

# Chapter 5 – Equilibrium Rigid Bodies

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The submarine is a rigid body subjected to multiple forces (own weight, tension of cables, etc.) All these forces are not concurrent. If the submarine does not translate or rotate, then the sum of forces and moments is zero.

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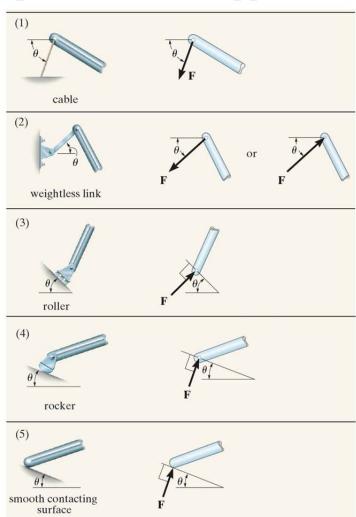
### **Equations of Equilibrium - Coplanar**

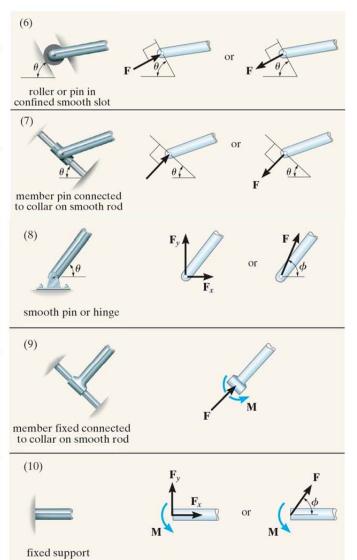
#### Equations of equilibrium and supports

$$\sum F_{Rx}=0$$

$$\sum F_{Ry} = 0$$

$$\sum M_{O_Z} = 0$$

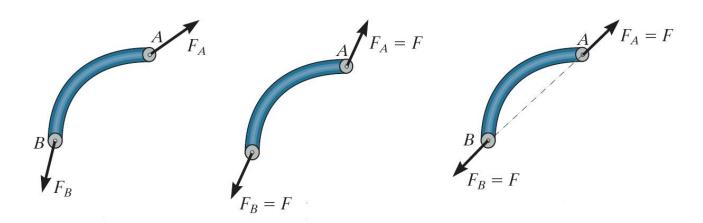




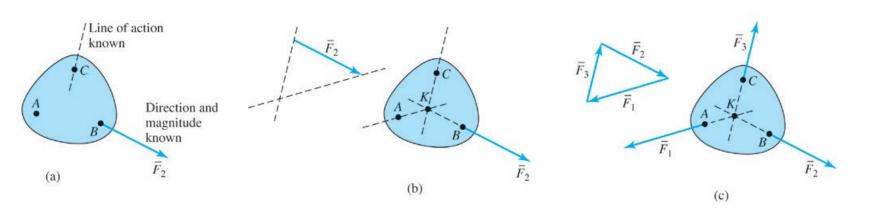


### **Two- and Three-Force Members**

#### **Two-Force Members**



#### **Three-Force Members**

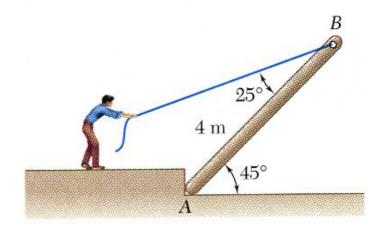




### **Example**

A man raises a 10 kg joist, of length 4 m, by pulling on a rope. Find the tension in the rope and the reaction at *A*.

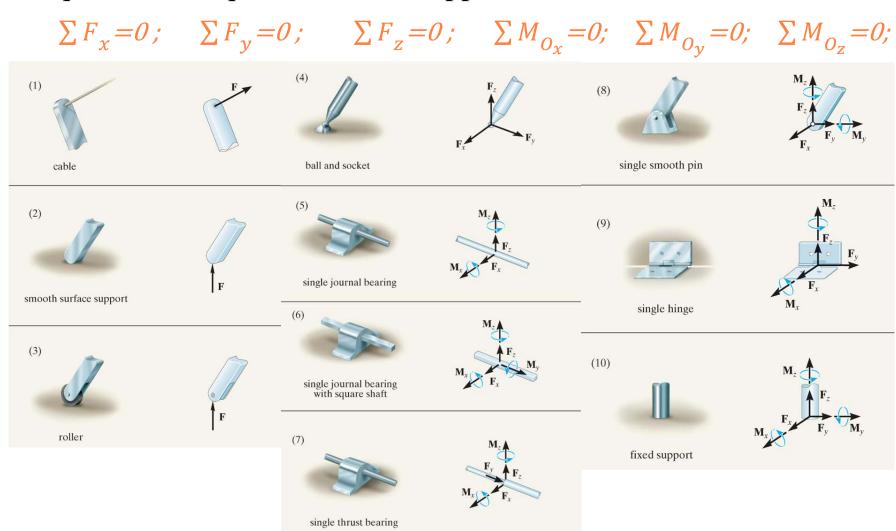
- a) Using the graphical method
- b) Using rectangular components





## **Equations of Equilibrium - Spatial**

#### Equations of equilibrium and supports



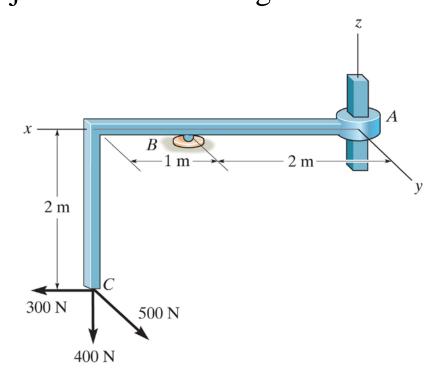
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**ENGR 141 - Engineering Mechanics** 



### **Example**

The member is supported by a square rod which fits loosely through the smooth square hole of the attached collar at *A* and by a roller at *B*. Determine the components of reaction at these supports when the member is subjected to the loading shown.





### **Example**

The bent rod is supported at A, B, and C by smooth journal bearings. Determine the magnitude of  $\mathbf{F}_2$  which will cause the reaction  $\mathbf{C}_y$  at the bearing C to be equal to zero. The bearings are in proper alignment and exert only force reactions on the rod. Set  $F_1 = 300$  lb.

