

## • Graph

- $\approx$  In the graph,  $t_1$  is some a random point in time when we want to check the reliability of our systems two cars driven in different environments.
- æ Green denotes car driven in Germany, and red in Sahara desert.
- $\mathfrak{E}$  @t<sub>1</sub>, car driven in Germany has higher reliability (0,5) than that of the car driven in Sahara desert (0,4).
- æ In general, the car in Germany has higher reliability than the one driven in desert.

## • Timeline

- $\mathbf{z}$  In the timeline below the graph, system begins funtioning at  $t_0$
- æ Thick lines represent the time when the system is functioning.
- $\mathbf{æ}$  @t<sub>1</sub> system fails for the first time.  $\Delta t_1$  is the time taken to repair it. At @t<sub>1+\Delta t1</sub> it is back to functioning.
- $\approx$  @t<sub>2</sub> system fails again, and gets repaired in  $\Delta$ t<sub>2</sub> time.
- $\approx \Delta t_1$  and  $\Delta t_2$  represent **Mean Time To Repair -** MTTR.
- pprox 0 to  $t_1$ ,  $t_{1+\Delta t1}$  to  $t_2$  and  $t_{2+\Delta t2}$  to  $t_3$  represent **Mean Time Between Failures MTBF**.

Reliability = MTBF Availability = MTBF / (MTBF+MTTR)