Promissory Note & Bank Discount

LEARNING OUTCOMES

By the end of this chapter, student should be able to

- explain the meaning of a promissory note,
- list the main features of a promissory note,
- compute the face and maturity values of a promissory note, and
- compute simple interest rate that is equivalent to discount rate.

Promissory Note

A signed document containing a written Promise to pay a sum of money at specified date with or without interest.

Features on Promissory Note

- Maker: The name of person that sign the note (debtor)
- Payee : The name of person that receive the note (creditor)
- Face Value : The amount stated on the note or the amount borrowed
- Date Issue : The date of the note is signed
- Time (Term) : The length of period
- Maturity Date : The date the debt must be paid
- Maturity Value : The amount has to be paid including interest

How to get maturity value?

$$S = P(1 + rt)$$

*only BANKER'S RULE will be used in chapter 3

Find the maturity value and the maturity date for a 75 days promissory note with face value RM 3300 at 5% simple interest issued on the 12 Jun 2014.

$$S = P(1+rt)$$
= 3300 \(1+0.05 \left(\frac{75}{360} \right) \)
= RM3334.38

Maturity Date = 26 Aug 2014

A 180-day promissory note dated 8 June 2012 had a face value of RM2000. The simple Interest rate charged was 6.6% per annum. Determine

- i) the maturity date of the note
- ii) the maturity value

Solution

ii)
$$S = P(1+rt)$$

$$= 2000 \left(1 + 0.066 \left(\frac{180}{360}\right)\right)$$

$$= RM2066$$

Bank Discount

- It is a common practice by the bank to deduct charges from a loan in advance. This charges is called bank discount.
- The *money left* receives by the borrower is called *proceeds*.
- The maturity value is the value of the *money* actually borrowed.
- Maturity value = Proceeds + Bank Discount.
- It is different from the case of simple interest where the amount of maturity value is more than the amount borrowed.

D = SdtWhere D = Bank discount d = discount rate t = term of discount in years.

Proceeds,
$$H = Maturity \ value - Bank \ discount$$

 $H = S - D$
 $H = S - Sdt$
 $H = S(1 - dt)$

Interest Rate Equivalent To Discount Rate.

Some times, bank charged for their service with

simple interest rate in mind. So, they will find the <u>equivalent discount</u> (service charge) rate to the intended simple interest rate that they want to obtain

$$r = \frac{d}{1 - dt} \qquad \qquad d = \frac{r}{1 + rt}$$

RM2000 was borrowed for 72 days at a discount rate of 8.75%. Determine

- the amount received and the discount charged
- the simple interest rate that is equivalent to the given discount rate

Solution

$$S = 2000$$

$$d = 0.0875$$

$$t = \frac{72}{360}$$

$$H = S(1 - dt)$$

$$= 2000 \left(1 - 0.0875 \left(\frac{72}{360}\right)\right)$$

$$= 2000 \left(1 - 0.0875 \left(\frac{72}{360}\right)\right)$$

$$H = RM1965$$

$$D = S - H$$

$$= 2000 - 1965$$

$$= RM35$$

$$r = \frac{d}{1 - dt}$$

$$= \frac{0.0875}{1 - 0.0875 \left(\frac{72}{360}\right)}$$

$$= 0.0891 @ 8.91\%$$

A loan of RM7,000 was made on 15 October 2012 at xYz Bank that charged a simple discount rate of d%. The discount charged was RM205 and the loan matured on 11 November 2012.

Find

- i) the proceeds received,
- ii) the discount period and the discount rate.

- ► H=RM6795
- ▶ Term=27 days
- ▶ d= 39.05%