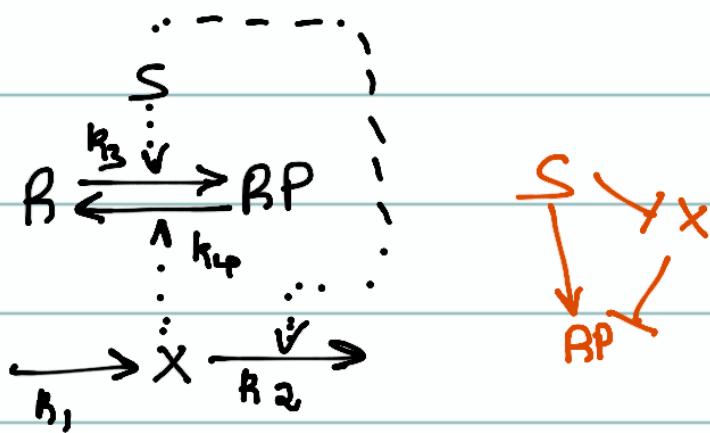


3/11/20



S has -ve effect on X

Hybrid Network

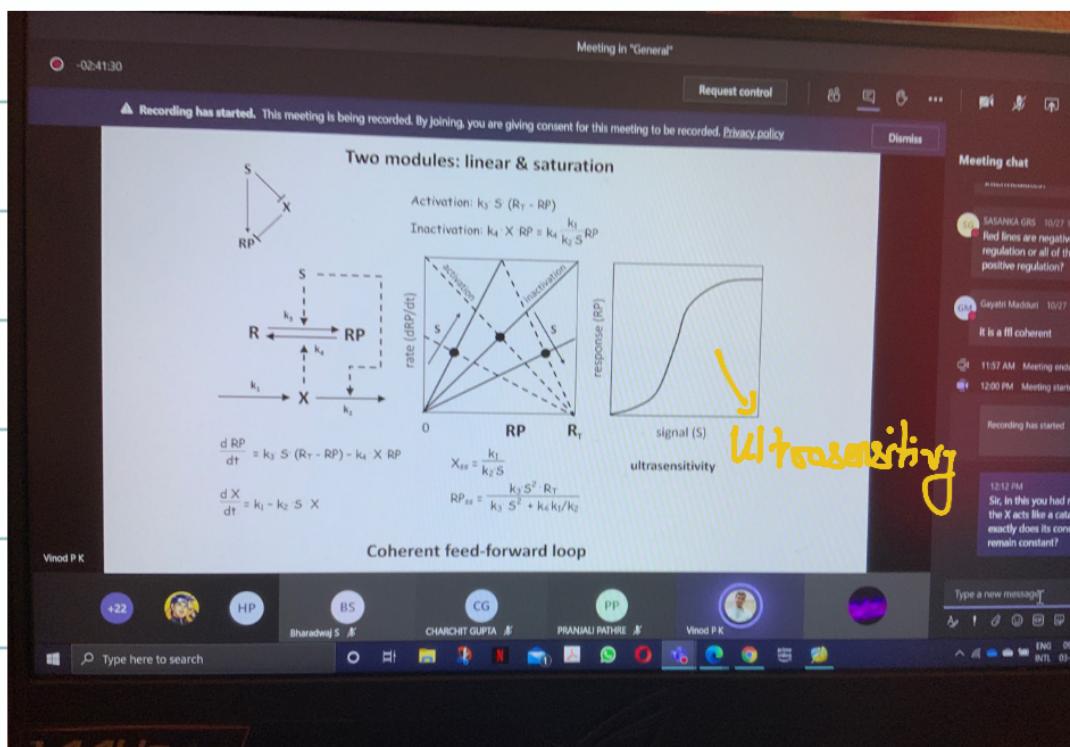
$$\frac{dRP}{dt} = k_3 S [R_T - RP] - k_4 X RP$$

$\uparrow R_T$
 $\uparrow V^+ \text{ Activation}$ $\uparrow V^- \text{ Inactivation}$

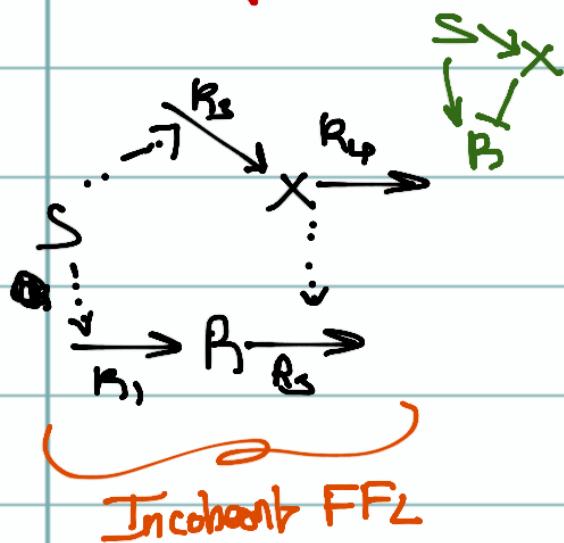
$$\frac{dX}{dt} = k_1 - k_2 S X$$

S promotes RP
 X -vely affects RP

$$R_T = R + RP$$

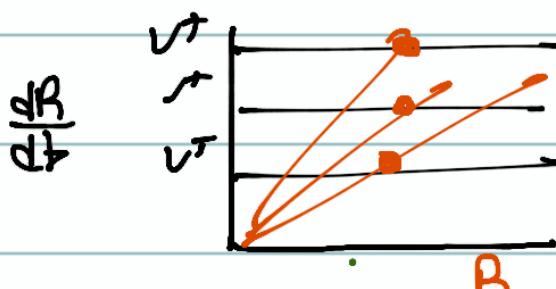


Combining protein synth, degr with activation/inactivation



$$\frac{dR}{dt} = R_f S - k_3 X R$$

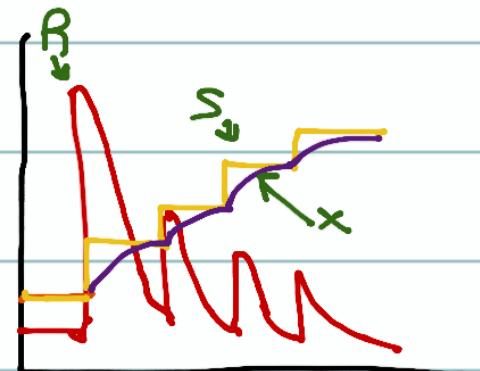
$$\frac{dx}{dt} = k_2 S - k_4 X$$



V^+ is constant
 V^- is going to change linearly

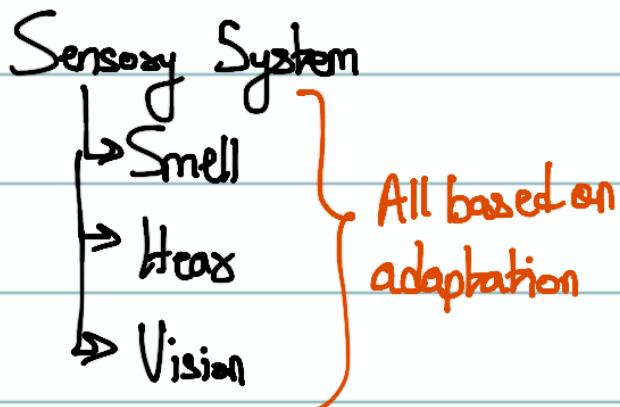
function of parameter
 \propto
 is independent of
 signals [S]

Though V^+ , V^- changes
 steady state is same i.e.
 shows adaptation



Called sniffers and example
 can be taken as only response

level to same stimulus keeps reducing
as our brain is more suited to it



"Relative perception" - Weber's Law [Arouse the once]

$$\Delta x = k \cdot x$$

Background signal

```
graph LR; Eq[Δx = k · x] -- "Background signal" --> x[x];
```

If a person has 100g and if 1g is being added, person only identify change only when it reaches a threshold

$x \rightarrow$ weight

$\Delta x \rightarrow$ increase

$$\Delta x = k \cdot x$$

↑
Background signal.

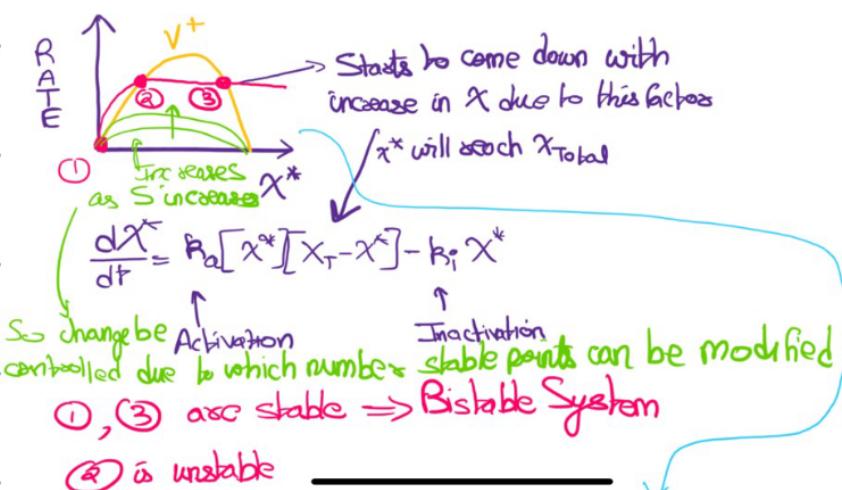
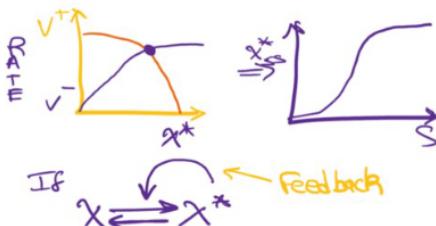
Gold we smell, light etc

$\Delta x = k_{\text{ac}}$
 Background signal can be smell, sight etc

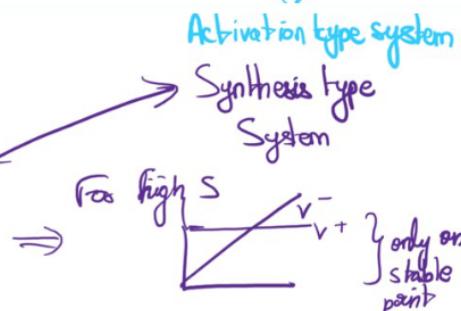
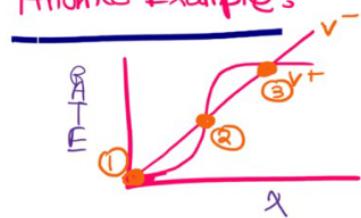
Examples

$$\Delta x \leq 0.1 (\infty)$$

$\Delta x = 10$ ↗ Need change to identify it

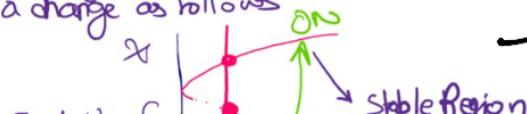
Adaptation \rightarrow I-FFL

Another Examples:

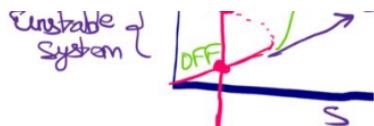


In both cases ①, ③ are stable
 ② is unstable

As signal value changes, we will have a change as follows



\rightarrow Very discrete with jumps



→ Possibility of very fast jumps
• but slower movement along steady states

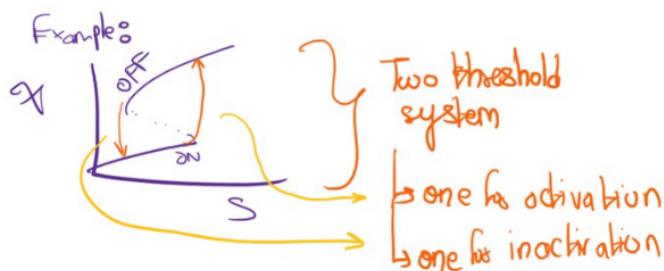
As signal changes increases, we can have threshold after which \downarrow jumps from one stable state to another.

Acts like a bistable switch

If signal keeps decreasing, won't be able to turn it off like a toggle switch which is a aspect of memory.
As they are irreversible they have
→ Irreversible [Can't fall back/switch it off] memory
→ By plotting with S, we can find region of bistability.



→ If we want one steady state, we can keep threshold very high



If input is too noisy along threshold then can keep switching!

To avoid this, two threshold system can be used and reduce the noise.

Finally
min switch

Ussentially
Bistable switch
Positive feedback



As signal strength increases

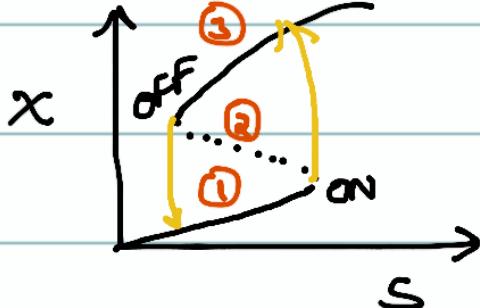
V^+ is lifted up entirely

Lifting up/solution
Sigmoidal part

$$\frac{dx}{dt} = k_s S + \frac{k_{is} x^n}{x^n + K^n} - k_d x$$

$\underbrace{\qquad\qquad}_{V^+}$ $\underbrace{\qquad\qquad}_{V^-}$

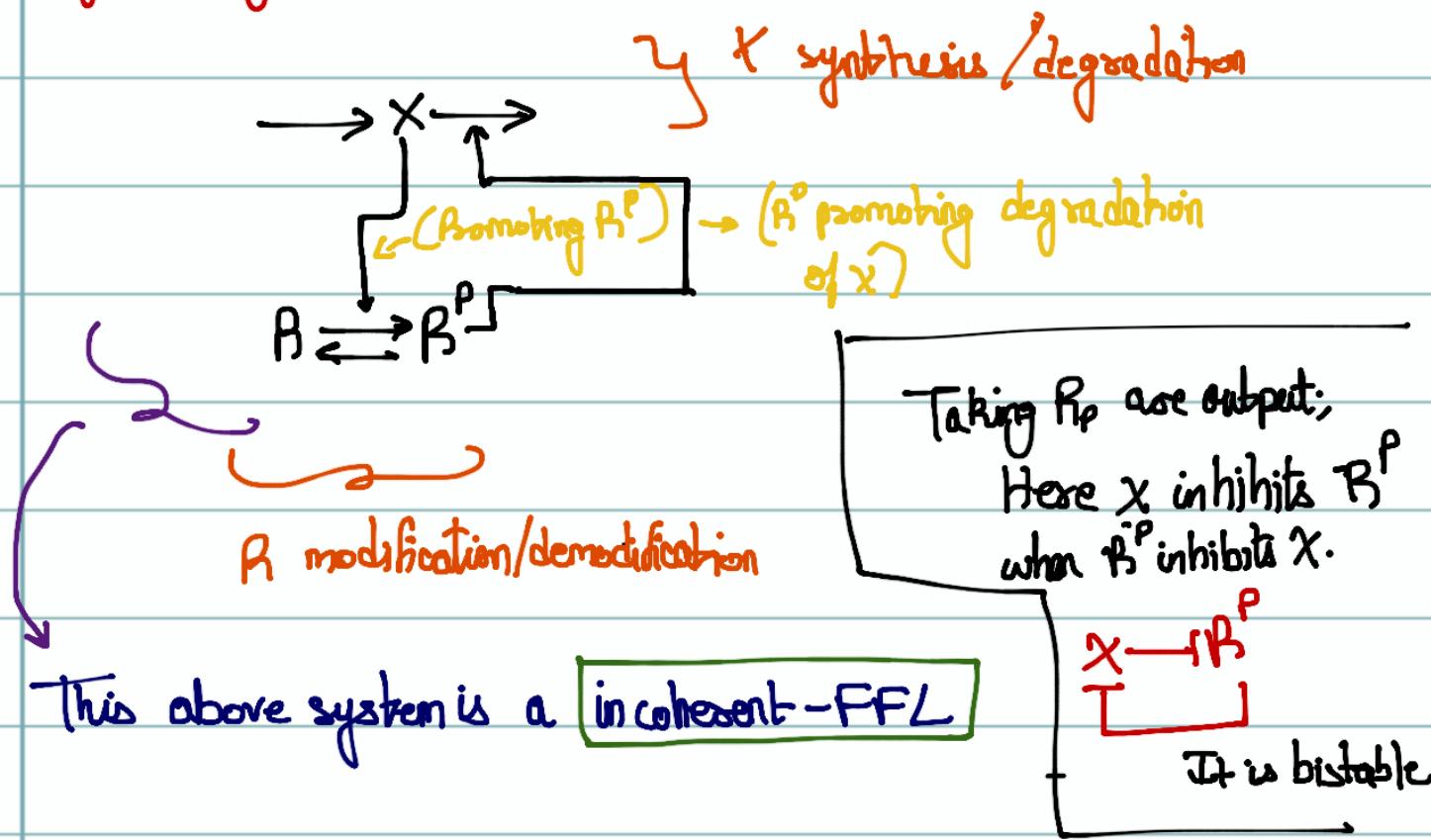
This also contributes to change in number of steady states as we see after a point there is only one steady state point.
 $3 \rightarrow 2 \rightarrow 1$



Here also as S increases, ①, ② come to each other.

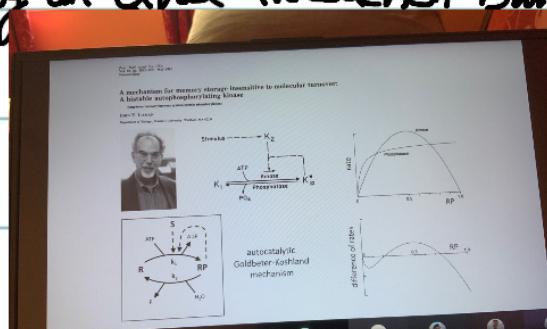
Then ①, ② coincide, on further increase, ① & ② destroy each other leaving out only ③, the only steady state

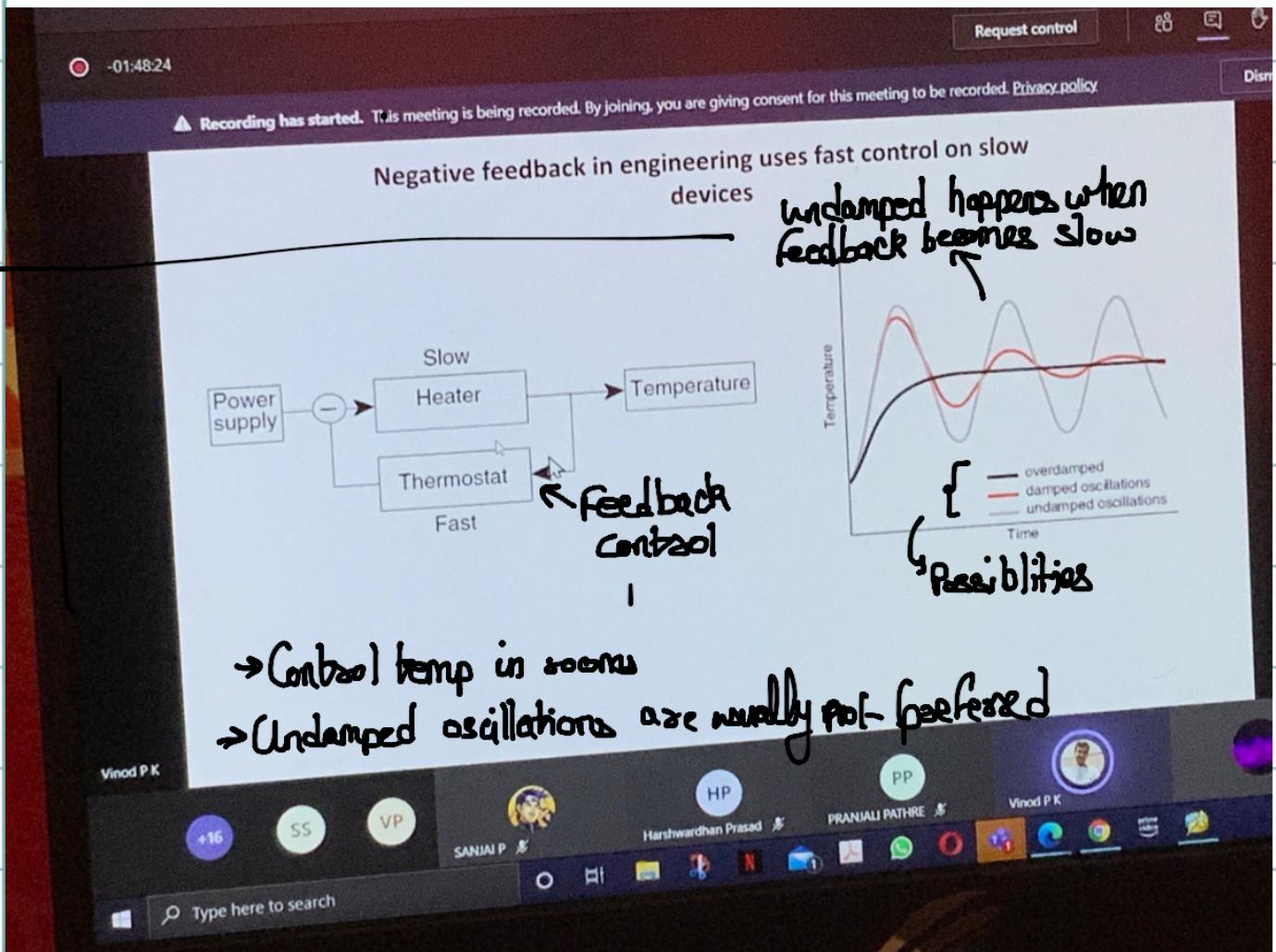
Hybrid System



→ Osmoadaptation is a feedback system

→ To go from zero-order ultrasensitivity to having a bistable response, only an extra-interaction but adding feedback





If feedback becomes slow, thermostat will feedback error of past. So, it's a possibility for resulting in a undamped system

→ Act like a hybrid system with both fast & slow loops

Eg: Activation
Inactivation

Eg: Protein synthesis
& degradation

