

WARSAW UNIVERSITY OF TECHNOLOGY  
DEVELOPMENT PROGRAMME

# Lazy Classification with Contrast Patterns

Marzena Kryszkiewicz

HUMAN CAPITAL  
HUMAN - BEST INVESTMENT

EUROPEAN UNION  
EUROPEAN SOCIAL FUND

Project is co-financed by European Union within European Social Fund

WARSAW UNIVERSITY OF TECHNOLOGY  
DEVELOPMENT PROGRAMME

## Contrast Patterns (CPs)

Example training dataset D with two decision classes  $D_P$  and  $D_N$ .

Outlook	Temperature	Humidity	Windy	Activity
Overcast	Hot	High	False	P
Rain	Mild	High	False	P
Rain	Cool	Normal	False	P
Overcast	Cool	Normal	True	P
Sunny	Cool	Normal	False	P
Rain	Mild	Normal	False	P
Sunny	Mild	Normal	True	P
Overcast	Mild	High	True	P
Overcast	Hot	Normal	False	P
Sunny	Hot	High	False	N
Sunny	Hot	High	True	N
Rain	Cool	Normal	True	N
Sunny	Mild	High	False	N
Rain	Mild	High	True	N

- A *contrast pattern* is defined as a pattern that occurs in exactly one decision class.
- $\{\text{Overcast, Hot}\}$  is a contrast pattern, which occurs only in the decision class  $D_P$ .

2

WARSAW UNIVERSITY OF TECHNOLOGY  
DEVELOPMENT PROGRAMME

## Lazy Classification with CPs - Input

- D - a decision table with objects assigned to either a positive decision class  $D_P$  or a negative decision class  $D_N$ .
- T - an object to be classified.

3

WARSAW UNIVERSITY OF TECHNOLOGY  
DEVELOPMENT PROGRAMME

## Example Input

Example training dataset D with two decision classes  $D_P$  and  $D_N$ .

Outlook	Temperature	Humidity	Windy	Activity
Overcast	Hot	High	False	P
Rain	Mild	High	False	P
Rain	Cool	Normal	False	P
Overcast	Cool	Normal	True	P
Sunny	Cool	Normal	False	P
Rain	Mild	Normal	False	P
Sunny	Mild	Normal	True	P
Overcast	Mild	High	True	P
Overcast	Hot	Normal	False	P
Sunny	Hot	High	False	N
Sunny	Hot	High	True	N
Rain	Cool	Normal	True	N
Sunny	Mild	High	False	N
Rain	Mild	High	True	N

- Object to be classified:

$T = \{\text{Sunny, Mild, High, True}\}$

4

WARSAW UNIVERSITY OF TECHNOLOGY  
DEVELOPMENT PROGRAMME

## Lazy Classification with CPs - Steps

- I. Create a T-related reduced version  $D'$  of the decision table D.
- II. Find minimal contrast patterns  $\text{Min}(\text{CP}(D'_P))$  and  $\text{Min}(\text{CP}(D'_N))$  in  $D'$ .
- III. Calculate compact scores of the minimal contrast patterns.
- IV. Choose the decision class with the greatest compact score as relevant for T.

5

WARSAW UNIVERSITY OF TECHNOLOGY  
DEVELOPMENT PROGRAMME

## Step I

- Create a decision table  $D'$  that will contain all original decision values and only those conditional values that occur in T.

6

### Example: Step I

Original D & T = {Sunny, Mild, High, True} → Reduced D'

Outlook	Temp.	Hum.	Windy	Activity
Overcast	Hot	High	False	P
Rain	Mild	High	False	P
Rain	Cool	Normal	False	P
Overcast	Cool	Normal	True	P
Sunny	Cool	Normal	False	P
Rain	Mild	Normal	False	P
Sunny	Mild	Normal	True	P
Overcast	Mild	High	True	P
Overcast	Hot	Normal	False	P
Sunny	Hot	High	False	N
Sunny	Hot	High	True	N
Rain	Cool	Normal	True	N
Sunny	Mild	High	False	N
Rain	Mild	High	True	N

Outlook	Temp.	Hum.	Windy	Activity
		High		P
	Mild	High		P
				P
			True	P
Sunny				P
	Mild			P
Sunny	Mild		True	P
	Mild	High	True	P
Sunny		High		N
Sunny		High	True	N
			True	N
Sunny	Mild	High		N
	Mild	High	True	N

### Step II

- Find minimal contrast patterns  $\text{Min}(\text{CP}(D'_P))$  and  $\text{Min}(\text{CP}(D'_N))$  in D'.
- Note:
  - CPs can be calculated in an Apriori-like way.
  - For a candidate pattern, two supports can be determined simultaneously: in  $D'_P$  & in  $D'_N$ .
  - The candidate is a CP if exactly one of the two supports equals 0.

### Example: Step II...

Reduced D'

Outlook	Temp.	Hum.	Windy	Activity
		High		P
	Mild	High		P
				P
			True	P
Sunny				P
	Mild			P
Sunny	Mild		True	P
	Mild	High	True	P
				P
Sunny		High		N
Sunny		High	True	N
			True	N
Sunny	Mild	High		N
	Mild	High	True	N

- Candidates of length 1:
  - $\{\text{Sunny}\}_{2/3}$   $\{\text{Mild}\}_{4/2}$   $\{\text{High}\}_{3/4}$   $\{\text{True}\}_{3/3}$
- Result: No Minimal CPs of length 1.
- Candidates of length 2:
  - $\{\text{Sunny, Mild}\}_{1/1}$   $\{\text{Sunny, High}\}_{0/3}$
  - $\{\text{Sunny, True}\}_{1/1}$   $\{\text{Mild, High}\}_{2/2}$
  - $\{\text{Mild, True}\}_{2/1}$   $\{\text{High, True}\}_{1/2}$

### Example: Step II...

Reduced D'

Outlook	Temp.	Hum.	Windy	Activity
		High		P
	Mild	High		P
				P
			True	P
Sunny				P
	Mild			P
Sunny	Mild		True	P
	Mild	High	True	P
				P
Sunny		High		N
Sunny		High	True	N
			True	N
Sunny	Mild	High		N
	Mild	High	True	N

- Candidates of length 2:
  - $\{\text{Sunny, Mild}\}_{1/1}$   $\{\text{Sunny, High}\}_{0/3}$
  - $\{\text{Sunny, True}\}_{1/1}$   $\{\text{Mild, High}\}_{2/2}$
  - $\{\text{Mild, True}\}_{2/1}$   $\{\text{High, True}\}_{1/2}$
- Result:  $\{\text{Sunny, High}\} \in \text{Min}(\text{CP}(D'_N))$ .
- Candidates of length 3:
  - $\{\text{Sunny, Mild, True}\}_{1/0}$
  - $\{\text{Mild, High, True}\}_{1/1}$

### Example: Step II

Reduced D'

Outlook	Temp.	Hum.	Windy	Activity
		High		P
	Mild	High		P
				P
			True	P
Sunny				P
	Mild			P
Sunny	Mild		True	P
	Mild	High	True	P
				P
Sunny		High		N
Sunny		High	True	N
			True	N
Sunny	Mild	High		N
	Mild	High	True	N

- Candidates of length 3:
  - $\{\text{Sunny, Mild, True}\}_{1/0}$
  - $\{\text{Mild, High, True}\}_{1/1}$
- Result:  $\{\text{Sunny, Mild, True}\} \in \text{Min}(\text{CP}(D'_P))$ .
- No candidates of length 4

### Step III

- Calculate compact scores of the minimal contrast patterns in  $D'_P$  and  $D'_N$ , where:
 
$$\text{compactScore}(D_i) = \frac{\sup(\bigvee \text{Min}(\text{CP}(D_i)))}{|D_i|}$$



## Example: Step III

Reduced D'

Outlook	Temp.	Hum.	Windy	Activity
		High		P
	Mild	High		P
				P
			True	P
Sunny				P
	Mild			P
Sunny	Mild		True	P
	Mild	High	True	P
Sunny		High		N
Sunny		High		N
			True	N
Sunny	Mild	High		N
	Mild	High	True	N

- $|D'_P| = 9$  objects
- $\text{Min}(\text{CP}(D'_P)) = \{\{\text{Sunny, Mild, True}\}\}$
- $\text{compactScore}(D'_P) = \frac{\sup(\bigvee \text{Min}(\text{CP}(D'_P)))}{|D'_P|} = \frac{1}{9}$
- $|D'_N| = 5$  objects
- $\text{Min}(\text{CP}(D'_N)) = \{\{\text{Sunny, High}\}\}$
- $\text{compactScore}(D'_N) = \frac{\sup(\bigvee \text{Min}(\text{CP}(D'_N)))}{|D'_N|} = \frac{3}{5}$

13



## Example: Step IV

Decision table D

Outlook	Temp.	Hum.	Windy	Activity
Overcast	Hot	High	False	P
Rain	Mild	High	False	P
Rain	Cool	Normal	False	P
Overcast	Cool	Normal	True	P
Sunny	Cool	Normal	False	P
Rain	Mild	Normal	False	P
Sunny	Mild	Normal	True	P
Overcast	Mild	High	True	P
Overcast	Hot	Normal	False	P
Sunny	Hot	High	False	N
Sunny	Hot	High	True	N
Rain	Cool	Normal	True	N
Sunny	Mild	High	False	N
Rain	Mild	High	True	N

- $\text{Min}(\text{CP}(D'_P)) = \{\{\text{Sunny, Mild, True}\}\}$
- $\text{compactScore}(D'_P) = 1/9$
- $\text{Min}(\text{CP}(D'_N)) = \{\{\text{Sunny, High}\}\}$
- $\text{compactScore}(D'_N) = 3/5$
- Object T = {Sunny, Mild, High, True} will be classified to the decision class with greater compact score; that is, to  $D'_N$ .

14



## Dealing with Continuous Attributes

- The values of each continuous attribute in:
  - decision table D and
  - in the object being subject to classification
 should be normalized to the interval [0, 1].
- T-reduced decision table D', should not contain values of a continuous attribute c that do not belong to  $[v_c - \alpha\%, v_c + \alpha\%]$ , where  $v_c \in T$ .
- The remaining values of continuous attribute c should be replaced with  $v_c$  in D'.

15



## Example: Normalization

Normalization of D

Age ...	Activity	Age ...	Activity
18 ...	P	0.18 ...	P
45 ...	P	0.45 ...	P
38 ...	P	0.38 ...	P
60 ...	P	0.60 ...	P
19 ...	P	0.19 ...	P
50 ...	P	0.50 ...	P
39 ...	P	0.39 ...	P
22 ...	P	0.22 ...	P
44 ...	P	0.44 ...	P
48 ...	N	0.48 ...	N
25 ...	N	0.25 ...	N
32 ...	N	0.32 ...	N
56 ...	N	0.56 ...	N
40 ...	N	0.40 ...	N

Normalization of T

$T = \{28, \dots\} \Rightarrow T = \{0.28, \dots\}$

16



## Example: Determining D'

Normalized D  $\rightarrow$  D'

Age ...	Activity	Age ...	Activity
0.18 ...	P	...	P
0.45 ...	P	...	P
0.38 ...	P	...	P
0.60 ...	P	...	P
0.19 ...	P	...	P
0.50 ...	P	...	P
0.39 ...	P	...	P
0.22 ...	P	...	P
0.44 ...	P	...	P
0.48 ...	N	...	N
0.25 ...	N	0.28 ...	N
0.32 ...	N	0.28 ...	N
0.56 ...	N	...	N
0.40 ...	N	...	N

- Let
  - Normalized T = {0.28, ...}
  - $\alpha\% = 5\%$
- Hence, values matching 0.28 belong to: [0.23, 0.33]

17



## References

- Jinyan Li, Guozhu Dong, Kotagiri Ramamohanarao: Instance-Based Classification by Emerging Patterns. PKDD 2000: 191-200
- Hongjian Fan, Kotagiri Ramamohanarao: Fast Discovery and the Generalization of Strong Jumping Emerging Patterns for Building Compact and Accurate Classifiers. IEEE Trans. Knowl. Data Eng. 18(6): 721-737 (2006)
- Pawel Terlecki, Krzysztof Walczak: Efficient Discovery of Top-K Minimal Jumping Emerging Patterns. RSCTC 2008: 438-447

18