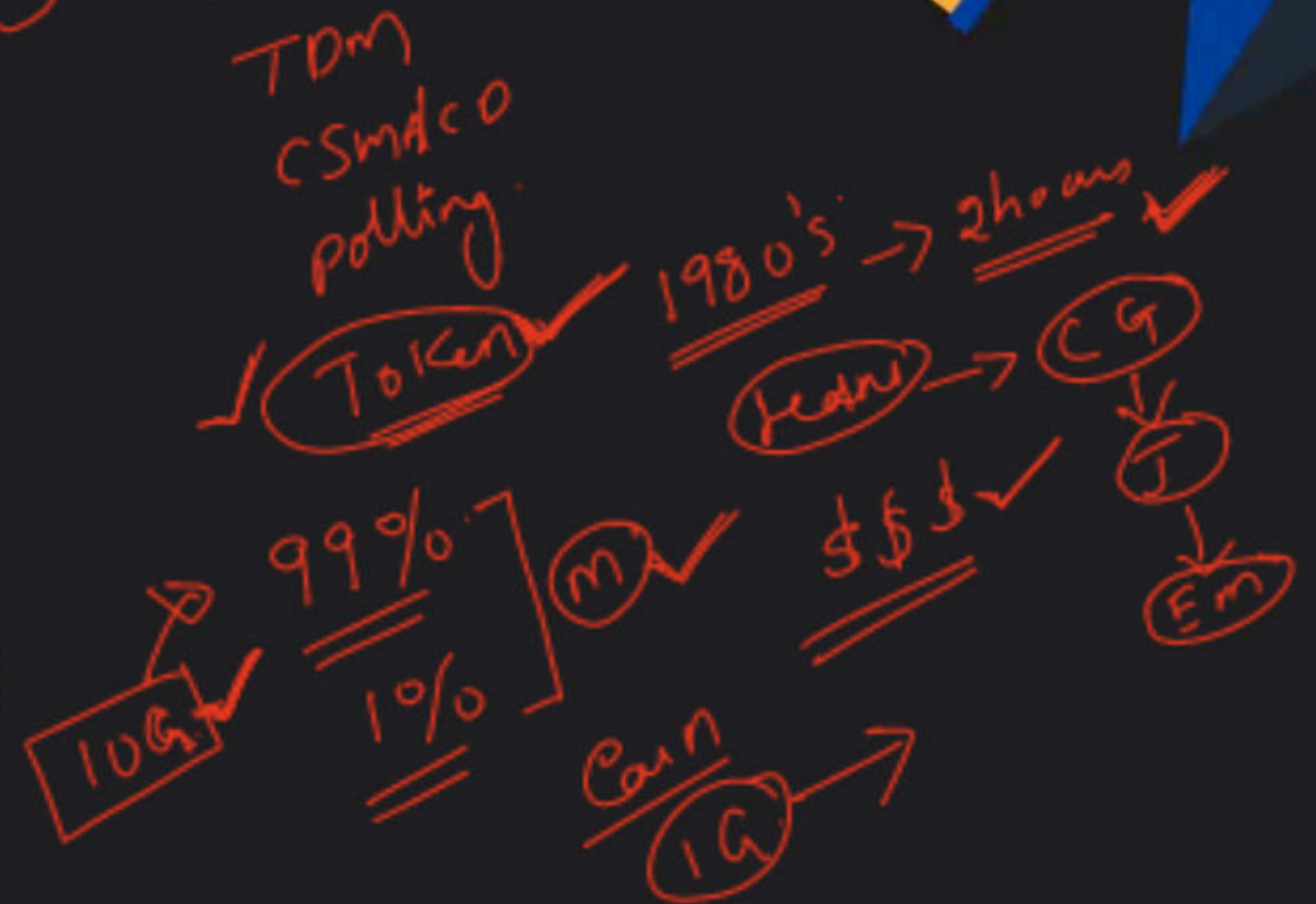


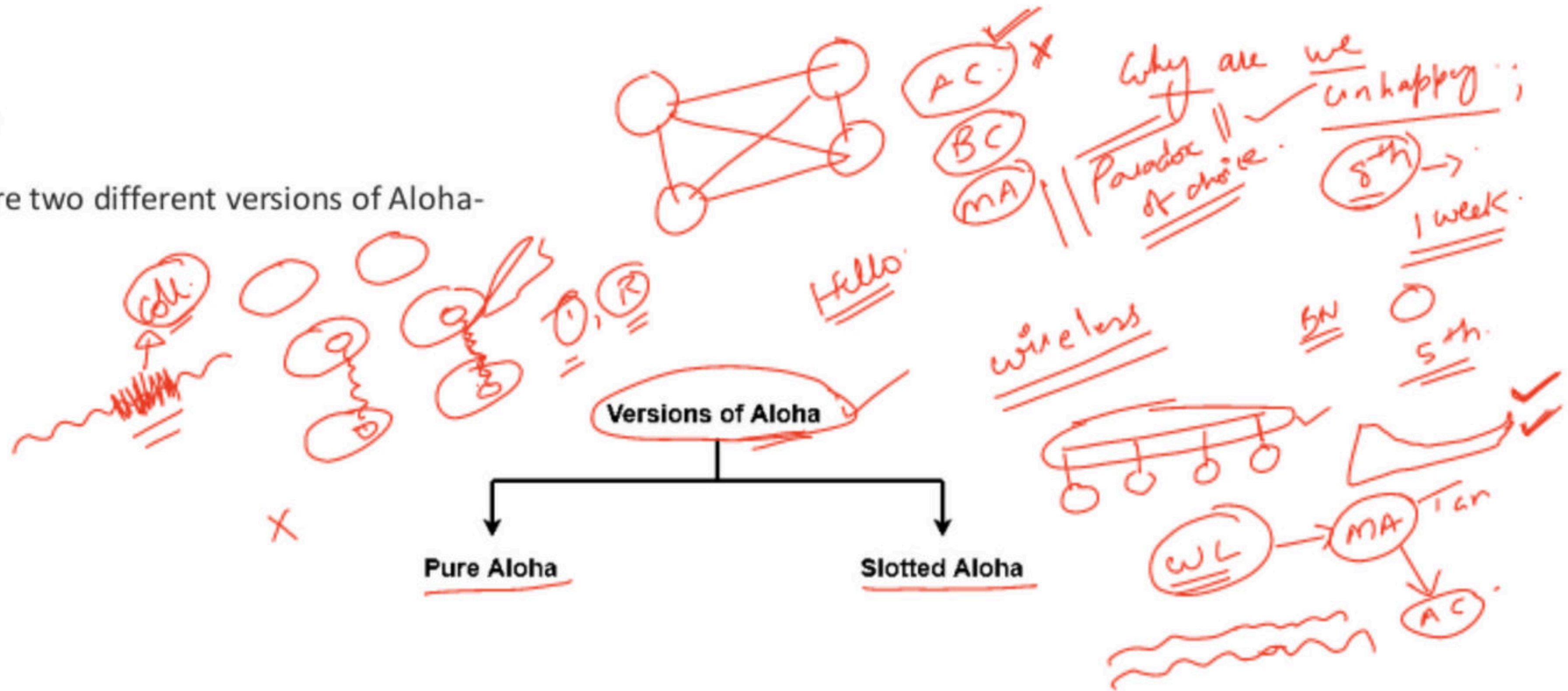
Access Control - Part V

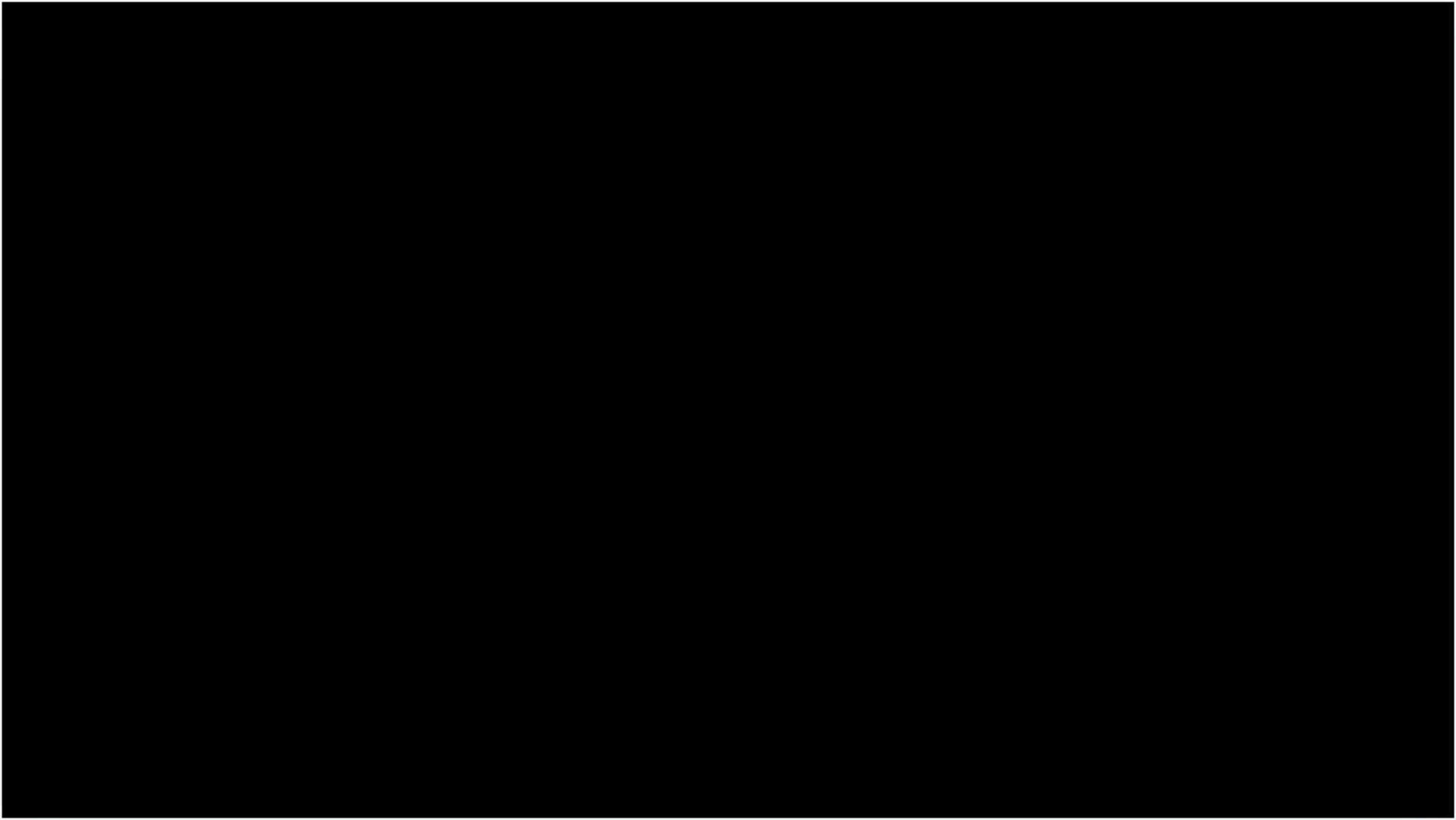
Complete Course on Computer Networks - Part II



Aloha-

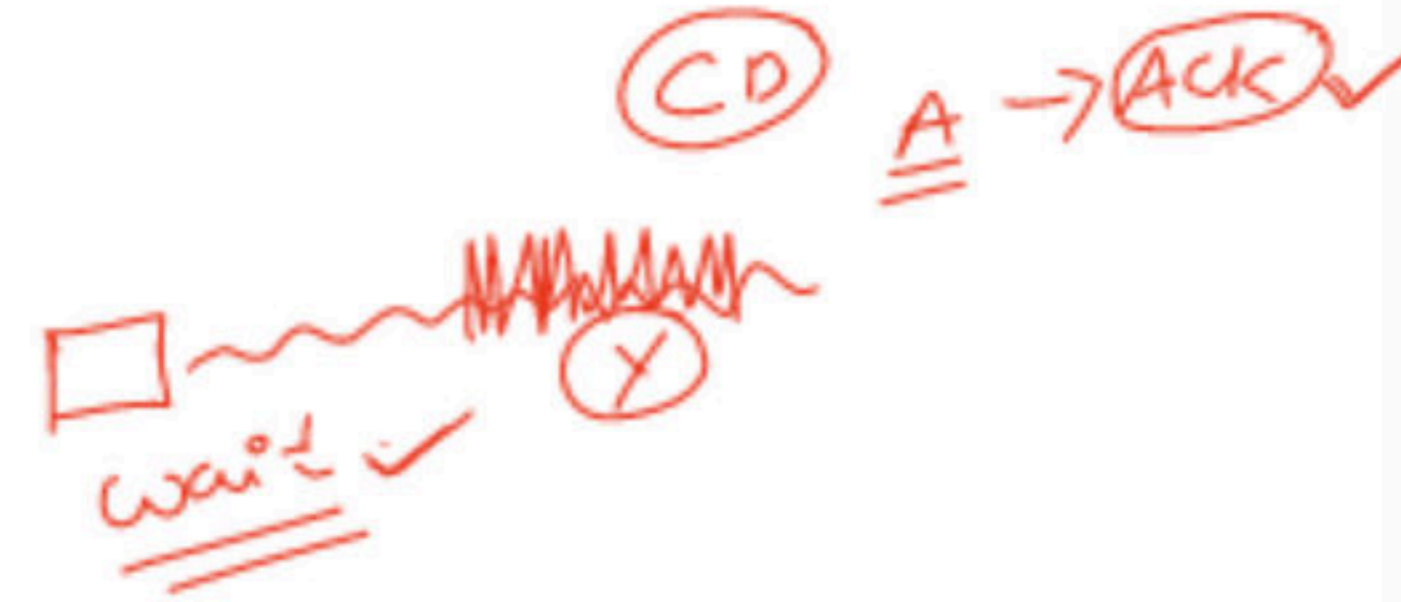
There are two different versions of Aloha-





1. Pure Aloha-

- It allows the stations to transmit data at any time whenever they want. ✓
- After transmitting the data packet, station waits for some time. ✓



Then, following 2 cases are possible-

Case-01:

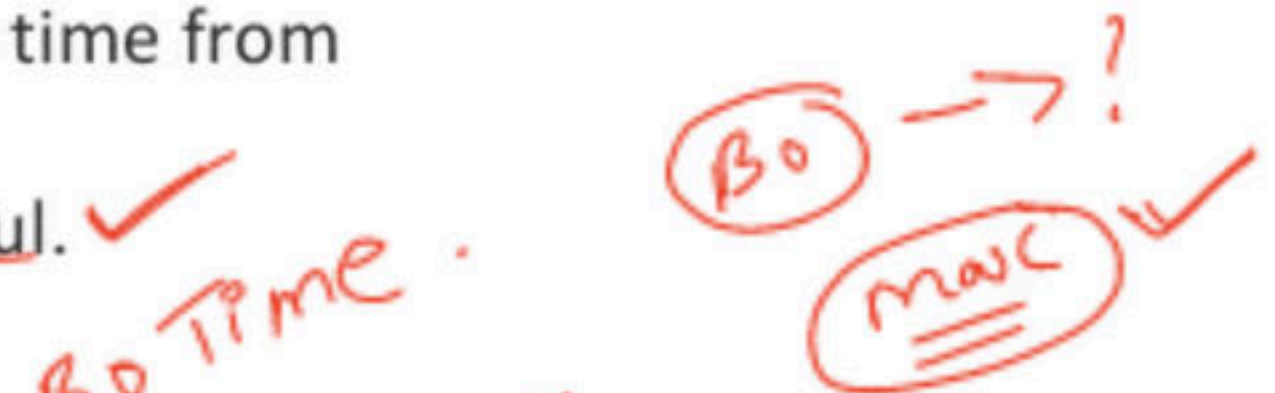
- Transmitting station receives an acknowledgement from the receiving station. ✓
- In this case, transmitting station assumes that the transmission is successful. ✓

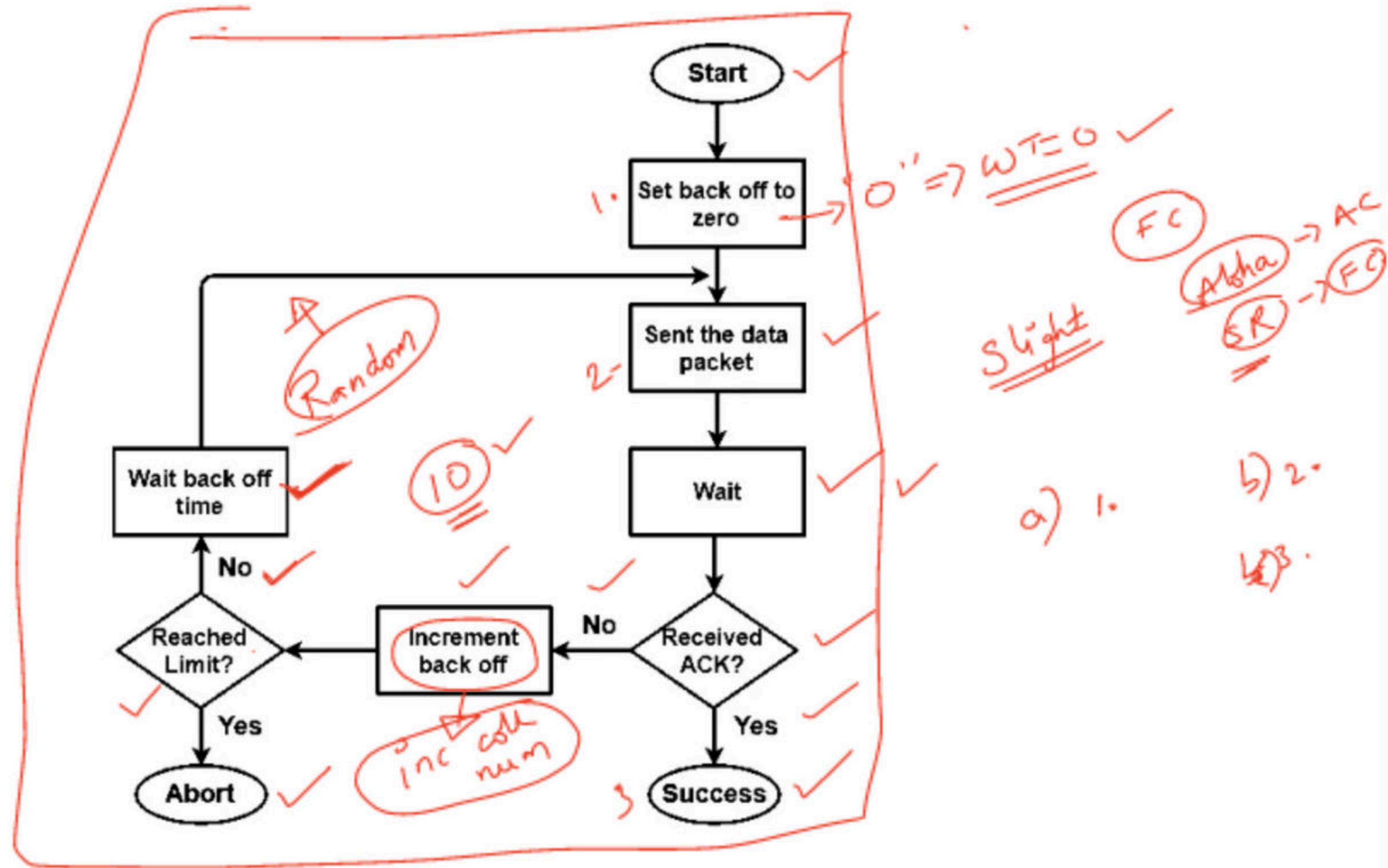
Case-02:

- Transmitting station does not receive any acknowledgement within specified time from the receiving station. ✓
- In this case, transmitting station assumes that the transmission is unsuccessful. ✓

Then,

- Transmitting station uses a Back Off Strategy and waits for some random amount of time. ✓
- After back off time, it transmits the data packet again. ✓
- It keeps trying until the back off limit is reached after which it aborts the transmission. ✓





Flowchart for Pure Aloha

Efficiency-

$$\text{Efficiency of Pure Aloha } (\eta) = G \times e^{-2G}$$

where G = Number of stations willing to transmit data in one T_t

Maximum Efficiency-

For maximum efficiency,

- We put $d\eta / dG = 0$
- Maximum value of η occurs at $G = 1/2$
- Substituting $G = 1/2$ in the above expression, we get-

Maximum efficiency of Pure Aloha

$$= 1/2 \times e^{-2 \times 1/2}$$

$$= 1/2e$$

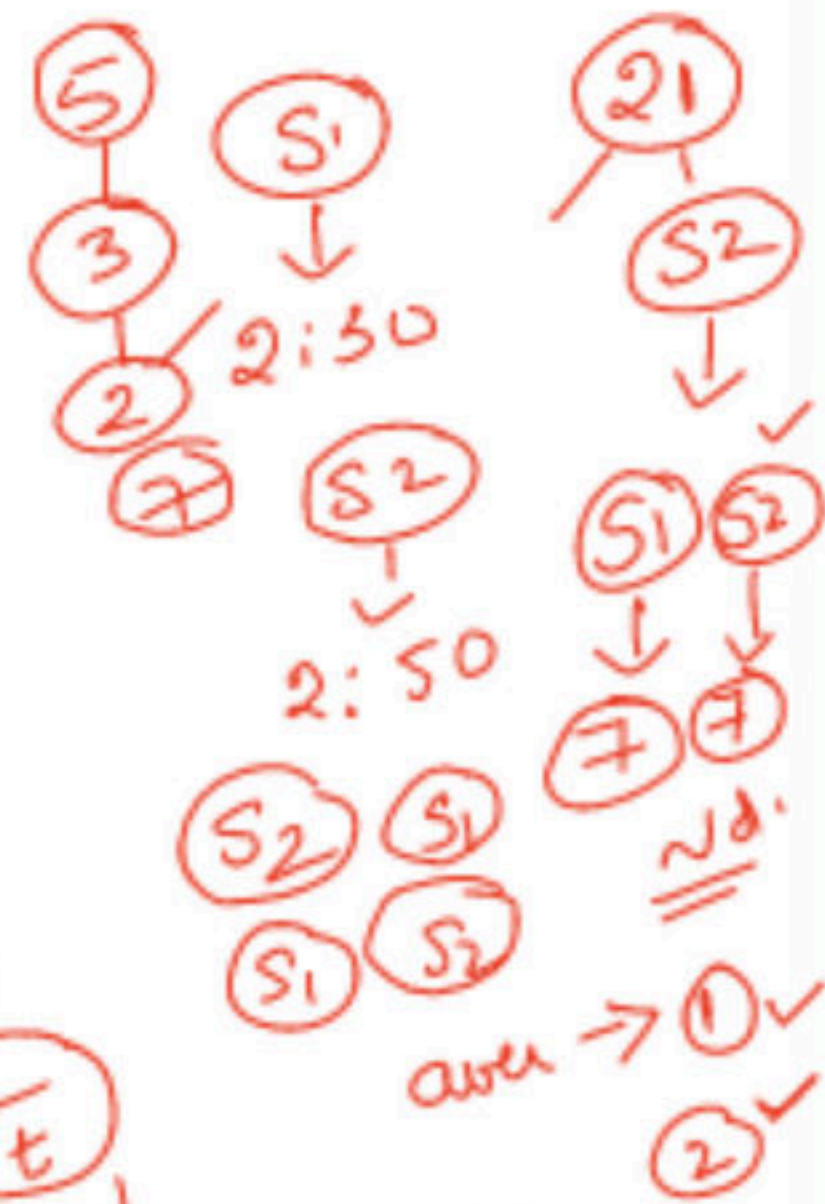
$$= 0.184$$

$$= 18.4\%$$

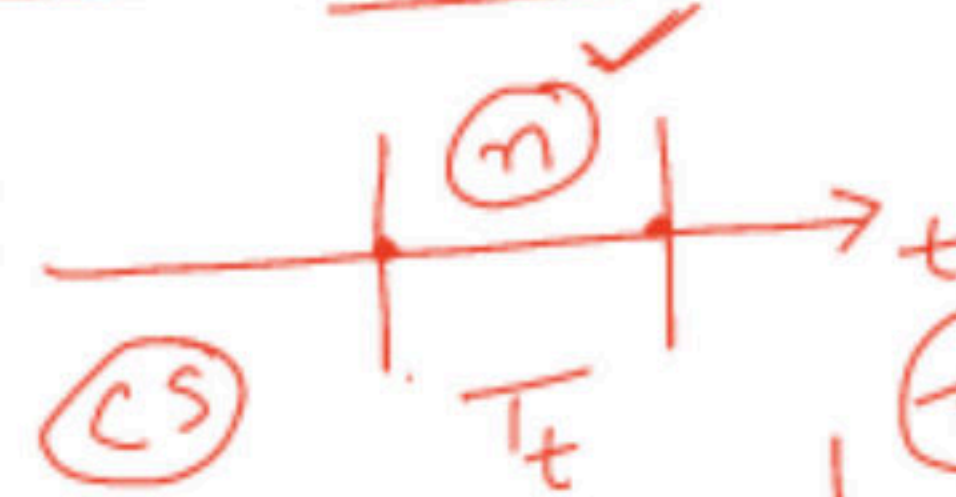
Thus, Maximum Efficiency of Pure Aloha $(\eta) = 18.4\%$

$$VT = 2 \times T_t$$

$$\eta = G \times e^{-2G}$$



Anytime



CS

$$VT =$$

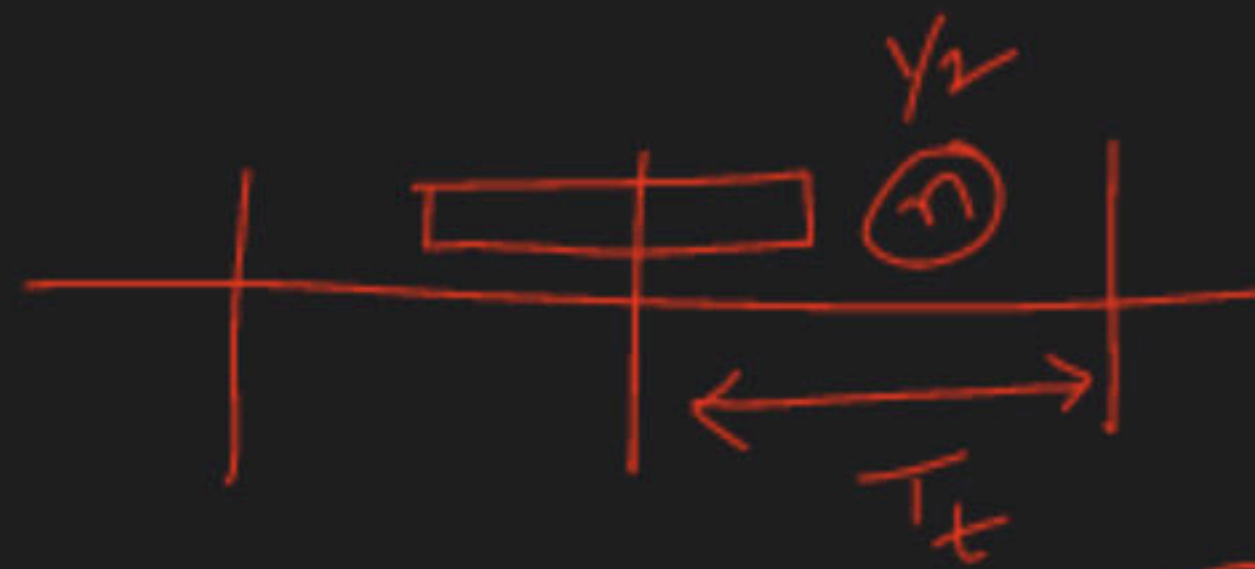


$$VT = 2 \times T_t$$

$$18.4\%$$

T_p
WL
 $\times T_t$

$$L$$



$\eta \checkmark$ max.

$\frac{1}{2} \rightarrow T_t$

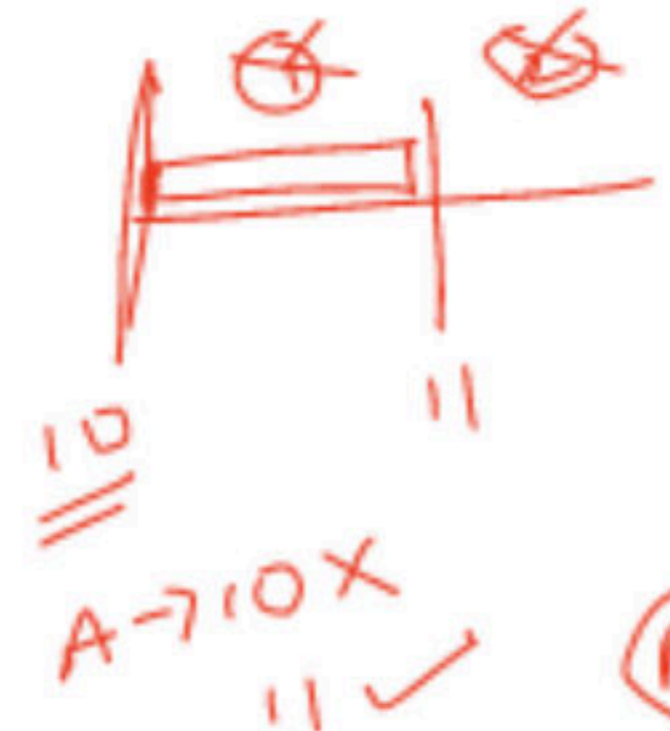
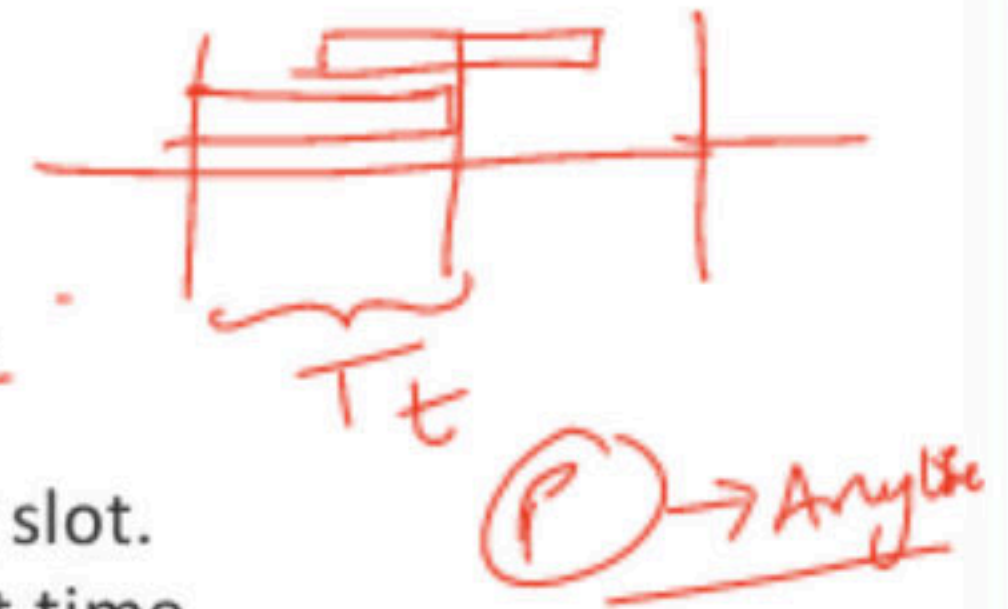
(25)

$\eta \uparrow$

$\rightarrow 2 \times T_t$

2. Slotted Aloha-

- Slotted Aloha divides the time of shared channel into discrete intervals called as time slots.
- Any station can transmit its data in any time slot.
- The only condition is that station must start its transmission from the beginning of the time slot.
- If the beginning of the slot is missed, then station has to wait until the beginning of the next time slot.
- A collision may occur if two or more stations try to transmit data at the beginning of the same time slot.



Efficiency-

$$\text{Efficiency of Slotted Aloha } (\eta) = G \times e^{-G}$$

$G \times e^{-G}$

where G = Number of stations willing to transmit data at the beginning of the same time slot



$$\eta T = \frac{1}{2} \times T_t$$

$P_{\text{succ}} = 2 \times$

Maximum Efficiency-

For maximum efficiency,

- We put $\frac{d\eta}{dG} = 0$
- Maximum value of η occurs at $G = 1$ ✓
- Substituting $G = 1$ in the above expression, we get-

Maximum efficiency of Slotted Aloha

$$= 1 \times e^{-1}$$

$$= 1 / e$$

$$= 0.368$$

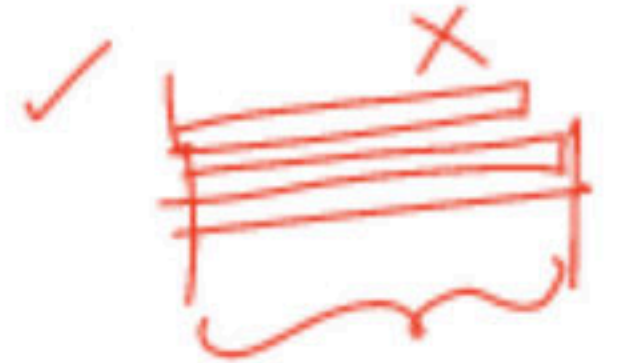
$$= 36.8\%$$

36.8%

Thus,

Maximum Efficiency of Slotted Aloha (η) = 36.8%

max. $\frac{d^2}{dx^2} < 0$



18.4% ✓
36.8% ✓

Pure Aloha	Slotted Aloha
Any station can transmit the data at any time. ✓	Any station can transmit the data at the beginning of any time slot. ✓
The time is continuous and not globally synchronized. ✓	The time is discrete and globally synchronized. ✓
Vulnerable time in which collision may occur $= 2 \times T_t$ ✓	Vulnerable time in which collision may occur $= T_t$ ✓
Probability of successful transmission of data packet $= G \times e^{-2G}$ ✓	Probability of successful transmission of data packet $= G \times e^{-G}$ ✓
Maximum efficiency = 18.4% (Occurs at $G = 1/2$) ✓	Maximum efficiency = 36.8% (Occurs at $G = 1$) ✓
The main advantage of pure aloha is its simplicity in implementation. ✓	The main advantage of slotted aloha is that it reduces the number of collisions to half and doubles the efficiency of pure aloha. ✓

Computer Networks

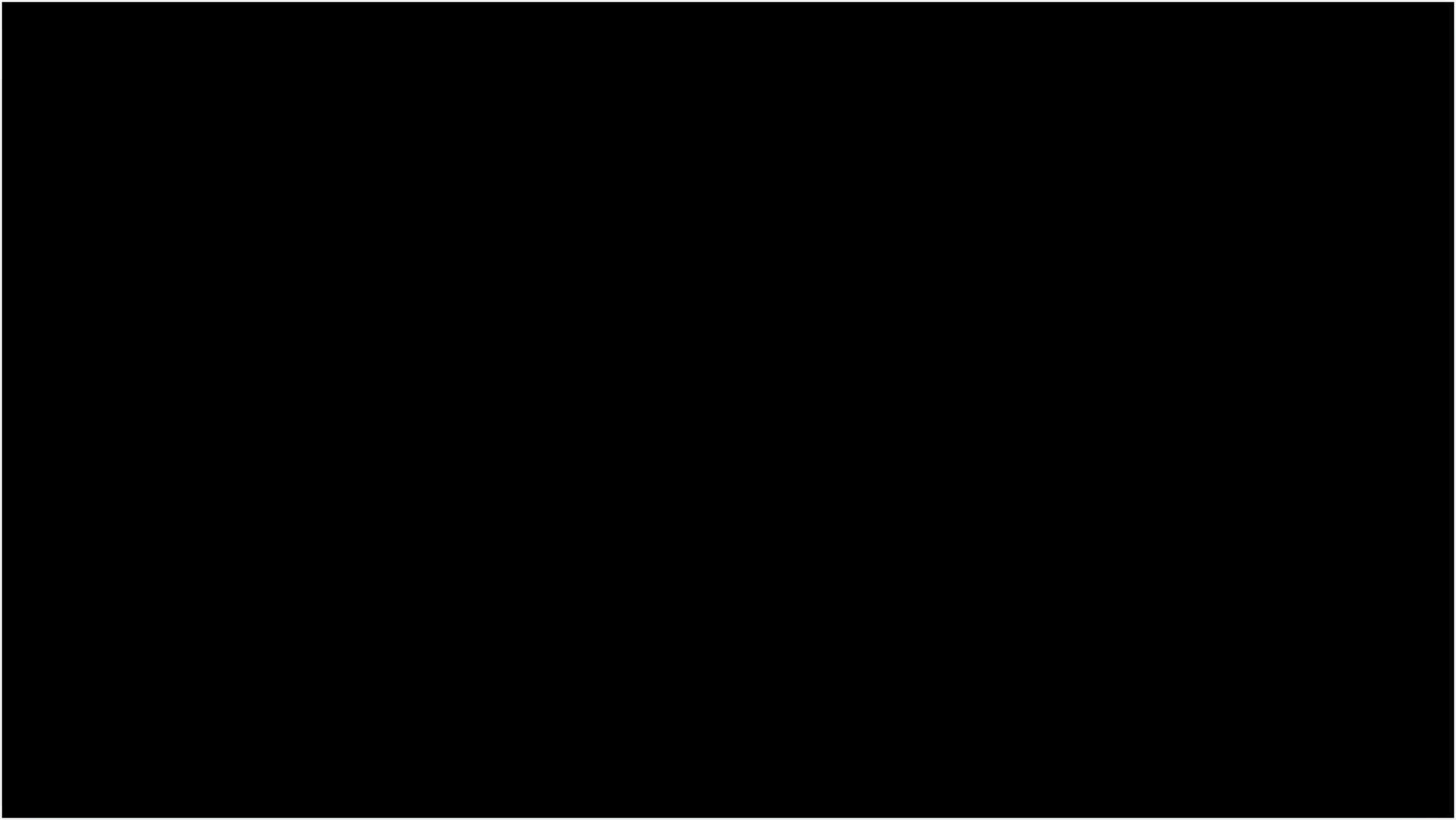
Practice questions on Access Control Methods and GATE PYQ

Problem 1: GATE2015(CS)

Consider a CSMA/CD network that transmits data at a rate of 100 Mbps (10^8 bits per second) over a 1 km (kilometer) cable with no repeaters. If the minimum frame size required for this network is 1250 bytes, what is the signal speed (km/sec) in the cable?

- (A) 8000
- (B) 10000
- (C) 16000
- (D) 20000





Solution:

Data should be transmitted at the rate of 100 Mbps.

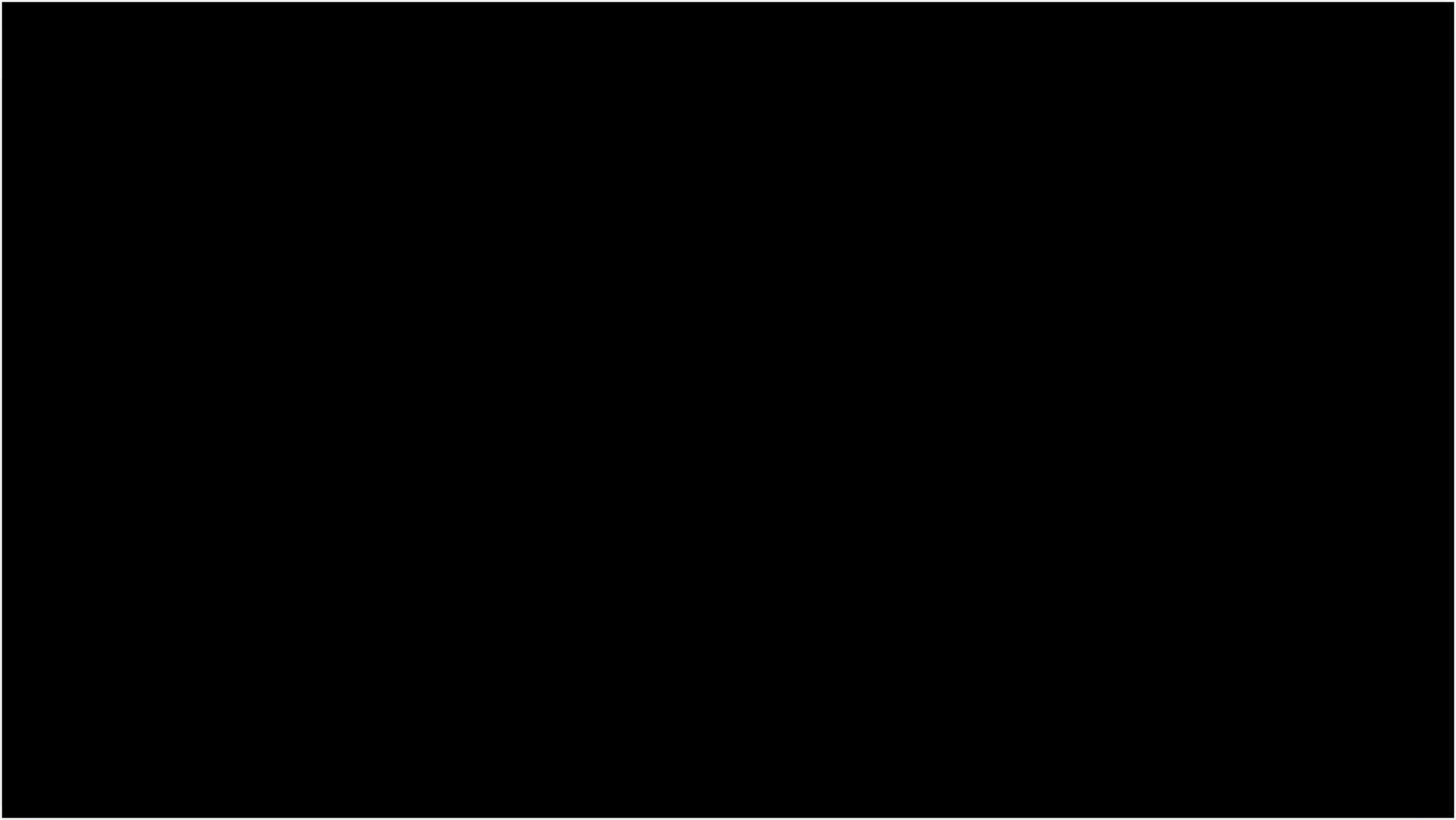
$$\begin{aligned}\text{Transmission Time} &\geq 2 * \text{Propagation Time} \\ &= 1250 * 8 / (100 * 10^6) \\ &= 2 * \text{length} / \text{signal speed} \\ &= \text{signal speed} = (2 * 10^3 * 100 * 10^6) / (1250 * 8) \\ &= 2 * 10 * (10^3) \text{ km/sec} = 20000\end{aligned}$$

D is correct.

Problem 2: GATE2016(CS)

Consider a LAN with four nodes S1, S2, S3 and S4. Time is divided into fixed-size slots, and a node can begin its transmission only at the beginning of a slot. A collision is said to have occurred if more than one node transmit in the same slot. The probabilities of generation of a frame in a time slot by S1, S2, S3 and S4 are 0.1, 0.2, 0.3 and 0.4, respectively. The probability of sending a frame in the first slot without any collision by any of these four stations is _____.

- (A) 0.462
- (B) 0.711
- (C) 0.5
- (D) 0.652



Solution:

The probability of sending a frame in the first slot without any collision by any of these four stations is sum of following 4 probabilities

$$\begin{aligned}& \text{Probability that S1 sends a frame and no one else does} \\& + \text{Probability that S2 sends a frame and no one else does} \\& + \text{Probability that S3 sends a frame and no one else does} \\& + \text{Probability that S4 sends a frame and no one else does} \\& = 0.1 * (1 - 0.2) * (1 - 0.3) * (1 - 0.4) \\& + (1 - 0.1) * 0.2 * (1 - 0.3) * (1 - 0.4) \\& + (1 - 0.1) * (1 - 0.2) * 0.3 * (1 - 0.4) \\& + (1 - 0.1) * (1 - 0.2) * (1 - 0.3) * 0.4 \\& = 0.4404\end{aligned}$$

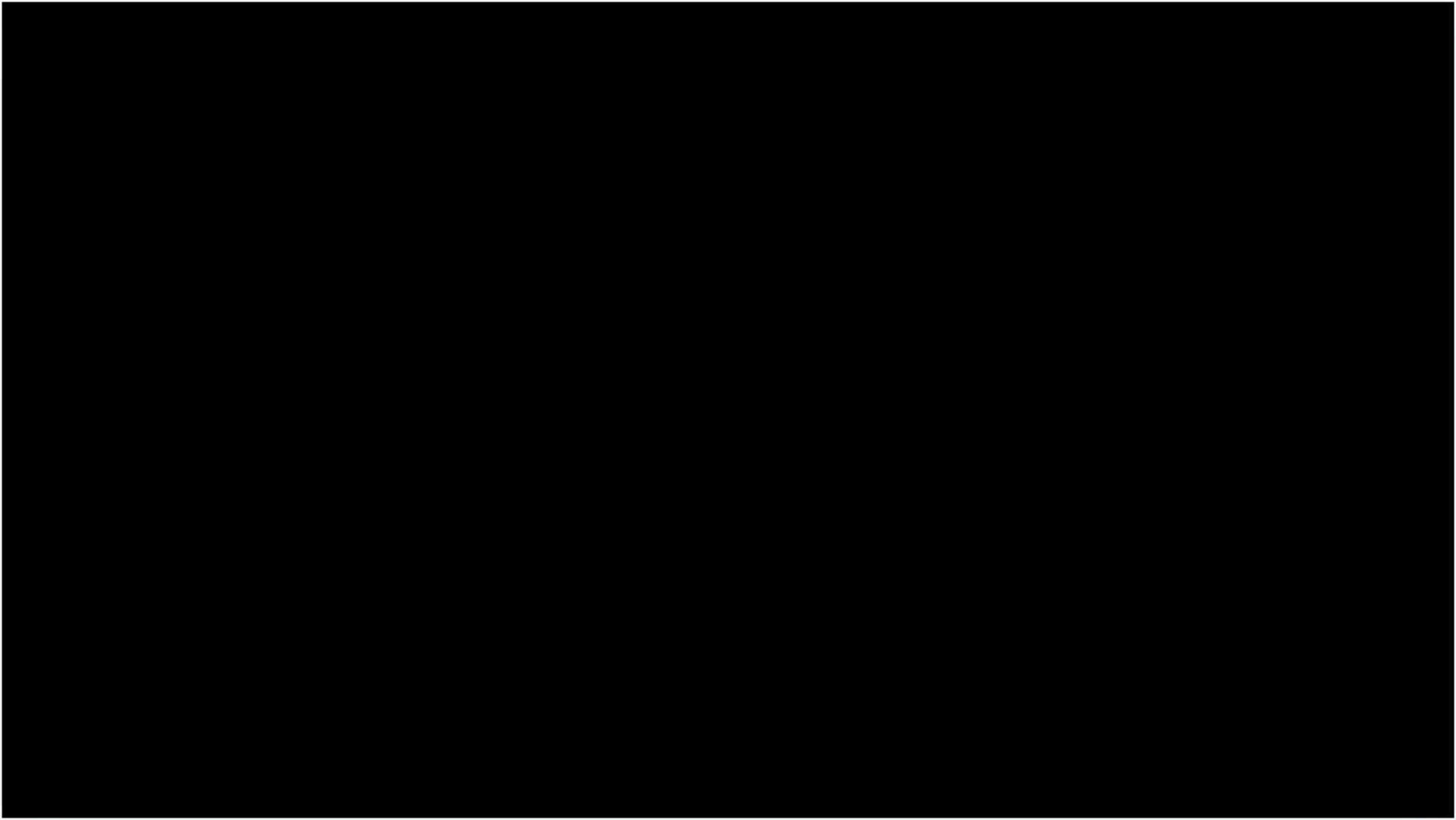
Problem-3:

In a CSMA / CD network running at 1 Gbps over 1 km cable with no repeaters, the signal speed in the cable is 200000 km/sec. What is minimum frame size?

Solution-

Given-

- Bandwidth = 1 Gbps
- Distance = 1 km
- Speed = 200000 km/sec



Calculating Propagation Delay-

Propagation delay (T_p)

= Distance / Propagation speed

= 1 km / (200000 km/sec)

= 0.5×10^{-5} sec

= 5×10^{-6} sec

Calculating Minimum Frame Size-

Minimum frame size

= 2 x Propagation delay x Bandwidth

= $2 \times 5 \times 10^{-6}$ sec x 10^9 bits per sec

= 10000 bits

Computer Networks

Error Control Methods PART 1



CRC →

Error Handling Methods

```
graph TD; A[Error Handling Methods] --> B[Error Detection]; A --> C[Error Correction];
```

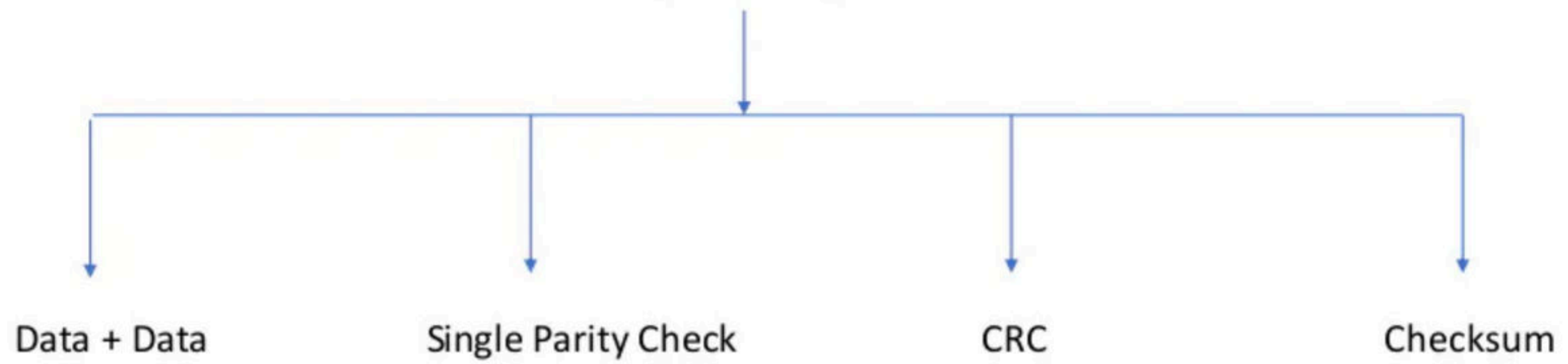
Error Detection

Error detection is a technique that is used to check if any error occurred in the data during the transmission.

Error Correction

Error Correction is a technique that is used to correct error occurred in the data by its own during the transmission.

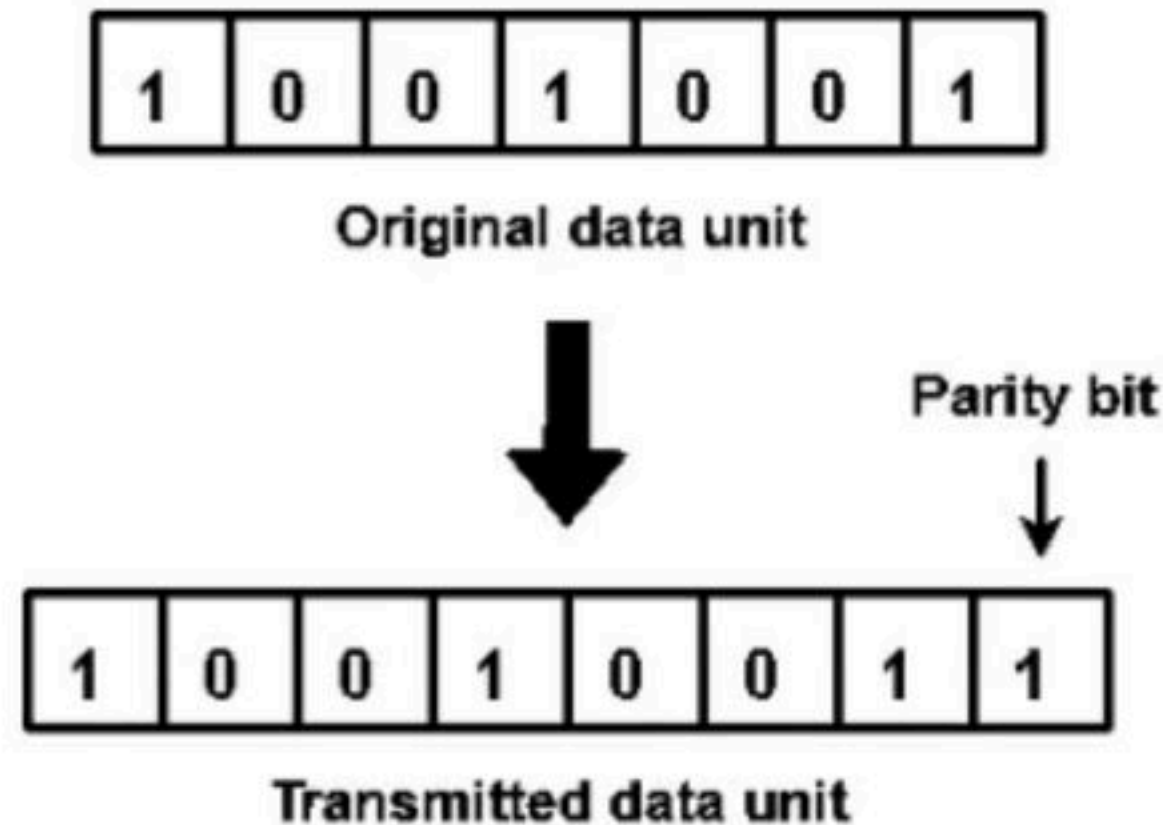
Error Detection



Single Parity Check-

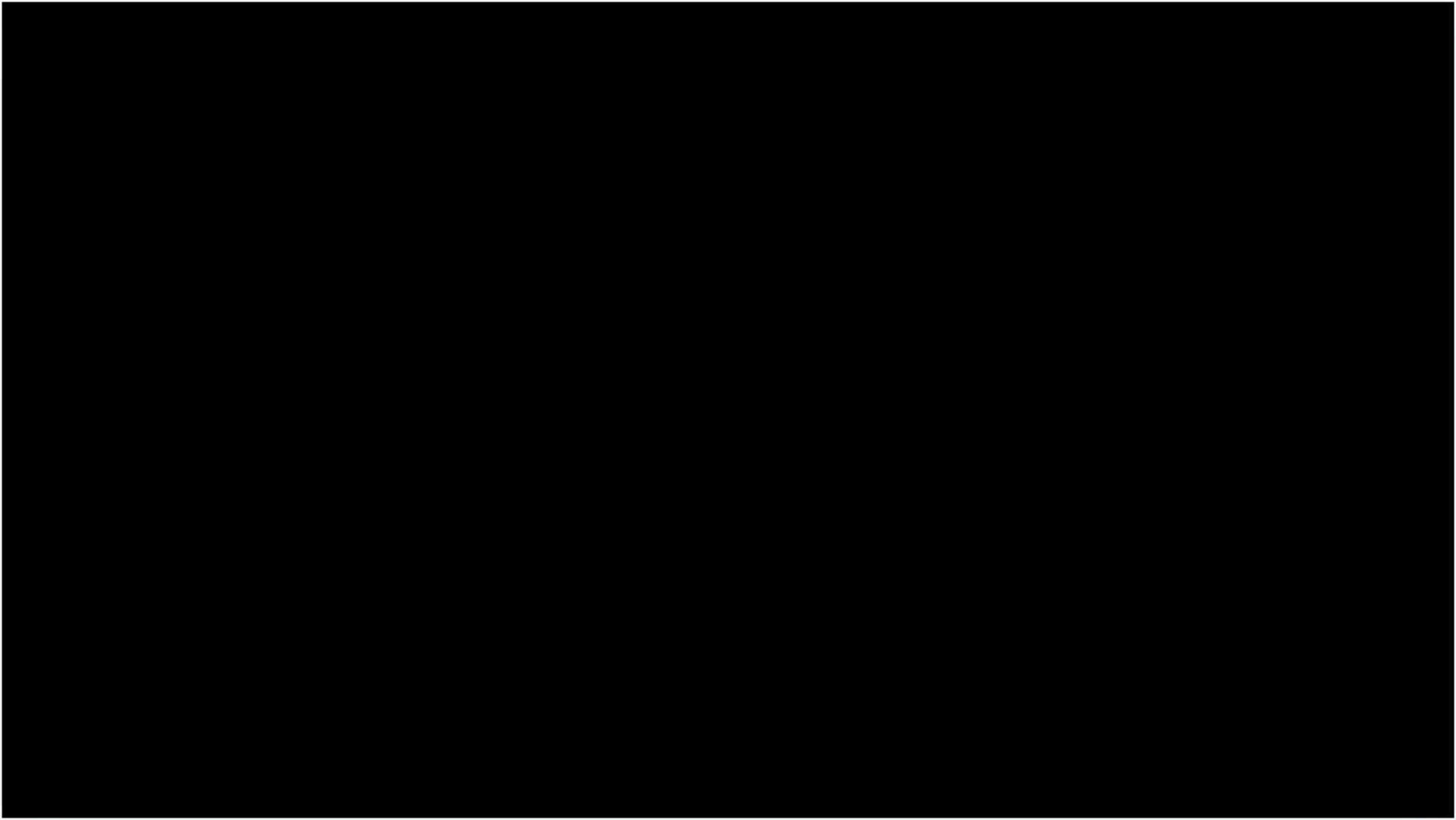
In this technique,

- One extra bit called as **parity bit** is sent along with the original data bits.
- Parity bit helps to check if any error occurred in the data during the transmission.



Limitation-

- This technique can not detect an even number of bit errors (two, four, six and so on).
- If even number of bits flip during transmission, then receiver can not catch the error.



Cyclic Redundancy Check-

- Cyclic Redundancy Check (CRC) is an error detection method.
- It is based on binary division.

Cyclic Generator-

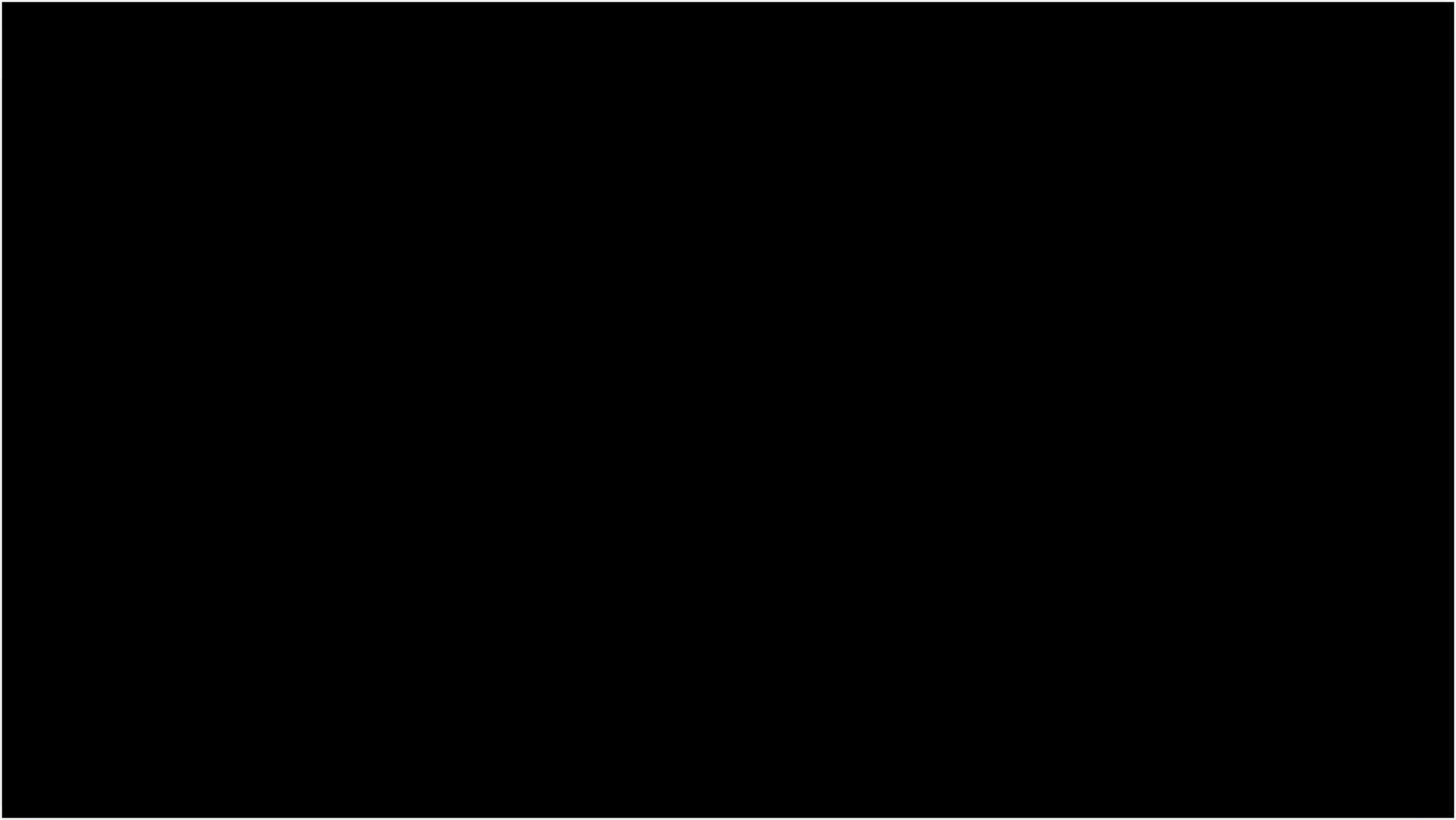
Data to be sent : 1 0 1 1 0 1 1

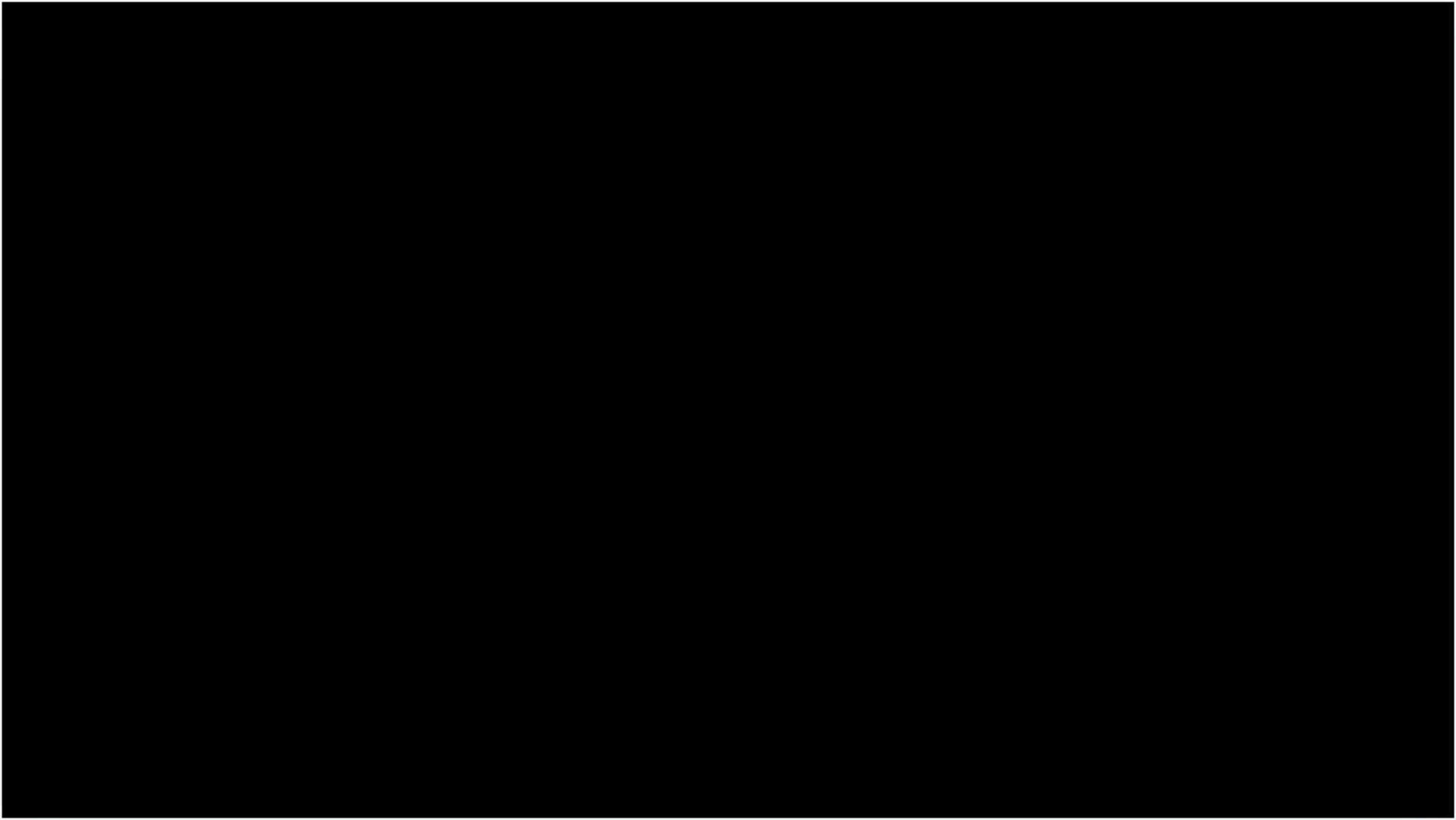
CRC generator: 1 1 0 1

CRC generator is 4 bits

There for sender appends 3 bits of 0's to the data

Note: if CRCG= n bits then bits to be appended in data is (n-1) 0's





SENDER'S SIDE

1 1 0 1 1 0 1 1 0 1 1 0 0 0

Appended 0's

1 1 0 1

0 1 1 0 0 1 1 0 0 0

Go on applying XOR

1 1 0 1 1 0 1 1 0 1 1 0 0 0

Appended 0's

1 1 0 1

0 1 1 0 0 1 1 0 0 0

1 1 0 1

0 0 0 1 1 1 0 0 0

Go on applying XOR

1 1 0 1 1 0 1 1 0 1 1 0 0 0

Appended 0's

1 1 0 1

0 1 1 0 0 1 1 0 0 0

1 1 0 1

0 0 0 1 1 1 0 0 0

1 1 0 1

0 0 0 0 0 1 1 0 0

Go on applying XOR

1 1 0 1 | 1 0 1 1 0 1 1 0 0 0

Appended 0's

1 1 0 1

0 1 1 0 0 1 1 0 0 0

1 1 0 1

0 0 0 1 1 1 0 0 0

1 1 0 1

0 0 0 0 0 1 1 0 0

1 1 0 1

0 0 0 0 0 0 0 0 1

CRC

Go on applying XOR

DATA SENT : 1 0 1 1 0 1 1 0 0 1

RECEIVER'S SIDE

$$\begin{array}{r} \underline{1101} \overline{) 1011011001} \\ \underline{1101} \\ 0110011001 \\ \underline{1101} \\ 000111001 \\ \underline{1101} \\ 000001101 \\ \underline{1101} \\ 0000000 \underline{000} \end{array}$$

Go on applying XOR

CRC IS 0, DATA RECEIVED IS RIGHT!