

TCP

Complete Course on Computer Networks - Part I

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EFFICIENCY

Efficiency(η) = $\frac{\text{Useful time}}{\text{Total cycle time}}$

$$\eta = \frac{Tt}{Tt + 2Tp}$$

$$\eta = \frac{1}{1 + \frac{2Tp}{Tt}} \quad a = \frac{Tp}{Tt}$$

$$\eta = \frac{1}{1 + 2a}$$

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THROUGHPUT

Effective bandwidth

Or

$$\text{Throughput} = \frac{L}{T_t + 2T_p}$$

Or

$$\begin{aligned}\text{Bandwidth utilization} &= \frac{L/B}{T_t + 2T_p} \times B \\ &= \frac{T_t}{T_t + 2T_p} \times B \\ &= \eta \times B\end{aligned}$$

$$\text{Throughput} = \text{Efficiency} (\eta) \times \text{Bandwidth}(B)$$

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REVISION OF THE FORMULAE



REMEMBER

Whenever data has **K**,
 $K = 1024$

Whenever data has **M**,
 $M = 1024 \times 1024$

Whenever data has **G**,
 $G = 1024 \times 1024 \times 1024$

$$1.) T_t = \frac{\text{Length of data (bits)}}{\text{Bandwidth(bps)}} = \frac{L}{B}$$

$$2.) T_p = \frac{\text{distance of the link (d)}}{\text{Velocity(v)}}$$

$$3.) \eta = \frac{1}{1 + 2a}$$
$$a = \frac{T_p}{T_t}$$

$$4.) \text{Throughput} = \text{Efficiency} (\eta) \times \text{Bandwidth}(B)$$

$$5.) \text{Round Trip Time (RTT)} = 2 \times T_p$$

STOP AND WAIT

Problems on Stop and wait

1.) $T_t = 1\text{ms}$ $T_p = 1\text{ms}$

$$\eta = \frac{1}{1 + 2a} = \frac{1}{3} = 0.33 \text{ or } 30\%$$

2.) $T_t = 2\text{ms}$ $T_p = 1\text{ms}$

$$\eta = \frac{1}{1 + 2a} = \frac{1}{2} = 0.5 \text{ or } 50\%$$

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Problems on Stop and wait

1.) $T_t = 1\text{ms}$ $T_p = 1\text{ms}$

$$\eta = \frac{1}{1 + 2a} = \frac{1}{3} = 0.33 \text{ or } 30\%$$

2.) $T_t = 2\text{ms}$ $T_p = 1\text{ms}$

$$\eta = \frac{1}{1 + 2a} = \frac{1}{2} = 0.5 \text{ or } 50\%$$

So, if we want the efficiency to be atleast 50 % then,

$$\eta \geq 0.5$$

$$\frac{T_t}{T_t + 2T_p} \geq \frac{1}{2}$$

$$2T_t \geq T_t + 2T_p$$

$$T_t \geq 2T_p$$

Or we can say that,

$$\frac{L}{B} \geq 2T_p$$

$$L \geq 2T_p * B$$

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Question:

Given, bandwidth = 4 Mbps, T_p = 1ms, What is the length of the packet so as to achieve at least 50% efficiency?

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Question:

Given, bandwidth = 4 Mbps, T_p = 1ms, What is the length of the packet so as to achieve at least 50% efficiency?

$$L \geq 2T_p * B$$

$$L \geq 2 \cdot 10^{-3} \cdot 4 \cdot 10^6$$

$$L \geq 8 \cdot 10^3 \text{ bits}$$

Therefore, Length of packet must be at least 8000 bits so as to achieve at least 50 % efficiency.

SOMETHINGS THAT CAN BE SAID ABOUT EFFICIENCY

$$\eta = \frac{1}{1 + \frac{2Tp}{Tt}}$$

$$\eta = \frac{1}{1 + \frac{2(d/v)}{(L/B)}}$$

As we can see that,

$$d \uparrow$$

$$\eta \downarrow$$

$$L \uparrow$$

$$\eta \uparrow$$

So, Stop and Wait is good for LANs

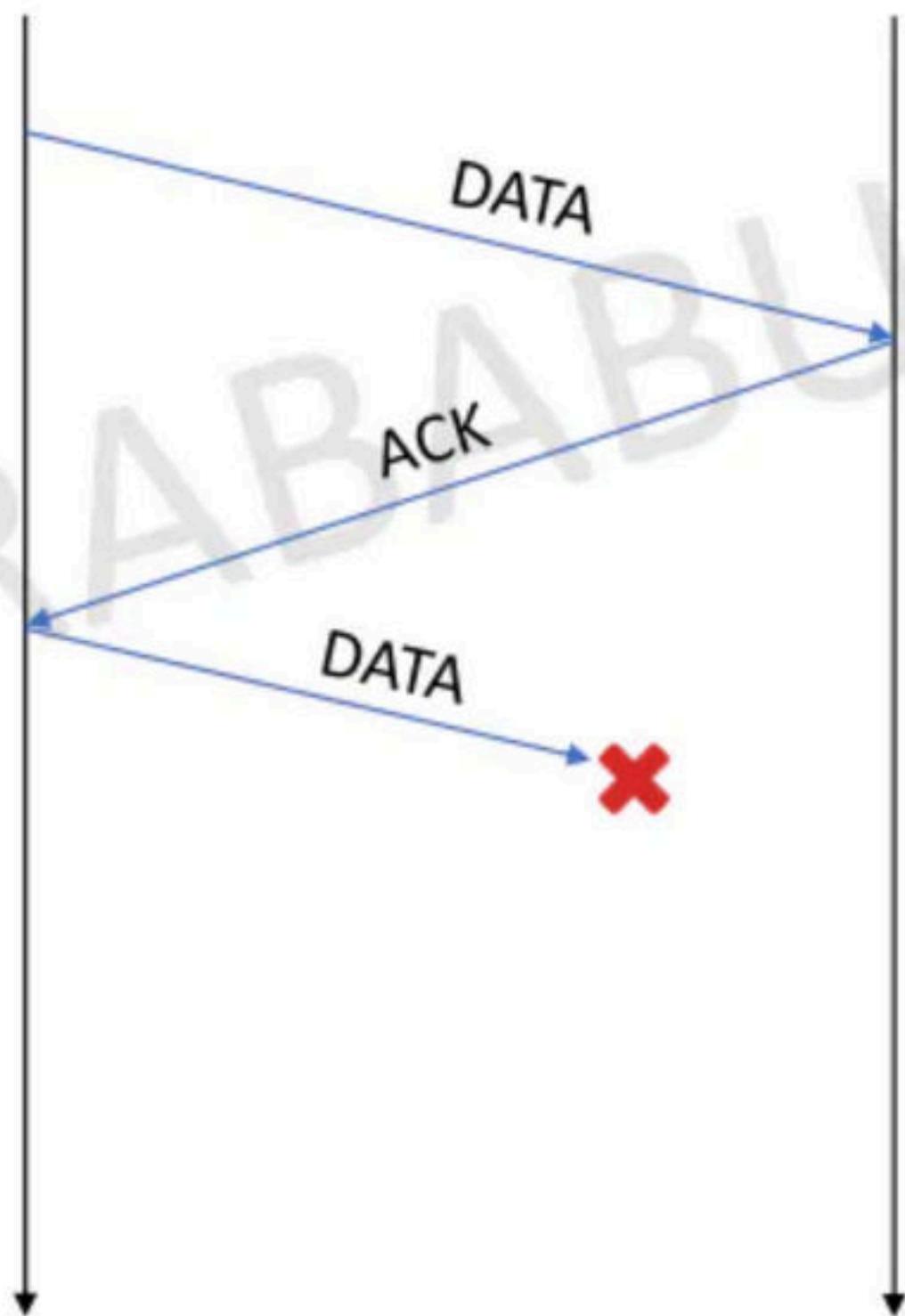
Good for big packets

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PROBLEMS WITH STOP AND WAIT

PROBLEM 1: Data packet lost



SENDER THINKS THAT
RECEIVER IS BUSY

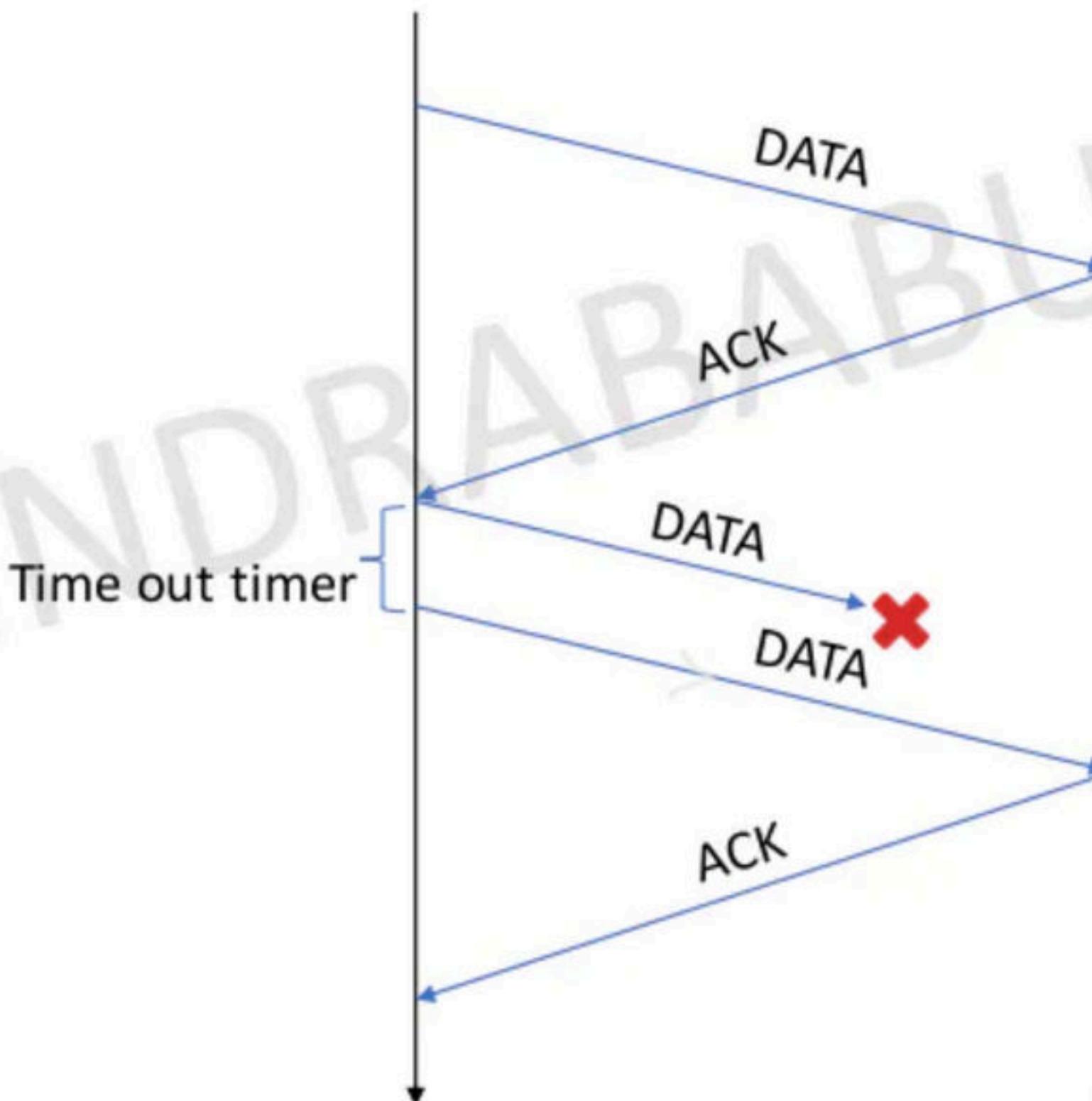
RECEIVER THINKS SENDER DID
NOT SEND THE DATA

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PROBLEMS WITH STOP AND WAIT

PROBLEM 1: Data packet lost



SOLUTION

So, to solve this issue the sender
Waits for time known as **Time out Timer**
And resends the packet.

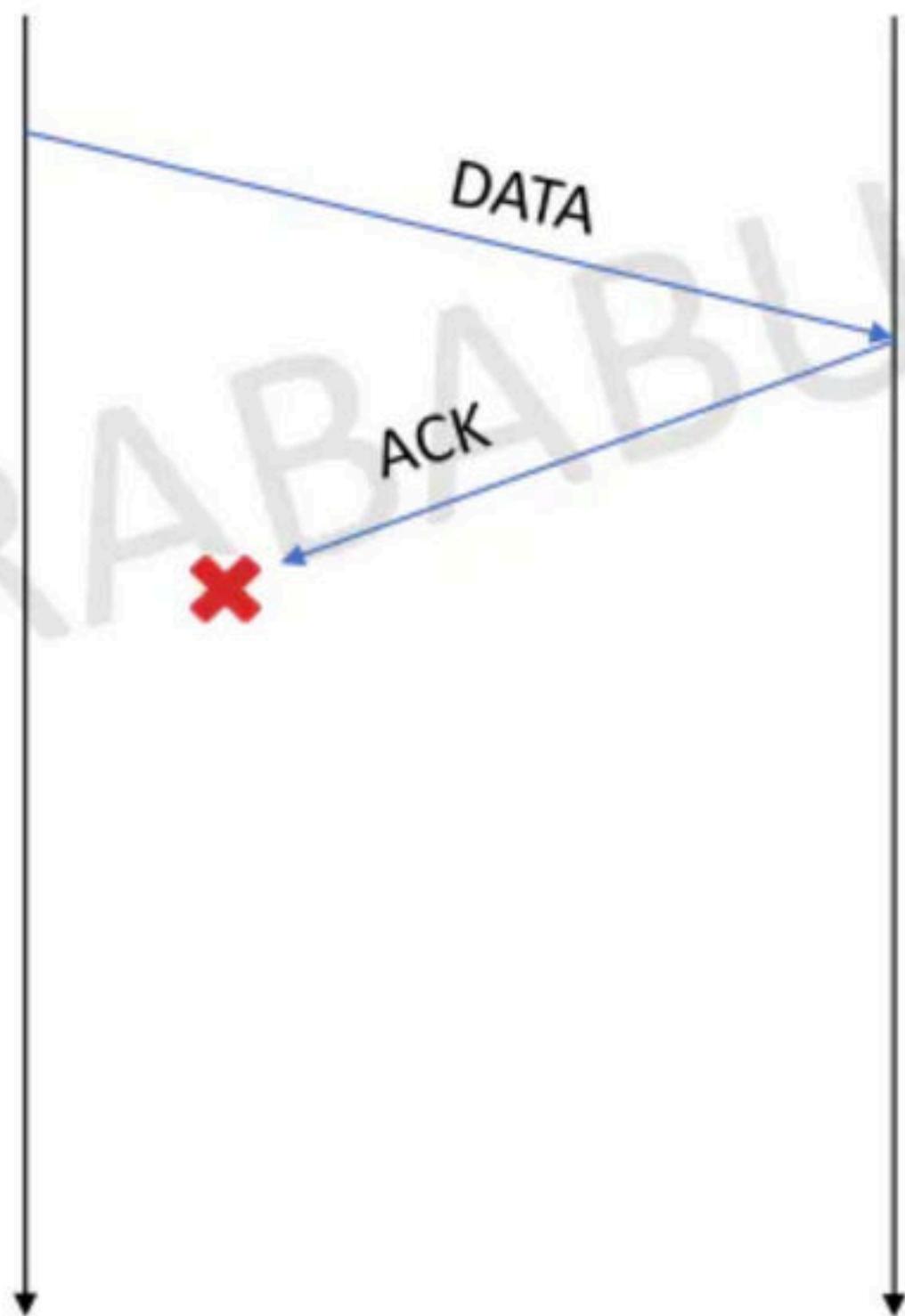
This is stop and wait + timeout timer
Which is known as "**Stop and wait ARQ**"
ARQ stands for Automatic Repeat Request

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PROBLEMS WITH STOP AND WAIT

PROBLEM 2: Acknowledgement lost



SENDER THINKS THAT
RECEIVER HAS NOT RECEIVED THE PACKET

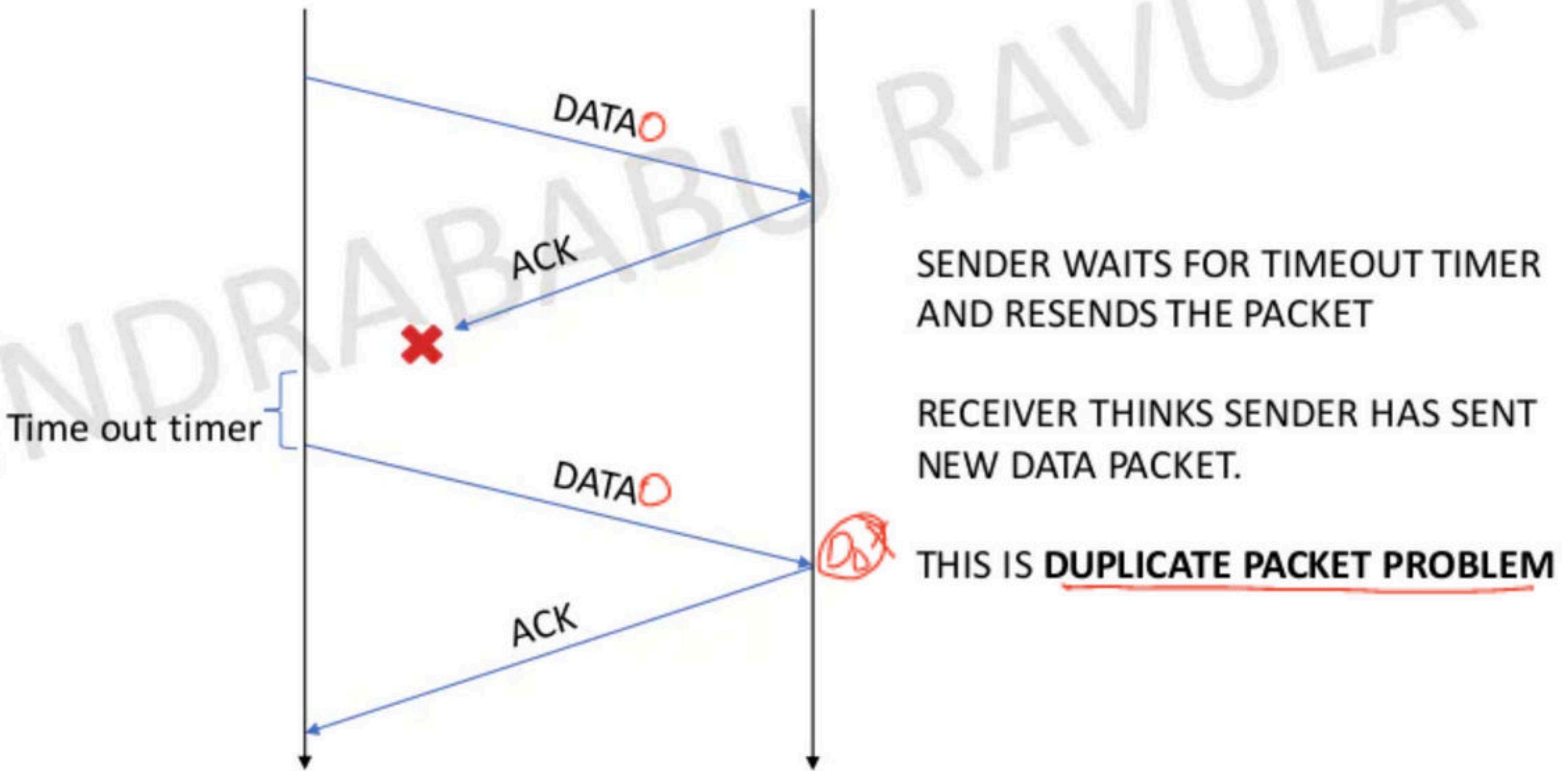
RECEIVER THINKS SENDER HAS RECEIVED ACK

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PROBLEMS WITH STOP AND WAIT

PROBLEM 2: Acknowledgement lost

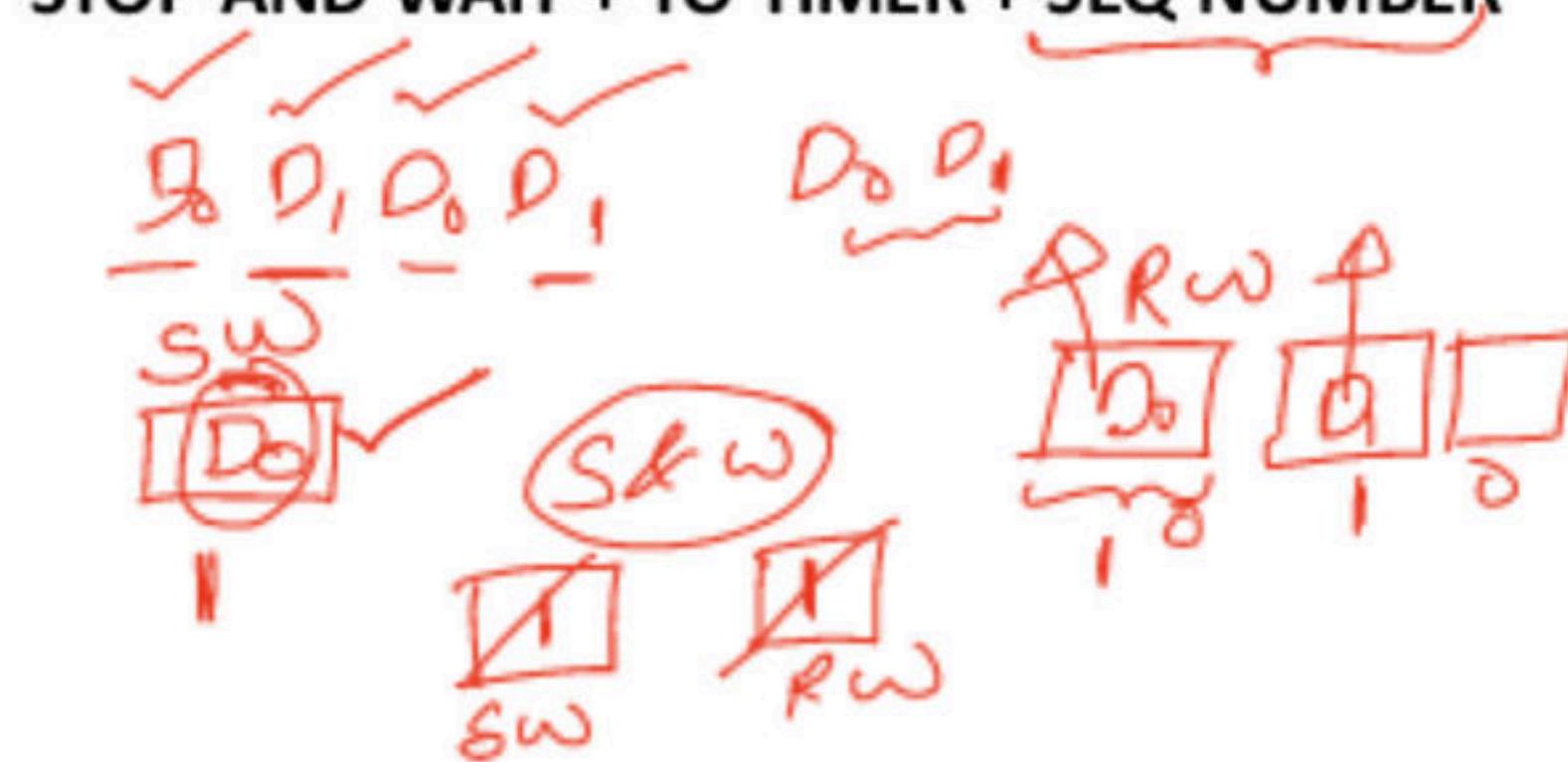
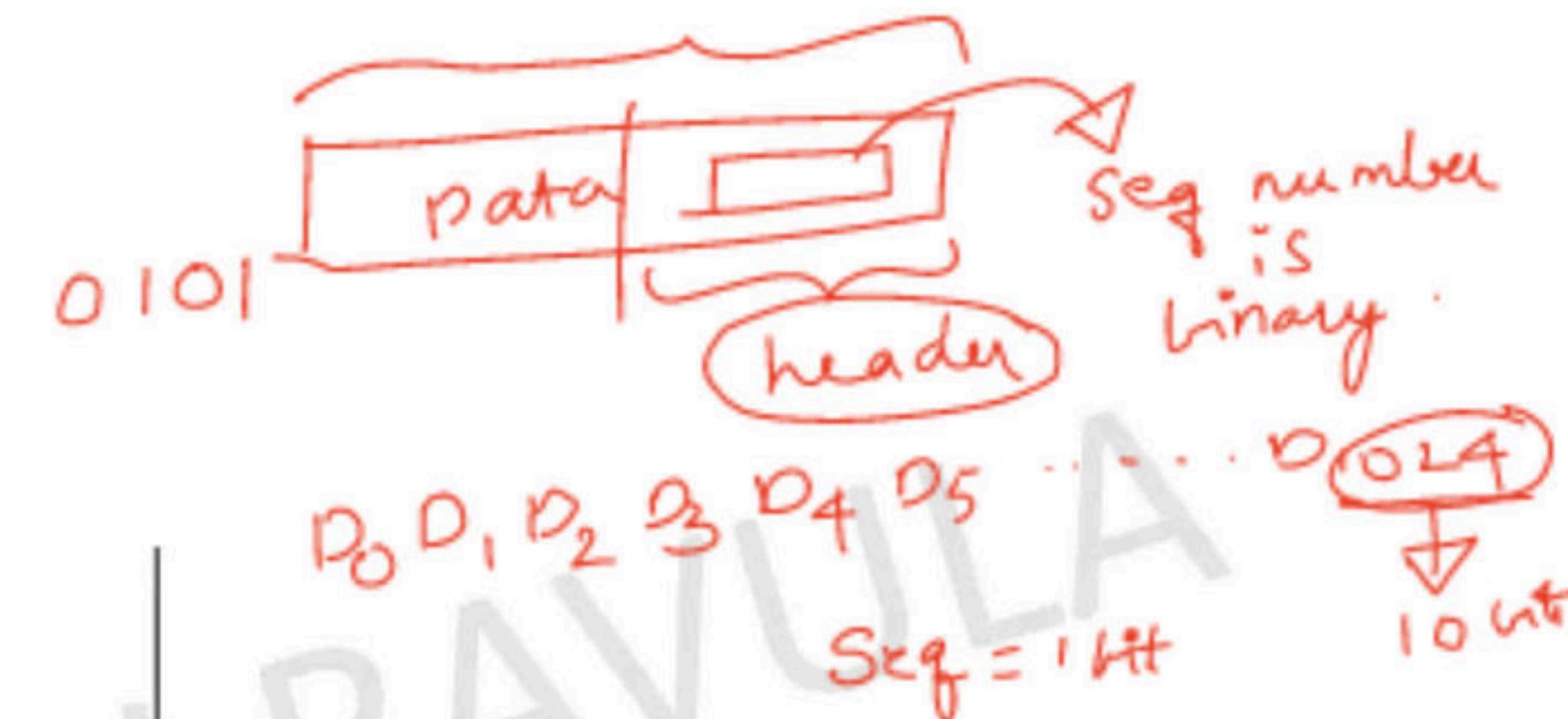
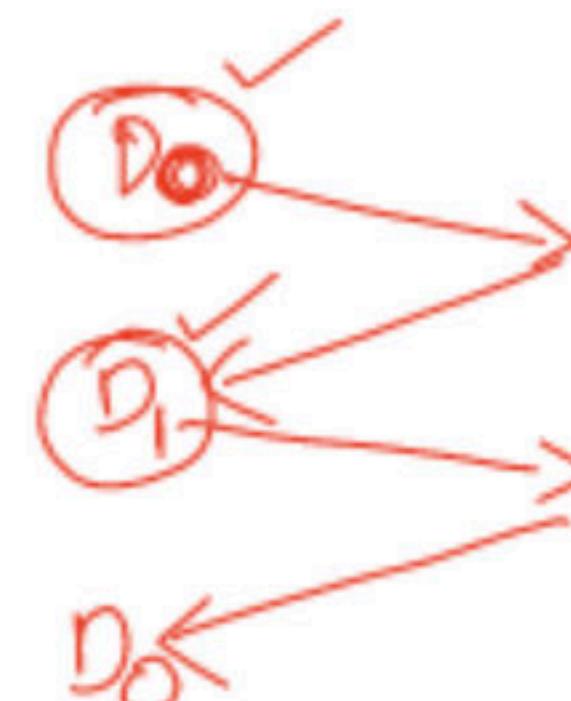
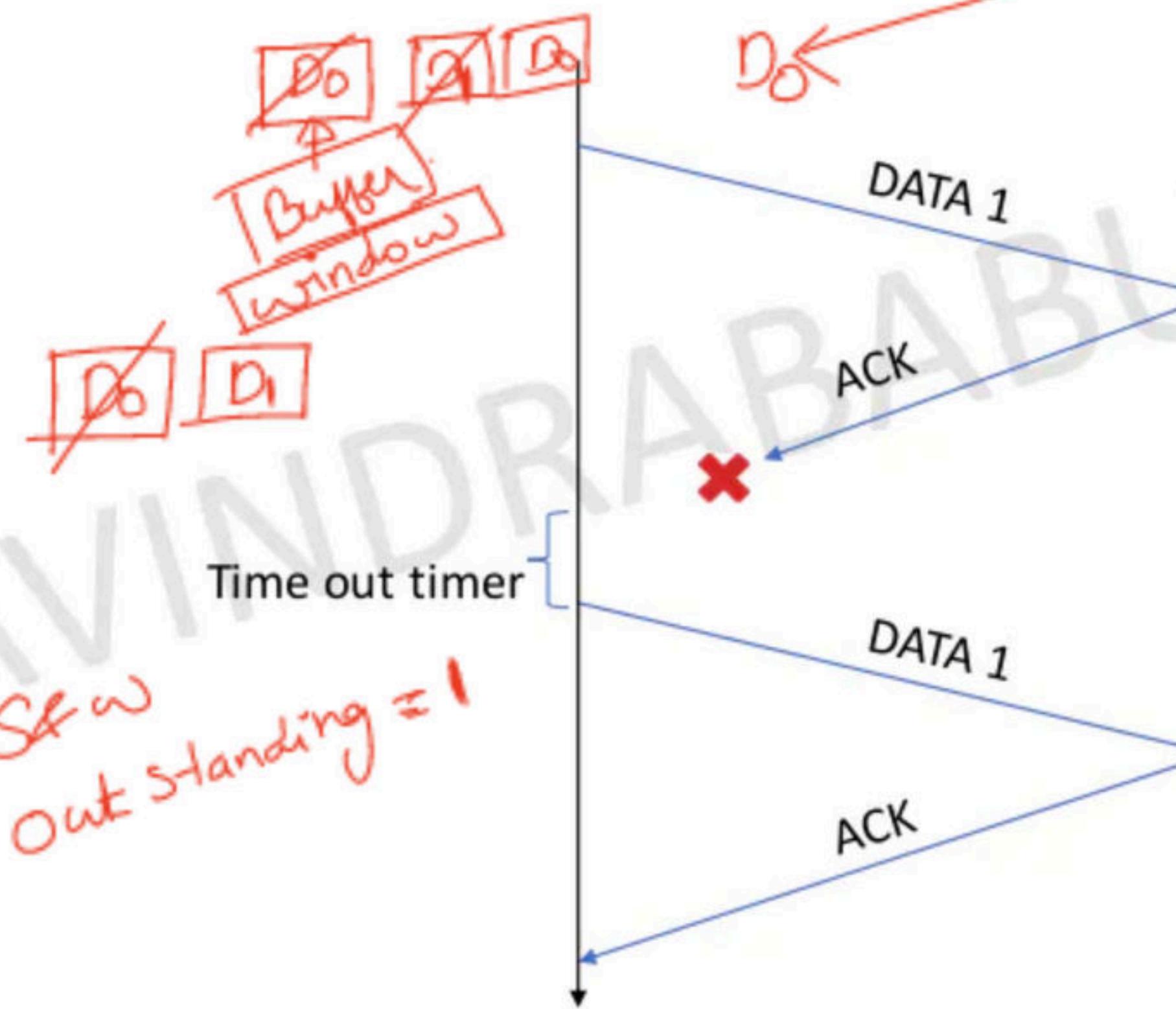


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PROBLEMS WITH STOP AND WAIT

PROBLEM 2: Acknowledgement lost



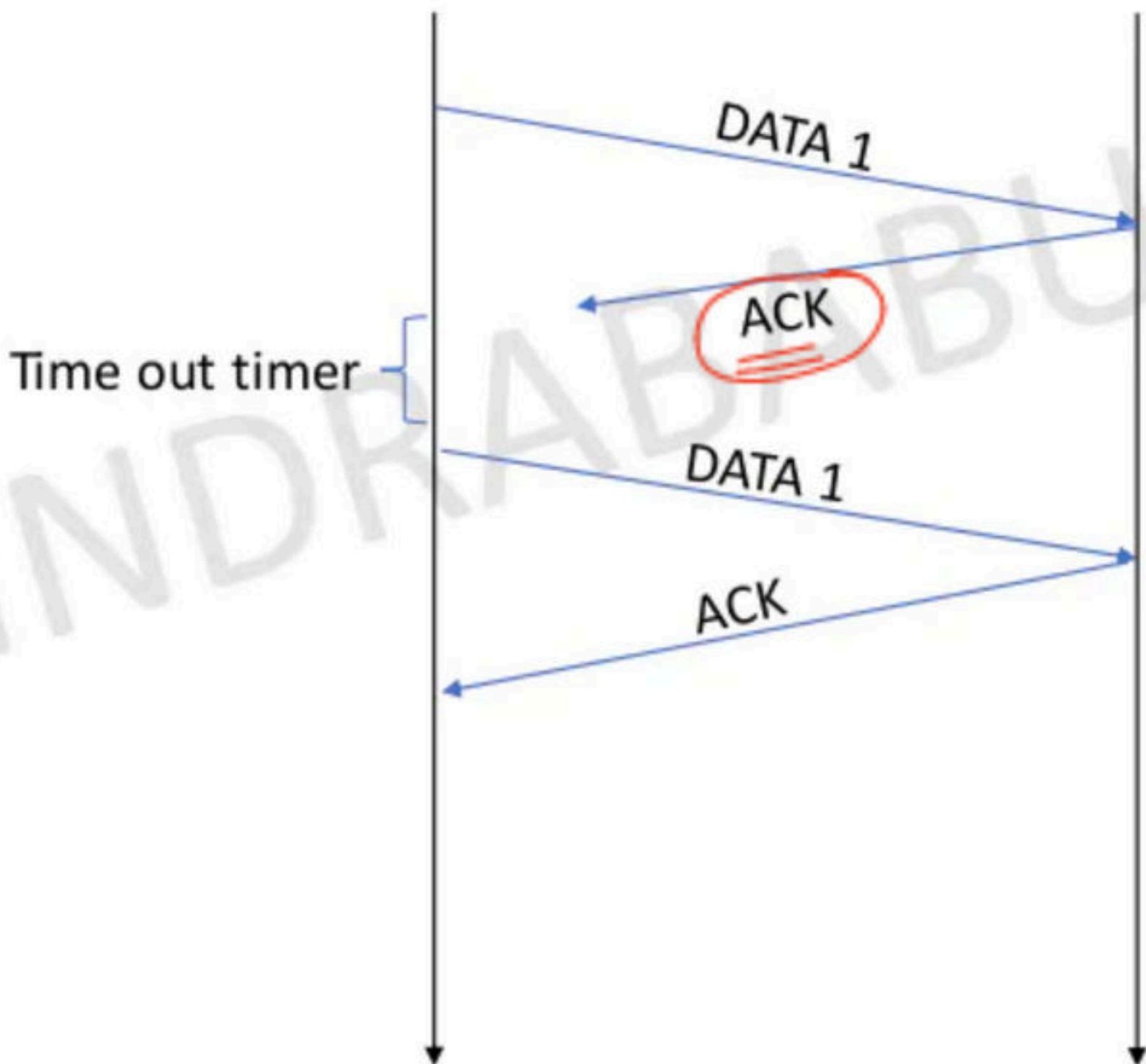
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PROBLEMS WITH STOP AND WAIT

PROBLEM 3: Acknowledgement Delayed

Doubt
S1W
GBN SR
Seg ✓



ACKNOWLEDGEMENT IS DELAYED FOR DATA 1 AND THE PACKET IS RESENT BY THE SENDER BY WAITING FOR TO TIMER

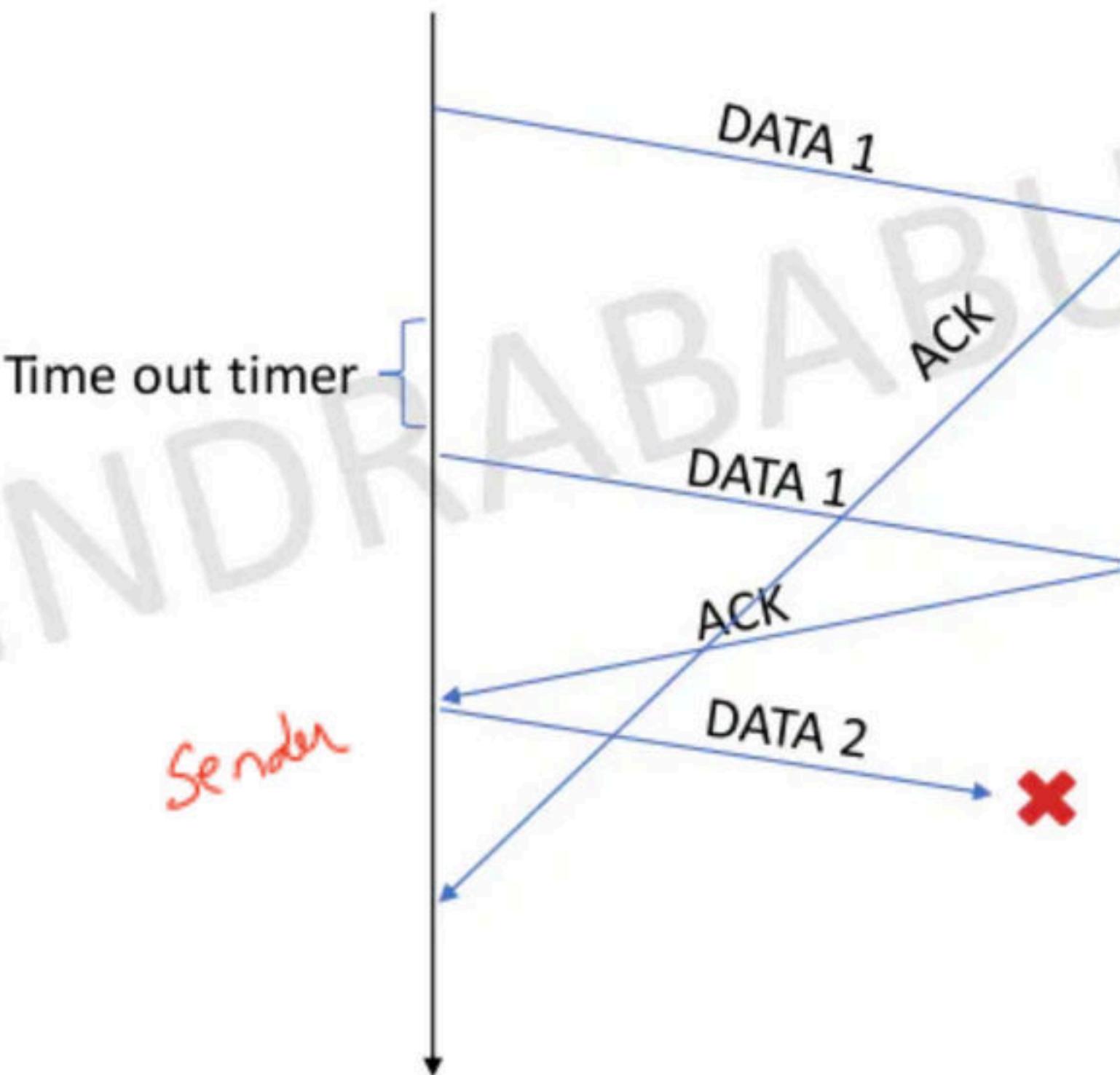
RECEIVER SENDS THE ACK FOR THE RESENT DATA 1 PACKET

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PROBLEMS WITH STOP AND WAIT

PROBLEM 3: Acknowledgement Delayed



NOW, IMAGINE DATA 2 PACKET IS SENT AND GETS LOST.

AND THE DELAYED ACK IS RECEIVED NOW

DUE TO THIS WHAT HAPPENS IS,
SENDER THINKS THIS IS AN ACK FOR DATA 2
BUT THE RECEIVER NEVER RECEIVED DATA 2
PACKET !

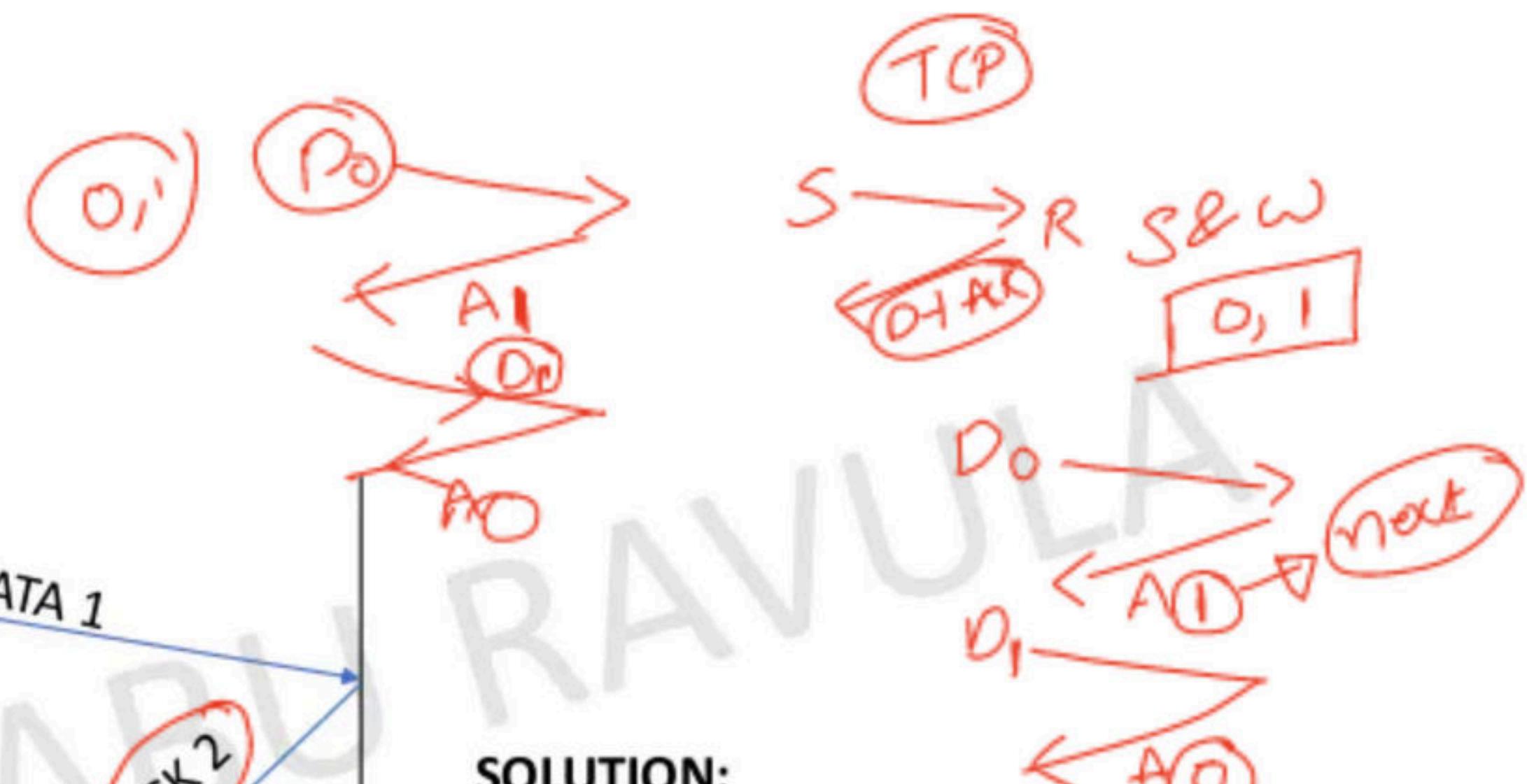
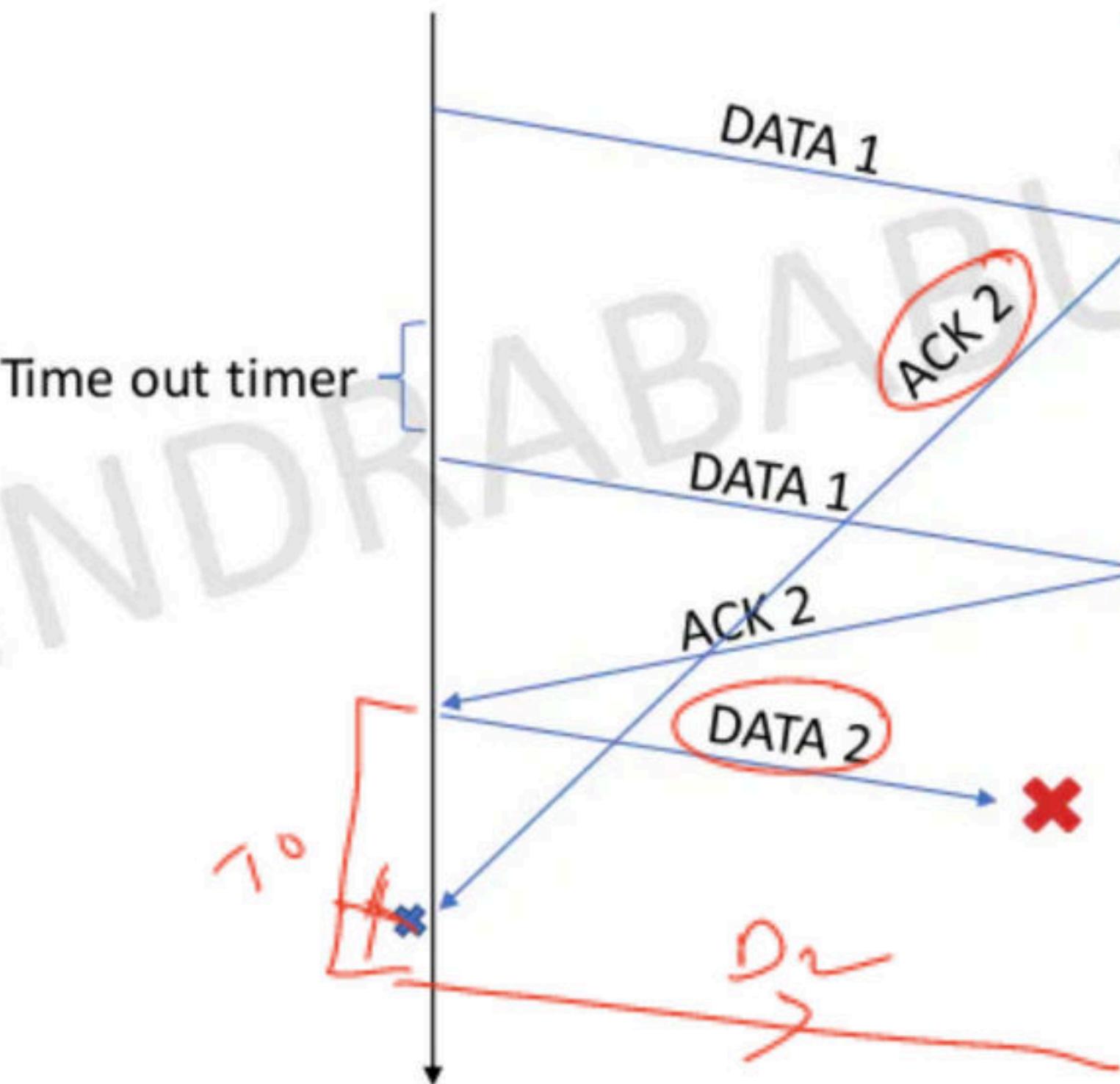
THIS IS MISSING PACKET PROBLEM

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PROBLEMS WITH STOP AND WAIT

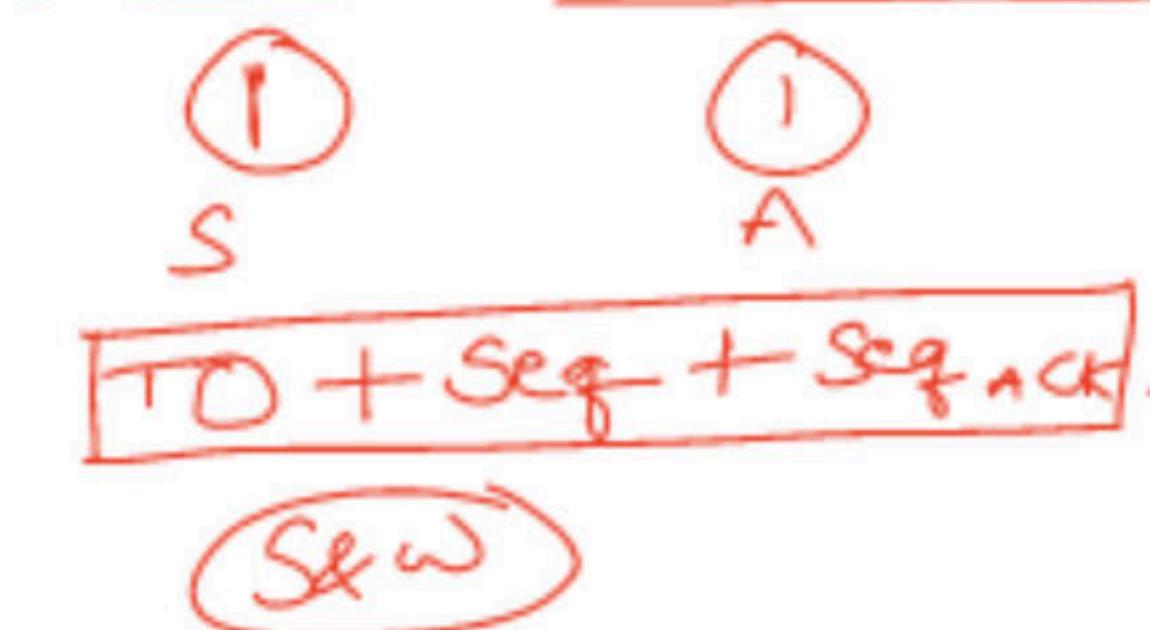
PROBLEM 3: Acknowledgement Delayed



SOLUTION:

ACK NUMBER WILL BE SENT BY RECEIVER

ACK NUMBER = SEQUENCE NO + 1



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**QUESTION : Suppose sender wants to send 10 packets to receiver and every 4th packet is lost
How many packets will be sent in total?**

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SOLUTION:

Packets to be sent : 1 2 3 4 5 6 7 8 9 10

As per the given scenario : 1 2 3 4 4 5 6 7 7 8 9 10 10

Total transmissions = 13

10 →

13 ✓

4, 7, 10 → two times.

Question:

Suppose while sending packets to destination there is error probability of 0.2 .

If we are sending 400 packets over this channel. How many Packets would be sent?

$$(100) + 2 \left(\frac{2}{100} \right)$$

$\frac{2}{100}$

packets sent would be :

$$400 + 400(0.2) + 80(0.2) \dots$$

If we are sending n packets with p error probability, then,

packets sent would be,

$$= (n + np + np^2 \dots)$$

$$= n(1 + p + p^2 + \dots)$$

$$= n(1/(1-p))$$

$$\begin{aligned} & n + np + np^2 + np^3 + np^4 + \dots \\ & n + (np + np^2) + np^3 + np^4 + \dots \\ & n(1 + p + p^2 + p^3 + \dots) \\ & = n \left(\frac{1}{1-p} \right) = \frac{400}{1-0.2} = \frac{400}{0.8} \\ & = \underline{\underline{500}} \end{aligned}$$

Computer Networks

Practice Problems and PYQs on Stop and Wait

Problem-01:

If the bandwidth of the line is 1.5 Mbps, RTT is 45 msec and packet size is 1 KB, then find the link utilization in stop and wait.

Solution-

Given-

Bandwidth = 1.5 Mbps

RTT = 45 msec

Packet size = 1 KB

$$LU = \frac{rtt \times bw}{rtt + bw}$$

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Calculating Transmission Delay T_t-

Transmission delay (T_t)

$$= \text{Packet size} / \text{Bandwidth}$$

$$= 1 \text{ KB} / 1.5 \text{ Mbps}$$

$$= (2^{10} \times 8 \text{ bits}) / (1.5 \times 10^6 \text{ bits per sec})$$

$$= \underline{\underline{5.461 \text{ msec}}}$$

Calculating Propagation Delay T_p-

Propagation delay (T_p)

$$= \text{Round Trip Time} / 2$$

$$= 45 \text{ msec} / 2$$

$$= \underline{\underline{22.5 \text{ msec}}}$$

Calculating Value Of 'a'-

$$a = T_p / T_t$$

$$a = 22.5 \text{ msec} / 5.461 \text{ msec}$$

$$a = 4.12$$

Calculating Link Utilization-

Link Utilization or Efficiency (η)

$$= 1 / 1+2a$$

$$= 1 / (1 + 2 \times 4.12)$$

$$= 1 / 9.24$$

$$= 0.108$$

$$= \underline{\underline{10.8 \%}}$$

Problem-02: GATE IT 2005

A channel has a bit rate of 4 Kbps and one way propagation delay of 20 msec. The channel uses stop and wait protocol. The transmission time of the acknowledgement frame is negligible. To get a channel efficiency of at least 50%, the minimum frame size should be-

- 1.80 bytes
- 2.80 bits
- 3.160 bytes
- 4.160 bits

Solution-

Given-

- Bandwidth = 4 Kbps
- Propagation delay (T_p) = 20 msec
- Efficiency $\geq 50\%$

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Calculating Transmission Delay-

Transmission delay (T_t)

= Packet size / Bandwidth

= L bits / 4 Kbps

Calculating Value Of 'a'-

$$a = T_p / T_t$$

$$a = 20 \text{ msec} / (L \text{ bits} / 4 \text{ Kbps})$$

$$a = (20 \text{ msec} \times 4 \text{ Kbps}) / L \text{ bits}$$

Condition For Efficiency To Be At least 50%-

For efficiency to be at least 50%, we must have-

$$\frac{1}{1+2a} \geq \frac{1}{2}$$
$$a \leq \frac{1}{2}$$

Substituting the value of 'a', we get-

$$(20 \text{ msec} \times 4 \text{ Kbps}) / L \text{ bits} \leq \frac{1}{2}$$

$$L \text{ bits} \geq (20 \text{ msec} \times 4 \text{ Kbps}) \times 2$$

$$L \text{ bits} \geq (20 \times 10^{-3} \text{ sec} \times 4 \times 10^3 \text{ bits per sec}) \times 2$$

$$L \text{ bits} \geq 20 \times 4 \text{ bits} \times 2$$

$$L \geq 160$$

Similar
in class

From here, frame size must be at least 160 bits.

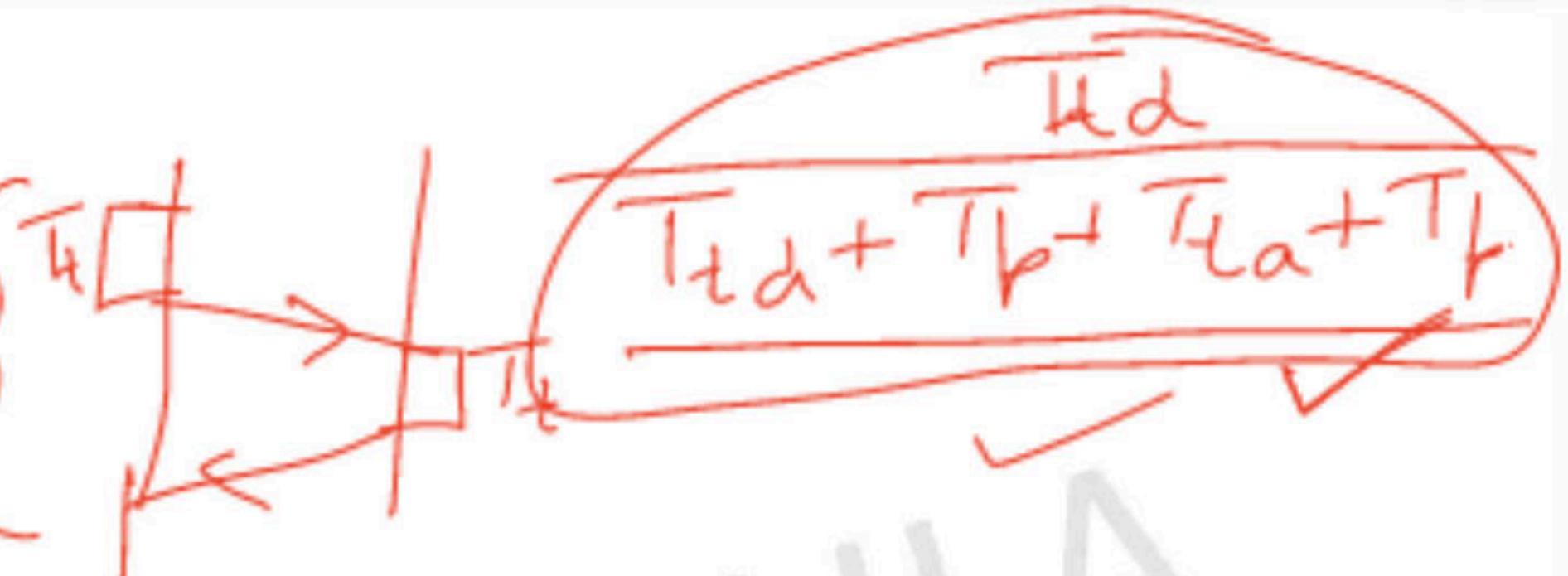
Thus, Correct Option is (D).

→ 87th

Problem-03: GATE CS 2016

A sender uses the Stop-and-Wait ARQ protocol for reliable transmission of frames. Frames are of size 1000 bytes and the transmission rate at the sender is 80 Kbps ($1\text{Kbps} = 1000 \text{ bits/second}$). Size of an acknowledgement is 100 bytes and the transmission rate at the receiver is 8 Kbps. The one-way propagation delay is 100 milliseconds. Assuming no frame is lost, the sender throughput is _____ bytes/second.

- (A) 2500
- (B) 2000
- (C) 1500
- (D) 500



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Problem-03: GATE CS 2016

A sender uses the Stop-and-Wait ARQ protocol for reliable transmission of frames. Frames are of size 1000 bytes and the transmission rate at the sender is 80 Kbps ($1\text{Kbps} = 1000 \text{ bits/second}$). Size of an acknowledgement is 100 bytes and the transmission rate at the receiver is 8 Kbps. The one-way propagation delay is 100 milliseconds. Assuming no frame is lost, the sender throughput is _____ bytes/second.

- (A) 2500
- (B) 2000
- (C) 1500
- (D) 500

Solution:

Total time = Transmission-Time + 2* Propagation-Delay + Ack-Time. Trans. time

$$= (1000*8)/80*1000 = 0.1 \text{ sec} \quad 2*\text{Prop-Delay} = 2*100\text{ms}$$

$$= 0.2 \text{ sec} \quad \text{Ack time} = 100*8/8*1000 = 0.1 \text{ sec. Total Time}$$

$$= 0.1 + 0.2 + 0.1 = 0.4 \text{ sec.}$$

$$\text{Throughput} = ((L/B)/\text{Total time}) * B,$$

L = data packet to be sent and B = BW of sender.

$$\text{Throughput} = L/\text{Total Time} = 1000/0.4 = 2500 \text{ bytes/sec.}$$

$$Th_{so} = \frac{\text{sec}}{\text{sec}}$$

$$Th_{su} = \frac{\text{bit}}{\text{sec}}$$

$$Th = \frac{\text{bit}}{\text{sec}}$$

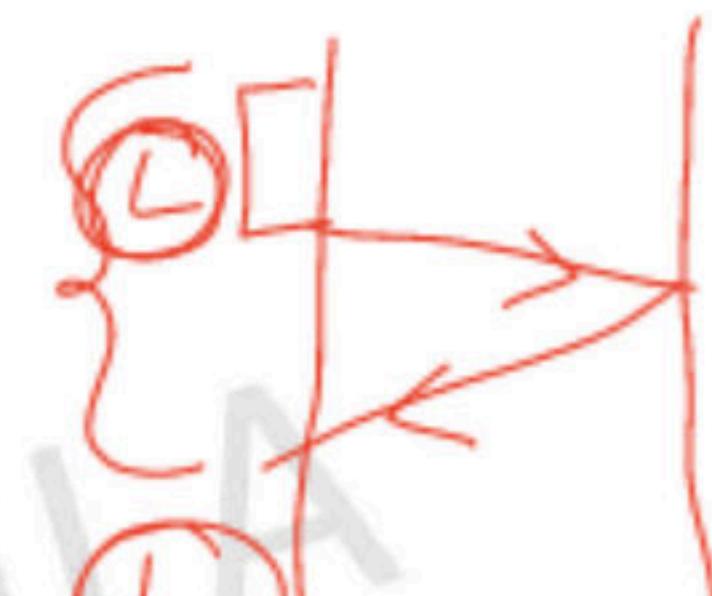
$$Th = \frac{L}{T_t + 2T_p}$$

$$= \left(\frac{L/B}{T_t + 2T_p} \right) * B$$

$$Th = \boxed{\frac{1}{T_t + 2T_p} * B}$$

$$Th = \boxed{\frac{1}{T_t + 2a} * B}$$

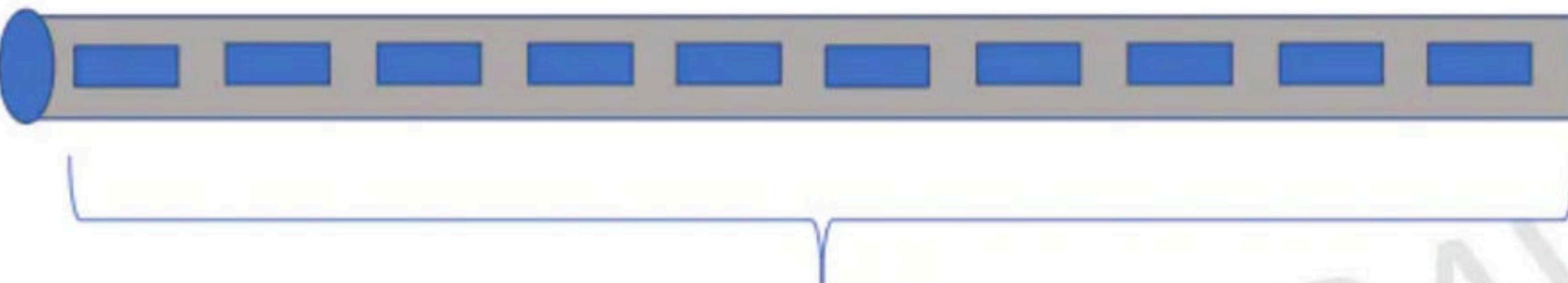
$$= \boxed{\frac{n}{T_t + 2a} * B}$$



Computer Networks

Capacity of Pipe, Pipelining, Sliding Window

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The wire is carrying bits as much as it can, this is what is the **capacity of link**

Capacity of the link depends on 2 parameters:

- 1.) Bandwidth
- 2.) Propagation Delay (T_p)

CAPACITY = BANDWIDTH x PROPAGATION DELAY

In case of half duplex

CAPACITY = 2 x BANDWIDTH x PROPAGATION DELAY

In case of full duplex

$$\eta = 1 / 1 + 2 T_t / T_p$$

$$\eta = 1 / 1 + 2 T_p * B / L$$



This is capacity

We can see as the capacity increases, efficiency decreases.

We can increase the efficiency by the method called as **Pipelining**.

PIPELINING

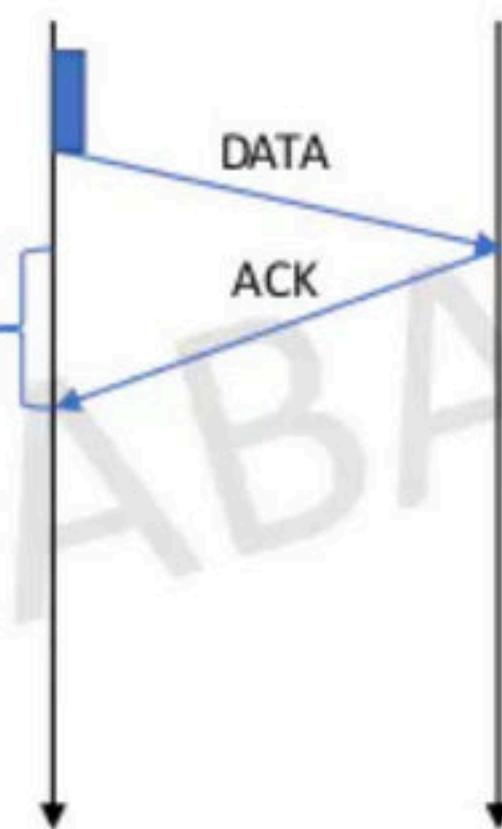
T_t -----> 1 Packet sent

1 Sec -----> $1/T_p$ Packets sent

$T_t + 2T_p$ -----> $T_t + 2T_p/T_t$
-----> $1+2a$ sent

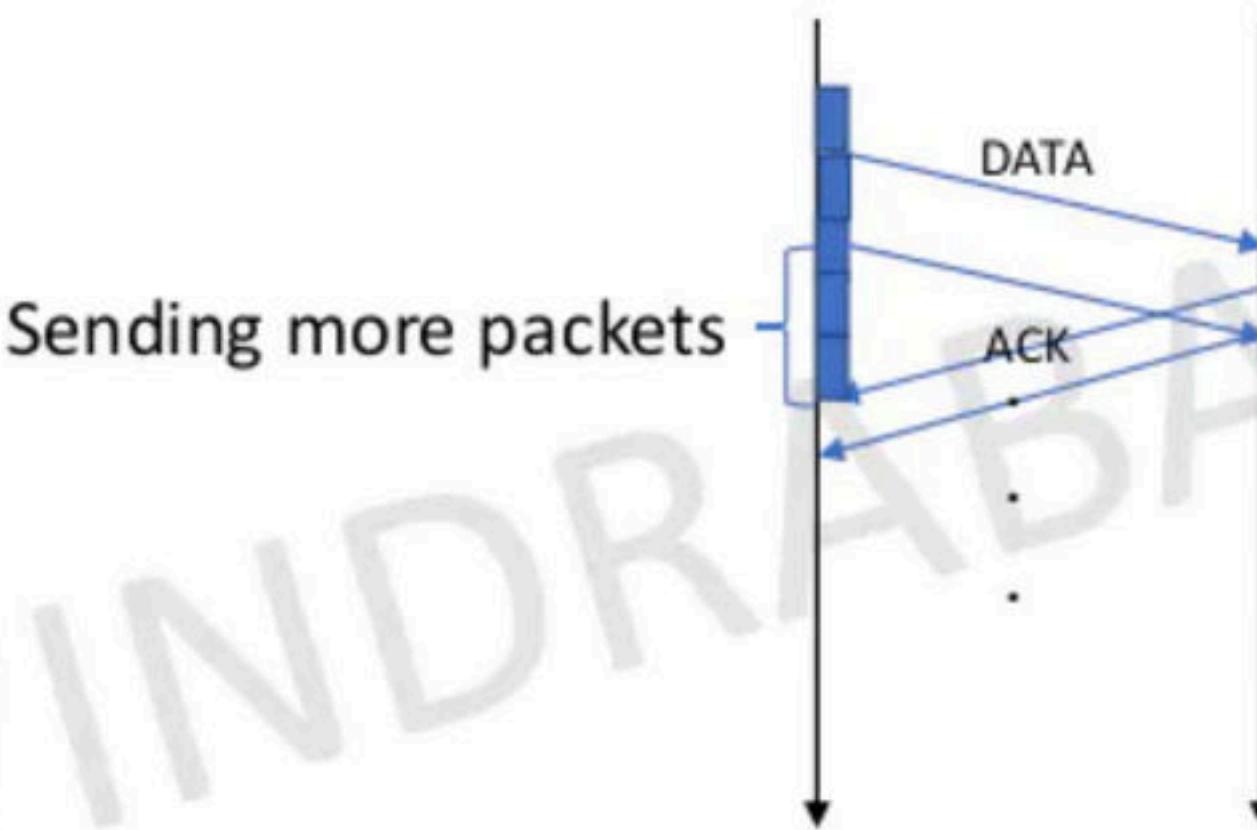
Basically in Stop and Wait, we need to transfer more number of packets,
In order to increase the efficiency.

In this remaining time
Sender is not sending
any packet and just waiting



So to make more utilization of the available channel and increase efficiency
We can transmit more packets in that particular period of time.

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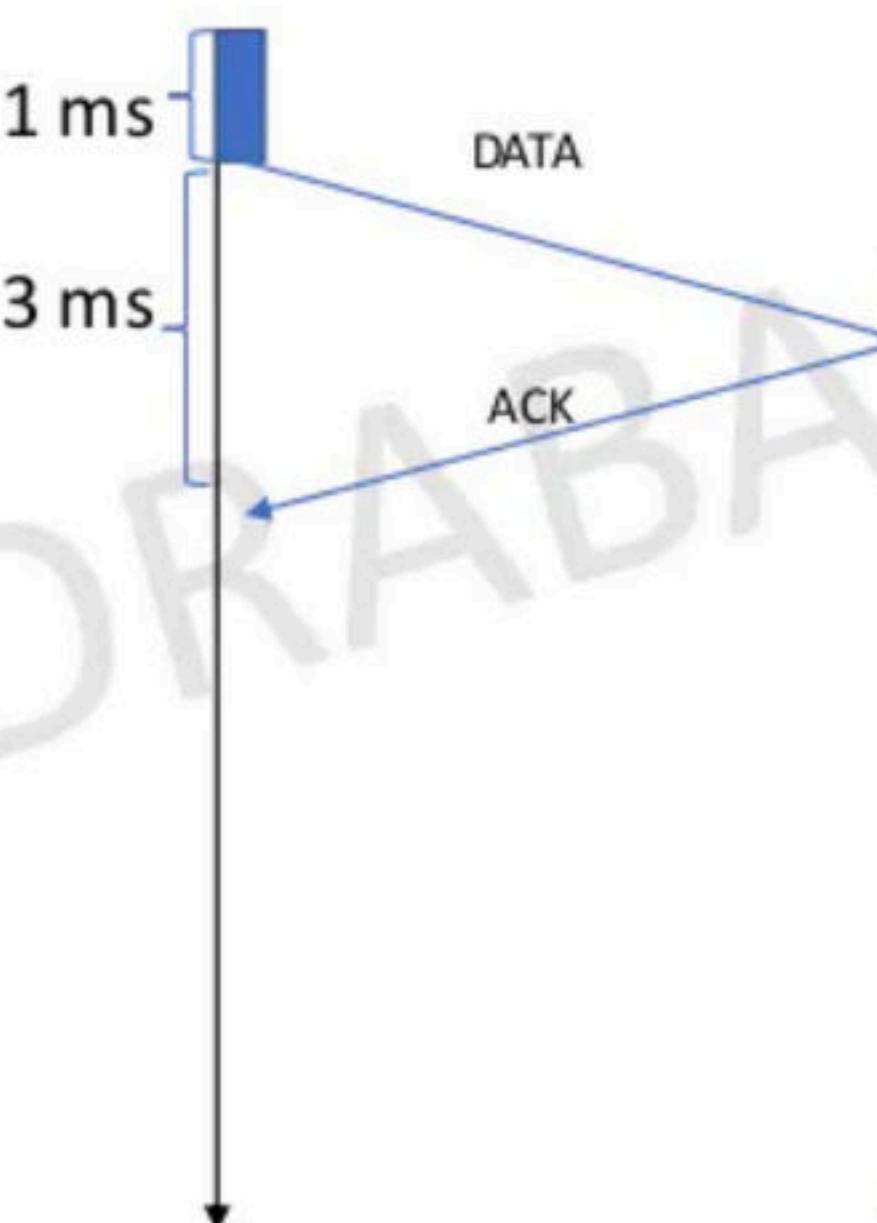


So to make more utilization of the available channel and increase efficiency
We can transmit more packets in that particular period of time.

LET'S SEE ONE EXAMPLE

Given that, $T_t = 1 \text{ ms}$ and $T_p = 1.5 \text{ ms}$

$$\text{Therefore, } \eta = \frac{1}{1+2*1.5} = 1/4$$



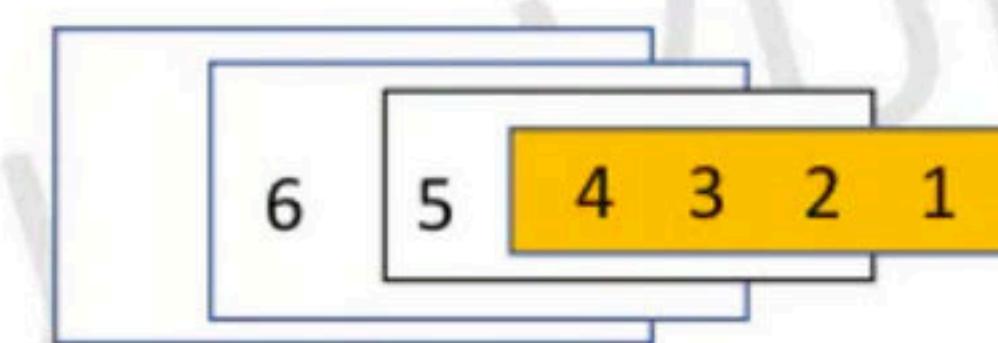
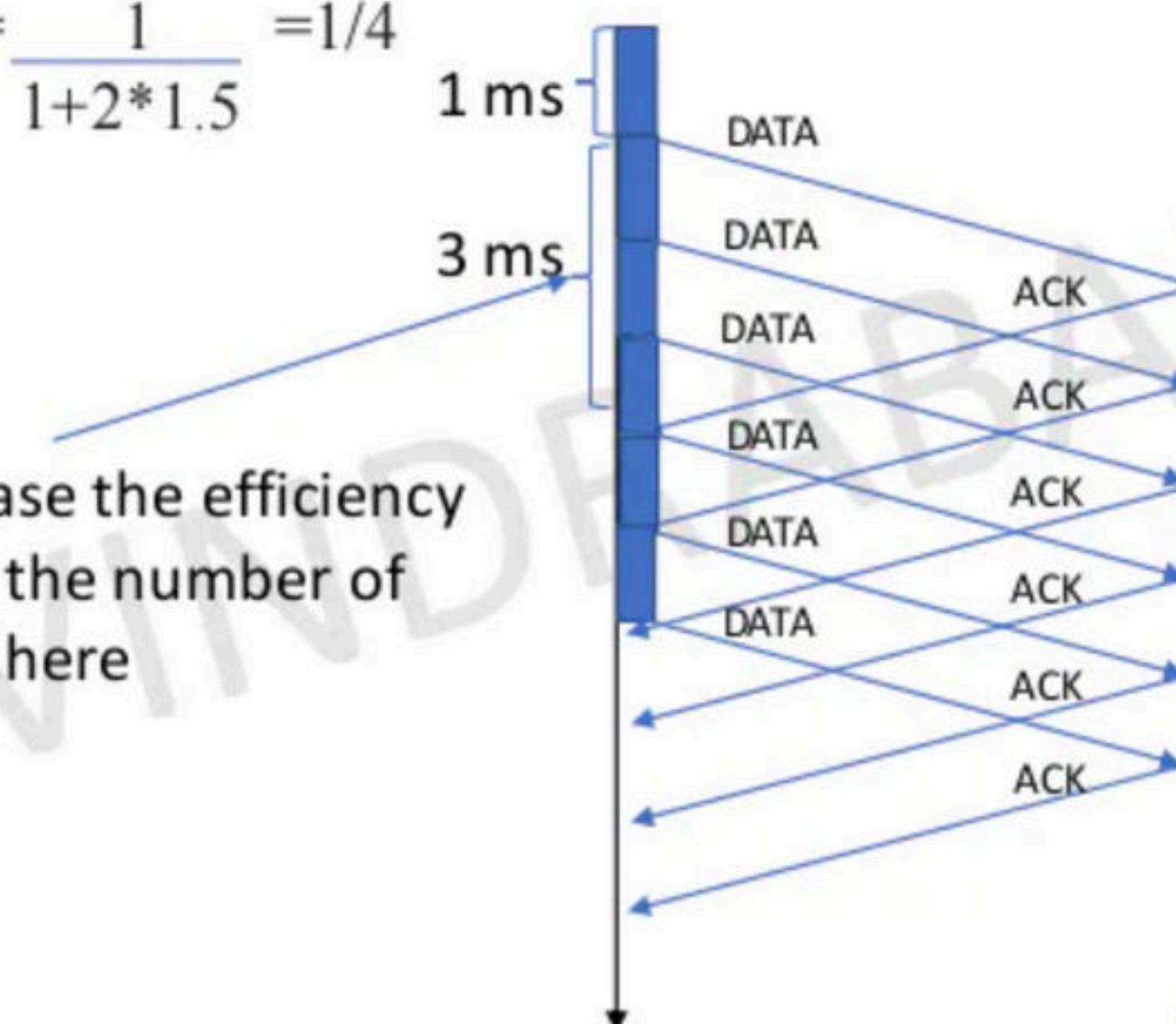
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LET'S SEE ONE EXAMPLE

Given that, $T_t = 1 \text{ ms}$ and $T_p = 1.5 \text{ ms}$

$$\text{Therefore, } \eta = \frac{1}{1+2*1.5} = 1/4$$

We can increase the efficiency by increasing the number of packets sent here



This is buffer which is holding packets
This is also known as **Sliding Window Protocol**

$$W_s = 1+2a$$

Window size in case of Sliding window protocol

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LET'S SEE HOW MANY SEQUENCE NOS AND BITS ARE REQUIRED

Given that, $T_t = 1 \text{ ms}$ and $T_p = 1.5 \text{ ms}$



$$W_s = 1+2a$$

Nos used = 1 2 3 4

Minimum sequence nos required = $1+2a$

Bits in sequence no field = $\lceil \log_2 (1+2a) \rceil$

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QUESTION:

$$T_t = 1 \text{ ms} \quad T_p = 49.5 \text{ ms}$$

$$W_s = ?$$

$$\text{Sequence no} = ?$$

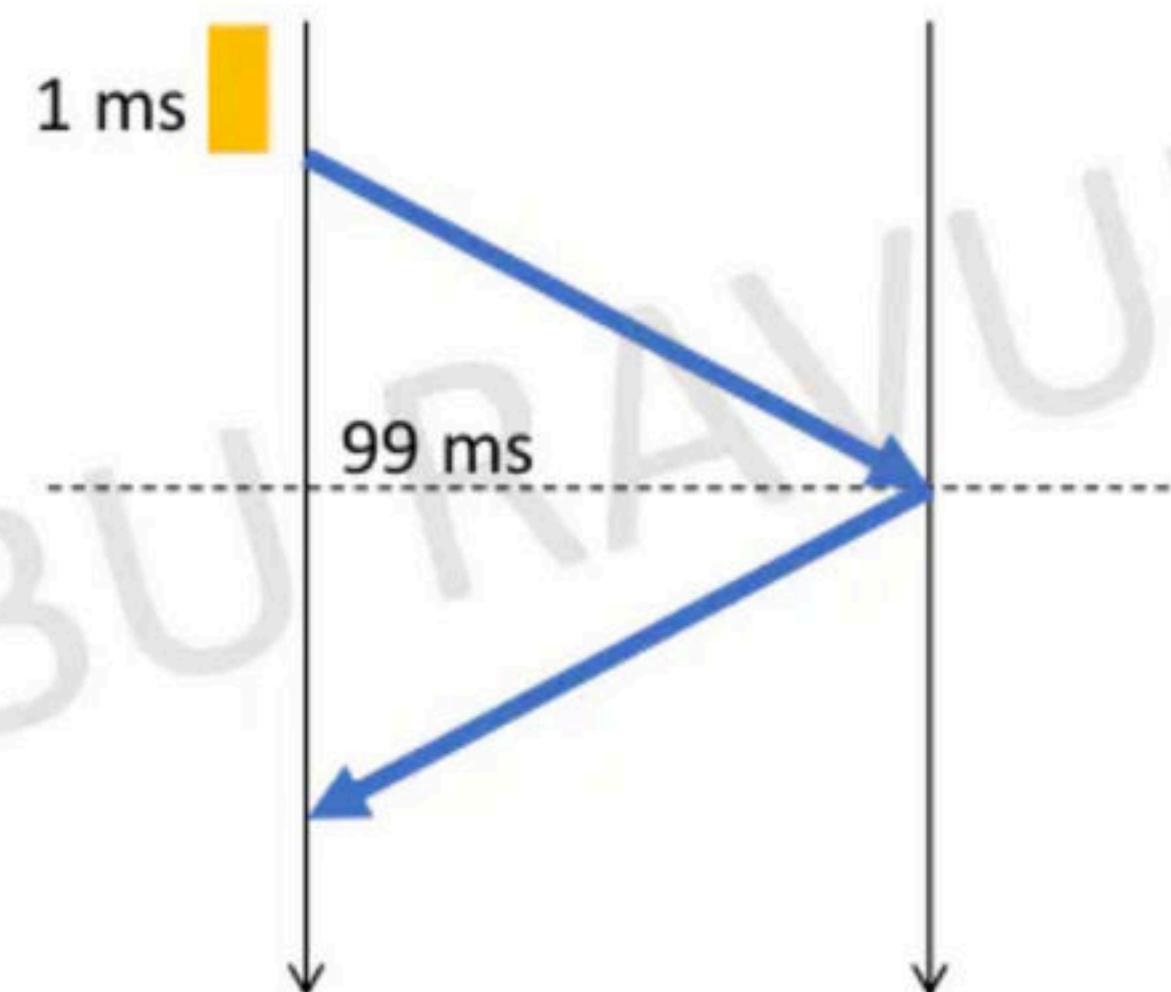
$$\text{Minimum no of bits in seq no field} = ?$$

SOLUTION:

$$W_s = 1 + 2a = 100$$

$$\text{Sequence no} = 1 + 2a = 100$$

$$\text{Minimum no of bits in seq no field} = \lceil \log_2(100) \rceil = 6.8 = 7$$



NOTE:

Sometimes, the minimum no of bits in sequence no field (n) is already given in such cases:

$$W_s = \min (1+2a, 2^n)$$