

Here I will emphasize the different frequency components in the signal and how the LFP and AP signal differ

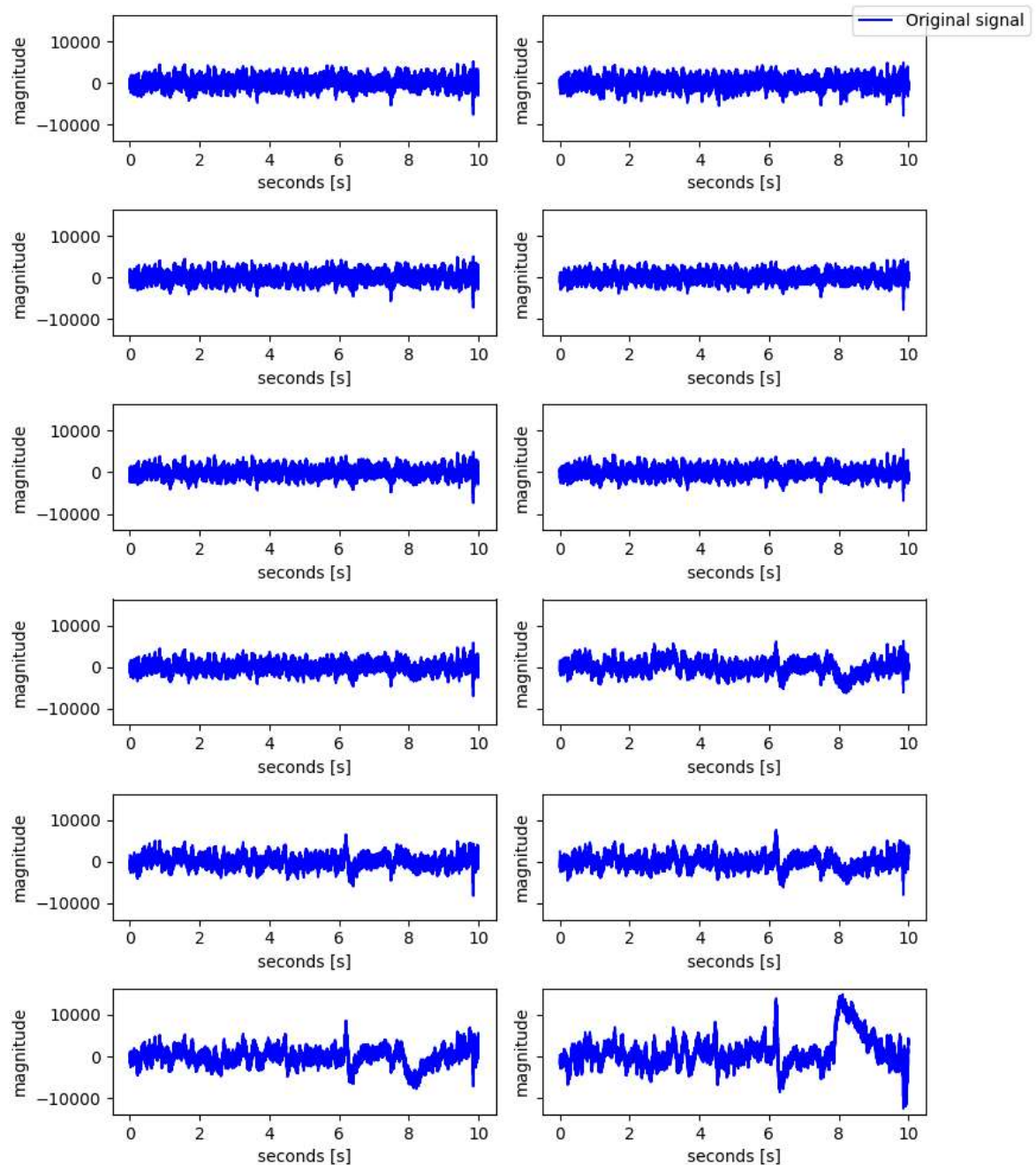
```
In [ ]: import numpy as np
import matplotlib.pyplot as plt
from scipy.signal import butter, freqz, lfilter, filtfilt
import warnings
warnings.simplefilter("ignore")

s = np.load('../test_data_sintef.npy') # 48kHz (Dataset 1)
#s = np.load('../52728_2021-09-25_01_24kHz_test_data_sintef.npy') # 24kHz (Dataset 2)
#s = np.load('../56180_2021-11-05_06_24kHz_test_data_sintef.npy') # 24kHz (Dataset 3)
#s = np.load('../61467_2022-09-16_01_48kHz_test_data_sintef.npy') # 48kHz (Dataset 4)
```

Visualize

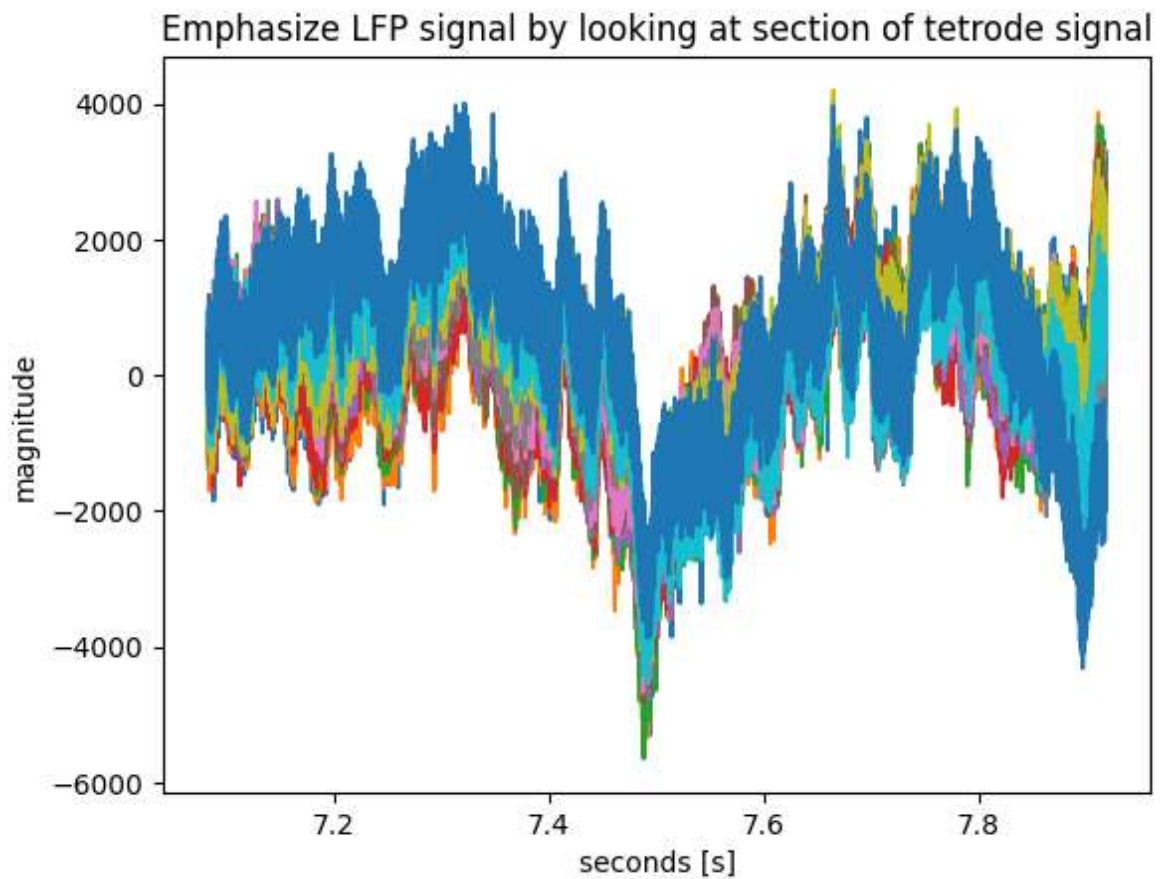
```
In [ ]: # Visualize the signals
ts = np.linspace(0,10, int(s.shape[0])) # time

# Visualize the whole signals with 3 bits less
fig, axs = plt.subplots(6, 2, figsize=(8, 10), sharey=True)
for i in range(s.shape[1] - 4):
    axs.flatten()[i].plot(ts, s[:,i], 'b')
    axs.flatten()[i].set_xlabel('seconds [s]')
    axs.flatten()[i].set_ylabel('magnitude')
fig.legend(['Original signal'], loc='upper right', bbox_to_anchor=(1.1, 1))
plt.tight_layout()
plt.show()
```



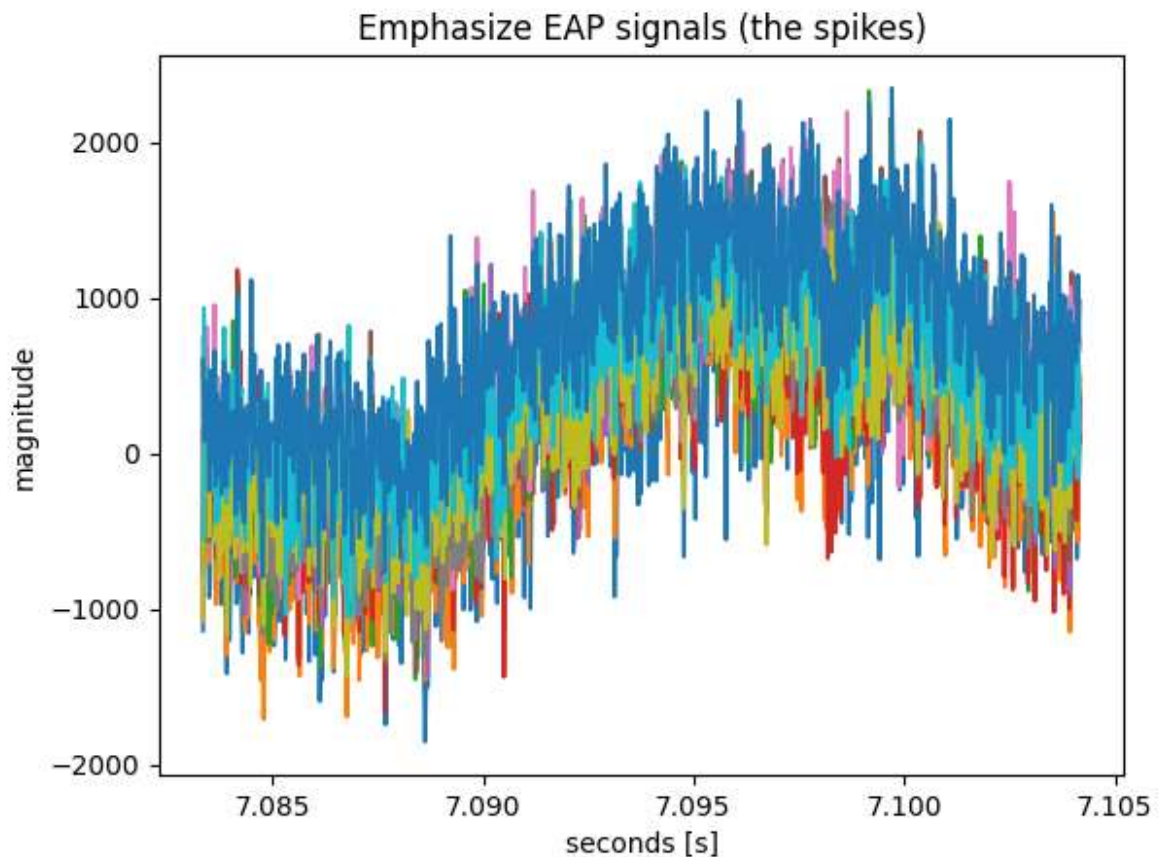
```
In [ ]: # Emphasize the LFP signals (the oscillation seen in several channels)
plt.plot(ts[340000:380000], s[340000:380000,:11])
plt.xlabel('seconds [s]')
plt.ylabel('magnitude')
plt.title('Emphasize LFP signal by looking at section of tetrode signal')
```

```
Out[ ]: Text(0.5, 1.0, 'Emphasize LFP signal by looking at section of tetrode signal')
```



```
In [ ]: # Emphasize the EAPsignals (the spikes)
plt.plot(ts[340000:341000], s[340000:341000,:11])
plt.xlabel('seconds [s]')
plt.ylabel('magnitude')
plt.title('Emphasize EAP signals (the spikes)')
```

```
Out[ ]: Text(0.5, 1.0, 'Emphasize EAP signals (the spikes)')
```



Filter

Visualize the Digital Butterworth lowpass and highpass filters used

Two of the digital filters are used to replicate the internal analog filters in the INTAN chip

```
In [ ]: # Digital Low pass and high pass filters
fs = 48000
fc = 300
Wn = fc / (fs/2)
b, a = butter(N=4, Wn=Wn, btype='low', analog=False, output='ba')
b2, a2 = butter(N=4, Wn=Wn, btype='high', analog=False, output='ba')

# compute the frequency response
w, h = freqz(b, a, 2**12)
f = w/(2*np.pi) * fs
w2, h2 = freqz(b2, a2, 2**12)
f2 = w2/(2*np.pi) * fs

# plot the magnitude response
fig, axs = plt.subplots(2,1,figsize=(8,8))
axs[0].semilogx(f, 20 * np.log10(abs(h)))
axs[1].semilogx(f2, 20 * np.log10(abs(h2)))
axs[0].set_xlabel('Frequency [Hz]')
axs[0].set_ylabel('Amplitude [dB]')
axs[1].set_xlabel('Frequency [Hz]')
axs[1].set_ylabel('Amplitude [dB]')
axs[0].grid(True)
axs[1].grid(True)
```

```

fig.suptitle('Digital Butterworth high-pass and low-pass filter frequency respon
plt.tight_layout()
plt.show()

#----

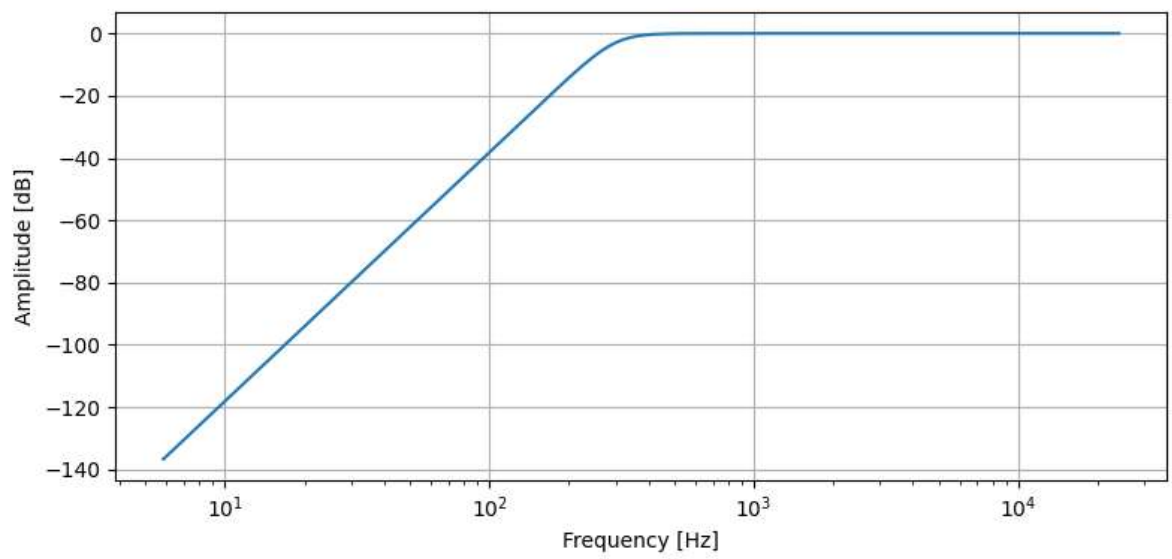
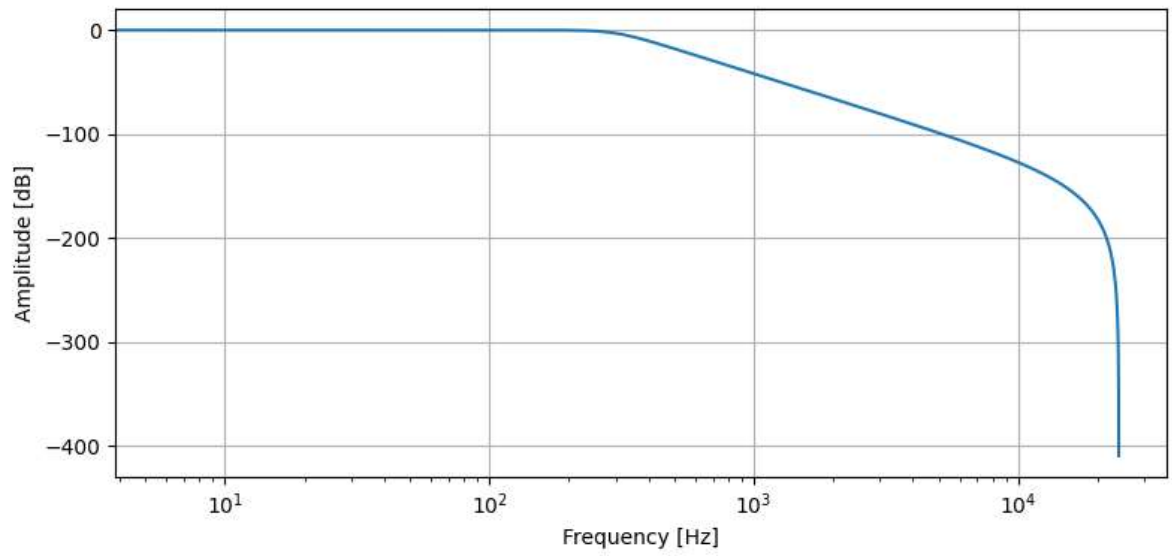
# Digital Low pass and high pass filters
fs = 48000
fc1 = 5000
fc2 = 0.1
Wn1 = fc1 / (fs/2)
Wn2 = fc2 / (fs/2)
b3, a3 = butter(N=3, Wn=Wn1, btype='low', analog=False, output='ba')
b4, a4 = butter(N=1, Wn=Wn2, btype='high', analog=False, output='ba')

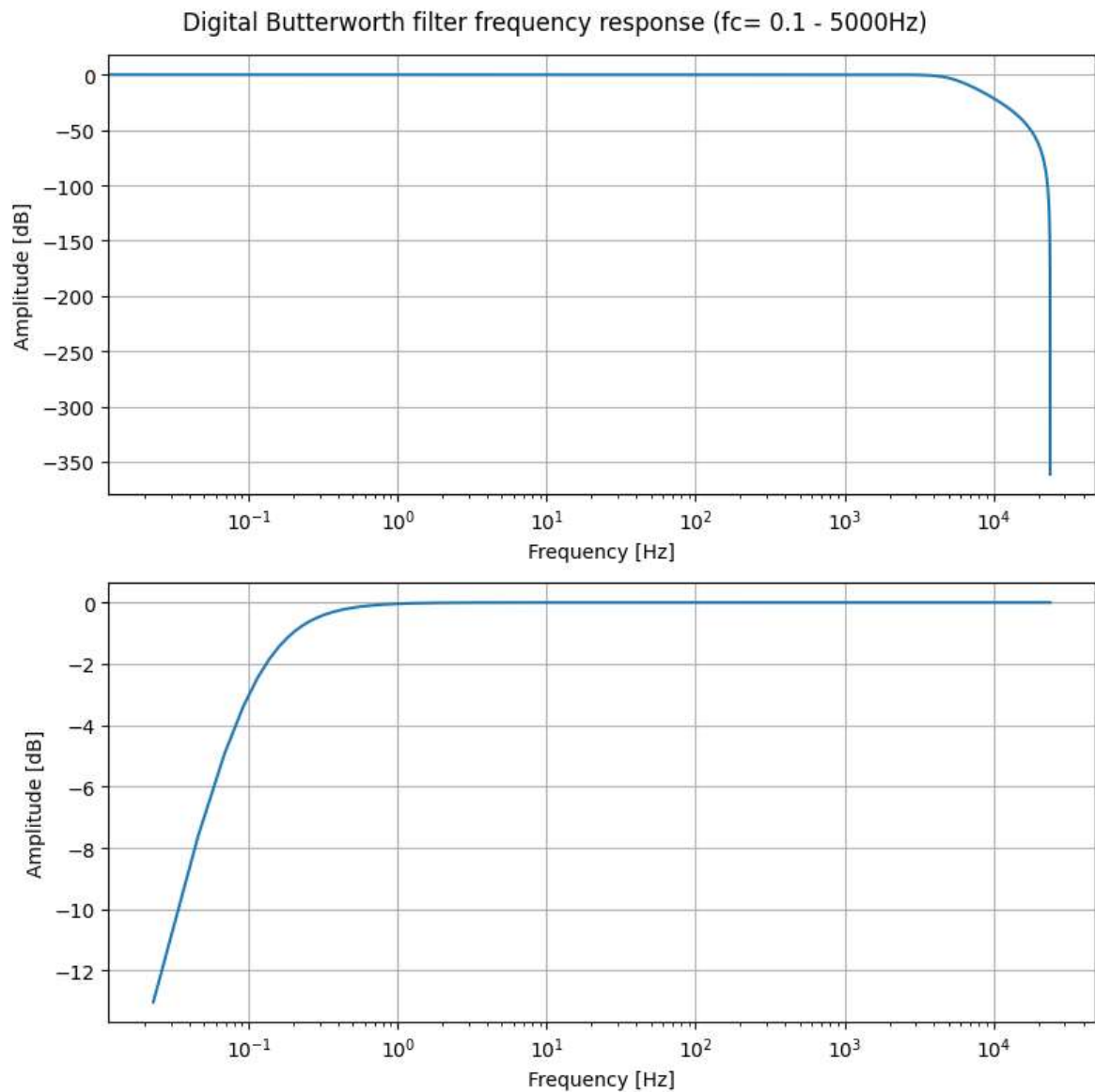
# compute the frequency response
w3, h3 = freqz(b3, a3, 2**20)
f3 = w3/(2*np.pi) *fs
w4, h4 = freqz(b4, a4, 2**20)
f4 = w4/(2*np.pi) *fs

# plot the magnitude response
fig, axs = plt.subplots(2,1, figsize=(8,8))
axs[0].semilogx(f3, 20 * np.log10(abs(h3)))
axs[1].semilogx(f4, 20 * np.log10(abs(h4)))
axs[0].set_xlabel('Frequency [Hz]')
axs[0].set_ylabel('Amplitude [dB]')
axs[1].set_xlabel('Frequency [Hz]')
axs[1].set_ylabel('Amplitude [dB]')
axs[0].grid(True)
axs[1].grid(True)
fig.suptitle('Digital Butterworth filter frequency response (fc= 0.1 - 5000Hz)')
plt.tight_layout()
plt.show()

```

Digital Butterworth high-pass and low-pass filter frequency response ($f_c=300$)





Filter the signal

```
In [ ]: x = s[:,:]
j = 0 # channel we plot
time = 10*x.shape[0]/s.shape[0]
tx = np.linspace(0,time, int(x.shape[0])) # time

#first band pass filter the signal (using what resembles the analog filters in t
lp = np.zeros_like(x)
bp = np.zeros_like(x)
AP= np.zeros_like(x)
LFP = np.zeros_like(x)
for i in range(x.shape[1]):
    lp[:,i] = lfilter(b3,a3, x[:,i])
    bp[:,i] = lfilter(b4,a4,lp[:,i])

    AP[:,i] = filtfilt(b2,a2, bp[:,i])
    LFP[:,i] = filtfilt(b,a, bp[:,i])

# Illustrate the LFP components of the signal
fig = plt.figure(figsize=(10, 5))
```



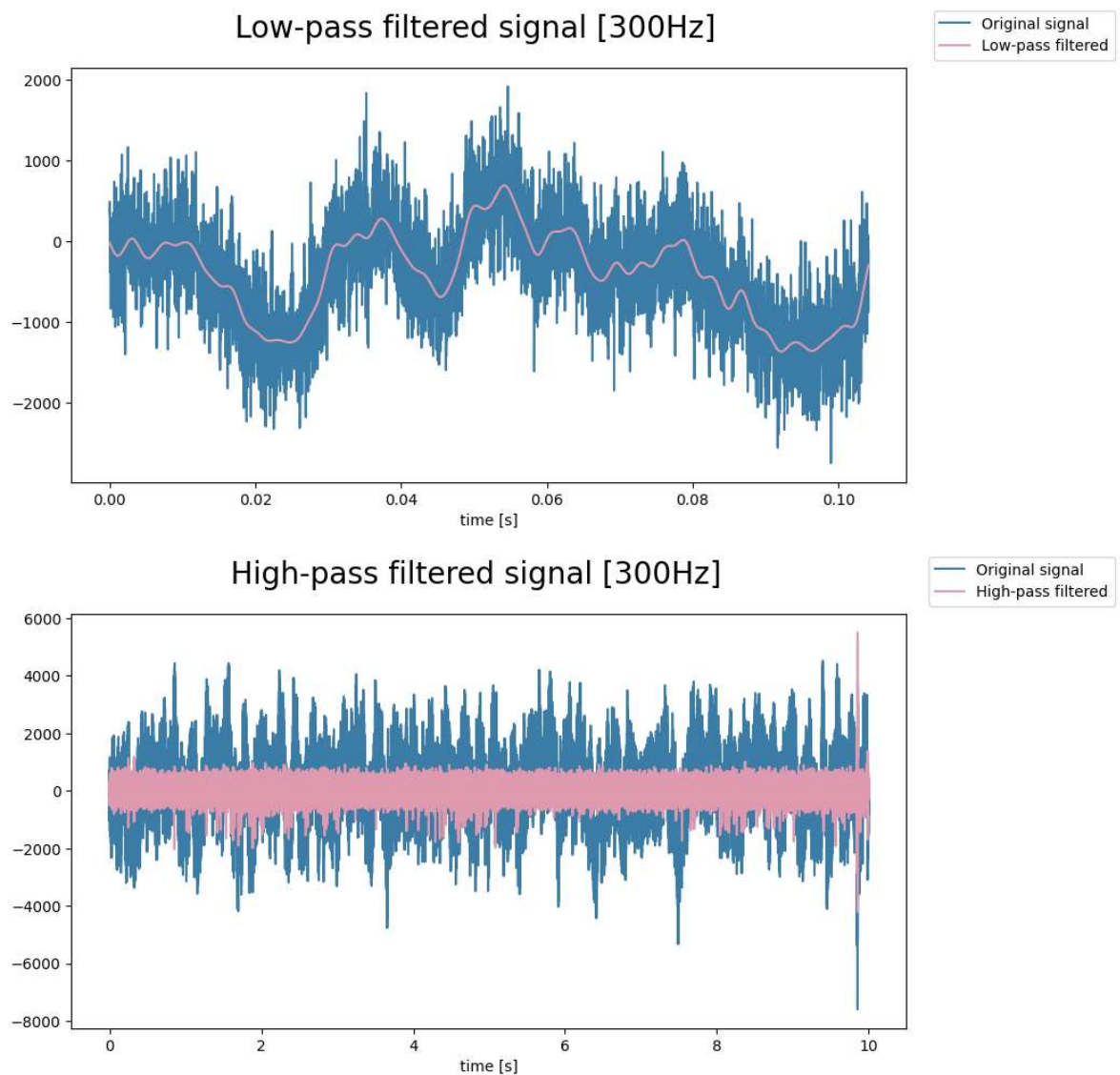
```

plt.plot(tx[:5000], x[:5000,j], color='#3B7DA6')
plt.plot(tx[:5000], LFP[:5000,j], color='#DF9AAF')
plt.xlabel('time [s]')
#plt.tight_layout()
fig.suptitle('Low-pass filtered signal [300Hz]', fontsize=20)
fig.legend(['Original signal', 'Low-pass filtered'], loc='upper right', bbox_to_

# Illustrate the EAPcomponents of the signal
fig = plt.figure( figsize=(10, 5))
plt.plot(tx[:, x[:,j], color='#3B7DA6')
plt.plot(tx[:, AP[:,j], color='#DF9AAF')
plt.xlabel('time [s]')
#axs[1].set_ylabel('magnitude')
#plt.tight_layout()
fig.suptitle('High-pass filtered signal [300Hz]', fontsize=20)
fig.legend(['Original signal', 'High-pass filtered'], loc='upper right', bbox_to_

```

Out[]: <matplotlib.legend.Legend at 0x1ee9c6b2390>



In []: *# illustrate the effects on all tetrode channels*

```

# Illustrate the LFP components of the signal
fig, axs = plt.subplots(2,1, figsize=(12, 15))
axs[0].plot(tx[:5000], LFP[:5000,:11])
axs[0].set_xlabel('seconds [s]')

```



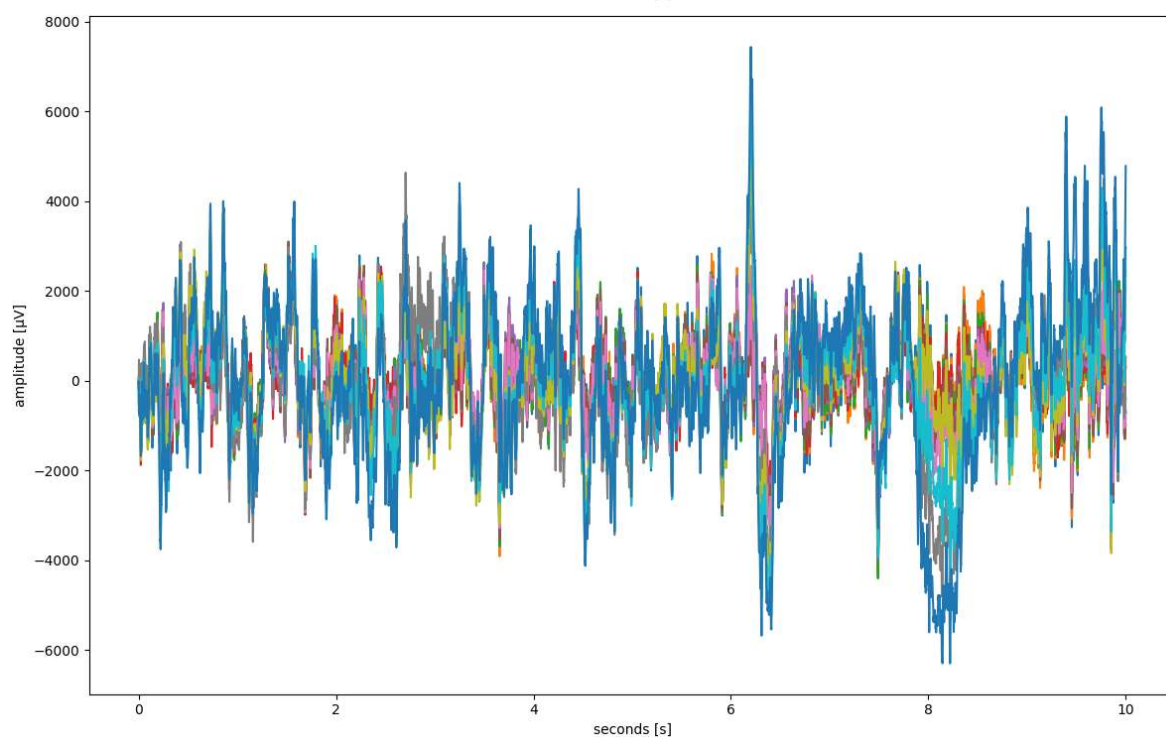
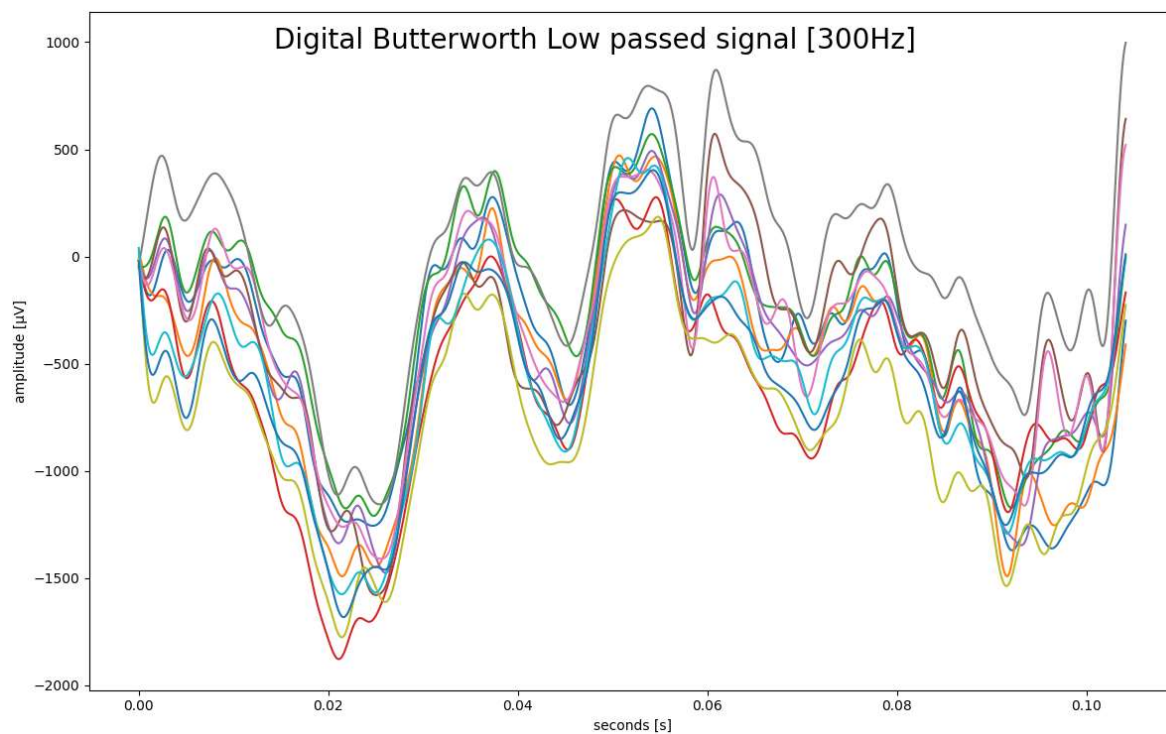
```

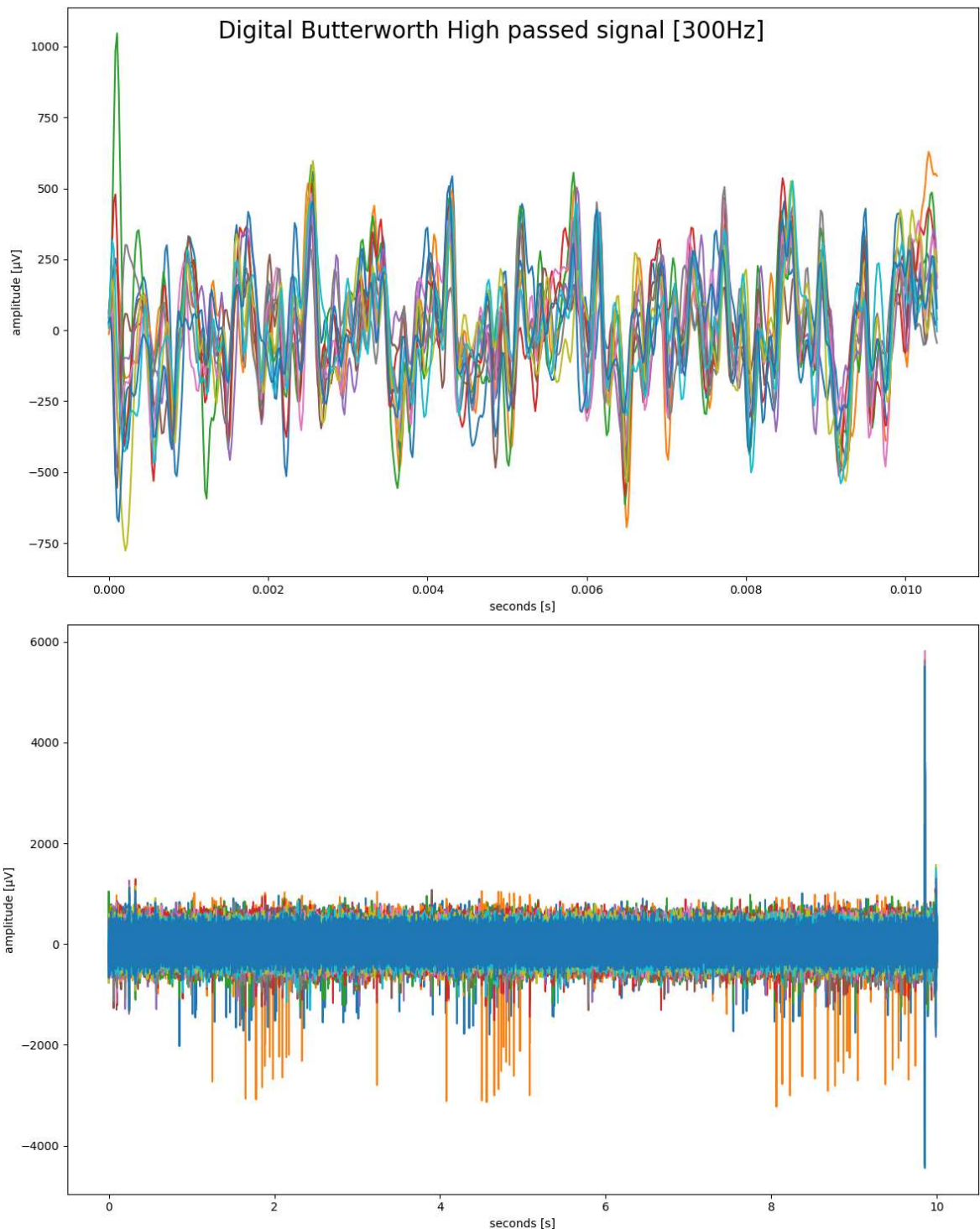
axs[0].set_ylabel('amplitude [ $\mu$ V]')
axs[1].plot(tx[:,], LFP[:, :11])
axs[1].set_xlabel('seconds [s]')
axs[1].set_ylabel('amplitude [ $\mu$ V]')
plt.tight_layout()
fig.suptitle('Digital Butterworth Low passed signal [300Hz]', fontsize=20)

# Illustrate the AP components of the signal
fig, axs = plt.subplots(2,1, figsize=(12, 15))
axs[0].plot(tx[:500], AP[:500, :11])
axs[0].set_xlabel('seconds [s]')
axs[0].set_ylabel('amplitude [ $\mu$ V]')
axs[1].plot(tx[:,], AP[:, :11])
axs[1].set_xlabel('seconds [s]')
axs[1].set_ylabel('amplitude [ $\mu$ V]')
plt.tight_layout()
fig.suptitle('Digital Butterworth High passed signal [300Hz]', fontsize=20)

```

Out[]: Text(0.5, 0.98, 'Digital Butterworth High passed signal [300Hz]')





We can see how there is a clear shared shape for the LFP signals of the different channels, but that the AP signals differs more from one channel to another

Frequency components:

```
In [ ]: t = np.linspace(0,1,48000) # use one second
```

```
fig1, axs1 = plt.subplots(6, 2, figsize=(12, 18))
fig2, axs2 = plt.subplots(6, 2, figsize=(12, 18))
fig3, axs3 = plt.subplots(6, 2, figsize=(12, 18))
fig4, axs4 = plt.subplots(6, 2, figsize=(12, 18))
for i in range(s.shape[1] - 4):
    fft_s = np.fft.fft(s[:48000,i])
```

```

P_s = np.abs(fft_s) ** 2
freqss = np.fft.fftfreq(len(s[:48000,i]), t[1] - t[0])
fft_bp = np.fft.fft(bp[:48000,i])
P_bp = np.abs(fft_bp) ** 2
fft_LFP = np.fft.fft(LFP[:48000,i])
P_LFP = np.abs(fft_LFP) ** 2
fft_AP = np.fft.fft(AP[:48000,i])
P_AP = np.abs(fft_AP) ** 2

#axs1.flatten()[i].plot(freqss[:, 20*np.Log10(P[:])], 'b')
axs1.flatten()[i].semilogx(freqss[:, P_s[:], color='#3B7DA6')
axs1.flatten()[i].set_xlabel('frequency [Hz]')
axs1.flatten()[i].set_ylabel('magnitude')

axs2.flatten()[i].semilogx(freqss[:, P_bp[:], color='#3B7DA6')
axs2.flatten()[i].set_xlabel('frequency [Hz]')
axs2.flatten()[i].set_ylabel('magnitude')

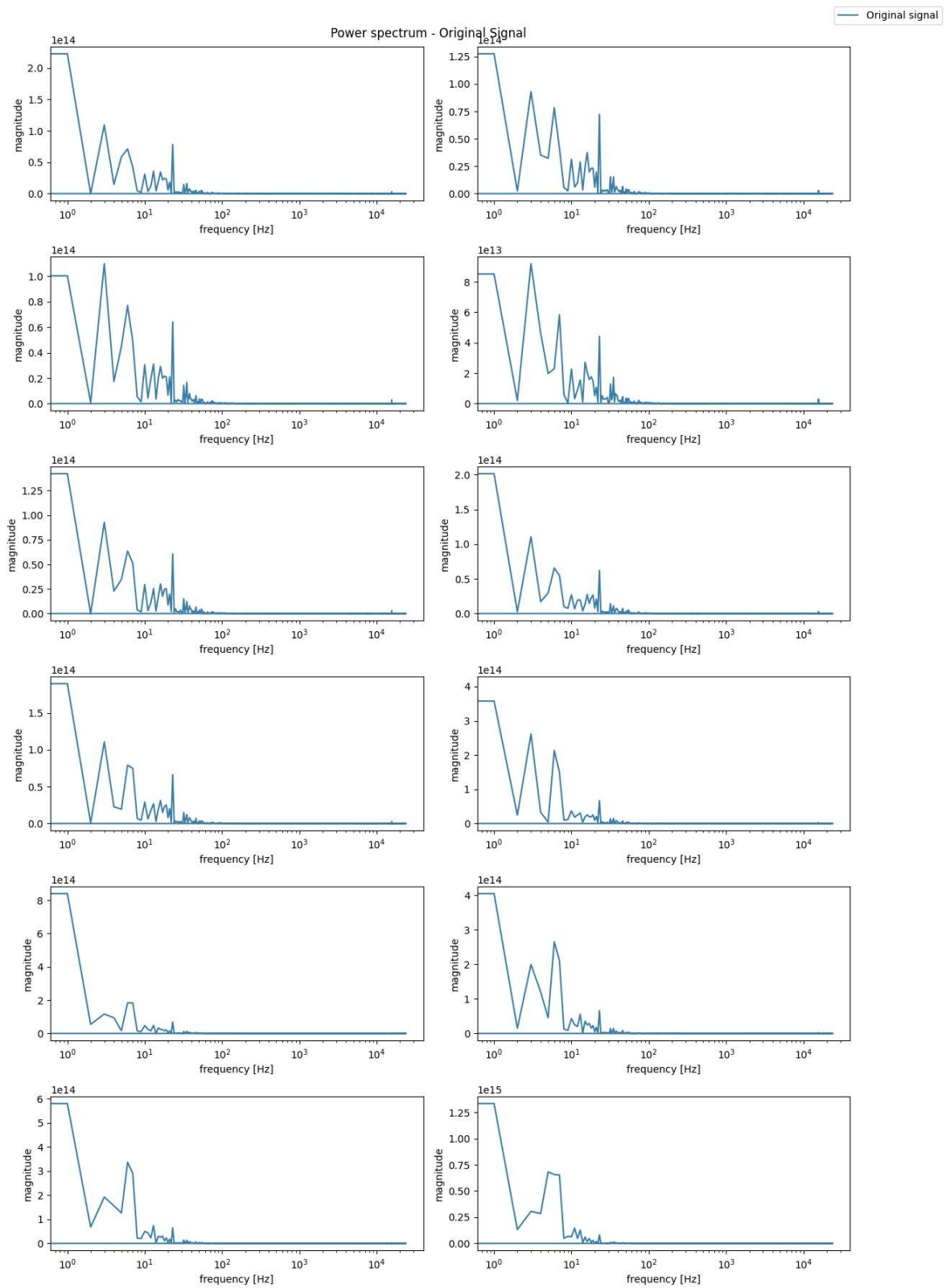
axs3.flatten()[i].semilogx(freqss[:, P_LFP[:], color='#3B7DA6')
axs3.flatten()[i].set_xlabel('frequency [Hz]')
axs3.flatten()[i].set_ylabel('magnitude')

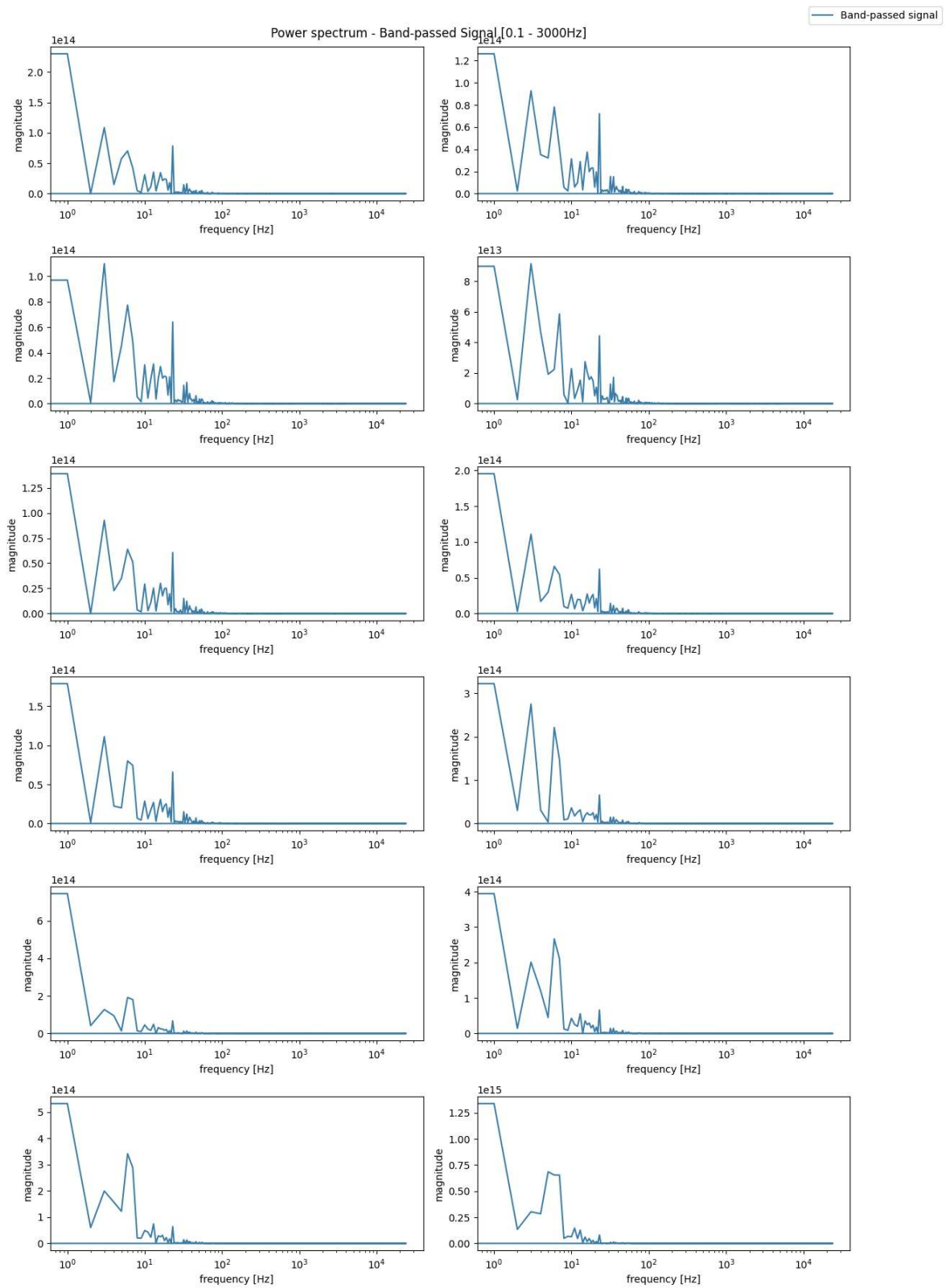
axs4.flatten()[i].semilogx(freqss[:, P_AP[:], color='#3B7DA6')
axs4.flatten()[i].set_xlabel('frequency [Hz]')
axs4.flatten()[i].set_ylabel('magnitude')

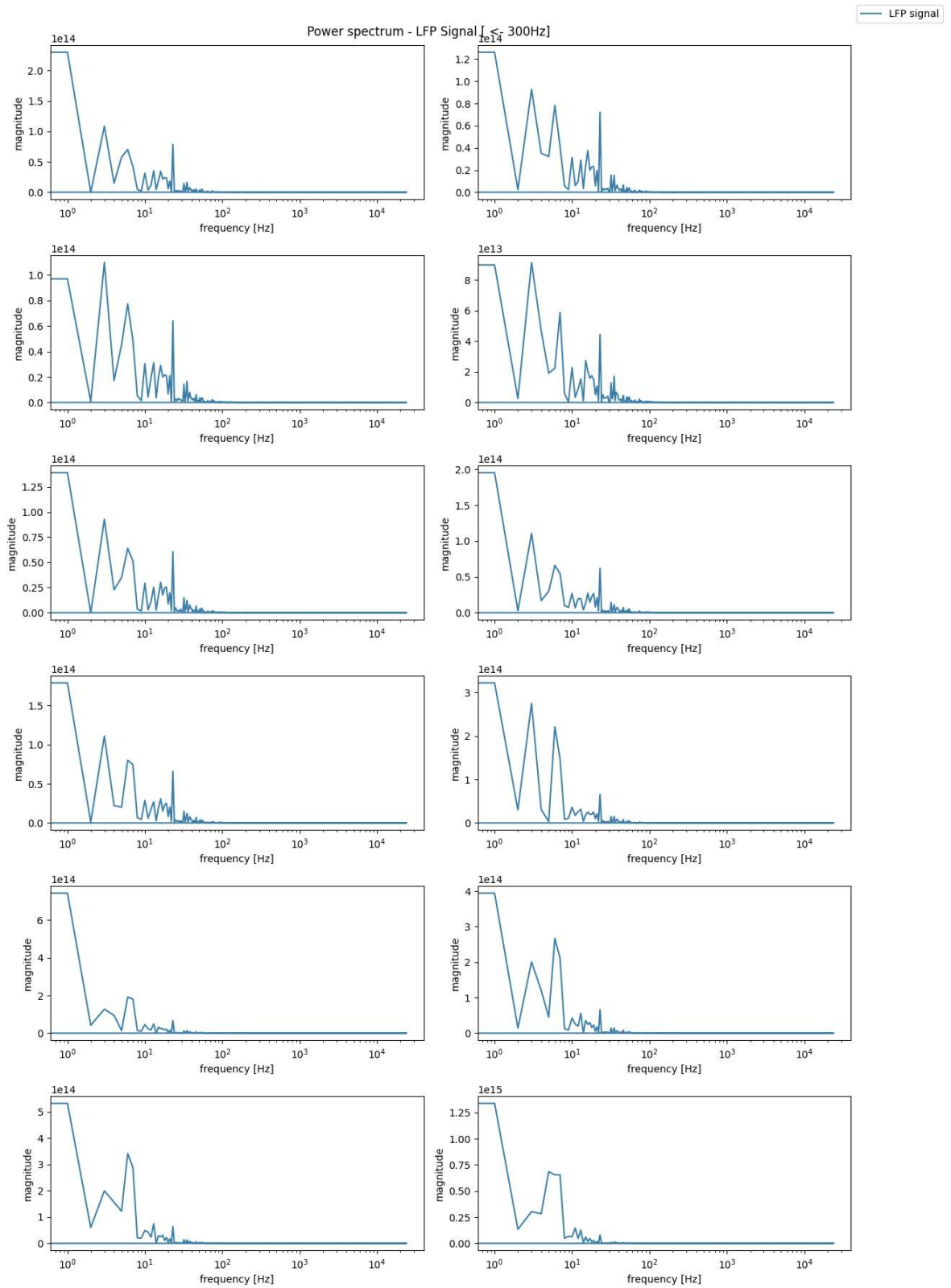
fig1.suptitle('Power spectrum - Original Signal')
fig2.suptitle('Power spectrum - Band-passed Signal [0.1 - 3000Hz]')
fig3.suptitle('Power spectrum - LFP Signal [ <- 300Hz]')
fig4.suptitle('Power spectrum - EAP Signal [300Hz -> ]')
fig1.tight_layout()
fig2.tight_layout()
fig3.tight_layout()
fig4.tight_layout()
fig1.legend(['Original signal'], loc='upper right', bbox_to_anchor=(1.1, 1))
fig2.legend(['Band-passed signal'], loc='upper right', bbox_to_anchor=(1.1, 1))
fig3.legend(['LFP signal'], loc='upper right', bbox_to_anchor=(1.1, 1))
fig4.legend(['EAP signal'], loc='upper right', bbox_to_anchor=(1.1, 1))

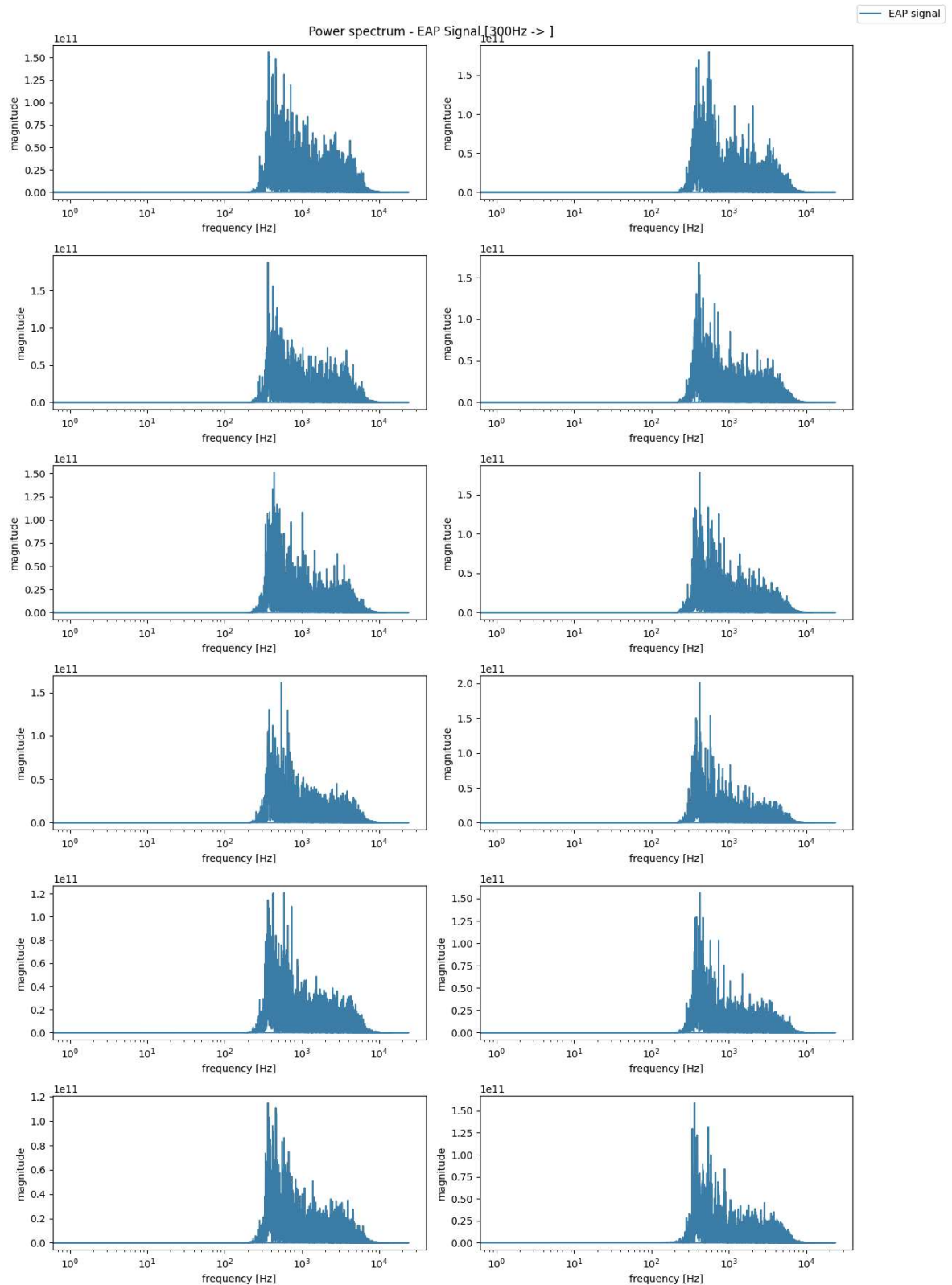
```

Out[]: <matplotlib.legend.Legend at 0x1ef467a1350>









Notice the 10kHz noise that is present in the original signal is suppressed after band pass filtering. Furthermore, we can also see that the EAP signals have relatively similar frequency components even though the APs happen at different times in the different signals