



DFA Construction - VI

Complete Course on Theory of Computation

cm-DFA $L = \{ \text{Set of all strings of a's \& b's where a is in every string 3rd symbol from LHS is a} \}$

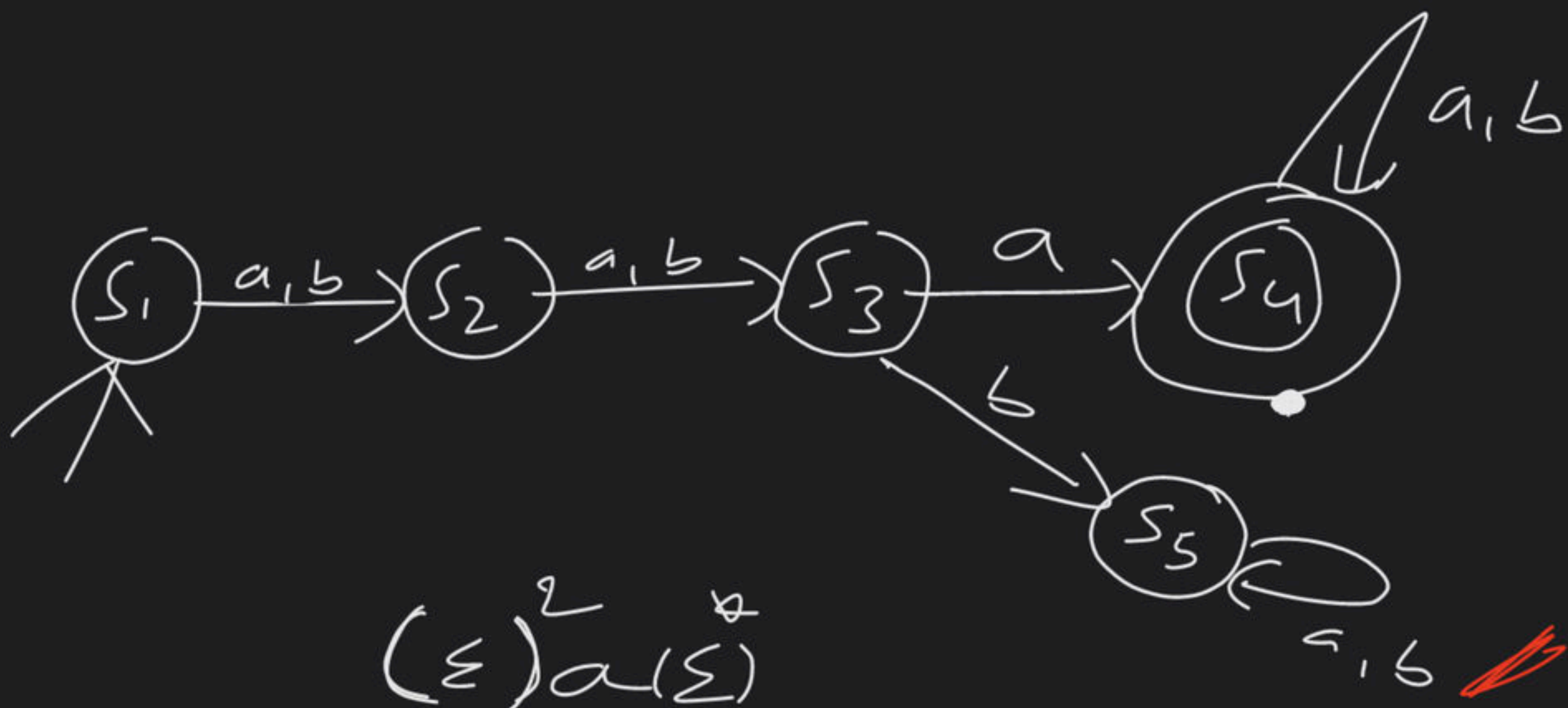
\Rightarrow

a	b	a
a	a	a
b	a	a
b	b	a

Σ

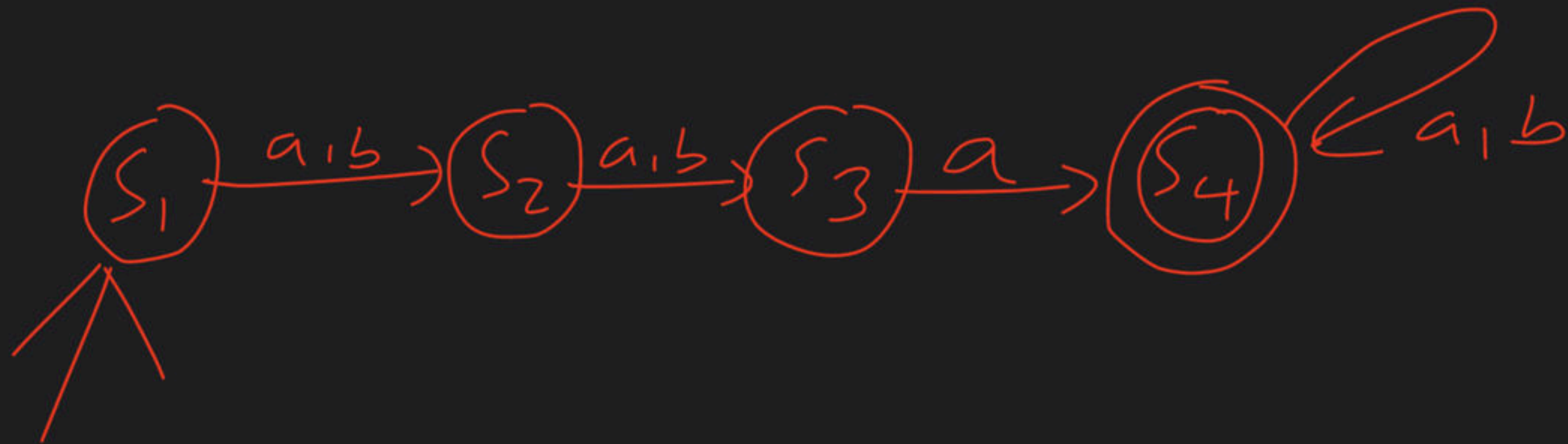
$\Sigma = \{a, b\}$

3rd - LHS - a $\Rightarrow 4 + 1$
 100 - " - " $\Rightarrow 101 + 1$
 n - " - " $\Rightarrow \underline{\underline{n+2}}$



$(\varepsilon)^2 a(\varepsilon)$

3rd symbol from LHS - $a \Rightarrow$ NFA



NFA \Rightarrow

3 - LHS \Rightarrow 4

n - LHS $\Rightarrow n+1$

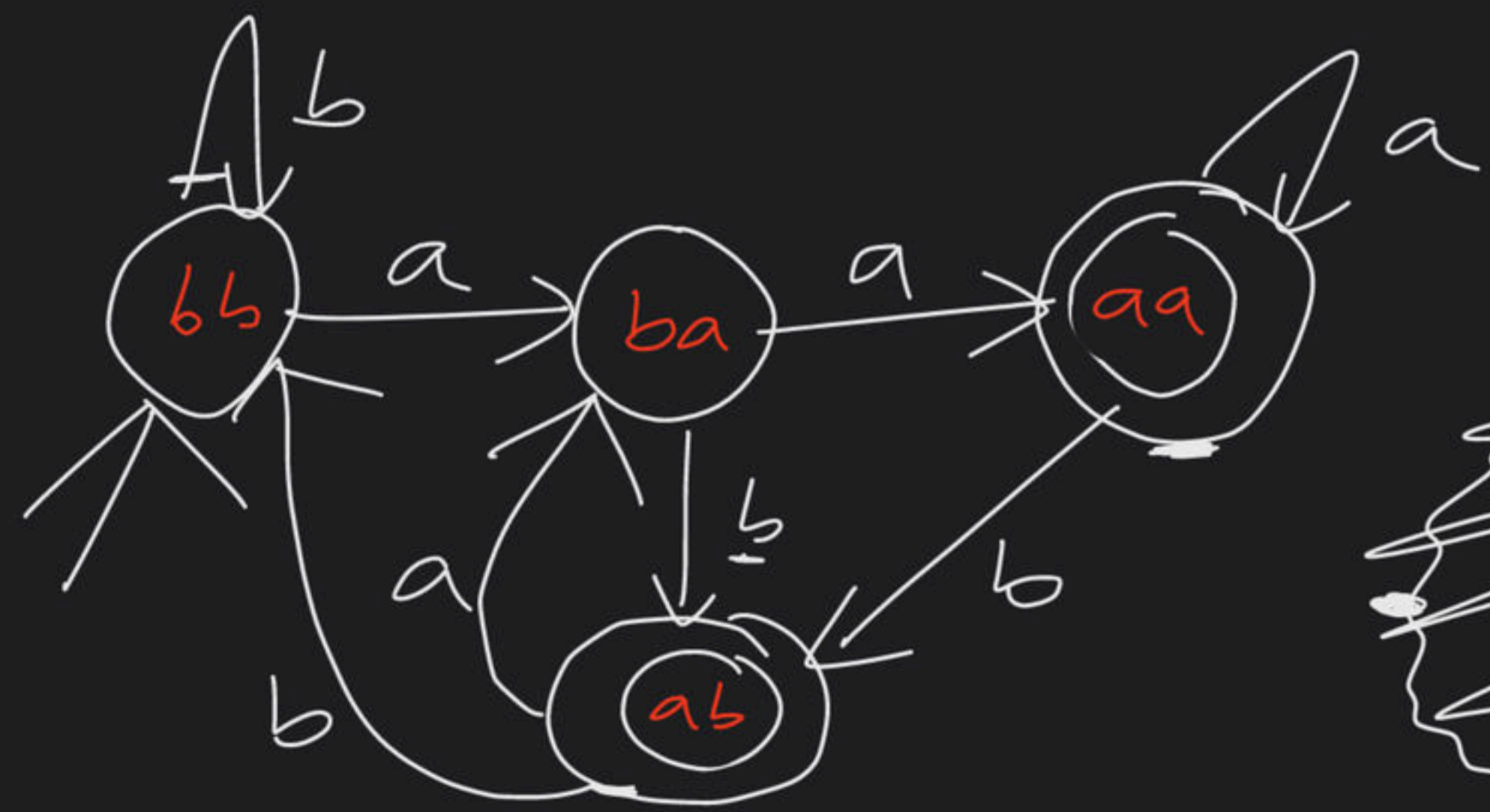
CM-DFA $L = \{ \text{set of all strings of a's \& b's where in every string 2nd symbol from RHS is a} \}$

$\Rightarrow \left(\begin{smallmatrix} \Sigma^* & a & a \\ \Sigma & a & b \end{smallmatrix} \right) \Rightarrow \Sigma^* a \Sigma^* \Rightarrow aa, ab,$

$\begin{matrix} b \\ b \\ a \\ a \end{matrix}$

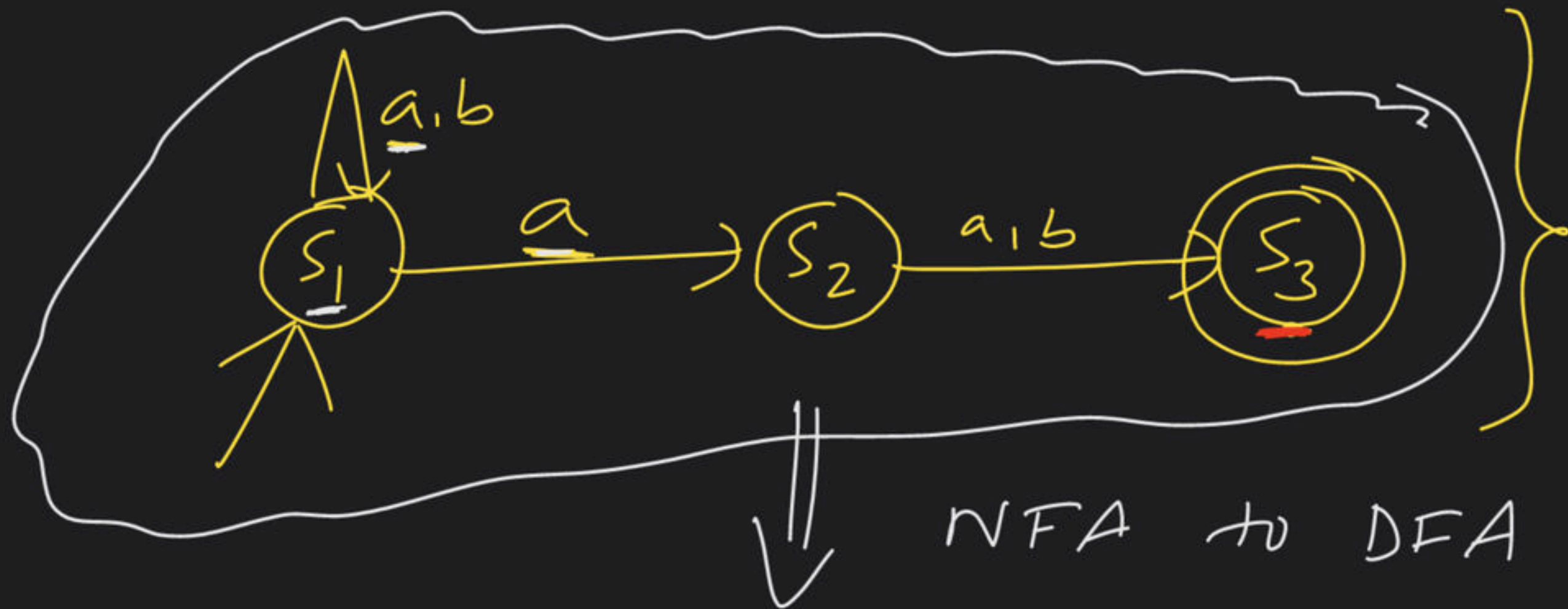
$\begin{matrix} a & a \\ a & b \\ a & a \\ a & b \end{matrix}$

$\begin{matrix} aa \\ ab \\ \hline baab \\ \hline baab \end{matrix}$



~~$\begin{matrix} aa \\ ab \\ ba \\ ba \end{matrix}$~~





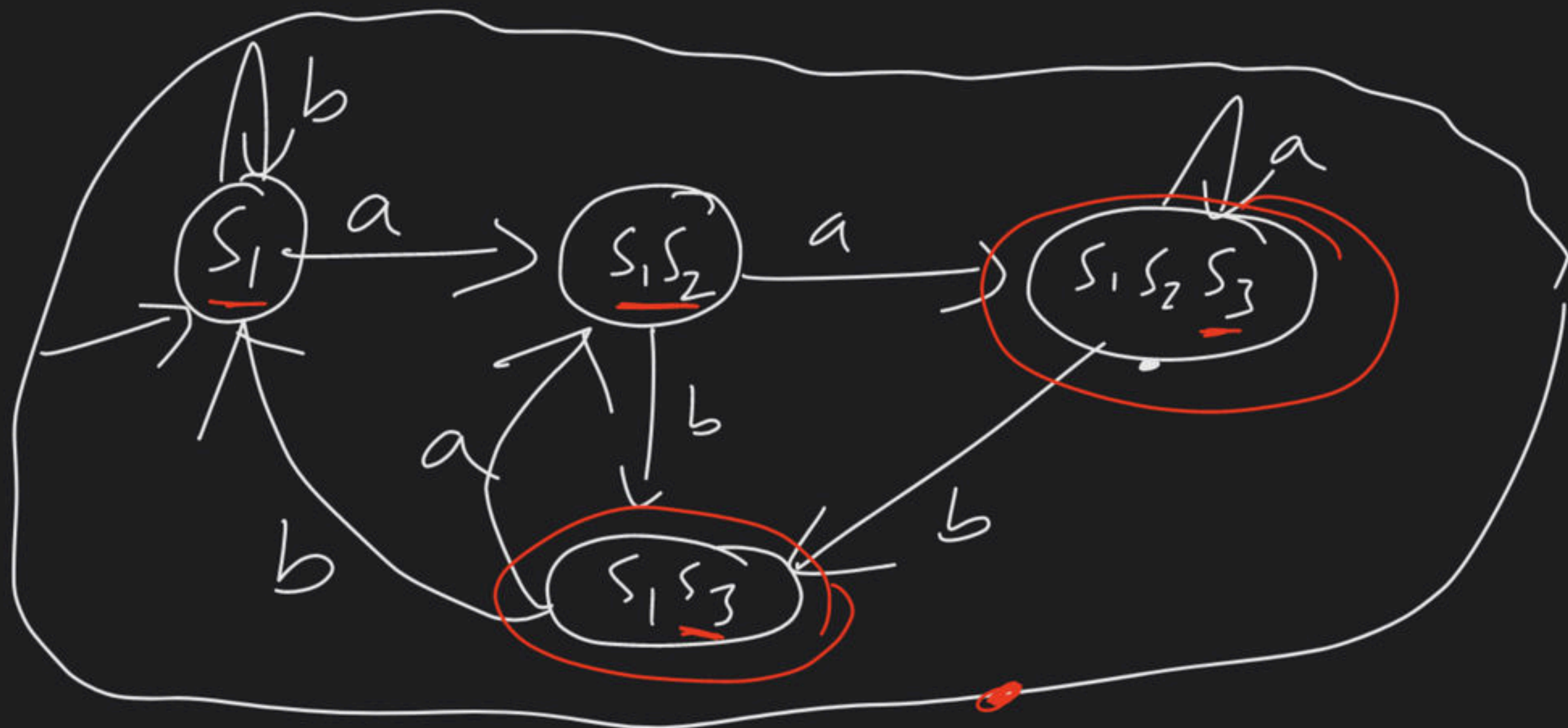
2nd RHS - $a \Rightarrow$ NFA

3- state

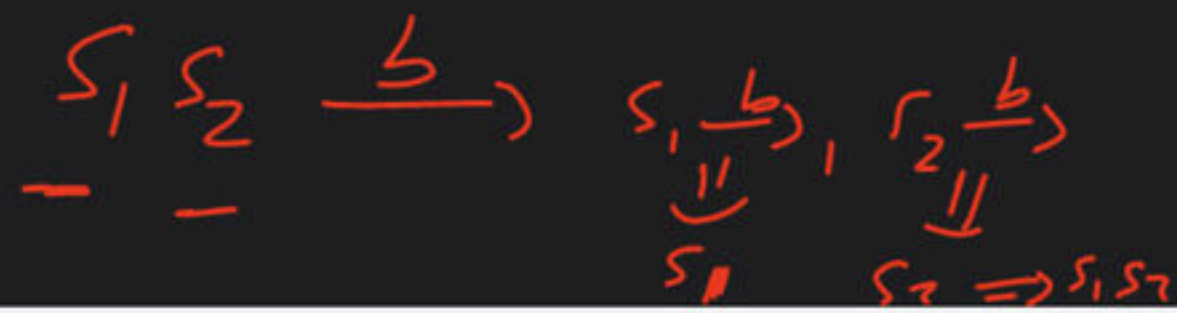
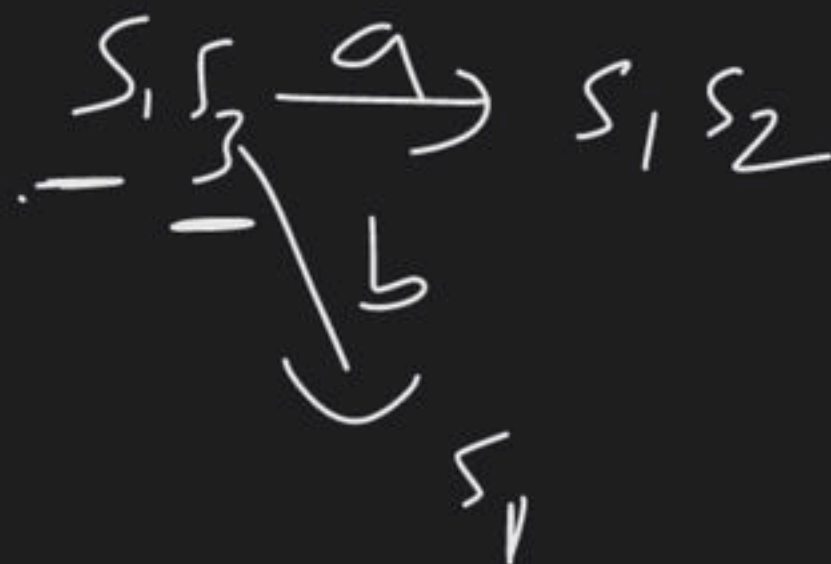


NFA to DFA

conversion



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- ① Take NFA start state
- ② apply all symbols from Σ one by one.
- ③ ^{from} new state continue 2nd step.
- ④ while applying transitions see NFA.
- ⑤ NFA find when is present in DFA
make them all final.
- ⑥ if no new state stop.

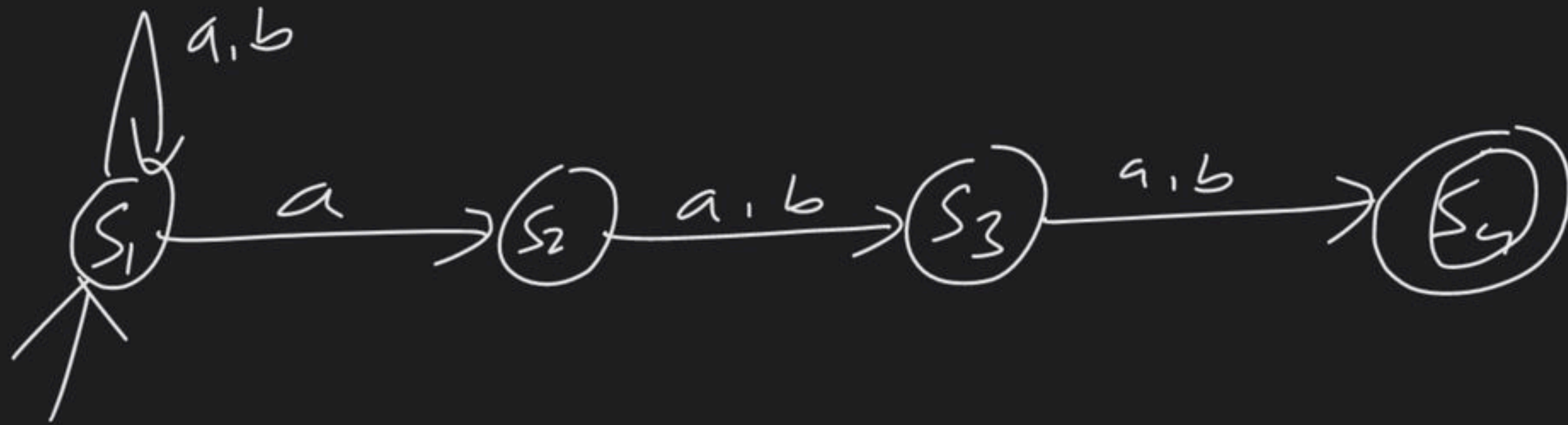
3rd symbol from RHS is a

⇒ Left 3-symbols Target ⇒

$$a \begin{pmatrix} aa \\ : \\ bb \end{pmatrix}$$



3rd symbol - RHS - a } NFA.



4-states

E.V - yes

1-IV also
don't say yes

few - invalid

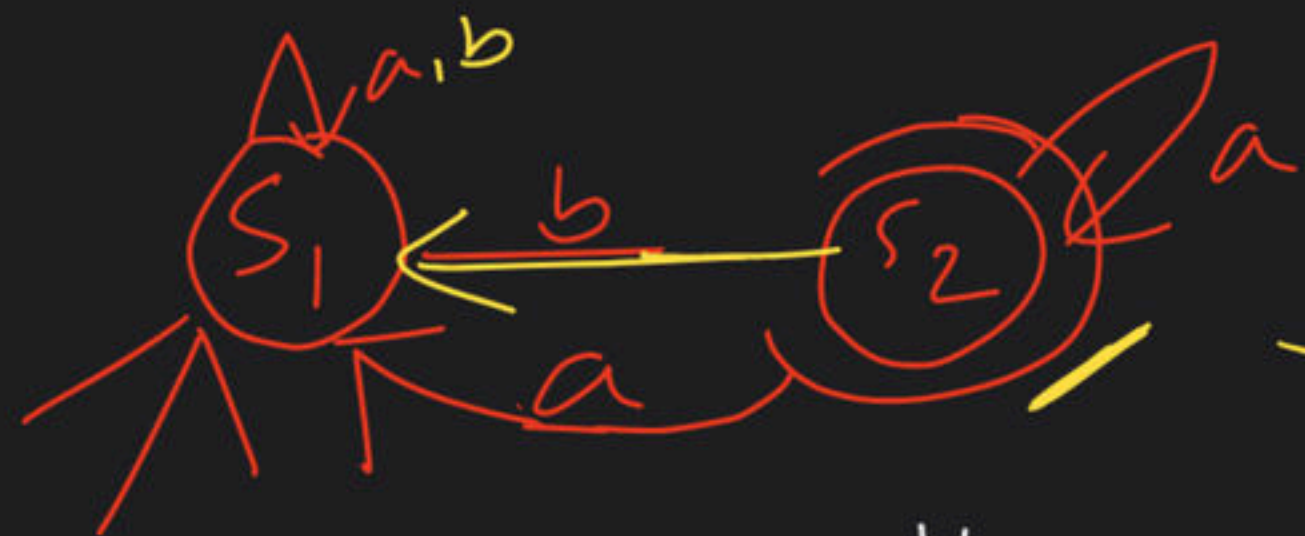
It's not covered

$2^{\text{nd}} \text{ RHS} - a \Rightarrow 2^2$
 $3^{\text{rd}} \text{ RHS} - a \Rightarrow 2^3$
 $n^{\text{th}} \text{ RHS} - a \Rightarrow 2^n$

} DFA

$2^{\text{nd}} \text{ RHS} - a \Rightarrow 3$
 $3^{\text{rd}} \text{ " " " " } \Rightarrow 4$
 $n^{\text{th}} \text{ " " " " } \Rightarrow n+1$

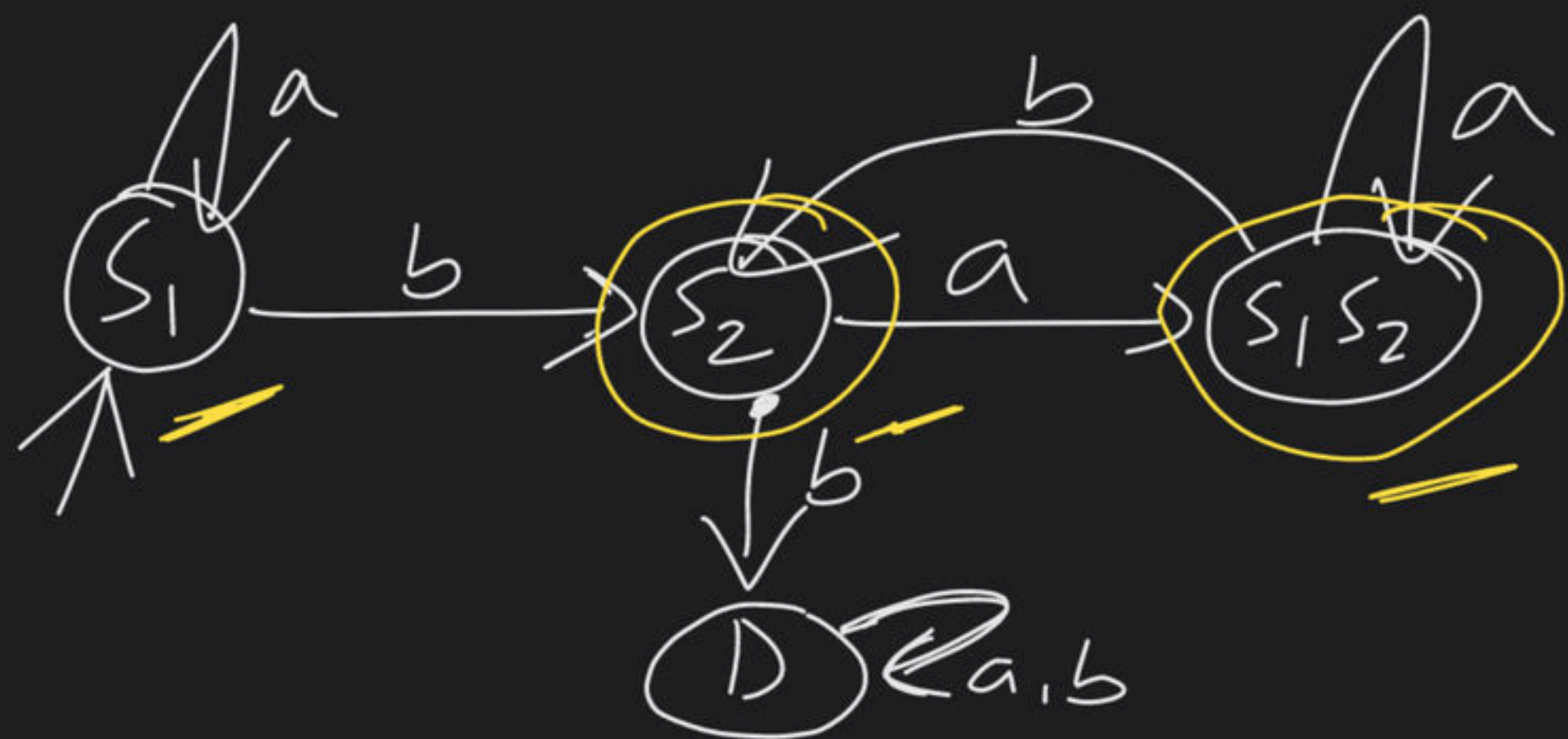
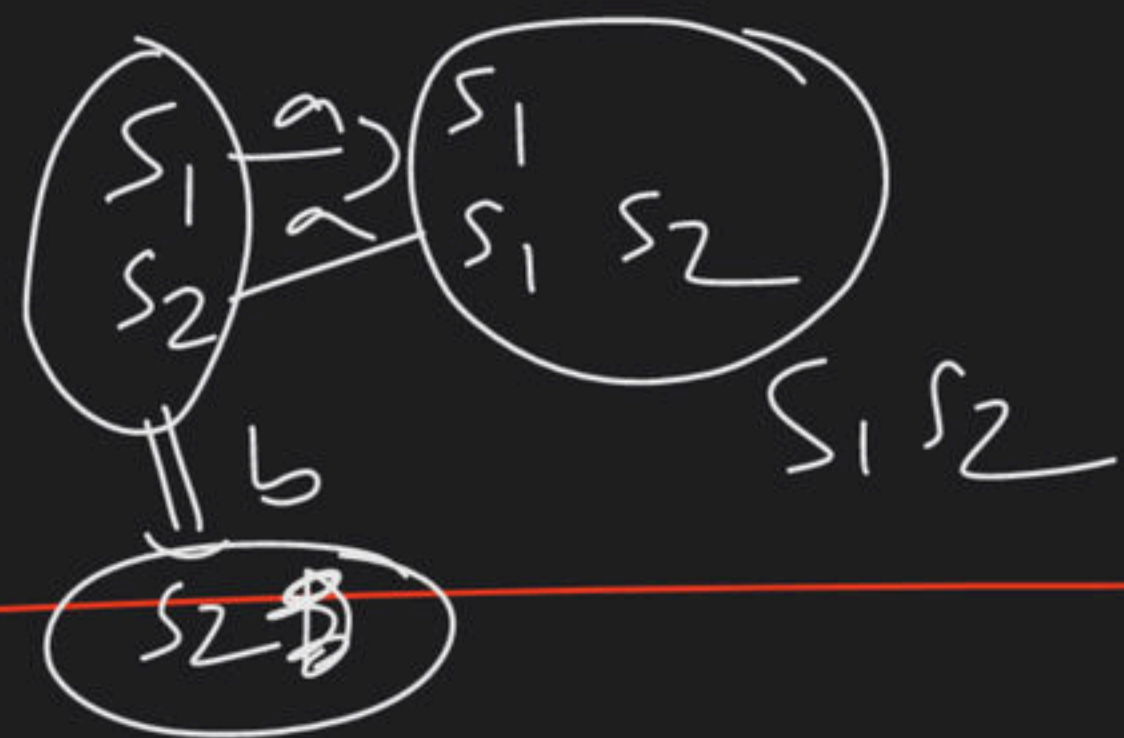
} NFA



NFA



DFA



$$Q = \{S_1, S_2\}$$

$P(Q) \text{ (or } 2^Q =$

- $\{S_1\}$ ✓
- $\{S_2\}$ ✓
- $\{S_1, S_2\}$ ✓
- $\{\}$ ✓



If NFA contain n -states then eqivalent

DFA contain 2^n states {maximum}

~~True~~
~~False~~

Best call \Rightarrow 1

Thank

Dedicate HK