

W241 Final Project | Decoding Game of Thrones

The Effect of Gender Expression on Information Uptake

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0.0 | Abstract

1.0 | Introduction and Literature Review

1.1 | Research Hypothesis

2.0 | Experiment Design

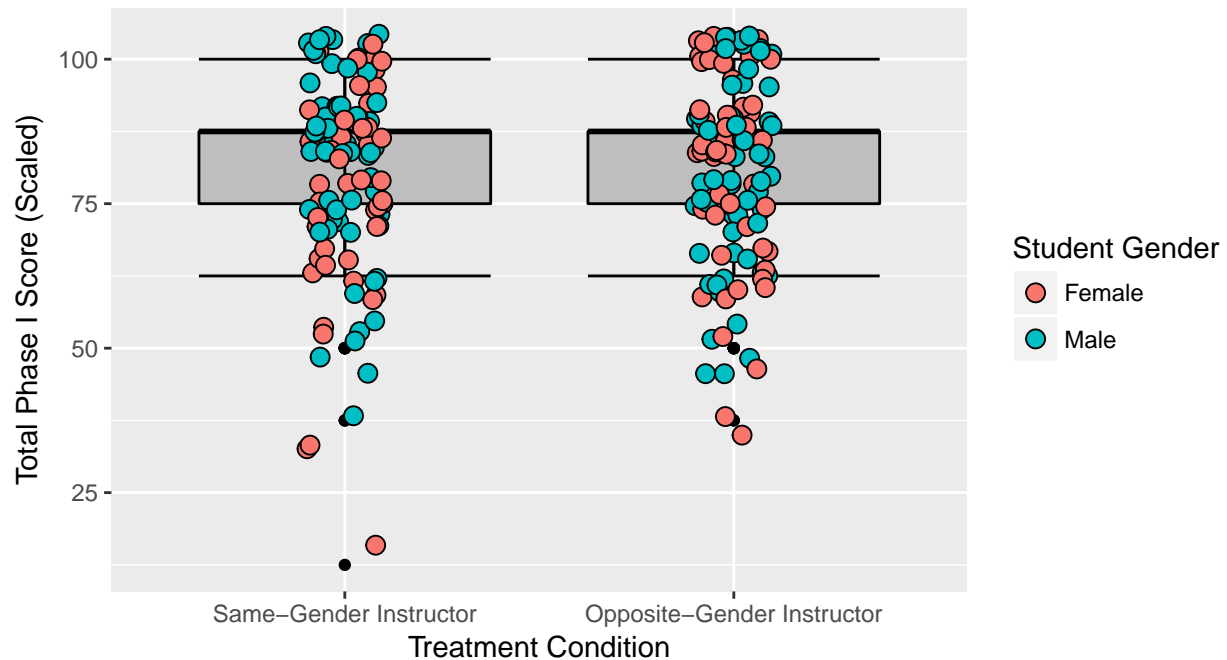
3.0 | Primary Analysis 1: Two-Group

Individual Values Plot

```
ggplot(e1, aes(x = as.factor(Same_Gen), y = Total_Scaled)) +  
  geom_boxplot(color="black", fill="gray", position=position_dodge(1)) +  
  stat_boxplot(geom = 'errorbar') +  
  geom_jitter(aes(x = as.factor(Same_Gen), y = Total_Scaled, fill=as.factor(G_s)),  
              size=3, color="black", pch=21, position=position_jitter(0.1)) +  
  scale_x_discrete(labels= c("Same-Gender Instructor", "Opposite-Gender Instructor")) +  
  labs(title = "Experiment Design 1: Two-Group", subtitle = "All Subjects") +  
  labs(y = "Total Phase I Score (Scaled)", x = "Treatment Condition") +  
  scale_fill_discrete(name = "Student Gender", labels = c("Female", "Male"))
```

Experiment Design 1: Two-Group

All Subjects



Hypothesis Testing

```
#calculate group distributions
```

```
same_gender_group <- e1[Same_Gen == 0, Total_Scaled, ]
```

```
mixed_gender_group <- e1[Same_Gen == 1, Total_Scaled, ]
```

```
t.test(same_gender_group, mixed_gender_group)
```

```
##
```

```
## Welch Two Sample t-test
```

```
##
```

```
## data: same_gender_group and mixed_gender_group
```

```
## t = -0.10149, df = 221.53, p-value = 0.9192
```

```
## alternative hypothesis: true difference in means is not equal to 0
```

```
## 95 percent confidence interval:
```

```
## -4.557389 4.110960
```

```
## sample estimates:
```

```
## mean of x mean of y
```

```
## 80.24554 80.46875
```

```
pwr.t2n.test(n1=length(same_gender_group), n2=length(mixed_gender_group), d=effect(same_gender_group,mi
```

```
##
```

```
## t test power calculation
```

```
##
```

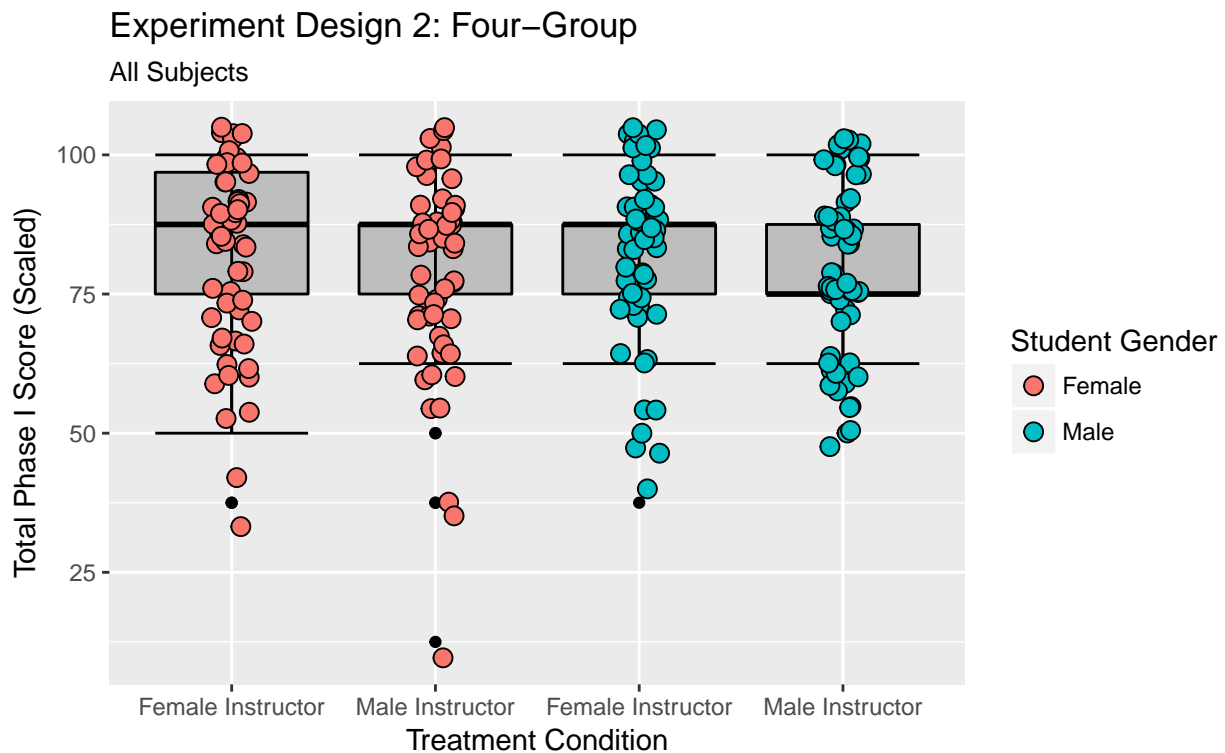
```
## n1 = 112
```

```
##           n2 = 112
##           d = 0.01359298
##       sig.level = 0.05
##           power = 0.05117589
##       alternative = two.sided
```

3.1 | Primary Analysis 2: Four-Group

Individual Values Plot

```
ggplot(e1, aes(x = as.factor(PA_2), y = Total_Scaled)) +
  geom_boxplot(color="black", fill="gray", position=position_dodge(1)) +
  stat_boxplot(geom = 'errorbar') +
  geom_jitter(aes(x = as.factor(PA_2), y = Total_Scaled, fill=as.factor(G_s)),
    size=3, color="black", pch=21, position=position_jitter(0.1)) +
  scale_x_discrete(labels= c("Female Instructor", "Male Instructor",
    "Female Instructor", "Male Instructor")) +
  labs(title = "Experiment Design 2: Four-Group", subtitle = "All Subjects") +
  labs (y = "Total Phase I Score (Scaled)",
    x = "Treatment Condition") +
  scale_fill_discrete(name = "Student Gender", labels = c("Female", "Male"))
```



Hypothesis Testing

```
#calculate group distributions
```

```
FF_group <- e1[FF == 1, Total_Scaled, ]
```

```
FM_group <- e1[FM == 1, Total_Scaled, ]
```

```
MF_group <- e1[MF == 1, Total_Scaled, ]
```

```
MM_group <- e1[MM == 1, Total_Scaled, ]
```

```
t.test(FF_group, FM_group, paired = TRUE, alternative = "two.sided")
```

```
##
```

```
## Paired t-test
```

```
##
```

```
## data: FF_group and FM_group
```

```
## t = 0.85695, df = 53, p-value = 0.3953
```

```
## alternative hypothesis: true difference in means is not equal to 0
```

```
## 95 percent confidence interval:
```

```
## -4.034115 10.052633
```

```
## sample estimates:
```

```
## mean of the differences
```

```
## 3.009259
```

```
pwr.t.test(n=length(FF_group), d=effect(FF_group, FM_group), type = "paired")
```

```
##
```

```
## Paired t test power calculation
```

```
##
```

```
## n = 54
```

```
## d = 0.1729021
```

```
## sig.level = 0.05
```

```
## power = 0.2387907
```

```
## alternative = two.sided
```

```
##
```

```
## NOTE: n is number of *pairs*
```

```
t.test(MF_group, MM_group, paired = TRUE, alternative = "two.sided")
```

```
##
```

```
## Paired t-test
```

```
##
```

```
## data: MF_group and MM_group
```

```
## t = 0.97569, df = 57, p-value = 0.3333
```

```
## alternative hypothesis: true difference in means is not equal to 0
```

```
## 95 percent confidence interval:
```

```
## -2.494825 7.236205
```

```
## sample estimates:
```

```
## mean of the differences
```

```
## 2.37069
```

```
pwr.t.test(n=length(MF_group), d=effect(MF_group, MM_group), type = "paired")
```

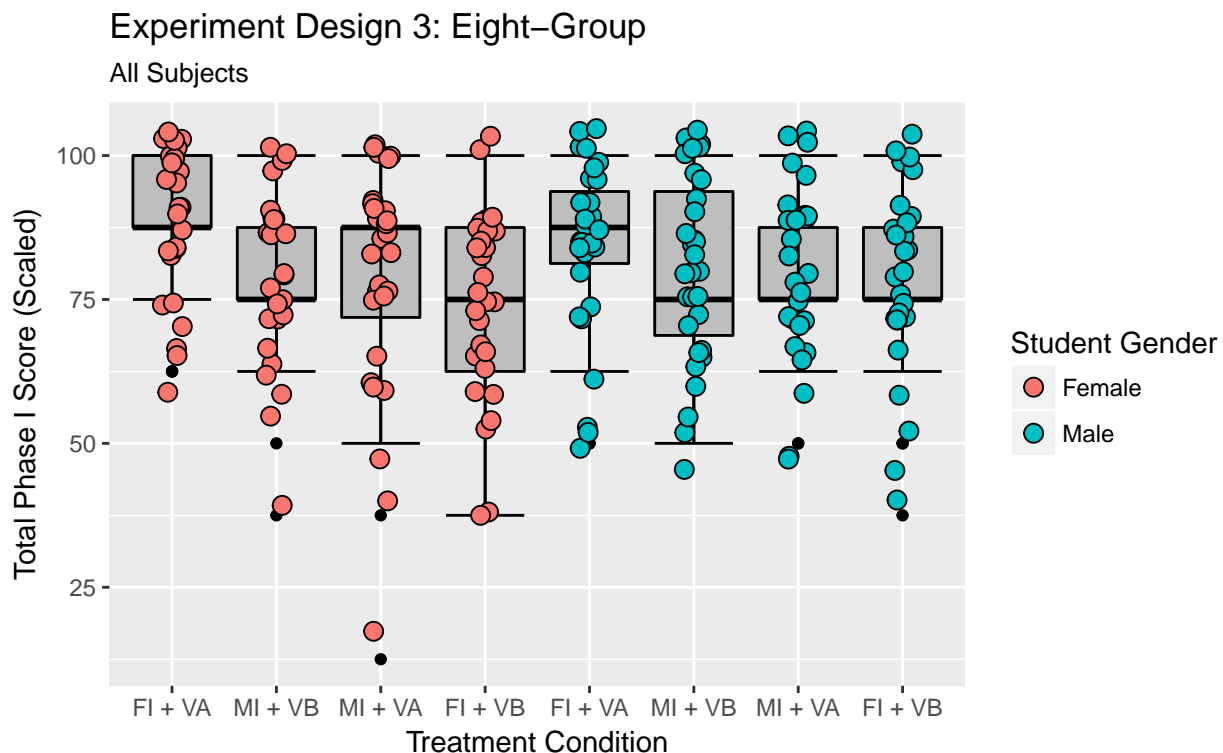
```
##
```

```
##      Paired t test power calculation
##
##          n = 58
##          d = 0.1529052
##      sig.level = 0.05
##      power = 0.2084785
##      alternative = two.sided
##
## NOTE: n is number of *pairs*
```

3.2 | Primary Analysis 3: Eight-Group

Individual Values Plot

```
ggplot(e1, aes(x = as.factor(PA_3), y = Total_Scaled)) +
  geom_boxplot(color="black", fill="gray", position=position_dodge(1)) +
  stat_boxplot(geom = 'errorbar') +
  geom_jitter(aes(x = as.factor(PA_3), y = Total_Scaled,
                  fill=as.factor(G_s)), size=3, color="black", pch=21,
              position=position_jitter(0.1)) +
  scale_x_discrete(labels= c("FI + VA", "MI + VB", "MI + VA", "FI + VB",
                            "FI + VA", "MI + VB", "MI + VA", "FI + VB")) +
  labs(title = "Experiment Design 3: Eight-Group", subtitle = "All Subjects") +
  labs(y = "Total Phase I Score (Scaled)",
       x = "Treatment Condition") +
  scale_fill_discrete(name = "Student Gender", labels = c("Female", "Male"))
```



Hypothesis Testing

```
#calculate group distributions
```

```
FFA_group <- e1[FFA == 1, Total_Scaled, ]  
FMB_group <- e1[FMB == 1, Total_Scaled, ]  
FMA_group <- e1[FMA == 1, Total_Scaled, ]  
FFB_group <- e1[FFB == 1, Total_Scaled, ]  
MFA_group <- e1[MFA == 1, Total_Scaled, ]  
MMB_group <- e1[MMB == 1, Total_Scaled, ]  
MMA_group <- e1[MMA == 1, Total_Scaled, ]  
MFB_group <- e1[MFB == 1, Total_Scaled, ]  
Not_FFA_group <- e1[FFA != 1, Total_Scaled, ]
```

```
t.test(FFA_group, FMB_group, paired = TRUE, alternative = "two.sided")
```

```
##  
## Paired t-test  
##  
## data: FFA_group and FMB_group  
## t = 3.2022, df = 25, p-value = 0.003696  
## alternative hypothesis: true difference in means is not equal to 0  
## 95 percent confidence interval:  
## 3.774281 17.379565  
## sample estimates:  
## mean of the differences  
## 10.57692
```

```
pwr.t.test(n=length(FFA_group), d=effect(FFA_group,FMB_group), type = "paired")
```

```
##  
## Paired t test power calculation  
##  
## n = 26  
## d = 0.6973988  
## sig.level = 0.05  
## power = 0.9273691  
## alternative = two.sided  
##  
## NOTE: n is number of *pairs*
```

```
t.test(FMA_group, FFB_group, paired = TRUE, alternative = "two.sided")
```

```
##  
## Paired t-test  
##  
## data: FMA_group and FFB_group  
## t = 1.1214, df = 27, p-value = 0.272  
## alternative hypothesis: true difference in means is not equal to 0  
## 95 percent confidence interval:  
## -3.333396 11.369110
```

```
## sample estimates:
## mean of the differences
##          4.017857
```

```
pwr.t.test(n=length(FMA_group), d=effect(FMA_group,FFB_group), type = "paired")
```

```
##
##      Paired t test power calculation
##
##          n = 28
##          d = 0.2153292
##      sig.level = 0.05
##          power = 0.1957883
##      alternative = two.sided
##
## NOTE: n is number of *pairs*
```

```
t.test(MFA_group, MMB_group, paired = TRUE, alternative = "two.sided")
```

```
##
##      Paired t-test
##
## data:  MFA_group and MMB_group
## t = 1.3975, df = 30, p-value = 0.1725
## alternative hypothesis: true difference in means is not equal to 0
## 95 percent confidence interval:
##  -2.232504 11.909923
## sample estimates:
## mean of the differences
##          4.83871
```

```
pwr.t.test(n=length(MFA_group), d=effect(MFA_group,MMB_group), type = "paired")
```

```
##
##      Paired t test power calculation
##
##          n = 31
##          d = 0.3100285
##      sig.level = 0.05
##          power = 0.3864208
##      alternative = two.sided
##
## NOTE: n is number of *pairs*
```

```
t.test(MMA_group, MFB_group, paired = TRUE, alternative = "two.sided")
```

```
##
##      Paired t-test
##
## data:  MMA_group and MFB_group
## t = 0.13746, df = 26, p-value = 0.8917
```

```
## alternative hypothesis: true difference in means is not equal to 0
## 95 percent confidence interval:
##  -6.460008  7.385934
## sample estimates:
## mean of the differences
##           0.462963
```

```
pwr.t.test(n=length(MMA_group), d=effect(MMA_group,MFB_group), type = "paired")
```

```
##
##      Paired t test power calculation
##
##           n = 27
##           d = 0.03008682
##      sig.level = 0.05
##      power = 0.05260382
##      alternative = two.sided
##
## NOTE: n is number of *pairs*
```

```
t.test(FFA_group, Not_FFA_group)
```

```
##
##      Welch Two Sample t-test
##
## data:  FFA_group and Not_FFA_group
## t = 3.4807, df = 36.706, p-value = 0.001308
## alternative hypothesis: true difference in means is not equal to 0
## 95 percent confidence interval:
##   4.057041 15.367978
## sample estimates:
## mean of x mean of y
##  88.94231  79.22980
```

```
pwr.t2n.test(n1=length(FFA_group), n2=length(Not_FFA_group), d=effect(FFA_group,Not_FFA_group))
```

```
##
##      t test power calculation
##
##           n1 = 26
##           n2 = 198
##           d = 0.5914583
##      sig.level = 0.05
##      power = 0.8059823
##      alternative = two.sided
```

Regression Analysis


```

# fit regression models
m3c1 <- lm(Total_Scaled ~ FFA + FMB + FMA + FFB + MFA + MMB + MMA, data = e1)
m3c2 <- lm(Total_Scaled ~ FFA + FMB + FMA + FFB + MFA + MMB + MMA + IFE_Scaled, data = e1)
m3c3 <- lm(Total_Perf ~ FFA + FMB + FMA + FFB + MFA + MMB + MMA, data = e1)

# output results
reg_rse_3(m3c1, m3c2, m3c3, "Experiment Design 3: Eight-Group")

```

Table 1: Experiment Design 3: Eight-Group

	<i>Dependent variable:</i>		
	Total_Scaled	Total_Perf	
	(1)	(2)	(3)
FFA	9.776** (4.103)	6.035** (2.410)	5.976 (4.103)
FMB	−0.801 (4.466)	−4.542* (2.420)	2.569 (4.466)
FMA	−1.042 (5.044)	3.093 (2.519)	−4.842 (5.044)
FFB	−5.060 (4.567)	−0.925 (2.537)	−1.690 (4.567)
MFA	5.511 (4.167)	3.147 (2.572)	2.711 (4.167)
MMB	0.672 (4.369)	−1.692 (2.506)	0.672 (4.369)
MMA	0.463 (4.308)	0.463 (2.530)	−2.337 (4.308)
IFE_Scaled		0.986*** (0.060)	
Constant	79.167*** (3.189)	0.396 (5.283)	−0.363 (3.189)
Type of Std. Error	Robust	Robust	Robust
Observations	224	224	224
R ²	0.065	0.681	0.038
Adjusted R ²	0.034	0.669	0.006
Residual Std. Error	16.136 (df = 216)	9.444 (df = 215)	16.136 (df = 216)
F Statistic	2.135** (df = 7; 216)	57.411*** (df = 8; 215)	1.205 (df = 7; 216)
<i>Note:</i> *p<0.1; **p<0.05; ***p<0.01			

```
# fit regression models
m3f1 <- lm(Total_Scaled ~ FFA, data = e1)
m3f2 <- lm(Total_Scaled ~ FFA + IFE_Scaled, data = e1)
m3f3 <- lm(Total_Perf ~ FFA, data = e1)

# output results
reg_rse_3(m3f1, m3f2, m3f3, "Experiment Design 3: Female Students/Female Instructor/Video A")
```

Table 2: Experiment Design 3: Female Students/Female Instructor/Video A

	<i>Dependent variable:</i>		
	Total_Scaled	Total_Perf	
	(1)	(2)	(3)
FFA	9.713*** (2.837)	6.089*** (1.800)	6.351** (2.835)
IFE_Scaled		0.971*** (0.059)	
Constant	79.230*** (1.177)	1.590 (5.103)	−0.739 (1.172)
Type of Std. Error	Robust	Robust	Robust
Observations	224	224	224
R ²	0.036	0.661	0.016
Adjusted R ²	0.032	0.658	0.011
Residual Std. Error	16.159 (df = 222)	9.606 (df = 221)	16.095 (df = 222)
F Statistic	8.303*** (df = 1; 222)	215.308*** (df = 2; 221)	3.578* (df = 1; 222)

Note:

*p<0.1; **p<0.05; ***p<0.01

4.1 | Secondary Analyses

Student Subgroup

```
# create student subset
e_student <- subset(e1, e == 1)
dim(e_student)

## [1] 120 59

# fit regression models
m4a1 <- lm(Total_Scaled ~ FFA + FMB + FMA + FFB + MFA + MMB + MMA, data = e_student)
m4a2 <- lm(Total_Scaled ~ FFA + FMB + FMA + FFB + MFA + MMB + MMA + IFE_Scaled, data = e_student)
m4a3 <- lm(Total_Perf ~ FFA + FMB + FMA + FFB + MFA + MMB + MMA, data = e_student)

# output results
reg_rse_3(m4a1, m4a2, m4a3, "Subgroup Analysis: Students")
```

Table 3: Subgroup Analysis: Students

	<i>Dependent variable:</i>		
	Total_Scaled		Total_Perf
	(1)	(2)	(3)
FFA	8.929* (4.649)	7.103** (3.033)	5.129 (4.649)
FMB	-4.464 (5.154)	-6.290** (3.040)	-1.094 (5.154)
FMA	-5.469 (7.214)	1.116 (3.758)	-9.269 (7.214)
FFB	-7.031 (5.586)	-0.446 (3.740)	-3.661 (5.586)
MFA	0.000 (6.121)	0.830 (3.484)	-2.800 (6.121)
MMB	-2.679 (5.760)	-1.849 (3.424)	-2.679 (5.760)
MMA	0.781 (5.266)	0.781 (3.405)	-2.019 (5.266)
IFE_Scaled		0.992*** (0.096)	
Constant	81.250*** (3.727)	0.295 (8.438)	1.720 (3.727)
Type of Std. Error	Robust	Robust	Robust
Observations	120	120	120
R ²	0.080	0.693	0.054
Adjusted R ²	0.022	0.671	-0.005
Residual Std. Error	16.205 (df = 112)	9.405 (df = 111)	16.205 (df = 112)
F Statistic	1.390 (df = 7; 112)	31.302*** (df = 8; 111)	0.919 (df = 7; 112)

Note:

*p<0.1; **p<0.05; ***p<0.01

Under 30 Subgroup

```
# create under 30 subset
e_young <- subset(e1, b == 1 | b == 2)
dim(e_young)

## [1] 90 59

# fit regression models
m4b1 <- lm(Total_Scaled ~ FFA + FMB + FMA + FFB + MFA + MMB + MMA, data = e_young)
m4b2 <- lm(Total_Scaled ~ FFA + FMB + FMA + FFB + MFA + MMB + MMA + IFE_Scaled, data = e_young)
m4b3 <- lm(Total_Perf ~ FFA + FMB + FMA + FFB + MFA + MMB + MMA, data = e_young)

# output results
reg_rse_3(m4b1, m4b2, m4b3, "Subgroup Analysis: Under 30 Years Old")
```

Over 30 Subgroup

```
# create over 30 subset
e_old <- subset(e1, b == 3 | b == 4 | b == 5)
dim(e_old)

## [1] 134 59

# fit regression models
m4c1 <- lm(Total_Scaled ~ FFA + FMB + FMA + FFB + MFA + MMB + MMA, data = e_old)
m4c2 <- lm(Total_Scaled ~ FFA + FMB + FMA + FFB + MFA + MMB + MMA + IFE_Scaled, data = e_old)
m4c3 <- lm(Total_Perf ~ FFA + FMB + FMA + FFB + MFA + MMB + MMA, data = e_old)

# output results
reg_rse_3(m4c1, m4c2, m4c3, "Subgroup Analysis: Over 30 Years Old")
```

Highly Educated Subgroup

```
# create highly educated subset
e_edu <- subset(e1, f == 6 | f == 7)
dim(e_edu)

## [1] 148 59

# fit regression models
m4d1 <- lm(Total_Scaled ~ FFA + FMB + FMA + FFB + MFA + MMB + MMA, data = e_edu)
m4d2 <- lm(Total_Scaled ~ FFA + FMB + FMA + FFB + MFA + MMB + MMA + IFE_Scaled, data = e_edu)
m4d3 <- lm(Total_Perf ~ FFA + FMB + FMA + FFB + MFA + MMB + MMA, data = e_edu)

# output results
reg_rse_3(m4d1, m4d2, m4d3, "Subgroup Analysis: Highly Educated")
```

Table 4: Subgroup Analysis: Under 30 Years Old

	<i>Dependent variable:</i>		
	Total_Scaled		Total_Perf
	(1)	(2)	(3)
FFA	4.773 (6.426)	3.750 (4.145)	0.973 (6.426)
FMB	-7.727 (6.895)	-8.750** (4.145)	-4.357 (6.895)
FMA	-11.250 (10.623)	-3.750 (5.397)	-15.050 (10.623)
FFB	-8.750 (8.618)	-1.250 (5.397)	-5.380 (8.618)
MFA	-2.857 (6.364)	-0.714 (3.958)	-5.657 (6.364)
MMB	-6.429 (7.015)	-4.286 (3.958)	-6.429 (7.015)
MMA	-5.000 (7.607)	-5.000 (4.497)	-7.800 (7.607)
IFE_Scaled		1.000*** (0.111)	
Constant	85.000*** (5.122)	2.500 (10.031)	5.470 (5.122)
Type of Std. Error	Robust	Robust	Robust
Observations	90	90	90
R ²	0.072	0.708	0.064
Adjusted R ²	-0.007	0.679	-0.016
Residual Std. Error	17.643 (df = 82)	9.960 (df = 81)	17.643 (df = 82)
F Statistic	0.914 (df = 7; 82)	24.545*** (df = 8; 81)	0.805 (df = 7; 82)

Note:

*p<0.1; **p<0.05; ***p<0.01

Table 5: Subgroup Analysis: Over 30 Years Old

	<i>Dependent variable:</i>		
	Total_Scaled		Total_Perf
	(1)	(2)	(3)
FFA	12.598** (5.472)	7.310** (3.098)	8.798 (5.472)
FMB	3.431 (6.053)	−1.857 (3.137)	6.801 (6.053)
FMA	4.820 (5.446)	7.024*** (2.583)	1.020 (5.446)
FFB	−2.819 (5.449)	−0.615 (2.703)	0.551 (5.449)
MFA	11.029** (5.627)	5.670 (3.731)	8.229 (5.627)
MMB	5.147 (5.697)	−0.212 (3.553)	5.147 (5.697)
MMA	3.676 (5.346)	3.676 (3.122)	0.876 (5.346)
IFE_Scaled		0.972*** (0.068)	
Constant	75.735*** (4.055)	−0.369 (5.926)	−3.795 (4.055)
Type of Std. Error	Robust	Robust	Robust
Observations	134	134	134
R ²	0.094	0.678	0.051
Adjusted R ²	0.043	0.658	−0.002
Residual Std. Error	15.318 (df = 126)	9.162 (df = 125)	15.318 (df = 126)
F Statistic	1.859* (df = 7; 126)	32.945*** (df = 8; 125)	0.970 (df = 7; 126)

Note:

*p<0.1; **p<0.05; ***p<0.01

Table 6: Subgroup Analysis: Highly Educated

	<i>Dependent variable:</i>		
	Total_Scaled		Total_Perf
	(1)	(2)	(3)
FFA	7.341 (5.562)	4.924 (3.080)	3.541 (5.562)
FMB	1.091 (5.915)	-1.326 (3.084)	4.461 (5.915)
FMA	-6.548 (7.006)	1.395 (3.212)	-10.348 (7.006)
FFB	-5.853 (5.603)	2.089 (3.200)	-2.483 (5.603)
MFA	2.307 (5.445)	1.530 (2.901)	-0.493 (5.445)
MMB	1.786 (5.500)	1.009 (2.898)	1.786 (5.500)
MMA	1.786 (6.135)	1.786 (3.328)	-1.014 (6.135)
IFE_Scaled		0.995*** (0.075)	
Constant	79.464*** (4.429)	-1.339 (6.694)	-0.066 (4.429)
Type of Std. Error	Robust	Robust	Robust
Observations	148	148	148
R ²	0.066	0.688	0.068
Adjusted R ²	0.019	0.671	0.021
Residual Std. Error	16.241 (df = 140)	9.413 (df = 139)	16.241 (df = 140)
F Statistic	1.414 (df = 7; 140)	38.401*** (df = 8; 139)	1.455 (df = 7; 140)

Note:

*p<0.1; **p<0.05; ***p<0.01

Native English Speaker Subgroup

```
# create native English speaker subset
e_eng <- subset(e1, d == 1)
dim(e_eng)

## [1] 164 59

# fit regression models
m4e1 <- lm(Total_Scaled ~ FFA + FMB + FMA + FFBS + MFA + MMB + MMA, data = e_eng)
m4e2 <- lm(Total_Scaled ~ FFA + FMB + FMA + FFBS + MFA + MMB + MMA + IFE_Scaled, data = e_eng)
m4e3 <- lm(Total_Perf ~ FFA + FMB + FMA + FFBS + MFA + MMB + MMA, data = e_eng)

# output results
reg_rse_3(m4e1, m4e2, m4e3, "Subgroup Analysis: Native English Speakers")
```

Appendix

Exploratory Data Analysis 1

```
summary(e1$Total_Perf)

##      Min.   1st Qu.   Median     Mean   3rd Qu.    Max.
## -70.83000 -8.33000  4.17000  -0.00152  11.34000  23.84000

hist(e1$Total_Perf, breaks = 50,
     main = "Total Performance",
     xlab = "Performance Relative to Mean")
```

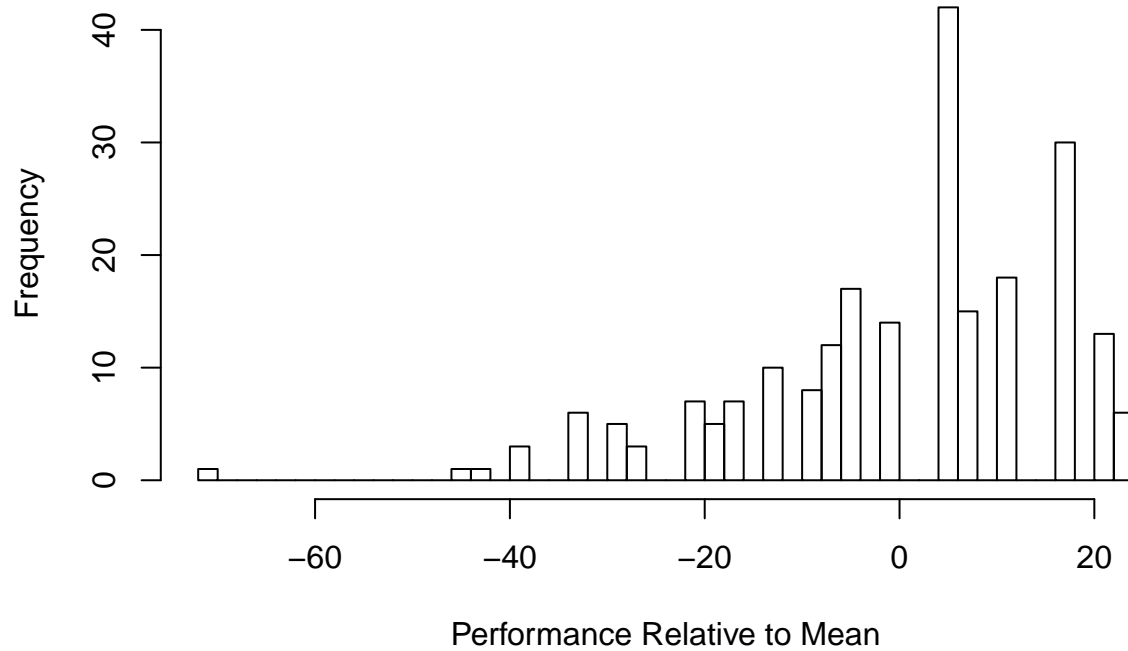

Table 7: Subgroup Analysis: Native English Speakers

	<i>Dependent variable:</i>		
	Total_Scaled		Total_Perf
	(1)	(2)	(3)
FFA	8.260 (5.296)	6.703** (3.046)	4.460 (5.296)
FMB	−0.950 (5.503)	−2.508 (3.050)	2.420 (5.503)
FMA	−3.770 (6.479)	4.390 (3.121)	−7.570 (6.479)
FFB	−7.341 (5.846)	0.818 (3.156)	−3.971 (5.846)
MFA	3.299 (5.335)	3.901 (3.031)	0.499 (5.335)
MMB	0.694 (5.472)	1.297 (2.956)	0.694 (5.472)
MMA	2.778 (5.524)	2.778 (3.347)	−0.022 (5.524)
IFE_Scaled		0.991*** (0.069)	
Constant	80.556*** (4.188)	−1.337 (6.376)	1.026 (4.188)
Type of Std. Error	Robust	Robust	Robust
Observations	164	164	164
R ²	0.065	0.701	0.042
Adjusted R ²	0.023	0.686	−0.001
Residual Std. Error	17.006 (df = 156)	9.641 (df = 155)	17.006 (df = 156)
F Statistic	1.551 (df = 7; 156)	45.517*** (df = 8; 155)	0.987 (df = 7; 156)

Note:

*p<0.1; **p<0.05; ***p<0.01

Total Performance

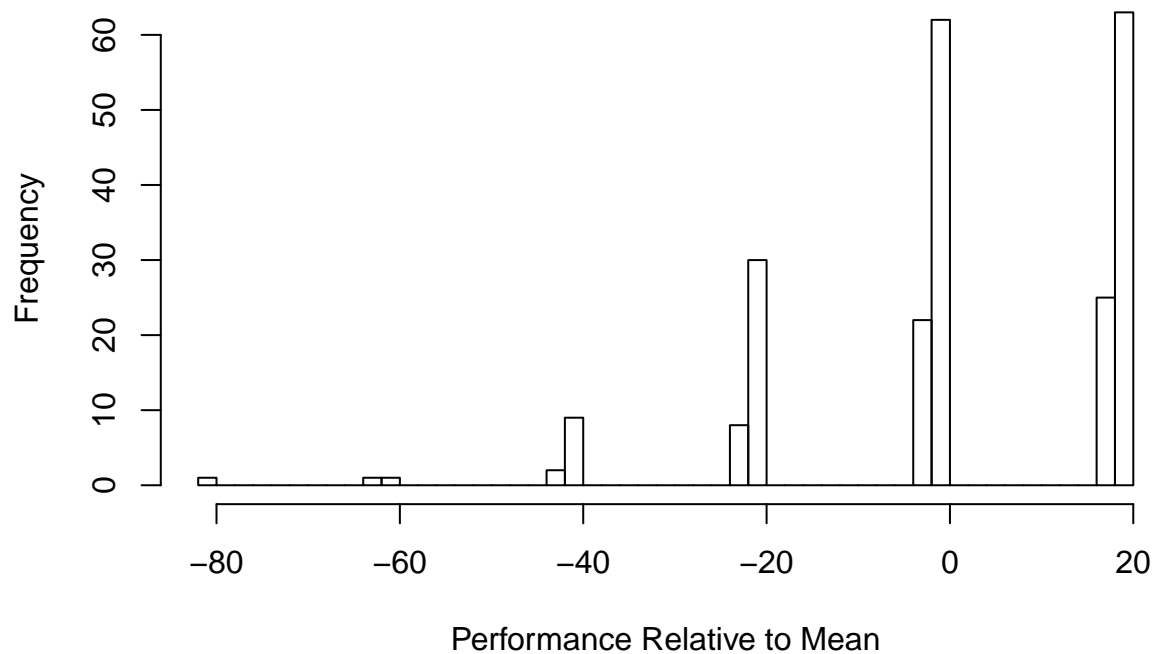


```
summary(e1$Recall_Perf)
```

```
##      Min.   1st Qu.   Median     Mean   3rd Qu.    Max.
## -81.07000 -3.45000  -1.07000  -0.07982  18.62000  19.26000
```

```
hist(e1$Recall_Perf, breaks = 50,
     main = "Recall Performance",
     xlab = "Performance Relative to Mean")
```

Recall Performance

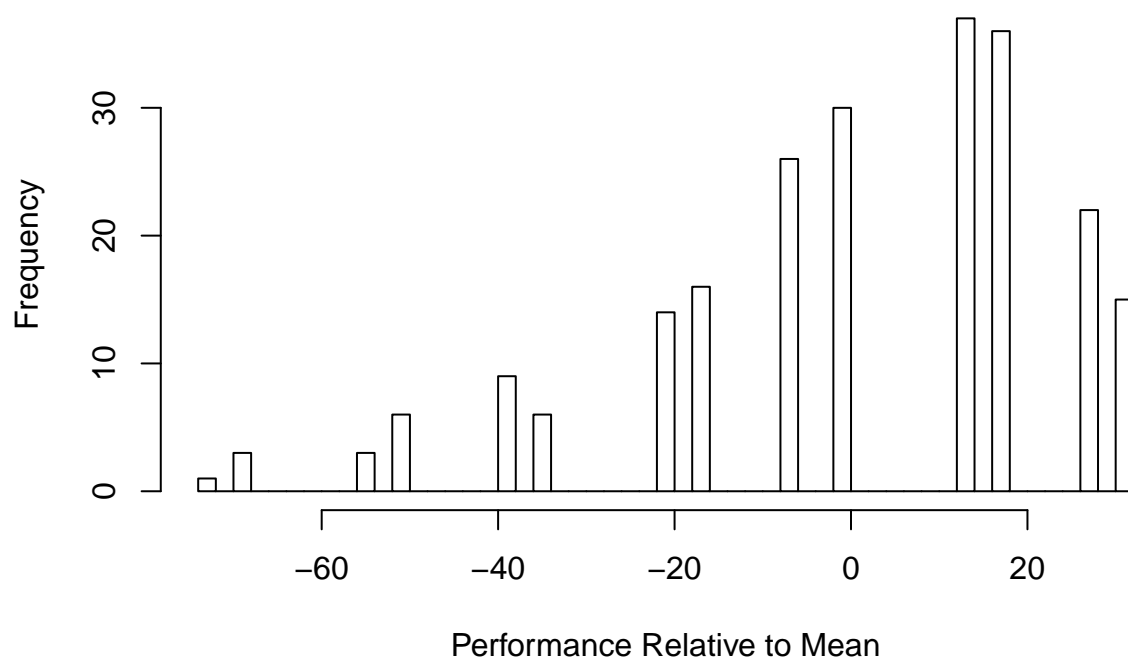


```
summary(e1$Comp_Perf)
```

```
##      Min.   1st Qu.   Median     Mean   3rd Qu.    Max.
## -72.99000 -17.24000  -1.85000   0.00071  16.09000  31.48000
```

```
hist(e1$Comp_Perf, breaks = 50,
     main = "Comprehension Performance",
     xlab = "Performance Relative to Mean")
```

Comprehension Performance

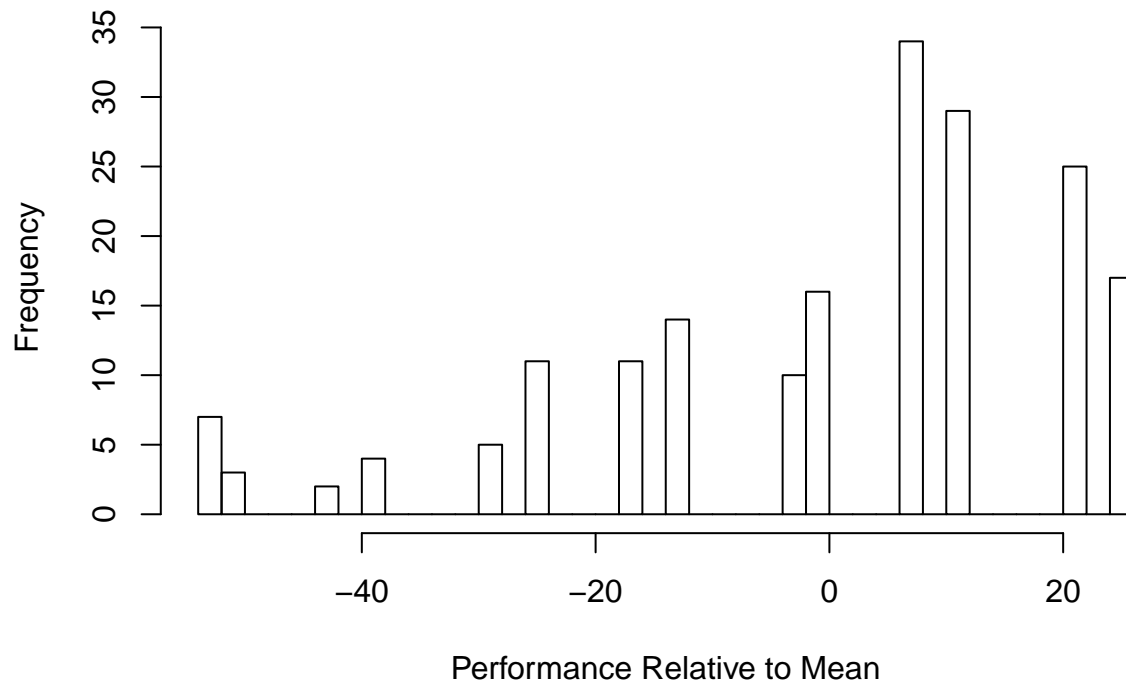


```
summary(e2$Ret_Perf)
```

```
##      Min.   1st Qu.   Median     Mean   3rd Qu.    Max.
## -53.19150 -13.29790   7.97870  -0.00002  11.70210  25.00000
```

```
hist(e2$Ret_Perf, breaks = 50,
     main = "Retention Performance",
     xlab = "Performance Relative to Mean")
```

Retention Performance



```
# fit regression models
m0a <- lm(Total_Perf ~ G_s, data = e1)
m0b <- lm(Total_Perf ~ G_i, data = e1)
m0c <- lm(Total_Perf ~ G_s + G_i, data = e1)
m0d <- lm(Total_Perf ~ G_s*G_i, data = e1)

# output results
reg_rse_4(m0a, m0b, m0c, m0d, "Preliminary Models")
```

Primary Analysis 1: Two-Group Regression Analysis

```
# fit regression models
m2a1 <- lm(Total_Scaled ~ Same_Gen, data = e1)
m2a2 <- lm(Total_Scaled ~ Same_Gen + IFE_Scaled, data = e1)
m2a3 <- lm(Total_Perf ~ Same_Gen, data = e1)

# output results
reg_rse_3(m2a1, m2a2, m2a3, "Experiment Design 1: Two Groups")
```

```
# fit regression models
m2b1 <- lm(Recall_Scaled ~ Same_Gen, data = e1)
m2b2 <- lm(Recall_Scaled ~ Same_Gen + IFE_Scaled, data = e1)
m2b3 <- lm(Recall_Perf ~ Same_Gen, data = e1)

# output results
reg_rse_3(m2b1, m2b2, m2b3, "Experiment Design 1: Two Groups (Recall)")
```

Table 8: Preliminary Models

	<i>Dependent variable:</i>			
	Total_Perf			
	(1)	(2)	(3)	(4)
G_s	-0.004 (2.187)		-0.004 (2.189)	-1.649 (6.736)
G_i		-2.707 (2.170)	-2.707 (2.180)	-4.372 (7.222)
G_s:G_i				1.097 (4.397)
Constant	0.004 (3.593)	4.058 (3.330)	4.064 (4.586)	6.562 (10.910)
Type of Std. Error	Robust	Robust	Robust	Robust
Observations	224	224	224	224
R ²	0.000	0.007	0.007	0.007
Adjusted R ²	-0.005	0.003	-0.002	-0.006
Residual Std. Error	16.224 (df = 222)	16.167 (df = 222)	16.204 (df = 221)	16.238 (df = 220)
F Statistic	0.00000 (df = 1; 222)	1.569 (df = 1; 222)	0.781 (df = 2; 221)	0.540 (df = 3; 220)

Note:

*p<0.1; **p<0.05; ***p<0.01

Table 9: Experiment Design 1: Two Groups

	<i>Dependent variable:</i>		
	Total_Scaled		Total_Perf
	(1)	(2)	(3)
Same_Gen	0.223 (2.209)	0.223 (1.322)	0.451 (2.178)
IFE_Scaled		0.984*** (0.060)	
Constant	80.246*** (1.598)	1.140 (5.236)	-0.227 (1.603)
Type of Std. Error	Robust	Robust	Robust
Observations	224	224	224
R ²	0.00005	0.647	0.0002
Adjusted R ²	-0.004	0.644	-0.004
Residual Std. Error	16.458 (df = 222)	9.803 (df = 221)	16.223 (df = 222)
F Statistic	0.010 (df = 1; 222)	202.381*** (df = 2; 221)	0.043 (df = 1; 222)

Note:

*p<0.1; **p<0.05; ***p<0.01

Table 10: Experiment Design 1: Two Groups (Recall)

	<i>Dependent variable:</i>		
	Recall_Scaled		Recall_Perf
	(1)	(2)	(3)
Same_Gen	2.143 (2.560)	2.143 (1.862)	2.075 (2.556)
IFE_Scaled		0.980*** (0.080)	
Constant	80.536*** (1.948)	1.805 (7.084)	-1.117 (1.950)
Type of Std. Error	Robust	Robust	Robust
Observations	224	224	224
R ²	0.003	0.479	0.003
Adjusted R ²	-0.001	0.474	-0.002
Residual Std. Error	19.074 (df = 222)	13.825 (df = 221)	19.043 (df = 222)
F Statistic	0.707 (df = 1; 222)	101.458*** (df = 2; 221)	0.665 (df = 1; 222)

Note:

*p<0.1; **p<0.05; ***p<0.01

```
# fit regression models
m2c1 <- lm(Comp_Scaled ~ Same_Gen, data = e1)
m2c2 <- lm(Comp_Scaled ~ Same_Gen + IFE_Scaled, data = e1)
m2c3 <- lm(Comp_Perf ~ Same_Gen, data = e1)

# output results
reg_rse_3(m2c1, m2c2, m2c3, "Experiment Design 1: Two Groups (Retention)")
```

Primary Analysis 2: Four-Group Regression Analysis

```
# fit regression models
m2c1 <- lm(Total_Scaled ~ FF + FM + MF, data = e1)
m2c2 <- lm(Total_Scaled ~ FF + FM + MF + IFE_Scaled, data = e1)
m2c3 <- lm(Total_Perf ~ FF + FM + MF, data = e1)

# output results
reg_rse_3(m2c1, m2c2, m2c3, "Experiment Design 1: Four Groups")
```

Table 11: Experiment Design 1: Two Groups (Retention)

	<i>Dependent variable:</i>		
	Comp_Scaled		Comp_Perf
	(1)	(2)	(3)
Same_Gen	−2.977 (3.322)	−2.977 (2.812)	−2.245 (3.158)
IFE_Scaled		0.992*** (0.111)	
Constant	79.763*** (2.221)	0.032 (9.538)	1.123 (2.182)
Type of Std. Error	Robust	Robust	Robust
Observations	224	224	224
R ²	0.004	0.293	0.002
Adjusted R ²	−0.001	0.287	−0.002
Residual Std. Error	24.750 (df = 222)	20.894 (df = 221)	23.525 (df = 222)
F Statistic	0.810 (df = 1; 222)	45.820*** (df = 2; 221)	0.510 (df = 1; 222)
<i>Note:</i>			*p<0.1; **p<0.05; ***p<0.01

Table 12: Experiment Design 1: Four Groups

	<i>Dependent variable:</i>		
	Total_Scaled		Total_Perf
	(1)	(2)	(3)
FF	1.509 (3.087)	3.113* (1.852)	2.730 (2.965)
FM	−1.501 (3.218)	0.104 (1.862)	−0.545 (3.265)
MF	2.371 (2.908)	2.371 (1.819)	2.178 (2.898)
IFE_Scaled		0.985*** (0.060)	
Constant	79.741*** (2.053)	−0.215 (5.188)	−1.092 (2.063)
Type of Std. Error	Robust	Robust	Robust
Observations	224	224	224
R ²	0.008	0.654	0.007
Adjusted R ²	−0.005	0.647	−0.006
Residual Std. Error	16.466 (df = 220)	9.751 (df = 219)	16.238 (df = 220)
F Statistic	0.597 (df = 3; 220)	103.362*** (df = 4; 219)	0.540 (df = 3; 220)
<i>Note:</i>			*p<0.1; **p<0.05; ***p<0.01