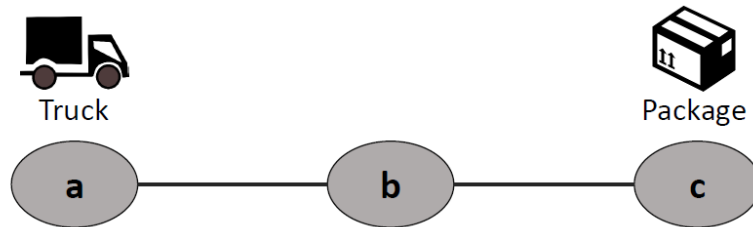


Logistic Problem 1

1 Logistic Problem I

Consider the following logistic problem. There are three locations a , b and c , with a truck at a and package at c . The truck is able perform the following actions: (i) $\text{move}(x,y)$: move from location x to y ; (ii) $\text{load}(x)$: load a package at location x ; and (iii) $\text{unload}(x)$: unload the package at location x .



Given the start state in the above diagram, your goal is to get the package to location b . Formulate this logistic problem using the STRIPS representation and answer the following:

- List down the propositional variables (facts).
- Specify the operators (actions), including the pre-conditions and post-conditions.
- Specify the initial state.
- List down the goal state/specification.

a) STRIPS Predicate

- $\text{truckAt}(\text{location})$
- $\text{at}(\text{location}, \text{package})$
- $\text{free}(\text{truck})$
- $\text{carry}(\text{package}, \text{truck})$
- $\text{canMove}(\text{locX}, \text{locY})$

b) STRIPS Operators

- $\text{move}(\text{locX}, \text{locY})$
 - pre: $\text{truckAt}(\text{locX}), \text{canMove}(\text{locX}, \text{locY})$
 - add: $\text{truckAt}(\text{locY})$
 - del: $\text{truckAt}(\text{locX})$
- $\text{load}(\text{locX})$
 - pre: $\text{at}(\text{locX}, \text{package}), \text{truckAt}(\text{locX}), \text{free}(\text{truck})$
 - add: $\text{carry}(\text{package}, \text{truck})$
 - del: $\text{free}(\text{truck}), \text{at}(\text{locX}, \text{package})$
- $\text{unload}(\text{locY})$
 - pre: $\text{truckAt}(\text{locY}), \text{carry}(\text{package}, \text{truck})$
 - add: $\text{at}(\text{locY}, \text{package}), \text{free}(\text{truck})$
 - del: $\text{carry}(\text{package}, \text{truck})$

c) STRIPS Initial State

{ $\text{truckAt}(a)$, $\text{free}(\text{truck})$, $\text{at}(c, \text{package})$,
 $\text{canMove}(a, b)$, $\text{canMove}(b, a)$, $\text{canMove}(b, c)$, $\text{canMove}(c, b)$ }

d) STRIPS Goal State

{ at(b, package) }

Logistic Problem 2

2 Logistic Problem II

Based on your STRIPS formulation from Q1 (Logistic Problem I), answer the following:

- What is the optimal solution to this problem?
- Make this a delete-relaxed problem. What are the changes to the original STRIPS formulation you made?
- Based on this delete-related problem, list down all the facts F_x and actions A_x at levels $x = \{0, 1, \dots, M\}$.

a) Optimal Solution

[move(a, b), move(b, c), load(c), move(c, b), unload(b)]

b) Delete Relaxed Problem

- move(locX, locY)
 - pre: truckAt(locX), canMove(locX, locY)
 - add: truckAt(locY)
 - ~~del: truckAt(locX)~~
- load(locX)
 - pre: at(locX, package), truckAt(locX), free(truck)
 - add: carry(package, truck)
 - ~~del: free(truck), at(locX, package)~~
- unload(locY)
 - pre: truckAt(locY), carry(package, truck)
 - add: at(locY, package), free(truck)
 - ~~del: carry(package, truck)~~

c) Delete Relaxed F & A

- F_0 = truckAt(a), free(truck), at(c, package), canMove(a, b), canMove(b, a), canMove(b, c), canMove(c, b)
- A_0 = move(a, b)
- F_1 = truckAt(a), truckAt(b), free(truck), at(c, package), canMove(a, b), canMove(b, a), canMove(b, c), canMove(c, b)
- A_1 = move(b, c)
- F_2 = truckAt(a), truckAt(b), truckAt(c), free(truck), at(c, package), canMove(a, b), canMove(b, a), canMove(b, c), canMove(c, b)
- A_2 = load(c)
- F_3 = truckAt(a), truckAt(b), truckAt(c), carry(package, truck), free(truck), at(c, package), canMove(a, b), canMove(b, a), canMove(b, c), canMove(c, b)
- A_3 = unload(b)
- F_4 = truckAt(a), truckAt(b), truckAt(c), carry(package, truck), free(truck), at(c, package), **at(b, package)**, canMove(a, b), canMove(b, a), canMove(b, c), canMove(c, b) #GOAL

Logistic Problem 3

3 Logistic Problem III

Based on your answer from Q2 (Logistic Problem II), answer the following:

- What is the optimal solution to this delete-relaxed problem? What is this heuristic called?
- What is the value of h_{add} ? Explain why.
- What is the value of h_{max} ? Explain why.

a) Delete Relaxed Optimal Solution

[move(a, b), move(b, c), load(c), unload(b)], h+ heuristic

b) Value of h-add

h-add = 4 (only 1 goal fact, which is at(b, package) which happens at F4)

c) Value of h-max

h-max = 4 (only 1 goal fact, which is at(b, package) which happens at F4)

Generic Planning 1

4 Generic Planning I

Consider a STRIPS problem with propositional variables (facts) m, n, o, p , and the below STRIPS actions with their pre/post-conditions.

Action	Pre	Add	Del
A	m	n,o	\emptyset
B	m,o	p	m
C	p	m	p
D	n,o	p	o

Given an initial state $s = \{m\}$ and goal specification $g = \{m, n, o, p\}$, answer the following questions:

- What is the value of h_+ ? Explain why.
- What is the value of h_{add} ? Explain why.
- What is the value of h_{max} ? Explain why.

- F0 = m
- A0 = A
- F1 = m, n, o
- A1 = B, D
- F2 = m, n, o, p

a) Value of h+

h+ = 2 (min number of required to achieve all, which happens at F2)

b) Value of h-add

h-add = 4 (add cost of m, n, o, p = 0 + 1 + 1 + 2 = 4)

c) Value of h-max

h-max = 2 (max cost of m, n, o, p which is p at F2)

Generic Planning 2

5 Generic Planning II

Based on the same STRIPS formulation in Q4 (Generic Planning I). Now, based on initial state $s = \{p\}$ and goal specification $g = \{m, n, o, p\}$, answer the following questions:

- a.) What is the value of h_+ (if any)? Explain why.
- b.) What is the value of h_{add} (if any)? Explain why.
- c.) What is the value of h_{max} (if any)? Explain why.

- $F0 = p$
- $A0 = C$
- $F1 = p, m$
- $A1 = A$
- $F2 = m, n, o, p$

d) Value of h_+

$h_+ = 2$ (min number of required to achieve all, which happens at F2)

e) Value of h_{add}

$h_{add} = 5$ (add cost of m, n, o, p = $1 + 2 + 2 + 0 = 5$)

f) Value of h_{max}

$h_{max} = 2$ (max cost of m, n, o, p, which is n and o at F2)