

# Importing Images from Inkscape to L<sup>A</sup>T<sub>E</sub>X

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## 1 Workflow: Inkscape to L<sup>A</sup>T<sub>E</sub>X

### 1.1 Creating and Saving Graphics

To create graphics for use with the `import` package, follow these steps in Inkscape:

1. **Design:** Create your vector graphic. Use the text tool for any labels you want L<sup>A</sup>T<sub>E</sub>X to typeset.
2. **Save SVG:** Navigate to **File > Save As...** and select **Inkscape SVG (\*.svg)**.
3. **Export PDF + L<sup>A</sup>T<sub>E</sub>X:**
  - Go to **File > Export...** (or **Ctrl+Shift+E**).
  - Select **Portable Document Format (\*.pdf)** from the format dropdown.
  - In the export settings, check the box: **Omit text in PDF and create L<sup>A</sup>T<sub>E</sub>X file**.
  - Click **Export**.

Inkscape generates two files: `filename.pdf` (graphics) and `filename.pdf.tex` (text positioning).

### 1.2 Importing into L<sup>A</sup>T<sub>E</sub>X

You need `\usepackage{import, graphicx, xcolor}`. Include the graphic as follows:

```
\begin{figure}[ht]
    \centering
    \incfig[0.8]{./figures/}{filename}
    \caption{Description of the vector graphic.}
    \label{fig:my_graphic}
\end{figure}
```

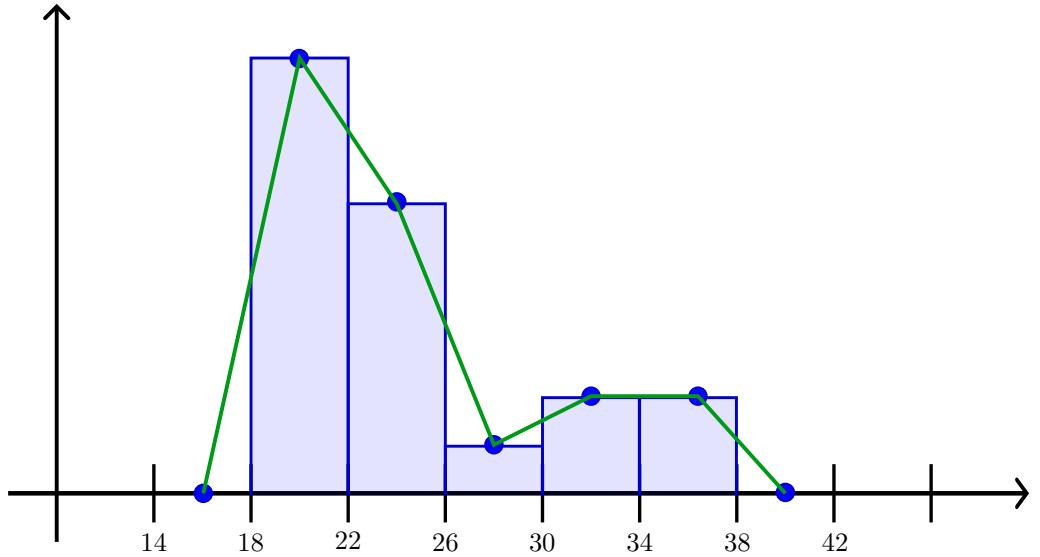


Figure 1: Histogram using relative frequencies.

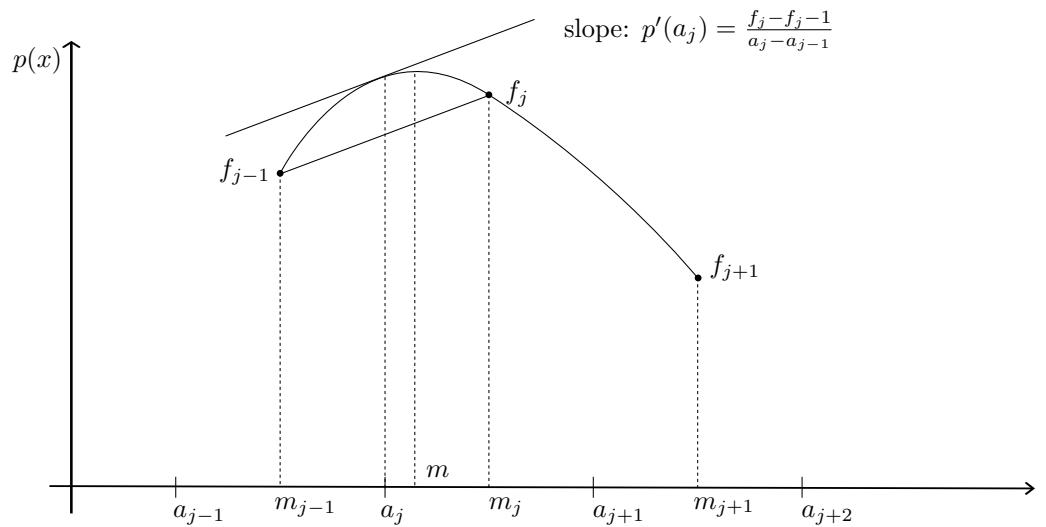


Figure 2: Mode interpolation at the points  $(m_{j-1}, f_{j-1}), (m_j, f_j), (m_{j+1}, f_{j+1})$  we interpolate a second-degree polynomial,  $p$ . We assume that  $p$  reaches its maximum at  $m \in [a_{j-1}, a_j]$ .

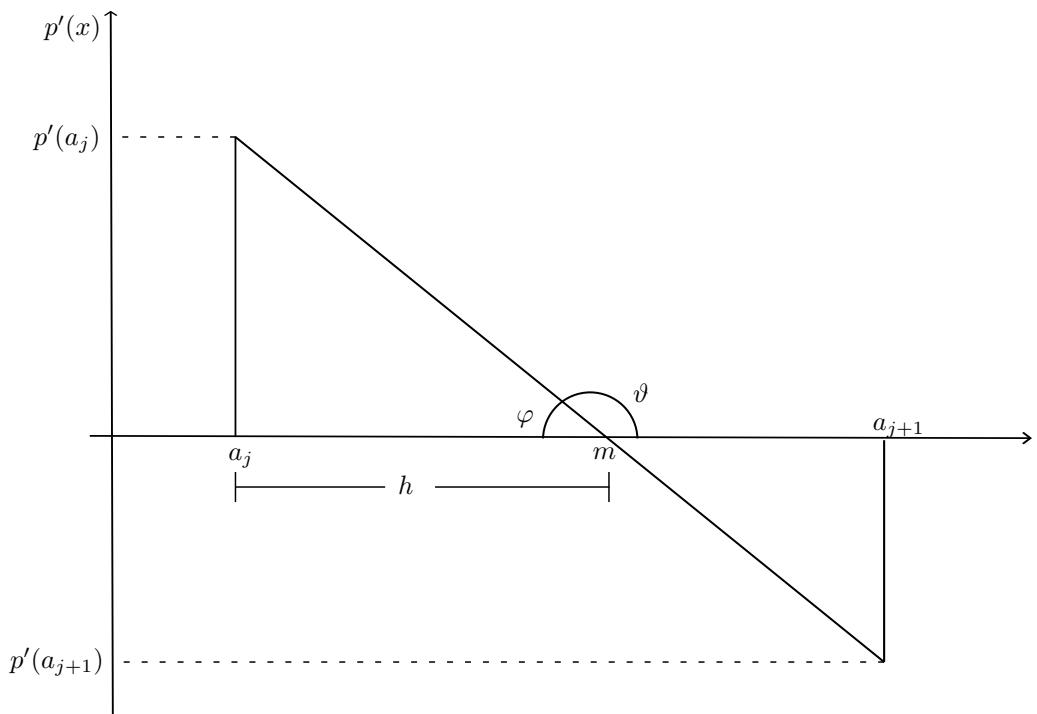


Figure 3: The first derivative of a second-degree polynomial is a linear function. The derivative vanishes at  $m$  and the unknown is the distance  $h$  from the end  $a_j$  of the class  $C_j$ .

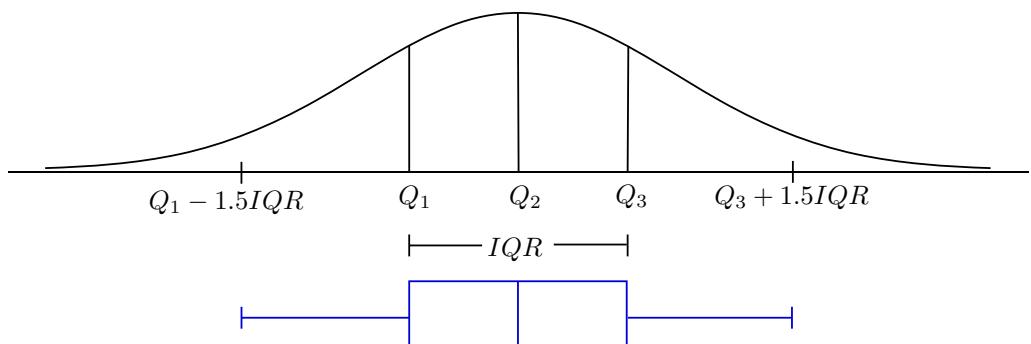


Figure 4: Box plot.

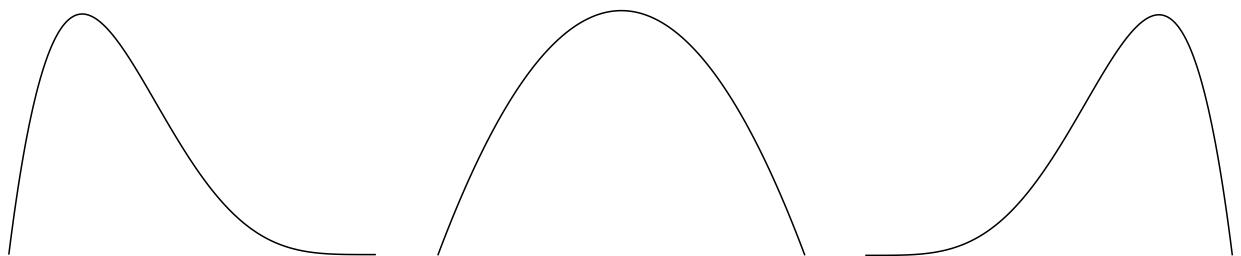


Figure 5: Distributions with positive asymmetry, symmetry, and negative asymmetry.

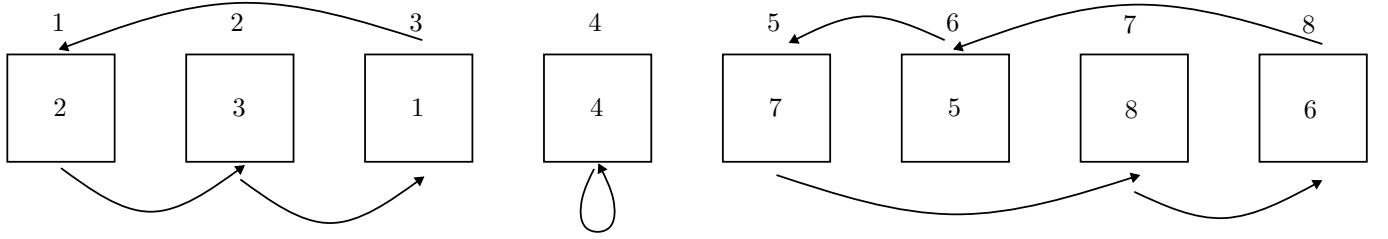


Figure 6: The prisoners' problem for 8 prisoners. An arrangement of the numbers 1 to 8 in which the prisoners win. Prisoner number 1 opens box 1, then box 2, then box 3, and stops because he finds his number. Prisoner number 8 opens box 8, then box 6, then box 5, then box 5 again, and stops because he finds his number. All cycles have a length less than or equal to 4.

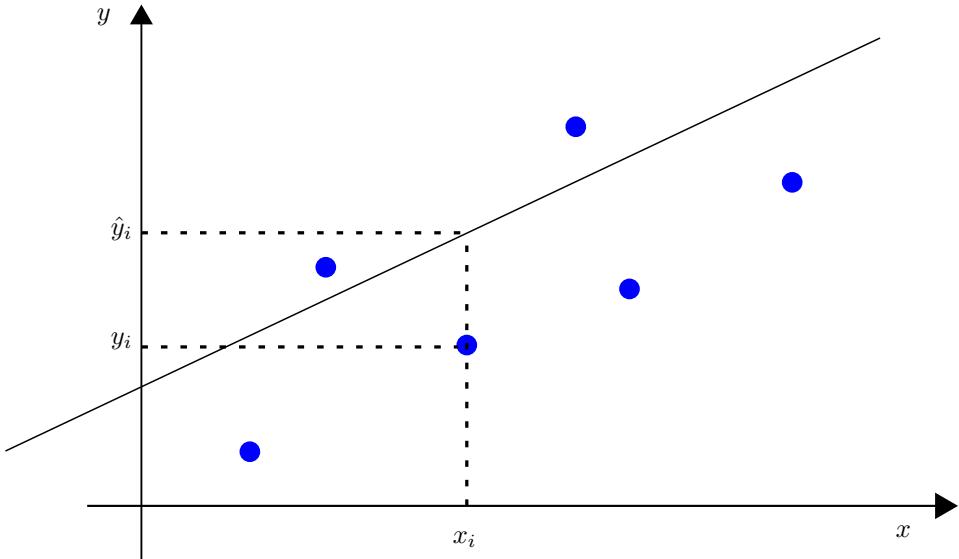


Figure 7: A set of points  $\{(x_i, y_i)\}_{i=1}^n$  and  $\hat{y}_i$  the prediction of the model at the point  $x_i$ .

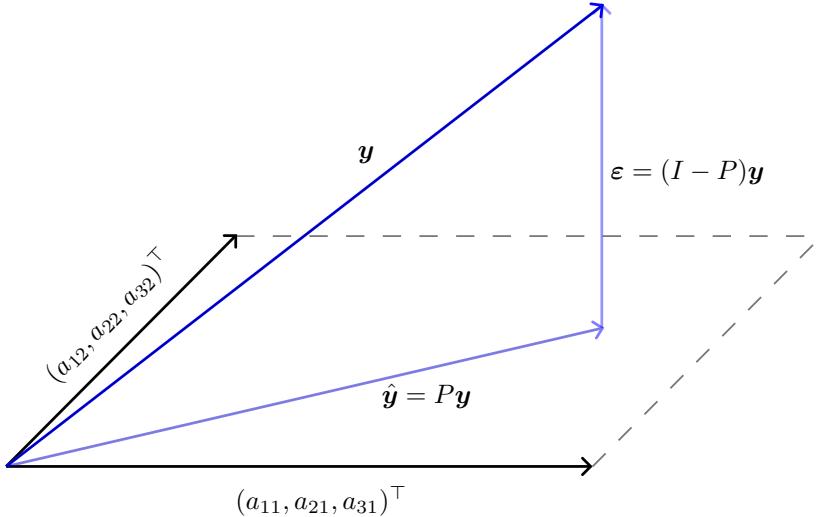


Figure 8: The data vector  $\mathbf{y}$  is the sum of two vectors: the prediction vector  $\hat{\mathbf{y}}$ , which is a linear combination of the columns of the matrix  $A$ , and the error vector  $\varepsilon$ , which is orthogonal to  $\hat{\mathbf{y}}$ . The vector  $\hat{\mathbf{y}}$  is the projection of  $\mathbf{y}$  onto the column space via the projection matrix  $P$ , and the vector  $\varepsilon$  is the projection of  $\mathbf{y}$  onto the nullspace of the column space via the projection matrix  $I - P$ .