

CS738: Advanced Compiler Optimizations

Pointer Analysis

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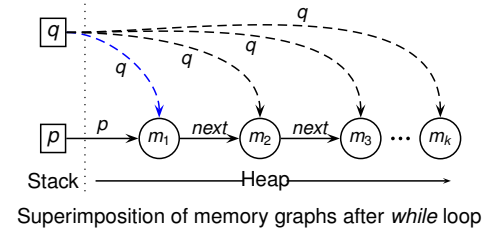
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Why Pointer Analysis?

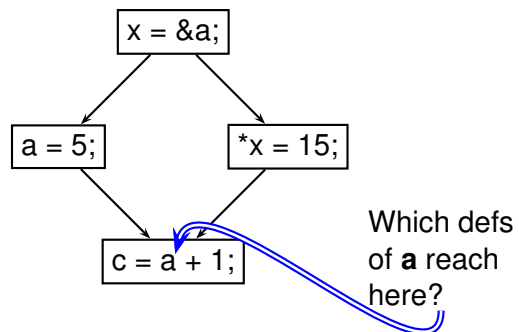
► Static analysis of pointers & references

```
S1. ...  
S2. q = p;  
S3. while (...) {  
S4.   q = q.next;  
S5. }  
S6. p.data = r1;  
S7. q.data = q.data + r2;  
S8. p.data = r1;  
S9. r3 = p.data + r2;  
S10. ...
```



p and q may be aliases statement S6 onwards.
Statement S8 **is not** redundant.

Why Pointer Analysis?



Reaching definitions analysis

Flow Sensitivity in Data Flow Analysis

► Flow Sensitive Analysis

- Order of execution: Determined by the semantics of language
- Point-specific information computed at each program point within a procedure
- A statement can “override” information computed by a previous statement
 - *Kill* component in the flow function

Flow Sensitivity in Data Flow Analysis

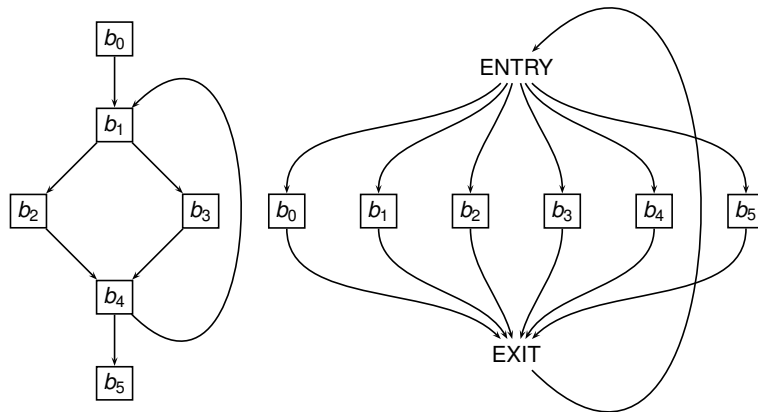
► Flow Insensitive Analysis

- Order of execution: Statements are assumed to execute in any order
- As a result, all the program points in a procedure receive identical data flow information.
 - “Summary” for the procedure
 - Safe approximation of flow-sensitive point-specific information for any point, for any given execution order
- A statement can not “override” information computed by another statement
 - NO Kill component in the flow function
 - If statement s kills some data flow information, there is an alternate path that excludes s

Examples of Flow Insensitive Analyses

- Type checking, Type inferencing
 - Compute/Verify type of a variable/expression
- Address taken analysis
 - Which variables have their addresses taken?
 - A very simple form of pointer analysis
- Side effects analysis
 - Does a procedure modify address / global variable / reference parameter / ... ?

Realizing Flow Insensitivity



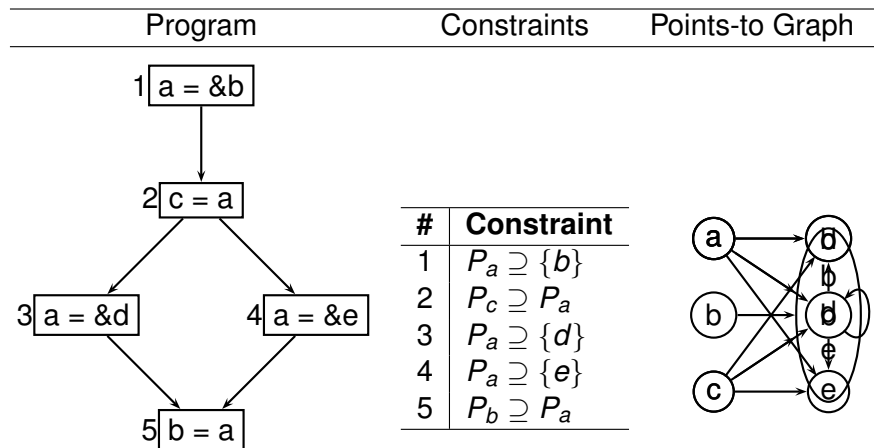
In practice, dependent constraints are collected in a global repository in one pass and solved independently

Alias Analysis vs. Points-to Analysis

	Points-to Analysis	Alias Analysis
	$x = \&a$	$x = a$
	x points-to a	x and a are aliases
	$x \rightarrow a$	$x \equiv a$
Reflexive?	No	Yes
Symmetric?	No	Yes
Transitive?	No	Must alias: Yes, May alias: No

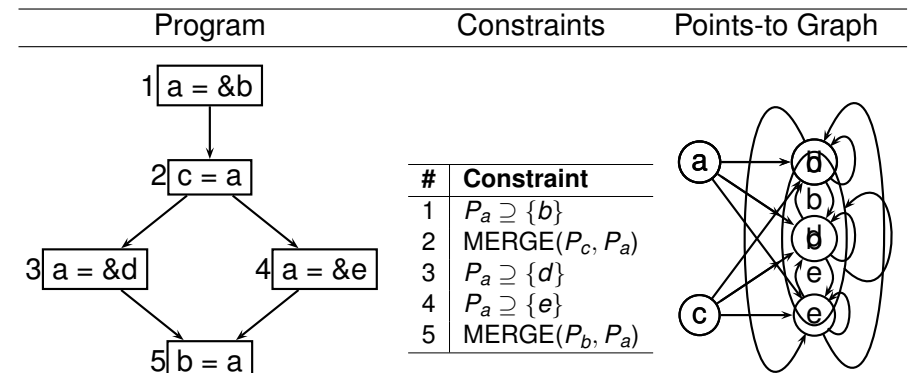
Andersen's Flow Insensitive Points-to Analysis

- ▶ Subset based analysis
- ▶ $P_{lhs} \supseteq P_{rhs}$

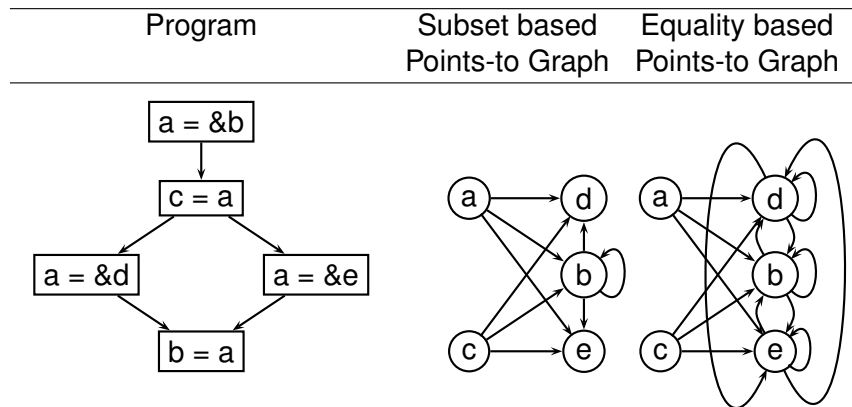


Steensgaard's Flow Insensitive Points-to Analysis

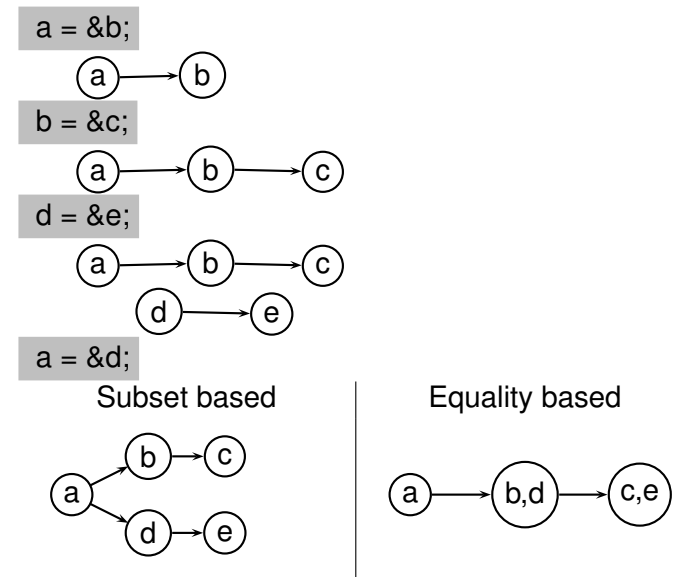
- ▶ Equality based analysis: $P_{lhs} \equiv P_{rhs}$
- ▶ Only one Points-to successor at any time, merge (potential) multiple successors



Comparing Anderson's and Steensgaard's Analyses



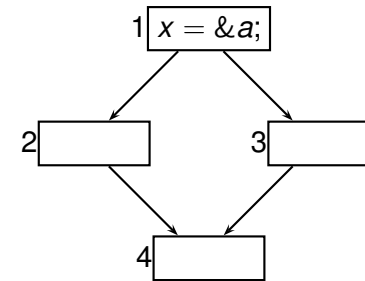
Comparing Anderson's and Steensgaard's Analyses



Pointer Indirection Constraints

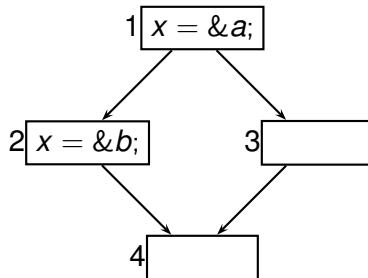
Stmt	Subset based	Equality based
$a = *b$	$P_a \supseteq P_c, \forall c \in P_b$	$\text{MERGE}(P_a, P_c), \forall c \in P_b$
$*a = b$	$P_c \supseteq P_b, \forall c \in P_a$	$\text{MERGE}(P_b, P_c), \forall c \in P_a$

Must Points-to Analysis



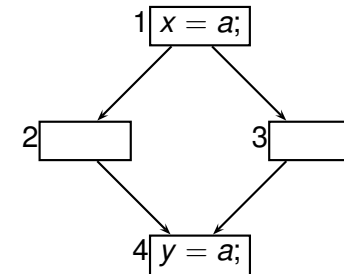
- ▶ x *definitely* points-to a at various points in the program
- ▶ $x \stackrel{D}{\rightarrow} a$

May Points-to Analysis



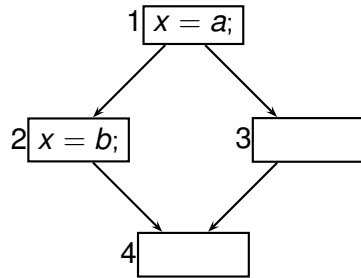
- ▶ At OUT of 2, x definitely points-to b
- ▶ At OUT of 3, x definitely points-to a
- ▶ At IN of 4, x *possibly* points-to a (or b)
 - ▶ $x \stackrel{P}{\rightarrow} \{a, b\}$

Must Alias Analysis



- ▶ x and a always refer to same memory location
- ▶ $x \stackrel{D}{\equiv} a$
- ▶ x, y and a refer to same location at OUT of 4.
- ▶ $x \stackrel{D}{\equiv} y \stackrel{D}{\equiv} a$

May Alias Analysis



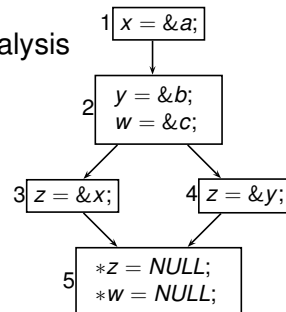
- ▶ At OUT of 2, x and b are must aliases
- ▶ At OUT of 3, x and a are must aliases
- ▶ At IN of 4, x can *possibly* be aliased with either a (or b)
 - ▶ $(x, a), (x, b)$
- ▶ If we say: (x, a, b) , Is it *Precise? Safe?*

Must Pointer Analysis

- ▶ Makes sense only for Flow Sensitive analysis
- ▶ Why?
- ▶ Must analysis \Rightarrow Flow sensitive analysis
- ▶ Flow insensitive analysis \Rightarrow May analysis
- ▶ Why?

Updating Information: When Can We Kill?

- ▶ Never if flow insensitive analysis
- ▶ For flow sensitive



- ▶ x, y may or may not get modified in 5: *Weak update*
- ▶ c definitely gets modified in 5: *Strong update*
- ▶ Must information is killed by Strong and Weak updates
- ▶ May information is killed only by Strong updates

Flow Functions for Points-to Analysis

- ▶ Basic statements for pointer manipulation
 - ▶ $x = y$
 - ▶ $x = \&y$
 - ▶ $x = *y$
 - ▶ $*x = y$
- ▶ Other statements can be rewritten in terms of above
 - ▶ $*x = *y \Rightarrow t = *y, *x = t$
 - ▶ $x = \text{NULL} \Rightarrow$ treat NULL as a special variable
- ▶ $OUT = IN - kill \cup gen$
 - ▶ with a twist!

Flow Function: $x = y$

$$\text{May}_{gen} = \{x \rightarrow p \mid y \rightarrow p \in \text{May}_{IN}\}$$

$$\text{May}_{kill} = \bigcup_{p \in \text{Vars}} \{x \rightarrow p\}$$

$$\text{Must}_{gen} = \{x \rightarrow p \mid y \rightarrow p \in \text{Must}_{IN}\}$$

$$\text{Must}_{kill} = \bigcup_{p \in \text{Vars}} \{x \rightarrow p\}$$

Flow Function: $x = \&y$

$$\text{May}_{gen} = \{x \rightarrow y\}$$

$$\text{May}_{kill} = \bigcup_{p \in \text{Vars}} \{x \rightarrow p\}$$

$$\text{Must}_{gen} = \{x \rightarrow y\}$$

$$\text{Must}_{kill} = \bigcup_{p \in \text{Vars}} \{x \rightarrow p\}$$

Flow Function: $x = *y$

$$\text{May}_{gen} = \{x \rightarrow p \mid y \rightarrow p' \in \text{May}_{IN} \text{ and } p' \rightarrow p \in \text{May}_{IN}\}$$

$$\text{May}_{kill} = \bigcup_{p \in \text{Vars}} \{x \rightarrow p\}$$

$$\text{Must}_{gen} = \{x \rightarrow p \mid y \rightarrow p' \in \text{Must}_{IN} \text{ and } p' \rightarrow p \in \text{Must}_{IN}\}$$

$$\text{Must}_{kill} = \bigcup_{p \in \text{Vars}} \{x \rightarrow p\}$$

Flow Function: $*x = y$

$$\text{May}_{gen} = \{p \rightarrow p' \mid x \rightarrow p \in \text{May}_{IN}, y \rightarrow p' \in \text{May}_{IN}\}$$

$$\text{May}_{kill} = \bigcup_{p' \in \text{Vars}} \{p \rightarrow p' \mid x \rightarrow p \in \text{Must}_{IN}\} \text{ (Strong update!!)}$$

$$\text{Must}_{gen} = \{p \rightarrow p' \mid x \rightarrow p \in \text{Must}_{IN}, y \rightarrow p' \in \text{Must}_{IN}\}$$

$$\text{Must}_{kill} = \bigcup_{p' \in \text{Vars}} \{p \rightarrow p' \mid x \rightarrow p \in \text{May}_{IN}\} \text{ (Weak update!!)}$$

Summarizing Flow Functions

- ▶ May Points-To analysis
 - ▶ A points-to pair should be removed only if it must be removed along all paths
 - ▶ \Rightarrow should remove only strong updates
 - ▶ \Rightarrow should kill using Must Points-To information
- ▶ Must Points-To analysis
 - ▶ A points-to pair should be removed if it can be removed along some path
 - ▶ \Rightarrow should remove all weak updates
 - ▶ \Rightarrow should kill using May Points-To information
- ▶ Must Points-To \subseteq May Points-To

Safe Approximations for May and Must Points-to

- ▶ A pointer variable

	May	Must
Points-to	points to every possible location	points to nothing
Alias	aliased to every other pointer variable	only to itself

Non-Distributivity of Points-to Analysis

