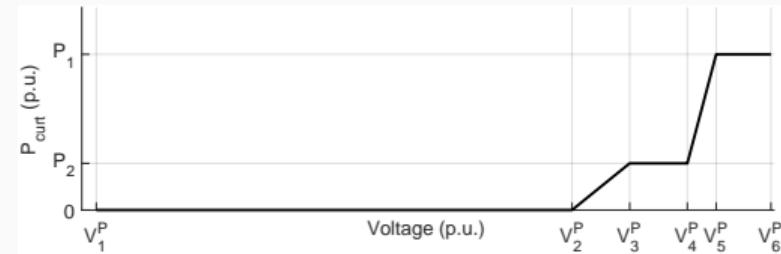
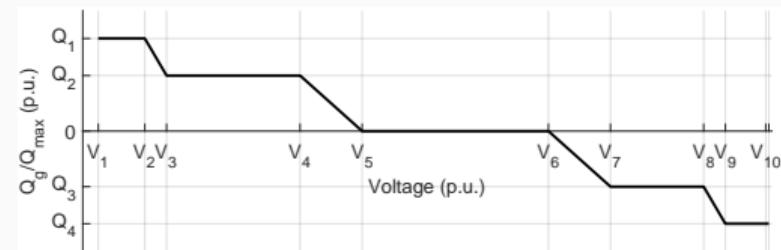
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 2. Use classification techniques for discrete controls
 - Support Vector Machine (SVM)

Optimised local control schemes

Piece-wise (segmented) linear fitting

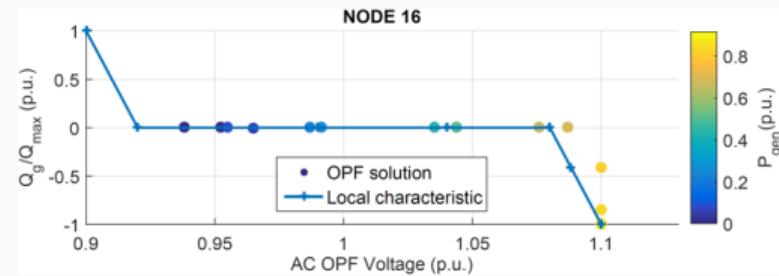
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- Breakpoint selection
- Impose monotonicity and slope constraints



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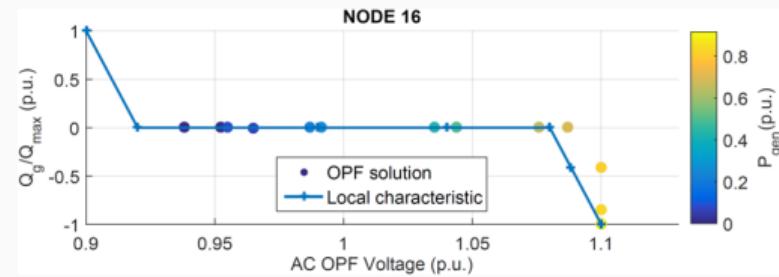
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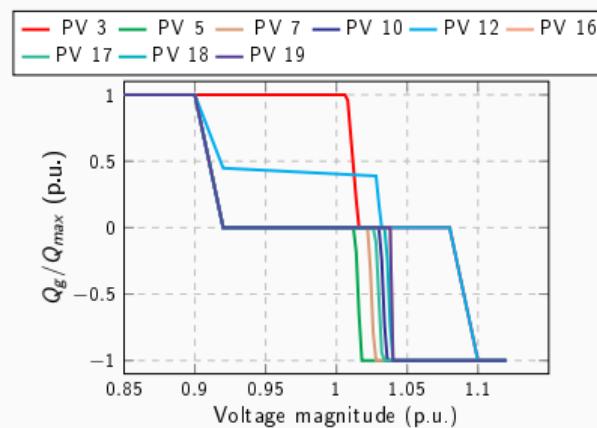
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 - Sensitivity to outliers
 - Prone to overfitting



Optimised local control schemes

Unique characteristic curve per DG

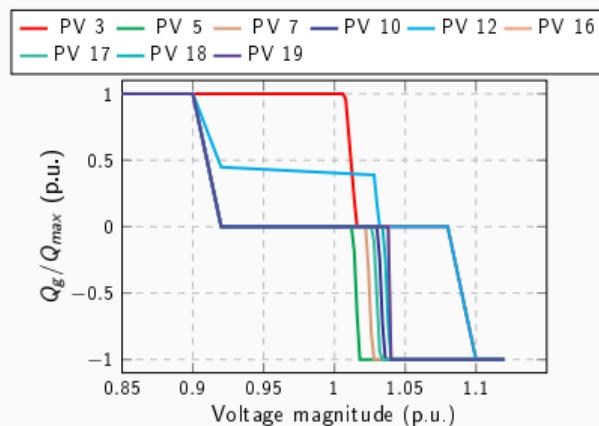
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- Large number of inverter-based DGs



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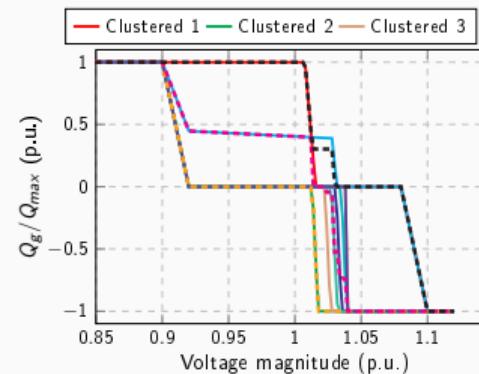
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Clustering of the curves

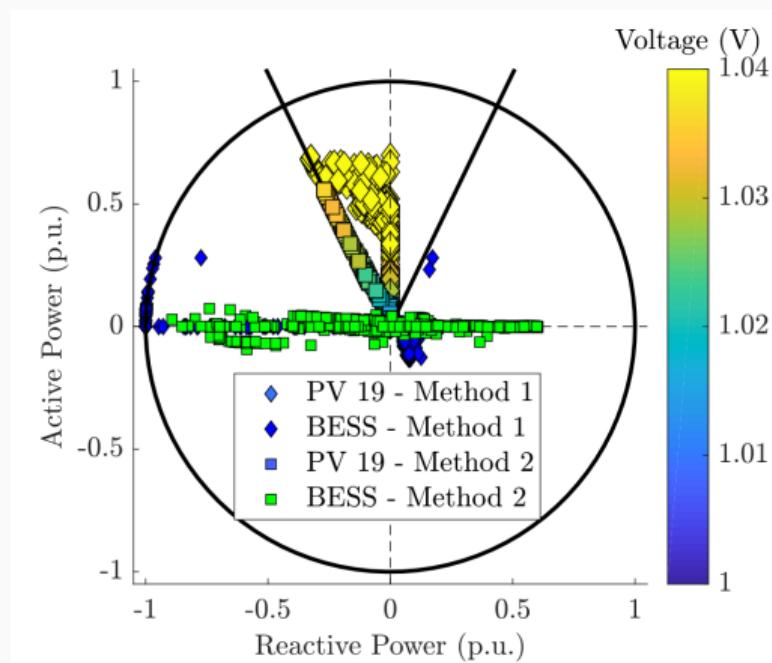
- For each voltage value, use k -means algorithm to the n individual curves (use the centroids of the n_{cl} clusters to form the final clustered curves)
- Assign DGs to clustered curves based on “distance”



Optimised local control schemes

Support Vector Regression for BESS

- Simple and efficient (R, sklearn, MATLAB, etc.)
- Impose monotonicity and slope constraints (e.g., monotone kernel regression methods)
- Implicit mapping via kernels (Linear, Polynomial, Gaussian)



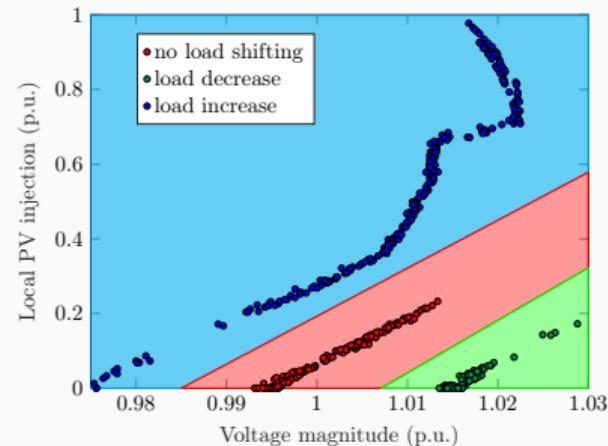
Support Vector Machines as classifier for controllable loads

- Easy to implement (Python, MATLAB)
- Apply SVM with different kernel functions using the following features:
 - Voltage
 - Active power consumption
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 - Active PV power injection

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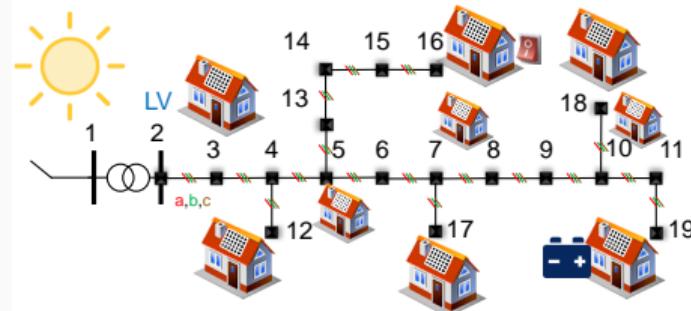
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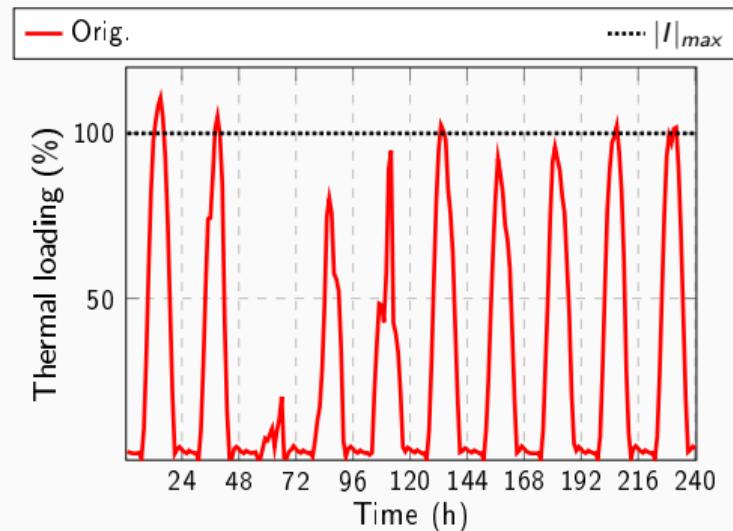
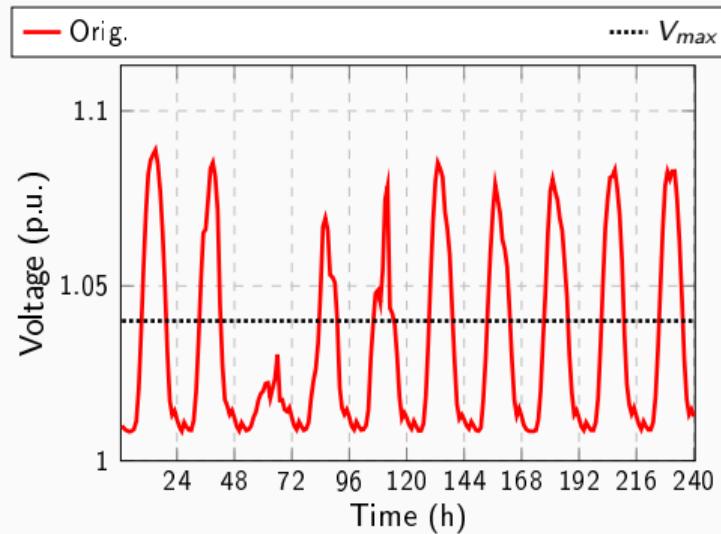
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- Controllable load (CL)
- On Load Tap Changers (OLTC)

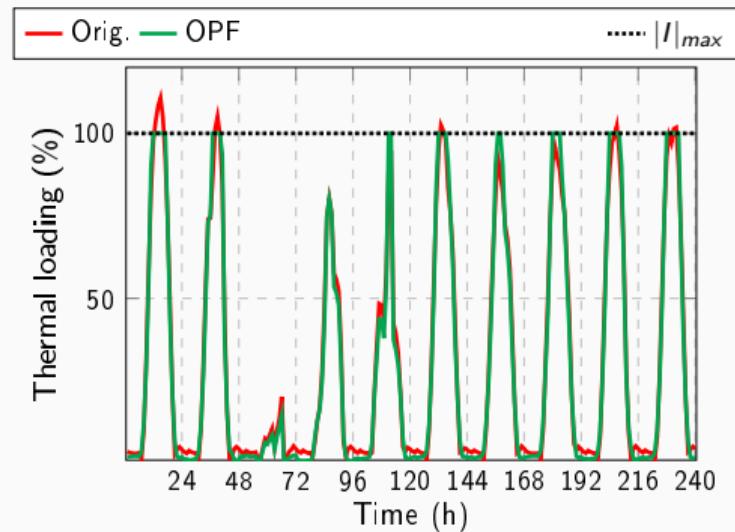
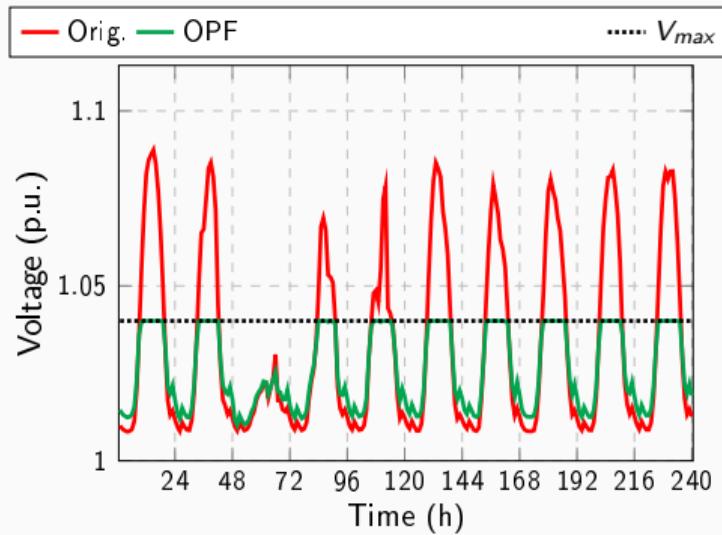
Network description

- Based on European CIGRE LV grid
- Normalized profiles
 - PV & forecasts: Real data from Zurich
 - Load: Typical profiles based on CIGRE
- Summer day simulations
 - High solar radiation
- Acceptable limits:
 - Voltage: $\pm 4\%$
 - Current: up to 1 p.u.
 - VUF: up to 2%

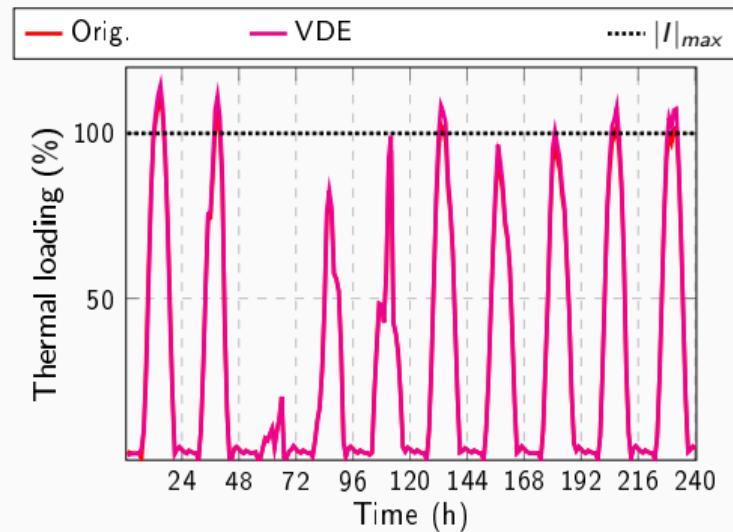
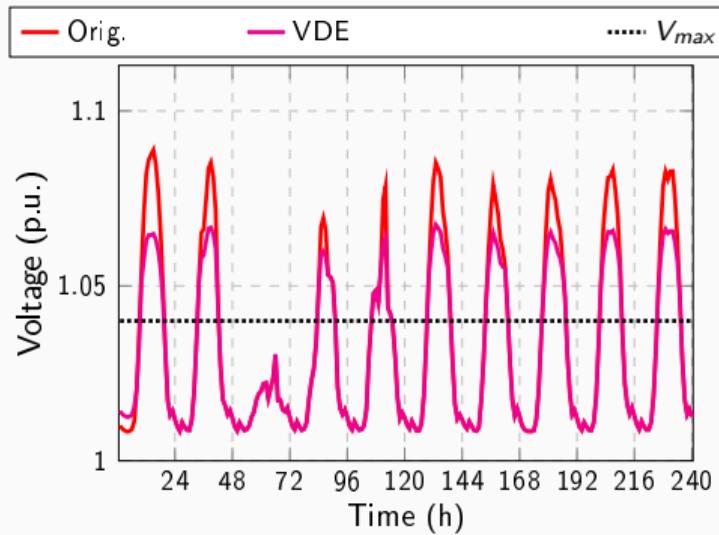
Some results



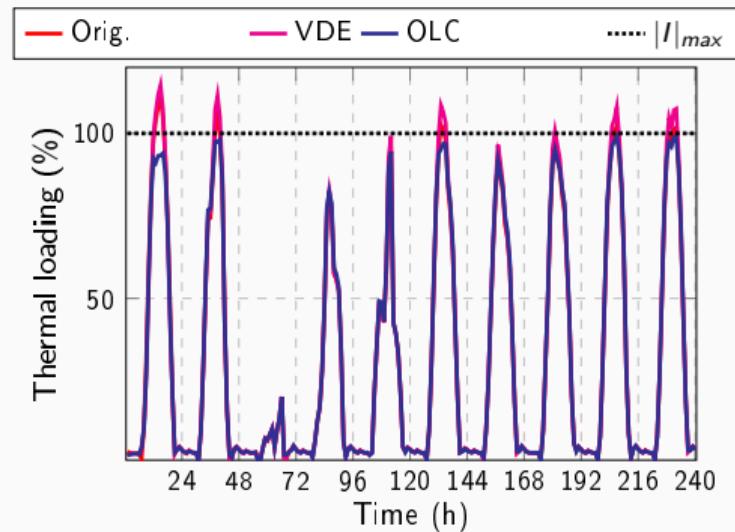
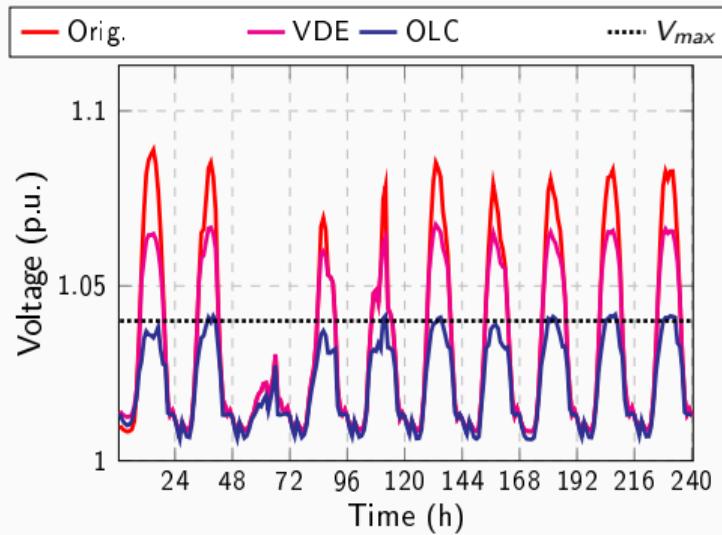
Some results



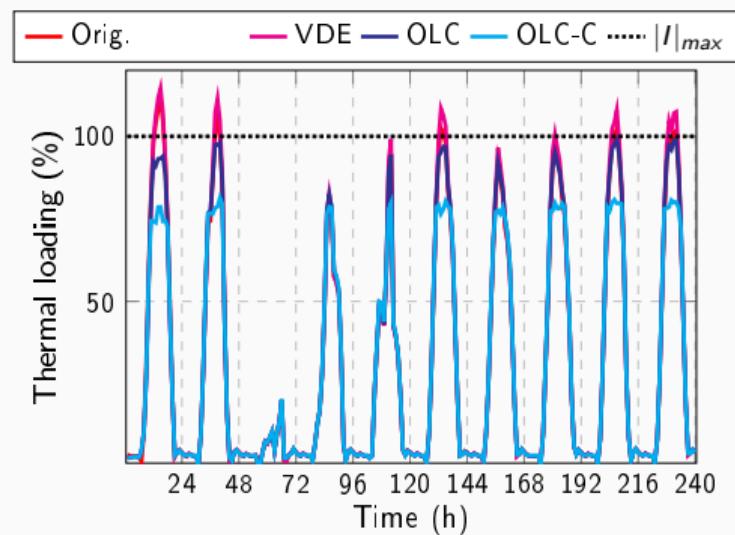
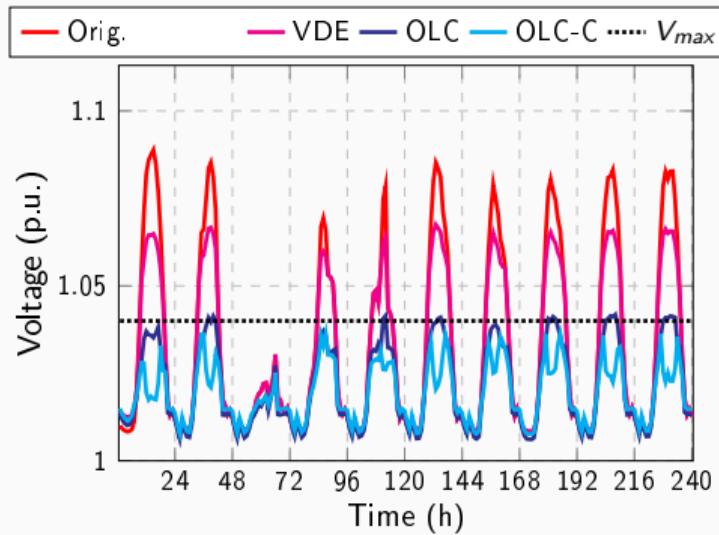
Some results



Some results



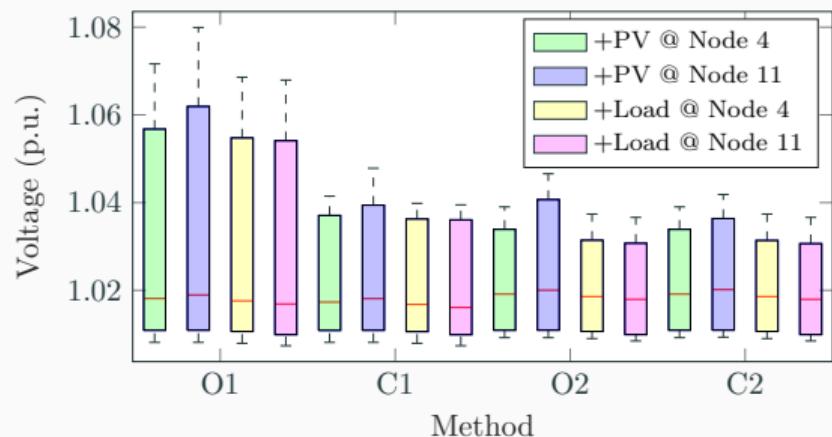
Some results



How will the schemes operate in ‘unseen’ conditions?

Open (O) vs. Closed (C) loop

- **O1:** VDE rule based on P_{PV}
- **C1:** Characteristic curves based on V
- **O2:** Regression based on $P_L, Q_L, P_{PV}, Q_{max}$
- **C2:** Regression based on $V, P_L, Q_L, P_{PV}, Q_{max}$



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Data-driven optimised local controllers can bridge the gap

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Future steps

- Investigate different ML techniques to capture more complex behaviour
- Extend to multiple local “features” and historical “features”
- Experimental validation (NTUA Greece HIL testing)



Questions?