



INSTALMENT PURCHASES

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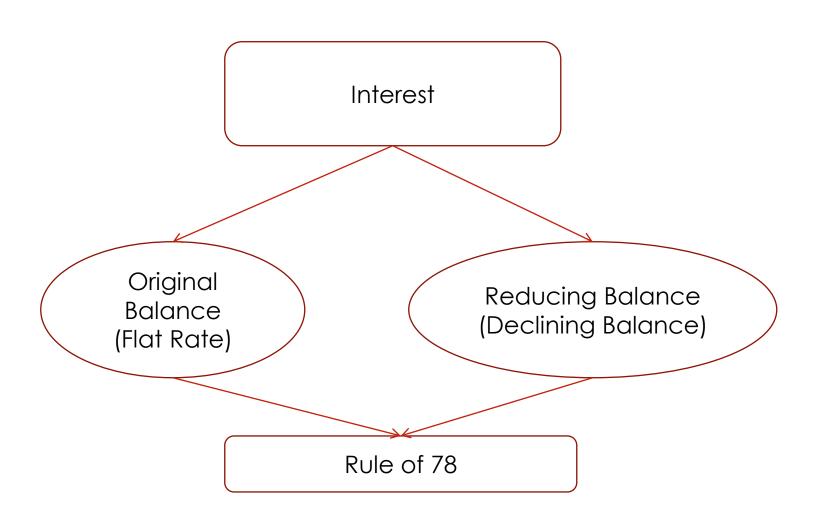
LEARNING OUTCOMES

By the end of this chapter, student should be able to:

- explain the meaning of instalment purchases,
- understand how the interest rate is charged on the original balance and the reducing balance of the credit,
- compute the interest rate charged on the original balance of credit,
- compute the interest rate charged on the reducing balance of credit, and
- compute the outstanding balance and unearned interest of the lender under Rule of 78











INTRODUCTION

- In an installment purchase plan, a consumer is given the opportunity to pay back over a period.
- The retailer will usually asked for a considerable sum of down payment and will charged the balance with certain amount of interest or sometimes called service charged.
- The period of payment may be in week or month.
- Some examples of business outlet that uses the installment plan in their business transaction are Court Mammoth, The Catalog Shop, Singer and Sen Heng Electrical Appliances.





TERMS USED IN INSTALLMENT PURCHASE.

- Cash price (CP): The cost of item listed at the time of purchase.
- Interest (I): Amount charged on balance
- Original balance (B): The balance after down payment was made or the deposit. (Cash balance)
- Periodic payment (R): Amount of installment paid every week or month.
- Number of payment (n): Total number of payment to settle the balance plus interest.
- Installment price (IP): The total amount paid for the item bought including the down payment.





GENERAL FORMULA

$$CP = B + DP$$

$$R = \frac{B+I}{n}$$

$$IP = CP + I$$

= $B + DP + I$
= $Rn + DP$

Tip: n
If monthly payment (years x 12)
If weekly payment (years x 52)





Interest

Original Balance (Flat Rate) Reducing Balance (Declining Balance) using Constant Ratio Formula

$$I = Prt$$

$$I = \frac{Br(n+1)}{2m}$$





$$I = Prt$$

I = amount of interest

P = balance

r = interest rate

t = duration in year

$$I = \frac{Br(n+1)}{2m}$$

I = amount of interest

B = balance

r = annual interest rate

n = total number of payments

m = 12 (monthly payment)

= 52 (weekly payment)





RULE OF 78

- Hire Purchase Act
- Outstanding Principal Balance
 - = unpaid payment interest rebate

$$OPB = Rk - I \left[\frac{k(k+1)}{n(n+1)} \right]$$





David paid a down payment of RM15,000 to buy a new car. The balance of RM60,000 was paid by making a loan which charged an interest of 3.7% on reducing balance. He settled the loan by making equal monthly payments for seven years. By using constant ratio formula, find

- i) the interest charged,
- ii) the instalment price



$$DP = 15000$$

 $B = 60000$
 $r = 0.037$
 $n = 12(7) = 84$
 $m = 12 (monthly)$

$$I = \frac{Br(n+1)}{2m}$$

$$= \frac{60000(0.037)(84+1)}{2(12)}$$
= RM7862.50

$$IP = B + DP + I$$

$$= 60000 + 15000 + 7862.50$$

$$= RM82862.50$$





A series of magazines was purchased by making a down payment of RM100 and 10 monthly payments of RM121.50. If the interest charged was 1.5% based on the original balance, find:

- i) the instalment price of the magazines.
- ii) the cash price of the magazines.
- iii) the amount of outstanding balance just after the 8th payment using the Rule of 78.





i)
$$IP = Rn + DP$$

$$= 121.50(10) + 100$$

$$= RM1315$$

$$I = Prt$$

$$= B(0.015) \left(\frac{10}{12}\right)$$

$$= 0.0125B$$

$$R = \frac{B+I}{n}$$

$$= 0.0125B$$

$$R = \frac{B+I}{n}$$

$$121.50 = \frac{B+0.0125B}{10}$$

$$1215 = 1.0125B$$

$$B = RM1200$$

$$CP = B + DP$$

$$= 1200 + 100$$

$$= RM1300$$

iii)

$$k = 10 - 8 = 2$$

 $I = 0.0125B$
 $= 0.0125(1200) = 15$

$$OPB = Rk - I \left[\frac{k(k+1)}{n(n+1)} \right]$$

$$= 121.50(2) - 15 \left[\frac{2(2+1)}{10(10+1)} \right]$$

$$= RM242.18$$





A loan of RM20,000 is charged RM8,000 interest and was repaid by making 48 equal monthly payments. Find

- i) the monthly payment,
- ii) the outstanding balance just after the 10th payment using the rule of 78.



ii)





i)
$$R = \frac{B+I}{n}$$

$$= \frac{20000 + 8000}{48}$$

$$= RM583.33$$

$$k = 48 - 10 = 38$$

$$OPB = Rk - I \left[\frac{k(k+1)}{n(n+1)} \right]$$

$$= 583.33(38) - 8000 \left[\frac{38(38+1)}{48(48+1)} \right]$$

$$= RM17125.72$$





Nazmir wishes to purchase a set of furniture that costs him RM25,000 and he has two options to consider.

| | Option A | Option B |
|-------------------|-----------------|------------------------|
| Down payment | RM2000 | RM2000 |
| Interest rate | 4% on flat rate | 6% on reducing balance |
| Mode of payment | monthly | monthly |
| Period of payment | 24 months | 24 months |

For each option, calculate

- i) the interest charged
- ii) the periodic payment

Based on the total interest charged, which option should Nazmir select? Why?





$$B = CP - DP$$
= 25000 - 2000
= 23000

$$I = Prt$$

$$=23000(0.04)\left(\frac{24}{12}\right)$$

= RM1840

$$R = \frac{B+I}{n}$$
=\frac{23000+1840}{24}
= RM1035

$$B = CP - DP$$
$$= 25000 - 2000$$

$$= 23000$$

$$I = \frac{Br(n+1)}{2m}$$
$$= \frac{23000(0.06)(24+1)}{2(12)}$$

= RM1437.50

$$R = \frac{B+I}{n}$$

$$= \frac{23000+1437.50}{24}$$

$$= RM1018.23$$

Decision:

Based on total interest charged, Nazmir should select Option B because interest charged is lower.





Naza wishes to purchase a set of home-theater equipment that costs RM30,000 and he has two shops to consider.

| | Shop WY | Shop KL |
|-------------------------|------------------------|-------------------------|
| Down payment | RM1500 | RM1500 |
| Interest rate | 6% on original balance | 10% on reducing balance |
| Installment payment | monthly | monthly |
| Duration of installment | 2 years | 2 years |

For each shop, calculate

- i) the interest charged
- ii) the monthly installment payment
- iii) the installment price
- iv) the difference in the installment price between two shops

EXERCISE

Please submit your answer to your instructor.





i)
$$B = CP - DP$$

$$= 30000 - 1500$$

$$= 28500$$

$$I = Prt$$

$$= 28500(0.06) \left(\frac{24}{12}\right)$$

$$= RM3420$$