# **R** documentation

of 'FHT.Rd' etc.

April 23, 2012

FHT

FHT data introduced in Simon et al. (2011).

# Description

The FHT data set has n = 50 observations and p = 100 predictors. The covariance between predictors Xj and Xj' has the same correlation 0.5. See details in Simon et al. (2011).

# Usage

data(FHT)

#### Format

This list object named "FHT" contains the following data:

- x a covariate matrix with 50 rows and 100 columns
- y the distinct failure times

**status** the censoring indicator (status = 1 indicates no censoring and status = 0 indicates right censoring)

# References

Friedman, J., Hastie, T. and Tibshirani, R. (2008) "Regularization Paths for Generalized Linear Models via Coordinate Descent", http://www.stanford.edu/~hastie/Papers/glmnet.pdf *Journal of Statistical Software*, Vol. 33(1), 1-22 Feb 2010 http://www.jstatsoft.org/v33/i01/

Simon, N., Friedman, J., Hastie, T., Tibshirani, R. (2011) "Regularization Paths for Cox's Proportional Hazards Model via Coordinate Descent", *Journal of Statistical Software*, Vol. 39(5) 1-13 http://www.jstatsoft.org/v39/i05/

# **Examples**

data(FHT)

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fastcox-package	Lasso and elastic-net penalized Cox's regression in high dimensions models using the cocktail algorithm
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# **Description**

We introduce a cocktail algorithm, a good mixture of coordinate decent, the majorization-minimization principle and the strong rule, for computing the solution paths of the elastic net penalized Cox's proportional hazards model.

#### **Details**

Package: fastcox
Type: Package
Version: 1.0.0
Date: 2012-03-26
Depends: Matrix

License: GPL (version 2)

URL: http://code.google.com/p/fastcox/

#### Author(s)

Yi Yang and Hui Zou

Maintainer: Yi Yang <yiyang@umn.edu>

# References

Yang, Y. and Zou, H. (2012), "A Cocktail Algorithm for Solving The Elastic Net Penalized Cox's Regression in High Dimensions", *Statistics and Its Interface*.

```
http://code.google.com/p/fastcox/
```

# **Examples**

```
data(FHT)
m1<-cocktail(x=FHT$x,y=FHT$y,d=FHT$status,alpha=0.5)
predict(m1,newx=FHT$x[1:5,],s=c(0.01,0.005))
predict(m1,type="nonzero")
plot(m1)</pre>
```

cocktail

Fits the regularization paths for the elastic net penalized Cox's model

# **Description**

Fits a regularization path for the elastic net penalized Cox's model at a sequence of regularization parameters lambda.

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#### **Usage**

```
cocktail(x,y,d,
nlambda=100,
lambda.min=ifelse(nobs<nvars,1e-2,1e-4),
lambda=NULL,
alpha=1,
pf=rep(1,nvars),
exclude,
dfmax=nvars+1,
pmax=min(dfmax*1.2,nvars),
standardize=TRUE,
eps=1e-6,
maxit=1e4)</pre>
```

#### **Arguments**

x matrix of predictors, of dimension  $N \times p$ ; each row is an observation vector.

y a survival time for Cox models. Currently tied failure times are not supported.

d censor status with 1 if died and 0 if right censored.

nlambda the number of lambda values - default is 100.

lambda.min given as a fraction of lambda.max - the smallest value of lambda for which all

coefficients are zero. The default depends on the relationship between N (the number of rows in the matrix of predictors) and p (the number of predictors). If N>p, the default is 0.0001, close to zero. If N< p, the default is 0.01. A very small value of lambda.min will lead to a saturated fit. It takes no effect if

there is user-defined lambda sequence.

lambda a user supplied lambda sequence. Typically, by leaving this option unspecified

users can have the program compute its own lambda sequence based on nlambda and lambda.min. Supplying a value of lambda overrides this. It is better to supply a decreasing sequence of lambda values than a single (small) value, if not, the program will sort user-defined lambda sequence in decreasing order

automatically.

alpha The elasticnet mixing parameter, with  $0 < \alpha <= 1$ . See details.

pf separate penalty weights can be applied to each coefficient of  $\beta$  to allow differ-

ential shrinkage. Can be 0 for some variables, which implies no shrinkage, and results in that variable always being included in the model. Default is 1 for all variables (and implicitly infinity for variables listed in exclude). See details.

exclude indices of variables to be excluded from the model. Default is none. Equivalent

to an infinite penalty factor.

dfmax limit the maximum number of variables in the model. Useful for very large p, if

a partial path is desired. Default is p + 1.

pmax limit the maximum number of variables ever to be nonzero. For example once  $\beta$ 

enters the model, no matter how many times it exits or re-enters model through

the path, it will be counted only once. Default is min(dfmax\*1.2,p).

standardize logical flag for variable standardization, prior to fitting the model sequence. If

TRUE, x matrix is normalized such that sum squares of each column  $\sum_{i=1}^{N} x_{ij}^2/N = 1$ . Note that x is always centered (i.e.  $\sum_{i=1}^{N} x_{ij} = 0$ ) no matter standardize

is TRUE or FALSE. The coefficients are always returned on the original scale.

Default is is TRUE.

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eps convergence threshold for coordinate majorization descent. Each inner coordi-

nate majorization descent loop continues until the relative change in any coefficient (i.e.  $\max_j |\beta_j^{new} - \beta_j^{old}|^2$ ) is less than eps. Defaults value is 1e-6.

maxit maximum number of outer-loop iterations allowed at fixed lambda value. De-

fault is 1e4. If models do not converge, consider increasing maxit.

#### **Details**

The algorithm estimates  $\beta$  based on observed data, through elastic net penalized log partial likelihood of Cox's model.

$$\arg\min(loglik(Data,\beta) + \lambda * P(\beta))$$

It can compute estimates at a fine grid of values of  $\lambda$ s in order to pick up a data-driven optimal  $\lambda$  for fitting a 'best' final model. The penalty is a combination of 11 and 12 penalty:

$$P(\beta) = (1 - \alpha)/2||\beta||_2^2 + \alpha||\beta||_1.$$

alpha=1 is the lasso penalty. For computing speed reason, if models are not converging or running slow, consider increasing eps, decreasing nlambda, or increasing lambda.min before increasing maxit.

#### Value

An object with S3 class cocktail.

call the call that produced this object

beta a p\*length(lambda) matrix of coefficients, stored as a sparse matrix (dgCMatrix

class, the standard class for sparse numeric matrices in the Matrix package.). To

convert it into normal type matrix use as.matrix().

lambda the actual sequence of lambda values used

df the number of nonzero coefficients for each value of lambda.

dim dimension of coefficient matrix (ices)

npasses total number of iterations (the most inner loop) summed over all lambda values

jerr error flag, for warnings and errors, 0 if no error.

#### Author(s)

Yi Yang and Hui Zou

Maintainer: Yi Yang <yiyang@umn.edu>

#### References

Yang, Y. and Zou, H. (2012), "A Cocktail Algorithm for Solving The Elastic Net Penalized Cox's Regression in High Dimensions", *Statistics and Its Interface*.

http://code.google.com/p/fastcox/

#### See Also

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#### **Examples**

```
data(FHT)
m1<-cocktail(x=FHT$x,y=FHT$y,d=FHT$status,alpha=0.5)
predict(m1,newx=FHT$x[1:5,],s=c(0.01,0.005))
predict(m1,type="nonzero")
plot(m1)</pre>
```

plot.cocktail

Plot coefficients from a "cocktail" object

# Description

Produces a coefficient profile plot of the coefficient paths for a fitted cocktail object. This function is modified based on the plot function from the glmnet package.

#### Usage

```
## S3 method for class 'cocktail'
plot(x, xvar = c("norm", "lambda"), color = FALSE, label = FALSE, ...)
```

# **Arguments**

x	fitted cocktail model
xvar	what is on the X-axis. "norm" plots against the L1-norm of the coefficients, "lambda" against the log-lambda sequence.
color	if TRUE, plot the curves with rainbow colors. FALSE is gray colors. Default is $\ensuremath{FALSE}$
label	if TRUE, label the curves with variable sequence numbers. Default is FALSE
	other graphical parameters to plot

# **Details**

A coefficient profile plot is produced.

#### Author(s)

```
Yi Yang and Hui Zou
```

Maintainer: Yi Yang <yiyang@umn.edu>

# References

Yang, Y. and Zou, H. (2012), "A Cocktail Algorithm for Solving The Elastic Net Penalized Cox's Regression in High Dimensions", *Statistics and Its Interface*.

```
http://code.google.com/p/fastcox/
```

Friedman, J., Hastie, T. and Tibshirani, R. (2008) "Regularization Paths for Generalized Linear Models via Coordinate Descent", http://www.stanford.edu/~hastie/Papers/glmnet.pdf *Journal of Statistical Software*, Vol. 33(1), 1-22 Feb 2010 http://www.jstatsoft.org/v33/i01/

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Simon, N., Friedman, J., Hastie, T., Tibshirani, R. (2011) "Regularization Paths for Cox's Proportional Hazards Model via Coordinate Descent", *Journal of Statistical Software*, Vol. 39(5) 1-13 http://www.jstatsoft.org/v39/i05/

# **Examples**

```
data(FHT)
m1<-cocktail(x=FHT$x,y=FHT$y,d=FHT$status,alpha=0.5)
par(mfrow=c(1,3))
plot(m1) # plots against the L1-norm of the coefficients
plot(m1,xvar="lambda",label=TRUE) # plots against the log-lambda sequence
plot(m1,color=TRUE)</pre>
```

predict.cocktail

make predictions from a "cocktail" object.

## **Description**

Similar to other predict methods, this functions predicts fitted values, link function and more from a fitted cocktail object. This function is modified based on the predict function from the glmnet package.

#### Usage

```
## S3 method for class 'cocktail'
predict(object,newx,s=NULL,type=c("link","response","coefficients","nonzero"),...)
```

# **Arguments**

Not used. Other arguments to predict.

#### **Details**

s is the new vector at which predictions are requested. If s is not in the lambda sequence used for fitting the model, the predict function will use linear interpolation to make predictions. The new values are interpolated using a fraction of predicted values from both left and right lambda indices.

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#### Value

The object returned depends on type.

#### Author(s)

```
Yi Yang and Hui Zou
Maintainer: Yi Yang <yiyang@umn.edu>
```

#### References

Yang, Y. and Zou, H. (2012), "A Cocktail Algorithm for Solving The Elastic Net Penalized Cox's Regression in High Dimensions", *Statistics and Its Interface*.

```
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Simon, N., Friedman, J., Hastie, T., Tibshirani, R. (2011) "Regularization Paths for Cox's Proportional Hazards Model via Coordinate Descent", *Journal of Statistical Software*, Vol. 39(5) 1-13 http://www.jstatsoft.org/v39/i05/

#### See Also

coef method

# **Examples**

```
data(FHT)
m1<-cocktail(x=FHT$x,y=FHT$y,d=FHT$status,alpha=0.5)
predict(m1,type="nonzero")
predict(m1,s=c(0.01,0.005),type="coefficients")
predict(m1,newx=FHT$x[1:5,],type="response")
predict(m1,newx=FHT$x[1:3,],s=0.01,type="link")</pre>
```

print.cocktail

print a cocktail object

#### **Description**

Print a summary of the cocktail path at each step along the path. This function is modified based on the print function from the glmnet package.

# Usage

```
## S3 method for class 'cocktail'
print(x, digits = max(3, getOption("digits") - 3), ...)
```

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#### **Arguments**

x fitted cocktail objectdigits significant digits in printoutadditional print arguments

#### Details

The call that produced the cocktail object is printed, followed by a two-column matrix with columns Df and Lambda. The Df column is the number of nonzero coefficients.

#### Value

a two-column matrix, the first columns is the number of nonzero coefficients and the second column is Lambda.

#### Author(s)

Yi Yang and Hui Zou

Maintainer: Yi Yang <yiyang@umn.edu>

# References

Yang, Y. and Zou, H. (2012), "A Cocktail Algorithm for Solving The Elastic Net Penalized Cox's Regression in High Dimensions", *Statistics and Its Interface*.

```
http://code.google.com/p/fastcox/
```

Friedman, J., Hastie, T. and Tibshirani, R. (2008) "Regularization Paths for Generalized Linear Models via Coordinate Descent", http://www.stanford.edu/~hastie/Papers/glmnet.pdf *Journal of Statistical Software*, Vol. 33(1), 1-22 Feb 2010 http://www.jstatsoft.org/v33/i01/

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# Examples

```
data(FHT)
m1<-cocktail(x=FHT$x,y=FHT$y,d=FHT$status,alpha=0.5)
print(m1)</pre>
```

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