

ii  $\Pi_{Cname} \sigma_{courses.CID = S.CID} ($

$\left( \rho_s \left( \Pi_{Teaches.CID} \sigma_{Teacher.TID = Teaches.TID} (Teacher \times Teaches) \right. \right.$   
 $\quad \wedge Teacher.name = "PPC"$   
 $\left. \right) \times (courses)$

iii  $\Pi_{\text{Student.name}} \bowtie_{\text{Takes.roll} = \text{Student.roll}} ($

$(\Pi_{\text{roll}} \bowtie_{\text{Takes.CID} = \text{S.CID}} ($

$(\rho_S (\Pi_{\text{Teaches.CID}} \bowtie_{\text{Teacher.TID} = \text{Teaches.TID}} (\text{Teacher} \times \text{Teaches}$   
 $\wedge \text{Teacher.name} = \text{"PPC"}))$

$) \times \text{Takes})$

$) \times \text{Student})$

iii  $\Pi_{\text{Timings.time\_schedule}} \circ \text{slot} = \text{Timings.slot} ($   
 $\quad [ P_s ( \Pi_{\text{slot}} \circ \text{CLID} = "NC142" (\text{Teachers}) )$   
 $\quad ) \times \text{Timings} )$



iv)  $\Pi_{name} \sigma_{Student.roll = s.roll \wedge Takes.markes = s.max}$  (

$P_r (Takes.CID \text{ } g \text{ } P_{max}^{max(marks)} ($

$\Pi_{Takes.CID, roll, markes} \sigma_{S.CID = Takes.CID} ($

$( P_s ( \Pi_{Teaches.CID} \sigma_{Teacher.TID = Teaches.TID} (Teaches \times Teaches$   
 $\wedge Teacher.name = "PPC"$

$) \times Takes )$

$) ) \times Student \times Takes )$

$\underline{\underline{v/v}}$   $\Pi_{name} \sigma_{cnt = \max(cnt)} ($   
 $roll \ g \ COUNT(grades) ($   
 $\Pi_{roll, grades} \sigma_{grades = "EX"} (grade\_card)$   
 $) \text{ as } cnt$   
 $)$

Here,  $\max(cnt) = \left( \Pi_{\max(cnt)} (roll \ g \ COUNT(grades) ($   
 $\Pi_{roll, grades} \sigma_{grades = "EX"} (grade\_card)$   
 $) \text{ as } cnt) \right).$