

1 # positive feedback: when the feedback voltage (or current) is so applied that it increases the input voltage (or current) it is in phase with the input it is called as positive feedback.

negative feedback: when the feedback voltage (or current) is so applied that it decreases the input voltage (or current) it is out of phase with the input it is called as negative feedback.

# what are the effect / advantages of negative feedback.

Increased stability:

The gain of the amplifier with negative feedback is given by  $A' = \frac{A}{1+AB}$

In negative feedback amplifiers, the designer deliberately makes the

product  $BA$  is much greater than unity so that it may be neglected in comparison to it. Hence

$$A' = \frac{A}{1+BA} = \frac{1}{B}$$

Thus  $A'$  depends only on  $B$  (feedback ratio). As characteristics of feedback circuit are feedback circuit is usually a voltage divider and resistor can be selected very precisely with almost zero temperature coefficient of resistance, therefore the gain is unaffected by changes in temperature variations in transistors parameters and frequency. Hence the gain of the amplifier is extremely stable.

- ⑩ Reduction in non-linearity  
A large signal stage has non linear distortion because its voltage gain changes at various points in the cycle. The use of negative feedback in large signal

product  $BA$  is much greater than unity so that it may be neglected in comparison to its inverse.

$$A' = \frac{A}{BA} = \frac{1}{B}$$

Thus  $A'$  depends only on  $B$  (feedback ratio). As characteristics of feedback circuit are very precisely with almost zero temperature coefficient of resistance, therefore the gain is unaffected by changes in temperature and frequency. Hence the gain and frequency stability. The amplifier is extremely stable.

- ② Reduction in non-linearity distortion:  
A large signal stage has non-linear distortion because its voltage gain changes at various points in the cycle. The use of negative feedback in large signal

amplifiers reduces the non-linearity distortion between input and output. Let  $D$  = distortion voltage generated in amplifier without feedback.

( $D'$  = distortion voltage generated in amplifier with feedback.)

suppose  $D' = BD$  where  $B$  is fraction of output distortion fed back to input.

now fraction of output distortion fed back to input  $= BD' = B \times D$ .

This voltage is amplified by the amplifier DA. This is an anti-phase voltage. The amplified distorted voltage will be the original distorted voltage  $D$ , so the new distorted voltage  $D'$  which appear in the output is

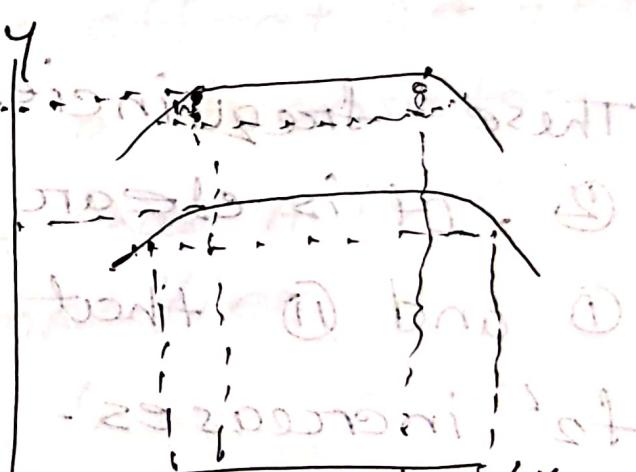
$$D' = D - B \times D \quad \text{--- (1)}$$

From eq (1) and (2),

$D' = D - B \times D$

we get  $D = D - B \alpha C D A$   
 $\Rightarrow D = \frac{D}{1 + B A}$   
 $\therefore \alpha(1 + B A) = 1$   
 $\Rightarrow \alpha = \frac{1}{1 + B A}$   
 substituting this value in equation ① we get  $D = \frac{D}{1 + B A}$ . so the negative feedback reduces the amplifier distortion by a factor  $(1 + B A)$ .

Increased bandwidth



When a feedback is applied, the gain of the amplifier is decreased but again bandwidth remains the same. This indicates that the bandwidth must increase to compensate the decrease in gain. It can be shown that with negative feedback, the lower and upper frequencies are expressed as.

$$f_1' = \frac{f_{100}}{1 + BA} \quad \text{--- (1)}$$

$$f_2' = f_2 (1 + BA) \quad \text{--- (2)}$$

These frequencies are shown in figure. It is clear from expressions (1) and (2) that  $f_1'$  decrease while  $f_2'$  increases. Thus the bandwidth increase of course gain bandwidth product remain same.

$$\Delta(f_2 - f_1) = A' (f_2' - f_1')$$

## IV Input Impedance

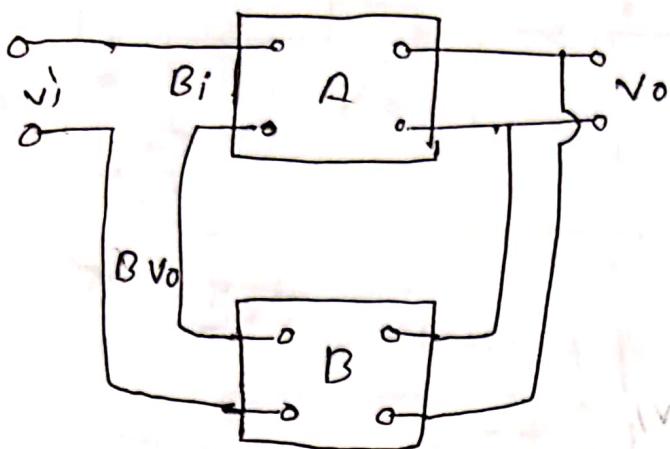


Fig: Input impedance increases due to negative feedback.

In order to consider the effect of feedback on input impedance of a transistor amplifier, we assume that  $A$  is the normal gain of the amplifier without feedback.  $Bv_o$  is the fraction of the feedback to output voltage which is fed back to the input terminals as shown in figure. The input impedance without feedback is

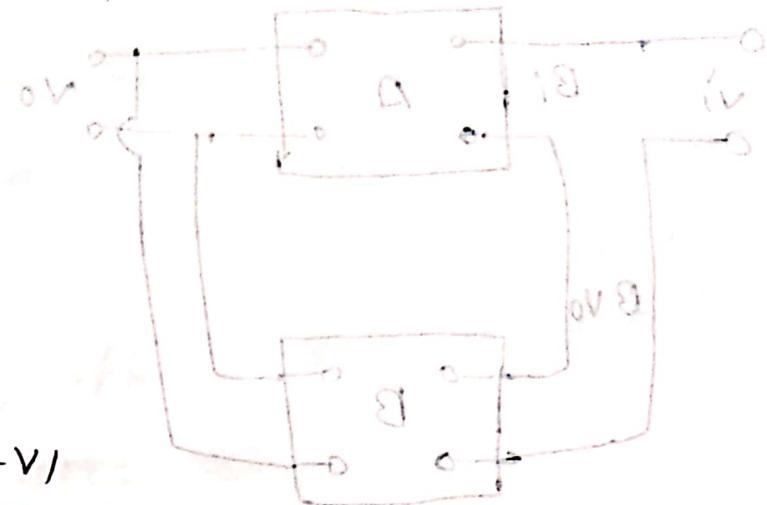
$$Z_i = \frac{e_i}{i_i} = \frac{v_i}{i_i}$$

with feedback, the input impedance  $Z_{if}$  is given by

$$Z_{if} = \frac{e_i - B V_o}{i_i}$$

$$= \frac{V_i - B V_o}{I_i}$$

$$= \frac{V_i - B A V_i}{I_i}$$



$$\Rightarrow \frac{e_i - B A V_i}{I_i}$$

$\therefore (V_o = A e_i) = \frac{e_i}{I_i} [1 + B A]$

In negative feedback,  $(1 + B A)$  is greater than unity and consequently  $Z_{if}$  is greater than  $Z_i$ . This is because the input impedance of a transistor amplifier increases due to negative feedback.

output



Fig

In order to  
the amplifier  
circuit the  
a voltage source  
terminal has been

Output impedance:

Want to find  
output voltage

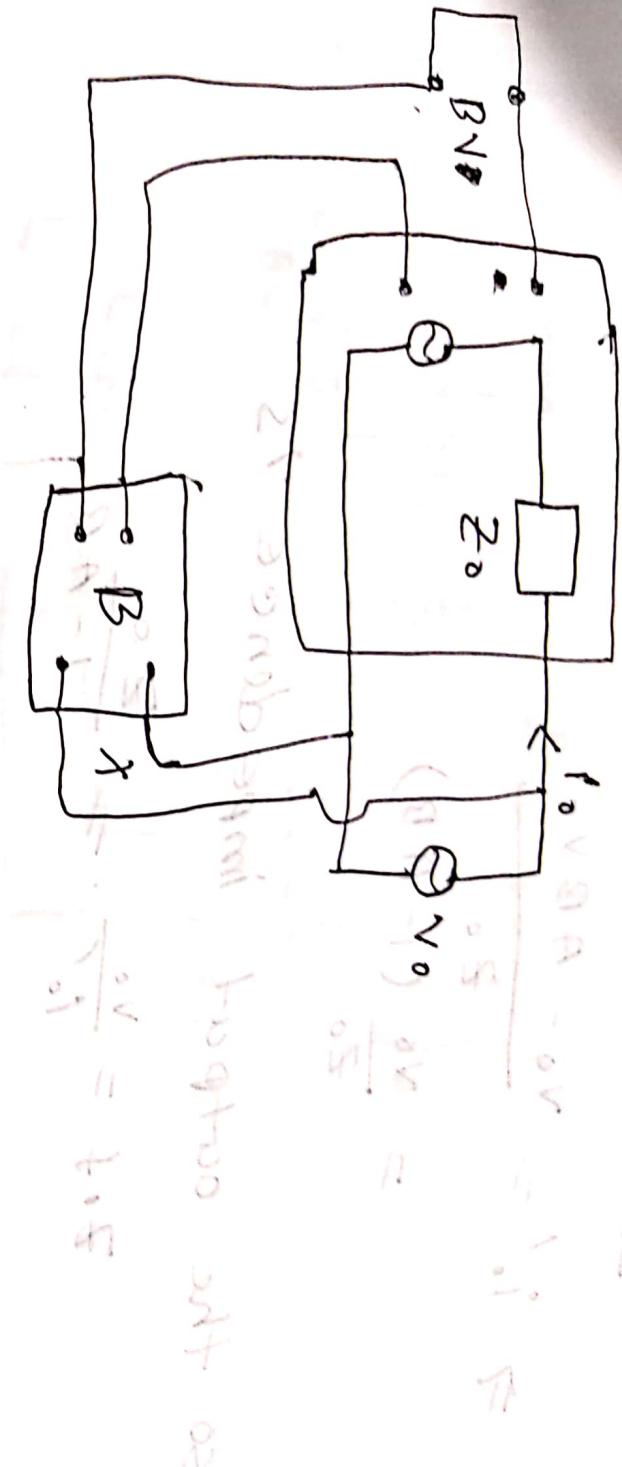


Fig-4

In order to find the output impedance of the amplifier with no feedback, we short the input source and connect the input terminal to the output voltage source  $V_o$  at the output. The output voltage source  $V_o$  is shown in figure. The equivalent has been replaced by an equivalent voltage source  $A V_B$ . Let  $i$  be the current with feedback.

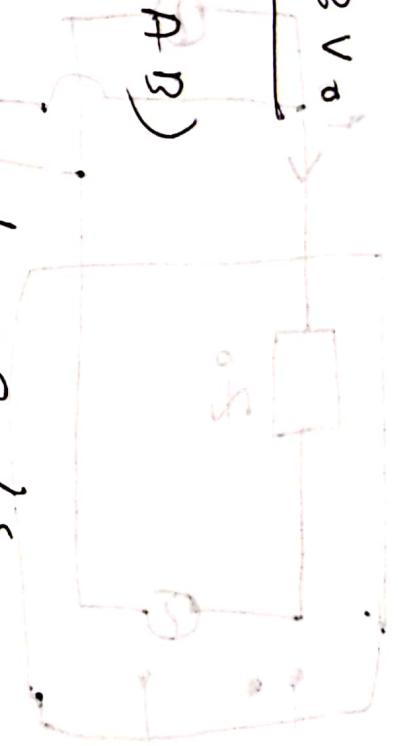
From figure,

$$Z_0 i_o = V_o - A R V_i$$

$$\Rightarrow i_o = \frac{V_o - A R V_i}{Z_0}$$
$$= \frac{V_o}{Z_0} (1 - A)$$

so the output impedance is

$$Z_{\text{out}} = \frac{V_o}{i_o} = \frac{Z_0}{1 - A}$$



since the negative feedback is less than  $Z_0$ .

$(1 - A)$  > 1 so  $Z_{\text{out}}$  is less than  $Z_0$ .  
+ negative feedback decreases output impedance.

that is output impedance is reduced due to negative feedback.

Since the output current is zero, the voltage across the dependent source is zero. So the dependent source does not affect the output voltage.

# Voltage series feedback: it improves input offset work

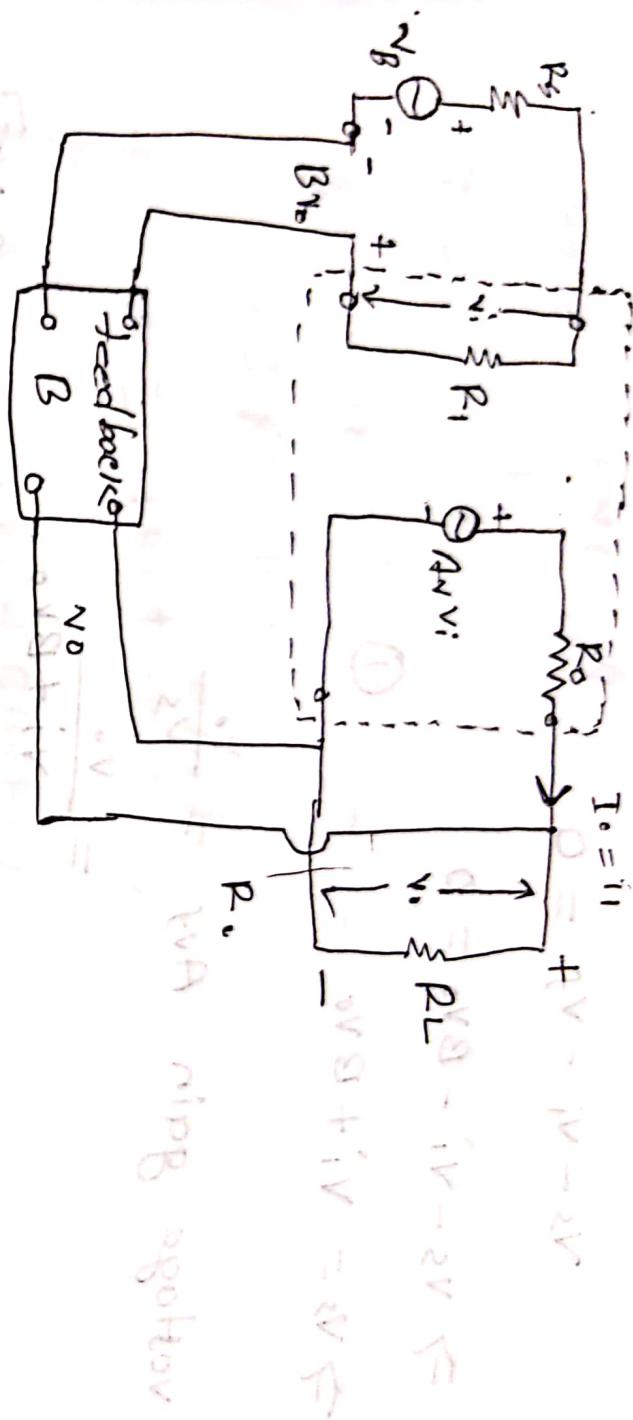


Figure: voltage amplifier with voltage series feedback

Figure shows the schematic circuit of a voltage amplifier with voltage series feedback. Assumptions are made:

- ① The feedback network does not load the output circuit of the amplifier.
- ② There are no forwarded transmission through the feedback network. Now we shall calculate the voltage gain, output resistance, and input resistance.

voltage gain from the figure we have

from the input circuit

$$V_s - V_i - V_f = 0$$

$$\Rightarrow V_s - V_i - BV_o = 0$$

$$\Rightarrow V_s = V_i + BV_o$$



voltage gain  $A_{vf} = \frac{V_o}{V_s}$

$$= \frac{V_o}{V_i + BV_o}$$

for feedback resistor  $R_f$

$$A_{vf} = \frac{R_f V_i}{V_i + BV_o}$$

$V_o = A_{vf} V_i$

highest gain  $A_{vf} = \frac{V_o}{V_i}$

$$A_{vf} = \frac{V_o}{V_i + BV_o}$$

but here some noise introduced  $\frac{A_{vf} V_i}{V_i + A_{vf} V_i}$  will affect output voltage  $V_o$

$$A_{vf} = \frac{1}{1 + B} A_{vf}$$

Appoint noise margin

stability

$$\text{Input impedance } R_{if} = \frac{V_s}{I_{in}} = R_i (1 + B A_v)$$

without feedback the input resistance  $R_i$

is given by  $\frac{V_i}{I_i}$  with feedback

Input impedance,  $R_{if} = \frac{V_s}{I_i} = R_i(1 + BAV)$

Notes

We have,  $V_s - V_i = V_f + B V_i$  with the horizontal axis being the output of bandpass filter

$$\Rightarrow V_s = V_i + V_f$$

$$= I_i R_i + B V_i$$

$$= I_i R_i + B A V_i$$

$$= I_i \left( R_i + \frac{BAV}{I_i} \right)$$

$$\Rightarrow \frac{V_s}{I_i} = (R_i + BAV)$$

$$\Rightarrow \frac{V_s}{I_i} = R_i (1 + BAV)$$

$$\Rightarrow R_{if} = R_i (1 + BAV)$$

Output impedance is the output voltage across the load

$$= \frac{R_o}{1 + BAV}$$

$$= \frac{R_o}{1 + BAV} = 0$$

$$\text{Now, } V_o = I_o R_o = A V_i$$

$$\Rightarrow V_o = \frac{V_s}{I_i} R_o + A V_i$$

$$\Rightarrow V_o = (1 + BAV) \frac{V_s}{I_i} R_o$$

$$\Rightarrow \frac{V_o}{V_s} = \frac{R_o}{1 + BAV} + A$$

## # Define feedback with the example of

# feedback is a process in which a fraction of the energy output is combined to the input. It is depending upon whether the feedback energy aids or opposes the signal.

$$(\text{is VAS + i}q) = \frac{iV}{IT}$$

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## # Advantage of negative feedback

- ④ Highly stabilized again non-linear distortion.
- ⑤ Reduction in non-linearity.
- ⑥ Increased bandwidth ie. improved frequency response.
- ⑦ Increased circuit stability.
- ⑧ Less amplitude distortion.
- ⑨ Less frequency distortion.

## (vii) Less phase distortion

### (ix) Reduce noise

- ① Increased input impedance and decrease output impedance. i.e. input  $\frac{10}{10}$  and output  $\frac{10}{10}$  impedance can be modified as desired.

Example: A transistor amplifier has a voltage gain of 50. The input resistance of the amplifier is  $1\text{k}\Omega$  and the output resistance is  $40\text{k}\Omega$ . The amplifier is now provided with  $10\text{k}\Omega$  negative feedback in series with the input. Calculate the voltage gain, input and output resistance with feedback.

In this problem, if negative voltage feedback has been provided ie  $R_f = \frac{10}{10}$

$$\textcircled{1} \quad A' = \frac{A}{1 - BA}$$

$$= \frac{50}{1 - (-0.1 \times 50)}$$

therefore  $\Rightarrow \frac{50}{6}$  rupees in excess of 50

therefore  $\Rightarrow 8.33$ . billion rupees

$$\textcircled{1} \quad Z_{it} = z_i (1 - \beta_A)$$

$$\text{P.GDP} = z_{1it} (1 - (-0.1 \times 50)) = 61.67$$

$$\text{Z}_{2it} = \frac{+200}{1 - \beta_A} \text{ P.GDP}$$

$$\text{Z}_{3it} = \frac{+200}{1 - \beta_A} \text{ P.GDP}$$

$$1 - \frac{(-0.1 \times 50)}{1 - \beta_A} \text{ P.GDP}$$

$$1 - \frac{4.0}{1 - \beta_A} \text{ P.GDP} \Rightarrow 6.67 \text{ KRS.}$$

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# difference between positive and negative feedback

Basic form comparison	positive feedback	negative feedback	
also called as	Regenerative feedback	Degenerative feedback	
	The relation between input and output	Input signal and output signal are in the same phase	Input signal and output signals are in opposite phase w.r.t. each other
			smaller than the gain of the system
		Final output is greater than the gain of the signal	
(iv) Transfer function of system with respective feedback	$\frac{U_f}{1 - SPH}$	$\frac{U_f}{1 + SPH}$	
stability	less	more	
Phase shift	0° or 360°	180°	

feedback non inverting terminal of op-amp is taken from

use in oscillators

vibration

oscillating

oscillator

discharge current  
change frequency  
and phase of sinusoidal

with non inverting  
op-amp to invert

RC  
filter

RC  
filter