For this challenge, we can see that m and n are the same and e is different for both messages. Thus, we can do a common modulus attack.

Consider the following:

Modulus arithmetic rules:

- 1. $(A * B) \mod C = (A \mod C * B \mod C) \mod C$
- 2. $(A ^ B) \mod C = ((A \mod C) ^ B) \mod C$

The following algorithm can be manipulated to show that it will be useful when trying to get the flag:

 $((c1^u \mod n)^*(c2^v \mod n)) \mod n$

- $= (((m^e1 \mod n)^u \mod n)^*((m^e2 \mod n)^v \mod n)) \mod n.$
- $= ((m^{(e1*u)} \mod n)^*(m^{(e2*v)} \mod n)) \mod n.$

by 2.

 $= m^{(e1*u+e2*v)} \mod n.$

by 1.

If we make e1*u+e2*v=1, we will get $m^1 \mod n=m$ mod n=m, which will give us the flag.

Consider Bézout's identity: ax + by = gcd(a,b). When a and b are coprime (gcd(a,b) = 1), x is the modular multiplicative inverse of a modulo b. This can be calculated with gmpy2.invert(a,b). Therefore, u can be calculated through:

u = gmpy2.invert(e1, e2)

Now, from (e1*u)+(e2*v) = 1, we can rearrange to solve for v:

$$v = (1 - (e1*u))/e2$$

Now, we have u and v. Thus, we just need to plug them into the equation $m = ((c1^u \mod n)^*(c2^v \mod n)) \mod n$ to get back m. After that, we can convert the integer m back to ascii and get the flag. Thus, this challenge is solved.