

MIST

Start->

```
#include<bits/stdc++.h>
using namespace std;

#define ll long long
const int M=1e9+7;
const ll infinity = LLONG_MAX;
int dx[]={1,0,-1,0,1,1,-1,-1};//Right,Down,Left,Up,Right-
Up,Right-Down,Left-Up,Left-Down
int dy[]={0,-1,0,1,1,-1,1,-1};
inline ll lcm(ll a,ll b) {return (a*b)/__gcd(a,b);}

#define rall(v) v.rbegin(),v.rend()
#define all(v) v.begin(),v.end()
#define print(x) cout<<x<<'\n';
#define YES cout<<"YES\n";
#define NO cout<<"NO\n";

void solve()
{
}

int main()
{
    ios_base::sync_with_stdio(false);
    cin.tie(NULL);
    cout.tie(NULL);

    int t=1;
    cin>>t;

    for(int i=1;i<=t;i++)
    {
        //cout<<"Case "<<i<<": ";
        solve();
    }
}
```

bfs matrix ➔

```

void bfs(int i,int j)
{
    vis[i][j]=1;
    queue<pair<int,int>> q;
    q.push({i,j});

    while(!q.empty())
    {
        if(vis[hx][hy]) return;
        pair<int,int> p = q.front();
        q.pop();
        int x=p.first,y=p.second;

        for(int a=0;a<4;a++)
        {
            int new_x=x+dx[a];
            int new_y=y+dy[a];
            if(!vis[new_x][new_y] && new_x>=0 && new_x<n
&& new_y>=0 && new_y<m && g[new_x][new_y]!='#')
            {
                vis[new_x][new_y]=1;
                q.push({new_x,new_y});
                dis[new_x][new_y]=dis[x][y]+1;
            }
        }
    }
}

```

bfs path finding ➔

```

vector<vector<int>> graph;
map<int,int> mp;//parent,child
vector<bool> vis;
int n,m;

```

```

void bfs()
{
    vector<int> parent,path;
    queue<int> q;
    q.push(0);
    mp[0]=-1;
    vis[0]=true;

    while(q.size())
    {
        int parent=q.front();
        q.pop();

        for(auto child : graph[parent])
        {
            if(!vis[child])
            {

```

```

                vis[child]=true;
                mp[child]=parent;
                q.push(child);
            }
        }
    }

    for(auto v=n-1;v!=-1;v=mp[v])
    {
        path.push_back(v);
    }

    if(!vis[n-1])
    {
        cout<<"IMPOSSIBLE\n";
        return;
    }
    cout<<path.size()<<endl;
    for(int i=path.size()-1;i>=0;i--)
    {
        cout<<path[i]+1<<" ";
    }
}

```

dfs ➔

```

void dfs(int index)
{
    vis[index]=1;
    cnt++;
    for(auto num : g[index])
    {
        if(!vis[num]) dfs(num);
    }
}

```

dfs matrix ➔

```

void dfs(int x,int y){
    vis[x][y]=true;

    for(int i=0;i<4;i++)
    {
        int new_x=x+dx[i];
        int new_y=y+dy[i];

        if(new_x<n && new_y<m && new_x>=0 && new_y>=0
&& !vis[new_x][new_y] && g[new_x][new_y]=='@')
        {
            dfs(new_x,new_y);
        }
    }
}

```

dijkstra ➔

```

const ll infinity = LLONG_MAX;
ll n;
vector<vector<pair<ll, ll>>> graph;

//It doesn't work for negative cycle
void dijkstra(ll source) {
    ll mx = 0, cnt = 0;
    vector<ll> distance(n, infinity);
    distance[source] = 0;
    priority_queue<pair<ll, ll>, vector<pair<ll, ll>>, greater<pair<ll, ll>>> pq;
    pq.push({0, source});

    while (!pq.empty()) {
        ll parent_node = pq.top().second;
        ll parent_weight = pq.top().first;
        pq.pop();

        if (parent_weight > distance[parent_node]) continue;

        for (auto child : graph[parent_node]) {
            ll child_node = child.first;
            ll child_weight = child.second;

            if (child_weight + parent_weight <
            distance[child_node]) {
                distance[child_node] = child_weight +
                parent_weight;
                pq.push({distance[child_node], child_node});
            }
        }
    }
}

```

Dijkstra for probability ➔

```

class Solution {
public:
    int n;
    vector<vector<pair<int, float>>> graph;

    double dijkstra(int src, int dst)
    {
        priority_queue<pair<double, int>> pq;
        pq.push({1.0, src});
        vector<double> max_prob(n, 0.0);
        max_prob[src] = 1.0;

        while (!pq.empty())
        {
            int parent_node = pq.top().second;
            double parent_probability = pq.top().first;
            pq.pop();

```

```

            if (parent_node == dst) return parent_probability;

            for (auto child : graph[parent_node])
            {
                int child_node = child.first;
                double child_probability = child.second;

                if (parent_probability * child_probability > max_prob[child_node])
                {
                    max_prob[child_node] = parent_probability * child_probability;
                    pq.push({max_prob[child_node], child_node});
                }
            }
        }
        return 0.0;
    }

    double maxProbability(int n, vector<vector<int>>& edges, vector<double>& succProb, int start_node, int end_node)
    {
        this->n = n;

        graph.resize(n);

        for (int i = 0; i < edges.size(); i++)
        {
            graph[edges[i][0]].push_back({edges[i][1], succProb[i]});
            graph[edges[i][1]].push_back({edges[i][0], succProb[i]});
        }

        return dijkstra(start_node, end_node);
    };
}

```

Dijkstra matrix →

```
int n,m;
vector<vector<int>> graph;

void dijkstra()
{
    vector<vector<ll>> dist(n, vector<ll>(m, infinity));
    priority_queue<pair<ll, pair<int, int>>, vector<pair<ll, pair<int, int>>>, greater<pair<ll, pair<int, int>>>> pq;

    pq.push({graph[0][0],{0,0}});
    dist[0][0]=graph[0][0];

    while(!pq.empty())
    {
        int node_i=pq.top().second.first;
        int node_j=pq.top().second.second;
        int node_weight=pq.top().first;

        pq.pop();
        if(node_weight>dist[node_i][node_j]) continue;

        for(int i=0;i<4;i++)
        {
            int neighbour_i=node_i+dx[i];
            int neighbour_j=node_j+dy[i];

            if(neighbour_i>=0 && neighbour_j>=0 &&
neighbour_i<n && neighbour_j<m &&
graph[neighbour_i][neighbour_j]+node_weight<dist[neigh-
bour_i][neighbour_j])
            {
                int
neighbour_weight=graph[neighbour_i][neighbour_j];

                dist[neighbour_i][neighbour_j]=neighbour_weight+node_
weight;

                pq.push({dist[neighbour_i][neighbour_j],{neighbour_i,neig-
hbour_j}});
            }
        }

        cout<<dist[n-1][m-1]<<endl;
    }
}
```

Floyd Warshall →

```
//dijkstra cannot work for negative cycle but it can work in
negative cycle
```

```
class Solution {
public:
```

```
vector<vector<int>> graph;
```

```
bool floydwarshall(int n)
{
    for(int k=0;k<n;k++)
        for(int i=0;i<n;i++)
            for(int j=0;j<n;j++)
                if(graph[i][k]<INT_MAX &&
graph[k][j]<INT_MAX)

graph[i][j]=min(graph[i][j],graph[i][k]+graph[k][j]);

//detect negative cycle
for(int i=0;i<n;i++)
    if(graph[i][i]<0)
        return true;

return false;
}

int networkDelayTime(vector<vector<int>>& times, int n,
int k) {
    graph.assign(n,vector<int>(n,INT_MAX));
    for(int i=0;i<n;i++) graph[i][i]=0;
    for(auto x : times)
    {
        int u= x[0]-1;
        int v= x[1]-1;
        int w=x[2];
        graph[u][v]=w;
    }
    floydwarshall(n);
    int time=-1;
    k--;
    /*for(int i =0;i<n;i++)
    {
        for(int j=0;j<n;j++)
        {
            if(graph[i][j]==INT_MAX) cout<<" ";
            else cout<<graph[i][j]<<" ";
        }
        cout<<endl;
    }*/
    for(int i =0;i<n;i++)
    {
        if(graph[k][i]==INT_MAX) return -1;
        if(graph[k][i]!=INT_MAX)time=max(graph[k][i],time);
    }

    return time;
};
```

Bellman Ford ➔

Used for detecting negative cycle

```

|| n;

bool bell_man_ford(vector<vector<ll>> &edges)
{
    //vector<vector<ll>> edges(m, vector<ll>(3,0));
    vector<ll> distance(n, infinity);
    distance[0]=0;

    for(|| i=0;i<n-1;i++)
    {
        for(auto edge : edges)
        {
            || source=edge[0];
            || destination=edge[1];
            || weight=edge[2];

            if(distance[destination]>distance[source]+weight)
                distance[destination]=distance[source]+weight;
        }
    }

    for(auto edge : edges)
    {
        || source=edge[0];
        || destination=edge[1];
        || weight=edge[2];

        if(distance[destination]>distance[source]+weight)
            return true;
    }
    return false;
}

```

Krushkal ➔

```

class KruskalMST {
public:
    int n; // number of nodes
    vector<int> parent;
    vector<tuple<int, int, int>> edges;

    KruskalMST(int nodes) {
        n = nodes;
        parent.resize(n);
        iota(parent.begin(), parent.end(), 0); // parent[i] = i
    }

    void add_edge(int u, int v, int w) {
        edges.push_back({w, u, v});
    }
}

```

}

```

int find_parent(int u) {
    if (parent[u] == u) return u;
    return parent[u] = find_parent(parent[u]);
}

bool union_sets(int u, int v) {
    int pu = find_parent(u);
    int pv = find_parent(v);
    if (pu != pv) {
        parent[pu] = pv;
        return true;
    }
    return false;
}

int get_mst_weight() {
    sort(all(edges));
    int total_weight = 0;
    for (auto [w, u, v] : edges) {
        if (union_sets(u, v)) {
            total_weight += w;
        }
    }
    return total_weight;
};

```

Segment Tree ➔

vector<int> v, seg; // v(n+1) since it's 1 base indexing
seg(4*n)

```

int build(int start, int end, int node)
{
    if(start==end) return seg[node]=v[start];

    int mid=(start+end)/2;
    int left = build(start, mid, 2*node);
    int right = build(mid+1, end, 2*node+1);

    return seg[node]=left+right; //
    seg[node]=seg[2*node]+seg[2*node+1] can be used
}

void update(int start, int end, int node, int ind, int val)
{
    if(start==end && end==ind) seg[node]+=val; // end == ind
    is optional
}

```

```

int mid=(start+end)/2;
if(ind<=mid) update(start,mid,2*node,ind,val); //update
the left sub-tree
else update(mid+1,end,2*node+1,ind,val); //update the
right sub-tree

seg[node]=seg[2*node]+seg[2*node+1]; //update the
root for left and right sub-tree
}

int query(int start,int end,int node,int l,int r)
{
    //l for left of range in query r for right of range in query
    if(r<start || l>end) return 0; // l..r...start...end or
start...end...l...r
    if(l<=start && r>=end) return seg[node];
//l...start...end...r

    int mid=(start+end)/2;
    int left = query(start,mid,2*node,l,r);
    int right = query(mid+1,end,2*node+1,l,r);
    return left+right;
}

```

Lazy Segment Tree →

```

vector<ll> seg, lazy;

void propagate(int node, int range_i, int range_j) {
    if (lazy[node] != 0) {
        seg[node] += (range_j - range_i + 1) * lazy[node];
        if (range_i != range_j) {
            lazy[2*node] += lazy[node];
            lazy[2*node+1] += lazy[node];
        }
        lazy[node] = 0;
    }
}

void update(int i, int j, int val, int node, int range_i, int
range_j) {
    propagate(node, range_i, range_j);
    if (range_i > j || range_j < i) return;
    if (range_i >= i && range_j <= j) {
        lazy[node] += val;
        propagate(node, range_i, range_j);
        return;
    }
    int mid = (range_i + range_j) / 2;
    update(i, j, val, 2*node, range_i, mid);
}

```

```

update(i, j, val, 2*node+1, mid+1, range_j);
seg[node] = seg[2*node] + seg[2*node+1];
}

ll query(int i, int j, int node, int range_i, int range_j) {
    propagate(node, range_i, range_j);
    if (range_i > j || range_j < i) return 0;
    if (range_i >= i && range_j <= j) return seg[node];
    int mid = (range_i + range_j) / 2;
    return query(i, j, 2*node, range_i, mid) + query(i, j,
2*node+1, mid+1, range_j);
}

```

Binary exponentiation → (recursion)

```
ll bin_exp(ll a,ll b,ll c)
{ // (a^b)%c
    if(b==0) return 1;
    ll res=pow(a,b/2,c);
    res=(res*res)%c;
    if(b%2) return (res*a)%c;
    else return res;
}
```

Binary exponentiation →

```
ll bin_exp(ll base, ll exp, ll mod) {
    ll result = 1;
    base %= mod;
    while (exp > 0) {
        if (exp & 1) result = (result * base) % mod;
        base = (base * base) % mod;
        exp >>= 1;
    }
    return result;
}
```

Matrix exponentiation →

```
void multiplication(vector<vector<int>>
&mat,vector<vector<int>> &mat2,int m_size)
{
    vector<vector<int>> tmp(m_size, vector<int>(m_size,
0));
    for(int i=0;i<m_size;i++)
        for(int j=0;j<m_size;j++)
            for(int k=0;k<m_size;k++)
                tmp[i][j] = (tmp[i][j] + 1LL * mat[i][k] * mat2[k][j]
% M) % M;

    mat=tmp;
}
```

```
void exp(vector<vector<int>> &mat,int p,int m_size)
{
    vector<vector<int>>
result(m_size,vector<int>(m_size,0));
    for(int i=0;i<m_size;i++) result[i][i]=1;

    while(p>0){
        if(p%2) multiplication(result,mat,m_size);
        multiplication(mat,mat,m_size);
        p/=2;
    }
    mat=result;
}
```

Prime factorization →

```
void primeFactorization(int n) {
    // Print the number of 2s that divide n
    while (n % 2 == 0) {
        cout << 2 << " ";
        n /= 2;
    }
```

// n must be odd at this point. So we can skip even numbers (i.e., step by 2)

```
for (int i = 3; i * i <= n; i += 2) {
    // While i divides n, print i and divide n
    while (n % i == 0) {
        cout << i << " ";
        n /= i;
    }
}
```

// This condition is to handle the case when n is a prime number greater than 2

```
if (n > 2)
    cout << n << " ";
}
```

Seive →

```
const int N=1e7+10;
vector<bool> is_prime(N,true);
void seive()
{
    is_prime[0]=is_prime[1]=false;
    for(int i=2;i*i<N;i++)
        if(is_prime[i])
            for(int j=i*i;j<N;j+=i)
                is_prime[j]=false;
}
```

Prime check →

```
bool isPrime(int n) {
    // Handle base cases
    if (n <= 1) return false;
    if (n == 2 || n == 3) return true;
    if (n % 2 == 0 || n % 3 == 0) return false;

    // Check for factors from 5 to √n
    for (int i = 5; i * i <= n; i += 6) {
        if (n % i == 0 || n % (i + 2) == 0) {
            return false;
        }
    }
    return true;
}
```

Fermat prime test ➔

```
bool isProbablyPrimeFermat(ll n, int iterations = 5) {
    if (n <= 3) return n > 1;
    if (n % 2 == 0) return false;

    for (int i = 0; i < iterations; ++i) {
        ll a = 2 + rand() % (n - 3); // a in [2, n-2]
        if (bin_exp(a, n - 1, n) != 1)
            return false;
    }
    return true;
}
```

Spf ➔

```
int spf[N];

void Spf() {
    for(int i=2;i<=N;i++) spf[i]=i;

    for(int i=2;i*i<N;i++)
        if(spf[i]==i)
            for(int j=i*i;j<N;j+=i)
                if(spf[j]==j) spf[j]=i;
}
```

All factor of a number ➔

```
cin>>n;
for(int i=1;i*i<=n;i++)
    if(n%i==0)
        if(n/i==i) cout<<i<<" ";
        else cout<<i<<" "<<n/i<<" ";
```

Kmp ➔

```
vector<int> lps;
string txt,pat;
int n,m;

void lps_cal()
{
    int i=1,len=0;

    while(i<m)
    {
        if(pat[i]==pat[len])
        {
            len++;
            lps[i]=len;
            i++;
        }
        else
        {
```

```
            if(len==0) i++;
            else len=lps[len-1];
        }
    }
}

void kmp()
{
    m=pat.length();
    n=txt.length();
    lps_cal();
    int i=0,j=0;
    vector<int> v;

    while(i<n)
    {
        if(txt[i]==pat[j])
        {
            i++;
            j++;
        }
        else
        {
            if(j==0) i++;
            else j=lps[j-1];
        }

        if(j==m)
        {
            cout<<i-j<<endl;
            j=lps[j-1];
        }
    }
}
```

String hashing ➔

```
class Hash
{
    private:
        int
n,mod1=1e9+7,mod2=1e9+9,base1=2147483647,base2=
2147476381;
        string str;
        vector<int> ph1,ph2;
        vector<int> pow1,pow2;

        void prefix_hash()
        {
            int x=0,y=0;
            pow1[0]=1,pow2[0]=1;

            for(int i=0;i<n;i++)
            {
```

```

    pow1[i+1]=(1LL*pow1[i]*base1)%mod1;
    pow2[i+1]=(1LL*pow2[i]*base2)%mod2;
    x=(1LL*x*base1+str[i])%mod1;
    y=(1LL*y*base2+str[i])%mod2;
    ph1[i]=x;
    ph2[i]=y;
}
}

public:
Hash(string s)
{
    str=s;
    n=str.size();
    ph1.resize(n);
    ph2.resize(n);
    pow1.resize(n+1);
    pow2.resize(n+1);
    prefix_hash();
}

pair<int,int> cal_hash(int left,int right)
{
    if(left==0) return {ph1[right],ph2[right]};
    else
    {
        int x=((ph1[right]-(1LL*ph1[left-1])*pow1[right-left+1])%mod1)+mod1)%mod1;
        int y=((ph2[right]-(1LL*ph2[left-1])*pow2[right-left+1])%mod2)+mod2)%mod2;
        return {x,y};
    }
}
};


```

Knapsack→

```

// Function to solve the 0/1 Knapsack problem using
dynamic programming
int knapsack(vector<int>& wt, vector<int>& val, int n, int
W) {
    // Create a 2D DP table with dimensions n x W+1 and
    initialize it with zeros
    vector<vector<int>> dp(n, vector<int>(W + 1, 0));

    // Base condition: Fill in the first row for the weight of
    the first item
    for (int i = wt[0]; i <= W; i++) {
        dp[0][i] = val[0];
    }

    // Fill in the DP table using a bottom-up approach
    for (int ind = 1; ind < n; ind++) {

```

```

        for (int cap = 0; cap <= W; cap++) {
            // Calculate the maximum value by either excluding
            the current item or including it
            int notTaken = dp[ind - 1][cap];
            int taken = INT_MIN;

            // Check if the current item can be included without
            exceeding the knapsack's capacity
            if (wt[ind] <= cap) {
                taken = val[ind] + dp[ind - 1][cap - wt[ind]];
            }

            // Update the DP table
            dp[ind][cap] = max(notTaken, taken);
        }
    }

    // The final result is in the last cell of the DP table
    return dp[n - 1][W];
}

```

Convex Hull->

```

ll area(vector<pair<ll,ll>> &v)
{
    ll ar=0,n=v.size();
    for(int i=0;i<n;i++)
    {
        ar+=v[i].first*v[(i+1)%n].second-
v[i].second*v[(i+1)%n].first;
    }

    return ar;
}

ll cross(pair<ll,ll> a,pair<ll,ll> b,pair<ll,ll> c)
{
    return (b.first-a.first)*(c.second-a.second)-(c.first-
a.first)*(b.second-a.second);
}

void solve()
{
    ll n;
    while(cin>>n && n)
    {
        vector<pair<ll,ll>> v(n),lower,upper;

        for(auto &[x,y] : v) cin>>x>>y;
        sort(all(v));

        for(int i=0;i<n;i++)
        {
            while(lower.size()>=2 && cross(lower[lower.size()-2],lower.back(),v[i])<=0) lower.pop_back();

```

```
    lower.push_back(v[i]);
}
for(int i=n-1;i>=0;i--)
{
    while(upper.size()>=2 && cross(upper[upper.size()-2],upper.back(),v[i])<=0) upper.pop_back();
    upper.push_back(v[i]);
}

upper.pop_back();
lower.pop_back();

lower.insert(lower.end(),upper.begin(),upper.end());

double ar=area(lower);

cout<<ar/2<<'\n';
}
}
```