Y8	UNIT 7 Ratio and Proportion Lesson	Plan 1	Equivalent Ratios	
Activity			Notes	
1	Revising fractions			
	T: It's a long time since we looked at fractions Can you see any equivalent fractions here? (T writes	on BB):	Mental work as a warm-up activity and revision.	
		$=\frac{2}{4}=\frac{5}{10}$)	T asks, Ps answer, T agrees, praises and writes equivalent	
	T: How do we know they have the same value? What is (The value of a fraction stays the same if we multiply both its numerator and its denominator by the same number)	or divide	fractions on BB.	
	T: Which of the three equivalent fractions is in the simp	lest form? $(\frac{1}{2})$		
	T: Are there any other sets of equivalent fractions here? $(\frac{4}{3} = \frac{8}{6} = \frac{12}{9}, \text{ with } \frac{4}{3} \text{ being the simple})$	2		
	T: We still have two fractions left are they in their sin			
	T: Let's simplify them. $(\frac{6}{10} = \frac{3}{5}, \frac{9}{15} = \frac{3}{5}, \text{ so})$	$\frac{6}{10} = \frac{9}{15}$		
	5 mins			
2	Introducing equivalent ratios T: Anti-freeze has to be mixed with water before being pengine. The ratio of anti-freeze to water depends on the temperature that will be experienced. What can you stable of mixes below?	Whole class activity, introducing equivalent ratios with questions and answers, interactively.		
	Amount of Anti-freeze Amount of Water (litres) (litres)		Table appears on OHP.	
	1 1.5			
	2 3			
	0.5			
	4 6			
	Ps: This table must be for the same expected temperature			
	T: Why do you say that?			
	P: Mixing 1 litre of anti-freeze with 1.5 litres of water g same concentration as mixing 2 litres of anti-freeze w of water.			
	T: That's right. We say that the ratios 2:3 and 1:1.5, are two ratios in the table, are equivalent ratios (writes or	Praising wherever possible.		
	1:1.5=2:3=4:6=0.5:0.75			
	What do you notice? P: We can find ratios equivalent to other ratios by multipulation dividing both sides by the same number.	olying/		
	T: Have you met this before?			
	Ps: With equivalent fractions!			
	11			

11 mins

Y8	UNIT 7 Ratio and Proportion Lesson Plan 1	Equivalent Ratios
Activity		Notes
3	Equivalent ratios and simplest forms of ratios T: You can see some ratios on BB. Find equivalent ones. 2:7 10:4 4:14 1:3 20:8 10:30 1:3.5 4:12 7:2 P ₁ (writes): 2:7 = 4:14 if we multiply both sides by 2, and (writes): = 1:3.5 if we divide both sides by 2. T: And what about 7:2?	Whole class activity. T writes ratios on BB, then asks Ps to come to BB to write equivalent ratios and give reasons for their choices.
	 P₁: That is not the same. T: Why? P₁:? T: Do you get the same drink if you mix 2 units of orange squash with 7 units of water as if you mix 7 units of squash with 2 units of water? Which would you prefer to drink? The order the 	Discussion, agreement, praising, Ps write in Ex.Bs.
	numbers are written in is crucial when working with ratios, so you must be very careful. P ₂ : 1:3 = 10:30 = 4:12 (with explanation) T: Which of these ratios is the simplest one? Ps 1:3 T: And which is the simplest from the previous set? Ps: 1:3.5 or 2:7 P ₃ : 20:8 = 10:4 (with explanation) T: Is 10:4 the simplest form of this ratio?	T introduces the concept of the simplest form of a ratio. Debate among Ps, then agreement that the simplest form of a ratio is when it is written with the lowest possible pair of whole numbers.
	 Ps: No! T: What divisor would you suggest we use to get the simplest form of the ratio 20:8? Ps: The number 4 ⇒ 5:2. T: What is the 4 in relation to the numbers 20 and 8? Ps: It is their highest common factor. T: So what can we say now? Ps: The process of finding the simplest form of a ratio is the same as the process of finding the simplest form of a fraction. 	Praising.
4	Practice simplifying ratios T: I've talked too much in this lesson! Now it's your turn. Simplify these ratios, explaining your answers: OS 7.1 (a) 4:8 = 1:2 (b) 5:20 = 1:4 (c) 9:45 = 1:5 (d) 25:40 = 5:8 (e) 8:36 = 2:9 (f) 6:21 = 2:7 (g) 11:44 = 1:4	Whole class activity. Task appears on OHP. Ps volunteer (T encouraging slower ones) to come to front, write solution on BB and explain it. Others agree/correct and write solution in their Ex.Bs, after agreement. T praises.

Y8	UNIT 7 Ratio and Proportion Lesson Plan 1	Equivalent Ratios
Activity		Notes
5	Individual practice PB 7.1, Q1 (a), (d), (e), (g), (j), (k) T: 2:6 Ps: dividing both sides by $2 \rightarrow 1:3$ 6:2 by $2 \rightarrow 3:1$ 24:4 by $4 \rightarrow 6:1$ 14:21 by $7 \rightarrow 2:3$ 80:100 by $20 \rightarrow 4:5$ 18:24 by $6 \rightarrow 3:4$	Individual work, monitored, helped. Verbal checking: one P saying the divisor and the simplest form and the others agreeing or correcting. Feedback, self-correction. Praising.
6	 Introducing 1: n and n: 1 T: We said earlier that either 1: 3.5 or 2: 7 could be given as the simplest form of the ratio 4: 14. For some purposes it's best to reduce the numbers to the form 1: n or n: 1 by dividing both numbers by either the left hand side or the right hand side number. T: For example, what will be the divisor if we are to reach the form 1: n for the ratio 4: 5? (The divisor will be 4 and the ratio will be 1: 1.25) T: And if we are to reach the form n: 1 for the same ratio? (The divisor will be 5, and the ratio will be 0.8: 1) T: It is useful to be able to find both forms, as either one can be used as the unit in a problem. OS 7.2 	Whole class activity. Introducing the forms 1 : <i>n</i> and <i>n</i> : 1 of a ratio.
	(a) 2:10 = 1:5 T: Can you also give the n: 1 form of the ratio? Ps: 0.2: 1, by dividing both sides by 10. (b) 5:70 = 1:14 T: What is the n: 1 form of this ratio? Ps: 1/14: 1 T: That doesn't seem very friendly, does it? (c) 5:9 = 1:1.8 (d) 10:11 = 1:1.1 (e) 10:42 = 1:4.2 (f) 5:3 = 1:0.6 (g) 4:3 = 1:0.75	Task appears on OHP. T points to a volunteer P to answer. T agrees/waits for correction, praises and writes ratio on OS, Ps write in Ex.Bs. For questions (a) and (b), T can also ask for the <i>n</i> : 1 forms of the ratios.
7	Practice with ratios PB 7.1, Q2 (a), (c), (g) PB 7.1, Q3 (a), (f) Solutions: Q2 (a) 2:5 = 1:2.5 (c) 10:35 = 1:3.5 (d) 6:9 = 1:1.5 Q3 (a) 24:3 = 8:1 (f) 6:5 = 1.2:1	Individual work, monitored, helped. Checking: solutions appear on OHP or T writes them on BB; Ps check their work. Feedback, self-correction. Praising. Discussion if necessary.

Y8	UNIT 7	Ratio and Proportion	Lesson Plan 1	Equivalent Ratios
Activity	Set homework PB 7.1, Q1 (b), PB 7.1, Q2 (d), PB 7.1, Q3 (c), PB 7.1, Q4	, (f), (h), (l) , (h)		Notes

Y8	UNIT 7 Ratio and Proportion Lesson Plan 2	Map Scales
Activity		Notes
1	Checking homework	
1A	PB 7.1, Q1 (b) $4:20=1:5$ (f) $30:25=6:5$ (h) $15:60=1:4$ (l) $22:77=2:7$ PB 7.1, Q2 (d) $2:17=1:8.5$ (h) $15:12=1:0.8$ PB 7.1, Q3 (c) $7:10=0.7:1$ (e) $18:5=3.6:1$ For Q2 (h): P_1 (writing division $12 \div 15$ at BB): $12 \div 15=0.8$ so $15:12=1:0.8$	T has asked a P to write solutions to Q1-3 on BB as soon as P arrives. Other Ps check their work, self-correct or suggest correction on BB. Agreement. Feedback with reasoning at BB if necessary (e.g. for Q2 (h)).
	P ₂ (giving an alternative method):	Praising.
	15: 12 = 1: $\frac{12}{15}$ = 1: $\frac{4}{5}$ = 1: 0.8 PB 7.1, Q4 600 ml: 900 ml = 2: 3	Finally, verbal checking of Q4. Agreement, feedback, self-correction. Praising.
2	Repeating concept of simplest form and 1: n and n: 1 forms PB 7.1, Q5 T (writes on BB):	Mental work, repeating the concept of these forms of ratio. T reads out text, may write the
	10 shovels of cement, 25 shovels of sand	amounts of cement and sand on BB, gives short time for thinking,
	P ₁ : To reach the simplest form we have to divide both sides by the HCF of the LHS and RHS, which in this example, is 5. $10: 25 = 2: 5$ P ₂ : To reach the form $1: n$ we have to divide both sides by the LHS, which is 10 . $10: 25 = 1: 2.5$ P ₃ : To reach the form $n: 1$ we have to divide both sides by the RHS, here 25 . $10: 25 = \frac{10}{25}: 1 = 0.4: 1$	then points to slower Ps to answer, with explanations. Stronger Ps may held with explanation. T writes solutions on BB and praises. (Before they answer, T reminds Ps of the importance of the order; here, cement to sand.)
2		
3	Further work with ratios T: So far we've been simplifying ratios. Now let's do the opposite, by completing the following ratios: T: 1:3 = 4:x Ps: x = 12	Whole class activity.
	1: $5 = 5 : x$ 1: $4 = x : 20$ 2: $5 = 8 : x$ 5: $4 = x : 24$ 4: $6 = 6 : x$ x = 25 x = 5 x = 20 x = 30 x = 9 (by multiplying both sides by 1.5)	Questions appear on OHP. T asks, points to a volunteer P to answer and also explain, agrees/waits for correction, then praises. Ps write in Ex.Bs. The final two questions might be best suited to stronger Ps.
	T: Can you suggest another way of dealing with this last ratio? (Simplifying 4: 6 into 2: 3, then multiplying both sides by 3)	oest suited to stronger 1 s.
	T: $21:28 = 24:x$ Ps: ?	
	T: Think about the previous one! $(21:28 = 3:4 = 24:32)$ T: $30:18 = x:21$ Ps: $x = 35$ T: Explain why. $(30:18 = 5:3 = 35:21)$	
	18 mins	_

Y8	UNIT 7 Ratio and Proportion Lesson Plan 2	Map Scales
Activity		Notes
4	(1) Find the unknown side in each ratio. (a) $1:4=3:x$	Individual work, monitored, helped. Task appears on OHP. Checking: answers for task (1) appear on OHP; task (2) is checked verbally with discussion. (If necessary, Q1 (d) and (e) can be worked through in detail at BB.)
	(2) In a school, the ratio of teachers to pupils is 3 : 40. How many teachers are there in the school if there are 400 pupils? (3 : 40 = 30 : 400 ⇒ 30 teachers)	Self-correction, feedback. Praising.
5	Using ratios with map scales T: Can you remember where we met ratios earlier this year? (Looking at maps and plans) T: Give me some scales/ratios that we see on maps. (1:50 000, 1:100 000,)	Whole class activity.
	 OS 7.3 P₁: 1: 20 000 means that 1 cm on the map represents an actual distance of 200 000 cm = 2000m = 2 km. P₂: Since 1: 200 000 = 20: 4 000 000, 20 cm represents 40 km. P₃: 1 cm: 2 km = x: 600 km, so x = 300 cm = 3 m. T: This would be quite a large map! 	Task appears on OHP. Discussion about how to use the scale as a ratio to find an unknown distance, either on the map or in reality. T guides Ps to solution and writes on OS, Ps write in Ex.Bs.
6	Calculating distances on maps, using ratios	
	T: A map has a scale of 1:500 000. (a) Calculate the actual distances, in km, that are represented by the following lengths on the map: 3 cm (15 km) 1.2 cm (6 km) 14 cm (70 km) (b) What are the distances on the map, in cm, if the actual distances are: 50 km (10 cm) 42 km (8.4 cm) 90 km (16 cm)	Whole class activity. Task appears on OHP, or T reads it out and writes data on BB. Ps come to BB to give solutions and explanations. T encourages slower Ps, agrees, praises.
	38 mins	
7	Practice PB 7.1, Q8 ((a) 1 km (b) 4.5 km (c) 15 km) PB 7.1, Q9 (1 cm on map = 2 km, 60 km = 30 cm on map) 45 mins	Individual work, monitored, helped. Checking at BB: volunteer Ps write solution, others agree or suggest correction. Self-correction, feedback. Praising.
	Set homework Activity 7.1, omitting Extension	Each P is given a copy of Activity 7.1.

Y8	UNIT 7 Ratio and Proportion Lesson Plan 3	Direct Proportion
Activity		Notes
1	Introducing 'direct proportion' and checking homework T: If a can of cola costs 40p, what is the cost of:	Whole class activity. Introducing direct proportion and
	T: 2 cans 5 cans £2.00 10 cans £4.00 11 cans £4.40 T: Good. We can see that, for example, double the number of cans costs double the price. We say that the total cost of the cans increases proportionally with their number. T: Can you think of examples of proportionality in real life? Ps: e.g litres of petrol and their price - the number of maths PBs and their mass - the number of km travelled and the time taken driving at a constant speed. T: Did you find that the volume of drink was directly proportional to the price in your homework?	checking homework at the same time. Questions/answers, sometimes in chorus, interactively. Praising, wherever possible.
	 Ps: No! T: Why? Ps: Because selling food is about making a profit. T: And what about the cost of petrol? Ps: ? T: The area of petrol sales is a huge and complicated business. Let's go back to the 'Sunny Delight' example in your homework. What is the price per 100 ml in each size? P₁: For the 200 ml size, we have to divide the price by 2 to get the cost of 100 ml → 13p. P₂: For the 500 ml size → 10p. P₃: For the 1500 ml size → 8p. P₄: For the 3000 ml size → 7p. 	Verbal checking of Q2 of Activity 7.1 (homework) with Ps giving the ways to get the results. Agreement, feedback, self- correction. Praising.
	P ₅ : 500 ml size \rightarrow 13p \times 5 = 65p 1500 ml size \rightarrow 13p \times 15 = £1.95 300 ml size \rightarrow 13p \times 30 = £3.90 P ₆ : 200 ml size \rightarrow 7p \times 2 = 14p	A volunteer P comes to BB to show what the calculations for prices of each size would be if they were in the ratio of the 200 ml size. After agreement and feedback, T
	500 ml size \rightarrow 7p \times 5 = 35p 1500 ml size \rightarrow 7p \times 15 = £1.05	asks a slower P who did not manage the homework, to show the calculations using the price for the 3000 ml size drink. Agreement, feedback, self-correction. Praising.
2	Further examples of direct proportion - mental work T: Let's look at some more examples of direct proportion. T: 1 litre of petrol costs 83p. How much will you pay for: 2 litres (£1.66)	Mental work, using real-life examples, to check that Ps have understood the concept of direct proportion.
(continued)	10 litres $(£8.30)$ 20 litres $(£16.60)$	

Y8	UNIT 7 Ratio and Proportion Lesson Plan 3	Direct Proportion
Activity		Notes
2 (continued)	T: The mass of a cube of 1 m side length, made from iron, is 8 kg. Calculate the mass of a cube of side length: 2 m (16 kg) 10 m (80 kg) 1.5 m (12 kg)	
	T: If baby Jemma has 6 teeth at the age of 1 year, how many teeth will she have at the age of: 2 years (12 or ?) 3 years (18 or ?) 10 years (?) T: I drop a pebble into a deep well. During the first minute, it falls 5 m. How far will it fall during the first two minutes?	T also gives examples of pairs of things (here, ages-teeth) which are not in direct proportion to each other. T waits for Ps to realise that this is <i>not</i> an example of direct proportion This example is more serious, and can lead to interesting
	(Direct proportion does not apply here because we have to take into account the acceleration caused by gravity)	discussion.
3	Practice with direct proportion	Whole class activity.
	OS 7.4, Q2	·
	P_2 (writes and explains): If 500 balls cost £60, 1 ball costs £60 ÷ 500 = 6000p ÷ 500 = 60p ÷ 5 = 12p	Task appears on OHP. Volunteer P is given Q2 and
	and 800 balls cost $12p \times 800 = 9600p = £9.60$.	shows the calculation. Agreement, praising, Ps write in
	n balls cost $12p \times n = 12n$ pence	Ex.Bs.
	OS 7.4, Q1	
	P_1 : 20 calculators $\rightarrow £170$	Now a slower P is encouraged to
	$1 \text{ calculator} \rightarrow £170 \div 20 = £8.50$	show the calculation for Q1.
	7 calculators \rightarrow £8.50 \times 7 = £59.50	Agreement. Praising.
4	Individual work with direct proportion	To dividual areals are witness d
7	PB 7.2, Q1 (a)	Individual work, monitored, helped.
	PB 7.2, Q2 (a)	Checking at BB with Ps writing
	P_1 : 5 tickets $\rightarrow £40$	down and explaining the solution
	$1 \text{ ticket} \rightarrow £40 \div 5 = £8$	Agreement, feedback, self-correction. Praising.
	6 tickets $\rightarrow £8 \times 6 = £48$	
	So 6 tickets for a play cost £48.	T asks Ps to convert the result to
	P_2 : 3 glasses \rightarrow 600 ml water	litres, and reminds the class to
	$1 \text{ glass} \rightarrow 600 \text{ ml} \div 3 = 200 \text{ ml}$	answer the question in context,
	$5 \text{ glasses} \rightarrow 200 \text{ ml} \times 5 = 1000 \text{ ml} = 1 \text{ litre}$	with a whole sentence.
	So to make 5 glasses of orange squash you need 1 litre of water.	A montal acception for 11
	T: In question 1, if we had to find the cost of 15 tickets, would we need to find the cost of one ticket, or is there a quicker method? (Since 15 is 3 times 5, we would only have to multiply the price for 5 tickets by 3, to get £120)	A mental question follows. Answering, agreeing, praising.
	33 mins	

Y8	UNIT 7	Ratio an Proporti	d on	Lesson Plan 3	Direct Proportion
Activity 5	Practical work Activity 7.2	using proportion	n		Notes Whole class activity/individual work.
	Size A4 A5 A6 A7 A8 A9 A10	Width (mm) 297 210 148 105 74 52 37	Length (mm) 210 148 105 74 52 37 26	Ratio of W: L 1: 1.4 1: 1.4 1: 1.4 1: 1.4 1: 1.4 1: 1.4 1: 1.4 1: 1.4	Activity 7.2 on A4 paper, one to read and one to cut into parts as required in Q2. First, T asks Ps to read as far as the end of Q2. Then Ps discuss together how to proceed. Next, using rulers, Ps mark one of their sheets as shown on the figure. Then they make an 8 × 3 table, measure the width and length of the A4 - A10 sizes, to the nearest mm, and write them in pencil on their table. Ps work individually, T monitors their work, helping where necessary. T also prepares a table on BB and, after Ps have finished their tables, T asks the widths and lengths. Because Ps'measurements will probably differ slightly, T asks them to agree on the lowest common values → Ps correct the data in their table. Individual work follows, i.e. Q3. T asks Ps to complete their table with a fourth column and use their calculator to write the ratios of width: length in 1: n form, correcting n to 1 d.p. Verbal checking, agreement, self-correction. Praising.
	Set homework (1) PB 7.2, Q	1 (c) 3 (c) 4 (a)-(c) .2, Q4 ger Ps: Explain		on between the ratios Q4 of Activity 7.2.	

Y8	UNIT 7 Ratio and Proportion Lesson Plan 4	Proportional Division
Activity		Notes
1	Checking homework (1) PB 7.2, Q1 (c) £40 × 4 = £160 PB 7.2, Q3 (c) £8.20 × 3 = £24.60 PB 7.2, Q4 1800 g ÷ 3 = 600 g PB 7.2, Q4 (a) 600 g × 2 = 1200 g = 1.2 kg PB 7.2, Q4 (b) 600 g × 17 = 4200 g = 4.2 kg PB 7.2, Q4 (c) 600 g × 24 = 14400 g = 14.4 kg (2) and (3) Astirity 7.2, Q4 and entry a greating	Verbal checking of homework, with explanations. T also asks which Ps have deduced the answers for Q1 (c) and Q3 (c) directly, without calculating the cost for one unit. Agreement, feedback, self-correction. Praising.
	(2) and (3) Activity 7.2, Q4 and extra question	Verbal checking of Q4 of Activity 7.4, then stronger Ps try to explain the connection. $(1.4^2 \approx 2$, maybe the actual ratios of Q3 are $1 : \sqrt{2}$?) If not, T leads them to the solution. Praising.
2	6 mins Introduction to proportional division	
_	(1) Tim is 3 years old and his brother, Tom, is 7. They both like mint sweets. The day before yesterday they shared a whole box of mints. Tim ate 3 and Tom ate 7. How many mints were in the full box? (10 mints)	Whole class activity/mental work. Questions are read out by T. T takes Ps through 3 steps (questions), introducing the idea
	(2) Yesterday the brothers divided a cake into 10 equal slices and ate it all, again in the proportion of their ages. How many slices did they each eat? (<i>Tim ate 3 and Tom ate 7</i>) How many grams of cake did they each eat, if the whole cake weighed 1000 grams? (<i>One slice</i> → 1000 g ÷ 10 = 100 g 3 slices → 100 g × 3 = 300 g 7 slices → 100 g × 7 = 700 g)	of dividing something proportionally. T encourages slower Ps to answer. Agreement. Praising.
	(3) Today they've decided to buy some sweets from the shop. Their mother has given them £4. How much can they each spend if they divide the money in the ratio of their ages?	
	(3 + 7 = 10) £4 ÷ 10 = 40p Tim can spend 40p × 3 = £1.20 Tom can spend 40p × 7 = £2.80)	
3	Practising and checking proportional division	Whole class activity.
3	Practising and checking proportional division OS 7.5 (A) $P_1: 9+5=14$ $\pounds 70 \div 14 = \pounds 5$ $Joshua's share is £9 × 5 = £45.$	Questions appear on OHP. Volunteer P comes to front to explain and show solution. Other Ps listen attentively, correcting if necessary, and write in Ex.Bs.
(continued)	Mary's share is £5 \times 5 = £25.	Short discussion follows, about methods of checking.

Y8	UNIT 7 Ratio and Proportion Lesson Plan 4	Proportional Division
Activity		Notes
3 (continued)	 T: How can you check your answer? P₂: We have to see if £45: £25 is in the same ratio as 9:5. T: Is it? P₃: Dividing both sides by 5, we can see that the ratios are the same. T: What else can we do to check? P₄: We can see if the shares add up to the total. T: Do they? P₅: £45 + £25 = £70, so 'Yes'. 	Praising.
	21 mins	
4	Practice dividing by ratios PB 7.3, Q1 (a), (c) PB 7.3, Q3	Individual work, monitored, helped.
	e.g: Q1 (a) P_1 : 2 + 3 = 5 £50 ÷ 5 = £10 So the shares are $2 \times £10 = £20$ and $3 \times £10 = £30$	Verbal checking of Q1 (a) and (c), as in the previous questions; for Q3 a slower P is encouraged to write the solution in detail on BB.
	P ₂ : The ratio 20 : 30, dividing its sides by 10, is the same as the ratio 2 : 3, and £20 + £30 = £50. 29 mins	Agreement, feedback, self-correction. Praising.
5	Ratios with more than two parts T: Can you imagine a ratio with 3 or more parts? Ps: ? T: Tim, Tom and Tam are brothers. Tim has £10, Tom has £20 and Tam has £30. Write down the money they have as a ratio. (10: 20: 30)	Whole class activity/mental work, to introduce ratios in three of more things (also revising parts of other topics).
	 T: Can you simplify this? (Dividing all parts by 10 → 1:2:3) T: Three angles are α = 60°, β = 80°, χ = 80°. Write them as a ratio, and them simplify the ratio. (60:80:80 = 6:8:8) T: Can these be the angles of a triangle? 	T asks volunteer P to write the solution on BB.
	(No, since the angles of a triangle add up to 180°; these angles are 60°+80°+80°=220°)	Solution also appears on BB.
	T: The lengths of the sides of a quadrilateral are 4 cm, 4 cm, 6 cm and 6 cm. Find their ratio and simplify it. (4:4:6:6 = 2:2:3:3)	The final two questions are perhaps for stronger Ps only.
	T: What type of quadrilateral can it be? (Since it has two pairs of equal sides, it can be a rectangle or a kite)	
	T: If the sides were listed in order in the question, what type of quadrilateral must it be? (For a rectangle, the opposite sides are equal, while a kite has two pairs of adjacent sides equal. This must be a kite)	Agreement, praising (sketching quadrilaterals on BB if necessary.)
	36 mins	

Y8	UNIT 7 Ra	tio and oportion	Lesson Plan 4	Proportional Division
Activity				Notes
6	Further practice with OS 7.5 (B) P_1 : 2 + 7 + 9 = 18 $90 \div 18 = 5$ Hannah's share is 2 Ben's share is 7 × 3 Emma's share is 9 P_2 (checking): 10 : 35 and 10 + 3	$2 \times 5 = 10$ sweets 5 = 35 sweets $\times 5 = 45$ sweets		Whole class activity. Task appears on OHP. T points to a P to read out the text, another P (encouraged, helped) shows solution with help of OS, and third P checks solution. All Ps listen attentively, T agrees, praises, Ps write in Ex.Bs.
7	Further practice with			Individual work, monitored,
	6 5 1 Q6 1 £ Si	$0 \div 12 = £5$ $2 \times £5 = £30$ $\times £5 = £25$ $\times £5 = £5$ $0 + 11 + 9 = 30$ $300 \div 30 = £10$	< £10 = £110	helped. After 4 minutes, solution appears on OHP. Ps check and correct their work. Feedback. Praising.
	PB 7.3, Q8 (a)			

Y8	UNIT 7 Ratio and Proportion	Lesson Plan 5	Linear Conversion
Activity			Notes
1	PB 7.3, Q2 (b) (£2 PB 7.3, Q4 (36 PB 7.3, Q8 (a) P (at BB): 1 + 1 + 2 = 4	0, £80) 7, £36, £45) ml, 180 ml)	Verbal checking of the first 3 questions, then Q8 checked in detail at BB to review method of dividing to find ratios. The P chosen to do this should be one who made mistakes in the previous questions.
	200 ml \div 4 = 50 ml blue paint: 1×50 ml = 5 red paint: 1×50 ml = 5 yellow paint: 2×50 ml = 1	0 ml	Feedback, self-correction. Praising.
2	Revision, and introduction to linear conversion T: So far in this unit we've dealt with ratios. When does the ratio of two things remain the same? (When the two things change proportionally to each other) T: What is meant by 'changing proportionally'? (For example, if one of the things is doubled, the other must be doubled as well)		Whole class activity and mental work, reviewing the concept of direct proportion and introducing linear conversion with an example.
	T: We call it direct proportion, or we can say linear proportion, we'll find out more about that in a minute		
	T: Are conversions between different units (such as money, weight and distance) in direct proportion to each other? (Yes) T: For example, taking one foot to be approximately 30 cm, convert to cm:		
	T: 2 feet Ps: 3 feet 4 feet half a foot	60 cm 90 cm 120 cm	
	6 feet 180 cm T: How have you calculated these? (We multiplied data in feet by 30 to convert it to cm)		
	T: Let's look at it inversely (the other way round): My friend, Nancy, is 195 cm tall. Convert her height to feet.		
	P (at BB): $195 \div 30 = 195 \times \frac{1}{30} = \frac{195}{30}$		
	$= 6\frac{15}{30}$ $= 6\frac{1}{2} \text{ (feet)}$		
	Length in Feet Length in cm 1 30 2 60 3 90 4 120 0.5 15 6 180		T writes data given by Ps into a table on BB. Now T asks Ps to copy this into their Ex.Bs.
(continued)	6.5 195		

Y8

Ratio and UNIT 7 Proportion

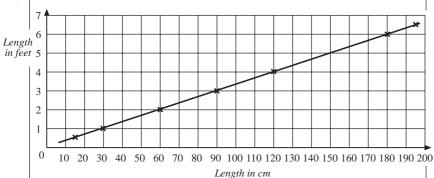
Lesson Plan 5

Linear Conversion

Activity

(continued)

T: Draw a grid and illustrate the data on it.



Notes

Individual work. Before starting, Ps and T may discuss the units on the axes, etc.

T monitors and helps Ps work, then sketches solution on BB - it will be obvious why these conversions are called linear. Feedback, self-correction. Praising.

_ 15 mins

3

Currency conversion

- T: What can you say about converting currencies? What type of conversion is this? (Linear conversion)
- T: Now you need to convert some pounds pounds sterling into Hong Kong dollars, and then some dollars into sterling.

$$P_1$$
: (a) £10 = 10 × 12 HK\$ = 120 HK\$

$$P_3$$
: (b) £18 = 18 × 12 HK\$ = 216 HK\$

$$P_3$$
: (c) 240 HK\$ = £240 × $\frac{1}{12}$ = £ $\frac{240}{12}$ = £20

$$P_4$$
: (d) 114 HK\$ = £114 × $\frac{1}{12}$ = £ $\frac{114}{12}$ = £9.50

Whole class activity.

Task appears on OHP; volunteer Ps come to front to show solutions.

Other Ps agree or correct. T agrees, praises. Ps write in Ex.Bs.

Practising currency conversions

PB 7.4, Q1

PB 7.4, Q5 (b), (c)

Solutions: Q1 (a) $£6 = 6 \times 9 \text{ Ff} = 54 \text{ Ff}$

(b)
$$£100 = 100 \times 9 \text{ Ff} = 900 \text{ Ff}$$

(c)
$$54 \text{ Ff} = £54 \times \frac{1}{9} = £\frac{54}{9} = £6$$

(d)
$$28 \text{ Ff} = £28 \times \frac{1}{9} = £\frac{28}{9} = £3\frac{1}{9} \approx £3.11$$

___ 21 mins

$$Q5$$
 (b) 21 miles = 21 × 1.6 km = 33.6 km

(c)
$$80 \text{ km} = 80 \times \frac{1}{1.6} \text{ miles} = \frac{80}{1.6} \text{ miles}$$

= $\frac{800}{16} \text{ miles} = 50 \text{ miles}$

T can remind Ps that many European currencies were replaced by the Euro in 2001. This question refers to the French franc, in use before that

Individual work, monitored, helped.

Checking: T has prepared an OS in advance with detailed solutions. After stopping the work, T puts OS on OHP, Ps check and correct their work. Feedback. Praising.

30 mins

Y8	UNIT 7 Ratio and Proportion Lesson Plan 5	Linear Conversion
Activity		Notes
5	Review of ratios T: Let's look back at what we've covered in this unit. M 7.2 with extra questions: 2. (b) Also write the ratio in the form of 1: n. 9. A map uses a scale of 1: 200 000. (a) Calculate the actual distance, in km, that is represented by 4 cm on the map. (b) What distance on the map represents an actual distance of 20 km? 39 mins	Mental work, summarising the topic of this unit. Task appears on OHP. T asks, gives time for Ps to think, points to a volunteer Ps to answer, agrees/waits for correction, then praises, question by question. (Slower Ps may be allowed to write in Ex.Bs.)
6	An example of ratio in geometry The angles of a triangle are in the ratio of the three least odd prime numbers. Find the angles. Solution: $\alpha: \beta: \chi = 3:5:7$ $\alpha + \beta + \chi = 180^{\circ}$ $3 + 5 + 7 = 15$ $180 \div 15 = 12$ $\alpha = 3 \times 12^{\circ} = 36^{\circ}$ $\beta = 5 \times 12^{\circ} = 60^{\circ}$ $\chi = 7 \times 12^{\circ} = 84^{\circ}$	Final task, applying Ps' knowledge about ratio to geometry. Individual work, monitored, helped. Task appears on OHP, followed by solution. Discussion, feedback, self- correction. Praising.
	Set homework	
	 (1) PB 7.4, Q3 PB 7.4, Q4 (2) The side lengths of a triangle are in the ratio 2:3:4. Calculate the side lengths if the perimeter of the triangle is 13.5 cm. 	