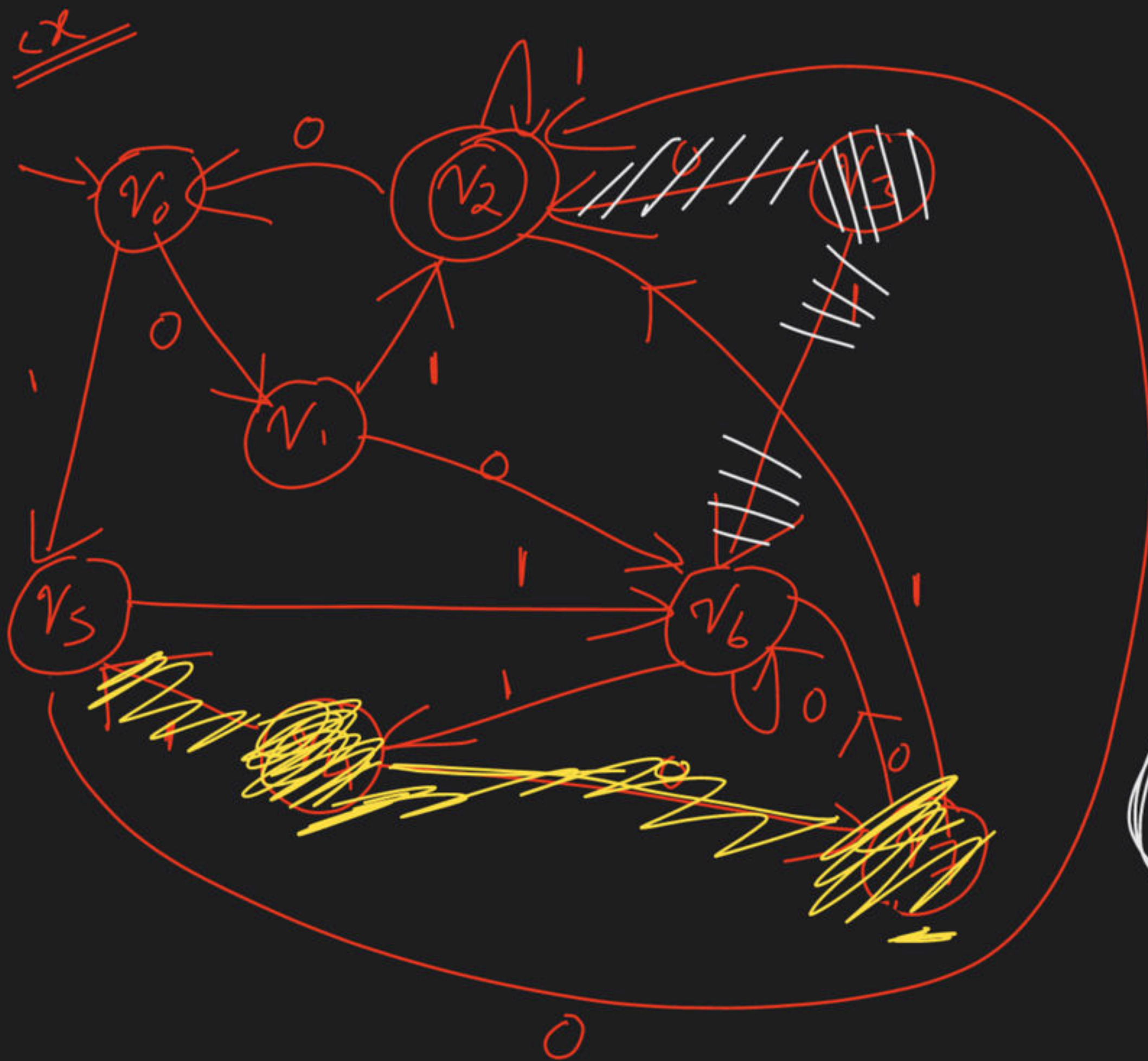




# Doubt Clearing Session

Complete Course on Theory of Computation



DFA ?

$$\pi_0 = (v_2) (\overset{\checkmark}{v_0}, \overset{\checkmark}{v_1}, \overset{\checkmark}{v_4}, \overset{\checkmark}{v_5}, \overset{\checkmark}{v_6}, v_7)$$

$$\pi_1 = (v_2) (\overset{\checkmark}{v_0}, \overset{\checkmark}{v_4}, \overset{\checkmark}{v_6}) (\underline{v_1, v_7}) (\underline{v_5})$$

$$\pi_2 = (\underline{v_2}) (\underline{v_5}) (\underline{v_1, v_7})$$

$$(\underline{v_0, v_4}) (\underline{v_6})$$

$$\pi_3 = (\underline{v_2}) (\underline{v_5}) (\underline{v_6}) (\underline{v_1, v_7}) (\underline{v_0, v_4})$$

$\Downarrow$   $\underline{v_1}$        $\Downarrow$   $v_0$

5 - step.



Table Filling method ✓

Myhill - Arden node ✓

✓  
P.L

Special class

# Finite Automata to Regl Expression

- ① Arden's method (Standard) °
- ② State Elimination method (Non-standard)

# Arden's Method

① we can't apply this method for E-NFA

② if  $P$  &  $Q$  are 2- R.E &  $P$  not contain  $\epsilon$   
then its equation uniquely written as

$$R = Q + RP$$
$$\Downarrow$$
$$R = \underline{Q}P^*$$

can be

③ if  $P$  contain  $\epsilon$  then we have infinite number of solutions.



ex Give R.E for the following FA (DFA, NFA)



$E, ab, asab, baba, asba, baab$   
 $\Rightarrow (ab+ba)^k$

(1) write state equations for every state.

$$q_2 = q_1 \cdot a \rightarrow (1) \quad q_3 = q_1 \cdot b \rightarrow (2)$$

$$q_1 = q_2 b + q_3 a + E \rightarrow (3)$$

berz of start state.

~~q1 = q1~~

(1) Unreachable states from start state delete.

(2) Dead states delete bec they don't participate in language.



$$v_1 = \check{v}_2 \cdot b + \check{v}_3 \cdot a + \epsilon$$

$$= \underline{v_1} \cdot ab + \underline{v_1} \cdot ba + \epsilon \Rightarrow (4) \text{ by sub in (1) \& (2)}$$

$$\underline{v_1} = \underline{v_1} (ab + ba) + \epsilon$$

$$\underline{v_1} = \epsilon + \underline{v_1} (ab + ba)$$

$$\underline{R} = Q + \underline{R} P$$

$$R = QP^k$$

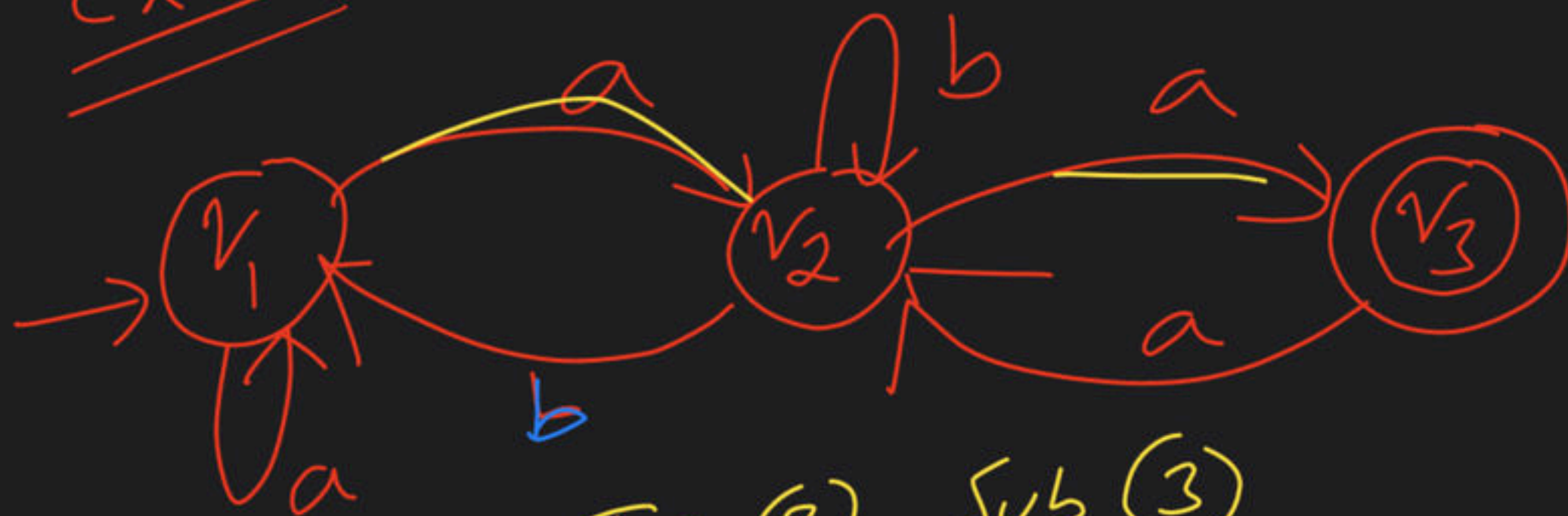
$$\underline{v_1} = \epsilon \cdot (ab + ba) \Rightarrow \underline{(ab + ba)^k} \text{ (or) } \underline{(ab)^k (ba)^k}$$

$$\left( (ba)^k (ab)^k \right)^k$$





ex



In (2) Sub (3)

$$\underline{v_2} = v_1 \cdot a + \underline{v_2 \cdot b} + \underline{v_2 \cdot aa}$$

$$\frac{v_2}{R} = \frac{v_1 \cdot a}{a} + \frac{v_2}{R} \underbrace{(b + aa)}_P$$

$$\underline{v_2} = \underline{v_1 \cdot a} (b + aa) \Rightarrow (4)$$

In (1) Sub (4)

$$\underline{v_1} = \epsilon + \underline{v_1 \cdot a} + v_1 a (b + aa) \underline{b}$$

$$= \epsilon + v_1 (a + a(b + aa) \underline{b})$$

$$v_1 = \epsilon + \underline{v_2 \cdot b} + v_1 \cdot a \rightarrow (1)$$

$$v_2 = \underline{v_1 \cdot a} + \underline{v_2 \cdot b} + \underline{v_3 \cdot a} \rightarrow (2)$$

$$v_3 = v_2 \cdot a \rightarrow (3)$$

$$v_1 = \epsilon \cdot [a + a(b + aa)^b]$$

$$= [a + a(b + aa)^b]^b$$

In (4) Sub (5)  $\Rightarrow (5)$

$$v_2 =$$

$$[a + a(b + aa)^b] \underline{a} (b + aa)^b \underline{b} \Rightarrow (6)$$



In (3) sub (6)

$$V_3 = \frac{V_2 \cdot a}{1}$$

$$= \left[ a + a(b+aa)^b \right] a (b+aa)^b \cdot \underline{\underline{a}}$$

Thank you

Dedicate Hlatp