



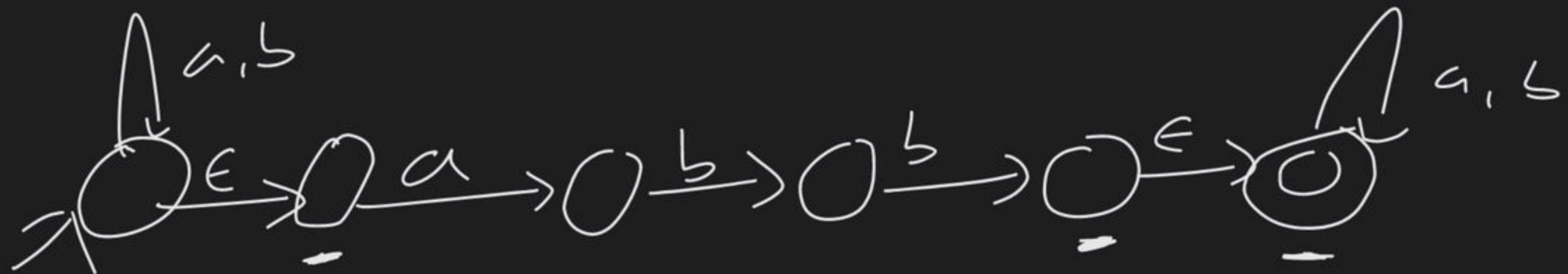
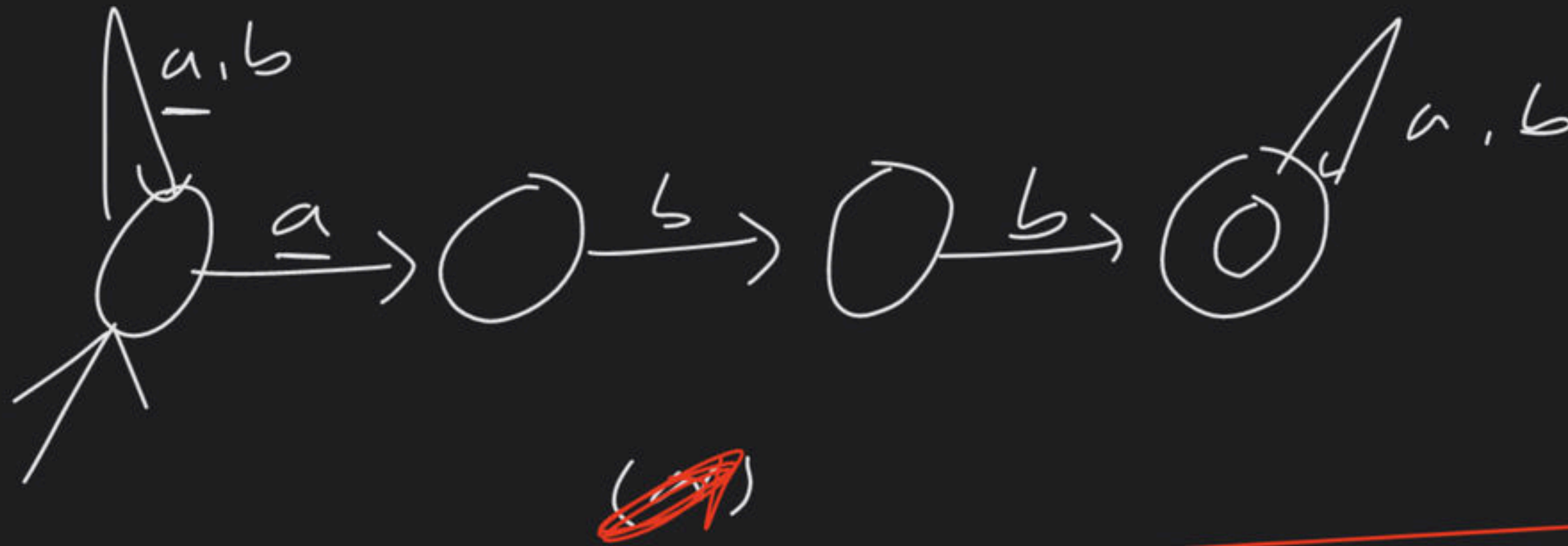
# Doubt Clearing Session

Complete Course on Theory of Computation

C-NFA  $L = \{ \text{Set of all strings of a's and b's} \}$   
 where each string contains  $abb$  at least once.

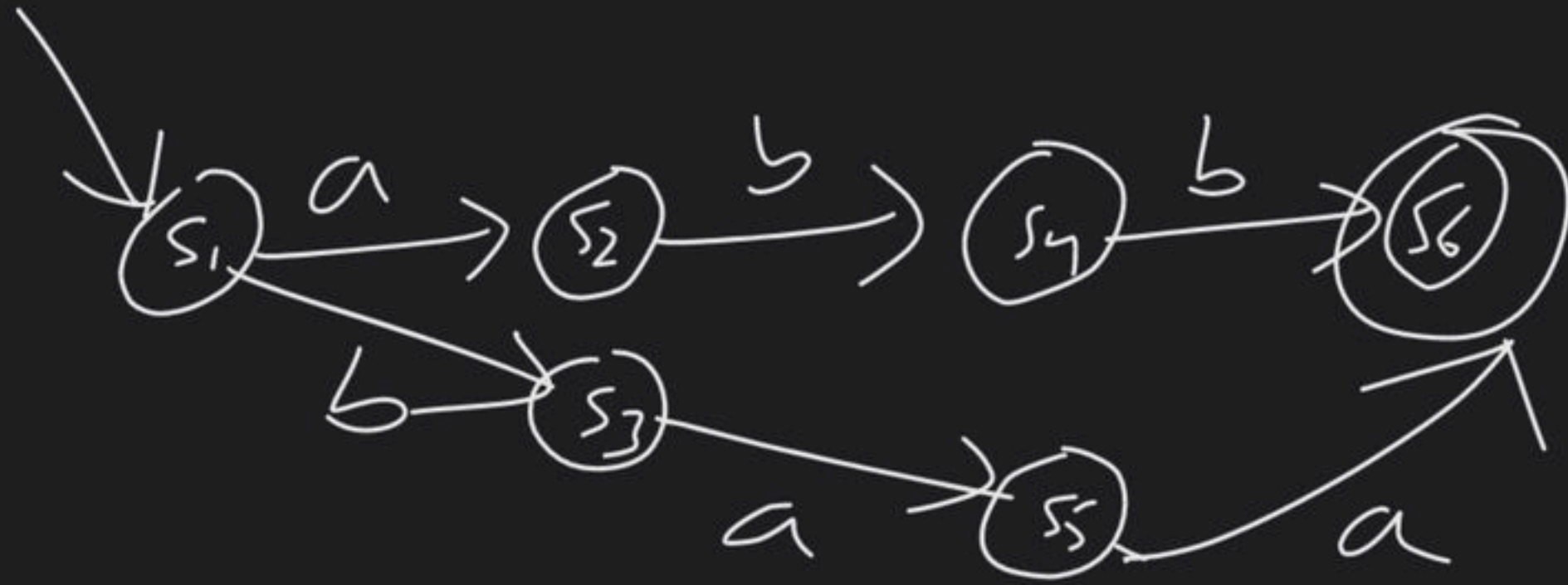
$$\Sigma^b a b b \Sigma^b$$

(3)





C-NFA  $L = \{abb, baa\}$



4

DFA:  $\delta: Q \times \Sigma \rightarrow Q$

NFA:  $\delta: Q \times \Sigma \rightarrow P(Q) \text{ (or) } 2^Q$

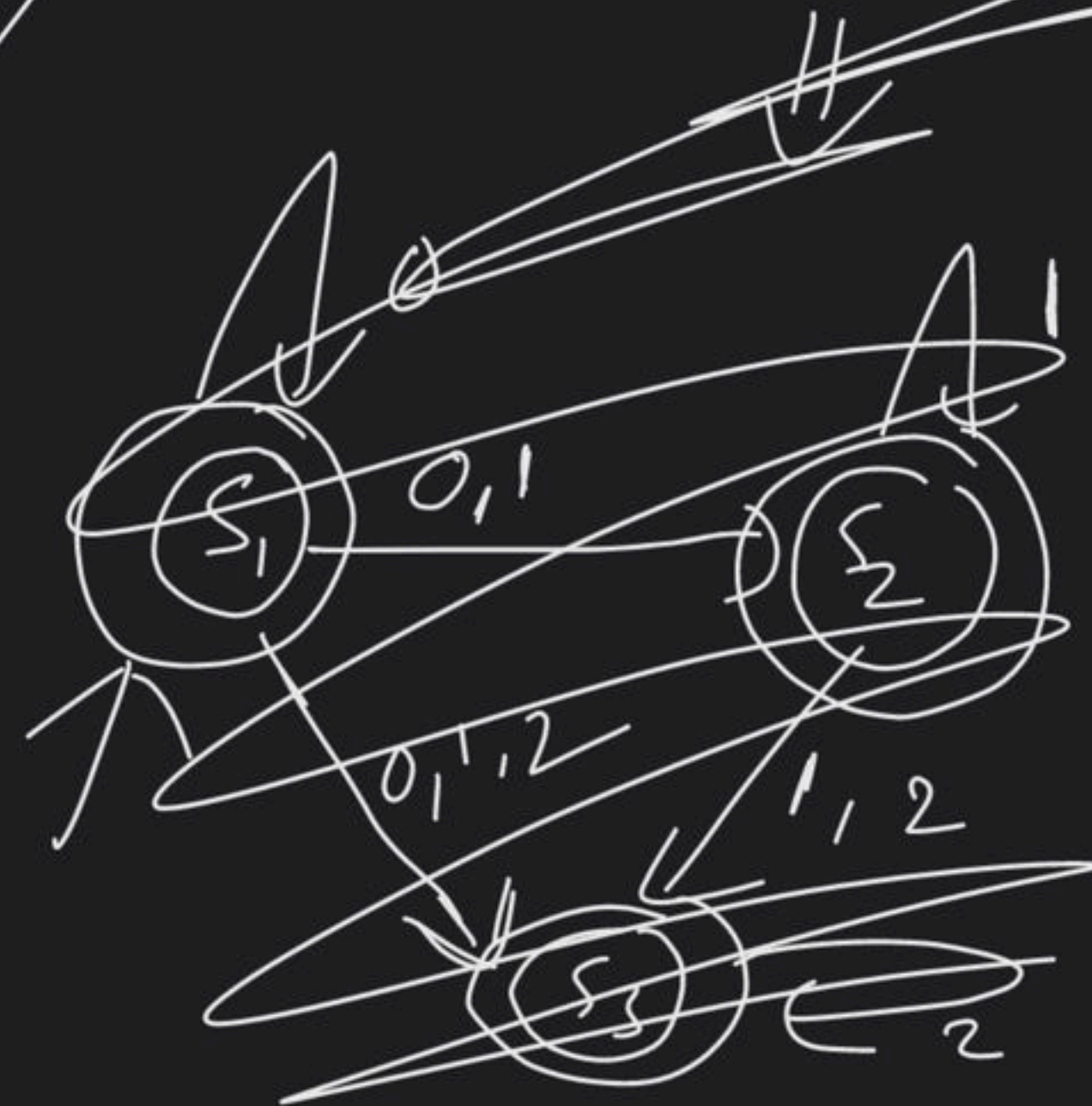
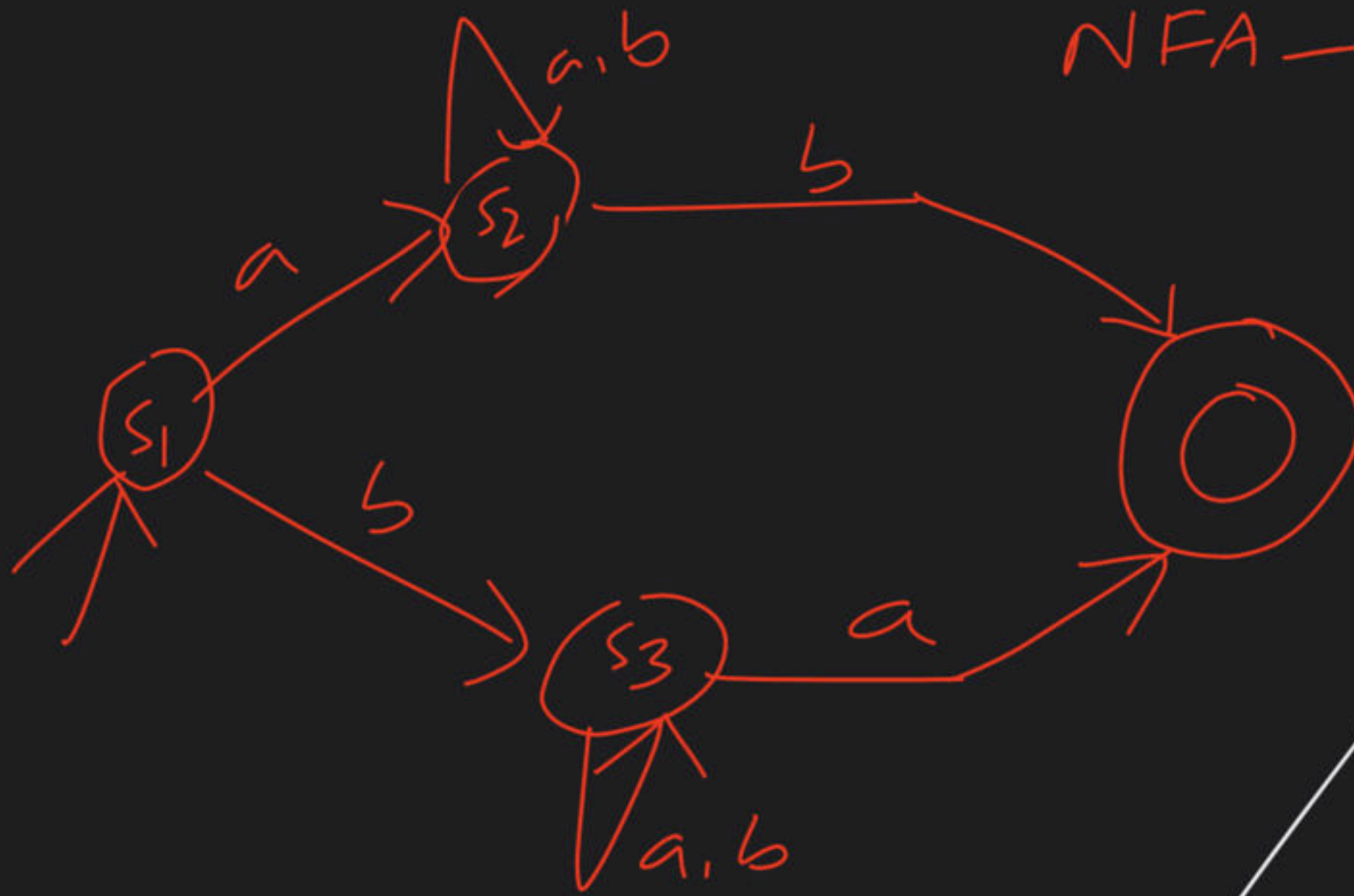
ε-NFA:  $\delta: Q \times \{\epsilon, V \in\} \rightarrow P(Q) \text{ (or) } 2^Q$

NFA

FA

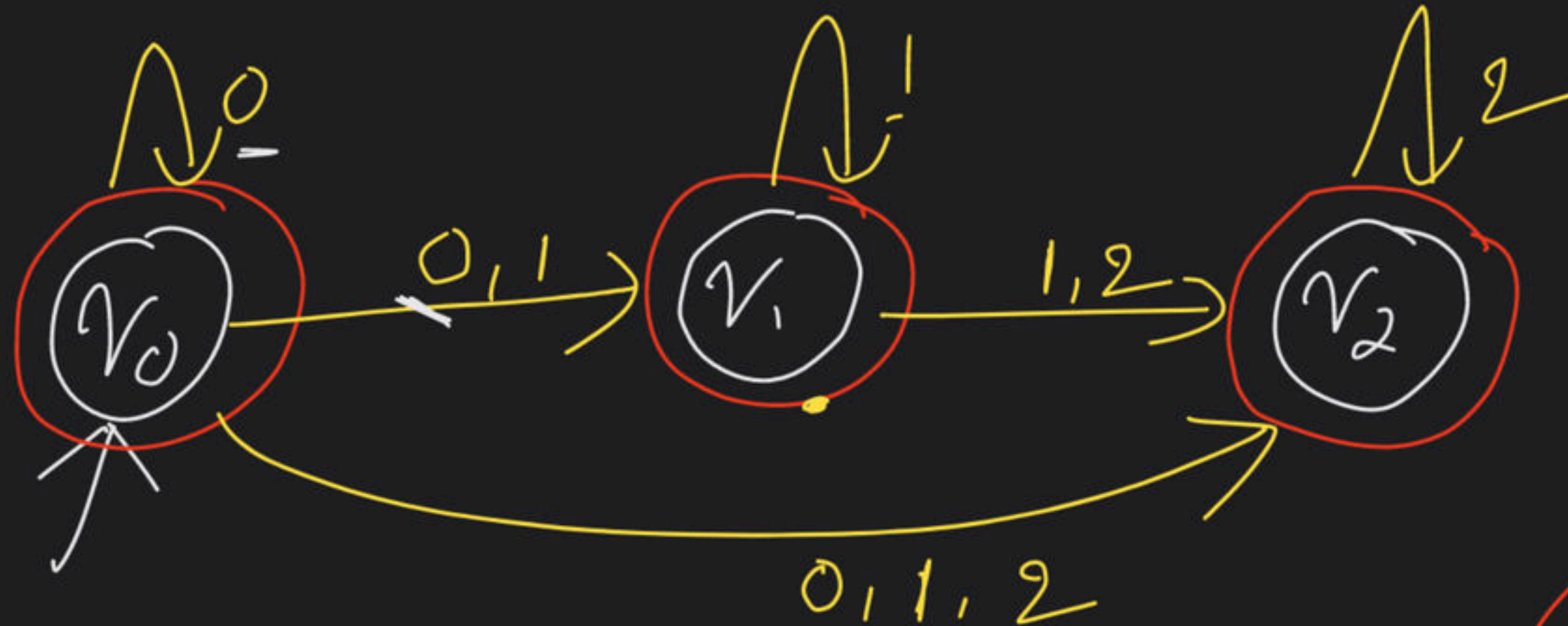
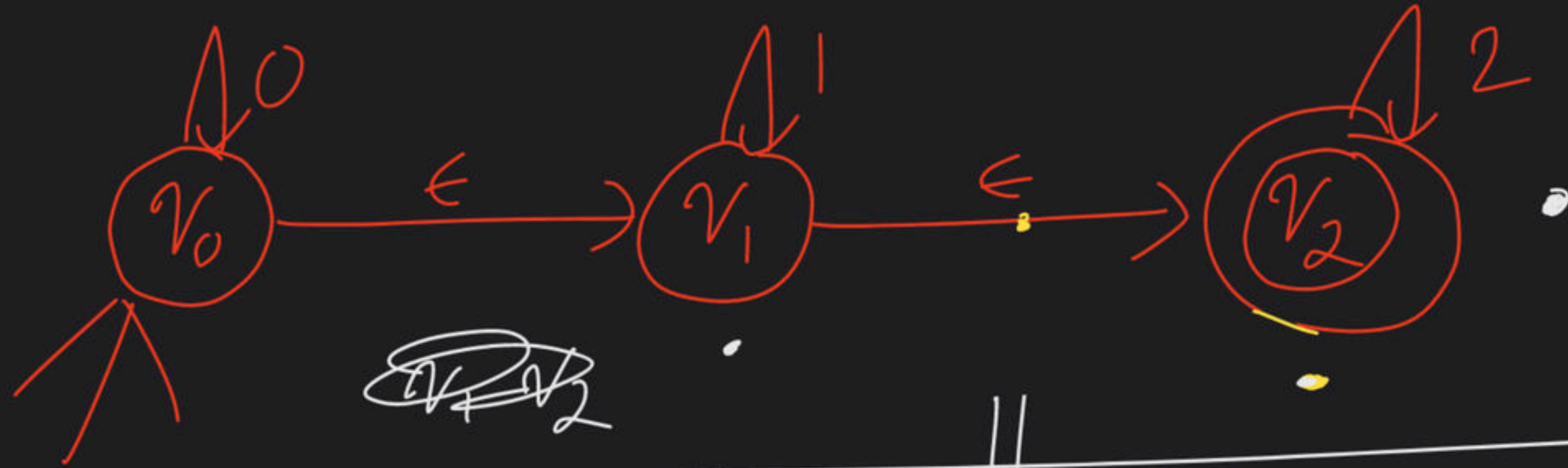


NFA - start & end symbol  
different





# E-NFA to NFA conversion



Initial state - Same

No. of states - Same

Final state

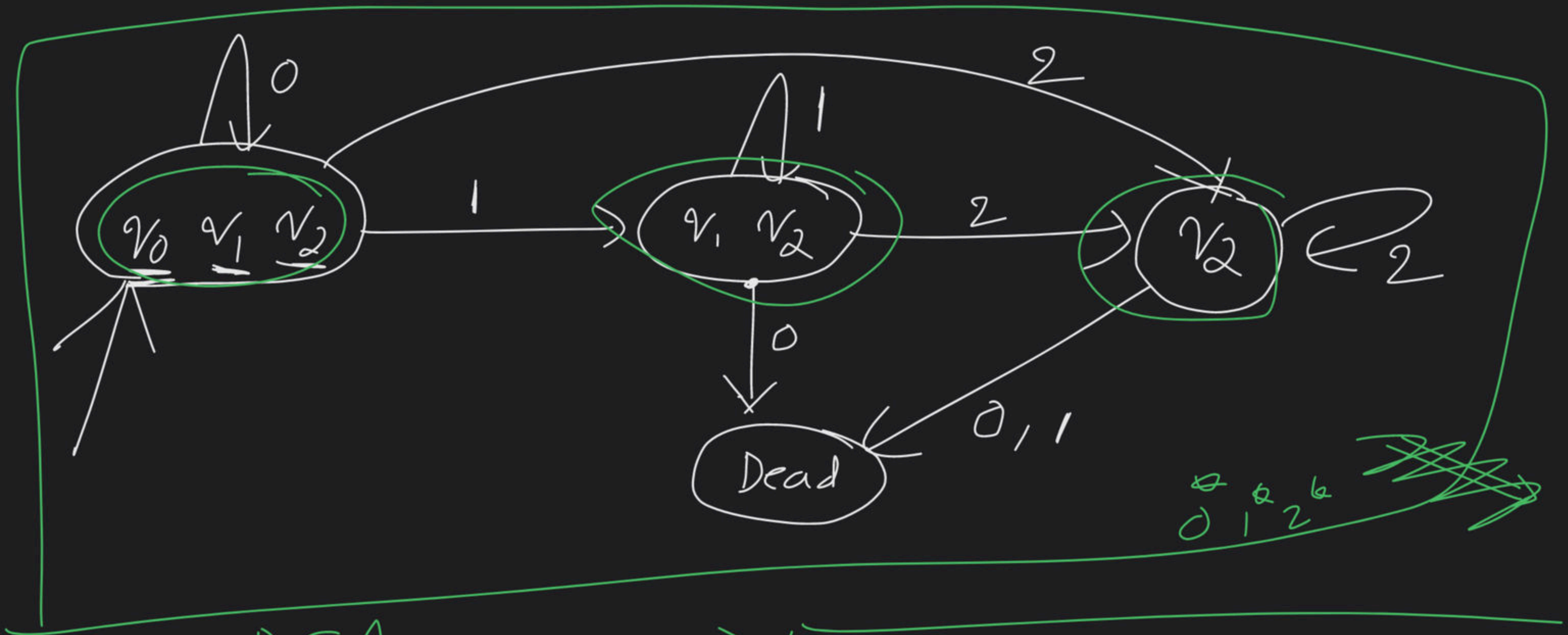


• Same Final state  
+

From any state  
by reading only

If you can reach final  
marked final





DFA

ε-NFA  $\Rightarrow$  DFA

Initial state  $\Rightarrow$  Same initial

From initial state by reading  $\epsilon$  which state you can so make those all part of initial.

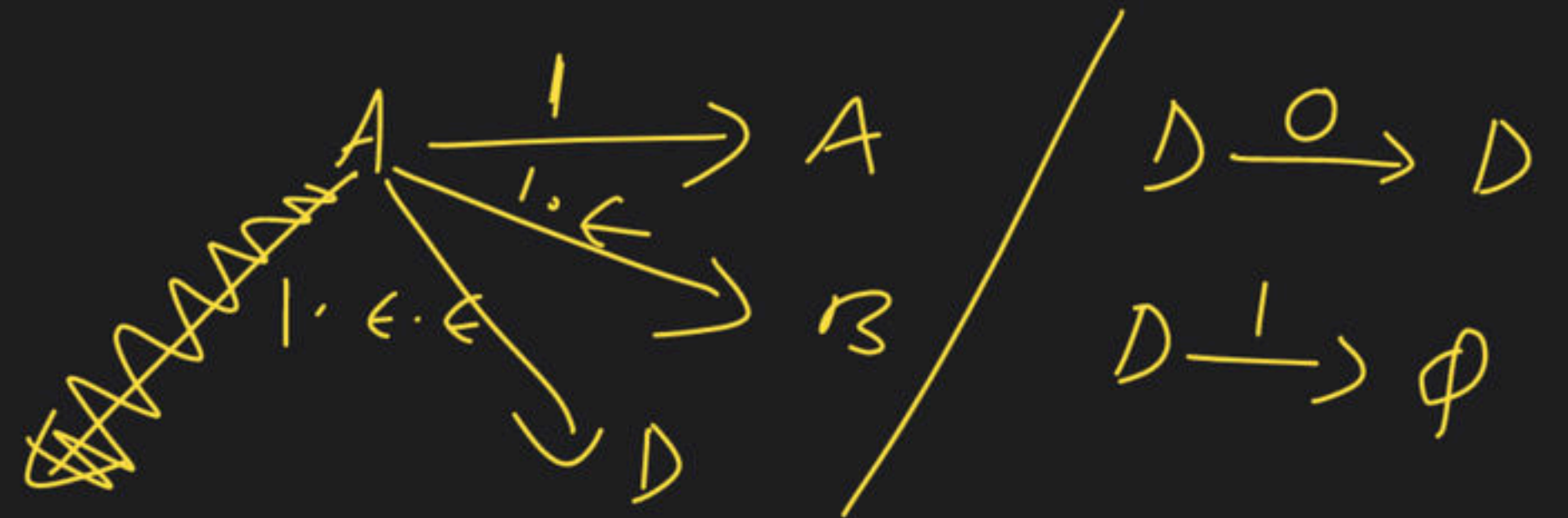
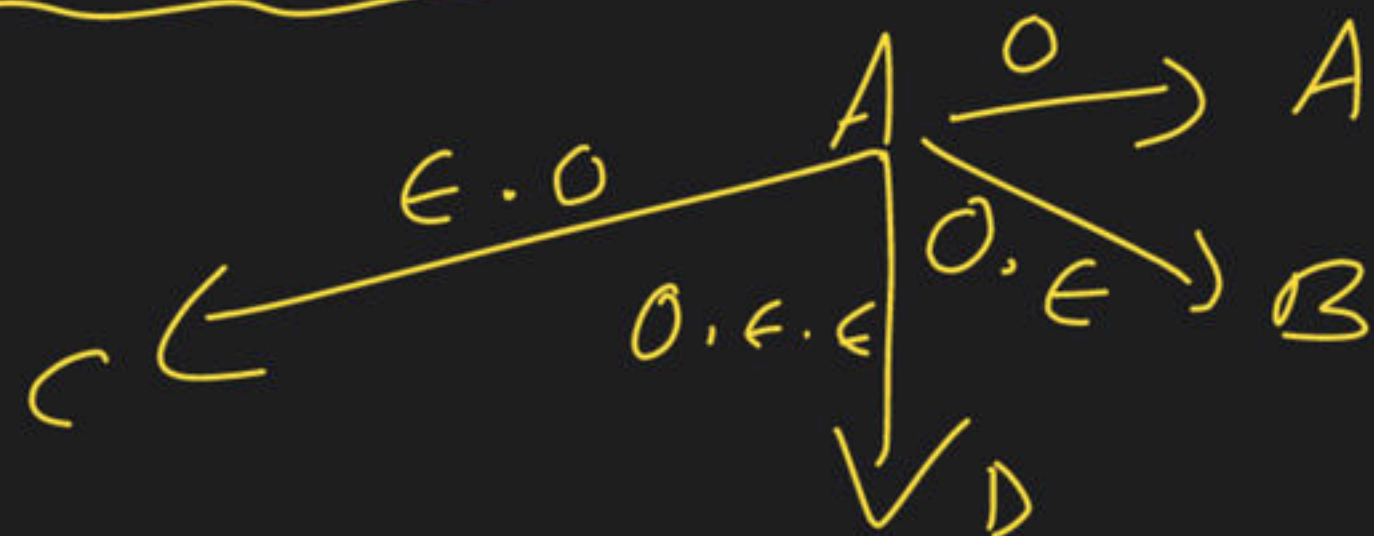
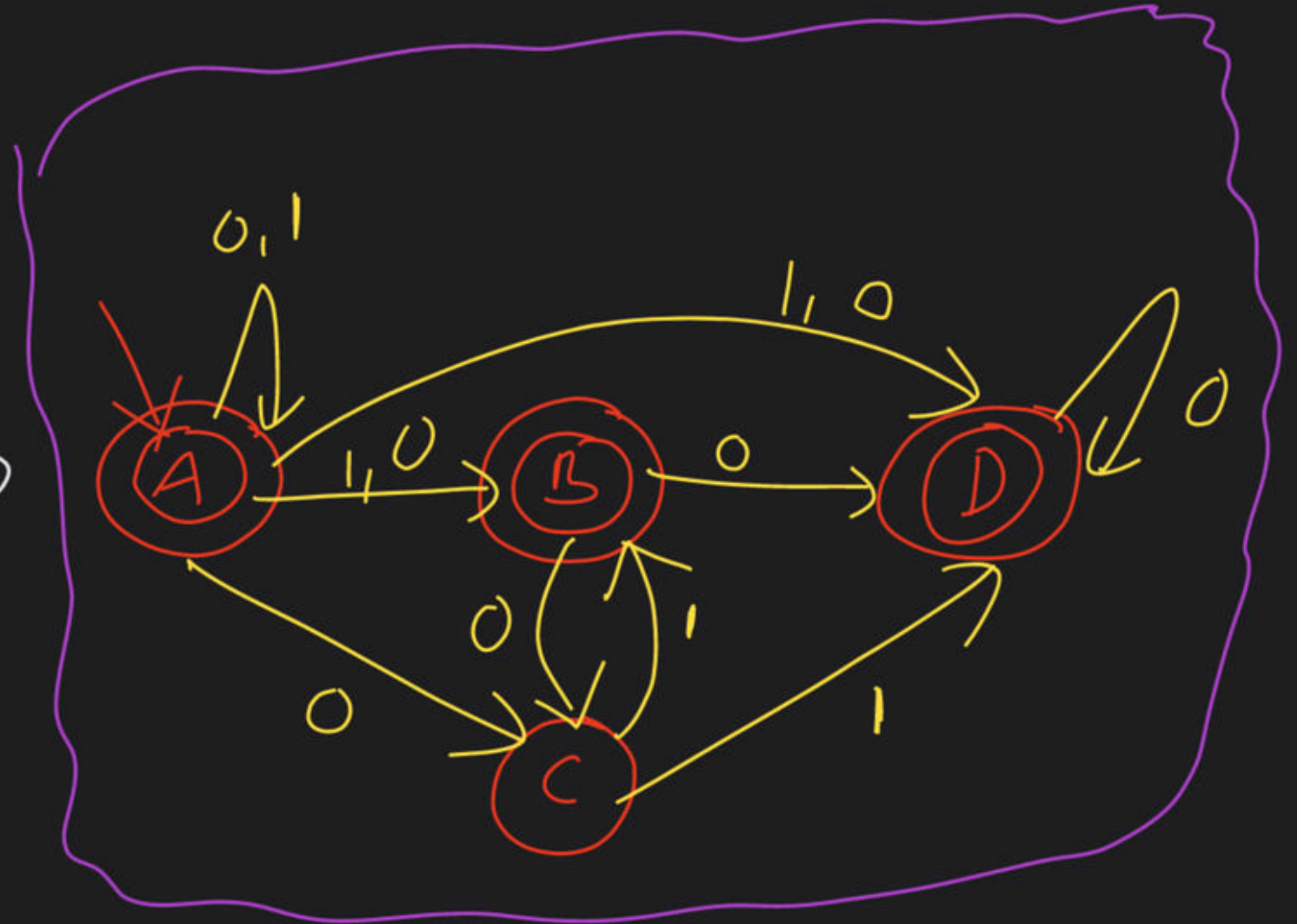
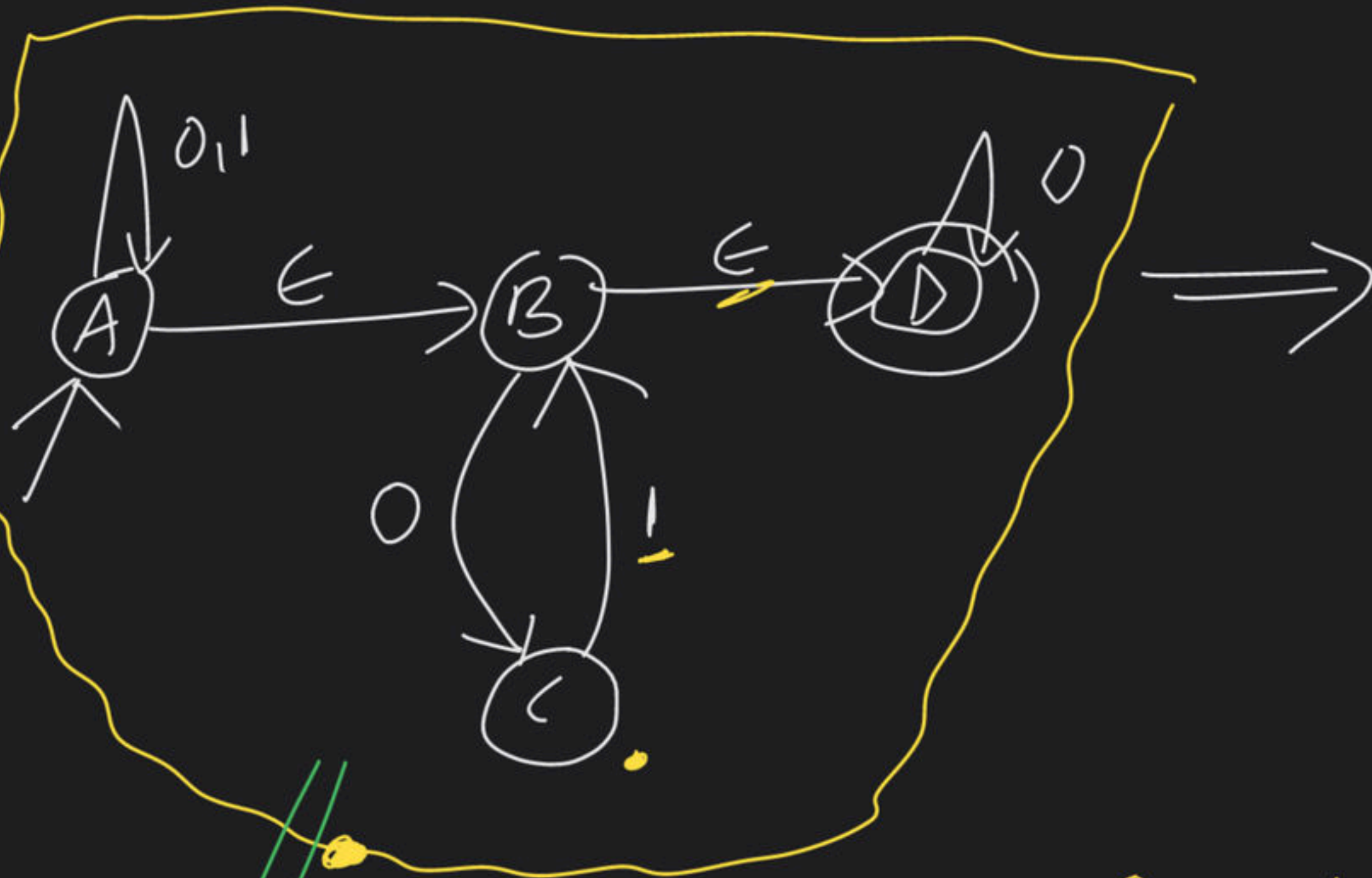
any where if you see  $\leftarrow$  NFA final state  
then make that state final in DFA.

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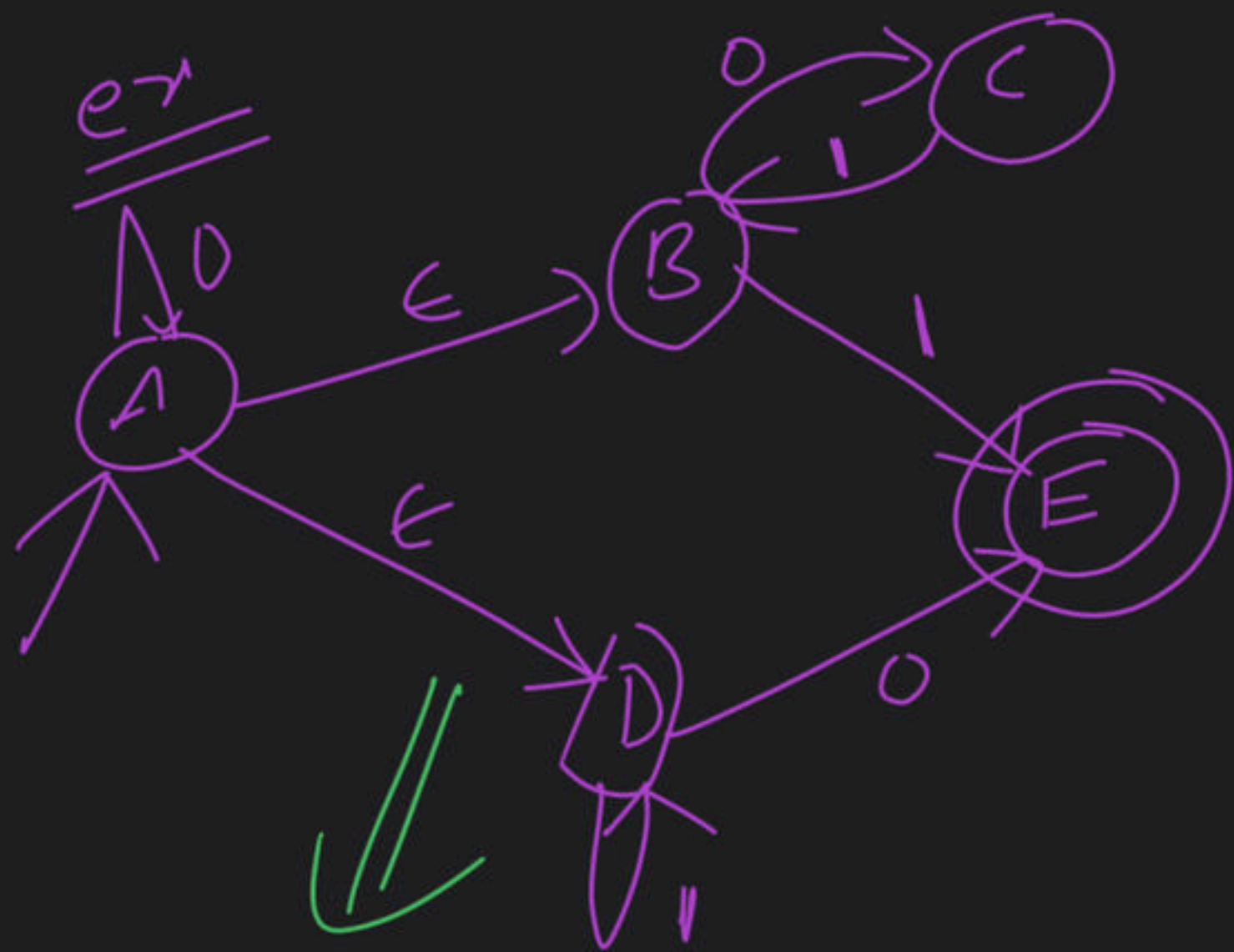


ex

$\epsilon\text{-NFA} \implies \text{NFA}$







NFA →

|    | 0               | 1    |
|----|-----------------|------|
| A  | A, B, D<br>C, E | E, D |
| B  | C               | E    |
| C  | ∅               | B    |
| D  | E               | D    |
| *E | ∅               | ∅    |

Note: From any state by reading only  $\epsilon$   
 if you can go to final then make that  
 state as final.





$$\begin{array}{l}
 v_0 \xrightarrow{\epsilon \cdot 1} v_1 \\
 v_0 \xrightarrow{\epsilon \cdot 1 \cdot \epsilon} v_2
 \end{array}$$

$$v_0 \xrightarrow{\epsilon \cdot \epsilon \cdot 2} v_2$$

$$v_1 \xrightarrow{0} \phi$$

$$\begin{array}{l}
 v_1 \xrightarrow{1} v_1 \\
 v_1 \xrightarrow{1 \cdot \epsilon} v_2
 \end{array}$$

$$v_1 \xrightarrow{\epsilon \cdot 2} v_2$$

$$v_2 \xrightarrow{0} \phi$$

$$v_2 \xrightarrow{1} \phi$$

$$v_2 \xrightarrow{2} v_2$$

1

$\epsilon \cdot \epsilon \cdot 1$

$\epsilon \cdot \epsilon \cdot 1 \cdot \epsilon \cdot \epsilon$

~~Q~~  $\epsilon \cdot 1$

$\epsilon \cdot 1 \cdot \epsilon$

$\epsilon^{\varnothing} \cdot 1 \cdot \epsilon^{\varnothing}$











