

HW2(a)-1:

The Gradient formulation of $f(w)$ is calculated wrongly. The term " $\exp\{-y w x\}$ " is missing in the nominator. Therefore, the value found for B is wrong. The right value for B is as follow:

$$\frac{1}{N} \sum_i |y_i| \|x_i\|_2 + 2\lambda D$$

HW2(a)-2:

To prove the smoothness of the functions, the mathematical proof is required and plotting an estimation of the function (without using any tool like MatLab) is not a valid proof. In addition, the value found for L is not correct. As a matter of fact, just the inequality definition for smoothness is written in the solution.

The correct value of L for f_i is:

$$\frac{\frac{1}{4} |y_i|^2 x_i x_i^T}{L \text{ for } f_i(w)}$$

The correct value of L for f is:

$$\frac{\frac{1}{4N} \sum_i |y_i|^2 x_i x_i^T + 2\lambda I}{L \text{ for } f(w)}$$

HW2(a)-3:

For this section, the figure of Hessian of f is drawn and there is shown that it is always positive, so it is convex.

However, to prove the strong convexity just the definition of strong convexity is written for $f(x)$. In other words, it is not shown whether the inequality definition holds or not! You should verify that this inequality holds for the $f(x)$. Accordingly, the value of μ is not found. The value of μ is as follow:

$$\begin{aligned} \nabla^2 f(w) &\geq \frac{1}{N} \sum \nabla^2 f_i(w) + 2\lambda I \quad \xrightarrow[\text{as in } \infty \text{ we have}]{\text{again with the same reasoning}} \nabla^2 f(w) \geq 2\lambda I \\ \Rightarrow f(w) &\text{ is strongly convex with } \mu = 2\lambda \end{aligned}$$

HW2(b):

It is correct.

HW2(c):

The proof is correct
