

Answer-02(i)

def fibonacci\_1(n):

time com

if  $n=0$ :  $\longrightarrow O(1)$

print("Invalid Input")

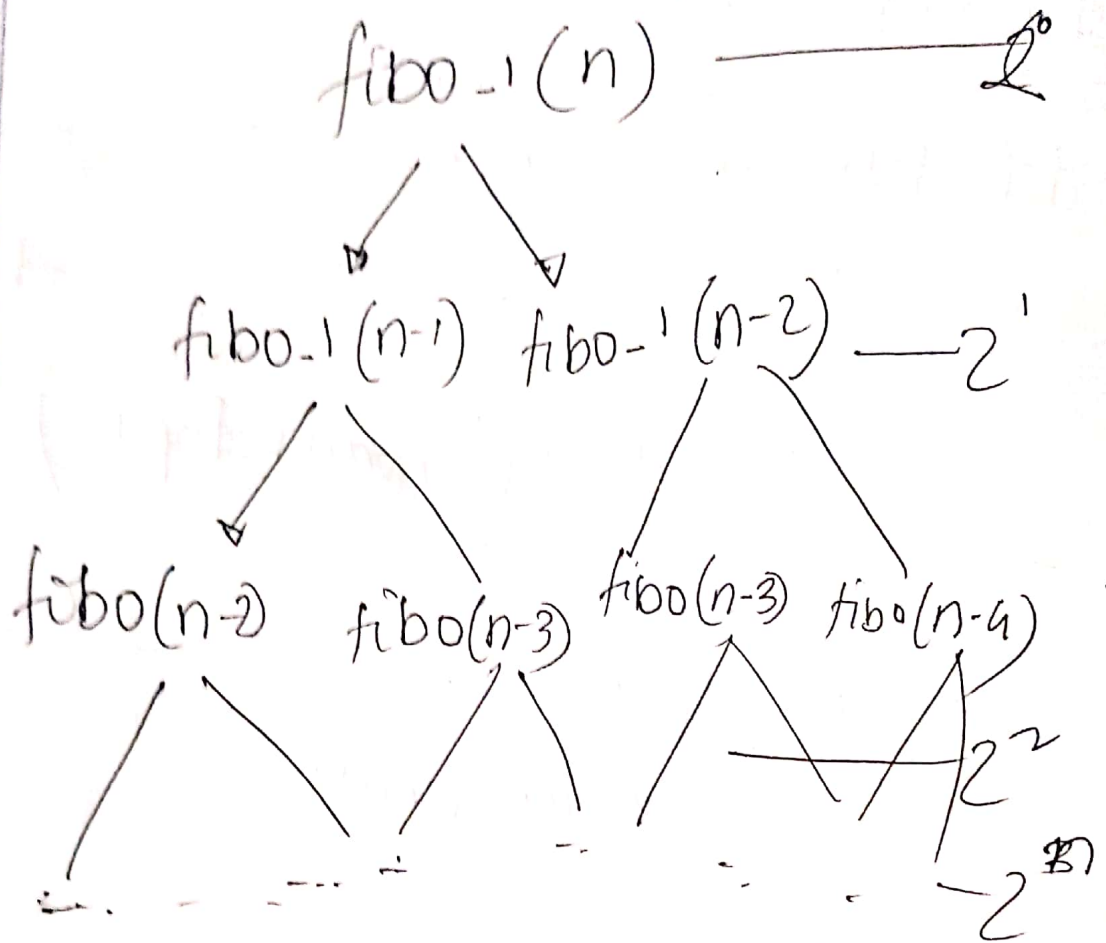
else if  $n=2$ :  $\longrightarrow O(1)$

return (n-1)

else.

return fibonacci\_1(n-1) +  
fibonacci\_1(n-2)

$\downarrow$   
tree diagram.



Combining all the steps  
from above, we get

$$\begin{aligned}
 &= O(1) + O(1) + 2^0 + 2^1 + 2^2 + \dots + 2^n \\
 &= O(1) + O(1) + O(2^{n+1} - 1)
 \end{aligned}$$

$$= O(2^{n+1} - 1) \quad \left[ \begin{array}{l} \text{ignoring the} \\ \text{constants} \\ \text{and lower} \\ \text{values.} \end{array} \right]$$
$$= \underline{O(2^n)}$$

therefore, the time complexity

$$\longrightarrow O(2^n)$$

Ans...

## 2<sup>nd</sup>, Algorithm.

def fibonacci-2(n):

array = [0, 1]  $\longrightarrow O(1)$

if (n < 0) then,  $\longrightarrow O(1)$

print("Invalid input")

else if (n <= 2) then,  $\longrightarrow O(1)$   
array[n-1]  
return ~~Fibonacci~~.

else: ~~return~~.

for i in range(2, n):  $\longrightarrow O(n)$

array.append(array[i-1] +  
array[i-2])



Computing all the steps, we get.

$$O(n) + O(1) + O(1) + O(1)$$

$$= O(n). \quad \left[ \begin{array}{l} \text{ignoring all} \\ \text{constants and} \\ \text{lower values} \end{array} \right]$$

$$\therefore \underline{O(n)}$$

$$\text{Time complexity} = O(n)$$

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