

Data Communication Lab

IT510 P: Programming Assignment 1

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1 Objectives

1. Digital data generator: generates completely random data sequence and a random sequence with some fixed sub-sequences like eight consecutive zeros. It should also return the longest palindromic sequence in the generated data.
2. Line coding schemes to be implemented: NRZ-L, NRZ-I, Manchester, Differential Manchester, AML.
3. Scrambling schemes: B8ZS, HDB3.

2 Project specification

2.1 Meta

- Language: Python
- Format: Jupyter Notebook + CLI
- Plotting: matplotlib

2.2 Code structure

2.2.1 Line encoder

The line encoder is implemented as a configurable class: *LineEncoder*.

Sample usage:

```
1 encoder = LineEncoder(volts=5, interval=2)
2 encoder.encode_b8zs('11000000011')
```

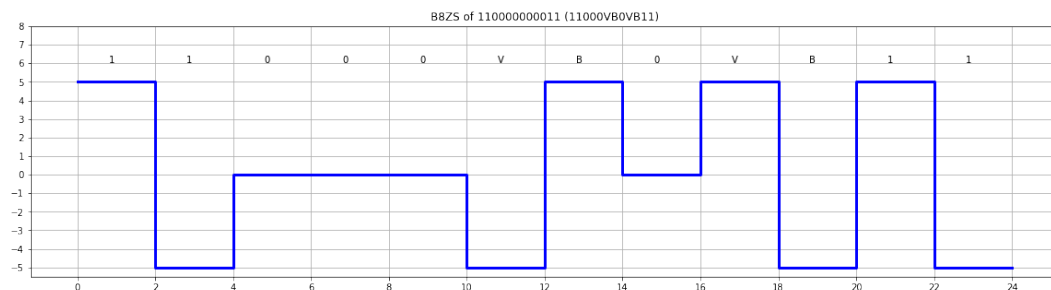


Figure 1: Sample output

2.2.2 Random bitsream generator

The random bitsream generator leverages Python's *random.getrandbits(n)* function that returns a random number with *n* bits. These bits are then shuffled with *random.shuffle()*.

For inserting a repeating subsequence of zeroes, we choose a random starting point in the bitstream previously generated and replace a slice of the stream from this point with 0's.

```
1 import random
2
3
4 def generate_bit_stream(length=30, repeating_zeros=
  None):
5     '''
6     Generates a random sequence of 1's and 0's.
7     '''
8     bitstr = list(bin(random.getrandbits(length))
9 [2:])
10    random.shuffle(bitstr)
11
12    if repeating_zeros:
13        assert repeating_zeros < length, "Repeating
14 zeroes more than bit string"
15        z_start = random.randrange(0, length -
16 repeating_zeros + 1)
17        z_end = z_start + repeating_zeros
18        bitstr[z_start:z_end] = '0' *
19 repeating_zeros
20
21    return ''.join(bitstr)
```

2.2.3 Longest palindromic sub-sequence

The palindromic checks uses the following algorithm:

- Iterate over the given string
- For every character index *i*: Odd length palindrome check:
 - Set two pointers (*ptr1*, *ptr2*) at *i-1* and *i+1*
 - Move pointers outwards until the string isn't a palindrome anymore.

- Update max_length and start/end indices.

Even length palindrome check:

- Set two pointers (ptr1, ptr2) at i and i+1
- Move pointers outwards until the string isn't a palindrome anymore.
- Update max_length and start/end indices.

Code:

```

1 def check_palindrome(string, ptr1, ptr2, length=0):
2     while 0 <= ptr1 and ptr2 <= len(string)-1:
3         if string[ptr1] == string[ptr2]:
4             ptr1 -= 1
5             ptr2 += 1
6             length += 2
7         else:
8             break
9     return ptr1, ptr2, length
10
11
12 def longest_palindromic_subseq(string):
13     '''
14     Find and return start index, end index, and
15     length of the longest palindromic substring
16     '''
17     if len(string) == 1:
18         return 0, 1, 1
19     if not string:
20         return -1, -1, -1
21
22     idx = 0
23     max_length = -1
24     start = -1
25     end = -1
26     while idx < len(string):
27         # Check even length
28         ptr1, ptr2, length = check_palindrome(string
29         , idx, idx+1)
30         if length and length > max_length:
31             start = ptr1

```

```

30         end = ptr2
31         max_length = length
32         # Check odd length
33         ptr1, ptr2, length = check_palindrome(string
, idx-1, idx+1, 1)
34         if length != 1 and length > max_length:
35             start = ptr1
36             end = ptr2
37             max_length = length
38         idx += 1
39
40     if max_length:
41         return start+1, end, max_length

```

Sample run:

```

1 s = '111010000101000'
2 start, end, length = longest_palindromic_subseq(s)
3 print(start, end, length, s[start:end])
4
5 # Output: 2 12 10 1010000101

```

Since the first loop iterates over the string and the palindromic check is $O(N)$, we get a complexity of $O(N^2)$.

2.3 CLI

The CLI is straight forward with 3 stages:

- The first stage is for bitstream generation with 3 options - custom bitstream, random bitstream, random bitstream with repeating 0's.
- Once the bitstream is set, the second stage displays all the available encoding options. Choosing one plots the encoding of the bitstream and restarts this stage with the same bitstream.
- The third stage is a special stage available for choosing the type of AMI encoding - B8ZS, HDB3 or None.

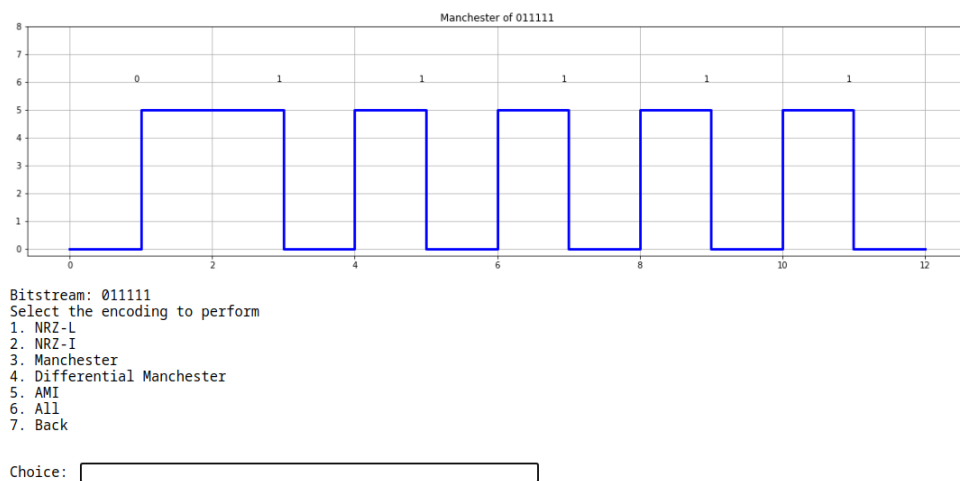


Figure 2: Sample CLI output