

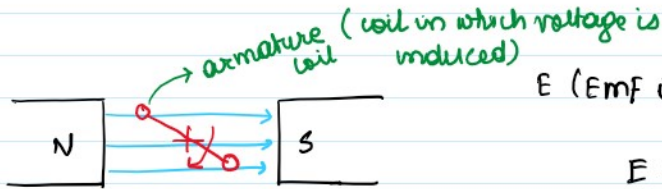
Lecture 39

Monday, August 2, 2021 10:35 AM

DC machines - Electromechanical Energy conversion

Commutator
Brushes
wave windings
lap windings

shunt machines
series machines
separately excited machines

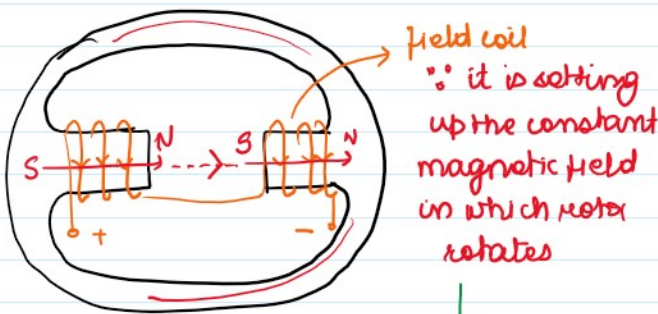


$$E \text{ (EMF induced)} = (\vec{v} \times \vec{B}) \cdot \vec{l}$$

$$E = 2BLv \cos \theta \leftarrow \text{position of the coil}$$

when current was injected in the loop then,

$$\tau = BIl \sin \theta$$



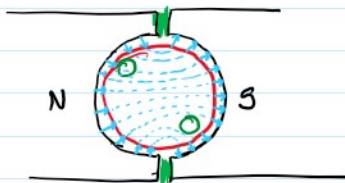
setup constant magnetic field that is created by injecting DC current

and also was sinusoidally varying

sinusoidally varying quantity on the rotor

For DC machines we want DC quantity on the rotor

How do we get this?

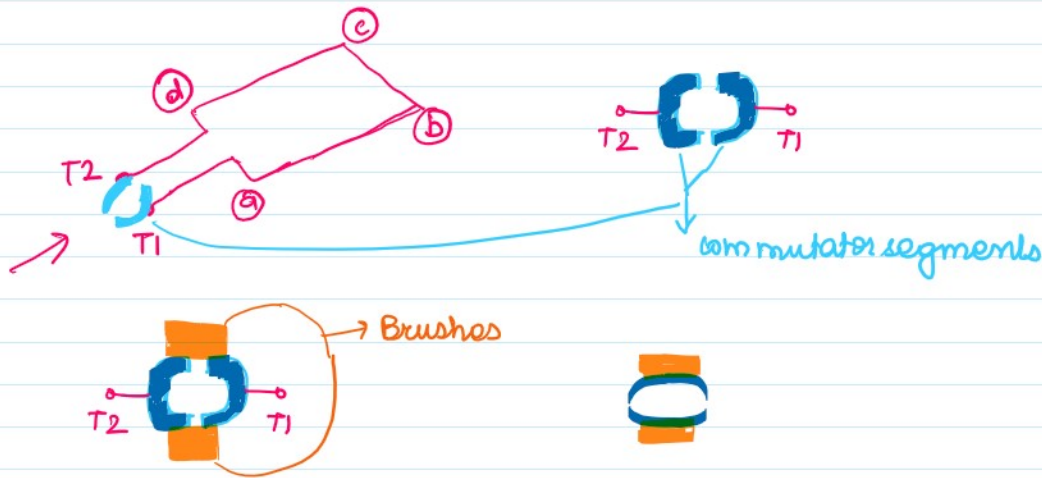


- The magnetic poles on the field coil and structure of the rotor are circular (3D - cylindrical)

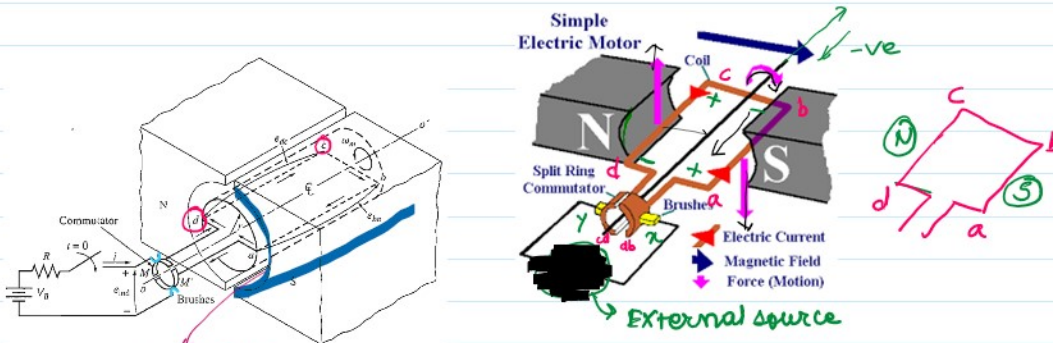
- field is perpendicular to pole face & rotor and goes through the air gap



Commutator along brushes [Rectifiers \rightarrow AC to DC]
 \downarrow
 mechanical rectifiers



Commutator + Brushes = Rectification Action



pole face

$$E = (\vec{v} \times \vec{B}) \cdot \vec{L}$$

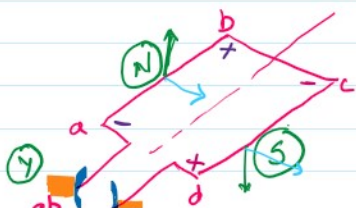
$$E_{cd} = BLV$$

$$E_{bc} = 0$$

$$E_{ab} = (\vec{v} \times \vec{B}) \cdot \vec{L} = -BLV$$

Brushes	polarity of brushes	polarity of commutator segments
x	+ve	ab - (2) - +ve
y	-ve	cd - y - -ve

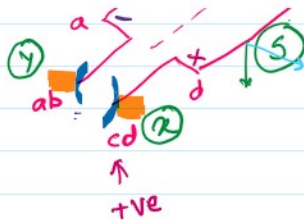
Brushes are fixed (they cannot rotate/move)
 commutator segments are moving



180° rotation

Brushes	polarity of brushes
x	+ve
y	-ve

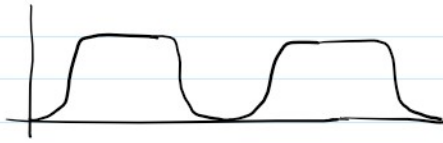
polarity of commutator segments
cd - (2) - +ve potential
ab - y - -ve potential



$$\begin{matrix} x & +ve \\ y & -ve \end{matrix} \}$$

$$\begin{matrix} ca & - & (x) & - & +ve \text{ potential} \\ ab & - & (y) & - & -ve \text{ potential} \end{matrix}$$

dc signal coming out of the brushes.



average of this
is dc value

$$E = 2BLV \leftarrow$$

$$B = \Phi/A$$

we have two magnetic poles which ^{are} cylindrical

cross section is circular $A_c = \pi r^2$

The armature is cylindrical also the field coils have cylindrical there is very small air gap

$$\text{the surface of the field coil} = 2\pi r l$$

length of the coil
radius of the pole face

$$\text{the area per pole} = \frac{2\pi r l}{2}$$

$$A_p = \frac{2\pi r l}{P}$$

radius of the rotor

\therefore air gap is small

$$R = 10 \text{ cm}$$

$$l_g = 2 \text{ mm}$$

$$E = 2BLV$$

$$B = \Phi_p / A_p$$

$$\Phi_p = A_p B$$

$$E = 2 \cdot l \cdot r \cdot \omega \cdot B$$

$$= 2 l r \omega \cdot \left(\frac{2\pi}{2\pi} \right) \cdot \frac{P}{P} \cdot B \quad V = \epsilon \omega$$

$$= 2 \cdot \left(\frac{2\pi r l}{P} \right) \cdot \frac{P}{2\pi} \cdot B \cdot \omega$$

$$= 2 \cdot \left(\frac{P}{2\pi} \right) \omega \cdot \left(\frac{2\pi r l}{P} \right) B \rightarrow \Phi_p = \text{flux per pole}$$

$$E = 2 \cdot \left(\frac{P}{2\pi} \right) \omega \cdot \Phi_p$$

$$E = \frac{Z \cdot P}{2\pi} \Phi_p \omega$$

$$E = k' \Phi_p \omega$$

Φ_p - flux per pole
 ω - speed of rotation
 k' - geometry

$$\tau = B \Sigma l$$

$$\rightarrow \tau = k \Phi_p I$$

k - geometry
 Φ_p flux per pole
 I - current