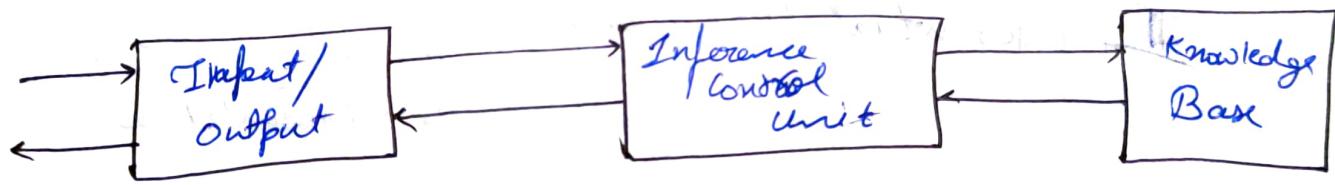


12/10/22

Knowledge Based System: These are the system that depends on a rich base of knowledge to perform different tasks. It includes work in vision, learning, general problem solving, & Natural language Understanding.

The systems get their power from the expert knowledge that has been coded into facts, heuristics & procedures. The knowledge is stored in the knowledge base that is separate from the control & inferencing components. It is possible to add new knowledge & refine existing knowledge without recompiling the control & inferencing programs.



Components of Knowledge Based System.

## # Representation of Knowledge

- ① The objective of the Knowledge Representation (KR) is to express knowledge in computer readable form. So that it can be used to enable our AI agents to perform as per the expectation.
- ② A KR language is defined by 2 aspects.
  - Syntax → The syntax of a language defines which configuration of the components of the language constitute valid sentences

Semantics - The semantics define what facts in the ~~for~~ world the sentences refer to & hence the statement about the world that each sentence makes.

## # Approaches to KR / Requirement of KR

① A good System for representation of knowledge in a particular domain should possess the following properties.

② Representational Adequacy → The ability to represent all the different kinds of knowledge that might be needed in that domain.

③ Inferential Adequacy → The ability to manipulate the representational str.

in such a way as to derive new structures corresponding to new knowledge inferred from old ones.

④ Inferential Efficiency → The ability ~~not~~ to infer ~~not~~ the additional info into the knowledge str. which can be used to focus the attention of the inference mechanism in the most promising direction.

⑤ Acquisitional Efficiency → The ability to generate new info easily.

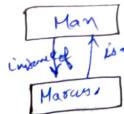
\* Ideally the agents should be able to control its own KA.  
But direct insertion of info by knowledge engineer would be acceptable.

## # Techniques of KR

① Simple Relational Knowledge → It is used in database systems to represent declarative facts.

Declarative Knowledge  
passive knowledge expressed as statements of facts about the world.

② Inheritable Knowledge → It uses the concept of property inheritance.



③ Inferential Knowledge → Uses the concept of std. logical rules of inference.  
Eg - Modus Ponens, Modus Tollens.

④ Procedural Knowledge → It is Compiled knowledge related to the performance of some tasks.

Eg → Algebraic Eqn Solving

→ Ordinary Set Atgns  $\leftrightarrow$  Comp. Set Algebra

Object Oriented/  
Object Based  
fully obj oriented  
5 ways to store works

# # Fuzzy logic → [Unclear]

① Fuzzy System → They include fuzzy logic & fuzzy set theory.

(i) knowledge exists in two distinct forms

→ Objective Knowledge → that exists in Mathematical form  
↳ used to represent engineering prob.

→ Subjective Knowledge → that exists in linguistic form  
↳ is usually imprecise to quantify.

(ii) The concept of fuzzy logic is used to coordinate these two forms of knowledge in a logical way.

(iv) Many real world problems have been Modelled, simulated & replicated with the help of fuzzy Systems!

(v) Some Applications of Fuzzy Systems are

- Info. Retrieval Systems
- Navigation Systems
- Robot Vision, etc

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## Definition of Fuzzy Logic

fuzzy logic is derived from Fuzzy Set Theory dealing with reasoning i.e approximate rather than precisely deduced from classical two valued logic.

Note → A declarative sentence that is either true or false is a proposition

Exception → Commands, questions & Exclamations.

## Rules of Inference

① Modus Ponens →  $(P \wedge (P \rightarrow q)) \rightarrow q$

② Modus Tollens →  $(\neg q \wedge (P \rightarrow q)) \rightarrow \neg P$

In fuzzy logic, the ~~three~~ truth values are multi-valued such as absolute True, Partially true, Absolute False, etc.

Fuzzy Proposition → A fuzzy proposition is a statement,  $\tilde{P}$ , which acquires a fuzzy truth value  $T(\tilde{P})$ .

## Fuzzy Connectives →

- ① Negation :  $1 - \tau(\bar{P})$
  - ② Disjunction :  $\max[\tau(\bar{P}), \tau(\bar{Q})]$
  - ③ Conjunction :  $\min[\tau(\bar{P}), \tau(\bar{Q})]$
  - ④ Implication / Conditional :  $\bar{P} \Rightarrow \bar{Q} = \neg P \times Q$   
 $= \max[1 - \tau(P), \tau(\bar{Q})]$

~~Eg~~ → P: Mary is efficient

Q: Ram is efficient

$$\text{Given} \rightarrow \tau(\vec{p}) = 0.8$$

$$\tau(0) = 0.65$$

$$\text{Cal } i) \bar{P} = 1 - 0.8 = 0.2$$

$$(ii) -\bar{q} = 1 - 0.65 = 0.35$$

$$(iii), \bar{P} \wedge \bar{Q} = \min[0.8, 0.65] = 0.65$$

$$(iv) \tilde{P} \vee \tilde{Q} = \max [0.83, 0.68] = 0.8$$

$$(v) \bar{P} \rightarrow \bar{\phi} = \max [0.2, 0.65] = 0.65$$

# Fuzzy Quantifiers → In crisp logic, the predicates are quantified by quantifiers. Similarly, In fuzzy logic

the prepositions are quantified by Quantifiers. These are often ~~of two types~~  
~~class~~

- (i) Absolute Quantifiers (round about)
  - ii) Relative Quantifier (almost)

# Fuzzy Systems →

```

graph TD
    Fuzzification[x1, x2, ..., xn] --> FuzzyInference[Fuzzy Inference]
    FuzzyRuleBox[Fuzzy Rule Box] --> FuzzyInference
    FuzzyRuleBox -- "need to store any new programming" --> MembershipFunctions[Membership functions]
    MembershipFunctions --> FuzzyInference
    FuzzyInference --> Defuzzification[Defuzzification]
    Defuzzification -- y1, y2, ..., y --> Output
  
```

## Data Block Schematic Diagram

## Fuzzy System Elements

- ② Input Vector  $\rightarrow$  These are the crisp values which are transformed into Fuzzy Sets in the fuzzification block.

$$x = [x_1, x_2, \dots, x_n]^T$$

- ② Output Vector → It comes out from the defuzzification block which transforms output fuzzy set back to crisp value.

$$\gamma = [y_1, y_2, y_3, \dots, y_n]^T$$

③ Fuzzification → It is a process of transforming crisp values into grades of membership for linguistic terms.

Such as → far, small, near of fuzzy sets.

④ Fuzzy Rule Base → It is a collection of Proposition containing linguistic variables.

IF → THEN

Eg → IF  $(x \text{ is } A)$   $(y \text{ is } B)$  THEN  $(z \text{ is } c)$   
variables  
where  $A, B, C \rightarrow$  linguistic variable / Terms

⑤ Membership Function → It provides measures of the degree of similarity of elements in the universe of discourse ( $U$ ) to fuzzy set.

⑥ Fuzzy Inference → It Combines the facts obtained from the fuzzification with the Rule base & conduct the fuzzy reasoning process.

⑦ Defuzzification → It translates the results back to the real world values

In many situations, for systems whose o/p is fuzzy → it is easier to take a crisp decision if the o/p is represented as a single quantity

The typical defuzzification methods are

- ① Centroid Method
- ② Centre of Sums
- ③ Mean of Maximum

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## First Order Logic

for Unit-2 → Richer logic

Self Task → Write short notes on Knowledge Based Agents & Read about the example on ~~B~~ Wumpus World

[Russel-Norvig]

## First Order Logic / First Order Predicate Logic

→ First order logic is another way of KR in AD

It is an extension to propositional logic. It is a powerful language that develops info about the objects in a more easy way & can also ~~represent~~<sup>express</sup> the relationship b/w those objects (and also functions).

## # Syntax of FOL

Some basic elements of FOH are .

- ① constants
  - ② Variables
  - ③ Predicates  $\rightarrow$  (Brother, Sister, Father)
  - ④ Functions  $\rightarrow$  ( $\sqrt{x}$ ,  $w \cdot x + z$ )
  - ⑤ Connectives  $\neg$
  - ⑥ Equality:  $(=)$
  - ⑦ Quantifiers  $\rightarrow$  (forall, there exist)

Atomic Sentences → most basic sentences of FOL & are formed from a predicate symbol followed by ~~parenthesis~~ with sequence of terms & represented as.

Predicate ( $\text{team}_1, \text{team}_2, \dots, \text{team}_n$ )

Fork → D'Haris & Raghu are Brothers

Brothers ( Hasi , Raghu )

② Tommy is a Do

Dog (Tommy)

## Complex Sentences

→ It is made by combining atomic sentences  
Using connectives.

FOL statements are divided into two parts

① Subject → main part of Statement.

② Predicate → Relationship which ~~binds~~ binds the atoms together in a statement.

for ex -  $X$  is a Integer,  
Subject                   Predicate

Quantifiers → It is a language which generates quantifications.

They are the symbols that commit to determine the identity of variables in terms of Range & Scope in the logic expression.

```

graph TD
    Quantifiers[Quantifiers] --> Universal[Universal (Scope)]
    Quantifiers --> Existential[Existential (Scope)]
    
```

Quantifiers

Universal (Scope)  
 {for all, for every  
 for each}

Existential (Scope)  
 {there exist, for some}

Universal Quantifier

$\forall$  is the symbol of Logical Representation which specifies that the statement within its scope is true for everything & every instance of a particular thing.

$\forall$  is represented as ( $\forall$ ) \* uses implication

Existential Quantifier

$\exists$  is the type of quantifiers which expresses that the statement within its scope is true for at least one instance of something.

Represented as ( $\exists$ ) \* uses And ( $\wedge$ )

Eg - ① All men drink coffee

$x \rightarrow$  Variable

$\hookrightarrow x, \text{coffee} \wedge x \in \text{coffee} \wedge \dots$

$\hookrightarrow \forall x \text{ man}(x) \Rightarrow \text{drink}(x, \text{coffee})$

\* All birds fly  $\rightarrow \forall x \text{ bird}(x) \Rightarrow \text{fly}(x)$  atomic

\* Every man respects his parents  $\rightarrow \text{respects}(x, y)$   
man, parent

$\forall x \text{ man}(x) \Rightarrow \text{respects}(x, \text{Parents})$

$\forall y \text{ man}(y) \Rightarrow \text{respects}(y, y)$

Eg - Some boys are intelligent.

$x \rightarrow$  Variable

$\exists x \text{ intelligent } \vee x, \text{int.}$

$\exists x : \text{boy}(x) \wedge \text{intelligent}(x)$

Inference in FOL  $\rightarrow$  It is used to deduce new facts & sentences from existing ones

Terminologies - ① Substitution  $\rightarrow$  It is a fundamental operation performed on terms ~~&~~ formulae. It occurs in all inference systems in FOL.

$F[a/x] \rightarrow$  Subs. after  $x$   
replace  $x$  by  $a$ .

② Equality  $\rightarrow$  Brother of John = Smith  
 $\hookrightarrow \text{Brother}(\text{John}) = \text{Smith}$   
~~Eg -  $\neg x = y \Rightarrow x \neq y$~~

Inference Rules for Quantifiers -

① Universal Generalisation  $\rightarrow$  It is a valid inference rule which states that if  $P(c)$ , premise, is true for any arbitrary element  $c$  in the universe of discourse then  $\forall x \cdot P(x)$  is the conclusion

Horn clause

## ② Universal Instantiation / Universal Elimination

If we can apply multiple times to add new sentences, we can infer any sentence  $P(c)$  by

Substituting a ground term  $c$  from  ~~$\Delta \models \varphi(x)$~~  for  
 $\downarrow$   
 head of  $\varphi(c)$   
 from Domain  
 any object in the  
 universe of  
 $\mathcal{D}$

$$\cancel{\forall x P(x) / \therefore P(c)}$$

for ex - Every person likes Ice cream

### ③ Existential Instantiation / Existential Elimination

It is a valid inference Rule in FOL & can  
be only applied once to replace the existential  
sentence. One can infer  $P(c)$  ~~from the~~ from the  
formulae in the form :

$$\frac{\exists x P(x)}{; \quad P(c)} \quad (\text{for a new const. } c)$$

(2) Existential Generalization | Existential Introduction →

If there is some element  $c$  in the universe of discourse which has a property  $P$  then we can infer that there exist something in the universe which has prop.  $P$ .

$$\frac{P(c)}{P(x)}$$

Unification → It is all about making the expressions look identical.

$$\begin{array}{l} L_1 : P(x, f(g)) \\ L_2 : P(y, f(z)) \end{array} \xrightarrow{\quad} \text{Identical if } \begin{array}{l} x=y \quad g=z \\ \downarrow \qquad \downarrow \\ y/x \qquad z/g. \end{array}$$

Conditions for Unification → ① Predicate symbol must be same,  
Atoms or expression with diff  
predicate symbols can never be unified.

- ② No. of args in both exp must be identical.
  - ③ Unification will fail if there are two similar variables present in the same expression.

## Unification Regs →

Unify ( $L_1, L_2$ )

- if  $L_1$  or  $L_2$  is a variable or constant then
    - if  $L_1$  &  $L_2$  are identical return  $\{NIL\}$
    - else if  $L_1 \rightarrow$  Variable then
      - if  $L_1$  occurs in  $L_2$  then return  $\{\text{FAIL}\}$
      - else return  $(L_2/L_1)$
    - elseif  $L_2 \rightarrow$  Variable then
      - if  $L_2$  occurs in  $L_1$  then return  $\{\text{FAIL}\}$
      - else return  $(L_1/L_2)$
    - else return  $\{\text{FAIL}\}$

2. If initial predicate symbol in  $L_1$  &  $L_2$  are not identical  
then return {FAIL}.

3. If  $L_1$  &  $L_2$  have diff no. of args  
then return {FAIL}

4. Set SUBST to NIL

5. Loop for i=1 to no of args in  $L_1$

(a) Call Unify ( $i^{\text{th}}$  arg of  $L_1$  &  $i^{\text{th}}$  arg of  $L_2$ ,  
in S. [S=unify( $L_1, L_2$ )]

(b) If S = FAIL, then return {FAIL}

(c) If S ≠ NULL then

(i) Apply S to the remainder of both  
 $L_1$  &  $L_2$

(ii) SUBST = APPEND(S, SUBST)

6. return SUBST.

Implementation of Unification Algo →

1. Initialise the SUBST set to be empty.

2. Recursively unify atomic sentences

(a) check for identical exp match

(b) If one exp is a variable V<sub>i</sub> & other is a term t<sub>i</sub>  
which does not contain the variable V<sub>i</sub>

then (i) Subs (t<sub>i</sub>/V<sub>i</sub>) in existing substitutions

(ii) Add t<sub>i</sub>/V<sub>i</sub> to the Substitution set List.

(iii) If both the exp are functions then function names  
must be similar & no. of args must be same  
as well as type.

~~S = P(z,y) - P(x,g(a))~~

① P(z,y) → unification feasible  
z/x, y/g(a)

② P(z,g(z)) → z/x, g(z)/g(a)

③ P(prime/f(prime)) → Not

Resolution is a single inference rule, which can efficiently operate on CNF or clausal form.

Conjunctive Normal Form

CNF → It is a sentence represented as a conjunction of clauses.

Clausal form → Disjunction of literals is called clause

### # Steps for resolution

- ① Conversion of facts into first order logic
- ② Convert first order logic statements into CNF.
- ③ Negate the statement, which needs to be proven (by contradiction)
- ④ Draw resolution graph (Unification)

Eg → ① If it is sunny and warm day, you will enjoy.

② If it is raining, you will get wet.

③ It is a warm day.

④ It is raining.

⑤ It is sunny.

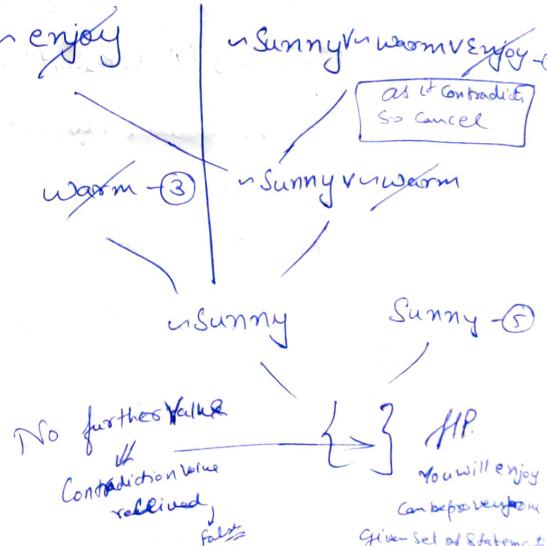
To Prove → You will enjoy.

- Step-① →
- 1)  $\text{Sunny} \wedge \text{Warm} \Rightarrow \text{Enjoy}$ .
  - 2)  $\text{Raining} \Rightarrow \text{Wet}$
  - 3)  $\text{Warm}$
  - 4)  $\text{Raining}$
  - 5)  $\text{Sunny}$ .

- Step-② →
- 1)  $\neg(\text{Sunny} \wedge \text{warm}) \vee \text{Enjoy}$  Demorgan
  - 2)  $\neg \text{Raining} \vee \text{Wet}$
  - 3)  $\neg \text{Warm}$
  - 4)  $\neg \text{Raining}$
  - 5)  $\neg \text{Sunny}$ .

- Step-③ →  $\neg \text{Enjoy}$

- Step-④ →  $\neg \text{enjoy}$



- Eg → St ① → John likes all kind of food  
St ② → Apple & Vegetable are food.  
St ③ → Anything anyone eat & not killed is food.  
St ④ → Anil eat peanuts & is still alive.  
St ⑤ → Harry eat everything that Anil eats.  
St ⑥ → John likes peanuts. [To Prove]  
→ St ⑦ → If not killed then ~~alive~~ alive  
St ⑧ → If alive then not killed.

- Step ① → 1)  $\forall x : \text{food}(x) \rightarrow \text{likes}(\text{John}, x)$   
2)  $\text{food}(\text{Apple}) \wedge \text{food}(\text{vegetable})$   
3)  $\forall x \forall y : \text{eats}(x, y) \wedge \neg \text{killed}(x) \rightarrow \text{alive}(y)$   
4)  $\text{eats}(\text{Anil}, \text{Peanuts}) \wedge \text{alive}(\text{Anil})$   
5)  $\forall x : \text{eats}(\text{Anil}, x) \rightarrow \text{eats}(\text{Harry}, x)$   
6)  $\forall x : \neg \text{killed}(x) \rightarrow \text{alive}(x)$   
7)  $\forall x : \neg \text{killed}(x) \rightarrow \neg \neg \text{killed}(x)$

⑧ →  $\text{likes}(\text{John}, \text{Peanuts})$

- \* CNF → (a) Eliminate all implications & rewrite  
(b) Move negations inwards & rewrite  
(c) Rename variables or Standardize the variables  
(d) Eliminate Existential & quantifiers: [There exist  $\exists$ ]  
[ $\forall$  there are  $\forall$ ]

- Step ② → (a)  
1)  $\forall x : \neg \text{food}(x) \vee \text{likes}(\text{John}, x)$   
2)  $\text{food}(\text{Apple}) \wedge \text{food}(\text{vegetable})$   
3)  $\forall x \forall y : \neg (\text{eats}(x, y) \wedge \neg \text{killed}(x)) \vee \text{food}(y)$   
4)  $\text{eats}(\text{Anil}, \text{Peanuts}) \wedge \text{alive}(\text{Anil})$   
5)  $\forall x : \neg \text{eats}(\text{Anil}, x) \vee \text{eats}(\text{Harry}, x)$   
6)  $\forall x : \neg (\neg \text{killed}(x)) \vee \text{alive}(x)$   
7)  $\forall x : \neg \text{alive}(x) \vee \neg \neg \text{killed}(x)$

### (b) Demorgan

- 1)  $\forall x : \neg \text{food}(x) \vee \text{likes}(\text{John}, x)$   
2)  $\text{food}(\text{Apple}) \wedge \text{food}(\text{vegetable})$   
3)  $\forall x \forall y : \neg \text{eats}(x, y) \vee \text{killed}(x) \vee \text{food}(y)$   
4)  $\text{eats}(\text{Anil}, \text{Peanuts}) \wedge \text{alive}(\text{Anil})$   
5)  $\forall x : \neg \text{eats}(\text{Anil}, x) \vee \text{eats}(\text{Harry}, x)$   
6)  $\forall x : \text{killed}(x) \vee \text{alive}(x)$   
7)  $\forall x : \text{alive}(x) \vee \neg \text{killed}(x)$

- (c) → 1)  $\forall x : \neg \text{food}(x) \vee \text{likes}(\text{John}, x)$   
2)  $\text{food}(\text{Apple}) \wedge \text{food}(\text{vegetable})$   
3)  $\forall y \forall z : \neg \text{eats}(y, z) \vee \text{killed}(z) \vee \text{food}(z)$   
4)  $\text{eats}(\text{Anil}, \text{Peanuts}) \wedge \text{alive}(\text{Anil})$   
5)  $\forall w : \neg \text{eats}(\text{Anil}, w) \vee \text{eats}(\text{Harry}, w)$   
6)  $\forall v : \text{killed}(v) \vee \text{alive}(v)$   
7)  $\forall q : \neg \text{alive}(q) \vee \neg \text{killed}(q)$

(e) Prop Universal Quantifiers

(f)  $\exists x \neg \text{food}(x) \vee \text{likes}(\text{John}, x)$

2) food (Apple)  $\wedge$  ③ food (Vegetable)

4) eats(y,z)  $\vee$  killed(y)  $\vee$  food(z)

5) eat (and, peacock) native (and).

7)  $\neg \text{eats}(\text{Anil}, w) \vee \text{eats}(\text{Harry}, w)$

8) ~~kill~~ killed (p) v alive (v)

g) native (?) v. killed (?)

### (f) Distribute Conjunction Over Disjunction

$$\begin{array}{l} \text{① } (A \wedge B) \vee (C \wedge D) \\ \text{② } (A \vee B) \wedge (C \wedge D) \end{array} \quad \left\{ \begin{array}{l} \text{Make statements} \\ \text{with } \wedge \text{ separate} \end{array} \right.$$

Step - ③ → dislikes (John, peanuts)

Step 4)  $\neg \text{likes}(\text{John}, \text{peanuts}) \equiv \neg \text{food}(x) \vee \text{loves}(x, \text{peanuts})$

$\neg \text{eats}(y, z) \vee \text{killed}(y) \vee \text{food}(z)$   $\rightsquigarrow$  food (peanuts)  
 Peanut/z  
 $\rightsquigarrow$  Eats(y, Peanuts)  $\vee$  killed(y)  $\rightsquigarrow$  Eats(Ant, Peanuts)  $\vee$  killed(Ant)

$\hookrightarrow$  Rate ( $y$ , Peanuts)  $\vee$  killed ( $y$ )       $\neg$  Rate (Anil, Peanuts)  $\wedge$  killed (Anil)

filled (Anil)  $\rightarrow$  alive (b)  $\rightarrow$  killed  
 alive (Anil)  $\rightarrow$  alive (Anil)  
 { }  $\rightarrow$  NP

## 21) 10b2 Forward Chaining (Reasoning)

It is the form of reasoning which starts with atomic sentences in the knowledge base & applies inference rules in forward dir<sup>n</sup> to abstract more data until the goal is reached.

Properties → ① It moves from bottom to top

② It is the process of making a conclusion based on known facts or data by starting from initial state & reach the goal state.

③ After Data Driven Strategy as reaching to the goal uses available data

Applications → Expert Systems

## # Backward Chaining (Reasoning)

It starts with the goal & works backward, chaining through rules to find known facts to support the goal

Properties: ① It is a Roll Down approach

② It is based on Modus Pottens inference rule

③ The goal is broken into subgoals to prove that the facts are true

④ It is goal driven approach as the list of goals decided which rules are selected to used.

Applications → Game Theory, Automated Theorem Proving  
Tools, Inference Engines, Prof. Assistant etc.

## # Difference b/w

### Forward Reasoning

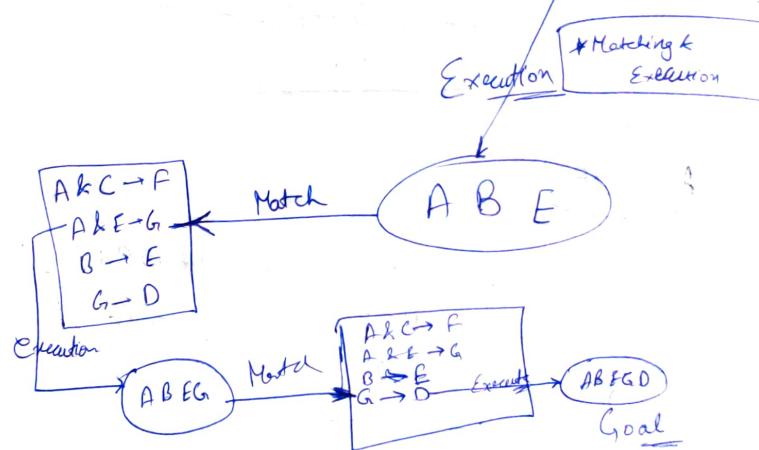
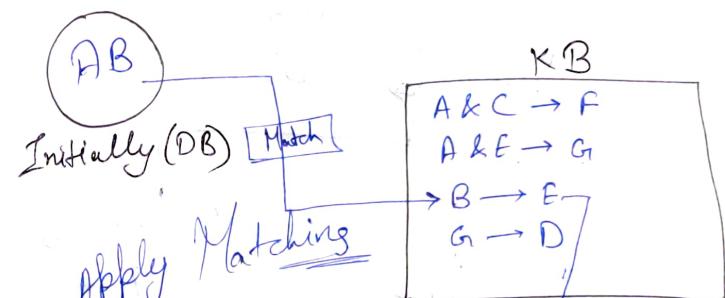
- ① It starts from known facts & applies inference rules to extract more data until it reaches to the goal. (Forward dir)
- ② A Bottom Up Approach
- ③ Data Driven as goal is reached using available data
- ④ Uses BFS strategy.
- ⑤ It tests for all the available rules.
- ⑥ It is suitable for planning, monitoring, controlling & interpretation applications.
- ⑦ Can generate infinite no. of possible conclusions
- ⑧ It is aimed for any conclusion

### Backward Reasoning

- ① It starts from the goals & works backward through inference rule to find the required facts that support the goals. (Backward dir)
- ② A Top Down Approach
- ③ Goal Driven as process starts from goals & divided into some goals to extract the facts.
- ④ Uses DFS strategy.
- ⑤ Only tests few required rules.
- ⑥ Suitable for diagnosis, prescription & debugging applications.
- ⑦ Finite no. of possible conclusions generated
- ⑧ Only aimed for required data

Eg → ① If A & C then F  
 ② If A & E then G  
 ③ If B then E  
 ④ If G then D

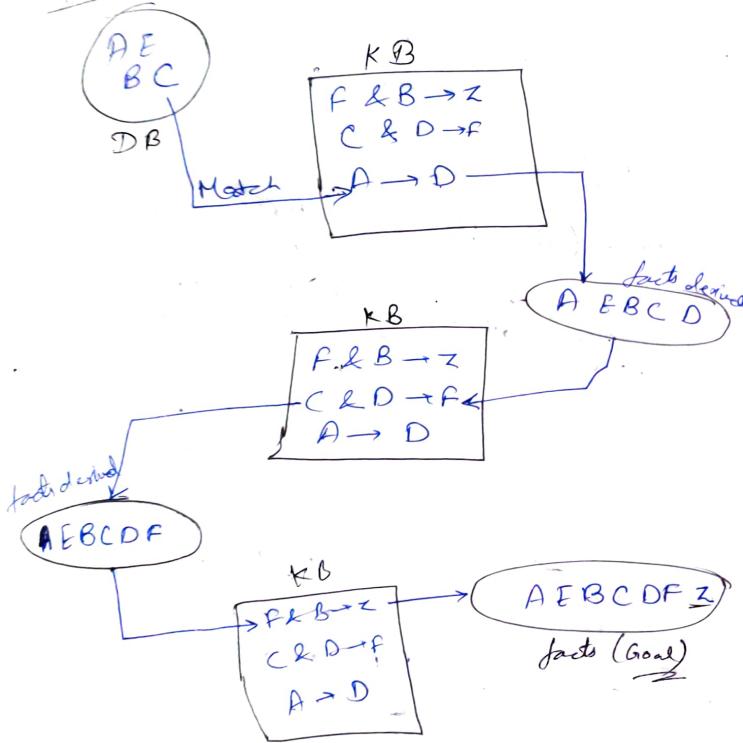
Prove → If D & B are true then ~~is~~ Dis true.



Q) Goal State = Z.

Termination Cond " → Stop if Z is derived.

Facts

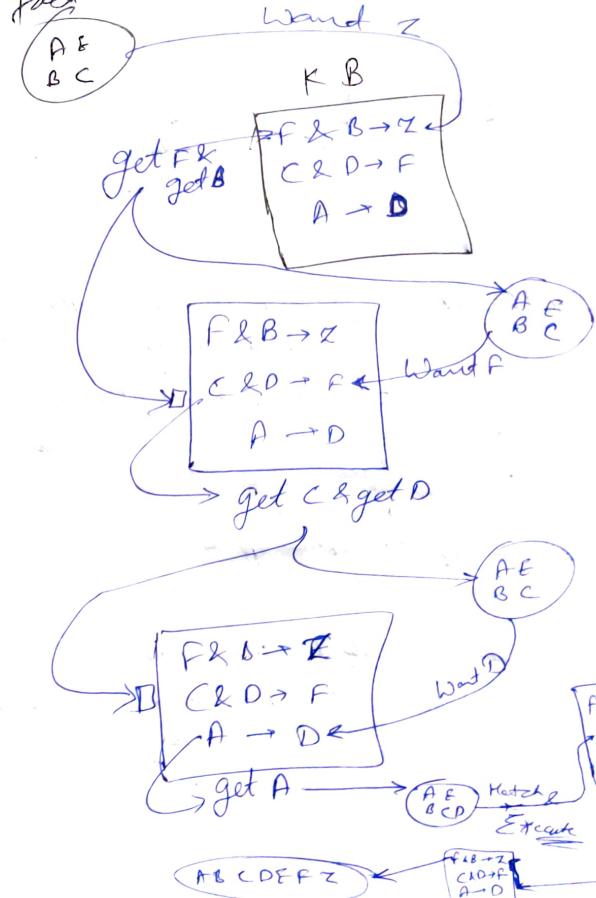


Q) Goal State: Z

Termination Cond " → Stop if Z is delivered.

fact

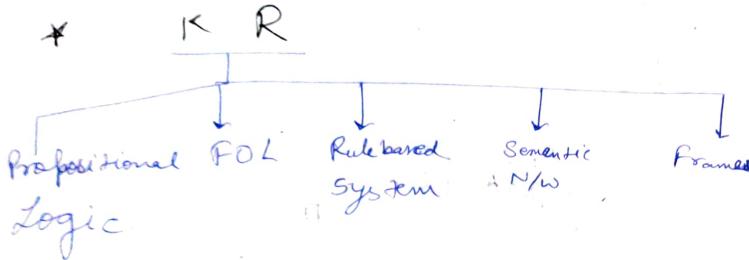
A E  
B C



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# Semantic Networks

Ontology



- \* Semantic Networks → It is the graphical notation for representing knowledge in interconnected nodes pattern. It is extremely popular in AI & NLP as it represents knowledge & supports reasoning. It is sometimes considered as an alternative of predicate logics.

Nodes

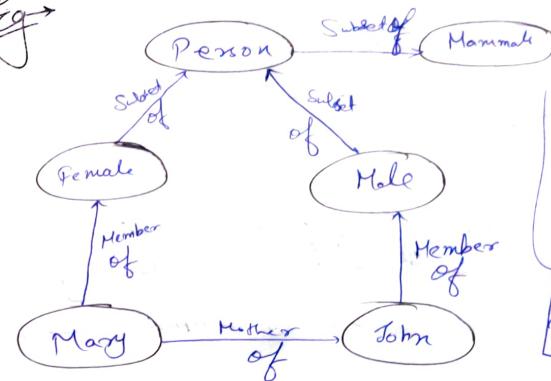
- Circle (Physical objects)
- Ellipse (Conceptual objects)
- Rectangle (Situational)

- \* Arcs represent relationship b/w objects. (link b/w nodes)
- Link label specifies relationship. Semantic Network is also like associative nets as they show association b/w nodes.

## # Components of Semantic Networks

- ① Lexical Component → nodes, links, labels.
- ② Structural Components → directed links
- ③ Semantics Components → Definition related to links or nodes (Representation of facts)
- ④ Procedural Components → Constructor (creation of new links)  
→ Destructor (Removal of links)

Eg →



\* In case attribute/property given  
new one  
 ↗ ISA →  
 ↗ Instanceof →

Disadv of Seman are Net

- ① IS A & HAS RELATIONS  
have wrong interpretation of knowledge  
↳ Lack of Formality

Eg → S-1 → Tom is a Cat.

S-2 → Tom caught a bird

S-3 → Tom is owned by John

S-4 → Tom is ginger in color

S-5 → Cats like ice cream

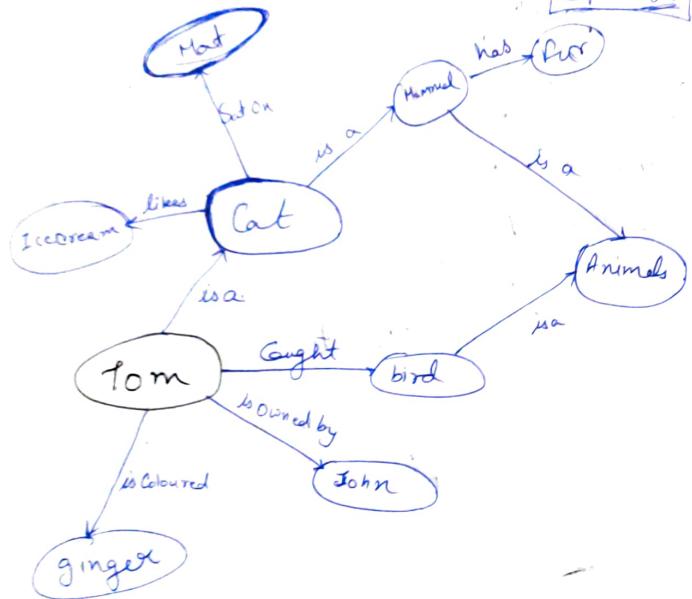
S-6 → The cat on the mat.

S-7 → Cat is a Mammal

S-8 → A bird is an animal

S-9 → All mammals are animals

S-10 → Mammals have fur



Frames → It is the collection of attributes or slots & associated values that describe some real world entity.

It uses a data structure called records to represent knowledge in Semantic Networks.

Each frame represents a node in semantic Network as a class or instance & each relates to slot.

Attributes attached with each slot → ① Instance: It relates slot with a class.

② Definition: It provides slot defn or value

③ Default: Slot default values are given here

④ Domain: Provides the slot elements domain

⑤ Range: Specified the class of which Elements.

⑥ Range Constraints → Logic Expression which must be true

$$\text{Eq} \Rightarrow (6 < i < 10)$$

⑦ To Compute → Provides the value of slot that is to be computed.

⑧ Single Valued → The function returns single value

⑨ Inverse → Slot Inverse used in reasoning.

⑩ Transfer Through → It decides inheritance

# Reasoning Actions that can be performed using frames

① Relating the defn → It is the propagation of defn to relate all information

$$\text{Eq} \Rightarrow \underline{\text{isa}} \quad (\text{Inverse})$$

② Inheritance → All values (including default values of slot) are inherited

③ Legality of Value → It checks the legality of slot Values

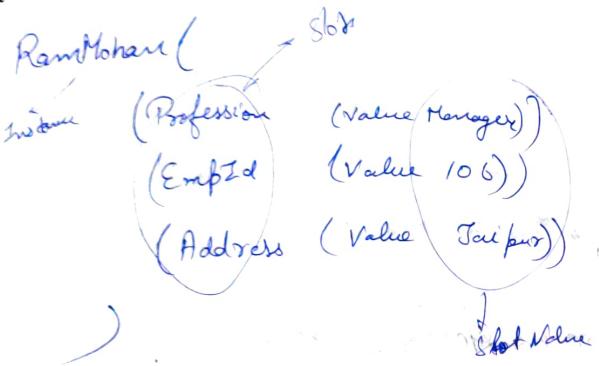
④ Consistency Checks → Verify the slot value consistency before adding both of frames. (Domain)

⑤ Maintaining Consistency → When one slot is updated its inverse should also be updated

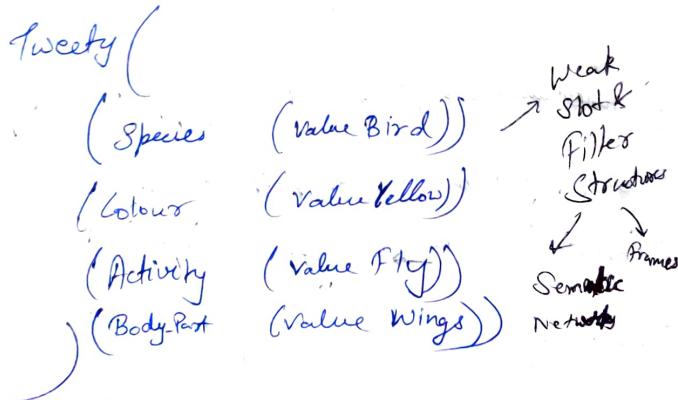
$$(\text{Inverse})$$

⑥ Computation of value of slot → To compute & Transfer Progs

Eg → Emp Details



Eg → Tweety is a Yellow Bird having wings to fly.



Disadvantage of Frames

The Updations in Frames must necessarily be propagated to the required places in the Semantic Network

\* Strong Slots & Filler Structures

Script

Conceptual  
Dependency

28/10/22

Poulomi Mam

Earlier we need to form the mathematical logic for every sentence.

But if we have a technique to maintain it in natural language.

Much better.

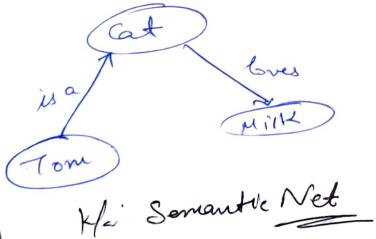
& easier to work with

Eg → Tom is a cat.  
Cat loves milk.

Logic

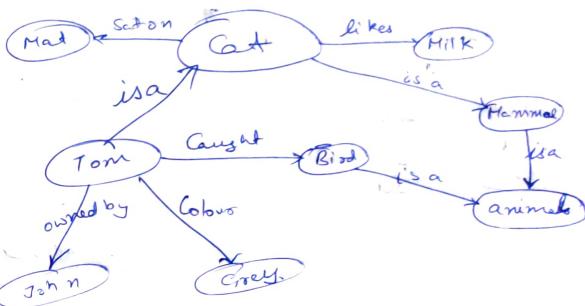
$\forall x \text{ Cat}(x) \text{ loves}(x, \text{milk})$   
Cat (Tom)

Representation



↳ Semantic Net

- Eg →
- i) Tom is a cat
  - ii) Tom caught a bird
  - iii) Tom is owned by John
  - iv) Tom is grey in color
  - v) Cats likes milk
- (vi) A cat sits on a mat.
- (vii) A cat is mammal.
- (viii) A bird is an animal.
- (ix) All mammals are animals.

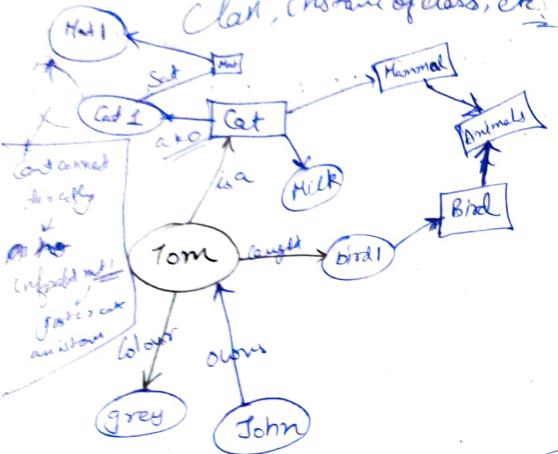


Every node is a class & arcs are relationships among the nodes.

Disadv → Is Tom a cat that is ~~sitting~~ sitting on the mat. Or any another cat

↙  
No difference between node of class or no of instance of class.

So, we need something to distinguish b/w class, instance of class, etc.



For each & every instance → diff Obj node

Not allow a passive sentence  
Convert to Active

we have two types of relations

- is a
- a kind of
- (aka)

for any further info added → no. of nodes decreases inc. for each

So, if many cats killed diff birds owned by diff owners sitting a diff mats.

Thus to avoid this repetition & redundancy  
objects to save space  
we use Frames

Frames

Slot

Slot Value / Filler

	A1	Avalue
Class	A1	
Name	I	

binary or variable

frame

Eg →

Bird	Fly	T
	Feathers	T
	Color	-

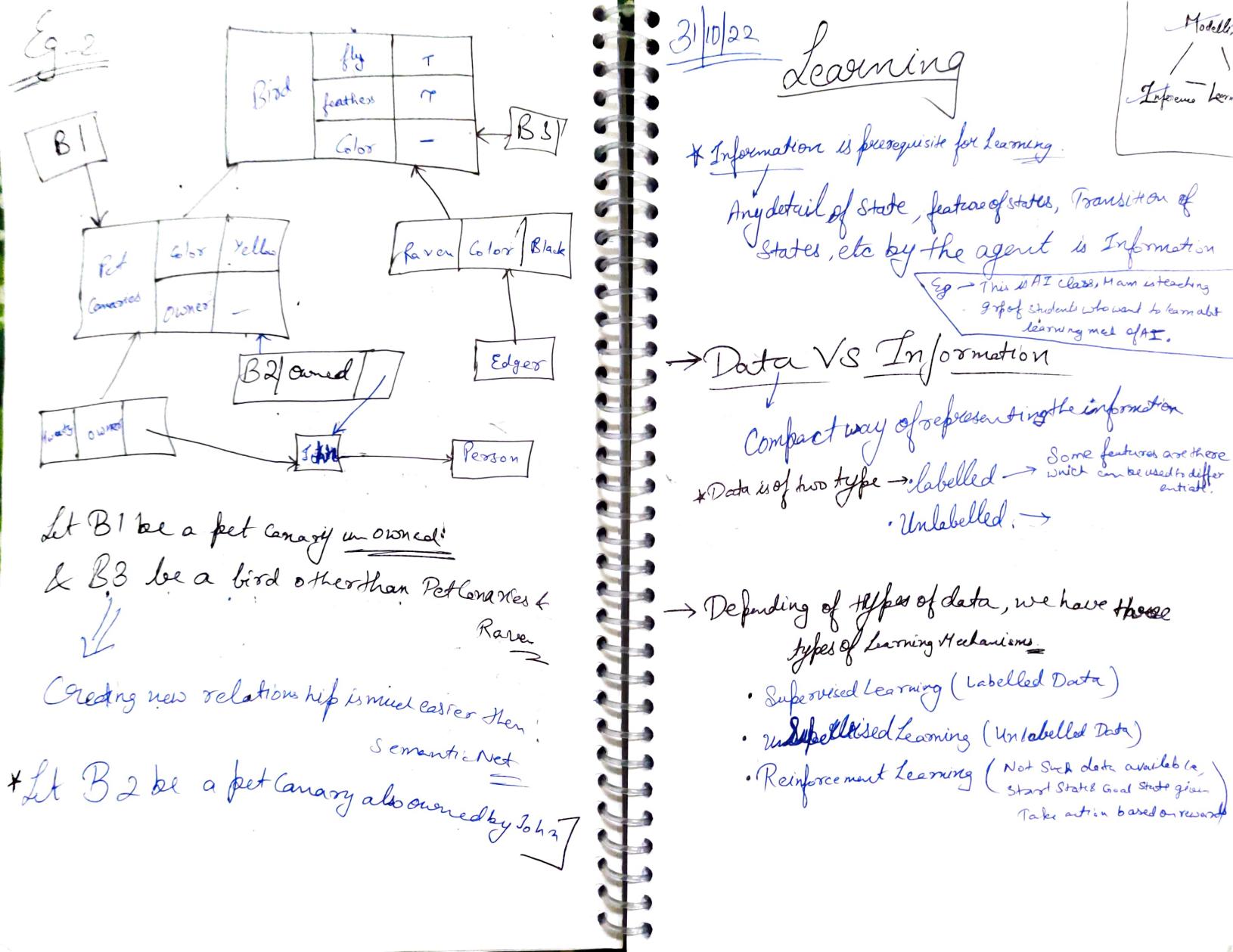
Frame - 1

Pet	Color	Yellow
Canaries	Owner	-

is a B1

Raven	Color	Black

is a B2



O1

O2

Feature

4 legs

Barks

White Colour

Weight 15kg

+ Lovestrink

4 legs

Barks (lets remove it)

Black color

Weight 10kg

+

Dog

So based on (Love for Milk) → We can classify,

G+

Two types Possible

Categorical

Numerical (Weight) (Barks)

Before Classification

Unlabelled

After Classification

Labelled

## # Supervised Learning

- Predictive ML model. (for any new Data Pt.)
- needs labelled Training Data.

\* System generates the Model using the feature of the Training Data

\* On obtaining the new data pt for prediction, it will get the features & then formulate it based on the existing Model.

Based on the result of formulation, the Prediction will be made.

~~Types of Regression Models~~ →

~~Types of Supervised Learning~~ →

• Regression Model → predicts a numerical value (weight, age, etc.)

• Continuous Interval

Eg → House Price Prediction Model, Airport Price Model.

• Classification Model → predicts a state / categories (cat / dog)

• Discrete set

G → Spam Detection Model, [Yes/No OR Spams?]

↓  
Whether / Is?

Premise  
What?

# # Unsupervised Learning

\* Data has no labels (Unlabelled Data)

\* Only features, no target

\* Can ~~only~~ group the data pts based on similarities

Clusters

→ Also help in supervised by removing the noise of data pts

## Types of Unsupervised Learning

- Clustering → This is the task of grouping into clusters
- Dimensionality Reduction →

Eg →

Or

2 balconies  
2 bed rooms  
500 sq ft } Size

Near to Road  
Near to School  
Near to Hospital } Area-Quality

So, we have reduced 6 to 2 dimension without the loss of Data generality.

Now, based on these 2 features, we can perform clustering