

dOvs Eksamens Noter

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1 Compiler intro

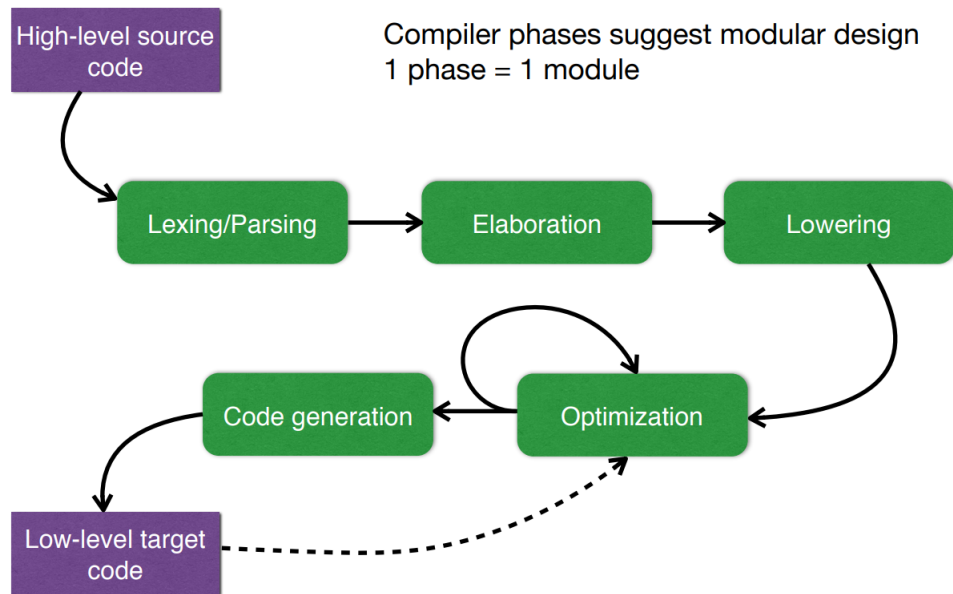


Figure 1: Compiler modular phases.

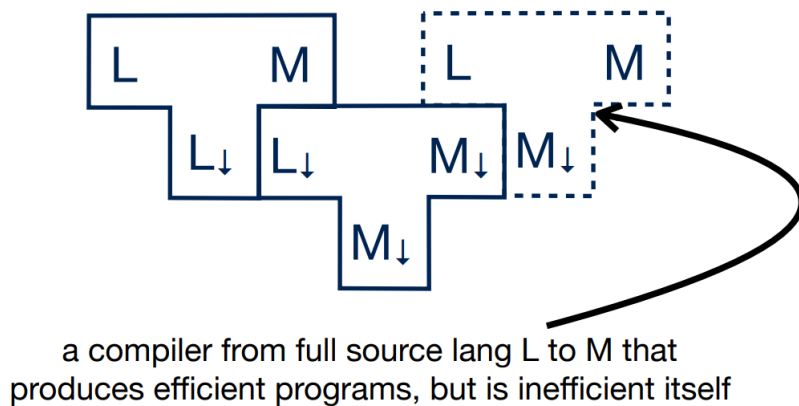


Figure 2: Bootstrap compiling

- **Lexing/Parsing:** $\text{String} \rightarrow_{\text{lexing}} \text{Tokens} \rightarrow_{\text{parsing}} \text{Abstract Syntax Tree (AST)}$
- **Elaboration:** *Resolving scope* and *Type checking*. Most errors found here.
- **Lowering:** High-level features to target-language like constructs (e.g. assembly-like). *Intermediate representation*, LLVM.
- **Optimization:** Detect and rewrite expensive operations. Lifting invariants out of loops, parallelization.
- **Code generation:** fx LLVM to X86 (registers, instruction etc.)

- **Bootstrapping compilers:** Compile your language in your own language.

2 Lexical

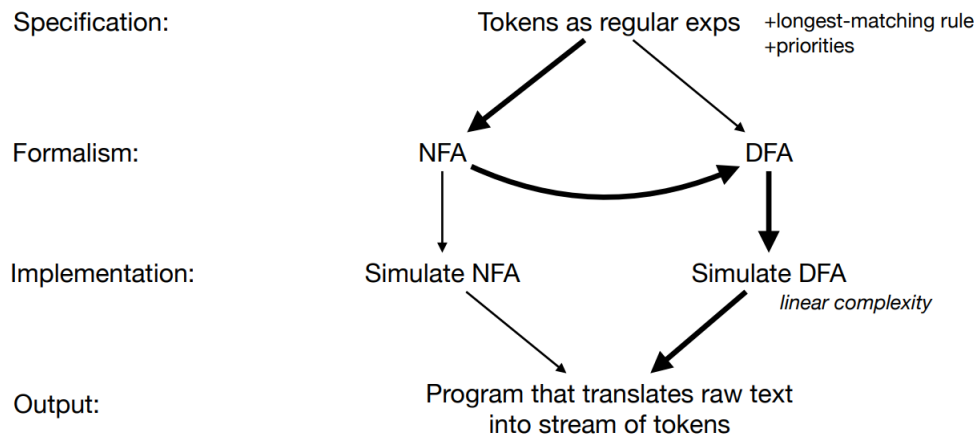


Figure 3: REG to NFA to DFA

- Tokens: E.g. ID("a"), INT, IF etc. Some tokens include metadata like names in ID.
- Non-tokens: comments, whitespace etc.
- REG \rightarrow NFA \rightarrow (closures) DFA \rightarrow Minimized DFA (more effective)
- REG: Handle priorities and longest matching string token wins.
- Ocamllex: Lexer generator

3 Parsing

A context-free grammar (CFG) is a 4-tuple $G = (V, \Sigma, S, P)$

- V is a finite set of *nonterminal* symbols
- Σ is an alphabet of *terminal* symbols and $V \cap \Sigma = \emptyset$
- $S \in V$ is a *start* symbol
- P is a finite set of *productions* of the form $A \rightarrow \alpha$, where
 - $A \in V$, i.e., A is a nonterminal, and
 - $\alpha \in (V \cup \Sigma)^*$, i.e., α is possibly empty string of nonterminals or terminals

Figure 4: CFG Definition

$S \rightarrow \text{if } E \text{ then } S \text{ else } S$
 $S \rightarrow \text{begin } S \text{ L}$
 $S \rightarrow \text{print } E$
 $L \rightarrow \text{end}$
 $L \rightarrow ; S \text{ L}$
 $E \rightarrow \text{num} = \text{num}$

- $\text{FIRST}(\alpha)$: set of terminals that begin strings derived from α
- $\text{FOLLOW}(X)$: set of terminals a that can appear immediately to the right of X in some derivable string, e.g., $S \Rightarrow^* \alpha X a \beta$
- Let $\text{nullable}(X)$ be true when X can derive empty string ϵ

Nonterminal	Nullable?	First set	Follow set
S		if, begin, print	else, end, ;, \$
L		end, ;	else, end, ;, \$
E		num	then, else, end, ;, \$

Figure 5: Top-down parsing table. You do not want more than one possibility in a cell.

- Abstract Syntax Tree (AST):
- Context-Free Grammars (CFG):
 - *Terminals* \rightarrow *production rules*
 - Terminals are leafs in the tree (e.g. x, y).
 - Non-Terminals are links in the tree (e.g. BinExp)
 - Definition see figure 4.
 - Ambiguity: You don't want ambiguity, you want determinism. *Associativity* (right/left) and *precedence* (e.g. times before plus).
- Top-down/Bottom-up parsing:
 - Top-down is predictive parsing:
 - * leftmost derivation
 - * "see whats coming"
 - * Breaks down at for example: $S \rightarrow S + x \mid S - x \mid x$. Here you don't know what to do when you see an $x \dots$
 - * See figure 5 for parsing table.
 - Bottom-up: **LR parsing** is rightmost reduction.