

# Architectural design: the coordination perspective

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Arquitectura e Cálculo 2015-16



# Outline

## 1. Visual semantics for Reo

- ▶ Connector colouring (CC)<sup>1</sup>

## 2. Locality (concurrency)

- ▶ partial connector colouring (PCC)<sup>2</sup>

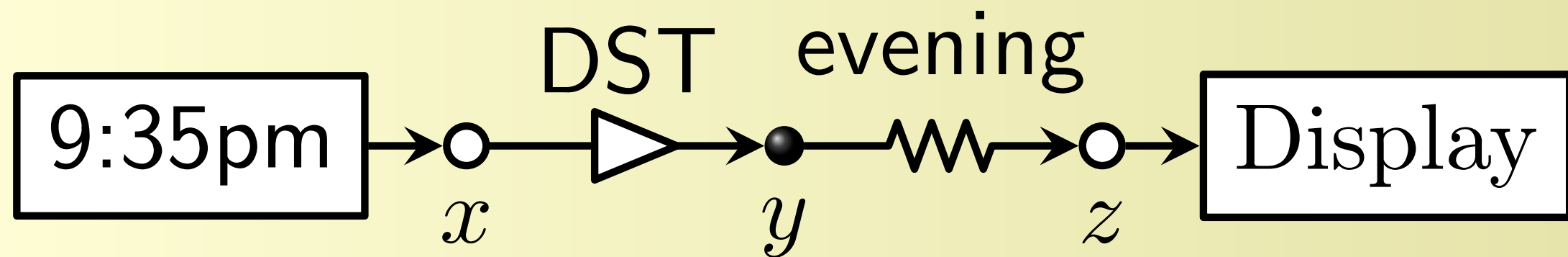
## 3. Constraints

- ▶ SAT solving with data for Reo<sup>3</sup>

<sup>1</sup> Dave Clarke, David Costa, and Farhad Arbab. Connector colouring I: Synchronisation and context dependency

<sup>2</sup> Dave Clarke and José Proença. Partial connector colouring

<sup>3</sup> Dave Clarke, José Proença, Alexander Lazovik, and Farhad Arbab, Channel-based coordination via constraint satisfaction  
José Proença, Dave Clarke, Interactive interaction constraints

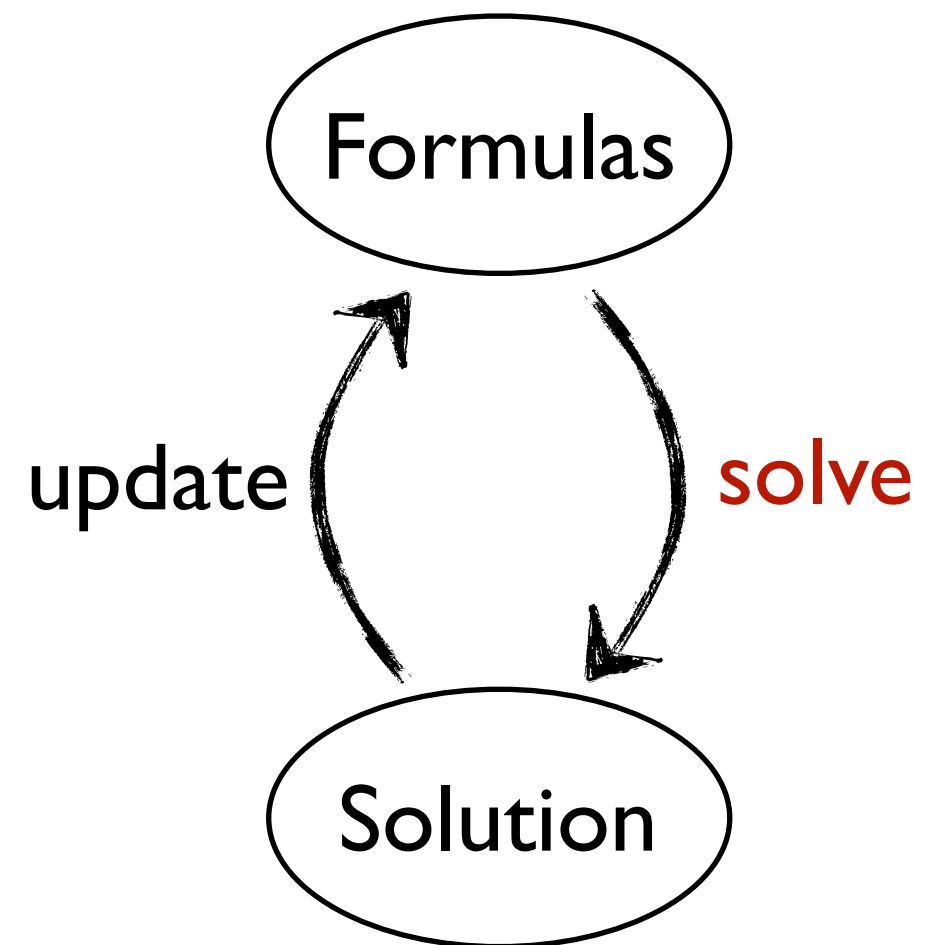


$$\begin{array}{lll}
 x \rightarrow \hat{x} := 9:35\text{pm} & x \leftrightarrow y & y \rightarrow \hat{y} := \text{DST}(\hat{x}) \\
 (y \wedge \text{evening}(\hat{y})) \leftrightarrow z & & z \rightarrow \hat{z} := \hat{y}
 \end{array}$$

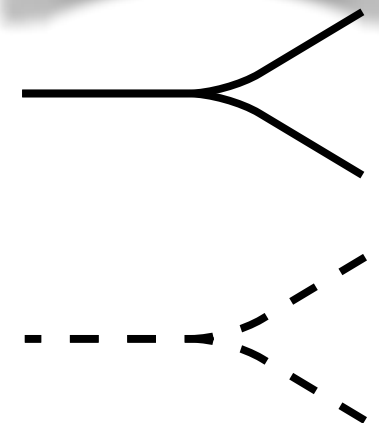
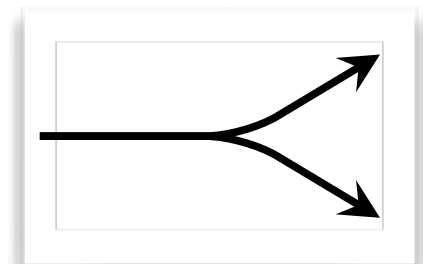
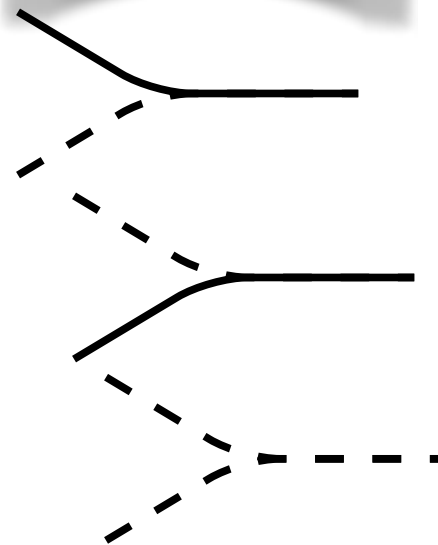
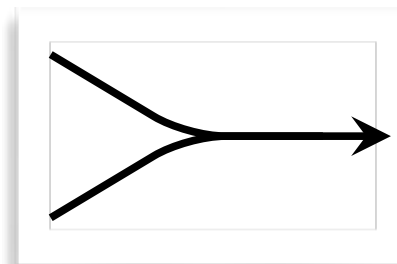
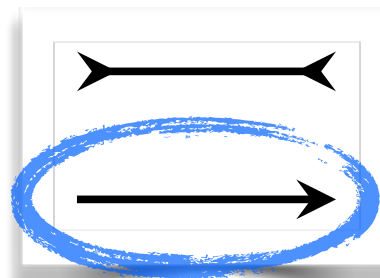
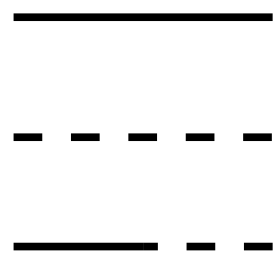
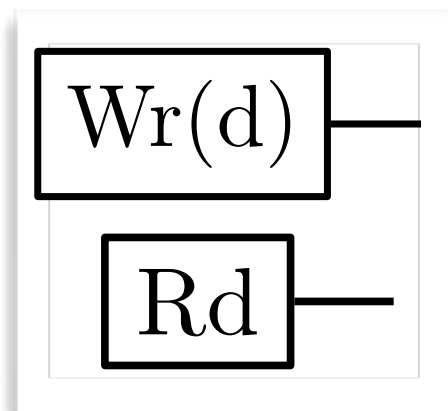
# Reo as (Interactive) Constraints

# Coordination as constraint satisfaction

$a \longrightarrow b$	$a \leftrightarrow b$ $b \rightarrow \hat{b} := \hat{a}$
$a \dashrightarrow b$	$b \rightarrow a$ $b \rightarrow \hat{b} := \hat{a}$
$a \overset{P}{\rightsquigarrow} b$	$b \rightarrow \hat{b} := \hat{a}$ $(a \wedge P(\hat{a})) \leftrightarrow b$
$a \overset{f}{\rightarrowtriangle} b$	$a \leftrightarrow b$ $b \rightarrow \hat{b} := f(\hat{a})$



# Exercise: write constraints

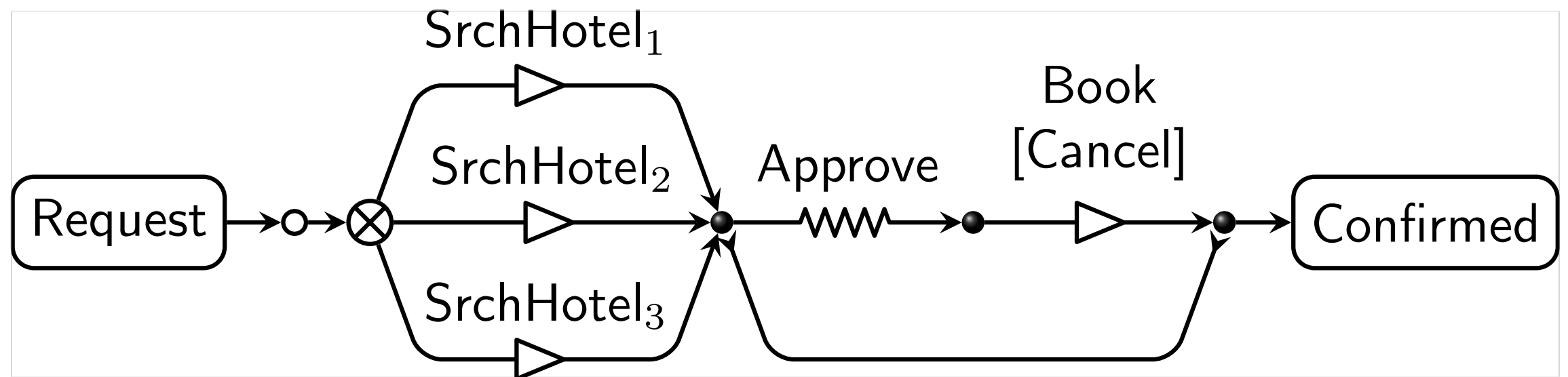


# Building up constraints

- Connector colouring as constraints
- Data constraints
- Interactive constraints

**Context**  
**(need for extra interaction)**

# Hotel booking

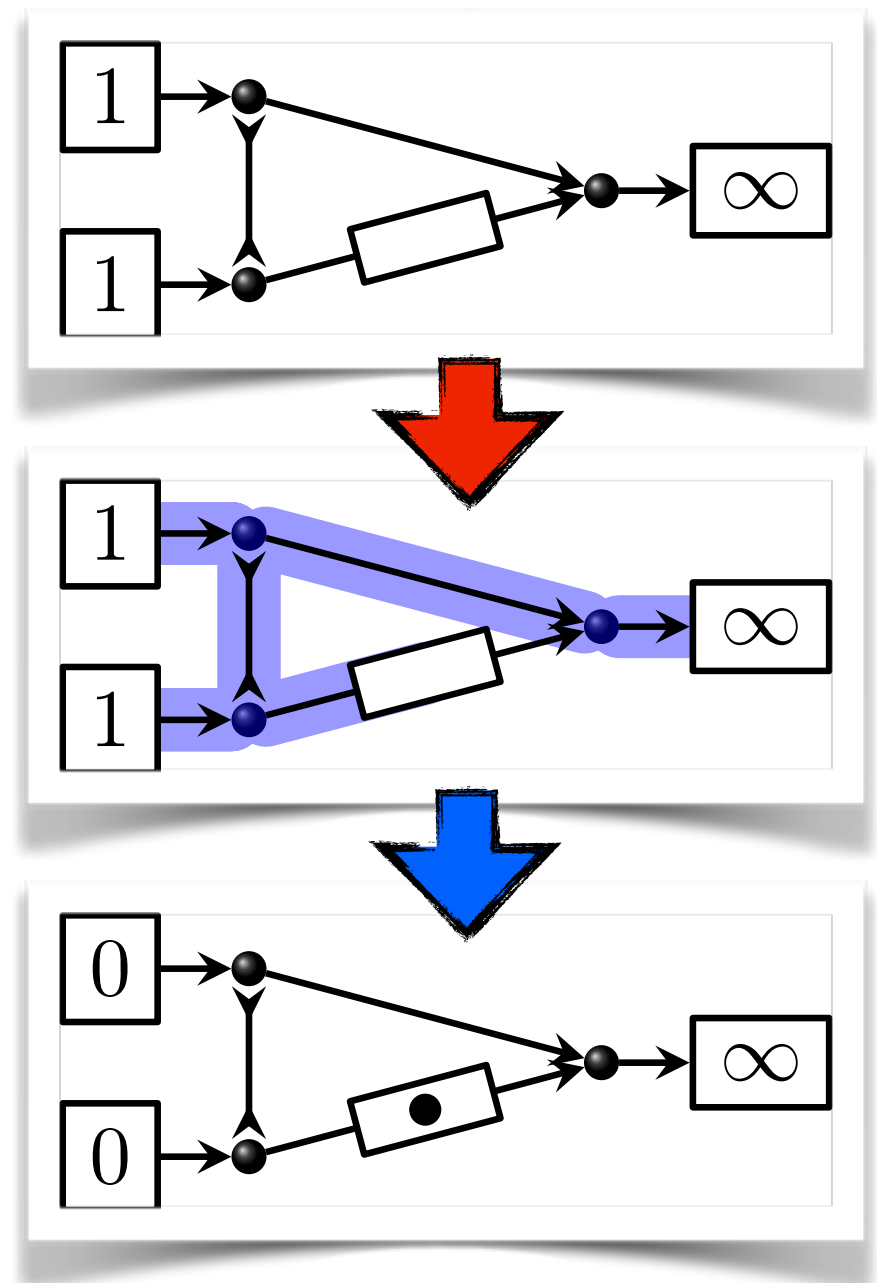
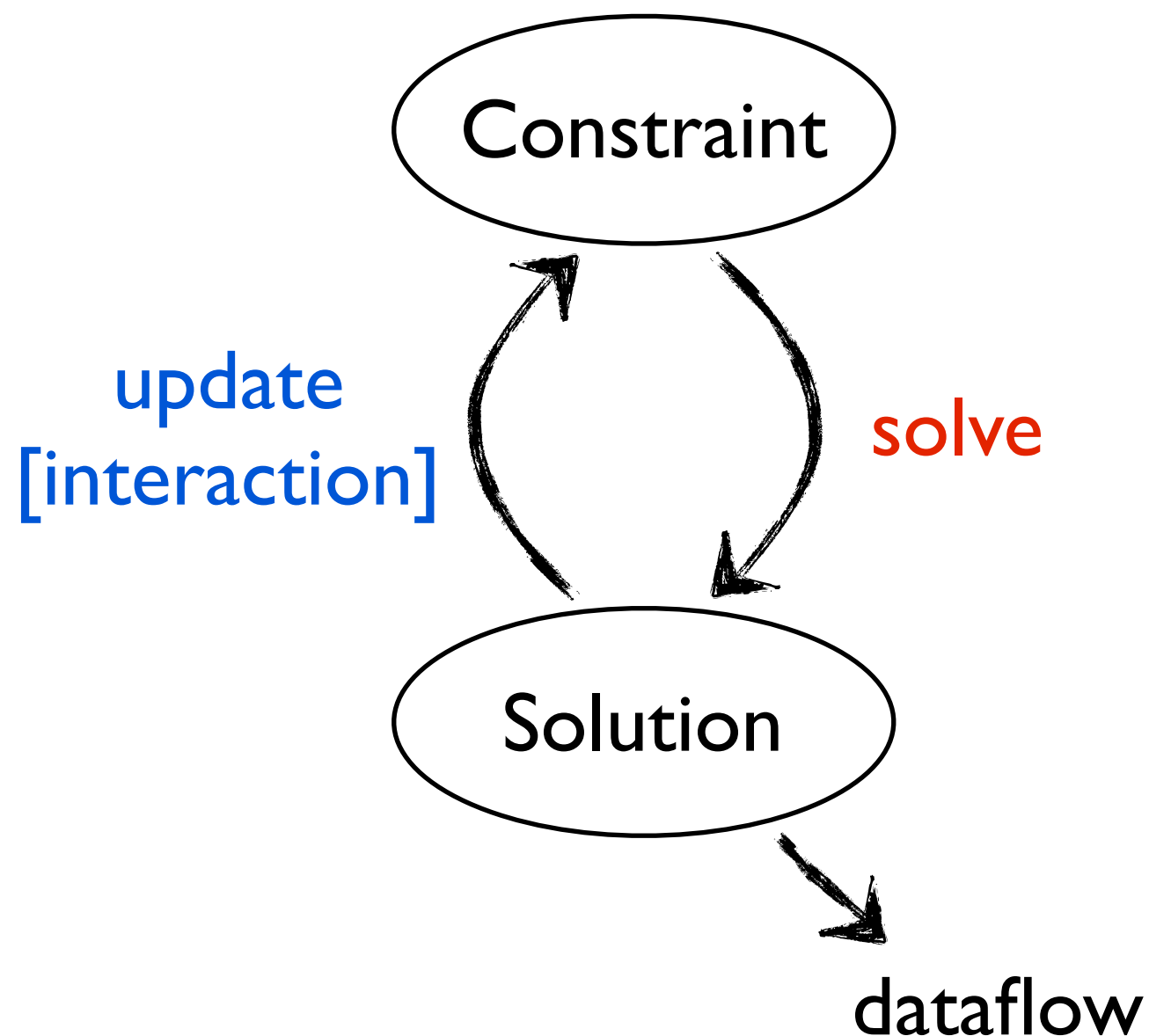


- Interaction with hotel repositories
- Interaction with users
- Interaction with hotels (availability & payment)

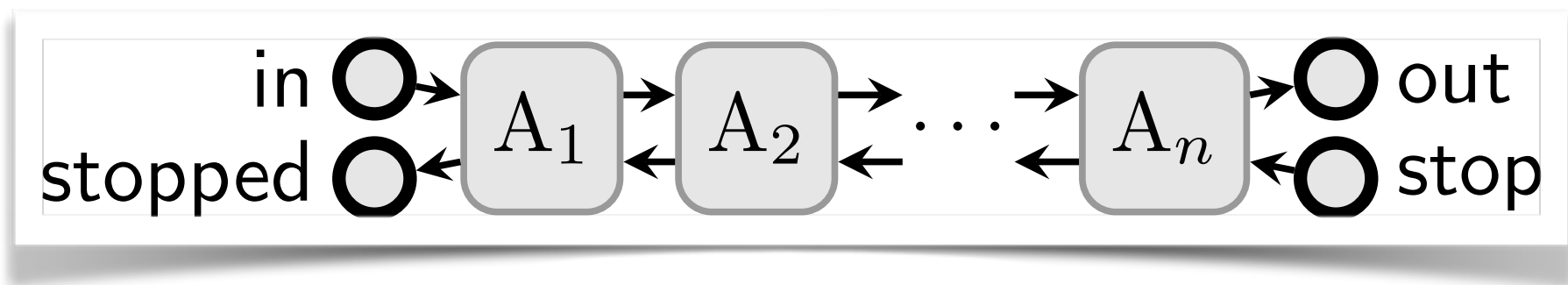
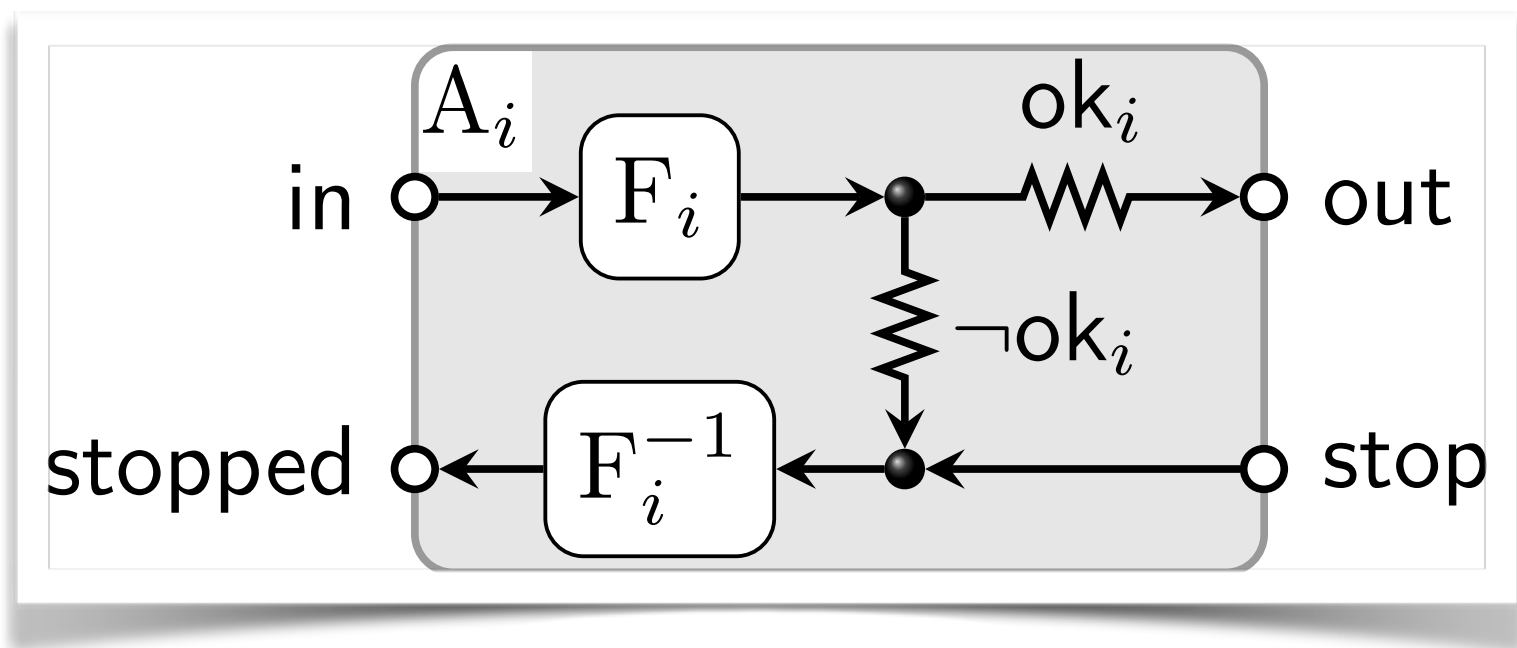


# Problem of Interaction

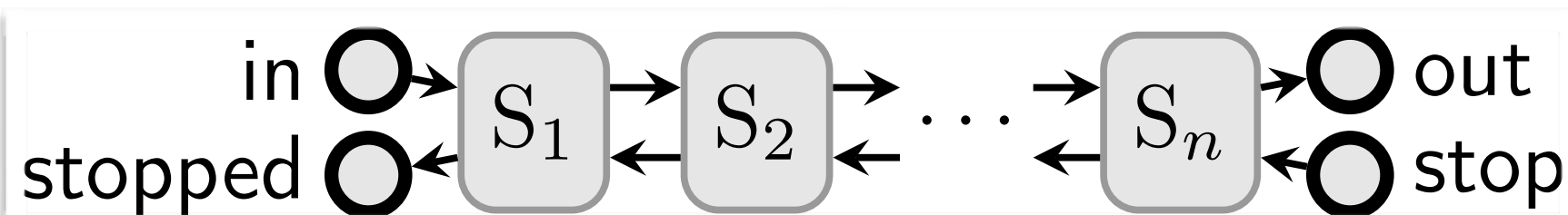
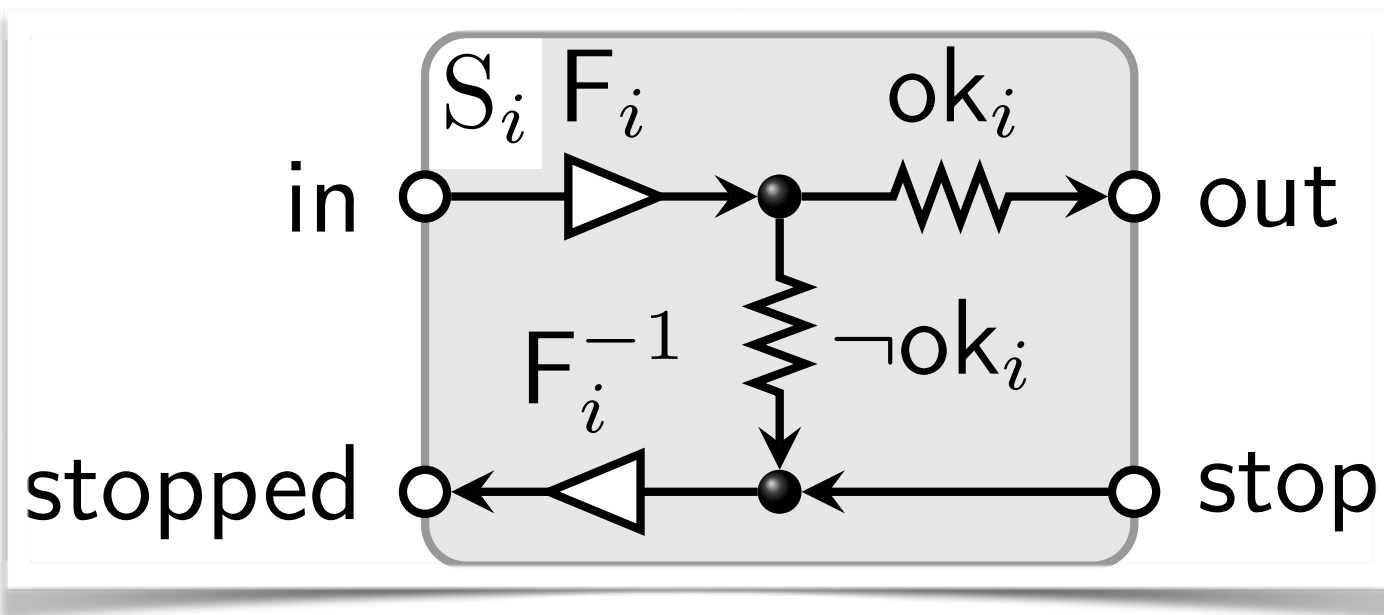
# Coordination as constraint satisfaction



# Asynchronous transactions



# Synchronous transactions



# Problem

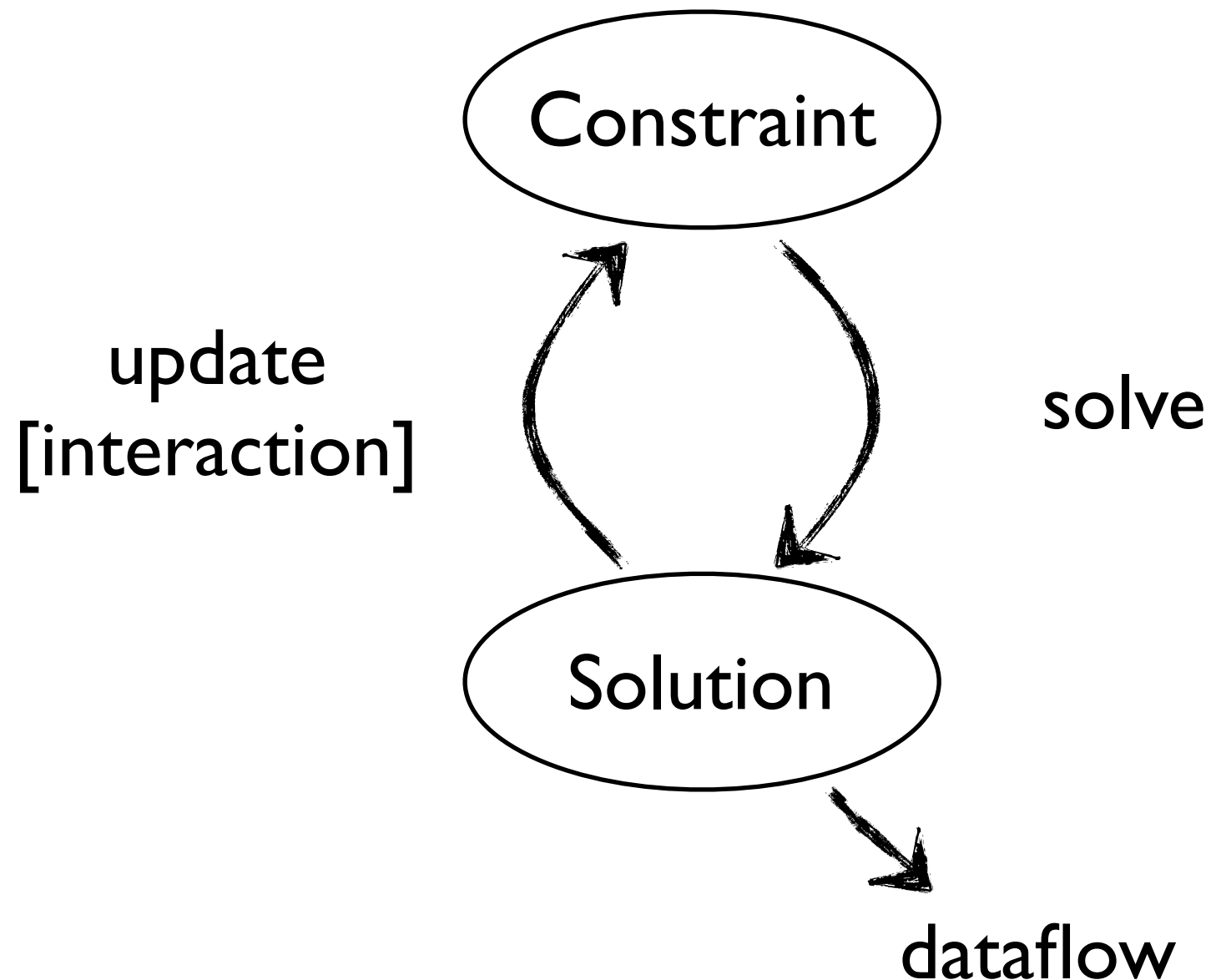
Interaction or Synchrony

but not both

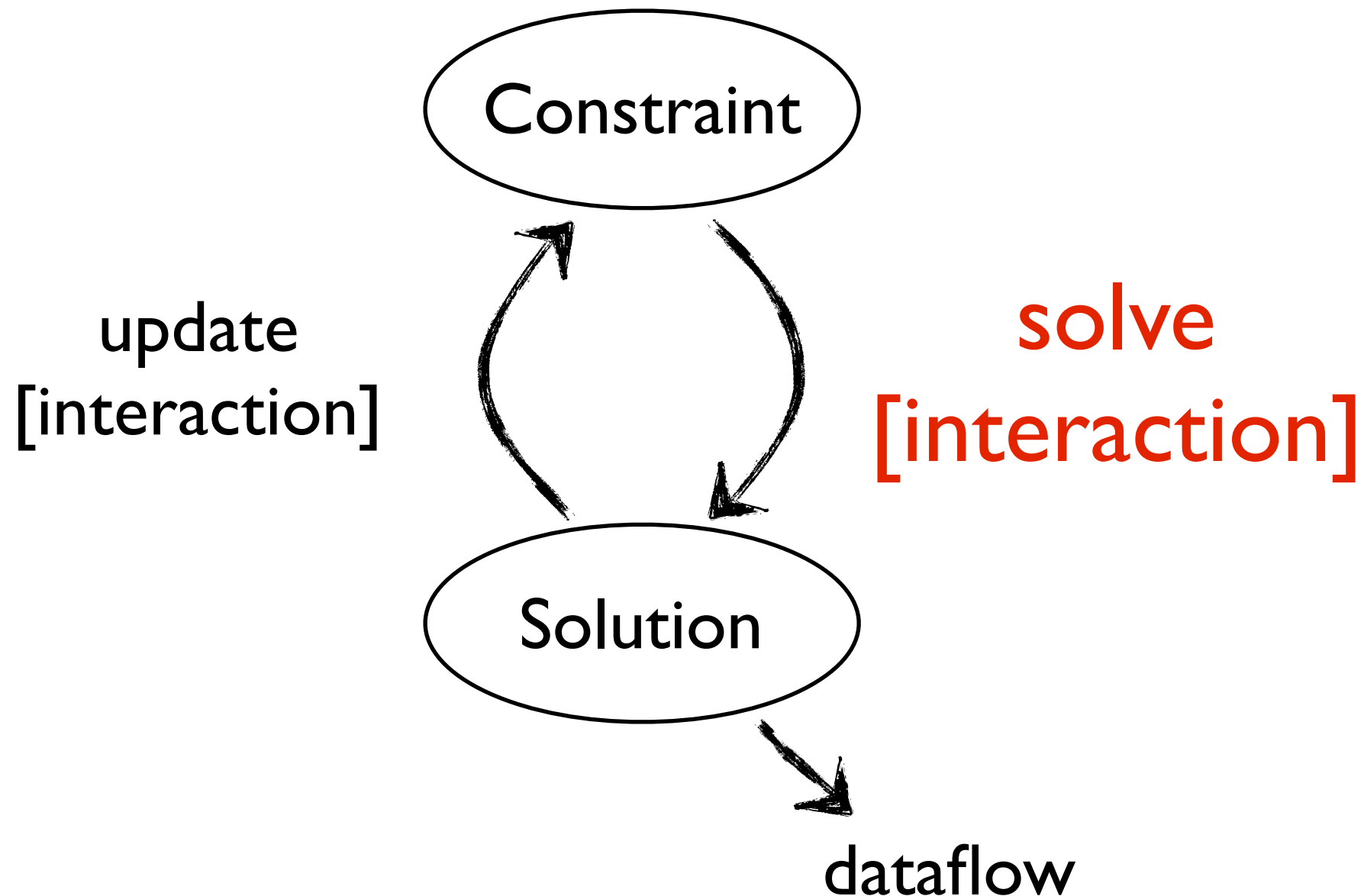
# Solution

Interactive Interaction Constraints

# Coordination as constraint satisfaction

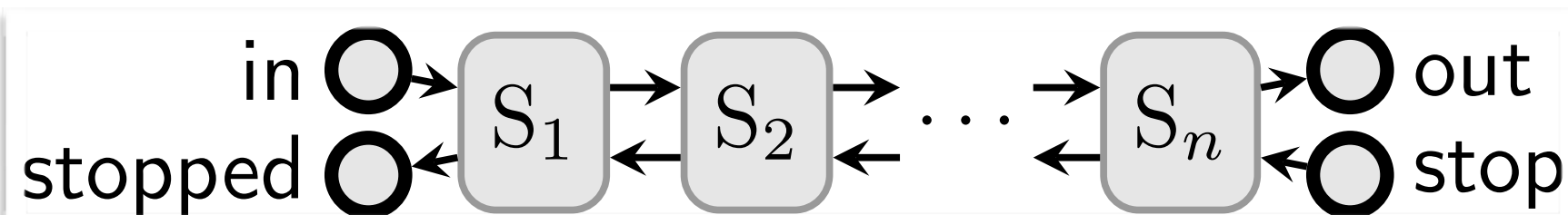
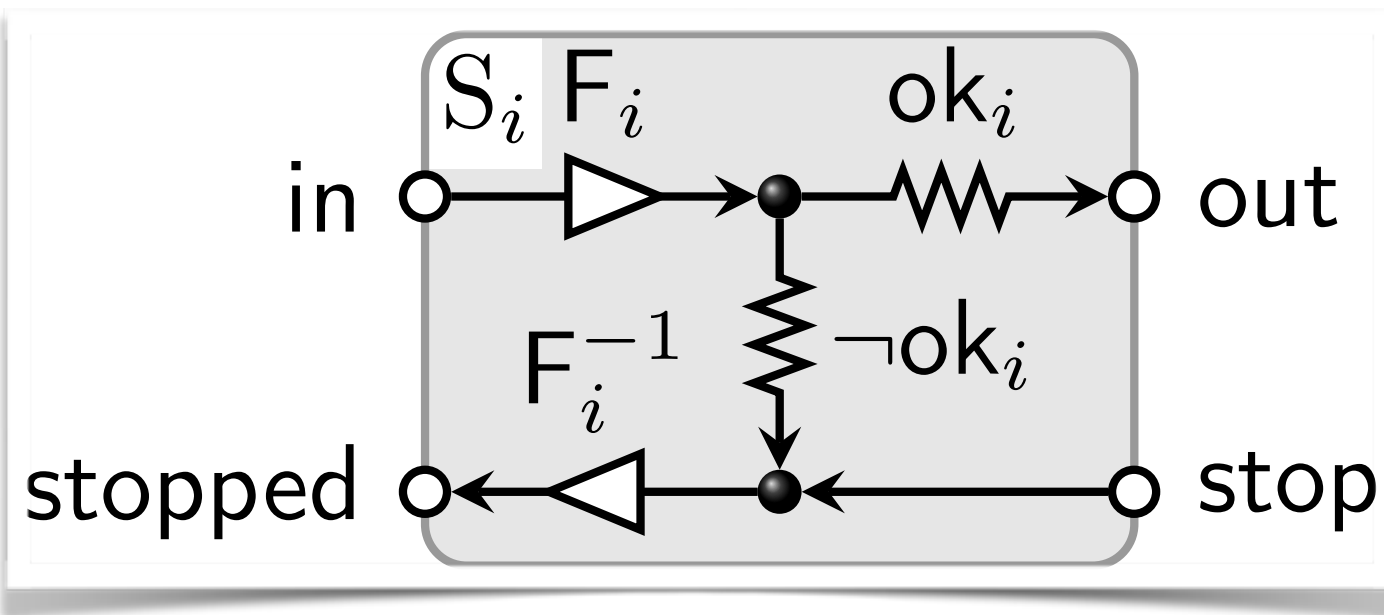


# Coordination as **interactive** constraint satisfaction

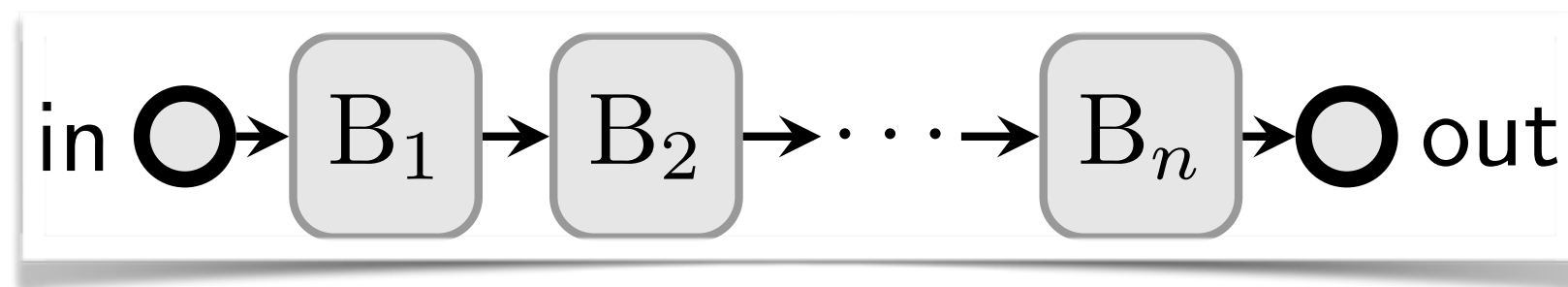
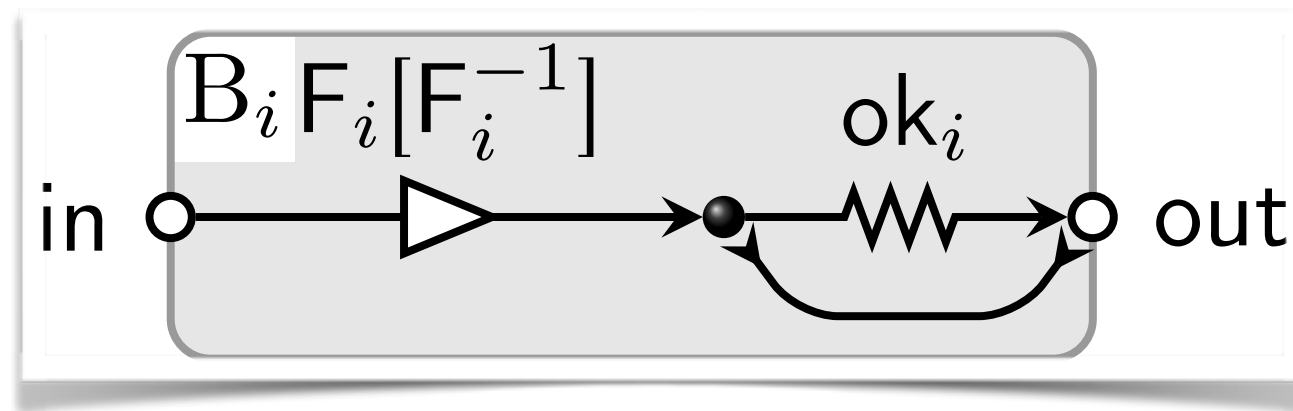




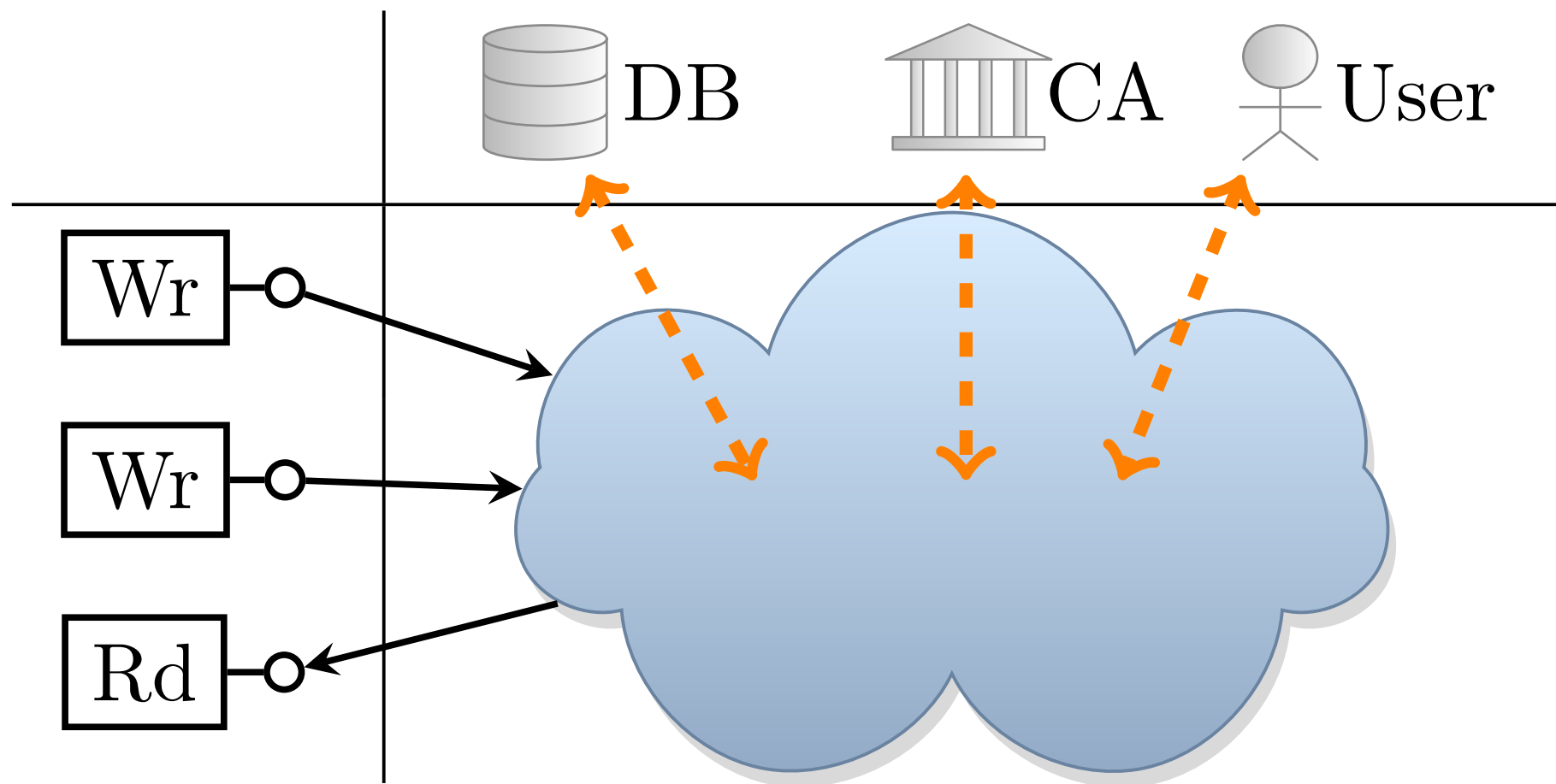
# Synchronous transactions



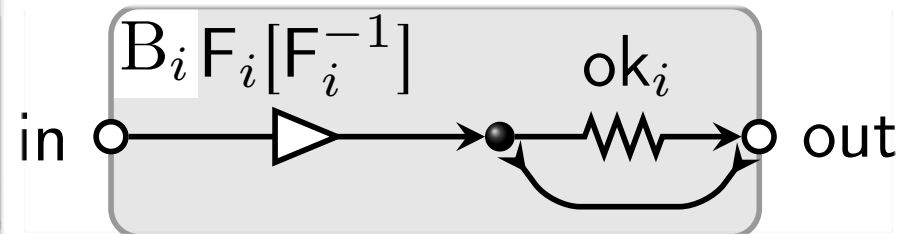
# Synchronous transactions



# Interactive Interaction Constraints



# Scala / Java implementation



```
val f = Function("f") {
  case s: String => /* do something */
}

val finv = Function("f^-1") {
  case s: String => /* do something */
}

val ok = Predicate("ok") {
  case s: String => /* do something */
}

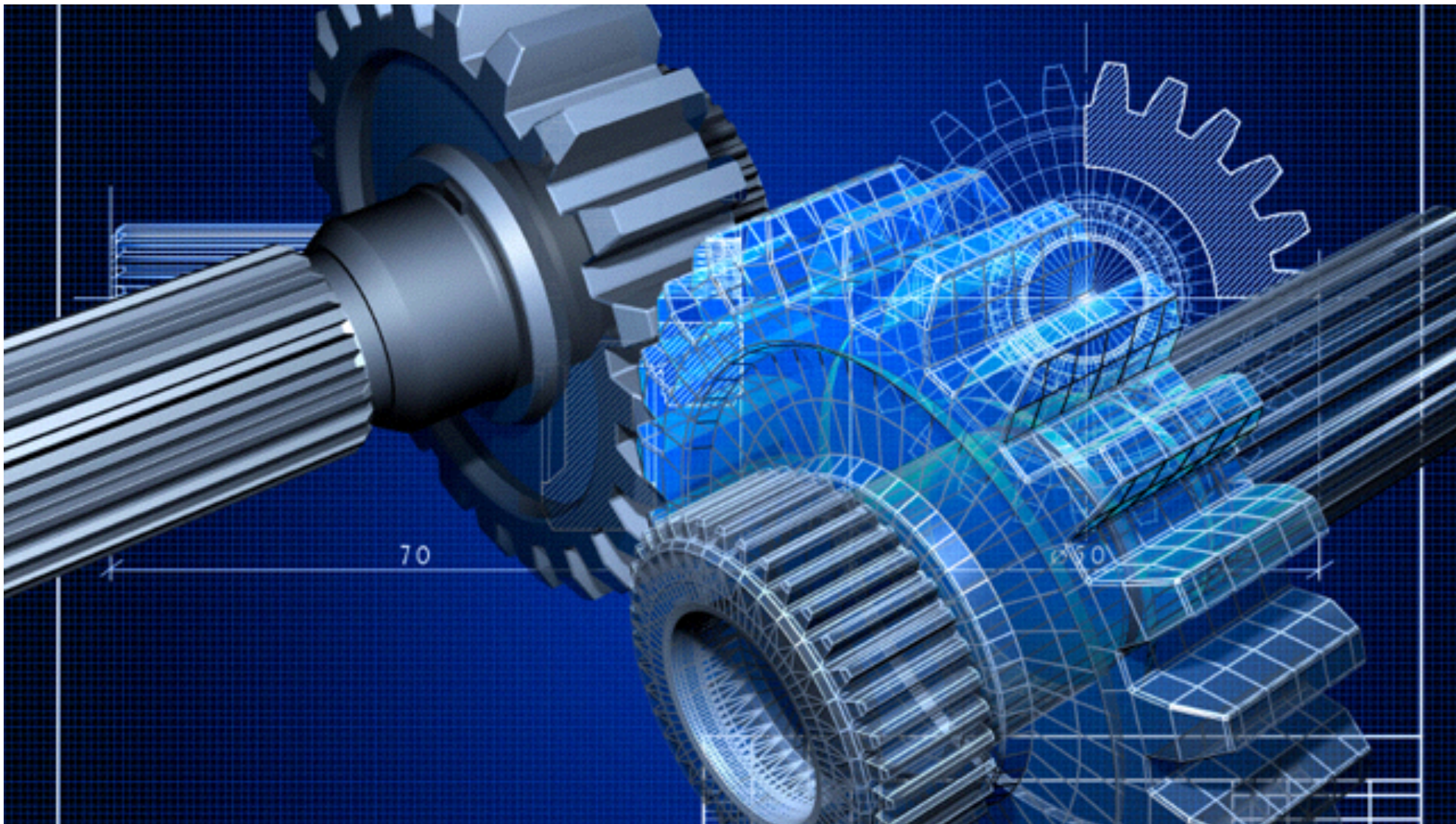
val connector =
  writer("in", List("a", "b")) ++
  transf("in", "x", f, finv) ++
  filter("x", "out", ok) ++
  sdrain("x", "out") ++
  reader("out", 2)

connector.run()
```

```
class Filter(a: String, b: String,
            p: Predicate)
  extends ... {

  def getConstraint = Constraint(
    b --> a,
    b --> (b := a),
    b --> (a :< p),
    (a /\ (a :< p)) --> b
  )

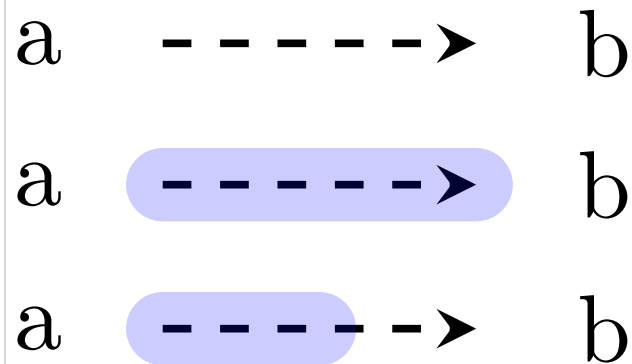
  /* override def update(s:
    Option[Solution]) = ... */
}
```



# More about constraints

# CC2 as constraints

- [ *Colouring*:  $\text{End} \rightarrow \{\text{Flow}, \text{NoFlow}\}$  ]
- *Formula*: Boolean over End
- *Composition* = conjunction



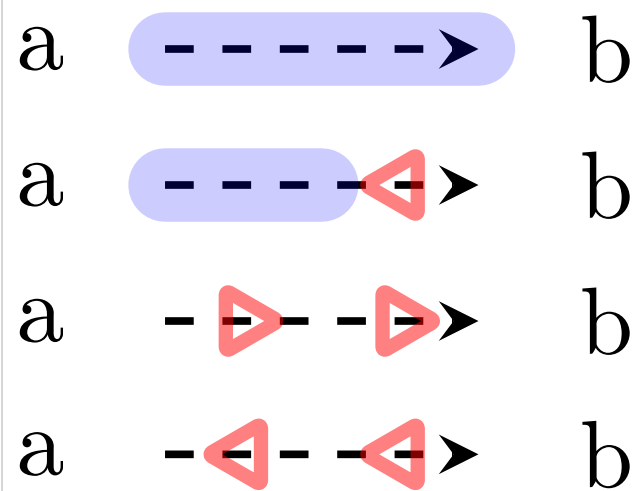
$$\begin{aligned} & (\neg a \wedge \neg b) \vee \\ & (a \wedge b) \vee \\ & (a \wedge \neg b) \end{aligned}$$

$$b \rightarrow a$$



# CC3 as constraints

- [ *Colouring*:  $\text{End} \rightarrow \{\text{Flow}, \text{GiveReason}, \text{GetReason}\}$  ]
- *Formula*: Boolean over  $\text{End}, \text{End}_{\text{src}}, \text{End}_{\text{snk}}$
- $a$  = flow on  $a$  ;  $a_{\text{src}}$  = give reason ;  $\neg b_{\text{snk}}$  = get reason

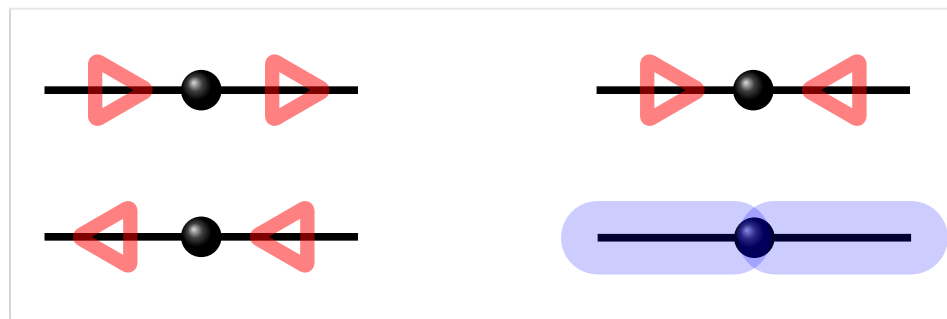


$$\begin{aligned}
 &b \rightarrow a \wedge \\
 &(a \wedge \neg b) \rightarrow (a \wedge \neg b_{\text{snk}}) \wedge \\
 &\neg a \rightarrow (\neg b \wedge \neg a_{\text{src}} \wedge b_{\text{snk}})
 \end{aligned}$$

# CC3 as constraints

## Composition

- $a$  = flow on  $a$  ;  $a_{src}$  = give reason ;  $\neg b_{snk}$  = get reason
- one-to-one composition: source to sink ends

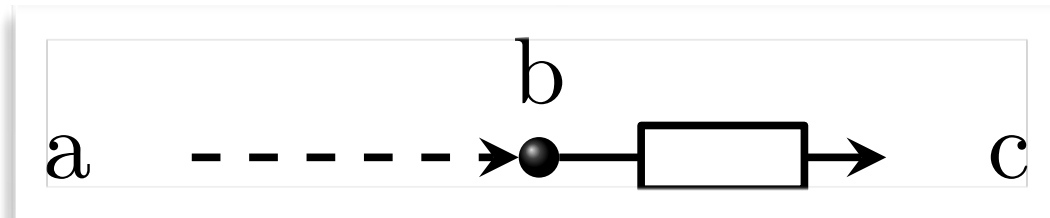


$$\forall x \quad \cdot \quad x_{snk} \vee x_{src}$$



# CC3 as constraints

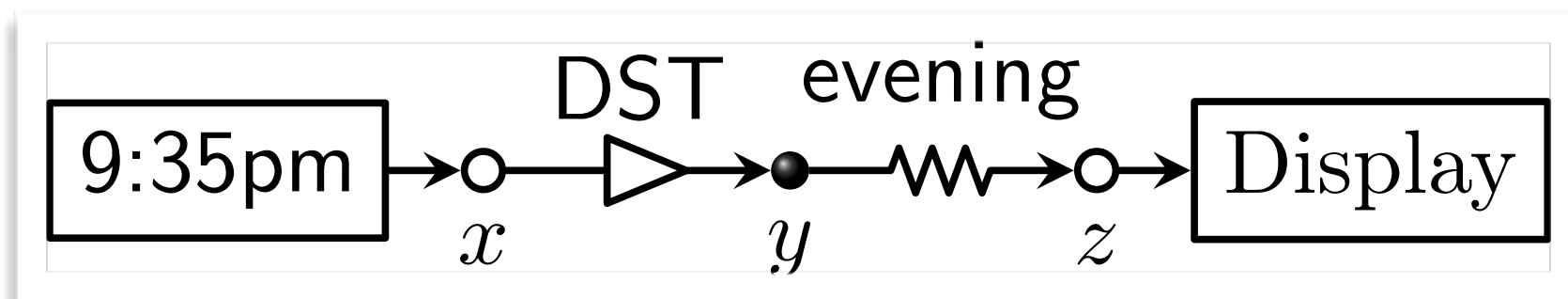
## example



$$\begin{aligned}
 \phi &= b \rightarrow a \wedge \neg c \\
 &\quad (a \wedge \neg b) \rightarrow (a \wedge \neg b_{snk}) \wedge \\
 &\quad \neg a \rightarrow (\neg b \wedge \neg a_{src} \wedge b_{snk}) \wedge \\
 &\quad (\neg b \rightarrow \neg b_{src}) \wedge c_{snk} \wedge \\
 &\quad b_{src} \vee b_{snk}
 \end{aligned}$$

$$\begin{aligned}
 \{a \wedge b \wedge \neg c \wedge c_{snk}\} &\models \phi \\
 \{\neg a \wedge \neg b \wedge \neg c \wedge \neg a_{src} \wedge b_{snk} \wedge \neg b_{src} \wedge c_{snk}\} &\models \phi
 \end{aligned}$$

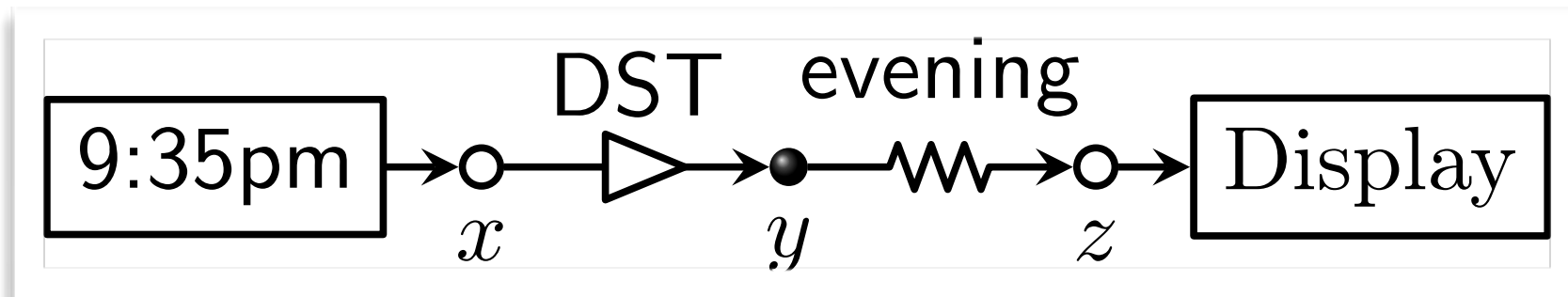
# Data constraints



$$\begin{array}{lll} x \rightarrow \hat{x} := 9:35\text{pm} & x \leftrightarrow y & y \rightarrow \hat{y} := \text{DST}(\hat{x}) \\ (y \wedge \text{evening}(\hat{y})) \leftrightarrow z & & z \rightarrow \hat{z} := \hat{y} \end{array}$$

How to solve this?

# Predicate abstraction



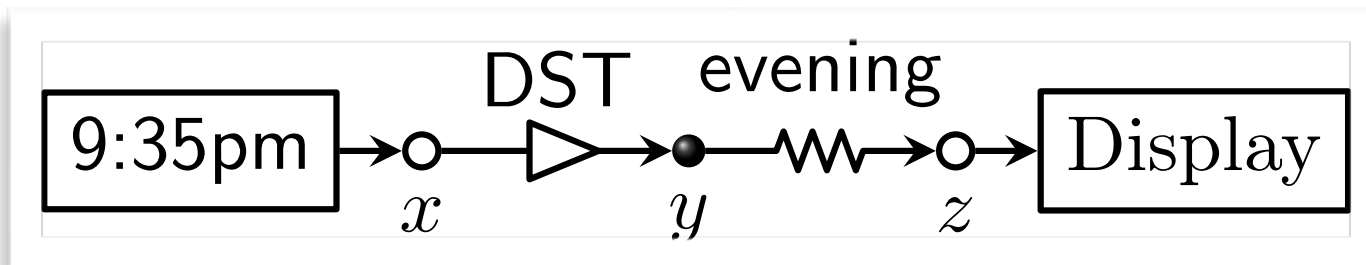
original

$$\begin{array}{lll}
 x \rightarrow \hat{x} := 9:35\text{pm} & x \leftrightarrow y & y \rightarrow \hat{y} := \text{DST}(\hat{x}) \\
 (y \wedge \text{evening}(\hat{y})) \leftrightarrow z & & z \rightarrow \hat{z} := \hat{y}
 \end{array}$$

boolean

$$\begin{array}{ll}
 x \rightarrow \hat{x}_{\text{ev.dst}} := [\text{evening}(\text{DST}(9:35\text{pm}))] & x \leftrightarrow y \\
 y \rightarrow \hat{y}_{\text{ev}} := \hat{x}_{\text{ev.dst}} & (y \wedge \hat{y}_{\text{ev}}) \leftrightarrow z
 \end{array}$$

# Interaction via Choco



boolean

$$\begin{aligned}
 x \rightarrow \hat{x}_{\text{ev.dst}} &:= [\text{evening}(\text{DST}(9:35\text{pm}))] & x \leftrightarrow y \\
 y \rightarrow \hat{y}_{\text{ev}} &:= \hat{x}_{\text{ev.dst}} & (y \wedge \hat{y}_{\text{ev}}) \leftrightarrow z
 \end{aligned}$$

interactive

$$\begin{aligned}
 x \rightarrow \text{XPred}(\text{ev.dst}, x, 9:35\text{pm}) & & x \leftrightarrow y \\
 y \rightarrow \hat{y}_{\text{ev}} &:= \hat{x}_{\text{ev.dst}} & (y \wedge \hat{y}_{\text{ev}}) \leftrightarrow z
 \end{aligned}$$

# Interaction via Choco

9:35pm

- instance of a Choco constraint
- reacts when  $x$  or  $\hat{x}_{\text{ev.dst}}$  is instantiated
- $\neg x \Rightarrow \hat{x}_{\text{ev.dst}}$  can be anything
- $x \Rightarrow \hat{x}_{\text{ev.dst}} = \text{ev}(\text{dst}(9:35\text{pm}))$

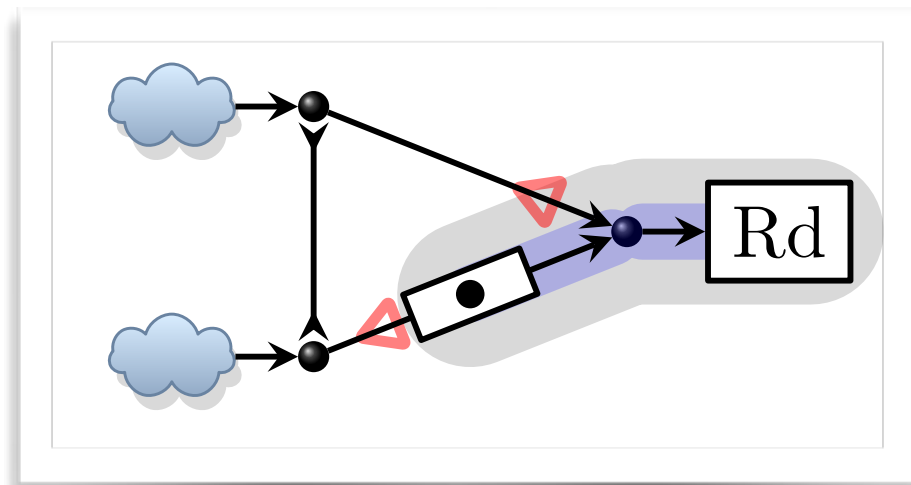
boolean

$$\begin{array}{ll}
 x \rightarrow \hat{x}_{\text{ev.dst}} = [\text{evening}(\text{DST}(9:35\text{pm}))] & x \leftrightarrow y \\
 y \rightarrow \hat{y}_{\text{ev}} := \hat{x}_{\text{ev.dst}} & (y \wedge \hat{y}_{\text{ev}}) \leftrightarrow z
 \end{array}$$

interactive

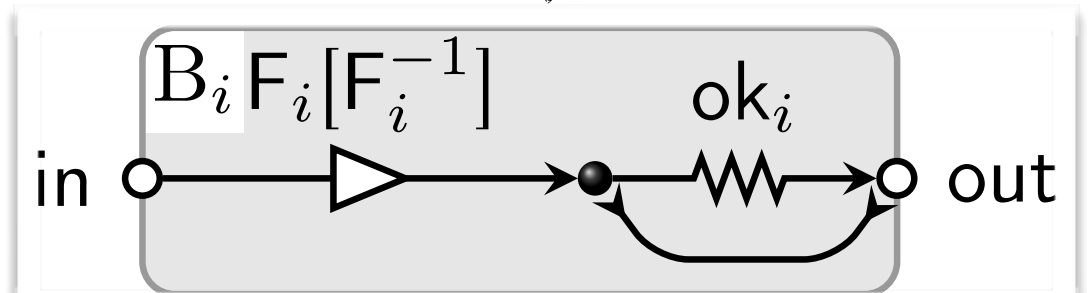
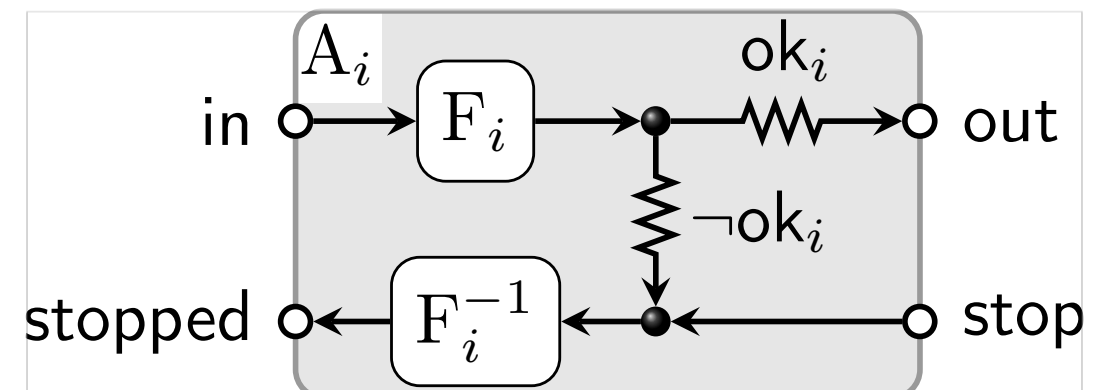
$$\begin{array}{ll}
 x \rightarrow \text{XPred}(\text{ev.dst}, x, 9:35\text{pm}) & x \leftrightarrow y \\
 y \rightarrow \hat{y}_{\text{ev}} := \hat{x}_{\text{ev.dst}} & (y \wedge \hat{y}_{\text{ev}}) \leftrightarrow z
 \end{array}$$

# Wrapping up



- Interactive constraint solving
- Expose the atomicity of Reo to components

- Reo and connector colouring



# Ongoing experiments

- Avoiding pre-processing (SMT instead of SAT)

$$\exists a, \hat{a} \cdot \psi$$

- Compiling steps:
- Heuristics for identifying potential partial colourings
- Combining local and interactive constraints (probably to a journal)