The look alike innovation to Mercedes EQS is Tesla model S for the following reasons:

- "In October 2014, Tesla Motors announced its first version of Autopilot. Model S cars equipped with this system are capable of lane control with autonomous steering, braking, and speed limit adjustment based on signal image recognition." (https://en.wikipedia.org/wiki/History_of_self-driving_cars#:~:text=In%20October%202014%2C%20Tesla%20Motors,based%20o
- 2. Tesla model S is also a S class sedan like the Mercedes EQS. Also, both of them have electric engines.

Importing required libraries

```
import pandas as pd
import numpy as np
from scipy.optimize import curve_fit
import matplotlib.pyplot as plt
```

Data Cleaning and Manupulation

```
In [271... df = pd.read_excel(
    'statistic_id976917_total-sales-of-tesla-model-s-cars-in-the-netherla
    'Data'
    )
    df.rename(columns= {'Unnamed: 1':'Year', 'Unnamed: 2': 'UnitsSold'}, inpl
    df.drop(columns = 'Unnamed: 0', inplace=True)
In [272... df
```

Out [272...

	Year	UnitsSold		
0	NaN	NaN		
1	Total sales of Tesla Model S cars in the Nethe	NaN		
2	Total sales of Tesla Model S cars in the Nethe			
3	NaN	NaN		
4	2013	1194.0		
5	2014	1437.0		
6	2015	1891.0		
7	2016	1723.0		
8	2017	2077.0		
9	2018	5622.0		
10	2019	527.0		
11	2020	292.0		
12	2021	5.0		
13	2022	80.0		
12	2021	5.0		

```
In [273...

df.drop(index= range(0,4), inplace = True)

df.reset_index(drop = True, inplace = True)

df['CumSum'] = np.cumsum(df['UnitsSold'])

df['YearCount'] = range(1,11)

df['Year'] = df['Year'].astype(int)
```

In [274... d

Out [274...

	Year	UnitsSold	CumSum	YearCount
0	2013	1194.0	1194.0	1
1	2014	1437.0	2631.0	2
2	2015	1891.0	4522.0	3
3	2016	1723.0	6245.0	4
4	2017	2077.0	8322.0	5
5	2018	5622.0	13944.0	6
6	2019	527.0	14471.0	7
7	2020	292.0	14763.0	8
8	2021	5.0	14768.0	9
9	2022	80.0	14848.0	10

Bass model parameter estimation

```
In [275... def bass_model(t, m, p, q): adoption = m * (1 - np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * np.exp(-(p + q) * t)) / (1 + q / p * np.exp(-(p + q) * np.exp(-(p
```

```
return adoption

initial_guess = [max(df["CumSum"]), 0.04, 0.4]

params, covariance = curve_fit(
    bass_model,
    df["YearCount"],
    df["CumSum"],
    p0=initial_guess,
    maxfev=10000
    )

m_est, p_est, q_est = params
print(f"M: {m_est}\np: {p_est}\nq: {q_est}")

M: 15533.535974255308
p: 0.02944044641942106
q: 0.7395113403711501
```

Defining bass model range of prediction

```
In [276... t_future = np.array(range(1, 14))
    cumulative_adoption_predictions = bass_model(t_future, m_est, p_est, q_es
```

Visualization of actual and predicted adoptions until 2025

```
In [277... annual_adoption_predictions = np.diff(cumulative_adoption_predictions, pr
         plt.figure(figsize=(14, 7))
         plt.plot(df["Year"], df["CumSum"], 'o-', label='Actual Cumulative Adoptio
         plt.plot(
             df["Year"][0] + t_future - 1,
             cumulative_adoption_predictions,
              's-', label='Predicted Cumulative Adoptions'
         plt.title('Actual vs Predicted Cumulative Adoptions')
         plt.xlabel('Year')
         plt.ylabel('Cumulative Adoptions')
         plt.legend()
         plt.grid(True)
         plt.show()
         plt.figure(figsize=(14, 7))
         plt.bar(
             df["Year"][0] + t_future - 1,
             annual_adoption_predictions,
             color='orange',
              label='Predicted Annual Adoptions'
                 )
         plt.title('Predicted Annual Adoptions')
         plt.xlabel('Year')
         plt.ylabel('Annual Adoptions')
         plt.legend()
```





