Please construct context-free grammars **without ε-productions** from the following languages (10%).

- a) $\{\omega | \omega \in (a,b,c)^* \text{ and the numbers of a's and b's and c's occurred in } \}$
- ω are **even**}
- b) $\{a^ib^j|i\geq(2j+1) \text{ and } j\geq 0\}$
- c) $\{\omega | \omega \in (a,b,c)^* \text{ and the numbers of a's and b's occurred in } \omega \text{ are } \mathbf{odd} \}$
- d) $\{a^ib^j|i≥(j+1) \text{ and } j≥0\}$
- e) $\{\omega | \omega \in (a,b,c)^*$, ω is **lead by a** and the numbers of a's and b's occurred in ω are **even** $\}$
- f) $\{a^{2i}b^{2j}|j \ge i \ge 1\}$
- g) $\{\omega | \omega \in (a,b,c)^* \text{ and } \omega \text{ starts with a and ends with b, the numbers}$ of a's and c's occurred in ω are even $\}$
- h) $\{a^ib^jc^k|\mathbf{j}\geq(\mathbf{i}+\mathbf{k}+\mathbf{1}) \text{ and } \mathbf{i}\geq\mathbf{0}, \mathbf{k}\geq\mathbf{1}\}$
- j) $\{\omega | \omega \in (a,b,c)^* \text{ and } \omega \text{ starts with a or b, ends with c, and the numbers of a's and b's and c's occurred in <math>\omega$ are **even** $\}$

k) $a^{2i-1}b^{2j-1}c^{2k-1}$ ($i\ge 1, j\ge i+k, k\ge 1$)