

News Article Classification

(Multi-Label Learning: ML-KNN & BP-MLL)

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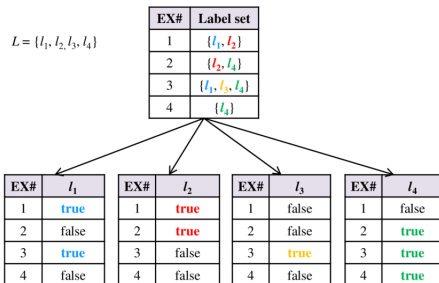
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Introduction and Problem Statement

KNN Based Approaches

Binary Relevance (A Naive Approach)

- An intuitive approach to deal with the multilabel paradigm.
- Works by decomposing the multi-label learning task into a number of independent binary learning tasks (one per class label).



- Often criticized in the literature because of its label independence assumption.
- We implement a KNN based binary relevance model and compare with a more novel adaptation: the ML-KNN model.

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- Where we take a Bayesian approach towards estimating the prior probabilities, $\mathbb{P} \left(H_b^\ell \right)$, and conditional probabilities, $\mathbb{P} \left(E_{\vec{C}_t(\ell)}^\ell | H_b^\ell \right)$.

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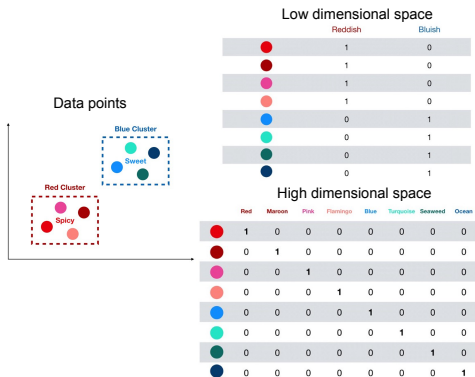
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- Let E_j^ℓ ($j \in \{1, \dots, K\}$) denote the event that, among the K nearest neighbors of t , there are exactly j instances which have label ℓ .

ML-KNN Algorithm: Reasons for dimension reduction



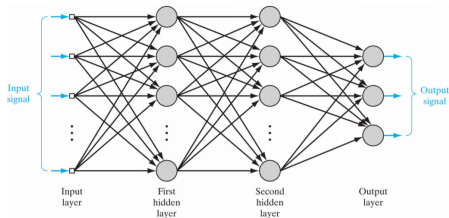
Having a high dimensional feature space causes Euclidian distances between points to be fairly similar as the distance vector components are partitioned across many dimensions.

Neural Network Based Approaches

Network Architectures (Feed Forward vs Recurrent)

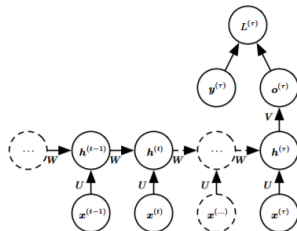
Feed Forward Networks

- Neurons in the first layer represent components of the input vectors.
- The output of the neuron in the next layer is determined by applying a non-linear “activation function” to a linear combination of the input components, plus a bias.



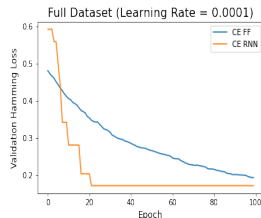
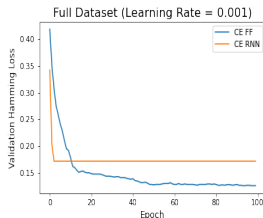
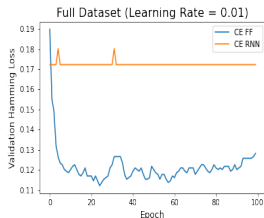
Recurrent Neural Networks (RNNs)

- RNNs are a popular adaptation for NLP problems.
- They utilize hidden unit connections with shared weights.
- Unfolding an RNN let's us visualize it like a feed forward network (see below).



Naive vs Novel Approaches (Cross Entropy vs BPMML)

Artificial Neural Network Results: Full Dataset

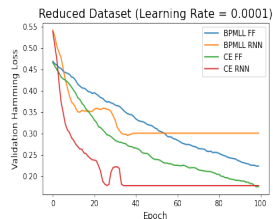
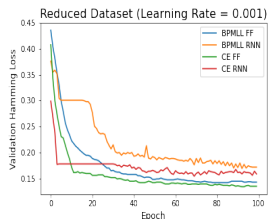
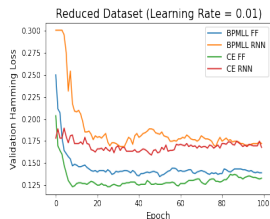


Learning Rate	CE FF	CE RNN
0.01	0.3020833333	0.2379807692
0.001	0.17868589740	0.1730769231
0.0001	0.2115384615	0.1770833333

Table 1: Hamming Loss with Threshold Function Learning

CE FF outperform CE RNN in constant threshold but underperform in learned threshold; The effect of learning rate.

Artificial Neural Network Results: Reduced Dataset



Learning Rate	CE FF	BPMLL FF	CE RNN	BPMLL RNN
0.01	0.1520979021	0.145979021	0.2447552448	0.2194055944
0.001	0.1853146853	0.2578671329	0.1791958042	0.20454545
0.0001	0.2071678322	0.1844405594	0.1896853147	0.2132867133

Table 2: Hamming Loss with Threshold Function Learning

Same conclusion for RNN and FF; BPMLL shows NO better performance in hamming loss than cross entropy.

Discussion and Conclusions

References

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