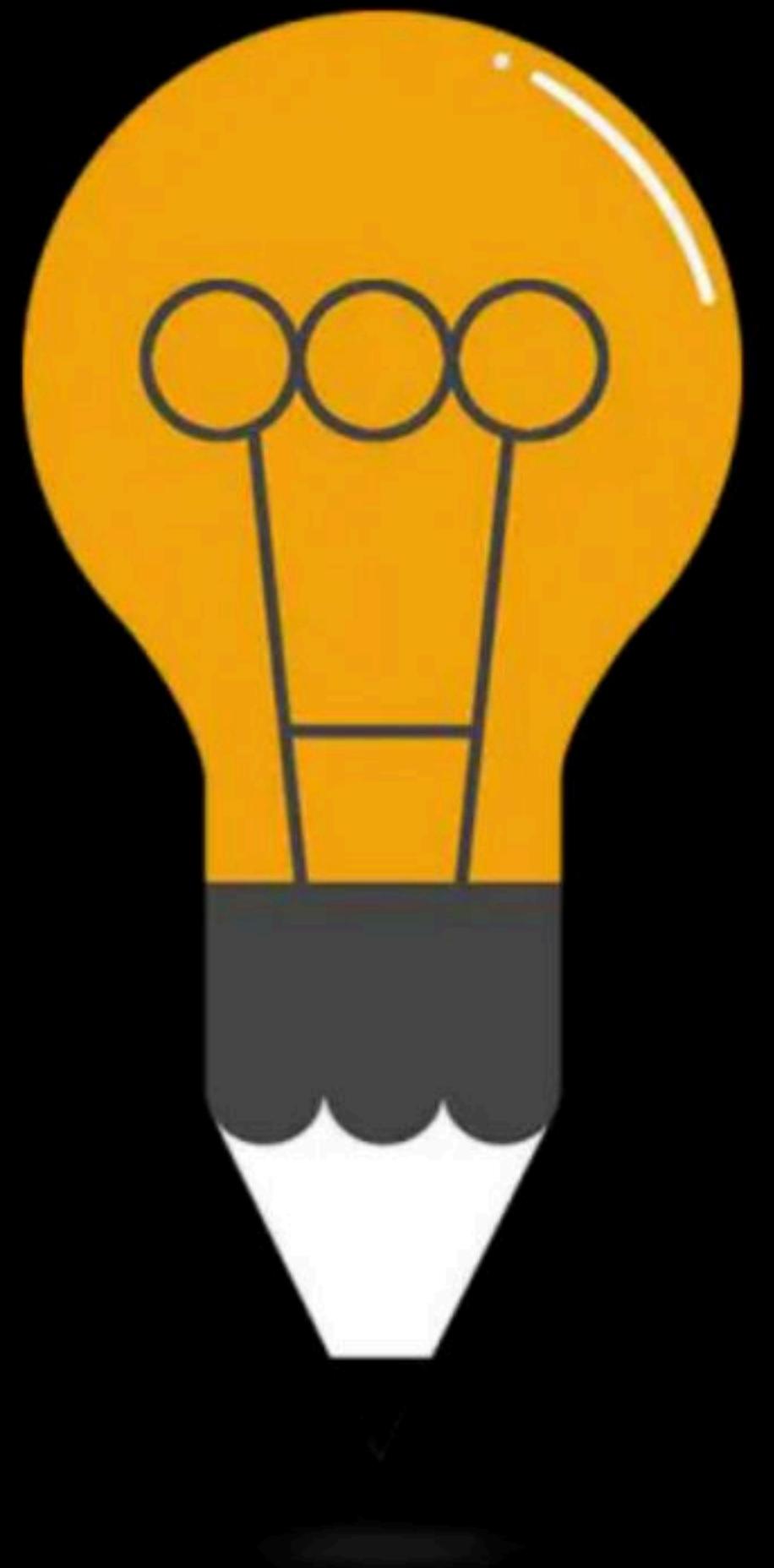






# ER Diagram to Relational Model Conversion

Complete Course on Database Management System



# DBMS Relational DB

By: Vishvadeep Gothi

▲ 2 • Asked by Gaurav

sir yaha pr  $A \rightarrow BC$  kaise possible hai

$R(A, B, C, D)$

FDs = { $A \rightarrow B$ ,  $B \rightarrow C$ ,  $AB \rightarrow D$ }

$$FJ^+ = \left\{ \begin{array}{l} A \rightarrow B \\ B \rightarrow C \\ AB \rightarrow D \\ A \rightarrow C \\ A \rightarrow D \end{array} \right\} \Rightarrow \begin{array}{l} A \rightarrow BC \\ B \rightarrow C \\ AB \rightarrow D \end{array}$$

$$A \rightarrow BC$$

$$A \rightarrow C$$

$$A \rightarrow BC$$

# Functional Dependency

Consider a relation R and 2 attributes A and B in R.

B is functionally dependent on A (denoted by  $A \rightarrow B$ ), if each value of A is associated with exactly one value in B in relation R.

A	B	C	D
$a_1$	$b_1$	$c_1$	$d_1$
$a_1$	$b_2$	$c_1$	$d_2$
$a_2$	$b_2$	$c_2$	$d_2$
$a_2$	$b_2$	$c_2$	$d_3$
$a_3$	$b_3$	$c_2$	$d_4$

▲ 1 • Asked by Raj ✓

Can A and B together can be CK?

Q

T			
A	B	C	D
1	1	1	2
1	2	3	4
2	1	5	6
2	2	7	8
3	null	9	10

Can A & B together be key?

# Functional Dependency: Example

A	B	C
10	B1	1
10	B2	2
11	B4	1
12	B3	4
13	B1	1
14	B3	4

# Question

Consider a relation R (A, B, C, D, E, F, G)

FDs = {

$AB \rightarrow D,$

$G \rightarrow A,$

$D \rightarrow F,$

$B \rightarrow E,$

$E \rightarrow C,$

$A \rightarrow G,$

$C \rightarrow B,$

}

$$AB^+ = \{ A, B, D, F, G, E, C \}$$

$AB$

$AC$

$AC$

$AE$

$AE$

$AE$

# Question

Consider a relation R (A, B, C, D, E, G)

FDs = {

$AD \rightarrow E$ ,

$AB \rightarrow C$ ,

$B \rightarrow D$ ,

$AC \rightarrow B$ ,

$E \rightarrow G$ ,

$BC \rightarrow A$

}

$$\begin{aligned} AB^+ &= \{ A, B, C, D, E, G \} \\ AC^+ &= \boxed{\text{lime attributes} = \{ A, B, C \}} \\ BC^+ &= \boxed{\text{non-lime} - \text{---} = \{ D, E, G \}} \end{aligned}$$

keys = AB, AC, BC

# Question

Consider a relation R (A, B, C, D, E, G)

FDs = {

$A \rightarrow B$ ,

$BC \rightarrow D$ ,

$E \rightarrow C$ ,

$D \rightarrow A$

}

$$AEG^+ = \{ A, E, G, C, B, D \}$$

$$DEG^+ = \{ D, E, G, A, B, C \}$$

$$BEG^+ = \{ B, E, G, C, D, A \}$$

# Question

Consider a relation R (A, B, C, D, F, G, E)

FDs = {

$BCD \rightarrow A,$

$BC \rightarrow E,$

$A \rightarrow F,$

$F \rightarrow G,$

$C \rightarrow D,$

$A \rightarrow G \times$

}

$BC \rightarrow A$

$BC \rightarrow AE$

$A \rightarrow F$

$F \rightarrow G$

$C \rightarrow \text{D}$

Find the minimal set?

# Normalization

Normalization is the process of minimizing redundancy from a relation or set of relations

Redundancy in relation may cause insertion, deletion, and update anomalies

# Example

C_Id	C_name	P_Id	P_Name	P_Price
C1	Chatur	P1	Shirt	1500
C2	Suhas	P1	Shirt	1500
C3	Rencho	P2	Jeans	2200
C4	Piya	P4	Trouser	1900
C5	Piya	P3	Tshirt	1300
C6	Suhas	P4	Trouser	1900
C7	Viru	P1	Shirt	1500
C8	Raju	P3	Tshirt	1300
C9	Viru	P1	Shirt	1500
C10	mm	NULL	NULL	NULL

Inserting new customer

P\_Id, P\_name, P\_Price  
should not be NULL

# Insert Anomalies

C_Id	C_name	P_Id	P_Name	P_Price
C1	Chatur	P1	Shirt	1500
C2	Suhas	P1	Shirt	1500
C3	Rencho	P2	Jeans	2200
C4	Piya	P4	Trouser	1900
C5	Piya	P3	Tshirt	1300
C6	Suhas	P4	Trouser	1900
C7	Viru	P1	Shirt	1500
C8	Raju	P3	Tshirt	1300
C9	Viru	P1	Shirt	1500

# Update Anomalies

C_Id	C_name	P_Id	P_Name	P_Price
C1	Chatur	P1	Shirt	1500
C2	Suhas	P1	Shirt	1500
C3	Rencho	P2	Jeans	<del>2200</del> 2500
C4	Piya	P4	Trouser	1900
C5	Farhan	P3	Tshirt	1300
C6	Suhas	P4	Trouser	1900
C7	Viru	P1	Shirt	1500
C8	Raju	P3	Tshirt	1300
C9	Viru	P1	Shirt	1500

assuming product jeans  
price has been changed  
to 2500

Rencho purchased jeans in 2200  
but now my db shows in 2500

# Delete Anomalies

C_Id	C_name	P_Id	P_Name	P_Price
C1	Chatur	P1	Shirt	1500
C2	Suhas	P1	Shirt	1500
C3	Rencho	P2	Jeans	2200
C4	Piya	P4	Trouser	1900
C5	Piya	P3	Tshirt	1300
C6	Suhas	P4	Trouser	1900
C7	Viru	P1	Shirt	1500
C8	Raju	P3	Tshirt	1300
C9	Viru	P1	Shirt	1500

Delete product jeans  
↓  
customer with id C3  
also deleted

# Normalization

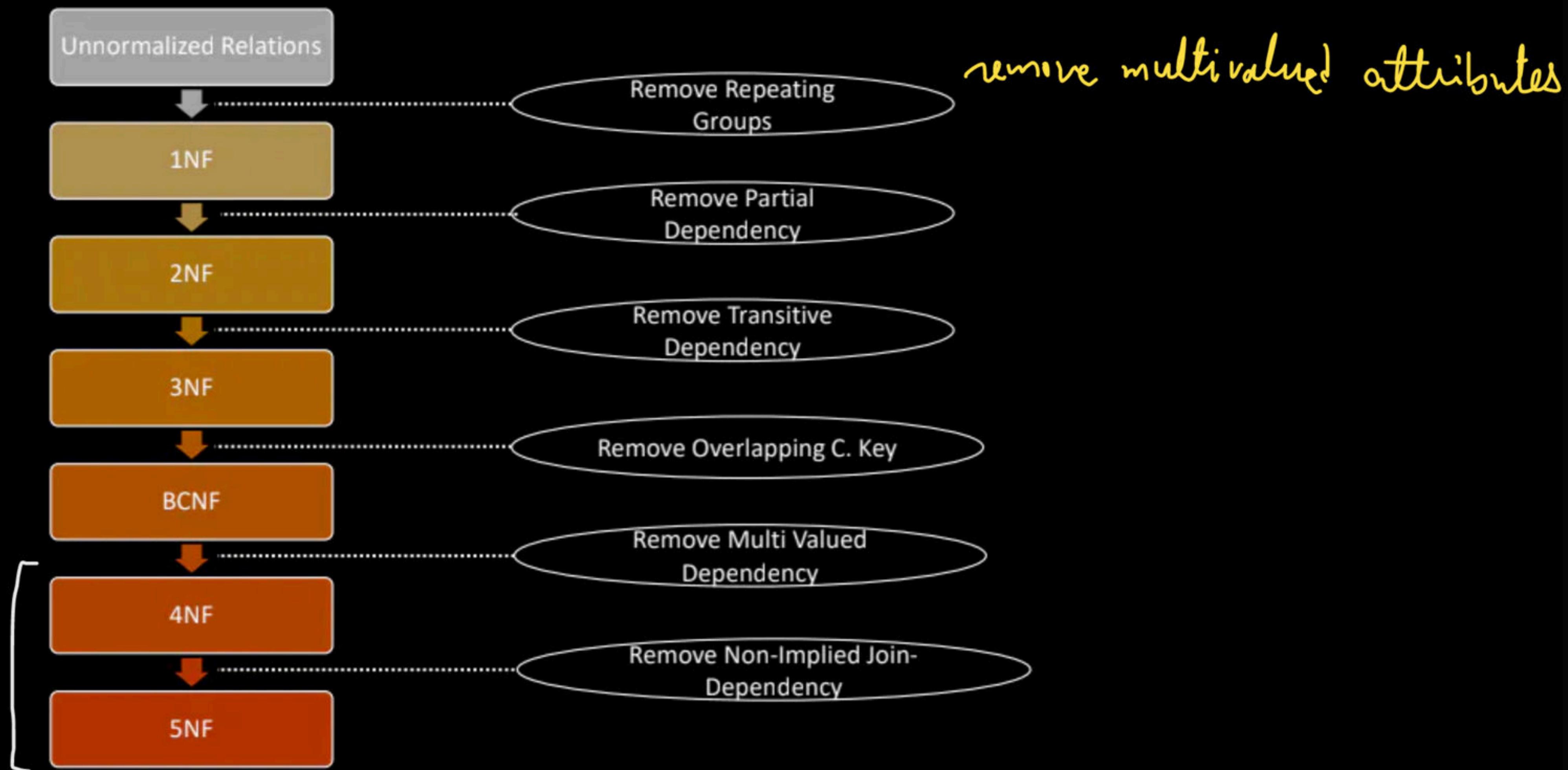
It is a process of grouping attributes into well structured relations, that contain minimum redundancy

It focuses on characteristics of specific entities

# Normalization

One relation should have one theme

# Normalization



## 1NF

A relation R is said to be in 1NF if there is no any multivalued attribute in R

Student			
Rno	name	dob	Phno
1	Arit	1 Jan	1234, 4567
2	Priya	4 July	4545, 6767
3	Sumit	27 Oct	7899312226

Phno is multivalued attribute,

eliminate multi valued attribute  
↓  
↓

- ① Increase rows
- ② ————— Columns
- ③ Decompose relation

## Increase WWS:-

student

Rno	name	dob	phno
1	Amit	1 Jan	1234
1	Amit	1 Jan	4567
2	Priya	4 July	4545
2	Priya	4 July	6767
3	Sunit	27 Oct	7895312226

Problems:-

1. Rno is no longer a primary key
2. Too much of redundant info

② Increase columns :-

student

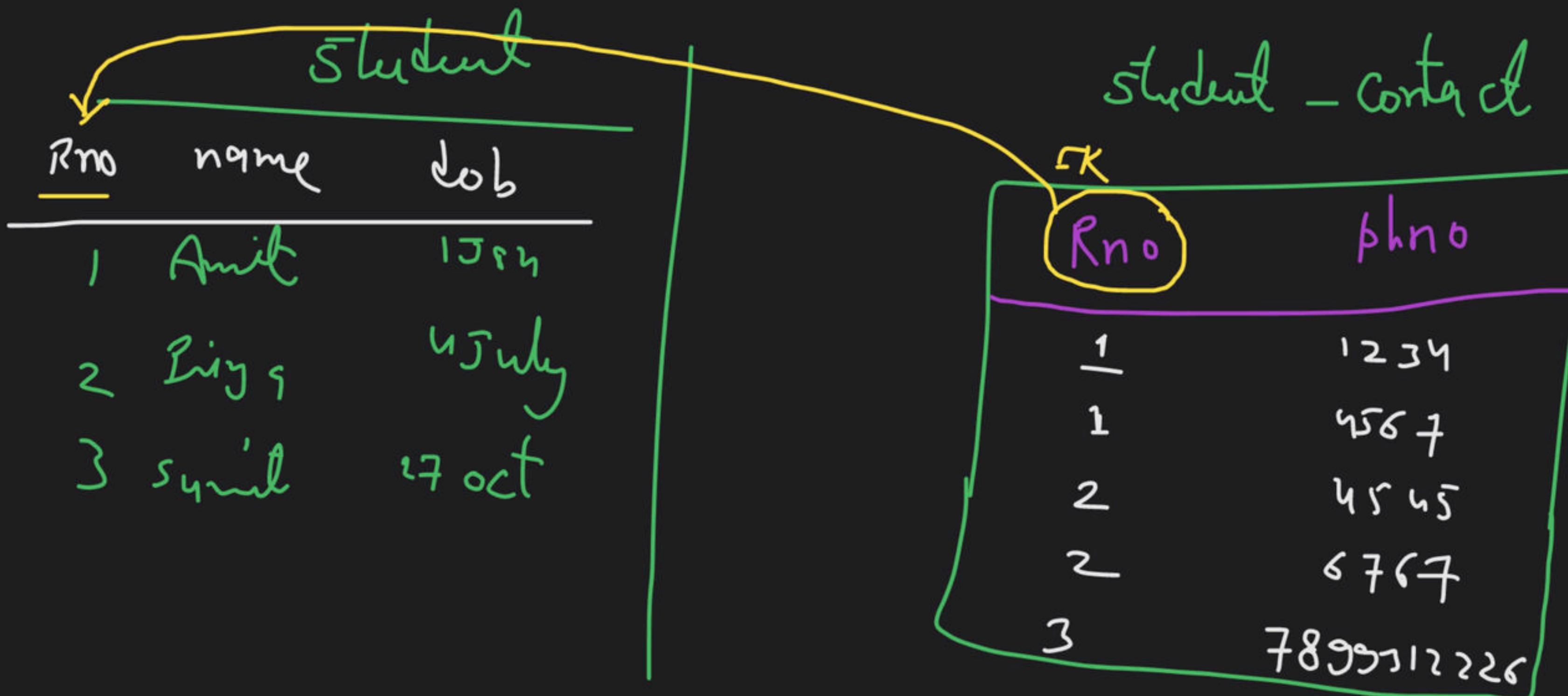
Rno	name	dob	phno1	phno2
1	Anil	1 Jan	1234	4567
2	Priya	4 July	4545	6767
3	Sunit	27 Oct	7899312226	NULL

Problem :-

wastage of space if  
multiple NULL values in  
phno2 .  
→ wastage may increase if  
one row has >2 phone nos.



Decompose Relation:- keep multivalued attribute along with p.k. of table in another table.



# 2NF

A relation R is said to be in 2NF if ~~it is~~ it is already in 1NF and there is no any non-prime attribute in R which is partially dependent on prime attribute of R

if  $AB$  is c.key

$A \rightarrow$  non-prime attribute

or

$B \rightarrow$  non-prime attribute

if  $ABC$  is c.key

$A \rightarrow$  n.p. attribute

$B \rightarrow$  — " —

$C \rightarrow$  — " —

$AB \rightarrow$  — " —

$BC \rightarrow$  — " —

$CA \rightarrow$  — " —

partial dependency

↓

no possibility of partial dependency

if later of table not given  
↓

table is in 1NF already  
C

$R(A, B, C, D)$

$FD^S = \{ AB \rightarrow CD$   
 $B \rightarrow D \}$

key  $\Rightarrow AB$

Prime  $\Rightarrow A, B$

non-prime  $\Rightarrow C, D$

Partial dependency  
 $\Downarrow$

$B \rightarrow D$

$\Downarrow$

Given relation  $R$  is not in 2NF

$\Downarrow$

Sol :- To bring  $R$  in 2NF, decompose  $R$  into 2 relations such that, remove partially dependent attribute from  $R$  and keep it in another relation.

Dependent

$R_1(A, B, C)$  $R_2(B, D)$  $FD \Rightarrow A_B \rightarrow C$  $FD \Rightarrow B \rightarrow D$  $key \Rightarrow AB$  $key \Rightarrow B$ 

⇒ both  $R_1$  and  $R_2$  are in 2NF

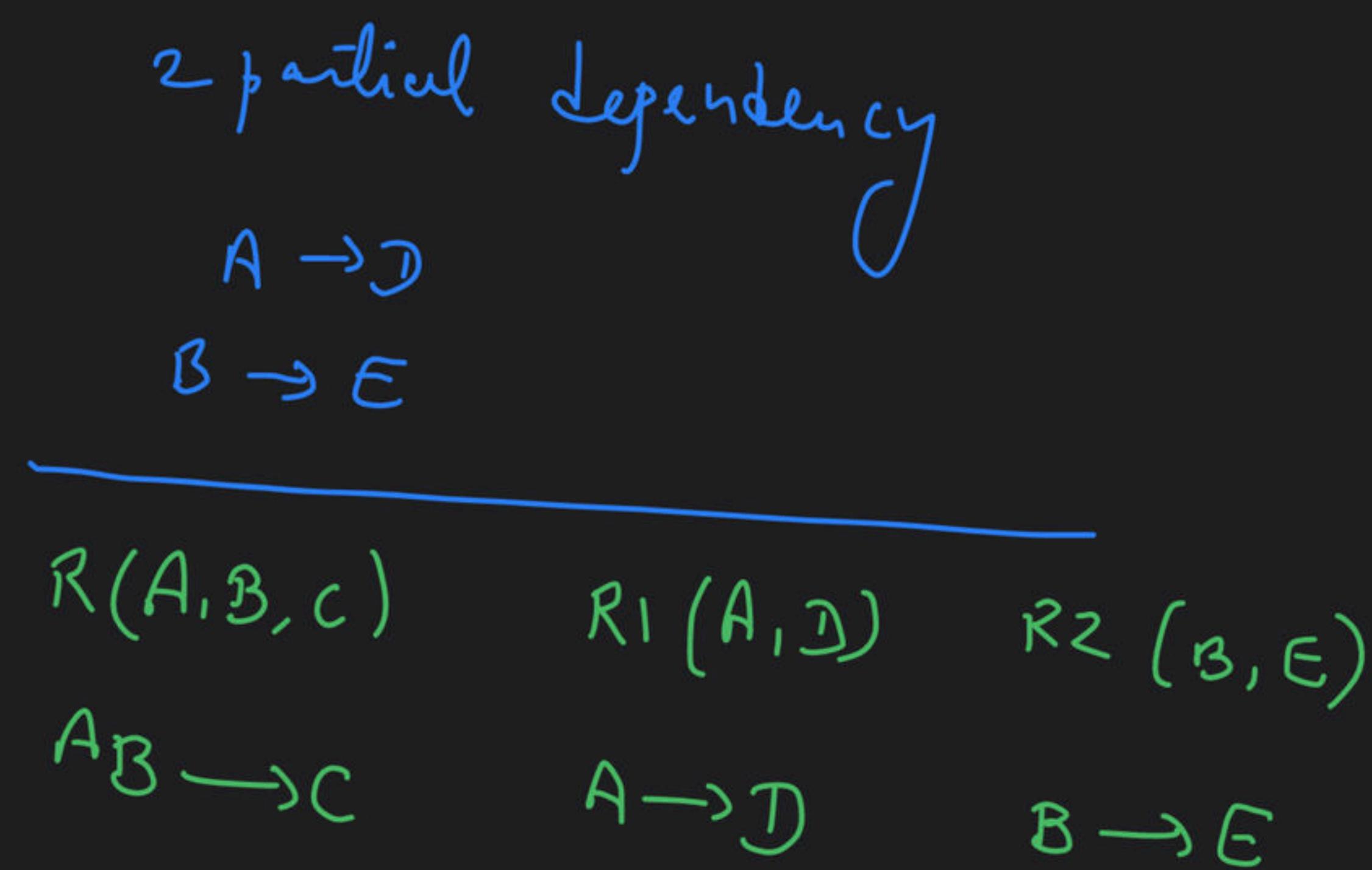
Ques unacademy  $R(A, B, C, D, E)$

$$FD = \{ AB \rightarrow C, \\ A \rightarrow D, \\ B \rightarrow E \}$$

c.  
key  $\Rightarrow AB$

prime  $\Rightarrow A, B$

non-prime  $\Rightarrow C, D, E$



## 2NF

Consider a relation R (A, B, C, D) with candidate key AB. Select the FD which will make the relation not in 2NF?

- 1)  $AB \rightarrow C$
- 2)  $AB \rightarrow D$
- 3)  $A \rightarrow D$  ✓
- 4)  $B \rightarrow C$  ✓



# Question

R (A, B, C, D, E)

FDs = {

$AB \rightarrow C$ ,

$D \rightarrow E$

}

# 3NF

A relation R is said to be in 3NF if there it is already in 2NF and there is no any non-prime attribute in R which is transitively dependent on the key of R

# Question

R (A, B, C, D, E, F)

FDs = {

$A \rightarrow BCF$ ,

$C \rightarrow DE$

}

# Question

Consider a relation R (A, B, C, D) with candidate key AB. Select the FD which will make the relation not in 3NF?

$AB \rightarrow C$

$AB \rightarrow D$

$C \rightarrow D$

$D \rightarrow C$

}

# BCNF (Boyce Codd Normal Form)

A relation R is said to be in BCNF if there it is already in 3NF and for every functional dependency  $\alpha \rightarrow \beta$ ,  $\alpha$  should be super key in R

# BCNF (Boyce Codd Normal Form)

R (A, B, C, D)

FDs = {

$AB \rightarrow CD$ ,

$D \rightarrow B$

}

# Question

Consider a relation R with attributes A, B, C, D, E, X and Y; and following FDs:

$AB \rightarrow C$ ,

$AC \rightarrow B$ ,

$AD \rightarrow E$ .

$B \rightarrow D$ ,

$BC \rightarrow A$ ,

$E \rightarrow X$

Which of the following is the highest possible normal form satisfied by the relation R?

- (A) 1NF      (B) 2NF
- (C) 3NF      (D) BCNF

# Questions on Normalization

# Lossy vs Lossless Decomposition

# Question GATE-1995

Consider the relation scheme  $R(A, B, C)$  with the following functional dependencies:

- $A, B \rightarrow C$ ,
  - $C \rightarrow A$
- A. Show that the scheme R is in  $3NF$  but not in BCNF.  
B. Determine the minimal keys of relation  $R$ .

# Question GATE-1997

For a database relation  $R(a, b, c, d)$ , where the domains  $a, b, c, d$  include only atomic values, only the following functional dependencies and those that can be inferred from them hold

- $a \rightarrow c$
- $b \rightarrow d$

This relation is

- A. in first normal form but not in second normal form      B. in second normal form but not in first normal form  
C. in third normal form      D. none of the above

# Question GATE-1998

Which normal form is considered adequate for normal relational database design?

- A.  $2NF$
- B.  $5NF$
- C.  $4NF$
- D.  $3NF$

# Lossy Join Decomposition

The decomposition of relation R into R<sub>1</sub>, R<sub>2</sub>, R<sub>3</sub> .... R<sub>n</sub> is lossy when the join of R<sub>1</sub>, R<sub>2</sub>, R<sub>3</sub> .... R<sub>n</sub> does not produce the same relation as in R.

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**Student**

Rollno	Sname	Dept
12	Vishvadeep	CSE
56	Vishvadeep	AI

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**Student\_details**

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**S\_Department**

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56	AI

# Lossy Join Decomposition

Assuming decomposition of relation R into R<sub>1</sub>, R<sub>2</sub>, R<sub>3</sub> .... R<sub>n</sub>. Then

$R = R_1 \bowtie R_2 \bowtie R_3 \dots \bowtie R_n$       Lossless

$R \subset R_1 \bowtie R_2 \bowtie R_3 \dots \bowtie R_n$       Lossy

# Dependency Preserving Decomposition

A Decomposition  $D = \{ R_1, R_2, R_3 \dots R_n \}$  of  $R$  is dependency preserving with respect to a set  $F$  of Functional dependency if

$$(F_1 \cup F_2 \cup \dots \cup F_n)^+ = F^+$$

# Dependency Preserving Decomposition

Example 1:

$R(A, B, C, D)$

FDs = {

$AB \rightarrow C,$

$B \rightarrow D$

}

Decomposition:

$R_1(A, B, C) \text{ FD} = \{AB \rightarrow C\}$

$R_2(B, D) \text{ FD} = \{B \rightarrow D\}$

# Dependency Preserving Decomposition

Example 1:

$R(A, B, C, D)$

FDs = {

$AB \rightarrow C,$

$C \rightarrow D,$

$D \rightarrow A\}$

Decomposition

$R1(A, B, C) \text{ FD} = \{AB \rightarrow C\}$

$R2(C, D) \text{ FD} = \{C \rightarrow D\}$

# Question GATE-2001

Consider a schema  $R(A, B, C, D)$  and functional dependencies  $A \rightarrow B$  and  $C \rightarrow D$ . Then the decomposition of  $R$  into  $R_1(A, B)$  and  $R_2(C, D)$  is

- A. dependency preserving and lossless join
- B. lossless join but not dependency preserving
- C. dependency preserving but not lossless join
- D. not dependency preserving and not lossless join

# Happy Learning.!

