

Algorithm to Create the PLTS for Memory-Related Deadlocks

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The pseudo-code to create a PLTS $L = \langle \mathcal{Q}, q_{start}, \mathcal{A}, \mathcal{L} \rangle$ of a mapped workload $\langle \mathcal{T}, \mathcal{B}, \mathcal{D} \rangle$ is given in Algorithm 1.

Algorithm 1 visits all states that have not been visited yet and, for each of them, adds to \mathcal{L} new transitions corresponding to valid task start (lines 11 to 27) or end (lines 28 to 40) actions.

If the arrival state of a new transition is new (lines 13 and 30) its memories occupancy is computed (lines 14 to 18 and 31 to 35).

Of course, in a state q , a task can be started only if was a future task in state q , all its immediate predecessor tasks ended (line 11) and all its output buffers can be allocated without overflowing any memory (lines 19 and 24). Similarly a task t can be ended only if it was running (line 28).

For **start**(t) actions the new memories occupancy is computed by considering all output buffers of task t (line 15) and adding their size to the occupancy of their memory (line 17). For **end**(t) actions the new memories occupancy is computed by identifying the input buffers of task t that can be deallocated because all their consumer tasks ended (line 32) and subtracting their size from the occupancy of their memory (line 34).

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1 Function buildPLTS( $D = \langle \mathcal{T}, \mathcal{B}, \mathcal{D} \rangle$ ) is
2    $q_{start} \leftarrow (\emptyset, \emptyset, \mathcal{T}); O_{q_{start}} \leftarrow 0^n;$  // initial state
3    $q_{end} \leftarrow (\mathcal{T}, \emptyset, \emptyset); O_{q_{end}} \leftarrow 0^n;$  // final state
4    $\mathcal{Q} \leftarrow \{q_{start}, q_{end}\};$  // initialize set of states
5    $\mathcal{A} \leftarrow \{\text{start}(t), \text{end}(t) | t \in \mathcal{T}\};$  // set of actions
6    $\mathcal{L} \leftarrow \emptyset;$  // initialize set of transitions
7    $\mathcal{V} \leftarrow \{q_{start}\};$  // initialize set of states to visit
8   while  $\mathcal{V} \neq \emptyset$  do // while there are states to visit
9     select  $q \in \mathcal{V};$  // pick state  $q$  to visit
10     $\mathcal{V} \leftarrow \mathcal{V} \setminus \{q\};$  // mark  $q$  as visited
11    // for future tasks which predecessors all ended
12    foreach  $t \in \mathcal{F}_q$  such that  $\mathcal{P}_t \subset \mathcal{E}_q$  do
13      // build state  $r$  from  $q$  by starting task  $t$ 
14       $r \leftarrow (\mathcal{E}_q, \mathcal{R}_q \cup \{t\}, \mathcal{F}_q \setminus \{t\});$ 
15      if  $r \notin \mathcal{Q}$  then // if  $r$  new
16        // compute memories occupancy
17         $O_r \leftarrow O_q;$  // initialization
18        foreach  $b \in \mathcal{O}_t$  do // for output buffers of  $t$ 
19           $i \leftarrow \text{idx}(b);$  //  $b$  memory index
20           $O_r[i] \leftarrow O_r[i] + \text{size}(b);$  // allocate buffer
21        end
22        if  $O_r \leq X$  then // if no memory overflow
23           $\mathcal{Q} \leftarrow \mathcal{Q} \cup \{r\};$  // add new state
24           $\mathcal{V} \leftarrow \mathcal{V} \cup \{r\};$  // must visit new state
25        end
26        if  $O_r \leq X$  then // if no memory overflow
27           $\mathcal{L} \leftarrow \mathcal{L} \cup \{q \xrightarrow{\text{start}(t)} r\};$  // add new transition
28        end
29      end
30      foreach  $t \in \mathcal{R}_q$  do // for running tasks
31        // build state  $r$  from  $q$  by ending task  $t$ 
32         $r \leftarrow (\mathcal{E}_q \cup \{t\}, \mathcal{R}_q \setminus \{t\}, \mathcal{F}_q);$ 
33        if  $r \notin \mathcal{Q}$  then // if  $r$  new
34          // compute memories occupancy
35           $O_r \leftarrow O_q;$  // initialization
36          // for input buffers which consumers all ended
37          foreach  $b \in \mathcal{I}_t$  such that  $\mathcal{C}_b \subset \mathcal{E}_r$  do
38             $i \leftarrow \text{idx}(b);$  //  $b$  memory index
39             $O_r[i] \leftarrow O_r[i] - \text{size}(b);$  // deallocate buffer
40          end
41           $\mathcal{Q} \leftarrow \mathcal{Q} \cup \{r\};$  // add new state
42           $\mathcal{V} \leftarrow \mathcal{V} \cup \{r\};$  // must visit new state
43        end
44         $\mathcal{L} \leftarrow \mathcal{L} \cup \{q \xrightarrow{\text{end}(t)} r\};$  // add new transition
45      end
46    end
47  end
48  return  $L = \langle \mathcal{Q}, q_{start}, \mathcal{A}, \mathcal{L} \rangle;$  // return PLTS
49 end

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Algorithm 1: Algorithm to construct the PLTS