assignment-code

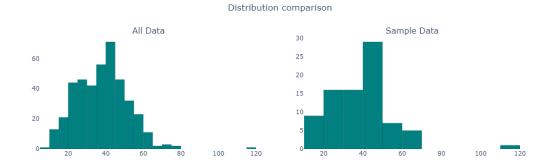
March 21, 2024

```
[1]: import pandas as pd
     import numpy as np
     import plotly.express as px
     import plotly.graph_objects as go
     import math
     from sklearn.model_selection import train_test_split
     from sklearn.linear_model import LinearRegression
     from sklearn.ensemble import RandomForestRegressor, GradientBoostingRegressor
     from sklearn.metrics import mean_squared_error
     from plotly.subplots import make_subplots
     from plotnine import *
     prng = np.random.RandomState(20240321)
[2]: real_estate_data = pd.read_csv("https://raw.githubusercontent.com/divenyijanos/
      ⇔ceu-ml/2023/data/real_estate/real_estate.csv")
     real_estate sample = real_estate data.sample(frac=0.2, random_state=prng)
[3]: print(real_estate_data.shape,real_estate_sample.shape)
    (414, 8) (83, 8)
[4]: real_estate_sample.head()
[4]:
          id
              transaction_date
                                 house_age
                                           distance_to_the_nearest_MRT_station \
                                                                     1164.83800
     397
         398
                       2013.417
                                      13.1
     96
          97
                       2013.417
                                       6.4
                                                                       90.45606
     77
          78
                                      20.5
                       2012.833
                                                                     2185.12800
     86
          87
                       2012.833
                                       1.8
                                                                     1455.79800
     241 242
                       2013.500
                                      13.7
                                                                      250.63100
          number_of_convenience_stores latitude longitude
     397
                                     4 24.99156 121.53406
     96
                                     9 24.97433 121.54310
     77
                                     3 24.96322 121.51237
                                     1 24.95120 121.54900
     86
```

```
house_price_of_unit_area
397 32.2
96 59.5
77 25.6
86 27.0
241 41.4
```

0.0.1 1) Think about an appropriate loss function you can use to evaluate your predictive models. What is the risk (from a business perspective) that you would have to take by making a wrong prediction?

```
[5]: fig = make_subplots(rows=1, cols=2, subplot_titles=('All Data', 'Sample Data'))
     fig.add_trace(go.Histogram(x=real_estate_data['house_price_of_unit_area'],
                                marker=dict(color='teal',
                                line=dict(color='black',
                                width=0.15))),
                                row=1, col=1)
     fig.add_trace(go.Histogram(x=real_estate_sample['house_price_of_unit_area'],
                                marker=dict(color='teal',
                                line=dict(color='black',
                                width=0.15))),
                                row=1, col=2)
     # Update layout
     fig.update_layout(title_text='Distribution comparison', title_x=0.5,_
      →plot_bgcolor='white', showlegend=False,
                       width = 1100, height=400)
     fig.show()
```



If you look at the distributions graph above, we can see that there is only one extreme value in both **All Data** while the **Sample Data**. I will be dropping this value from my training sets to get an accurate prediction model. But otherwise from the distributions, the dataset is pretty normal

Root Mean Squared Error (RMSE) here would be the best choice for a loss function, RMSE measures the square root of the average squared difference between the predicted values and the actual values in the dataset. Using RMSE as the loss function is appropriate because it penalizes large errors more heavily than smaller errors, which aligns with the goal of minimizing prediction errors here.

The risk associated with making wrong predictions in this include

- 1. Financial Reason: Wrong predictions can lead to financial losses for both buyers and sellers. If the predicted price is higher than the actual price, sellers may struggle to sell their properties, resulting in lost opportunities. Conversely, if the predicted price is lower than the actual price, buyers may overpay for properties, leading to dissatisfaction.
- 2. Brand Reputation: Inaccurate predictions could damage the reputation of the web app and our business. Users may lose trust in the platform if they consistently receive inaccurate price estimates.
- **3.** Competition: If our competition offer more accurate predictions, the web app may lose its competitive edge and struggle to attract users.

Before removing extreme value, Overall Data: (414, 8), Sample Data: (83, 8) After removing extreme value, Overall Data: (413, 8), Sample Data: (82, 8)

0.0.2 2) Build a simple benchmark model and evaluate its performance on the holdout set (using your chosen loss function).

```
[8]: # Making our loss function
  def calculateRMSE(prediction, y_obs):
    return np.sqrt(np.mean((prediction - y_obs)**2))

[9]: # estimate benchmark model
  benchmark = np.mean(y_train)
```

```
[10]: # collect results into a DataFrame
result_columns = ["Model", "Train", "Test"]
```

benchmark_result = ["Benchmark", calculateRMSE(benchmark, y_train),__

pd.DataFrame([benchmark_result], columns=result_columns)

```
[10]: Model Train Test
0 Benchmark 12.545831 13.329949
```

0.0.3 3) Build a simple linear regression model using a chosen feature and evaluate its performance. Would you launch your evaluator web app using this model?

```
[12]: pd.DataFrame([benchmark_result,simple_ols_result], columns=result_columns)
```

```
[12]: Model Train Test
0 Benchmark 12.545831 13.329949
1 Simple OLS 11.616364 14.963487
```

No, I would not use this model to launch my app. The training rmse only improves a bit and test rmse is worse.

0.0.4 4) Build a multivariate linear model with all the meaningful variables available. Did it improve the predictive power?

```
[13]: target = real_estate_sample[["house_price_of_unit_area"]]
      features =
       oreal_estate_sample[["house_age","distance_to_the_nearest_MRT_station","number_of_convenienc
      X_train, X_test, y_train, y_test = train_test_split(features,_
       →target,test_size=0.3, random_state=prng)
      # Create and fit the model
      multi_var_ols_reg = LinearRegression().fit(X_train, y_train)
      train_error = calculateRMSE(multi_var_ols_reg.predict(X_train), y_train)
      test_error = calculateRMSE(multi_var_ols_reg.predict(X_test), y_test)
      multi_var_ols_reg = ["Multi Variate", train_error, test_error]
[14]: pd.DataFrame([benchmark result, simple ols result, multi var ols reg],
       ⇔columns=result_columns)
Γ14]:
                 Model
                            Train
                                        Test
      0
            Benchmark 12.545831 13.329949
      1
            Simple OLS 11.616364 14.963487
        Multi Variate
                         8.975257
                                    8.368991
```

It did increase the predictive power, the rmse decreased in both training and test

- 0.0.5 5) Try to make your model (even) better. Document your process and its success while taking two approaches:
- 1. Feature engineering e.g. including squares and interactions or making sense of latitude&longitude by calculating the distance from the city center, etc. For calculating distance from city centre, I will be using the presidential palace in Tapei as the city center which has the coordinates: 25.041155828937818, 121.51189705508669

```
[16]: city_center_lat = 25.041155828937818
      city_center_lon = 121.51189705508669
      # Calculate distance for each row and add it as a new column
      real_estate_sample['distance_from_city_center'] = real_estate_sample.
       wapply(lambda row: km_from_center(city_center_lat, city_center_lon,__
       →row['latitude'], row['longitude']), axis=1)
[17]: real_estate_sample[['distance_from_city_center']].describe().T
[17]:
                                 count
                                                       std
                                                                            25% \
                                            mean
                                                                 min
                                  82.0 8.447657 1.474591 4.487499 7.463757
      distance from city center
                                      50%
                                                75%
                                                           max
      distance_from_city_center 8.176487 9.373676 12.034171
     2. Training more flexible models Multi Variate Feature Engineered Model
[18]: target = real_estate_sample[["house_price_of_unit_area"]]
      features = real_estate_sample[["transaction_date", "house_age", __

    distance_to_the_nearest_MRT_station",

¬"number_of_convenience_stores", "distance_from_city_center"]]

      # Splitting data into training and testing sets
      X_train, X_test, y_train, y_test = train_test_split(features, target,_
       →test_size=0.3, random_state=prng)
      # Create and fit the model
      multi_var_fe_reg = LinearRegression().fit(X_train, y_train)
      # Calculating training and testing errors
      train_error = calculateRMSE(multi_var_fe_reg.predict(X_train), y_train)
      test_error = calculateRMSE(multi_var_fe_reg.predict(X_test), y_test)
      # Storing results
      multi_var_fe_reg_results = ["Multi Variate FE", train_error, test_error]
[19]: pd.
       ار, DataFrame([benchmark_result,simple_ols_result,multi_var_ols_reg,multi_var_fe_reg_results]
```

return distance

⇔columns=result_columns)

```
[19]: Model Train Test

0 Benchmark 12.545831 13.329949

1 Simple OLS 11.616364 14.963487

2 Multi Variate 8.975257 8.368991

3 Multi Variate FE 7.930315 8.026051
```

Random Forest Model

[21]: pd.

DataFrame([benchmark_result,simple_ols_result,multi_var_ols_reg,multi_var_fe_reg_results,rf
columns=result_columns)

[21]: Model Train Test
0 Benchmark 12.545831 13.329949
1 Simple OLS 11.616364 14.963487
2 Multi Variate 8.975257 8.368991
3 Multi Variate FE 7.930315 8.026051
4 Random Forest 2.447217 10.151938

Gradient Boosting Model

```
[22]: target = real_estate_sample["house_price_of_unit_area"]
features = real_estate_sample[["transaction_date","house_age",

o"distance_to_the_nearest_MRT_station",

u
o"number_of_convenience_stores","distance_from_city_center"]]
```

```
[23]:
                    Model
                              Train
                                          Test
     0
                Benchmark 12.545831 13.329949
     1
               Simple OLS 11.616364 14.963487
     2
            Multi Variate
                          8.975257
                                     8.368991
         Multi Variate FE 7.930315
     3
                                      8.026051
     4
            Random Forest
                            2.447217 10.151938
     5 Gradient Boosting
                           0.504276
                                     7.265992
```

6a) Rerun three of your previous models (including both flexible and less flexible ones) on the full train set. Ensure that your test result remains comparable by keeping that dataset intact. (Hint: extend the code snippet below.) Calculating distance from city centre for overall data

Making our full training dataset

Multi Variate Feature Engineered Model

Random Forest Model

Gradient Boosting Model

```
[30]: pd.
       DataFrame([benchmark_result,simple_ols_result,multi_var_ols_reg,multi_var_fe_reg_results,rf
       simple_ols_result_full,multi_var_fe_reg_results_full,rf_reg_results_full,gb_reg_results_ful

¬columns=result_columns)

[30]:
                    Model
                                Train
                                            Test
      0
                Benchmark 12.545831
                                      13.329949
      1
                Simple OLS
                          11.616364 14.963487
      2
            Multi Variate
                            8.975257
                                       8.368991
         Multi Variate FE 7.930315
      3
                                       8.026051
            Random Forest 2.447217 10.151938
      4
      5 Gradient Boosting
                          0.504276
                                       7.265992
      6
                Simple OLS 13.107783 11.712509
      7
         Multi Variate FE
                            7.664576
                                       9.054595
      8
            Random Forest
                             2.577721
                                       6.332639
        Gradient Boosting
                             3.103552
                                        5.923144
     6b) Did it improve the predictive power of your models? Where do you observe the
     biggest improvement? Would you launch your web app now?
[31]: results_df = pd.
       -DataFrame([benchmark_result,simple_ols_result,multi_var_ols_reg,multi_var_fe_reg_results,rf
       simple_ols_result_full,multi_var_fe_reg_results_full,rf_reg_results_full,gb_reg_results_ful

¬columns=result_columns)
      results_df.insert(1, 'Dataset', '')
      results_df.loc[:5, 'Dataset'] = 'sample train set'
      results_df.loc[6:, 'Dataset'] = 'full train set'
      results_df.round(3)
[31]:
                    Model
                                     Dataset
                                               Train
                                                        Test
                Benchmark sample train set 12.546
                                                    13.330
      0
      1
                Simple OLS
                           sample train set
                                              11.616
                                                     14.963
            Multi Variate sample train set
      2
                                              8.975
                                                      8.369
      3
         Multi Variate FE sample train set
                                              7.930
                                                      8.026
            Random Forest sample train set
      4
                                               2.447
                                                     10.152
      5
        Gradient Boosting sample train set
                                               0.504
                                                      7.266
      6
                Simple OLS
                             full train set
                                             13.108 11.713
```

For our flexibe models, training on the full data set did improve our rmse, meaning the models got better. However the rmse is still huge to launch our app.

7.665

2.578

3.104

9.055

6.333

5.923

full train set

full train set

full train set

7

8

Multi Variate FE

Gradient Boosting

Random Forest

For unseen data, the base of \sim 6 rmse means that there is a prediction error of 6 in price per unit area. This may not seem big, but if you check how the variable is described: 10000 New Taiwan Dollar/Ping, where Ping is a local unit, 1 Ping = 3.3 meter squared

The 6 would mean, 60,000 New Taiwan Dollar / Ping, and multiplying that with the average house size in pings ~ 30 , this comes out to be 1,800,000 New Taiwan Dollars. If our prediction undervalues or overvalues any property by this huge amount, no customer would use it to buy/sell.