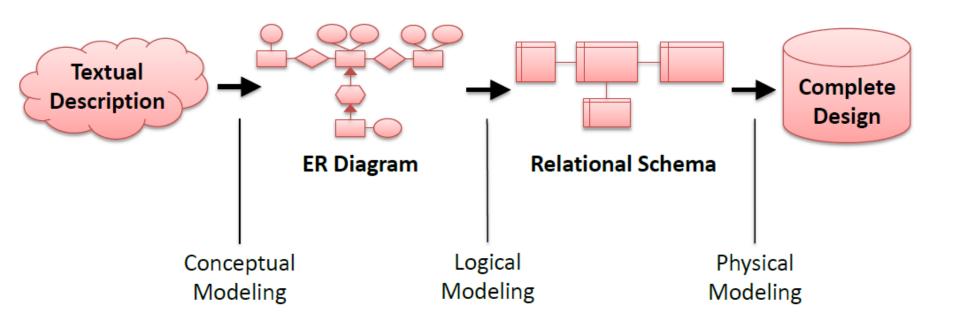
File management, Hash & External sorting

Monday, Oct. 12, 2015

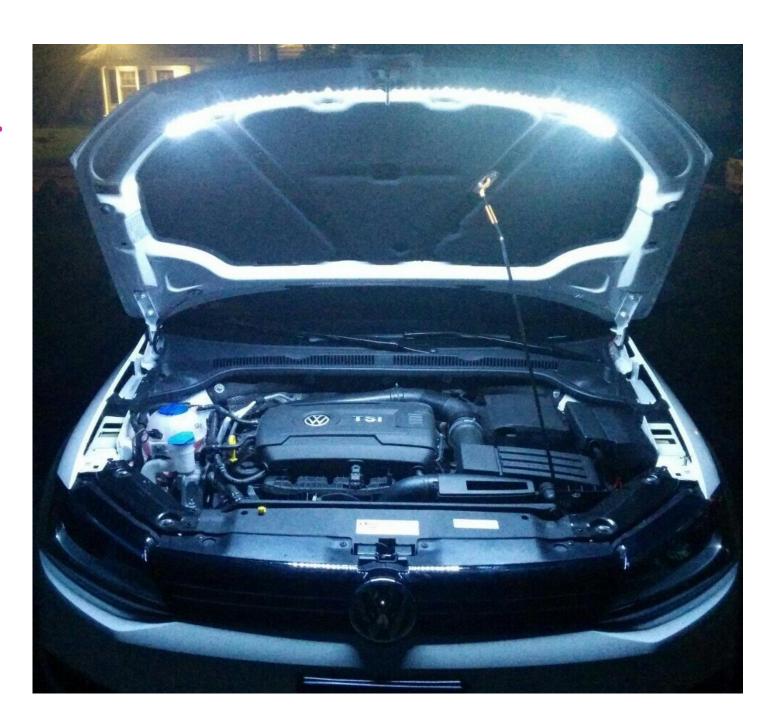




Database Design



Under the hood of DBMS



Leverage OS for disk/file management?

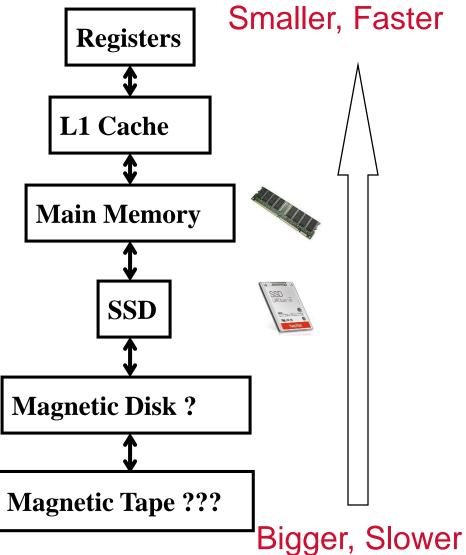
- Layers of abstraction are good ... but:
 - Unfortunately, OS often gets in the way of DBMS
- DBMS wants/needs to do things "its own way"
 - Specialized prefetching
 - Control over buffer replacement policy
 - Control over thread/process scheduling
 - Arises when OS scheduling conflicts with DBMS locking
 - Control over flushing data to disk

Disks and Files

- DBMS stores information on disks. (Really?)
 - but: disks are (relatively) VERY slow!
- Major implications for DBMS design:
 - READ: disk -> main memory (RAM).
 - WRITE: reverse
 - Both are high-cost operations, relative to in-memory operations, so must be planned carefully!

The Storage Hierarchy





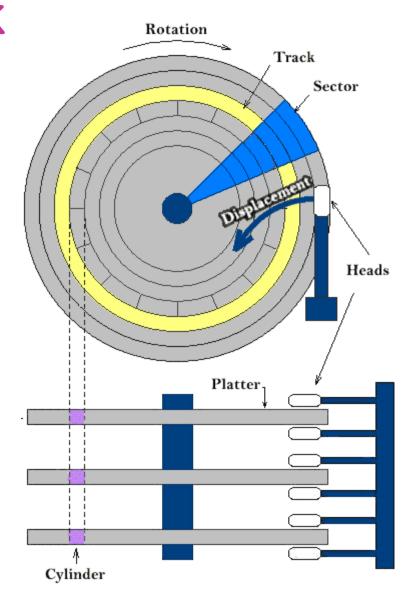
Anatomy of a Disk

Unlike RAM, time to retrieve a disk page varies depending upon location on disk.

relative placement of pages on disk is important!

- Sector
- Track
- Cylinder
- Platter
- Block size = multiple of sector size (which is fixed)



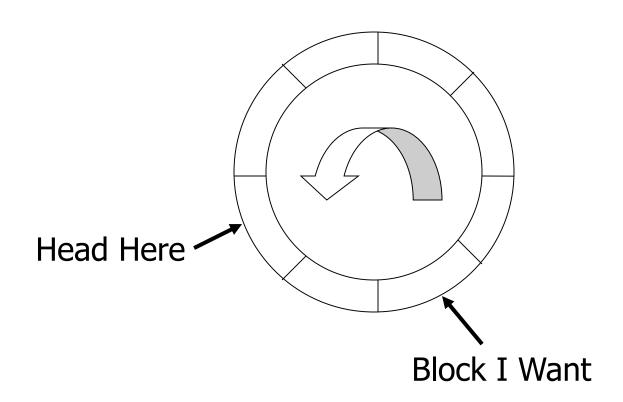


Accessing a Disk Page

- Time to access (read/write) a disk block:
 - seek time: moving arms to position disk head on track
 - rotational delay: waiting for block to rotate under head
 - transfer time: actually moving data to/from disk surface



Rotational Delay



Accessing a Disk Page

- Relative times?
 - seek time: about 1 to 20msec
 - rotational delay: 0 to 10msec
 - transfer time: < 1msec per 4KB page

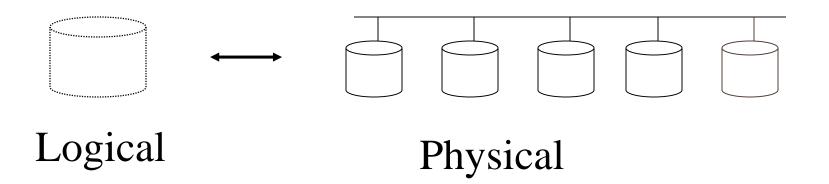
Rules of thumb...

Seek

transfer

Memory access <u>much</u> faster than disk I/O (~ 1000x)
"Sequential" I/O faster than "random" I/O (~ 10x)

Disk Arrays: RAID

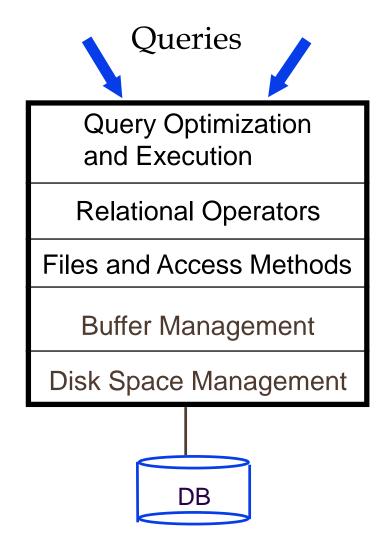


- Benefits:
 - Higher throughput (via data "striping")
 - Longer MTTF (via redundancy)

Disk Space Management

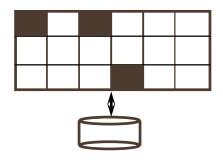
- Lowest layer of DBMS software manages space on disk
- Higher levels call upon this layer to:
 - allocate/de-allocate a page
 - read/write a page
- Best if requested pages are stored sequentially on disk! Higher levels don't need to know if/how this is done, nor how free space is managed.

DBMS Layers

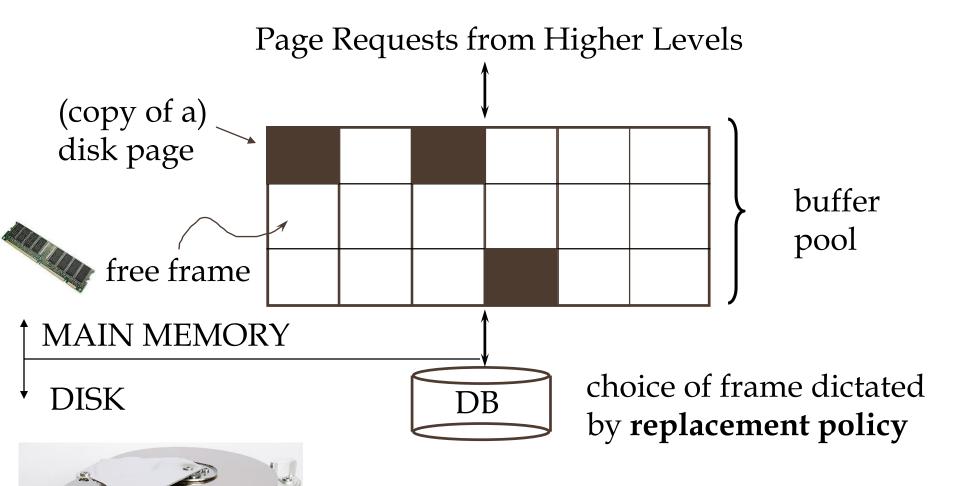


Buffer Management in a DBMS

- Data must be in RAM for DBMS to operate on it!
- Buffer Mgr hides the fact that not all data is in RAM



Buffer Management in a DBMS



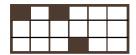
Buffer Replacement Policy

- Frame is chosen for replacement by a replacement policy:
 - Least-recently-used (LRU), MRU, Clock, etc.
- Policy -> big impact on # of I/O 's; depends on the access pattern.



LRU Replacement Policy

- Least Recently Used (LRU)
 - replace the frame which has the oldest (earliest) time
 - very common policy: intuitive and simple
- Problems?
- # buffer frames < # pages in file means each page request causes an I/O. MRU much better in this situation (but not in all situations, of course).



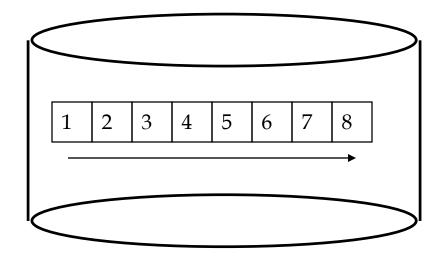
BUFFER POOL

LRU:

	<u> </u>						
10	02	116	242	105			

BUFFER POOL

MRU:



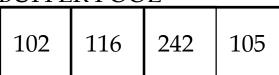
BUFFER POOL

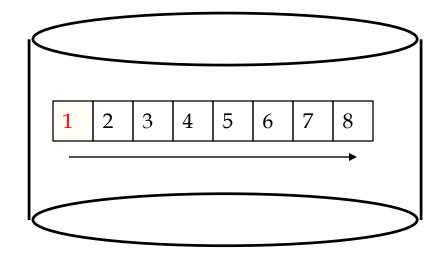
1 116 242 105

BUFFER POOL

MRU:

LRU:

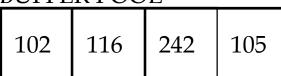


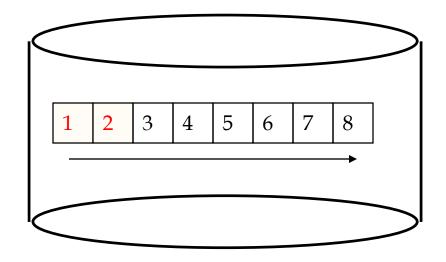




BUFFER POOL

MRU:



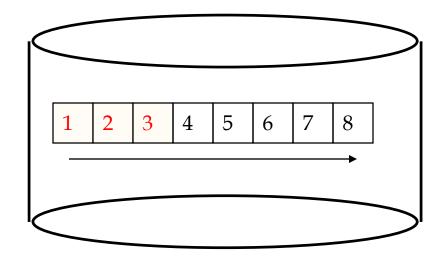


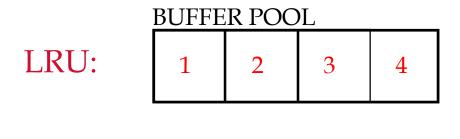


BUFFER POOL

MRU:

102 116 242 105

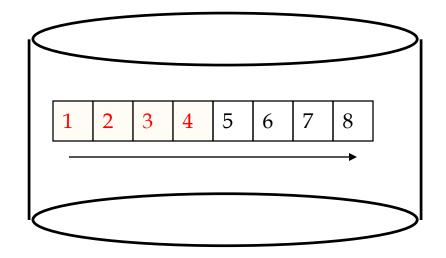


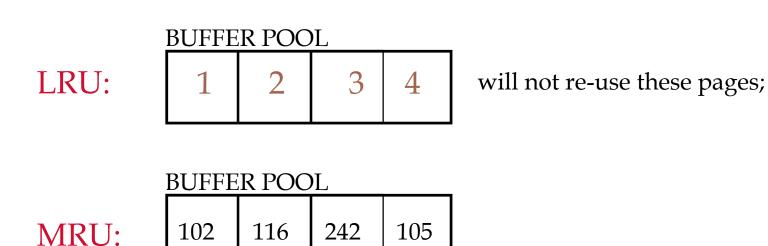


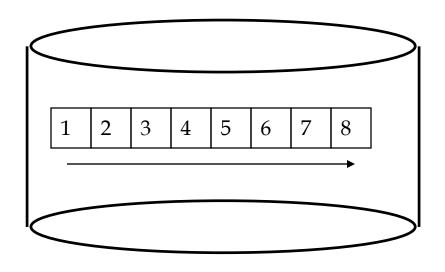
BLIEFER POOL

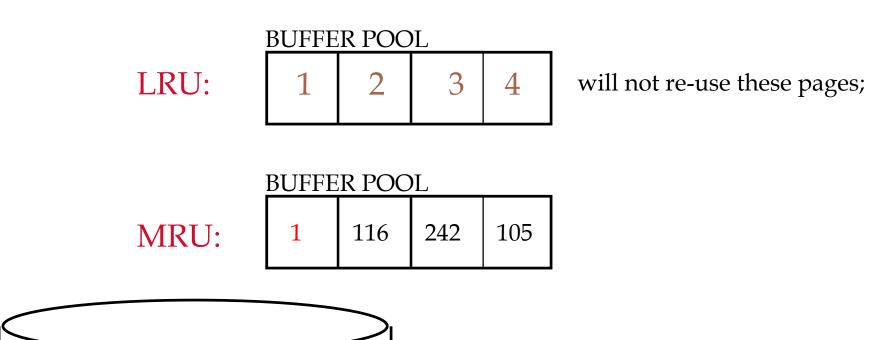
MRU:

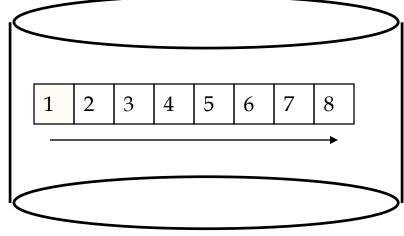
DOTTERTOOL						
102	116	242	105			

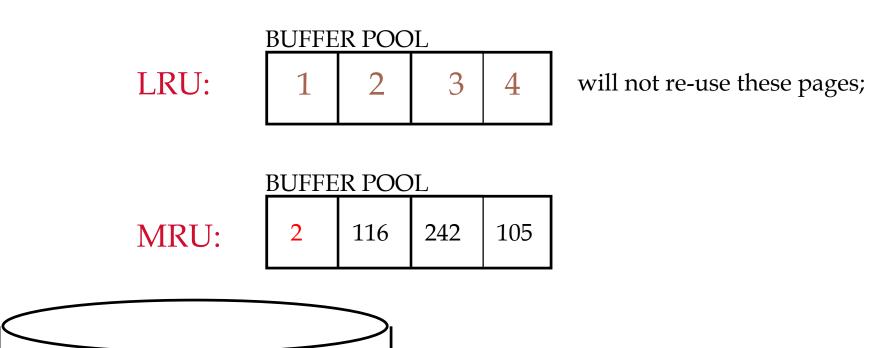


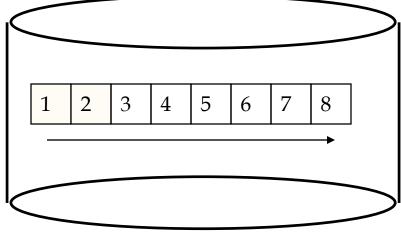


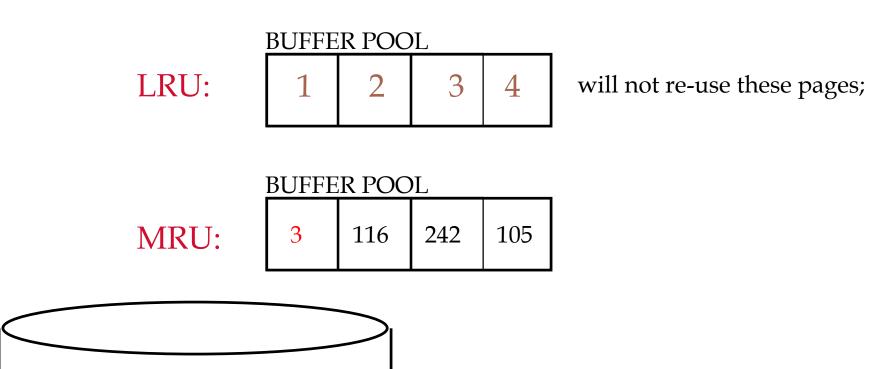


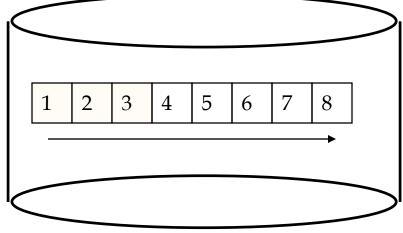


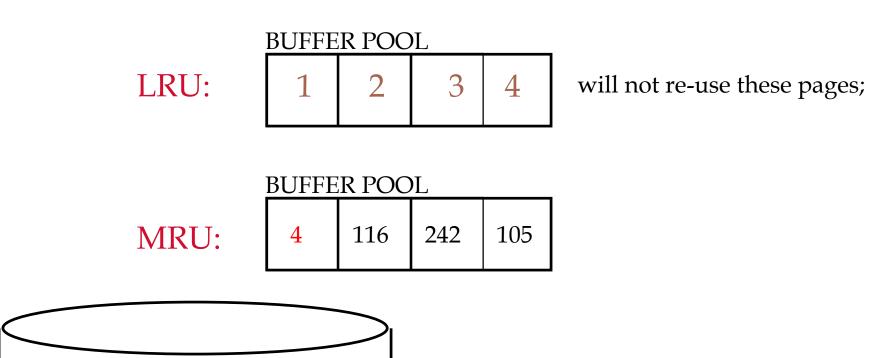


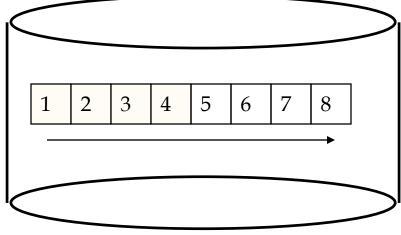










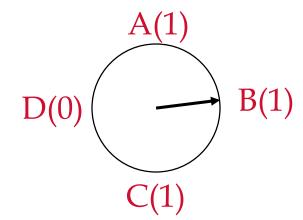


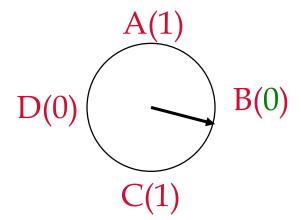
Other policies?

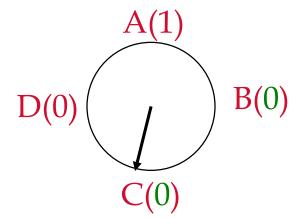
- LRU is often good but needs timestamps and sorting on them
- something easier to maintain?

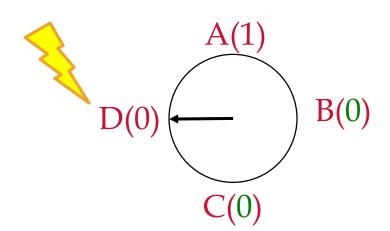
Main ideas:

- Approximation of LRU.
- Instead of maintaining & sorting time-stamps, find a reasonably old frame to evict.
- How? by round-robin, and marking each frame frames are evicted the second time they are visited.





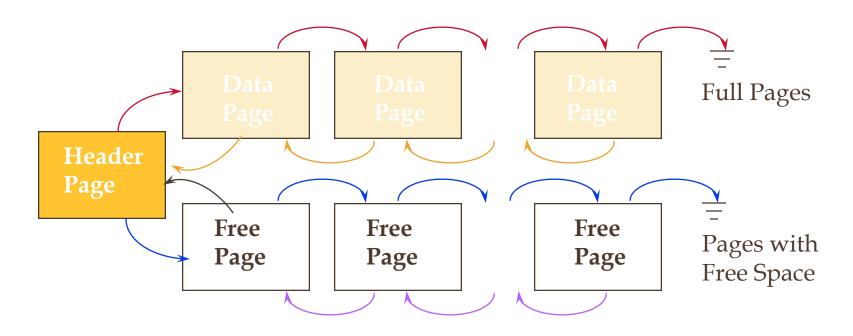




Files

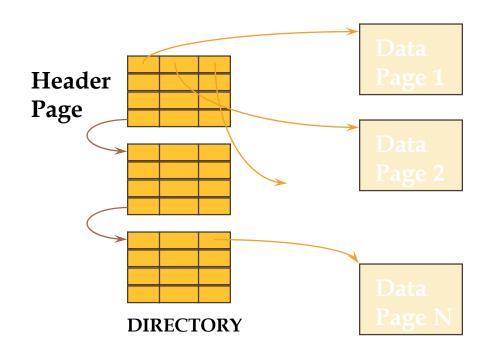
- FILE: A collection of pages, each containing a collection of records.
- Must support:
 - insert/delete/modify record
 - read a particular record (specified using record id)
 - scan all records (possibly with some conditions on the records to be retrieved)

Heap File Using Lists



• Any problems?

Heap File Using a Page Directory



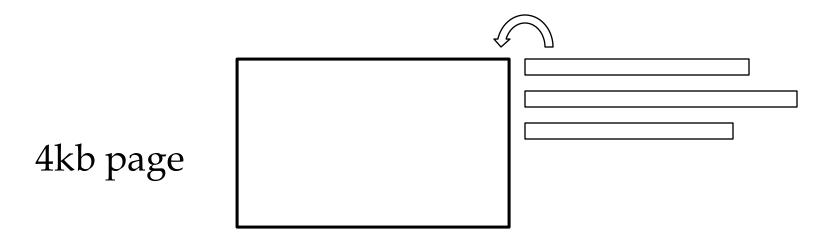
Page Formats

- fixed length records
- variable length records

Problem definition

Q: How would you store records on a page/file, such that

- 1. you can point to them
- you can insert/delete records with few disk accesses



Page Formats

Important concept: *rid* == record id

Q0: why do we need it?

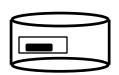
A0: eg., for indexing

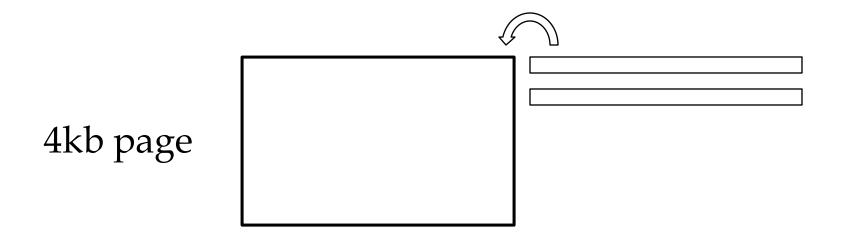
Q1: How to mark the location of a record?

A1: rid = record id = page-id & slot-id

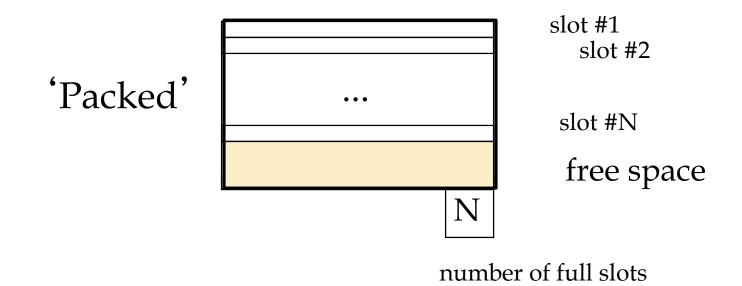
Q2: Why not its byte offset in the file?

A2: too much re-organization on ins/del.

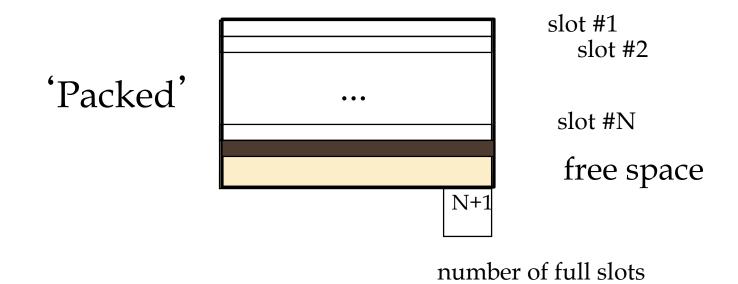




OK – how about insertion?



OK – how about insertion?



How about deletion?

'Packed'

'Packed'

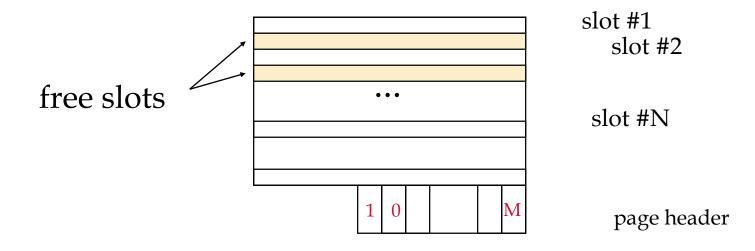
slot #1
slot #2

slot #N
free space

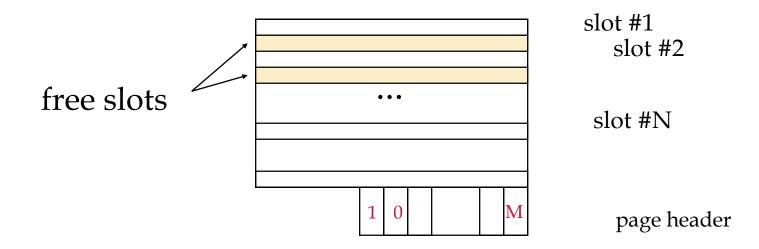
number of full slots

Q: How would you store them on a page/file?

A2: Bitmaps



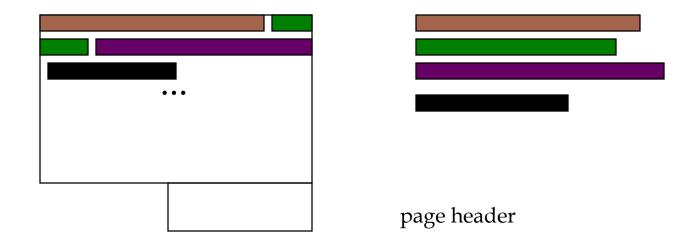
- Q: How would you store them on a page/file?
- A2: Bitmaps : ✓ insertions, ✓ deletions



Variable length records

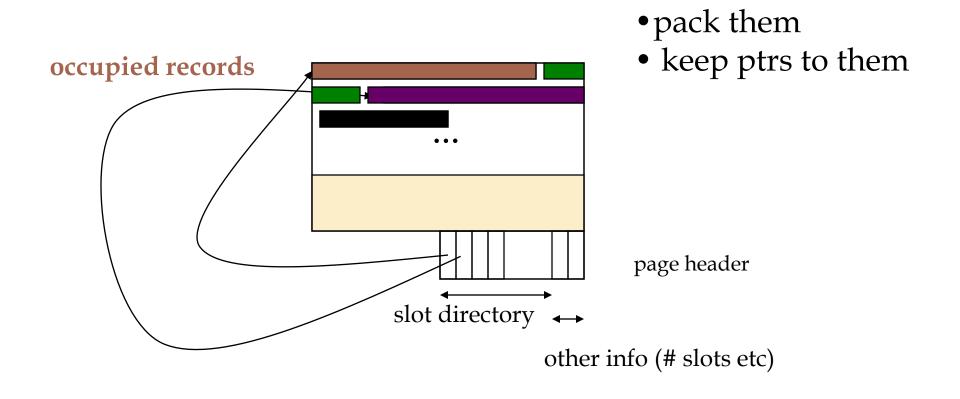
Q: How would you store them on a page/file?

occupied records



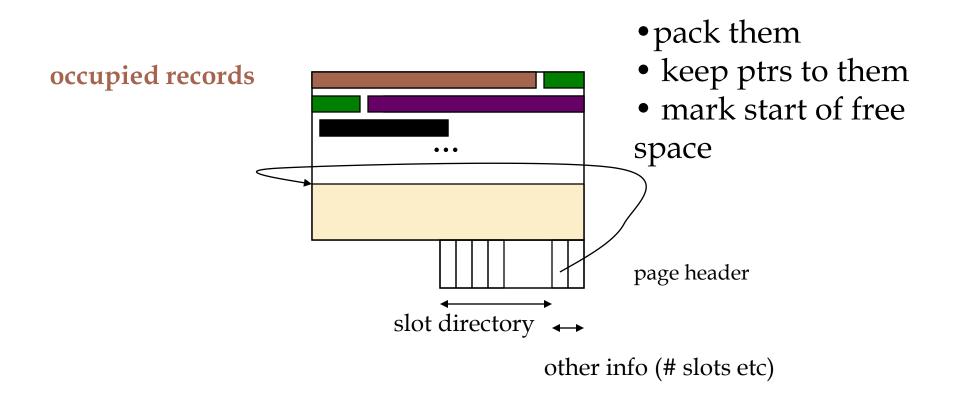
SLOTTED PAGE

Variable length records



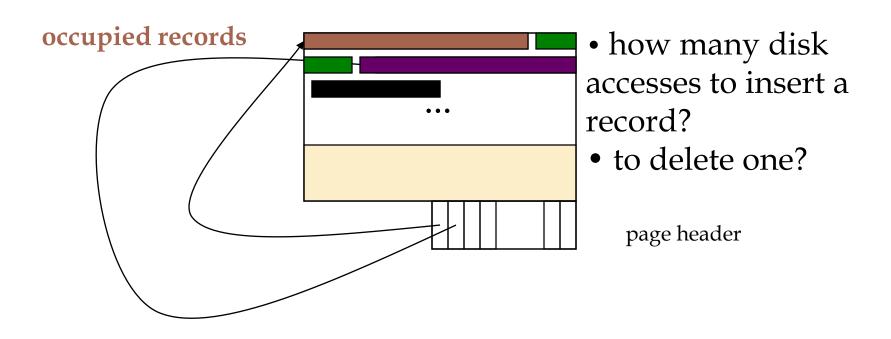
SLOTTED PAGE

Variable length records

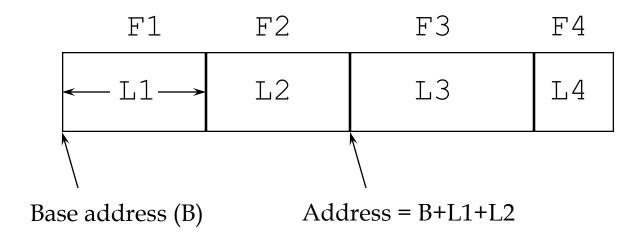


SLOTTED PAGE

Variable length records



Record Formats: Fixed Length



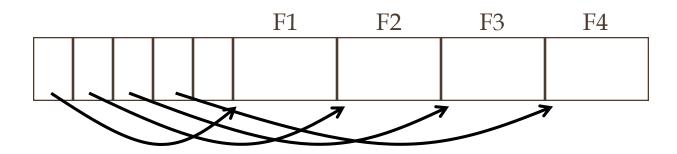
- Information about field types same for all records in a file; stored in *system catalogs*.
- Finding i' th field done via arithmetic.

Variable Length records

Two alternative formats (# fields is fixed):



Fields Delimited by Special Symbols

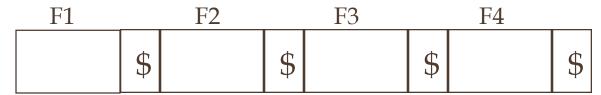


Array of Field Offsets

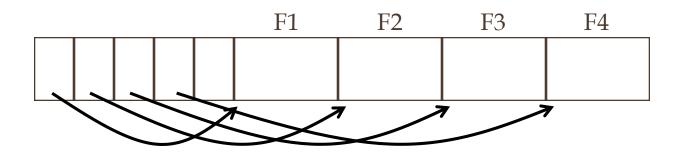
Pros and cons?

Variable Length records

Two alternative formats (# fields is fixed):



Fields Delimited by Special Symbols

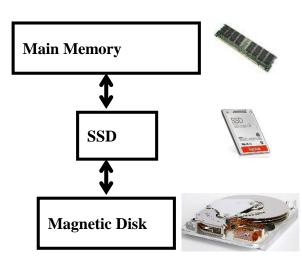


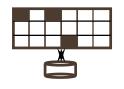
Array of Field Offsets

Offset approach: usually superior (direct access to i-th field)

Till now

- Memory hierarchy
- Disks: (>1000x slower) thus
 - pack info in blocks
 - try to fetch nearby blocks (sequentially)
- Buffer management: very important
 - LRU, MRU, Clock, etc
- Record organization: Slotted page







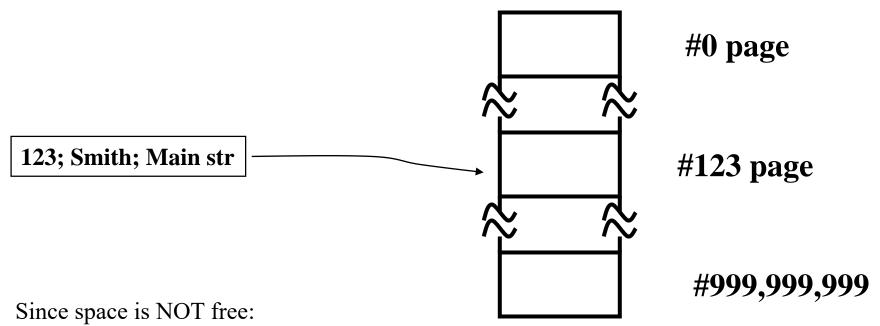
Hashing

Problem: "find STU record with ssn=123"

What if disk space was free, and time was at premium?

Hashing

A: Brilliant idea: key-to-address transformation:

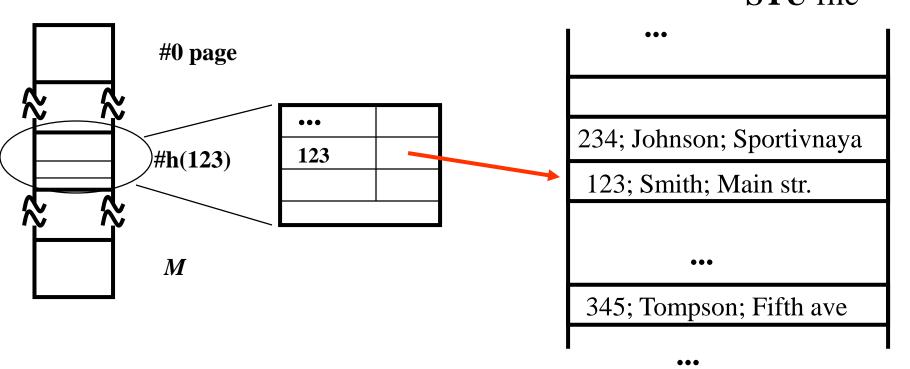


Hashing

- use *M*, instead of 999,999,999 slots
- hash function: h(key) = slot-id

Typically: each hash bucket is a page, holding many records:

STU file



Design decisions - functions

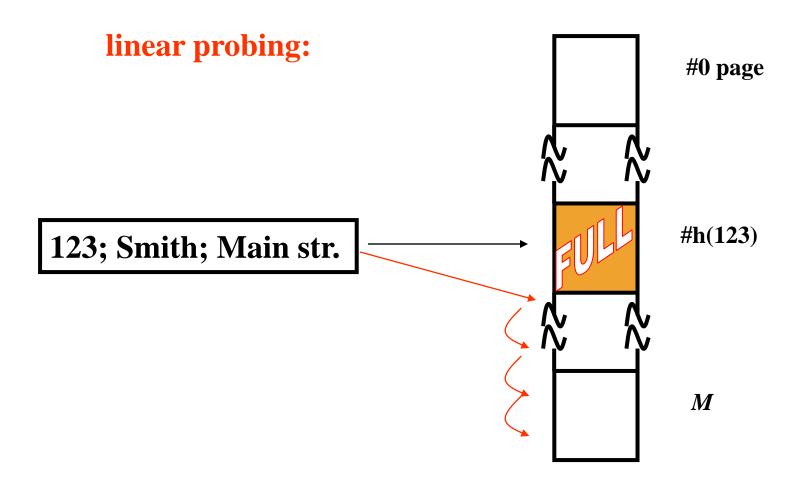
- Goal: uniform spread of keys over hash buckets
- Popular choices:
 - Division hashing
 - $h(x) = (a*x+b) \mod M$
 - Multiplication hashing
 - $h(x) = [fractional-part-of(x * \varphi)] * M$

Hash Design decisions

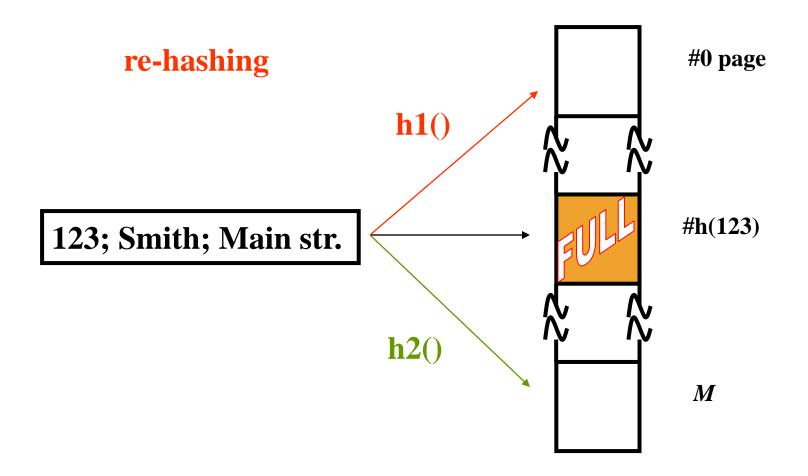
-functions

-size -Collision resolution #0 page #h(123) 123; Smith; Main str. M

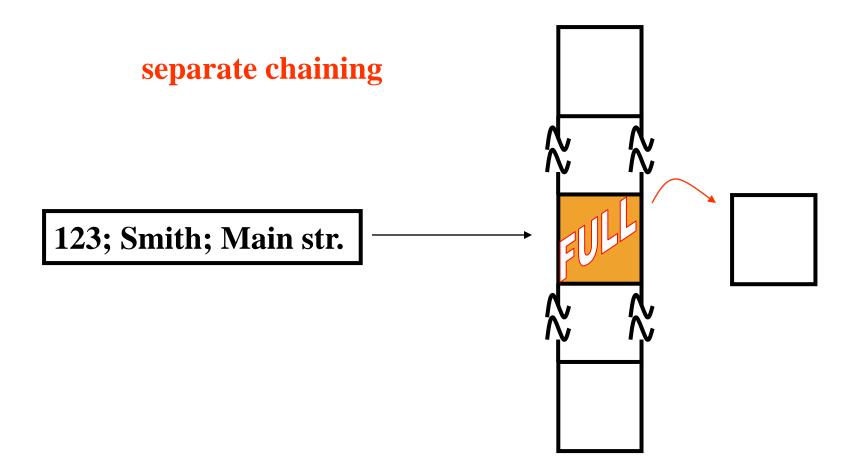
Collision resolution



Collision resolution



Collision resolution



Design decisions - conclusions

- function: division hashing
 - $h(x) = (a*x+b) \mod M$
- size M: ~90% util.; prime number.
- collision resolution: separate chaining
 - easier to implement (deletions!);
 - no danger of becoming full

Problem with static hashing

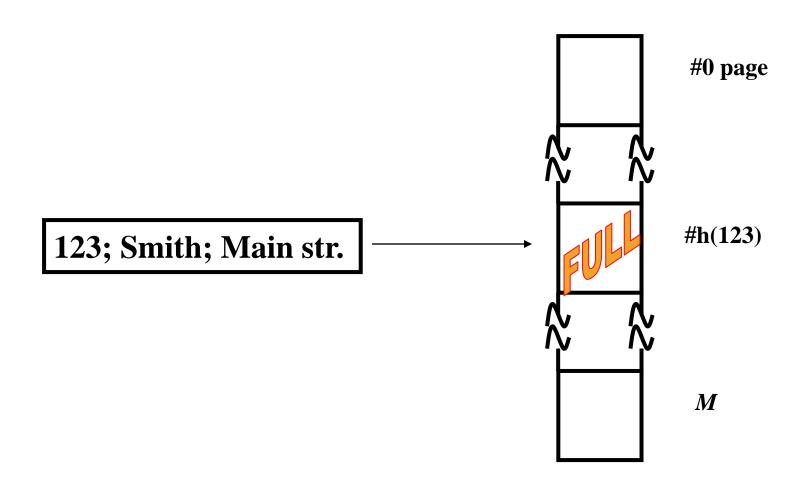
- problem: overflow?
- problem: underflow? (underutilization)

Solution: Dynamic/extendible hashing

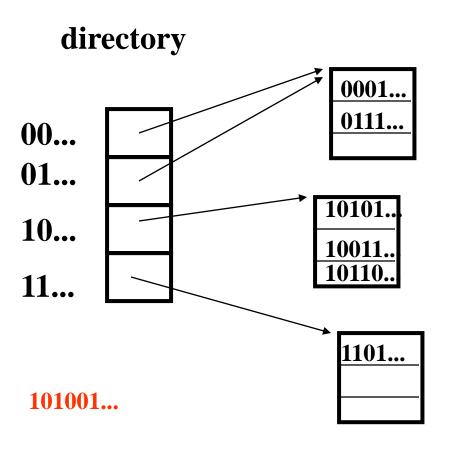
- idea: shrink / expand hash table on demand..
- ..dynamic hashing

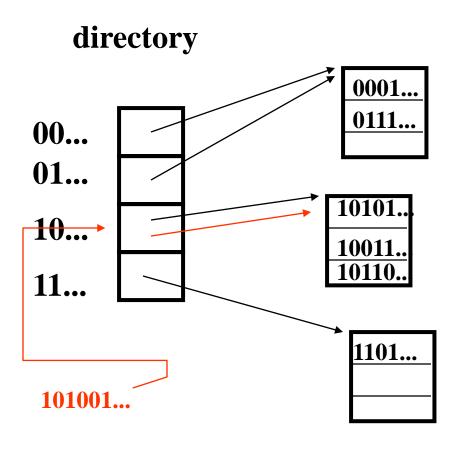
Details: how to grow gracefully, on overflow?

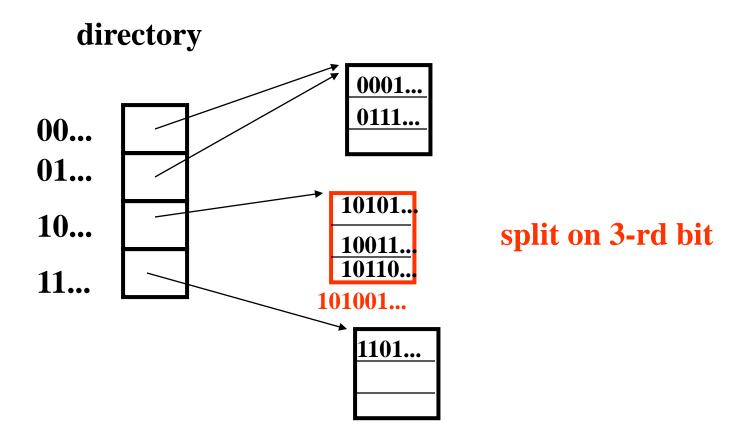
Many solutions - One of them: 'extendible hashing' [Fagin et al]

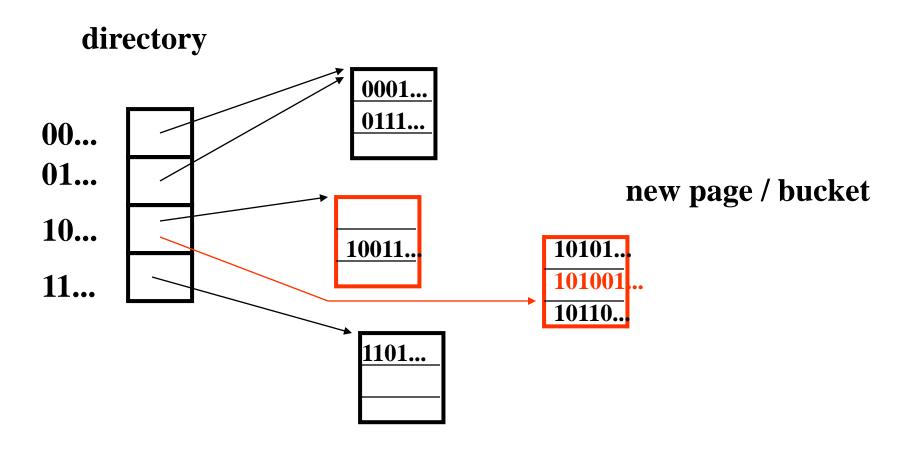


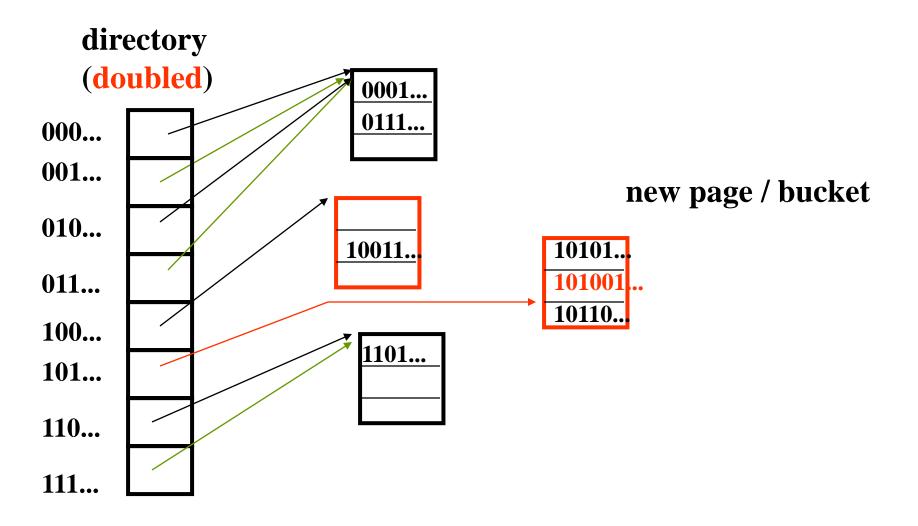
#0 page solution: don't overflow instead: **SPLIT** the bucket in two #h(123) 123; Smith; Main str. \boldsymbol{M}

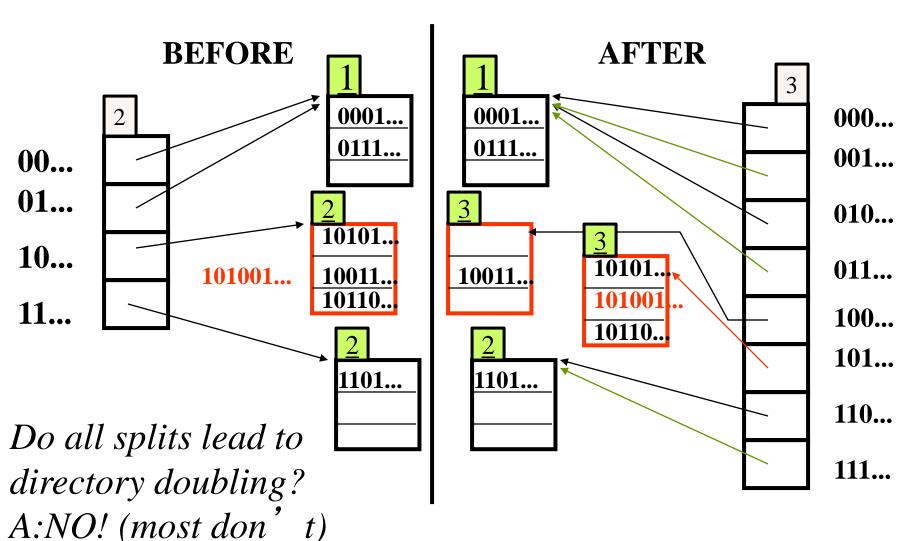


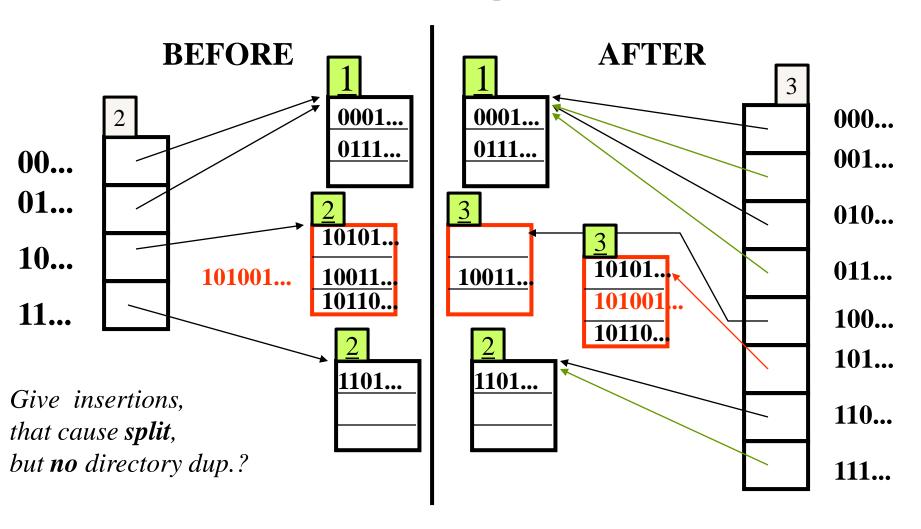




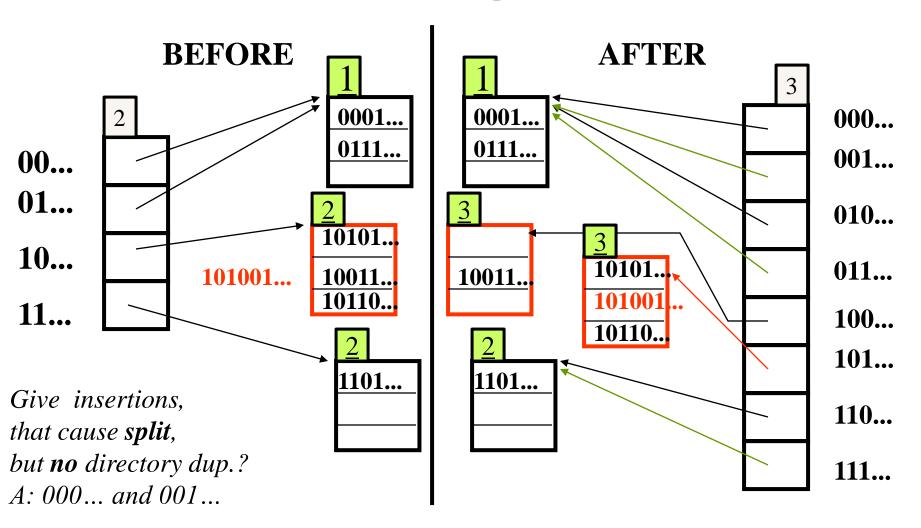








Extendible hashing



Motivation: can we do something simpler, with smoother growth?

A: split buckets from left to right, **regardless** of which one overflowed ('crazy', but it works well!) - Eg.:

```
Initially: h(x) = x \mod N (N=4 here)

Assume capacity: 3 records / bucket

Insert key '17'

bucket- id 0 1 2 3

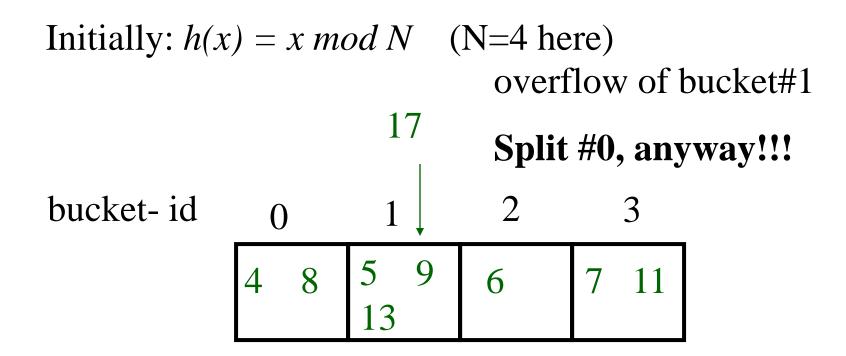
4 8 5 9 6 7 11
```

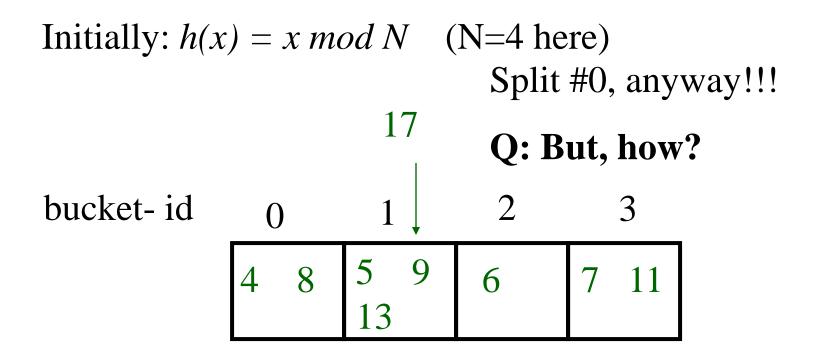
Initially:
$$h(x) = x \mod N$$
 (N=4 here)

overflow of bucket#1

bucket- id

 0
 1
 2
 3
 4
 8
 5
 9
 6
 7
 11





A: use two h.f.:
$$h0(x) = x \mod N$$

$$h1(x) = x \mod (2*N)$$
17
bucket- id
$$0 \qquad 1 \downarrow \qquad 2 \qquad 3$$

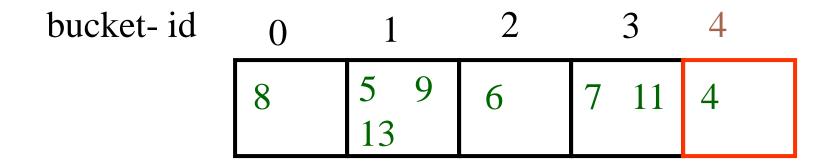
$$4 \qquad 8 \qquad 5 \qquad 9 \qquad 6 \qquad 7 \qquad 11$$

$$13 \qquad \qquad 1 \qquad$$

Linear hashing - after split:

A: use two h.f.:
$$hO(x) = x \mod N$$

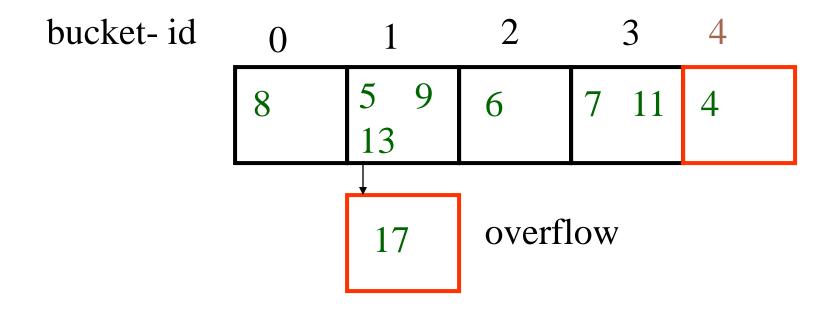
$$hI(x) = x \mod (2*N)$$



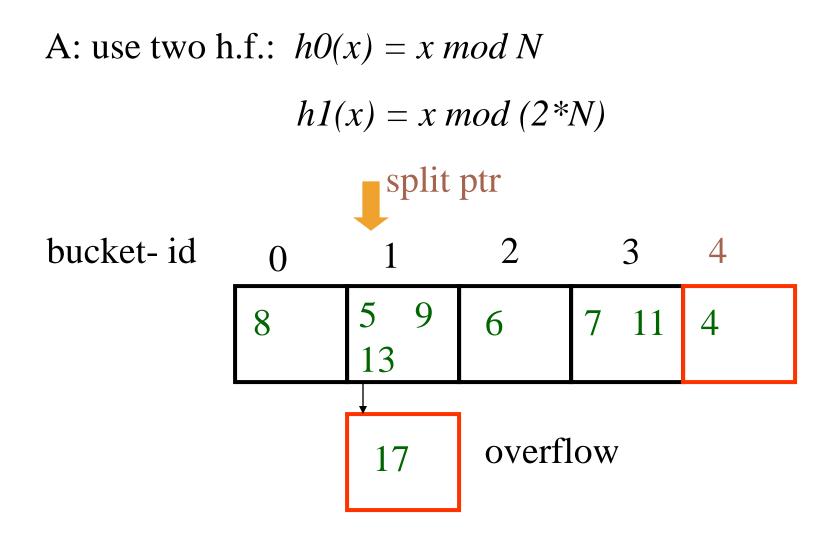
Linear hashing - after split:

A: use two h.f.:
$$hO(x) = x \mod N$$

 $hI(x) = x \mod (2*N)$

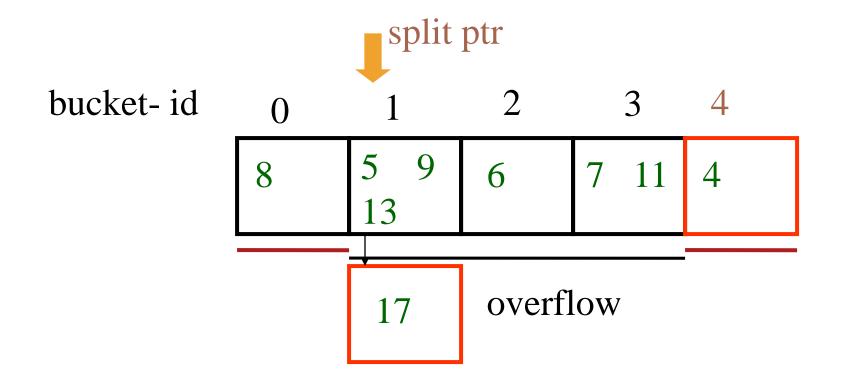


Linear hashing - after split:



Linear hashing - searching?

- \blacksquare $hO(x) = x \mod N$ (for the un-split buckets)
- $h1(x) = x \mod (2*N)$ (for the splitted ones)



Linear hashing - searching?

```
Q1: find key '6'? Q2: find key '4'?
Q3: key '8'?
                   split ptr
bucket- id
                         overflow
```

Linear hashing - insertion?

Algo: insert key k'

- compute appropriate bucket 'b'
- if the **overflow criterion** is true
 - •split the bucket of 'split-ptr'
 - split-ptr ++ (*)

what if we reach the right edge??

```
hO(x) = x \mod N (for the un-split buckets)

hI(x) = x \mod (2*N) for the splitted ones)

split ptr

1 2 3 4 5 6
```

```
hO(x) = x \mod N (for the un-split buckets)
h1(x) = x \mod (2*N) (for the splitted ones)
                      split ptr
                                          6
```

$$h0(x) = x \mod N \qquad \text{(for the un-split buckets)}$$

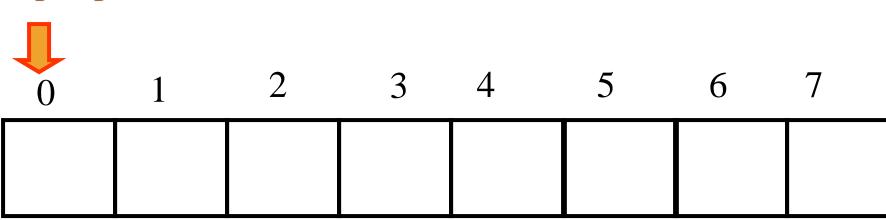
$$h1(x) = x \mod (2*N) \text{ (for the splitted ones)}$$

$$\text{split ptr}$$

$$0 \qquad 1 \qquad 2 \qquad 3 \qquad 4 \qquad 5 \qquad 6 \qquad 7$$

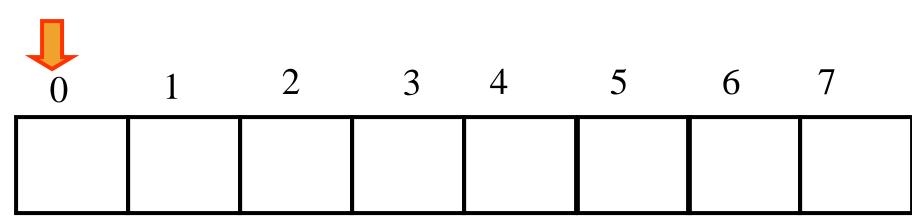
$$hO(x) = x \mod N$$
 (for the un-split buckets)
 $hI(x) = x \mod (2*N)$ (for the splitted ones)

split ptr



this state is called 'full expansion'

split ptr



Linear hashing - observations

In general, at any point of time, we have at **most two** h.f. active, of the form:

$$\bullet h_n(x) = x \bmod (N * 2^n)$$

$$\bullet h_{n+1}(x) = x \bmod (N * 2^{n+1})$$

(after a full expansion, we have only one h.f.)

Hashing - pros?