

- E1. Study and verify Maximum Power Transfer Theorem.
- E2. Study and verify Superposition Theorem for two-terminal linear bilateral dc network.
- E3. Study and verify Thevenin's Theorem for two-terminal linear bilateral dc network.
- E4. Study and verify Norton's Theorem for two-terminal linear bilateral dc network.
- E5. Study and verify Millman's Theorem for two-terminal linear bilateral dc network.
- E6. Study and verify Mesh Analysis procedure for solving two-terminal linear bilateral dc network.

*Department of
Information and Communication Engineering
Faculty of Engineering and Technology*

LAB REPORT

Course Title : Circuit Theory and Analysis Sessional

Course Code : ICE - 1206

Submitted By :

Name : Joy Saha

Roll : 190635

Session : 2018 – 2019

1st year 2nd semister

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04	To study the Thevenin's theorem.
05	To study the Norton's theorem.
06	To study the Reciprocity theorem.

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Department of
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LAB REPORT

Course Title : Circuit theory and Analysis Sessional

Course Code : ICE - 1206

Experiment No : 01

Experiment Name : To verification the series Parallel DC circuit.

Submitted By :

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Session : 2018 – 2019

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Signature *[Signature]* 17.02.2020.

Experiment name : To verification the series parallel DC circuit.

Objectives:

1. Explain how total voltage is determine in serizies circuits.
2. Explain how total current is determine in parallel circuits.
3. calculate total resistance in a serizies/parallel circuit.
4. Take total resistance measurements.
5. calculate wattage.

Theory:

Series circuit: A circuit composed solely of components connected in series is known as a series circuit. In a series circuit, the current that flows through each of the components is the same and the voltage across

the circuit is the sum of the individual voltage drops across each component. In a series circuit, every device must function for the to be complete. If one bulb burns out in a series circuit, the entire circuit is broken.

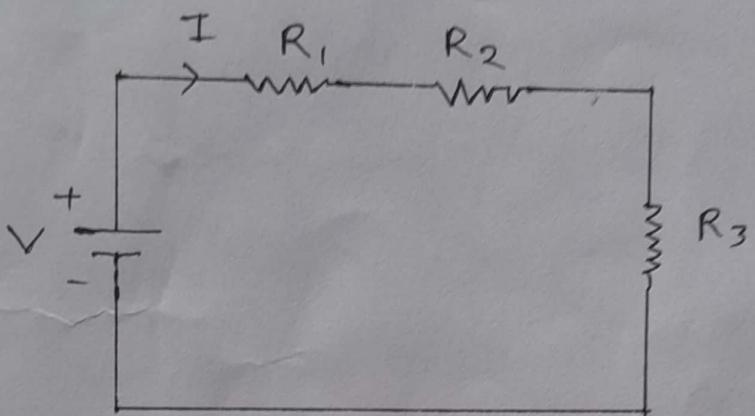


Fig: series circuit

The total resistance or resistance units in series is equal to the sum of their individual resistances.

$$R_{\text{total}} = R_1 + R_2 + R_3$$

In a series circuit, the current is the same for all of the elements.

$$I = I_1 = I_2 = I_3$$

In a series circuit, the voltage is the sum of the voltage drops of the individual components

$$V = V_1 + V_2 + V_3$$

Parallel circuit: A circuit composed solely of one connected completely in parallel circuit. In a parallel circuit. In the voltage across each of the components is the same. and the total current is the sum of the currents flowing through each component:

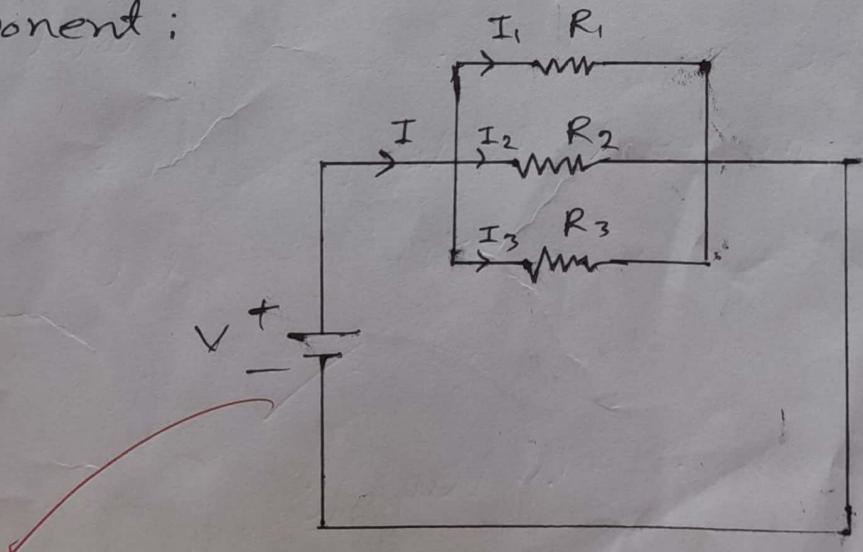


Fig: Parallel circuit.

The total resistance or resistance units in parallel is equal to the sum of the inverse of their individual resistance.

$$\frac{1}{R_{\text{total}}} = \frac{1}{R_1} + \frac{1}{R_2} + \frac{1}{R_3}$$

The same voltage is applied to all circuit components connected in parallel.

$$V = V_1 = V_2 = V_3$$

The total current is the sum of the currents through the individual components, in accordance with Kirchhoff's current law

$$I_1 = \frac{V}{R_1}$$

$$I_2 = \frac{V}{R_2}$$

$$I_3 = \frac{V}{R_3}$$

series - Parallel circuit: A series parallel circuit is a combination of series and parallel circuit. It may contain series and parallel and voltage source.

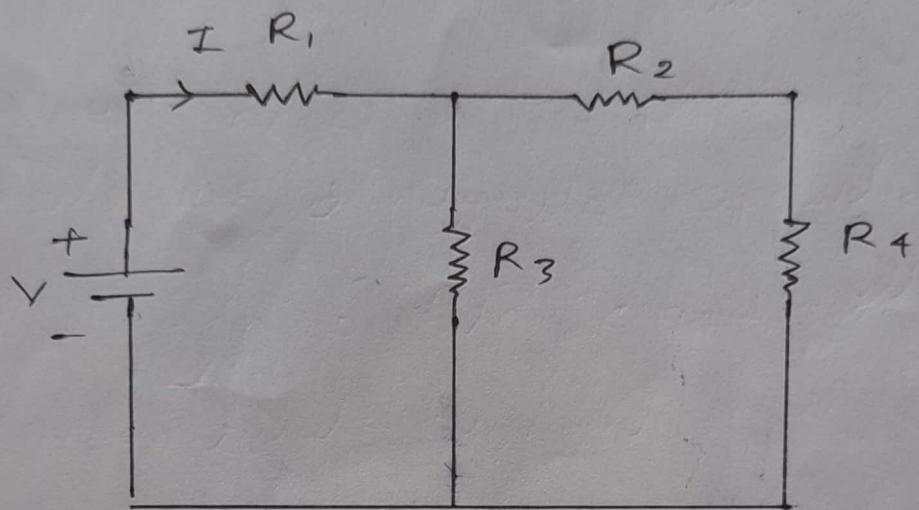


Fig : series - parallel circuit.

From figure R_2, R_4 resistance are connected in series and connected with parallel in resistor R_2 and R_1 is.

$$\therefore R_T = R_1 + R_3 \parallel (R_2 + R_4)$$

$$V \neq V_1 = V_2 = V_3 = V_4$$

$$I = I_1 + I_2$$

Apparatus:

- ① Bread - Board;
- ② Resistors;
- ③ DC power supply;
- ④ AVO meter;
- ⑤ connecting wires;
- ⑥ calculator;

Circuit Diagram:

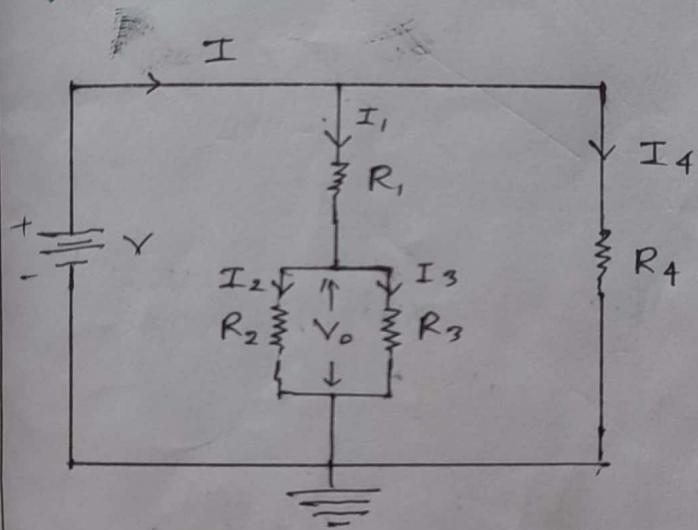


Fig: series-parallel circuit

Experiment table:

Table 01: Experimental data table for voltage.

No of observation	Input Voltage V _{in} (V)	Output Voltage V _{out} (V) calculated	Output voltage measured (mv)	Error (%)
01	3.61	174	170	2.30%
02	4.23	203.8	200	1.87%
03	5.08	244.8	244.7	0.41%
04	6.08	293	290	1.02%
05	6.80	327.76	320	2.37%
06	7.24	348	340	2.30%
07	8.02	386	380	2.55%
08	9.04	436	430	1.38%
09	9.65	465	460	1.08%
10	10.36	497	490	1.01%

Table 02 : Experimental data table for current:

No of observation	Input voltage V_s (V)	Input current I_f (mA)	Measured I_3 (mA)	Calculated I_4 (mA)	Measured I_4 (mA)	Calculated $I_1 + I_4$ (mA)	Measured $I_1 + I_4$ (mA)	Error (%)
1	2.18	4	1.6	1.5	2.4	2.4	3.9	2.5%
2	3.49	6.1	2.44	2.4	3.66	3.60	6.1	6.0
3	4.25	7.2	2.88	3.0	4.32	4.40	7.2	7.4
4	5.30	8.9	3.56	3.6	5.34	5.40	8.9	9.0
5	6.53	11.10	4.44	4.44	6.64	6.60	11.1	11.04
6	7.63	13	5.20	5.2	7.8	7.8	13	13
7	8.28	14.4	5.76	5.6	8.64	8.60	14.4	14

Result and discussion:

In this experimental we create two table.

One for voltage and another is for current.

In both table the value of calculated and measured voltage and current are approximately same. There is a slight error. So we can say that, we get approximately the accurate result.

Precaution: ① All the components and connecting wires connected carefully.

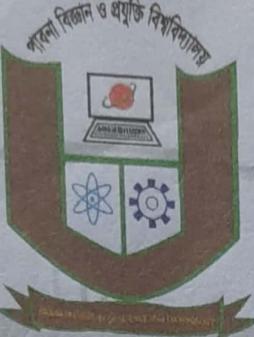
② Voltage across each resistor

were measured very carefully.

③ Current are measured carefully

in the circuit.

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*Department of
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LAB REPORT

Course Title : Circuit theory and Analysis Sessional

Course Code : ICE - 1206

Experiment No : 02

Experiment Name : To study the superposition theorem.

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Session : 2018 – 2019

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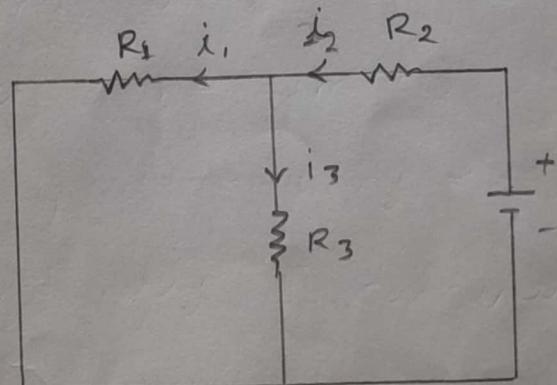
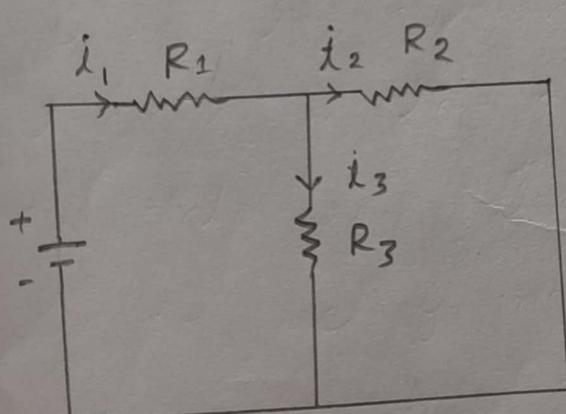
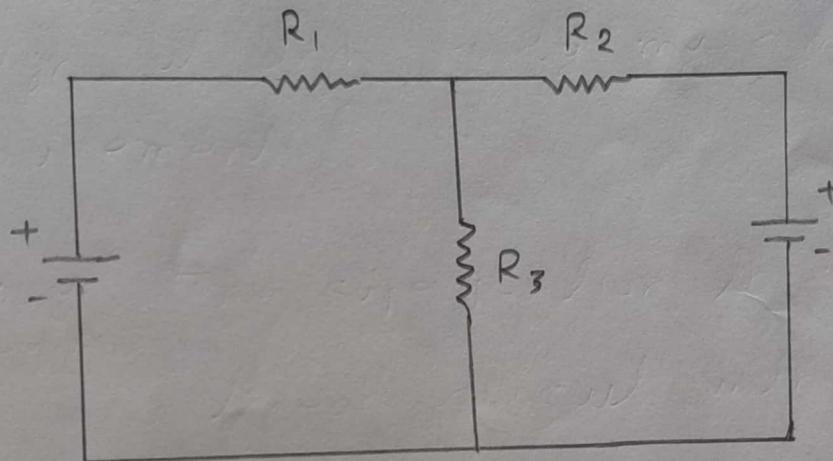
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Experiment Name: To study the superposition theorem.

Objectives: ① Apply the superposition to linear circuits with more than one voltage source.
② Construct a circuit with two voltage sources, solve for currents and voltages through out and verify my computation by measurements.

Theory: The superposition theorem states that in a linear circuit with several sources, the current and voltage for any element in the circuit is the sum of the currents and voltages produced by each source acting independently. To calculate the contribution of each source independently, all the other sources must be removed and replaced without affecting the final

result. When removing a voltage source. Its voltage must be set to zero, which is equivalent to replacing the voltage source with a short circuit, when removing a current source. Its current must be set to zero, which is equivalent to replacing the current source with an open circuit.



For first circuit,

$$i_1 = \frac{V_1}{\frac{R_2 R_3}{R_2 + R_3} + R_1}$$

$$i_2' = i_1' \times \frac{R_3}{R_2 + R_3}$$

$$i_3' = i_1' - i_2'$$

For second circuit,

$$i_1'' = i_2'' \times \frac{R_3}{R_1 + R_3}$$

$$i_2'' = \frac{V_2}{R_2 + \frac{R_1 R_3}{R_1 + R_3}}$$

$$i_3'' = i_2'' - i_1''$$

For full circuit,

$$i_1 = i_1' - i_2''$$

$$i_2 = i_2'' - i_1''$$

$$i_3 = i_3'''$$

$$i_3 = i_3' + i_3''$$

Experimental Requirement:

① Bread board;

② Resistors;

③ Two voltage sources;

④ AVO meter;

⑤ Connecting wire;

⑥ calculator;

Circuit Diagram:

$$R_1 = 9.92 \text{ k}\Omega$$

$$R_2 = 4.46 \text{ k}\Omega$$

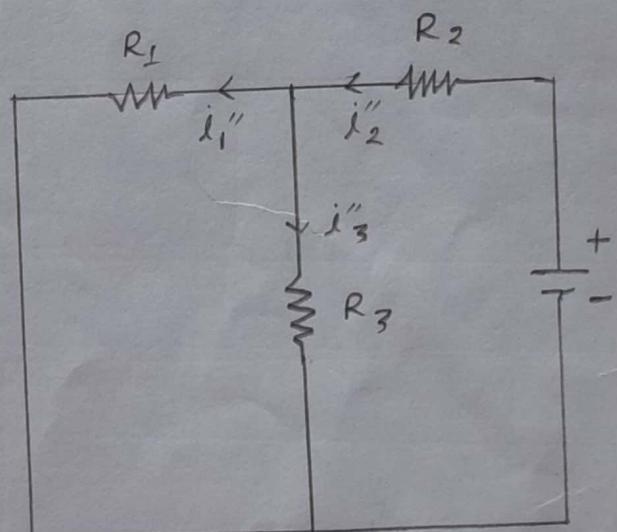
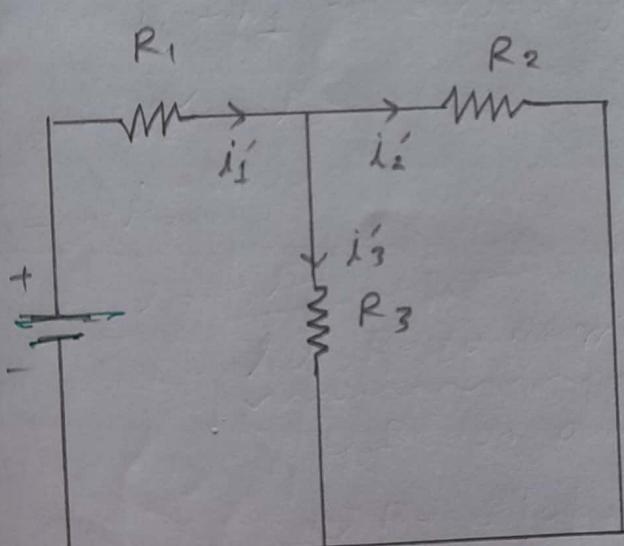
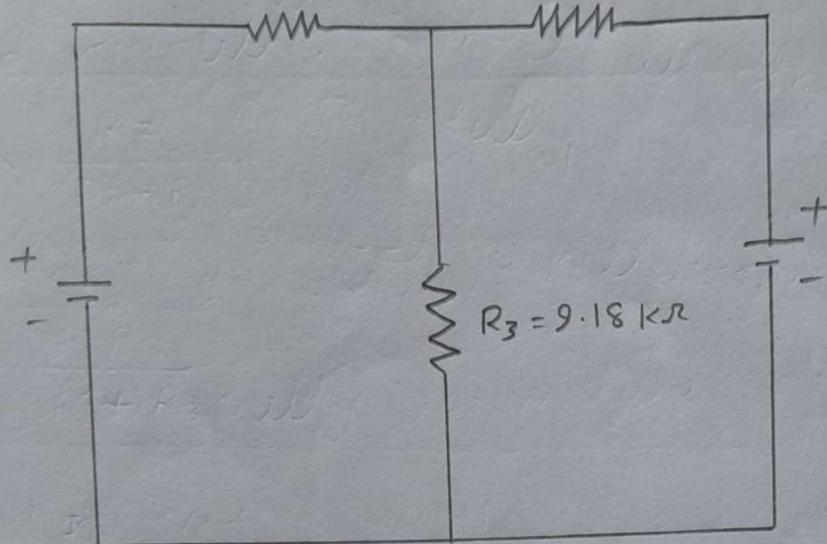


Fig: Experimental circuit for
superposition theorem.

Experimental Table : Experimental data for superposition theorem:

No of Observation	input Voltage v_1 (volt)	input Voltage v_2 (volt)	Calculated value									Measured value		
			i_1' mA	i_2' mA	i_3' mA	i_1'' mA	i_2'' mA	i_3'' mA	i_1 mA	i_2 mA	i_3 mA	i_1 mA	i_2 mA	i_3 mA
01	4.8	3.3	0.60	0.40	0.20	0.29	0.44	0.14	0.30	0.09	0.34	0.3	0.1	0.3
02	6.04	4	0.81	0.54	0.27	0.35	0.53	0.18	0.46	0.02	0.45	0.4	0.1	0.3
03	7.08	5	0.95	0.63	0.32	0.45	0.67	0.22	0.56	0.04	0.54	0.4	0	0.4
04	8.2	7.2	1.10	0.74	0.36	0.65	0.96	0.31	0.45	0.22	0.67	0.5	0.02	0.6
05	9.1	8.3	1.22	0.81	0.41	0.76	1.12	0.36	0.46	0.31	0.77	0.42		

Result and Discussion: From the table we saw the current across the resistor. The calculation of current is:

First of all, we put the element,

$$R_1 = 4.42 \text{ k}\Omega$$

$$R_2 = 4.46 \text{ k}\Omega$$

$$R_3 = 9.18 \text{ k}\Omega$$

$$V_1 = 4.80 \text{ V}$$

$$V_2 = 3.3 \text{ V}$$

When the second voltage source is removed, we get the value of i'_1, i'_2, i'_3

$$\begin{aligned} i'_1 &= \frac{V_1}{\frac{R_2 R_3}{R_2 + R_3} + R_1} \\ &= \frac{4.80}{\frac{4.46 \times 9.18}{4.46 + 9.18} + 4.42} \\ &= 0.60 \text{ mA} \end{aligned}$$

$$\begin{aligned} i'_2 &= i'_1 \times \frac{R_3}{R_2 + R_3} \\ &= 0.60 \times \frac{9.18}{4.46 + 9.18} \\ &= 0.40 \text{ mA} \end{aligned}$$

$$i'_3 = i'_1 - i'_2$$

$$= 0.60 - 0.40$$

$$= 0.20 \text{ mA}$$

Then we remove the first voltage source and get the value of i''_2 , i''_1 and i''_3 .

$$i''_2 = \frac{V_2}{R_2 + \frac{R_1 R_3}{R_1 + R_3}}$$

$$= \frac{\overline{3 \cdot 3}}{4.46 + \frac{4.42 \times 9.18}{4.42 + 9.18}}$$

$$= 0.99 \text{ mA}$$

$$i''_1 = i''_2 \times \frac{R_3}{R_1 + R_3}$$

$$= 0.44 \times \frac{9.18}{4.42 + 9.18}$$

$$= 0.297 \text{ mA}$$

$$i''_3 = i''_2 - i''_1$$

$$= 0.44 - 0.297$$

$$= 0.143 \text{ mA}$$

Now,

$$i_1 = i'_1 - i''_1$$

$$= 0.60 - 0.297$$

$$= 0.3 \text{ mA}$$

$$i_2 = i'_2 - i''_2$$

$$= 0.4 - 0.44$$

$$= -0.04$$

$$i_3 = i'_3 + i''_3$$

$$= 0.20 + 0.14$$

$$= 0.34$$

Similarly we got the value of current by changing voltage

We used to various voltage for the analysis of superposition theorem. We measured the value of current from the circuit. We got calculated value of current from the circuit. From the table we saw the measured current and calculated current are almost same. We get some errors.

Precaution: ① Firstly we set up all the required component on the bread board with their required values.

② All the connections should be jointed properly and carefully.

③ We measured the output current very carefully.

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*Department of
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LAB REPORT

Course Title : Circuit theory and Analysis Sessional

Course Code : ICE - 1206

Experiment No : 03

Experiment Name : To study maximum power transfer theorem.

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Session : 2018 – 2019

1st year 2nd semister

Department of ICE , PUST

Submission Date :

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Experiment Name: To study maximum power transfer theorem.

Objectives: ① To demonstrate that maximum power will be delivered to the load in resistive circuits when load resistor is equal to the Thevenin Equivalent Resistance of the rest of the circuit.

- ② To demonstrate and experimentally verify the maximum power transfer theorem
- ③ Determine the value of a load resistor which will allow maximum power transfer to the load.

Theory: The maximum power transfer theorem states that the maximum power delivered from source to load, when the source resistance is equal to the load resistance. The maximum power transfer theorem is used to find the load resistance for which there would be maximum

amount of power transfer from the source to the load.

A variable resistance R_L is connected to a DC source network as shown in the circuit diagram in figure A below and the figure B represents the Thevenin's voltage V_{th} and Thevenin's resistance R_{th} of the source network. The aim of the maximum power transfer theorem is to determine the value of load resistance R_L such that it receives maximum power from the DC source.

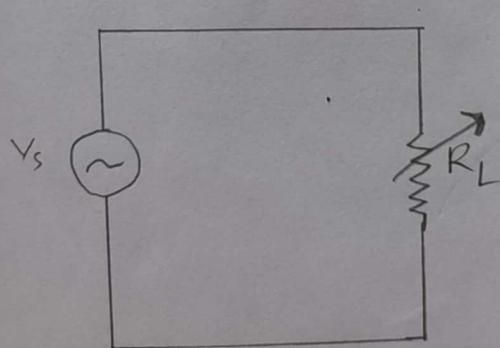


Figure : A

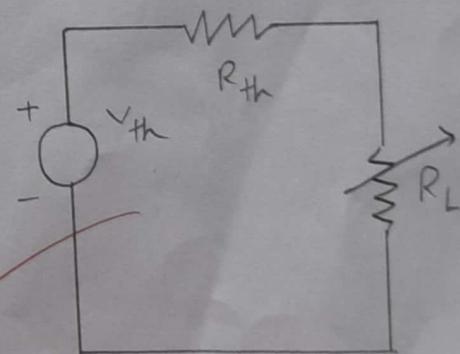


Figure : B

Considering figure-B the value of current will be calculated by the equation,

$$I = \frac{V_{th}}{R_{th} + R_L} \quad \text{--- (1)}$$

while the power delivered to the resistive load is given by the equation,

$$P_L = I^2 R_L \quad \text{--- (11)}$$

Putting the value of I from the equation

① in the equation ⑪ we will get,

$$P_L = \left(\frac{V_{th}}{R_{th} + R_L} \right)^2 \times R_L$$

Again, with $R_{th} = R_L$, the system being perfectly matched to the load and the

source, thus, the power transfer becomes maximum and this amount of power P_{max}

can be obtained by the equation shown

below,

$$I = \frac{E_{th}}{R_{th} + R_L}$$

$$= \frac{E_{th}}{2R_{th}}$$

$$\therefore P_L = I^2 R_L = \left(\frac{E_{th}}{2R_{th}} \right)^2 \times R_{th}$$

$$= \frac{E_{th}^2}{4R_{th}}$$

Apparatus : ① Bread board;

② Resistors;

③ AVO meter;

④ Connecting wire;

⑤ DC Power supply;

⑥ calculator;

Circuit Diagram:

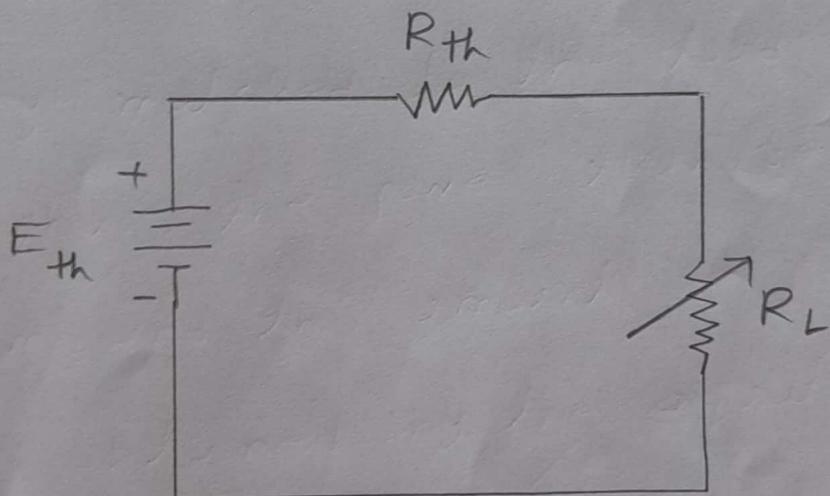


Figure: Experimental circuit

Experimental table: Experimental data table

for maximum power transformer theorem

$$V_{th} / E_{th} = 5V$$

$$R_{th} = 9.45k\Omega$$

No of observation	V _{in} (volt)	R _{th} (kΩ)	R _L (kΩ)	Calculated Value		Measured Value		Error: $\frac{P_{cal} - P_{mea}}{P_{cal}} \times 100\%$
				I _L (mA)	P _L	I _L (mA)	R _L	
01	5	9.45	960Ω	0.48	0.22	0.45	0.19	13.6
02	5	9.45	6.71	0.31	0.64	0.28	0.52	18.75
03	5	9.45	9.45	0.26	0.66	0.24	0.54	18.18
04	5	9.45	21.75	0.16	0.56	0.14	0.42	25
05	5	9.45	22.95	0.16	0.55	0.13	0.38	31.16

Result: From the table we get the calculated and measured value of current and power. From the equation we get the value of current and power.

$$I_L = \frac{E_{th}}{R_{th} + R_L}$$

$$P_L = I_L^2 R_L$$

When we put V_{in} = 5 volt and R_{th} is fixed value = 9.45 and R_L = 960Ω we get the

calculated value of current and power is,

$$I_L = \frac{E_{th}}{R_{th} + R_L}$$
$$= \frac{5}{9.45 + 0.96}$$
$$= 0.48 \text{ mA}$$

$$P_L = I_L^2 R_L$$
$$= (0.48)^2 \times 0.96$$
$$= 0.22 \text{ mW}$$

Similarly we filled up the table

Discussion: From the table and result we get the almost same current from calculated and measured. We also get almost same power from calculated and measured. From the table we get the maximum power when the source resistance is equal to the load resistance.

Precaution : ① Firstly we ~~get~~ set up all the required component on the bread board with their required values.

② All the connection should be joined properly and carefully .

③ We measured the input voltage and current very carefully.

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Department of
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Faculty of Engineering and Technology

LAB REPORT

Course Title : Circuit theory and Analysis Sessional

Course Code : ICE - 1206

Experiment No : 04

Experiment Name : To study the Thevenin's Theorem

Submitted By :

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Session : 2018 – 2019

1st year 2nd semister

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Name of the Experiment: To study the thevenin's theorem.

Objective(s): ① To Examine the use of thevenin's theorem to create simpler version of DC circuit an aid to analysis.

② Multiple method of experimentally obtained the thevenin's resistance will be explored.

Theory: The thevenin's theorem states following that: Any two terminal dc network can be replaced on equivalent circuit consisting ~~solely~~ of a voltage source and series resistor.

Thevenin's Theorem procedure:

- ① Remove that portion of the network where thevenin's equivalent circuit is found.
- ② Mark the terminal of the remaining two terminal network.

R_{th}: calculate R_{th} by first setting all source to zero and then finding the resultant resistance between the two marked terminal.

E_{th}: calculate E_{th} by first all source to the original position and finding the open circuit voltage between the mark terminal.

Conclusion: Draw the thevenin's theorem equivalent circuit with the portion of the circuit removed placed remarked replaced between the terminal of the equivalent circuit.

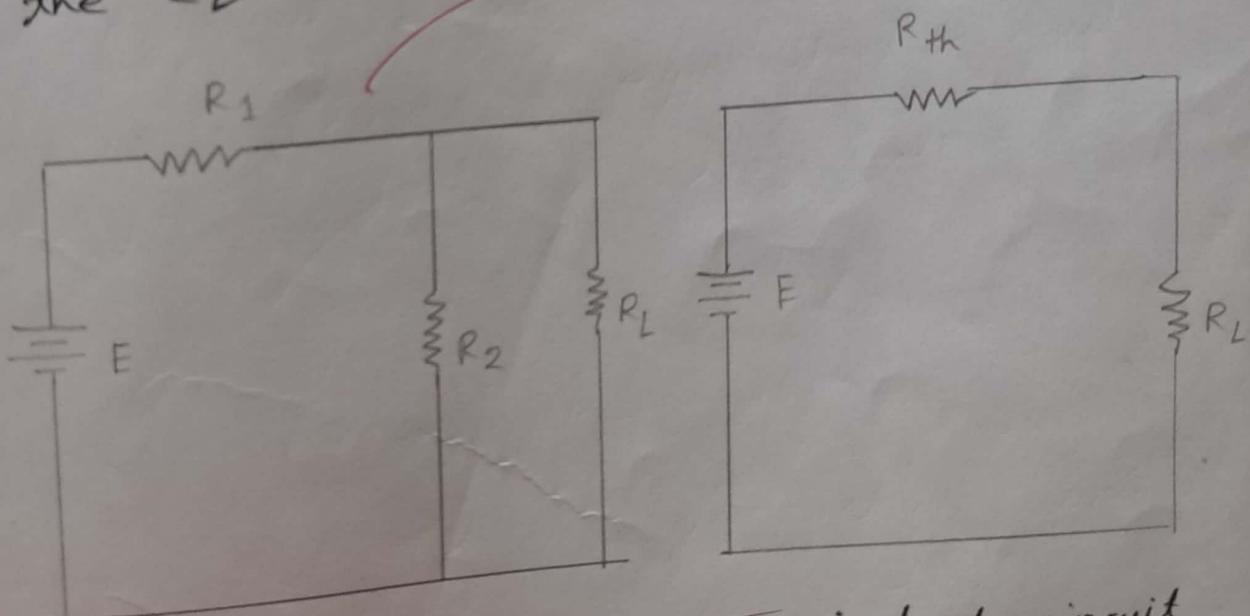


Fig: Thevenin's Theorem equivalent circuit for a complex network.

- Experimental Requirement:
- ① Bread board;
 - ② Resistor;
 - ③ DC supply;
 - ④ Avo meter;
 - ⑤ connecting wire
 - ⑥ others.

Experimental circuit:

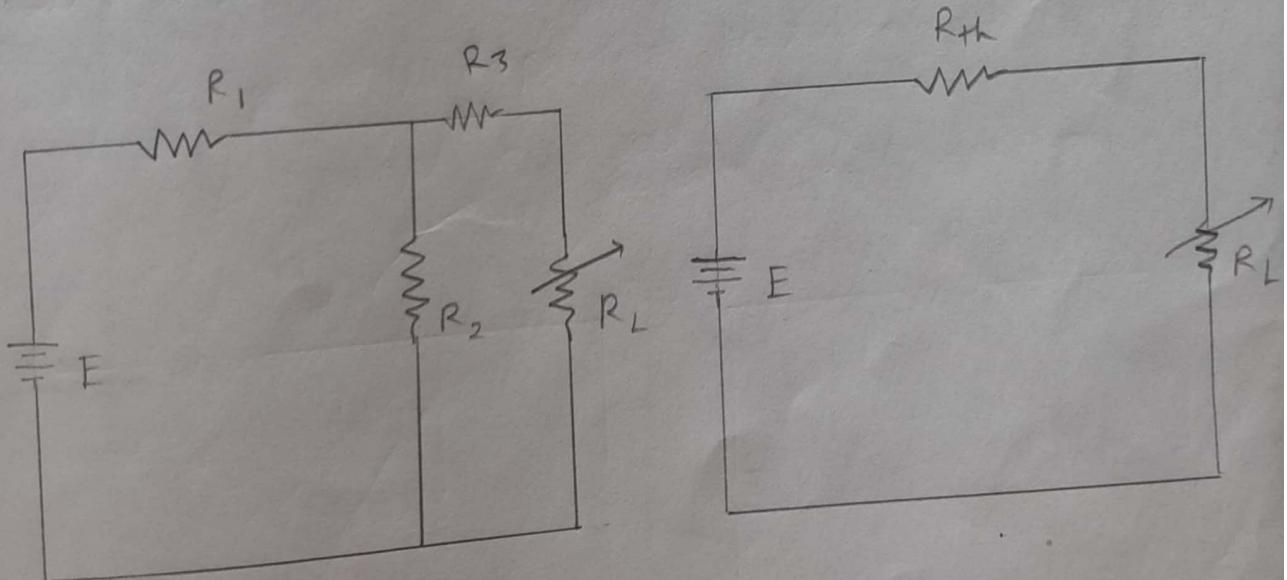


Fig: Experimental circuit for thevenin's theorem

Experimental Table: Experimental data table for
Thermin's theorem

No of observation	E_{th} (V)	R_{th} ($k\Omega$)	R_L ($k\Omega$)	Calculated current I_L (mA)	measured current I_L (mA)	Error %
1	7	2.08	4.7	1.03	0.98	5%
2	7	2.08	3.6	0.91	0.90	1%
3	7	2.08	8	0.69	0.60	6%
4	7	2.08	10	0.56	0.54	2%
5	7	2.08	22	0.29	0.28	1%

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Department of
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LAB REPORT

Course Title : Circuit theory and Analysis Sessional

Course Code : ICE - 1206

Experiment No : 05

Experiment Name : To study Norton's Theorem.

Submitted By :

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Roll : 190635

Session : 2018 - 2019

1st year 2nd semister

Department of ICE , PUST

Submission Date : ?

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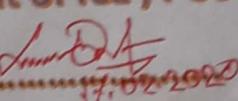
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Name of the Experiment: To study Norton's Theorem.

Objective(s): ① Validate Norton's Theorem through experimental measurements.

② Become aware of an experimental procedure to determine I_N , R_N . Hence the Norton equivalent circuit.

③ Demonstrate how Norton theorem can be used to simplify a circuit to one that contains three components: Power source, equivalent resistor and load.

Theory: Norton's theorem states that.

Any linear bi-directional circuit having several sources and resistances can be replaced by just one single equivalent current source I_N in parallel with single equivalent resistor R_N .

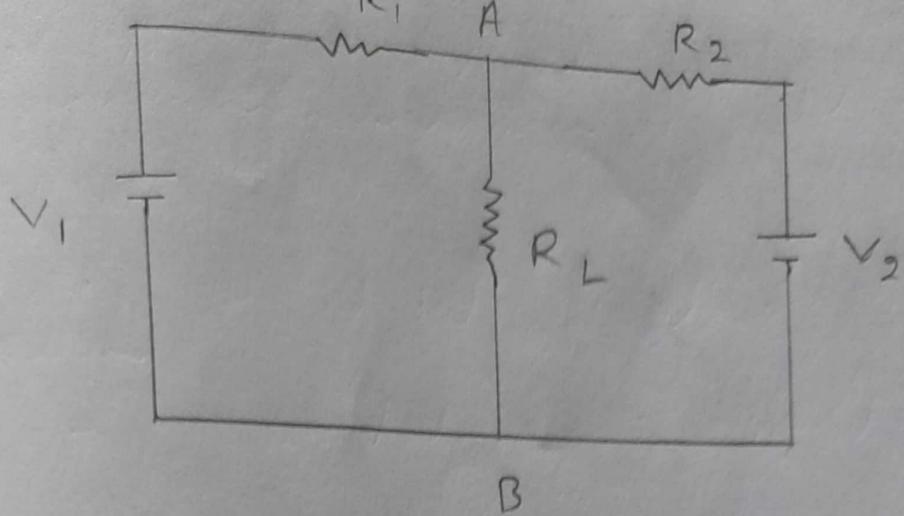


Fig: Circuit - 1

To find the Norton's equivalent of the above circuit fully firstly we have to remove the load resistance R_L and cut the terminals A and B to make the following circuit.

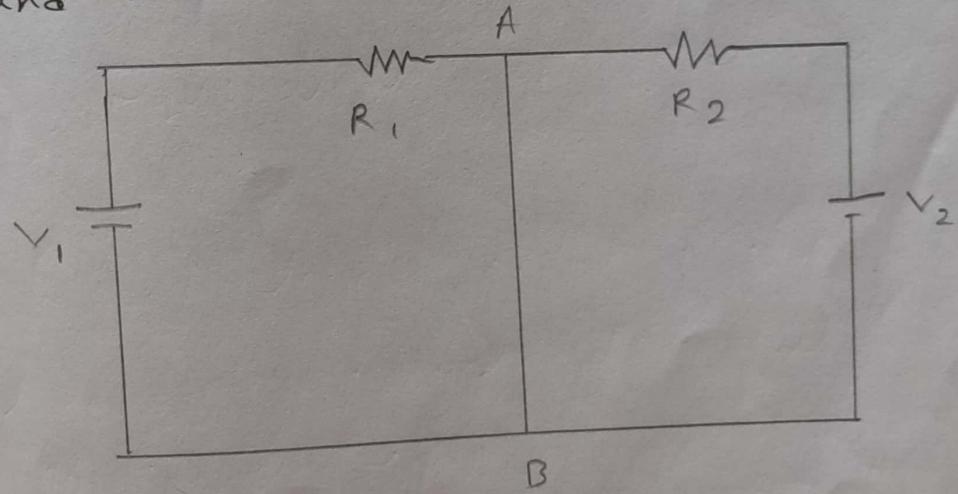


Fig: circuit - 2

When the terminals A and B are shorted together the two resistors are connected in parallel across their two respective

voltage sources and the currents flowing through each resistor as well as the total short circuit can now be calculated as

$$I_1 = \frac{V_1}{R_1}$$

$$I_2 = \frac{V_2}{R_2}$$

$$I = I_1 + I_2$$

If we short out the two voltage sources and open circuit terminals A and B. the two resistors are now effectively connected together, in parallel. The value of norton resistance R_n is found by calculating total resistance at the terminals A and B.

The following chart. circuit.

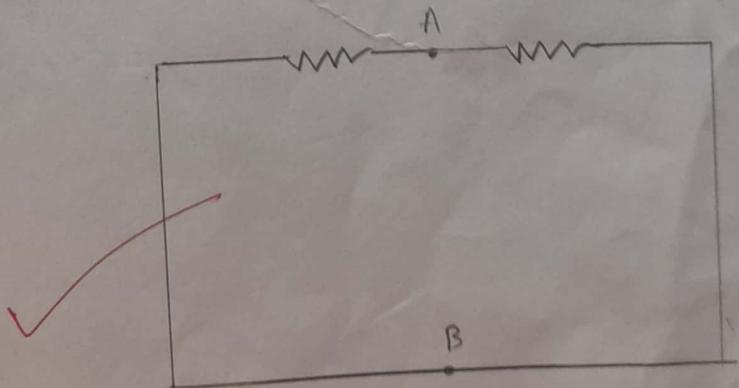


Fig. circuit : 3

The equivalent resistance

$$R_N = \frac{R_1 R_2}{R_1 + R_2}$$

$$V = I_N R_1$$

$$\Rightarrow I_N = \frac{V}{R_1}$$

The load current, $I_L = I_N \times \frac{R_N}{R_N + R_L}$

Apparatus : ① Bread board;



② Resistor;

③ AVO meter;

④ Connecting wire;

⑤ DC power supply;

⑥ Calculator.

Circuit :

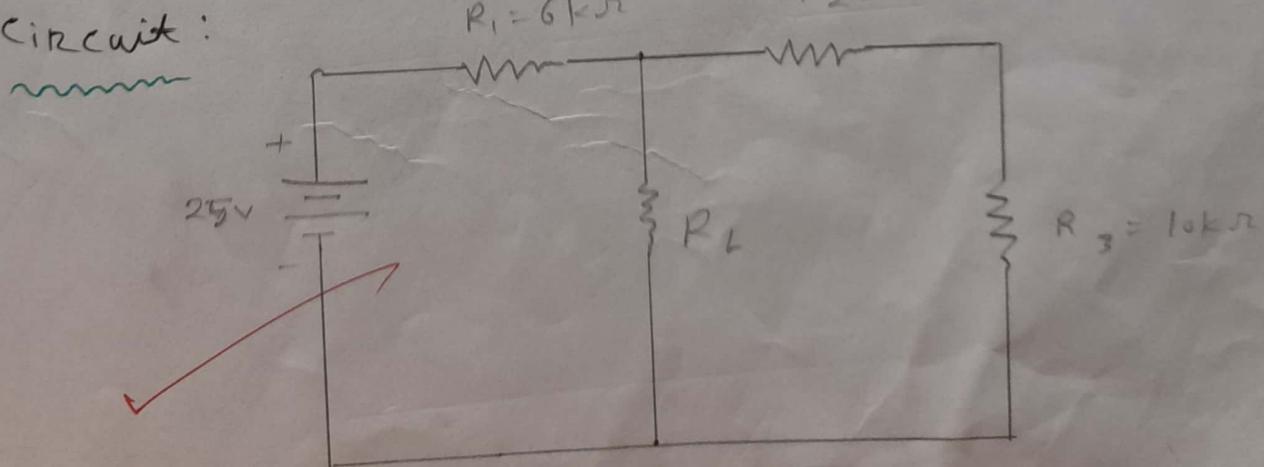


Fig: Experimental circuit.

Experimental table: Experimental table for Norton's theorem

Theorem

No of observation	R_L ($k\Omega$)	I_L (mA) calculated	I_L (mA) Measured	Error (%)
1	12	1.04	1.04	0%
2	22.56	0.636	0.63	0.61%
3	34.6	0.43	0.43	0%
4	40	0.378	0.38	0.5%
5	45	0.339	0.34	0.29%
6	47.8	0.32	0.32	0%
7	50	0.308	0.31	0.6%
8	60	0.26	0.26	0%
9	75	0.21	0.21	0%
10	80	0.198	0.20	1%

Result: From the table we get both the calculated and measured value of current.

From the equation, we get the value of R_N , I_N and I_L .

$$\begin{aligned}
 R_N &= (R_2 + R_3) \parallel R_1 \\
 &= \frac{(R_2 + R_3) \times R_1}{R_2 + R_3 + R_1} \\
 &= \frac{(2+10) \times 6}{2+10+6} = 4 k\Omega.
 \end{aligned}$$

We know,

$$V = I_N R_1$$

$$\Rightarrow I_N = \frac{V}{R_1}$$

$$= \frac{25}{6}$$

$$\therefore \underline{I_N = 4.16 \text{ mA}}$$

The load current, $I_L = I_N \times \frac{R_N}{R_N + R_L}$

$$= 4.16 \times \frac{4}{4+12} \quad [R_L = 12 \text{ k}\Omega]$$

$$= \underline{(1.04) \text{ mA}}$$

Similarly we fill up the table.

Discussion: From the table and result we get almost same current from calculated and measured we get the Norton resistance R_N , Norton current

In and load current I_L , we get some error.

Precaution: ① We set up all the required components

on the breadboard with their required values.

② All the connection should be jointed

properly and carefully.

③ We measured the load current very

carefully.

PABNA UNIVERSITY OF SCIENCE AND TECHNOLOGY



*Department of
Information and Communication Engineering
Faculty of Engineering and Technology*

LAB REPORT

Crouse Title : Circuit Theory and Analysis Sessional

Crouse Code : ICE - 1206

Experiment No : 06

Experiment Name : To study The Reciprocity Theorem .

Submitted By :

Name : Joy Saha

Roll : 190635

Session : 2018 – 2019

1st year 2nd semister

Department of ICE , PUST

Submitted To :

Sohag Sarker

Assistant Professor ;

Tarun Debnath

Lecturer;

Department of ICE , PUST

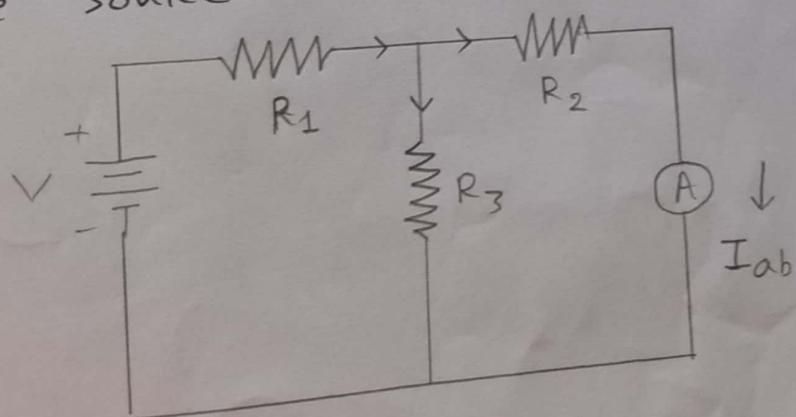
Signature

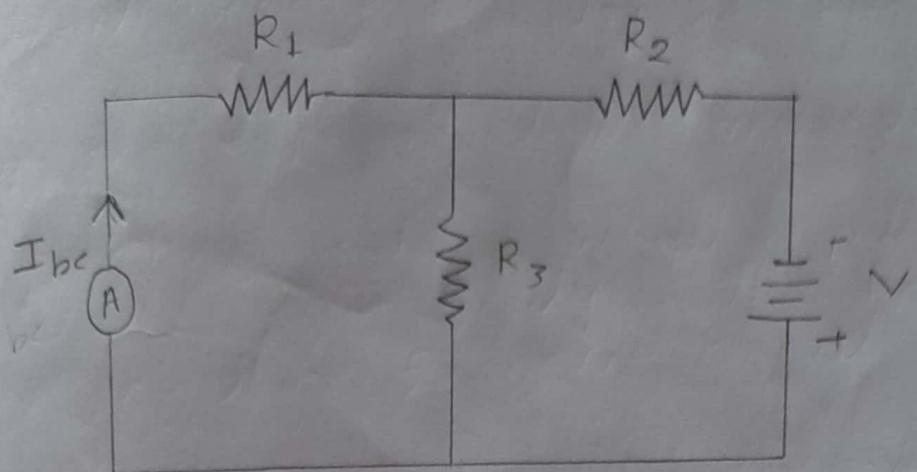
Experiment Name : To study the Reciprocity Theorem.

Objective : ① To analysis the Reciprocity theorem.
② To determine the current from the circuit.

Theorey : It states that in a linear bilateral network if we interchange the position of source and zero resistance ammeter the current through the ammeter will be same.

The reciprocity theorem is applicable for single source network.





Demonstrating the impact of the reciprocal theorem. From figure,

$$R_{T_a} = \frac{R_2 \times R_3}{R_2 + R_3} + R_1$$

$$R_{T_b} = \frac{R_1 \times R_3}{R_1 + R_3} + R_2$$

$$I_{T_a} = \frac{V}{R_{T_a}}$$

$$I_{T_b} = \frac{V}{R_{T_b}}$$

$$I_{ab} = \frac{R_3}{R_2 + R_3} \times I_{T_a}$$

$$I_{bc} = \frac{R_3}{R_1 + R_3} \times I_{T_b}$$

Experimental Equipment: ① Bread board;

② Resistor;

③ Avo meter;

④ Connecting wire;

⑤ Supply voltage;

Experimental circuit :

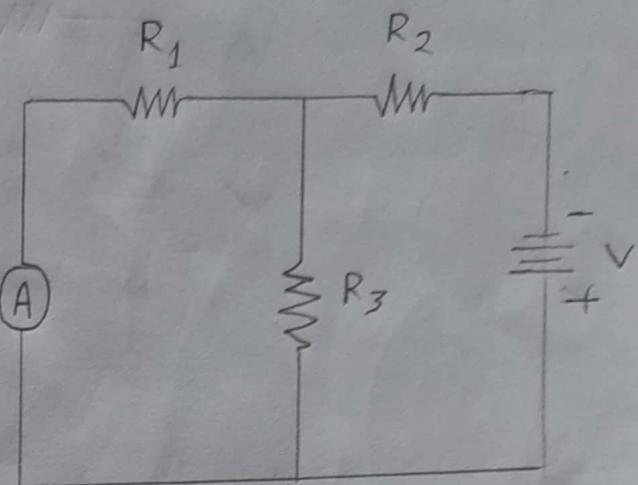
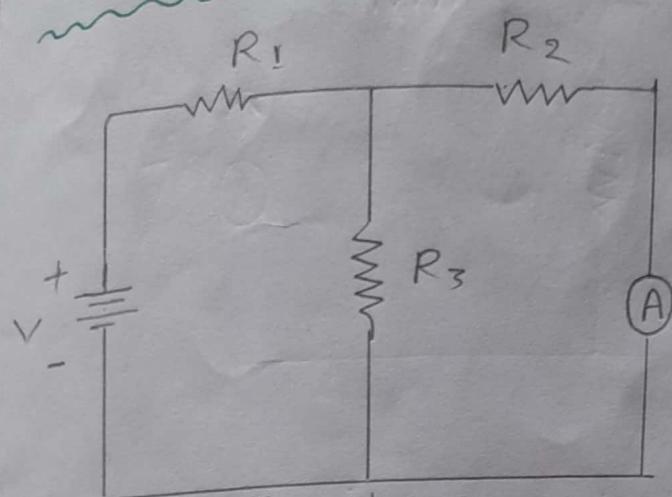


Fig: Circuit diagram for Reciprocity theorem

Experimental data table : Experimental data for reciprocity theorem.

No of observa- tion	Supply voltage V(volt)	1st circuit	2nd circuit	Error %	
		$I_{ab}(\text{cal})$ (A)	$I_{ab}(\text{mea})$ (A)	$I_{bc}(\text{cal})$ (A)	$I_{bc}(\text{mea})$ (A)
01	3.32	0.22	0.17	0.22	0.16 5.88
02	4.85	0.32	0.26	0.32	0.26 0
03	5.64	0.37	0.30	0.37	0.30 0
04	6.23	0.41	0.34	0.41	0.34 0
05	7.05	0.46	0.39	0.46	0.39 2.0
06	8.12	0.53	0.46	0.53	0.45 2.17
07	9.20	0.60	0.52	0.60	0.53 1.87
08	10.40	0.68	0.59	0.68	0.59 0
09	11.69	0.77	0.67	0.77	0.67 0
10	12.63	0.83	0.73	0.83	0.73 0

Result and Discussion: From experimental data

table we can saw that calculated and measured current where supply voltage is variable.

From figure ab,

$$R_{Ta} = \frac{R_2 \times R_3}{R_2 + R_3} + R_1 = \frac{4.19 \times 0.987}{4.19 + 0.987} + 2.1 = 2.90 \text{ k}\Omega$$

$$I_{Ta} = \frac{V}{R_{Ta}} = \frac{3.32}{2.90} = 1.195 \text{ A} \quad [\text{when } V = 3.32 \text{ V}]$$

$$I_{ab} = \frac{R_3}{R_2 + R_3} \times I_{Ta} = \frac{0.987}{4.19 + 0.987} \times 1.195 \\ = 0.22 \text{ A}$$

From figure bc,

$$R_{Tb} = \frac{R_1 \times R_3}{R_1 + R_3} + R_2 = \frac{2.1 \times 0.987}{2.1 + 0.987} + 4.19 = 4.86 \text{ k}\Omega$$

$$I_{Tb} = \frac{V}{R_{Tb}} = \frac{3.32}{4.86} = 0.68 \text{ A} \quad [\text{when } V = 3.32 \text{ V}]$$

$$I_{bc} = \frac{R_3}{R_1 + R_3} \times I_{Tb} = \frac{0.987}{2.1 + 0.987} \times 0.68 \\ = 0.22 \text{ A.}$$

We can notice that First circuit and 2nd circuit calculated current are same and measured current almost same.

Similarly - we can get other data on this processes.

Precaution: ① All the element should set up very tightly.

② Measured current by the A.v.

meter very carefully.