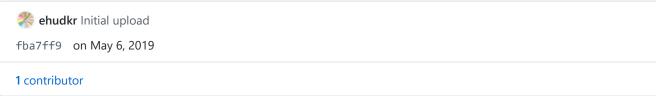
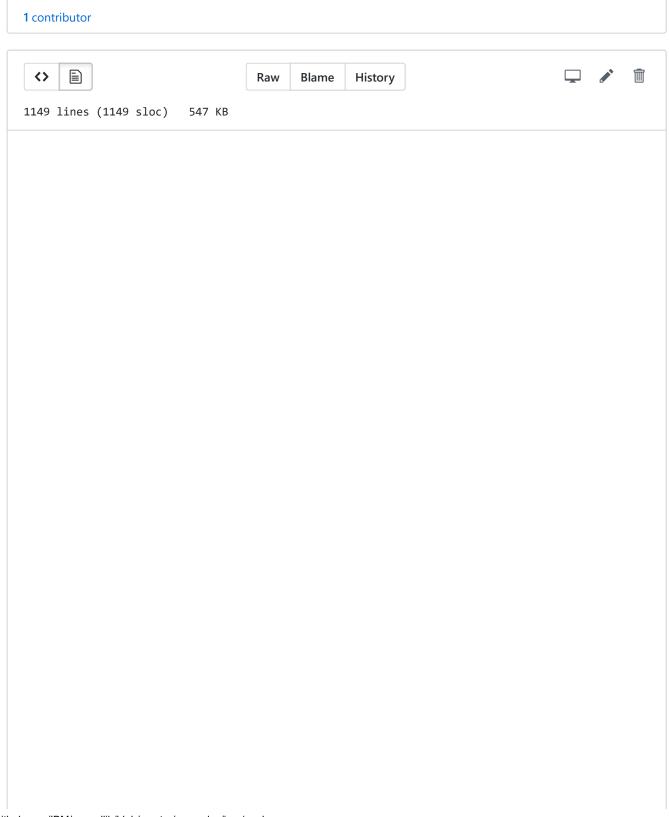


causallib / examples / ipw.ipynb





Inverse Probability Weighting Model

Inverse probability weighting is a basic model to obtain average effect estimation.

It calculates the probability of each sample to belong to its group, and use its inverse as the weight of that sample:

$$w_i = \frac{1}{\Pr[A = a_i | X_i]}$$

In [1]: %ma

%matplotlib inline

from causallib.datasets import load_smoking_weight

from causallib.estimation import IPW

from causallib.evaluation import PropensityEvaluator

from sklearn.linear_model import LogisticRegression

Data:

The effect of quitting to smoke on weight loss.

Data example is taken from <u>Hernan and Robins Causal Inference Book</u> (https://www.hsph.harvard.edu/miguel-hernan/causal-inference-book/)

Out[2]:

	age	race	sex	smokeintensity	smokeyrs	wt71	active_1	active_2	edı
0	42	1	0	30	29	79.04	0	0	0
1	36	0	0	20	24	58.63	0	0	1
2	56	1	1	20	26	56.81	0	0	1
3	68	1	0	3	53	59.42	1	0	0
4	40	0	0	20	19	87.09	1	0	1
4								•	<u> </u>

Model:

The causal model has a machine learning model at its core, provided as learner parameter.

This ML model will be used to predict probability of quit smoking given the covariates.

These probabilities will be used to obtain W_i .

Then, we'll estimate average balanced outcome using Horvitz-Thompson estimator:

$$\stackrel{\wedge}{E}[Y^a] = \frac{1}{\sum_{i: A_i = a} w_i} \cdot \sum_{i: A_i = a} w_i y_i$$

Lastly, we'll use these average counterfactual outcome estimation to predict the effect:

$$\stackrel{\wedge}{E}[Y^1] - \stackrel{\wedge}{E}[Y^0]$$

```
In [5]: | # Train:
          learner = LogisticRegression(solver="liblinear")
          ipw = IPW(learner)
          ipw.fit(data.X, data.a)
 Out[5]: IPW(truncate_eps=None, use_stabilized=False,
              learner=LogisticRegression(C=1.0, class weight=None, dual=Fal
         se, fit_intercept=True,
                    intercept_scaling=1, max_iter=100, multi_class='warn',
                    n jobs=None, penalty='12', random state=None, solver='1
         iblinear',
                    tol=0.0001, verbose=0, warm_start=False))
 In [9]: | # We can now preict the weight of each individual:
          ipw.compute_weights(data.X, data.a).head()
 Out[9]: 0
              1.127390
          1
              1.196073
          2
              1.153628
          3
              1.851189
              1.361857
         dtype: float64
In [10]:
         # Estimate average outcome
          outcomes = ipw.estimate_population_outcome(data.X, data.a, data.y
          outcomes
Out[10]: 0
              1.770965
              5.284842
         dtype: float64
In [12]: # Estimate the effect:
          effect = ipw.estimate effect(outcomes[1], outcomes[0])
          effect
Out[12]: diff
                  3.513876
         dtype: float64
```

We can see that on average, individuals who quit smoking gained 3.5 Lbs on the course of 11 years

Non-default parameters

We just saw a simple example hiding many model's parameters. We now dig a bit deeper to every stage.

Model definition

Machine learning model:

Any scikit-learn model can be specified (even pipelines)

```
In [19]: learner = LogisticRegression(penalty="11", C=0.01, max_iter=500,
```

```
soiver= iidiinear )
```

IPW model has two additional parameters:

- truncate_eps: a caliper value to trim very small or very large probabilities
- stabilized: Whether to scale weights with treatment prevalence

```
In [27]: truncate_eps = 0.2
    ipw = IPW(learner, truncate_eps=truncate_eps, use_stabilized=Fals
    e)
```

```
In [28]: ipw.fit(data.X, data.a);
```

Weight prediction options

Now we can predict the probability of quit smoking (treatment_values=1) and validate our truncation worked:

```
In [29]: probs = ipw.compute_propensity(data.X, data.a, treatment_values=1
)
    probs.between(truncate_eps, 1-truncate_eps).all()
    Fraction of values being truncated: 0.23499.
Out[29]: True
```

During the "predict" phase (i.e. computing weights or probabilities), We can alter the parameters we placed during initiation:

```
In [35]: probs = ipw.compute_propensity(data.X, data.a, treatment_values=1
    , truncate_eps=0.0)
    probs.between(truncate_eps, 1-truncate_eps).all()
    Fraction of values being truncated: 0.00000.
```

Out[35]: False

We can even predict stabilized weights.

However, we will get a warning.

This is because treatment prevalence is an estimation of the trainning data.

During fit, when the model had it's initial values, use_stabilized was False (default).

So when coming to compute_weights now, the model will use the prevalence from the provided data to estimate treatment prevalence.

This is not a big deal here, since we compute on the same data we trained on, but this does not have to be the general case.

(This warning would not exists if we redefine the model with use_stabilized=True and retrain it)

```
In [36]: stabilized_weights = ipw.compute_weights(data.X, data.a, treatmen
t_values=1,
```

```
abilized=True)
weights = ipw.compute_weights(data.X, data.a, treatment_values=1, truncate_eps=0.0)
stabilized_weights.eq(weights).all()
```

Fraction of values being truncated: 0.00000. Fraction of values being truncated: 0.00000.

D:\workspaces\MLHLS\CausalLib\causallib\estimation\ipw.py:119: Ru ntimeWarning: Stabilized is asked, however, the model was not trained using stabilization, and therefore, stabilized weights are taken from the provided treatment assignment.

RuntimeWarning)

Out[36]: False

Since IPW utilizes probabilites, for each sample we can get a probability (or weight) for each treatment value

```
In [41]: # ipw.compute_weight_matrix(data.X, data.a).head()
    ipw.compute_propensity_matrix(data.X, data.a).head()
```

Fraction of values being truncated: 0.23499.

I I .	Out	[41]	:
-------	-----	------	---

	0	1
0	0.800000	0.200000
1	0.800000	0.200000
2	0.716160	0.283840
3	0.520581	0.479419
4	0.765621	0.234379

Effect estimation options

We can choose whether we wish for additive (diff) or multiplicative (ratio) effect (If outcome y was probabilites, we could also ask for odds-ratio (or))

Providing weights w is optional, if not provided the weights would be simply calulated again using the provided X.

```
In [47]: outcomes = ipw.estimate_population_outcome(data.X, data.a, data.y
    , w=weights)
    effects = ipw.estimate_effect(outcomes[1], outcomes[0], effect_ty
    pes=["diff", "ratio"])
    effects
```

Out[47]: diff 2.755327 ratio 2.142714 dtype: float64

Evaluation

We can also evaluate the performance of the IPW model

Simple evaluation

Evaluates a fitted model on the provided dataset

results contains models, plots and scores, but since we did not ask for plots, and did not refit the model, our main interest is the scores. We have both the prediction performance scores and a table1 with standardized mean differences with and without balancing

```
In [52]: results.scores.prediction_scores

Out[52]: accuracy precision recall f1 roc_auc avg_precision hinge

O 0.743934 0.541667 0.032258 0.06089 0.613656 0.36485 1.11648
```

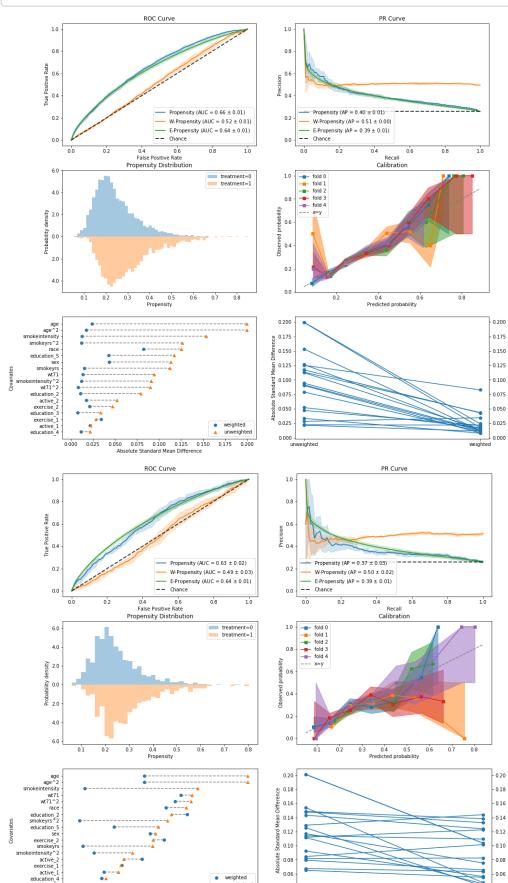
In [54]: results.scores.covariate_balance.head()

Out[54]:

abs_smd	weighted	unweighted	
covariate			
age	0.048604	0.199560	
race	0.167319	0.125194	
sex	0.145940	0.113323	
smokeintensity	0.018511	0.153345	
smokeyrs	0.021658	0.112470	

Thorough evaluation

Can check general model specification as it evaluates using cross-validation and refitting the model on each fold





In [57]: results.scores.prediction_scores

Out[57]:

			roc_auc	avg_precision
phase	fold			
	0	0	0.662740	0.409813
	1	0	0.656866	0.403830
train	2	0	0.644306	0.389844
	3	0	0.670676	0.424142
	4	0	0.663786	0.394718
	0	0	0.653791	0.400107
	1	0	0.635352	0.345427
valid	2	0	0.644042	0.397700
	3	0	0.592295	0.323602
	4	0	0.621713	0.402692

```
In [60]: print(len(results.models))
  results.models[2]
```

5

iblinear',