# Vignette for R package rodeo

# David Kneis, david.kneis [at] tu-dresden.de September 16, 2016

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## 1 When to use this package

The rodeo package facilitates the implementation of ODE-based models. These are models that describe the dynamics of a set of n state variables by integrating a set of n ordinary differential equations. The package is particularly useful in conjunction with the deSolve package (http://cran.r-project.org/package=deSolve) providing numerical solvers for initial value problems. The advantages from using rodeo are:

- Models are defined using plain tabular text files or spreadsheets. Thus, the model is formulated independent from source code. This facilitates documentation, portability, and re-use.
- You are forced to provide the model in stoichiometry matrix notation (see <a href="http://en.wikipedia.org/wiki/Petersen\_matrix">http://en.wikipedia.org/wiki/Petersen\_matrix</a>). Although this is a restriction, it is a very useful one and benefit is almost guaranteed.
- Owing to the matrix notation, redundant terms are eliminated from the differential equations. This contributes to comprehensibility and increases computational efficiency. The stoichiometry matrix can also be visualized to better communicate the model to users or non-modelers.
- rodeo provides a code generator which supports R and Fortran as target languages. Using compiled Fortran can speed up numerical integration by 1 or 2 orders of magnitude (compared to plain R).
- Code can be generated for an arbitrary number of sections (e.g. control volumes in a spatially discretized model). This allows even partial differential equations (e.g. reactive transport problems) to be tackled by means of semi-discretization (see http://en.wikipedia.org/wiki/Method\_of\_lines).

## 2 Example problem

The functioning of the package is best illustrated by an example. In this document, we consider a continuous flow stirred tank reactor (CFSTR) containing a degradable organic matter (concentration c\_z) and dissolved oxygen, c\_do (Fig. 1). Due to mixing, the reactors contents is spatially homogeneous, hence the concentrations are scalars. Changes in concentrations are triggered by

- 1. the loads in the reactor's inflow,
- 2. aerobic degradation of the organic matter (1st order) which consumes dissolved oxygen,
- 3. exchange of oxygen with the atmosphere.

Some specific aspects of the model are as follows:

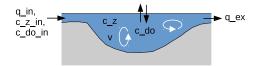


Figure 1: Sketch of considered system.

Table 1: Declaration of identifiers (data set 'exampleIdentifiers'). The type column indicates whether an item is a state variable (v), parameter (p), or function (f).

html	tex	description	unit	type	name
c <sub>DO</sub>	c_{DO}	dissolved 02	mg/l	v	c_do
c <sub>Z</sub>	c_Z	${\tt degradable\ org.\ matter\ Z}$	mg/l	v	c_z
v	v	water volume in reactor	mЗ	v	v
q <sub>in</sub>	$q_{in}$	inflow rate	m3/s	p	q_in
q <sub>ex</sub>	$q_{ex}$	outflow rate	m3/s	p	q_ex
k <sub>d</sub>	k_d	decay rate	1/d	p	kd
s <sub>DO,Z</sub>	$s_{D0,Z}$	stoichiometry (02/Z)	g/g	р	s_do_z
h <sub>DO</sub>	h_{D0}	half-saturation 02	g/m3	р	h_do
T	T	temperature	degC	р	temp
W	W	wind speed	m/s	p	wind
D	D	water depth	m	р	depth
02 <sub>sat</sub>	$02_{sat}$	02 saturation, f(temp)	mg/l	f	02sat
k <sub>a</sub>	k_a	aeration, f(wind, depth)	1/d	f	ka
monod	monod	monod model	-	f	monod
c <sub>Z,in</sub>	$c_{Z,in}$	Z in inflow, f(time)	g/m3	f	c_z_in
	a (DO im)	02 in inflow, f(time)	g/m3	f	c_do_in

- The dependence of aerobic degradation on available oxygen is described with a Monod term (Michaelis-Menten model).
- The rate of oxygen exchange between water and atmosphere is described as an empirical function of water depth and wind speed.
- The model does *not* assume steady flow conditions, hence the volume of the reactor is a state variable too.

Using rodeo, the model can be described using just tabular text files (Tables 1-3). These files are shipped with the package and can be loaded with R's data method.

Table 2: Specification of processes (data set 'exampleProcesses').

```
name unit description expression flow m3/s water balance q_in - q_ex flushing 1/s flushing rate q_in / v decay g/m3/s decay of z kd * c_z * monod(c_do, h_do) aeration g/m3/s 02-exchange ka(wind,depth) * (02sat(temp) - c_do)
```

Table 3: Specification of stoichiometric factors (data set 'exampleStoichiometry').

## 3 Basic use

## 3.1 Creating and inspecting a model object

We start by loading the package and the example data.

```
library(rodeo, quietly=TRUE)
# Load sample data frames (contents shown above)
data(exampleIdentifiers, exampleProcesses, exampleStoichiometry)
```

Then, a new object is created with new. This requires us to supply the name of the class, data frames for initialization, as well as the number of sections. Here, we create a zero-dimensional model (single section).

```
# Instantiate new object
model <- rodeo$new(vars=subset(exampleIdentifiers,type=="v"),
    pars=subset(exampleIdentifiers,type=="p"),
    funs=subset(exampleIdentifiers,type=="f"),
    pros=exampleProcesses,
    stoi=exampleStoichiometry,
    size=1)

To inspect the object's contents, we can use the following:

# Automatic print method
print(model)
# Show stoichiometry information as a matrix
print(model$stoichiometry())</pre>
```

## 3.2 Defining functions and supplying data

In order to work with the object, we need to define functions that are referenced in the model's mathematical expressions. This includes the forcings which are functions of a special argument with the reserved name 'time'. See Sect. 4.3 for details.

```
# 'normal' functions
02sat <- function(t) {
   14.652 - 0.41022*t + 0.007991*t^2 - 0.000077774*t^3
}
ka <- function(u, d) {
   (0.728*sqrt(u) - 0.317*u + 0.0372*u^2) / d / 86400
}
monod <- function(s,h) {
   s / (s + h)
}</pre>
```

```
# forcings are functions of special variable 'time'
c_z_in <- function(seconds) {
    0.1 * seconds/(7*86400 + seconds)
}
c_do_in <- function(seconds) {
    10. # taken as constant
}</pre>
```

We also need to set the values of parameters and state variables (initial values) using the dedicated methods setPars and setVars.

```
model$setPars(c(kd=5.78e-7, h_do=0.5, s_do_z=2.76,
  wind=1, depth=2, temp=20, q_in=1, q_ex=1))
model$setVars(c(c_z=1, c_do=9.022, v=1.e6))
```

## 3.3 Computing the stoichiometry matrix

Having defined all functions and having set the values of variables and parameters, one can compute the stoichiometric factors. In general, explicitly computing these factors is not necessary, it may be helpful in debugging however. To do so, the stoichiometry method needs to be supplied with values of all state variables, parameters, as well as a time value (in the case of non-autonomous models).

The stoichiometry matrix is also a good means to communicate a model because it shows the interactions between processes and variables in a concise way. How the stoichiometry matrix can be visualized graphically is demonstrated in Sect. 4.4.2.

## 3.4 Translating the model into source code

In order to use the model for simulation, we need to transfer it into source code. This is also known as *code generation*. Specifically, we want the code generator to create a function that returns the derivatives of the state variables with respect to time. In addition to the derivatives, the generated function also returns the values of all process rates (as diagnostic variables).

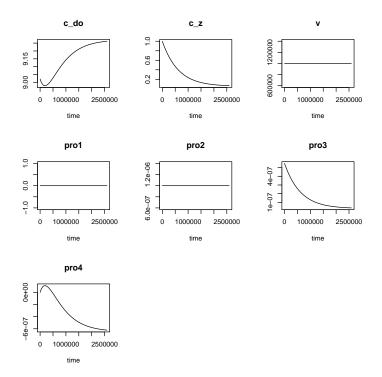
After generating the code, we need to make it executable. In R, we can use a combination of eval and parse. Alternatively, the generated code could be loaded with source after exporting it to a file (e.g. using write). The latter method is needed if one wants to inspect the generated code (or even modify it, which rarely makes sense).

```
code <- model$generate(name="derivs",lang="r")
derivs <- eval(parse(text=code))</pre>
```

## 3.5 Solving the ODE system

We are now ready to compute the evolution of the state variables over time by means of numerical integration. Note that the initial values (argument y of deSolve::ode) and parameters (argument p) are set to the output of the model object's dedicated 'get' methods. This is to make sure that the order of values in the two arrays is consistent with the generated code.

```
library(deSolve)
t <- seq(0, 30*86400, 3600)
out <- ode(y=model$getVars(), times=t, func=derivs,
    parms=model$getPars())
layout(matrix(1:9, ncol=3, byrow=TRUE))
plot(out, mfrow=NULL)
layout(1)</pre>
```



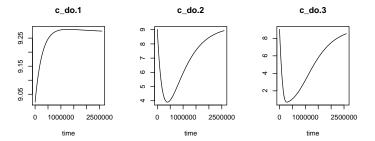
In addition to the dynamics of the state variables, the numerical solver also outputs the dynamics of the process rates. This is valuable information in general and it also facilitates debugging.

## 4 Advanced topics

## 4.1 Spatially distributed systems (multi-section models)

A zero-dimensional case (single reactor) has been considered so far. We will now extend the model for multiple spatial sections, i. e. for a collection of (isolated) reactors. First, we need to create a model object with the desired dimension. Second, the code needs to be re-generated to reflect the altered dimension. Third, initial values and parameters need to be specified as matrices where each row represents a spatial section. In the example, we initialize every modeled reactor with a different concentration of organic matter.

```
# Instantiate new object
model <- rodeo$new(vars=subset(exampleIdentifiers,type=="v"),</pre>
  pars=subset(exampleIdentifiers,type=="p"),
  funs=subset(exampleIdentifiers, type=="f"),
  pros=exampleProcesses,
  stoi=exampleStoichiometry,
  size=3)
code <- model$generate(name="derivs",lang="r")</pre>
derivs <- eval(parse(text=code))</pre>
vars <- cbind(
  c_z=seq(from=0, to=50, length.out=model$size()),
  c_do=rep(9.022, model$size()),
  v=rep(1.e6, model$size()))
pars <-c(kd=5.78e-7, h_do=0.5, s_do_z=2.76, wind=1,
  depth=2, temp=20, q_in=1, q_ex=1)
pars <- matrix(rep(pars, model$size()), nrow=model$size(),</pre>
  byrow=TRUE, dimnames=list(NULL, names(pars)))
model$setPars(pars)
model$setVars(vars)
out <- ode(y=model$getVars(), times=t, func=derivs,</pre>
  parms=model$getPars())
layout(matrix(1:model$size(), nrow=1))
plot(out, which=paste("c_do",1:model$size(),sep="."), mfrow=NULL)
```



#### 4.2 Increasing performance by means of Fortran

Real-world models usually consist of many and lengthy mathematical expressions. Also, depending on the studied problem, the ODE solver may need to use (very) short time steps. Then, computation times become of serious concern. In those time-critical cases, it is recommended to generate source code for a fast, compilable language rather than for (slower) R. The compilable language supported by rodeo is Fortran.

To generate code to compute the state variables' derivatives in Fortran, one would use:

```
code <- model$generate(name="derivs",lang="f95")
# Optionally display generated code
#cat(code)</pre>
```

The generated Fortran subroutine with assumed name derivs has a simple, quite universal interface

```
subroutine derivs(time, var, par, NLVL, dydt, pro)
```

In order to use the numerical solvers from the packages http://cran.r-project.org/package=deSolve or http://cran.r-project.org/package=rootSolve, however, a different interface is required

```
subroutine derivs (neq, t, y, ydot, yout, ip)
```

and an additional subroutine for parameter initialization (initmod) must to be supplied as well (see the deSolve vignette http://cran.r-project.org/web/packages/deSolve/vignettes/compiledCode.pdf, page 6). Consequently, a suitable wrapper code must be written.

In order to make the use of Fortran as simple as possible, the rodeo package provides a high-level class method compile that combines

- 1. generation of the basic Fortran code via the generate method (see above),
- 2. generation of wrapper code for compatibility with deSolve and rootSolve,

- 3. compilation of all Fortran sources into a shared library using the R CMD SHLIB command,
- 4. clean-up of any intermediate files from compilation.

The compile method takes as argument the name of a file holding the Fortran implementation of functions being referenced in the particular model's mathematical expressions (consult Sect. 5 for guidelines). This can actually be a vector of file names if the source code is split.

```
lib <- model$compile(fileFun="functionsCode.f95")</pre>
```

The return value of compile is a vector of character strings holding the name of the generated library (in element libName), the full file path of the library (in element libFile) as well as the name of the callable subroutine within that library (in element libFunc).

A suitable Fortran implementation of the functions used in the example (contents of file 'functionsCode.f95') is shown below. Note that all the functions are collected in a single Fortran module with implicit typing turned off. The name of this module (functions) is mandatory and cannot be changed. Note that a module can import other modules which helps to structure the source code. Also note that the user-supplied source files need to reside in directories with write-access to allow the creation of intermediate files during compilation.

```
module functions
   implicit none
   contains
   double precision function O2sat(t)
     double precision, intent(in):: t
     02sat = 14.652d0 - 0.41022d0*t + 7.991d-3*(t**2d0) - &
       7.7774d-5*(t**3d0)
   end function
   double precision function ka(u, d)
     double precision, intent(in):: u, d
     ka = (0.728d0*sqrt(u) - 0.317d0*u + 0.0372d0*(u**2.d0)) / &
       d / 86400.d0
   end function
   double precision function monod(s, h)
     double precision, intent(in):: s, h
     monod = s / (s + h)
   end function
```

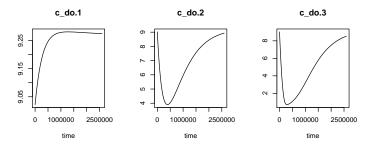
```
double precision function c_z_in(seconds)
  double precision, intent(in):: seconds
  c_z_in= 0.1d0 * seconds/(7d0*86400d0 + seconds)
  end function

double precision function c_do_in(seconds)
  double precision, intent(in):: seconds
  c_do_in= 10.d0
  end function

end module
```

We are now prepared to load the shared library and run the simulation based on the Fortran code. Note the additional arguments dllname, initfunc, and nout being passed to the numerical solver (open the help page for lsoda to see the documentation for them). Setting a wrong value for nout easily makes R crash.

```
dyn.load(lib["libFile"])
out <- ode(y=model$getVars(), times=t, func=lib["libFunc"],
    parms=model$getPars(), dllname=lib["libName"],
    initfunc="initmod", nout=model$lenPros()*model$size())
layout(matrix(1:model$size(), nrow=1))
dyn.unload(lib["libFile"])
plot(out, which=paste("c_do",1:model$size(),sep="."), mfrow=NULL)</pre>
```



## 4.3 Forcings (time-varying parameters)

#### 4.3.1 Two alternative options

In general, there are two options for dealing with time-variable forcings:

functions-of-time: In this approach one needs to define the forcings as functions of a single argument representing time. In rodeo this argument must have

the reserved name time. Use of this approach is most convenient if the forcings are easily described as parametric functions of time (e.g. seasonal change of solar radiation). It can also be used with tabulated time series data, but this requires some extra coding. In any case, it is essential for restrict the integration step size of the solver (e.g. using the hmax argument of deSolve::lsoda) so that short-term variations in the forcings cannot be 'missed'.

stop-and-go: In this approach forcings are implemented as normal parameters. To allow for their variation in time, the ODE solver is interrupted every time when the forcing data change. The solver is then re-started with the updated parameters (i.e. forcing data) using the states computed in the previous call as initial values. Hence, the calls to the ODE solver must be embedded within a time-loop. With this approach, setting a limit on the solver's integration step size (through argument hmax) is not required since the solver is interrupted at the 'critical times' anyway.

In real-world applications, the 'stop-and-go' approach is often simpler to use and the overhead due to interruption and re-start of the solvers seems to be rather small. It also facilitates the generation of useful traceback information in case of exceptions (e.g. due to corrupt time series data).

#### 4.3.2 The 'functions-of-time' approach with Fortran models

This section demonstrates how the 'functions-of-time' approach can be used in Fortran-based models assuming that information on forcings is stored in delimited text files. Such files can be created, for example, with any spreadsheet software, data base system, or R. Assume that we have time series of two meteorological variables exported to a text file 'meteo.txt':

```
dat <- data.frame(time=1:10, temp=round(rnorm(n=10, mean=20, sd=3)),
   humid=round(runif(10)*100))
write.table(x=dat, file="meteo.txt", col.names=TRUE,
   row.names=FALSE, sep="\t", quote=FALSE)
print(dat)</pre>
```

	time	temp	humid
1	1	27	50
2	2	20	41
3	3	24	47
4	4	16	48
5	5	22	4
6	6	21	96
7	7	16	18
8	8	16	88
9	9	25	77
10	10	16	41

We can now call forcingFunctions to generate the appropriate forcing function in Fortran. In this example, we request linear interpolation via the method's mode argument.

```
dat <- data.frame(name=c("temp","humid"),
   column=c("temp","humid"), file="meteo.txt", mode=-1, default=FALSE)
code <- forcingFunctions(dat)
write(x=code, file="forc.f95")
# Optionally inspect generated code
# cat(code)</pre>
```

In order to use the generated code, it is necessary to

- 1. write it to disk (e. g. using write as above),
- 2. declare all forcings as functions in rodeo's respective input table,
- 3. insert the statement use forcings at the top (e. g. line 2) of the Fortran module functions,
- 4. pass the generated file to the compiler along with all other Fortran source files.

The following Fortran code demonstrates how the user-defined forcings can be tested/debugged outside of the rodeo environment. The shown utility program can be compiled, for example, using a command like

```
gfortran <generated_module_file> <file_with_program> -o test
```

Note that the subroutines rwarn and rexit are available automatically if the code is used to build a shared library with R CMD SHLIB, i. e. the subroutines must not be defined then.

```
! auxiliary routines for testing outside R
subroutine rwarn(x)
    character(len=*),intent(in):: x
    write(*,*)x
end subroutine

subroutine rexit(x)
    character(len=*),intent(in):: x
    write(*,*)x
    stop
end subroutine
! test program
program test
```

```
use forcings ! imports generated module with forcing functions
implicit none
integer:: i
double precision, dimension(5):: times= &
  dble((/ 1., 1.5, 2., 2.5, 3. /))

do i=1, size(times)
  write(*,*) times(i), temp(times(i)), humid(times(i))
end do
end program
```

## 4.4 Generating model documentation

#### 4.4.1 Exporting formatted tables

One can use e.g. exportDF to export the object's basic information in a format which is suitable for inclusion in HTML or LATEX documents. The code section

\begin{tabular}{lll}\hline
 \textbf{symbol} & \textbf{unit} & \textbf{description} \\ \hline
 \$c\_{D0}\$ & mg/l & dissolved 02 \\
 \$c\_Z\$ & mg/l & degradable org. matter Z \\
 \$v\$ & m3 & water volume in reactor \\ \hline
\end{tabular}

holding tabular information on the model's state variables. To include the result in a document one needs to write the generated LATEX code to a file for import with either the input or include directive. Things are even simpler if the Sweave pre-processor is used (as in the case of this vignette file). The above R code can then be embedded in the LATEX code between the special markers <<echo=FALSE, results=tex>>= and @ resulting in the following output.

symbol	$\mathbf{unit}$	description
$c_{DO}$	mg/l	dissolved O2
$c_Z$	mg/l	degradable org. matter Z
v	m3	water volume in reactor

Alternatively, a markdown compatible dataframe can be generated and used with the knitr function kable. This will work with html, pdf or even Word (.docx) output. The following code section would create a table of the model's state variables (output not shown).

```
to_markdown <- function(dat, which_cols){
  cols <- which(names(dat) %in% which_cols)
  for(i in cols){
    dat[, i] <- ifelse(dat[, i] != "", pasteO("$", dat[, i], "$"), "")
    }
  return(dat)
}
ids <- model$getVarsTable()[,c("tex", "unit", "description")]
names(ids) <- c("Symbol", "Unit", "Description")
kable(to_markdown(ids, which_cols=c("Symbol")),
    caption= "State variables")</pre>
```

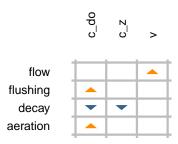
Thanks to Andrew Dolman for the latter example.

#### 4.4.2 Visualizing the stoichiometry matrix

A graphical representation of the stoichiometry matrix is often a good means to communicate a model. To create such a graphics, one typically wants to replace the stoichiometry factors' numeric values by symbols encoding their sign only.

Option 1: Plain R graphics One can use the class method plotStoichiometry to visualize the matrix using standard R graphic facilities as demonstrated below. In practice, one needs to fiddle around a bit with the dimensions of the plot and the font size to get an acceptable scaling of symbols and text. Also, it is hardly possible to nicely display row and column names containing special things like sub- or superscripts.

```
model$plotStoichiometry(section=1, time=0, cex=0.3)
```



**Option 2: TEX** The following example generates suitable code for inclusion in LATEX documents.

```
signsymbol <- function(x) {
   if (as.numeric(x) > 0) return("\\textcolor{orange}{$\\blacktriangle$}")
   if (as.numeric(x) < 0) return("\\textcolor{cyan}{$\\blacktriangledown$}")
   return("")
}

rot90 <- function(x) { paste0("\\rotatebox{90}\\ {$",gsub(pattern="*", replacement="\\cdot ", x=x, fixed=TRUE),"$}") }

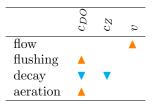
m <- model$stoichiometry(section=1, time=0)

tbl <- cbind(data.frame(process=rownames(m), stringsAsFactors=FALSE),
   as.data.frame(m))

tex <- exportDF(x=tbl, tex=TRUE,
   colnames= setNames(c("",model$getVarsTable()$tex[match(colnames(m), colnames(m)])</pre>
```

```
model$getVarsTable()$name)]), names(tbl)),
funHead= setNames(replicate(ncol(m),rot90), colnames(m)),
funCell= setNames(replicate(ncol(m),signsymbol), colnames(m)),
lines=TRUE
)
tex <- pasteO("%\n% THIS IS A GENERATED FILE\n%\n", tex)
# write(tex, file="/home/dkneis/temp/stoichiometry.tex")</pre>
```

The contents of the variable tex must be written to a text file and this file is then imported in LATEX with the input directive. The result looks as follows:



**Option 3: HTML** The following example generates suitable code for inclusion in HTML documents.

```
signsymbol <- function(x) {
   if (as.numeric(x) > 0) return("&#9651;")
   if (as.numeric(x) < 0) return("&#9661;")
   return("")
}

m <- model$stoichiometry(section=1, time=0)
tbl <- cbind(data.frame(process=rownames(m), stringsAsFactors=FALSE),
   as.data.frame(m))
html <- exportDF(x=tbl, tex=FALSE,
   colnames= setNames(c("Process",model$getVarsTable()$html[match(colnames(m),
        model$getVarsTable()$name)]), names(tbl)),
   funCell= setNames(replicate(ncol(m),signsymbol), colnames(m))
)
html <- paste("<html>", html, "</html>", sep="\n")
# write(html, file="/home/dkneis/temp/stoichiometry.html")
```

To test this, one needs to write the contents of the variable html to a text file and open that file in a web browser. In some cases, automatic conversion of the generated HTML into true graphics formats may be possible, e. g. using auxiliary tools like html2ps and convert (on Linux systems).

Option 4: Markdown A markdown compatible can be generated with the knitr function kable as shown below (contributed by Andrew Dolman; output not displayed).

```
signsymbol <- function(x) {
   if (as.numeric(x) > 0) return("$\\blacktriangle$")
   if (as.numeric(x) < 0) return("$\\blacktriangledown$")
   return("")
}
stoi_mat <- model$stoichiometry(section=1, time=0)
stoi_mat <- data.frame(apply(stoi_mat, MARGIN = c(1, 2), signsymbol))
stoi_mat <- setNames(stoi_mat, paste0("$",
   model$getVarsTable()$tex[match(colnames(stoi_mat),
   model$getVarsTable()$name)], "$"))
stoi_mat <- cbind(Process=rownames(stoi_mat), stoi_mat)
kable(stoi_mat, row.names= FALSE, caption= "Stoichiometric matrix")</pre>
```

## 5 Writing rodeo-compatible Fortran functions

## 5.1 Reference example

As a reference, the following example code can be used which declares a function of two arguments. Comments have been added to explain the individual statements. In Fortran, comments are generally initiated with the exclamation mark (!). They may appear right after statements or on separate lines.

```
double precision function FUNCNAME (ARG1, ARG2) ! declare the function implicit none ! force declarations double precision, intent(in):: ARG1, ARG2 ! declare arguments double precision:: LOCAL ! declare local var. double precision, parameter:: CONST=1.d0 ! declare local const. LOCAL= ARG1 * CONST + ARG2 ! local computation(s) FUNCNAME= LOCAL ! set return value end function ! closes the function
```

For compatibility with rodeo, the function result must be a scalar of type double precision (a floating point number of typically 8 byte). There are several ways to achieve this but the simplest and recommended syntax is put the type declaration double precision right before the function's name (line 1). Then, the return value must be set by an assignment to the function's name (line 7). This is best done at a single location in the body code, typically at the very end.

It is a good habit to always put implicit none in the first line of the function body (line 2). This is to disable so-called implicit typing (a rather dangerous technique of automatic data type assignment). With this statement, all arguments (line 3) and local variables or constants (lines 4 and 5) need to be explicitly declared. The repetition of the argument's names in lines 1 and 3

may be a bit annoying (but one can use copy and paste). All declarations need to be made at the top of the function's body (right after the implicit none) before any other statements.

In Fortran, identifier names are not case-sensitive (as opposed to R). This applies to the name of the function itself as well as to the names of arguments and local variables or parameters.

Note: It is actually sufficient to use the implicit none statement at the beginning of the module that contains all function declarations (see example in Sect. 4.2). Repetition of the statement in the individual functions does not do any harm, however.

#### 5.2 Common pitfalls

#### 5.2.1 Double precision variables and constants

Fortran has several types to represent floating point numbers that vary in precision but rodeo generally uses the type double precision. Thus, any local variables and parameters should also be declared as double precision. To declare a numeric constant of this type, e. g. 'pi', one needs to use the syntax 3.1415d0, i. e. the conventional 'e' in scientific notation is replaced by 'd'. An alternative but less portable syntax exists but it is not mentioned here.

```
double precision, parameter:: pi= 3.1415d0, e= 2.7183d0 ! math constants double precision, parameter:: kilograms_per_gram = 1.d-3 ! 1/1000 double precision, parameter:: distance_to_moon = 3.844d+5 ! 384400 km
```

Note the parameter keyword used to inform the compiler that the declared item(s) are constants rather than variables.

## 5.2.2 Integers in numeric expressions

It is recommended to avoid integers in arithmetic expressions as the result may be unexpected. Use double precision constants instead of integer constants or, alternatively, explicitly convert integer constants to double precision by means of the dble intrinsic function.

It is often even better not to use any literal constants, leading to a code like

```
double precision, parameter:: TWO= 2.d0
! possibly other statements
average= (value1 + value2) / TWO
```

Using uppercase names for constants is a widespread habit but this is a matter of style only.

#### 5.2.3 Continuation lines

Source code lines should not exceed 80 characters (though some Fortran compilers support longer lines). If an expression does not fit on a single line, the ampersand (&) must be used to indicate continuation lines. It is recommended to put the & at the end of any unfinished line as in the following example:

```
a = term1 + term2 + & term3 + term4 + & term5
```

Missing & characters are a frequent cause of compile time errors sometimes being rather obscure.

## 5.3 More information on Fortran programming

The examples in Sect. 4.2 may serve as a starting point. The website <a href="http://fortranwiki.org/fortran/show/HomePage">http://fortranwiki.org/fortran/show/HomePage</a> is a good source of additional information, providing links to standard documents, books, etc.

#### 6 Practical issues

#### 6.1 Managing tabular input data

The tabular input data can be held in either plain text files or spreadsheets. The two alternatives have their own pros and cons as described below:

Spreadsheet software is specialized on displaying tabular data in a convenient way. Nevertheless, there are some practical issues. For example, spreadsheet programs allow for cell formatting. Formatting rules and automatisms often lead to unwanted results (e.g. in the case of logical columns). This also depends on the used format (e.g. 'xlsx' or 'odt'). As of now, R does not have native support for spreadsheets in 'odt' format. Conversion between 'odt' and 'xlsx' is possible, but the exact result seems to be unpredictable.

Delimited text files are much simpler in concept. They can be edited with any editor and platform dependence is a minor issue because line endings and character encodings are easy to change. Good programs provide powerful editing commands, e.g. using regular expressions, and they can highlight matching parenthesis. Text files are perfect for use with version control systems. Nevertheless, normal editors are unable to display tabular data in a nice way.

It is a good compromise to store the tabular data in delimited text files (e.g. separated by TAB or semicolon) and to open them either in a spreadsheet program or editor, depending on the actual task. Note that the conventional 'csv' is not recommended since mathematical expressions involving multi-argument functions and text descriptions may contain commas (hence, they need to be quoted). Using TAB-delimited text is probably the best option.