Lecture 10: Machine Translation I

Alan Ritter

(many slides from Greg Durrett)

This Lecture

- MT and evaluation
- Word alignment
- Language models
- Phrase-based decoders
- Syntax-based decoders (probably next time)



People's Daily, August 30, 2017



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Trump Pope family watch a hundred years a year in the White House balcony



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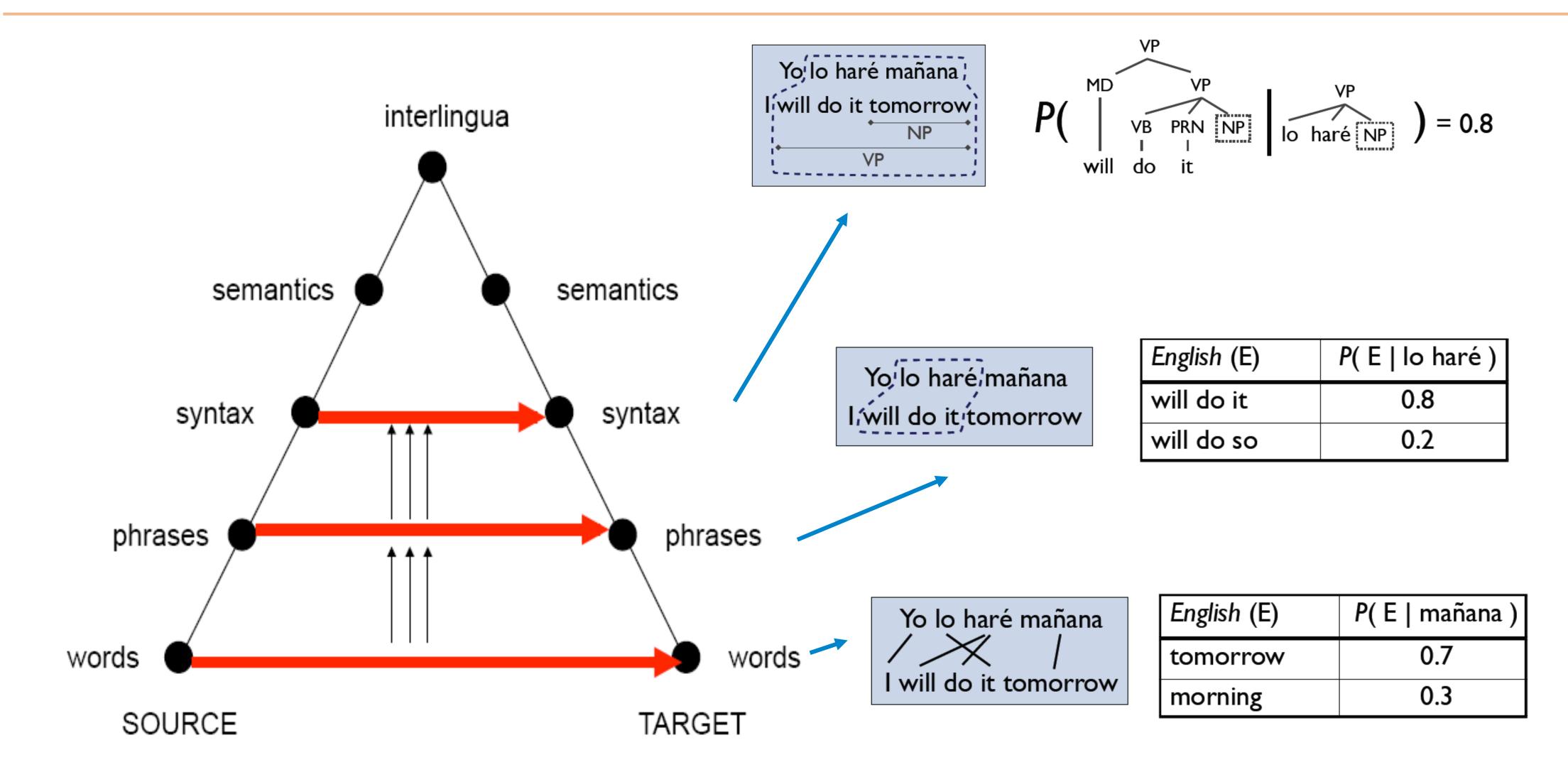
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- Everyone has a friend => $\exists x \forall y \text{ friend}(x,y) => \text{Tous a un amis}$ $\forall x \exists y \text{ friend}(x,y)$
 - Can often get away without doing all disambiguation same ambiguities may exist in both languages

Levels of Transfer: Vauquois Triangle



Slide credit: Dan Klein

Key idea: translation works better the bigger chunks you use

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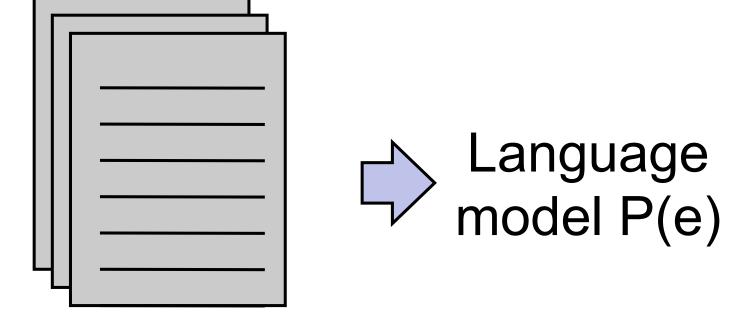
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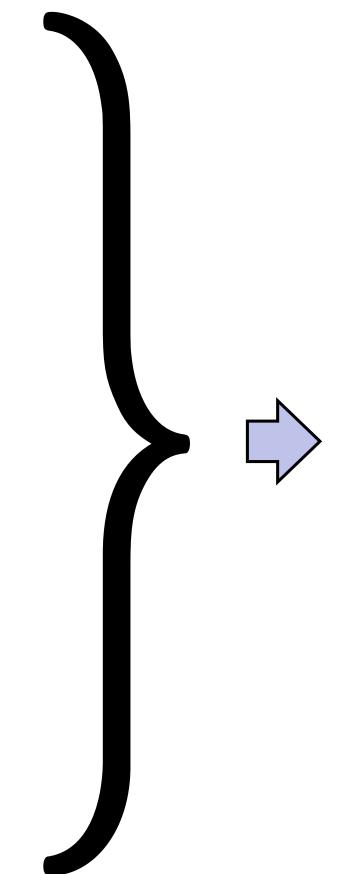
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 - Decoder takes phrases and a language model and searches over possible translations
- NOT like standard discriminative models (take a bunch of translation pairs, learn a ton of parameters in an end-to-end way)

cat ||| chat ||| 0.9 the cat ||| le chat ||| 0.8 dog ||| chien ||| 0.8 house ||| maison ||| 0.6 my house ||| ma maison ||| 0.9 language ||| langue ||| 0.9

Phrase table P(f|e)



Unlabeled English data



$$P(e|f) \propto P(f|e)P(e)$$

Noisy channel model: combine scores from translation model + language model to translate foreign to English

"Translate faithfully but make fluent English"

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		1-gram	2-gram	3-gram
hypothesis 1	I am exhausted	3/3	1/2	0/1
hypothesis 2	Tired is I	1/3	0/2	0/1
hypothesis 3	III	1/3	0/2	0/1
reference 1	I am tired			
reference 2	I am ready to sle	ep now a	nd so e	xhauste

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BLEU= BP
$$\cdot$$
 exp $\left(\sum_{n=1}^{N} w_n \log p_n\right)$ hypothesis 1 I am exhausted $\frac{1 - \operatorname{gram}}{3/3}$ $\frac{2 - \operatorname{gram}}{3/3}$ $\frac{3 - \operatorname{gram}}{1/2}$ $\frac{3 - \operatorname{gram}}{3/3}$ $\frac{3 - \operatorname{gram}}{1/2}$ hypothesis 3 I I I $\frac{1}{3}$ $\frac{3}{3}$ $\frac{1}{3}$ $\frac{$

reference 2

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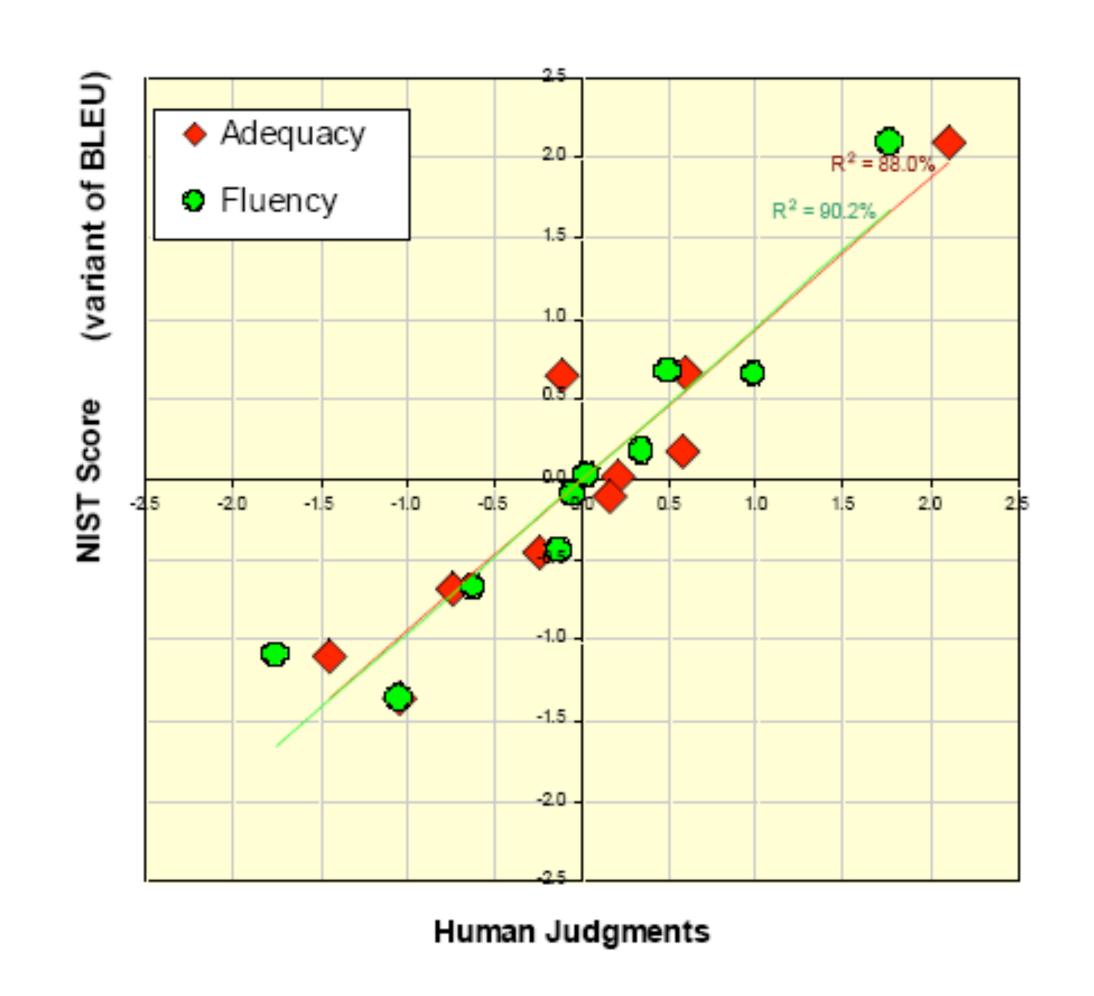
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Does this capture fluency and adequacy?

BLEU Score

- Better methods with human-in-the-loop
- HTER: human-assisted translation error rate

 If you're building real MT systems, you do user studies.
 In academia, you mostly use BLEU



Word Alignment

Input: a bitext, pairs of translated sentences

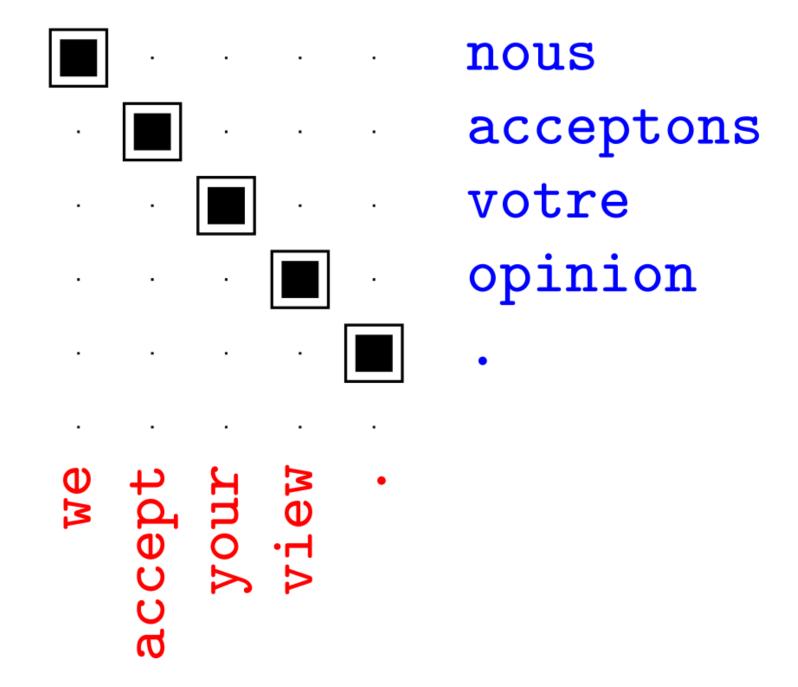
```
nous acceptons votre opinion . | | | we accept your view
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nous allons changer d'avis | | | we are going to change our minds

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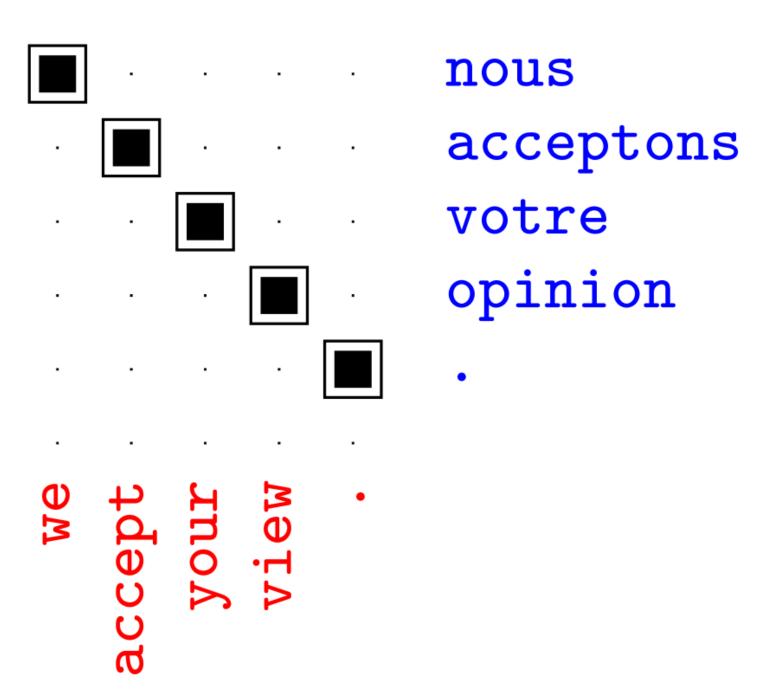


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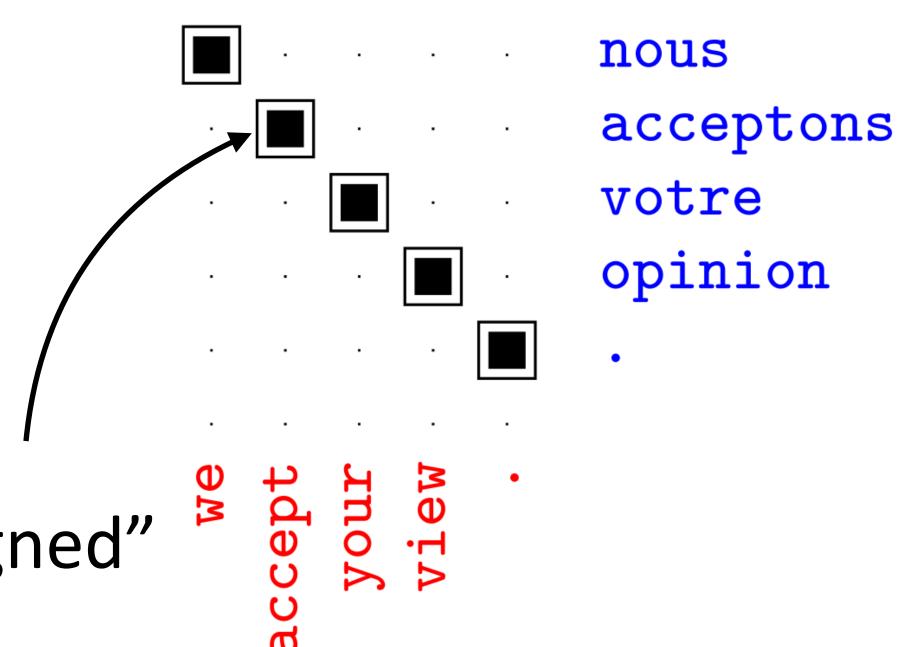


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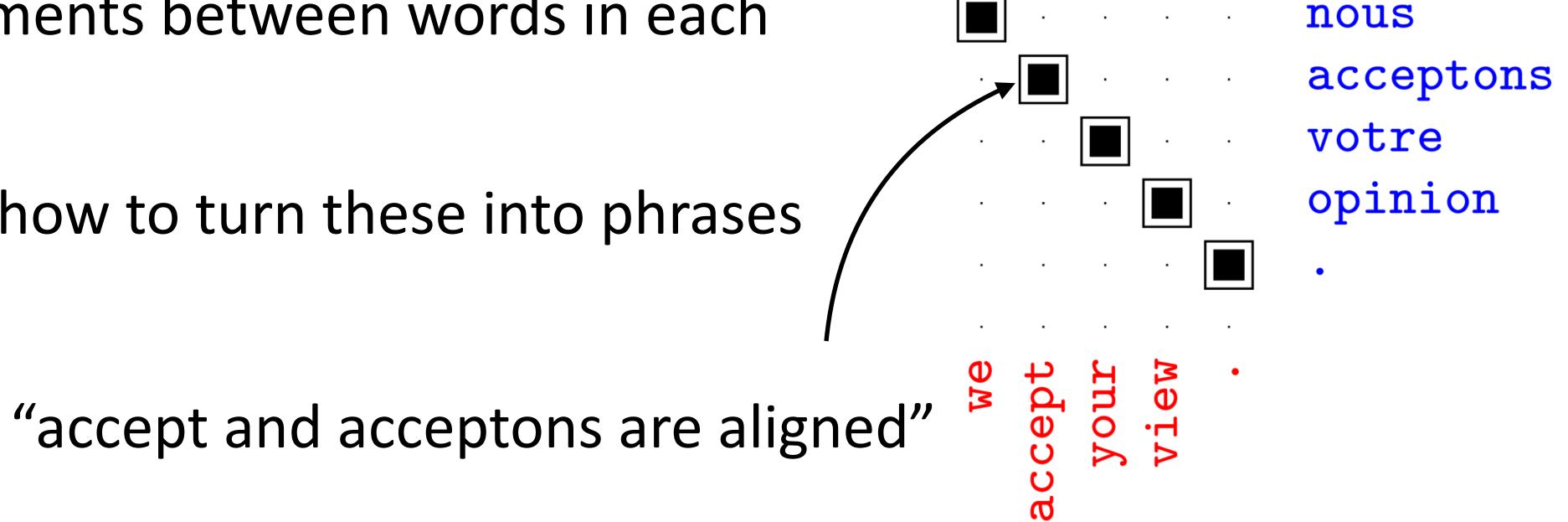


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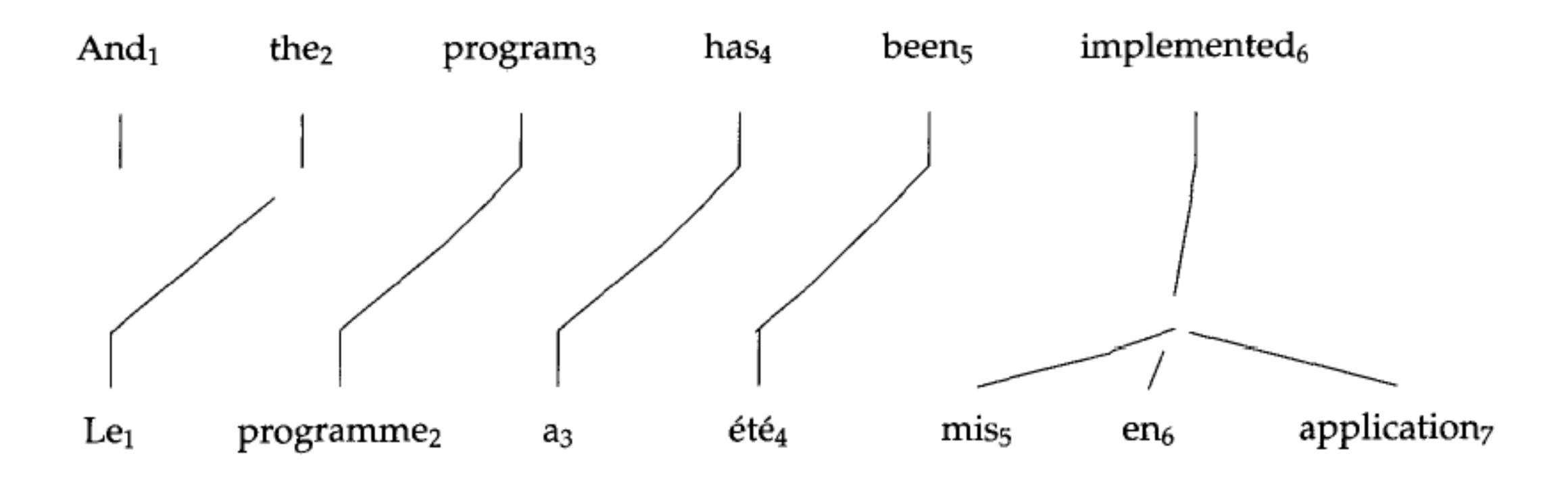
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- Output: alignments between words in each sentence
 - We will see how to turn these into phrases



1-to-Many Alignments



 Models P(f|e): probability of "French" sentence being generated from "English" sentence according to a model

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Latent variable model: $P(\mathbf{f}|\mathbf{e}) = \sum_{\mathbf{a}} P(\mathbf{f}, \mathbf{a}|\mathbf{e}) = \sum_{\mathbf{a}} P(\mathbf{f}|\mathbf{a}, \mathbf{e}) P(\mathbf{a})$

 Models P(f|e): probability of "French" sentence being generated from "English" sentence according to a model

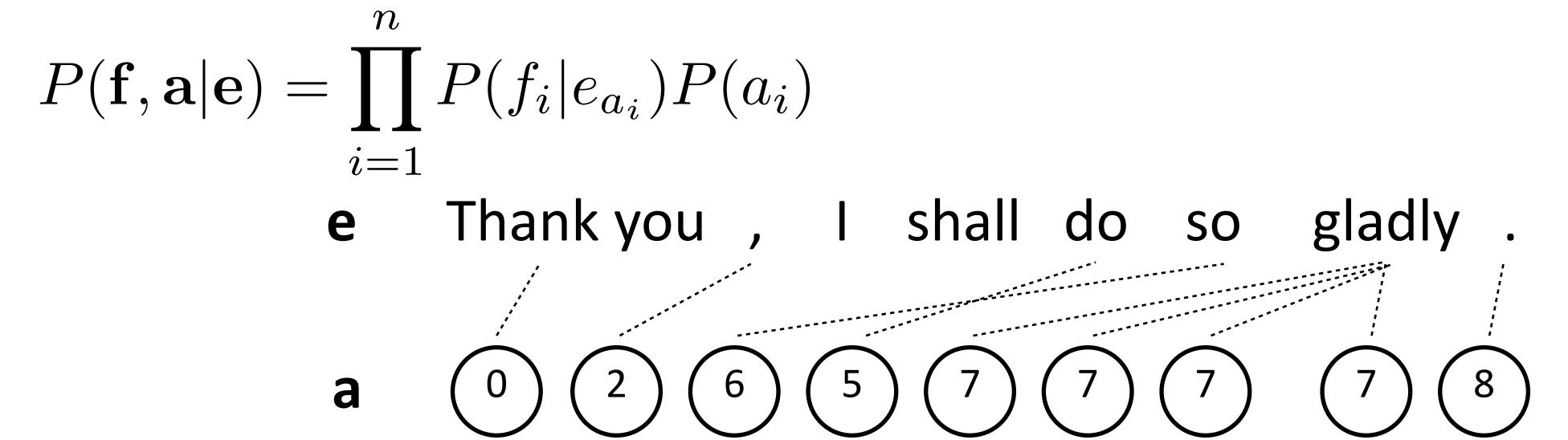
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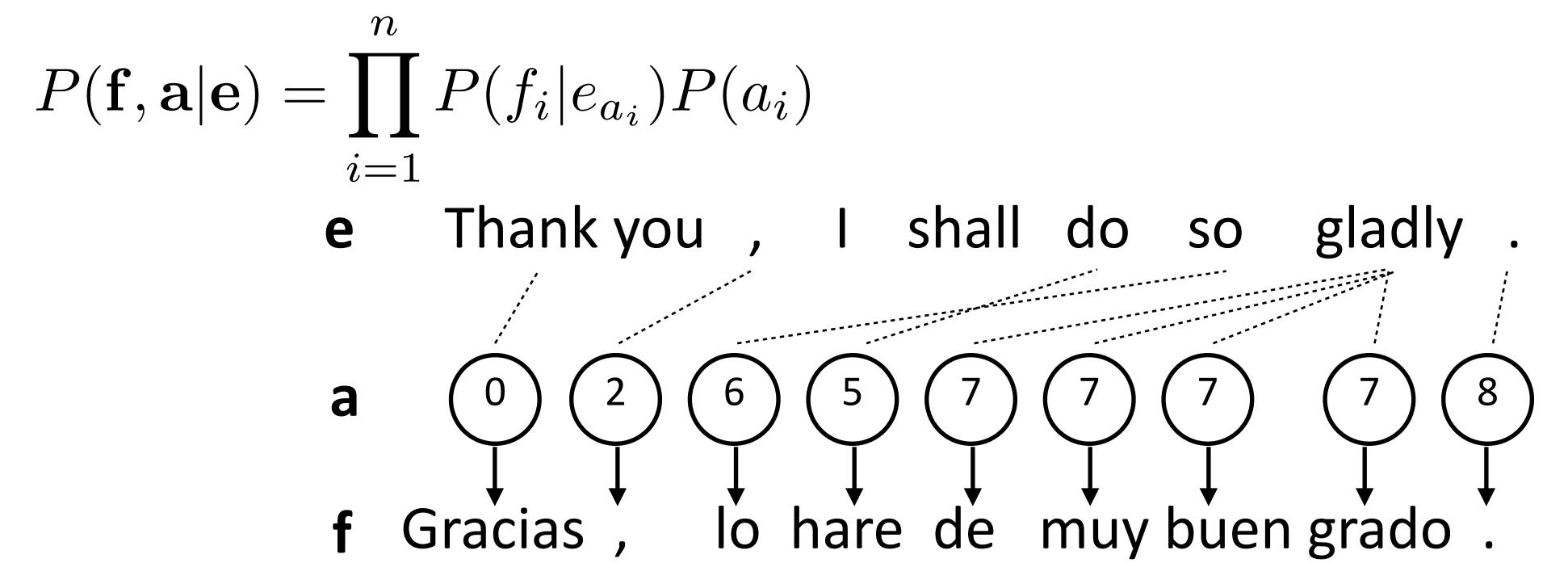
 Correct alignments should lead to higher-likelihood generations, so by optimizing this objective we will learn correct alignments

$$P(\mathbf{f}, \mathbf{a} | \mathbf{e}) = \prod_{i=1}^{n} P(f_i | e_{a_i}) P(a_i)$$

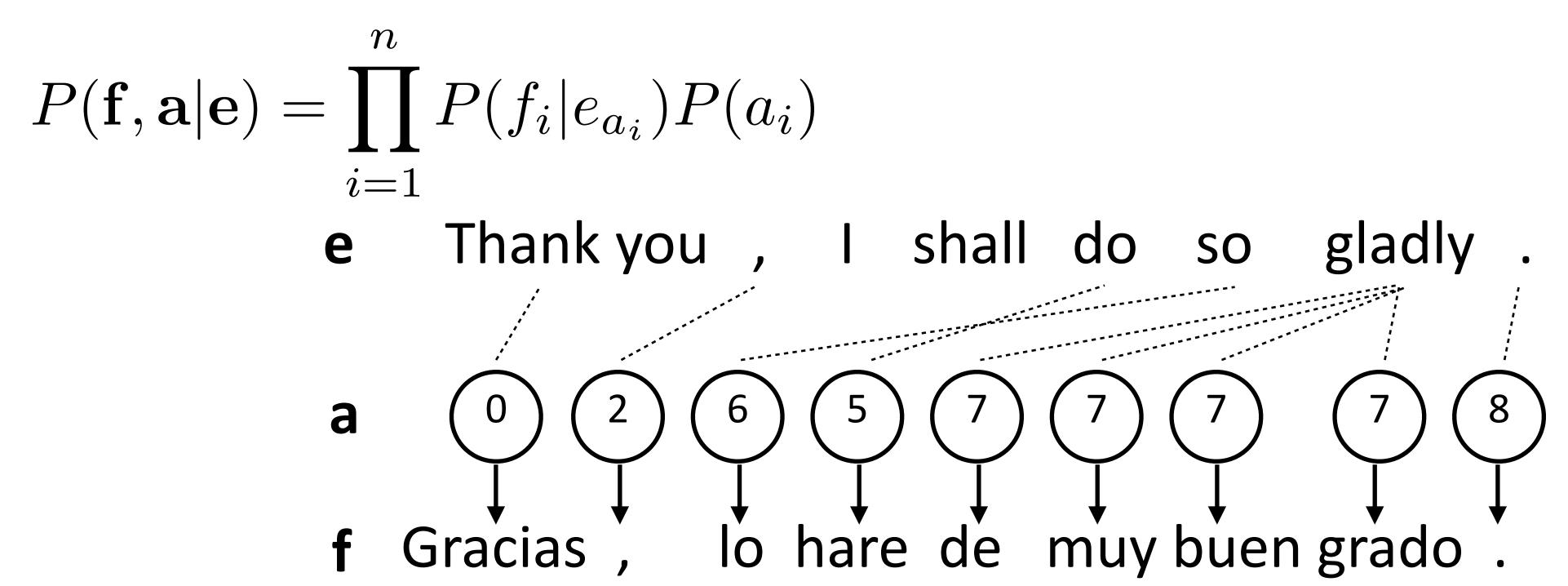
$$P(\mathbf{f},\mathbf{a}|\mathbf{e})=\prod_{i=1}^n P(f_i|e_{a_i})P(a_i)$$

 \mathbf{e} Thank you , I shall do so gladly .





Each French word is aligned to at most one English word



Set P(a) uniformly (no prior over good alignments)

$$P(\mathbf{f},\mathbf{a}|\mathbf{e}) = \prod_{i=1}^n P(f_i|e_{a_i})P(a_i)$$

$$\mathbf{e} \quad \text{Thank you} \quad , \quad \text{I} \quad \text{shall do so gladly} \quad .$$

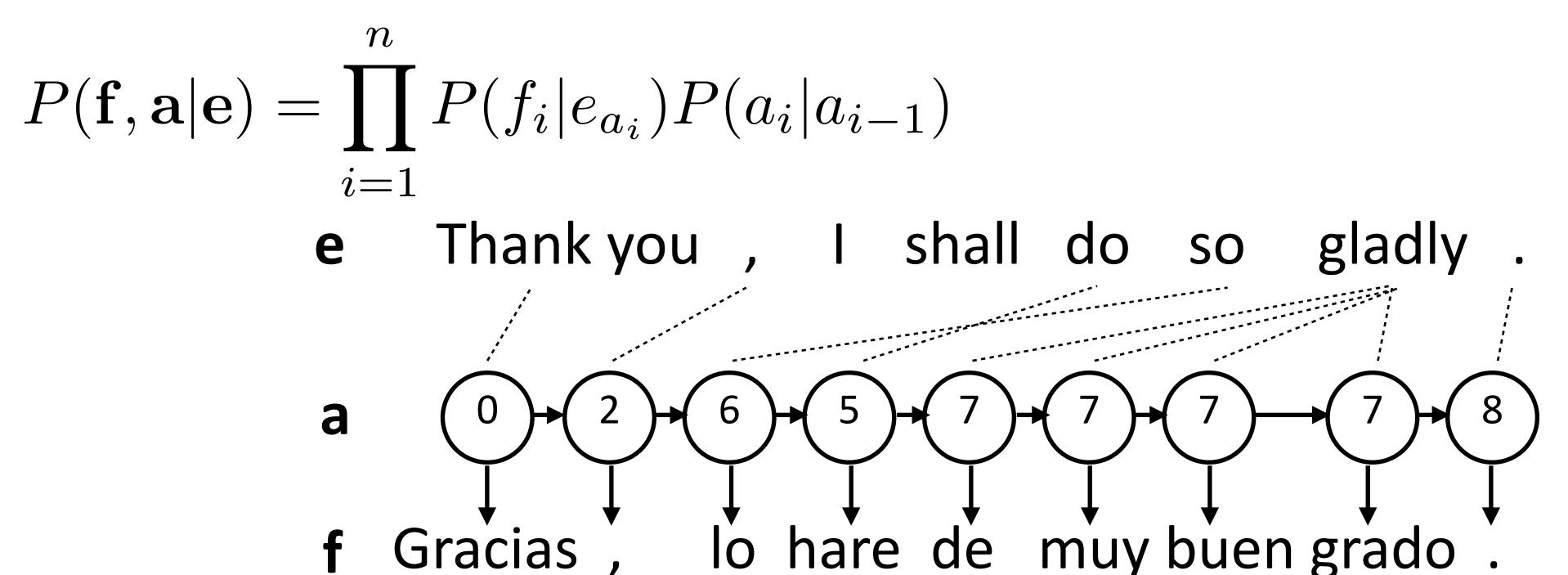
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$$\mathbf{f} \quad \text{Gracias} \quad , \quad \text{lo hare de muy buen grado} \quad .$$

- Set P(a) uniformly (no prior over good alignments)
- $P(f_i|e_{a_i})$: word translation probability table

HMM for Alignment

Sequential dependence between a's to capture monotonicity

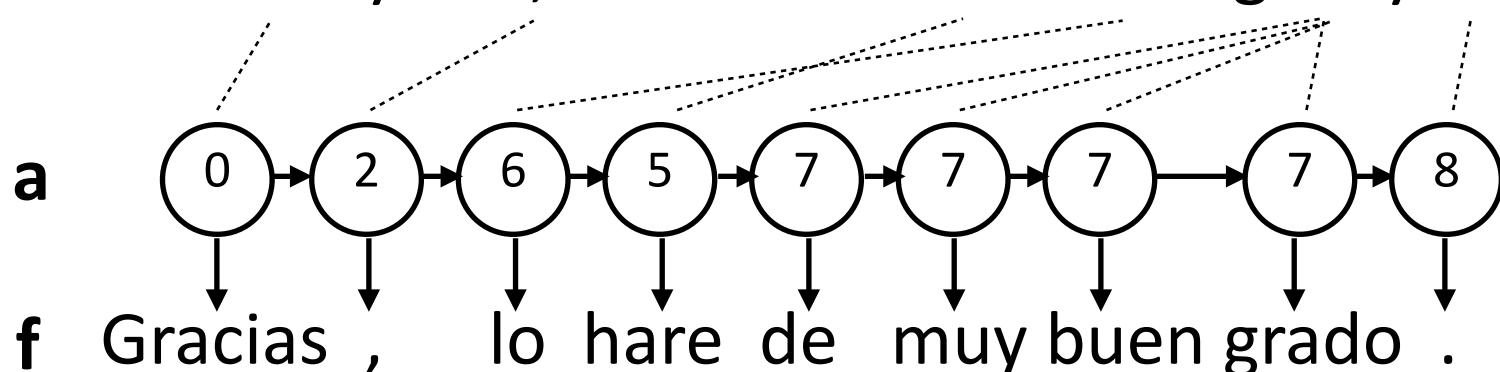


HMM for Alignment

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$$P(\mathbf{f}, \mathbf{a}|\mathbf{e}) = \prod_{i=1}^{n} P(f_i|e_{a_i})P(a_i|a_{i-1})$$

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• Alignment dist parameterized by jump size: $P(a_j - a_{j-1})$ _____

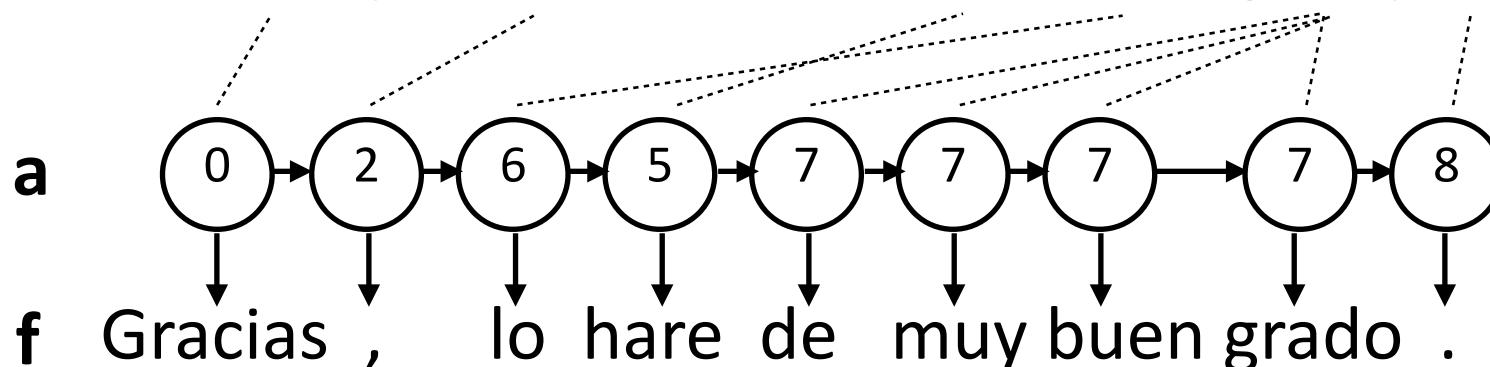
Brown et al. (1993)

HMM for Alignment

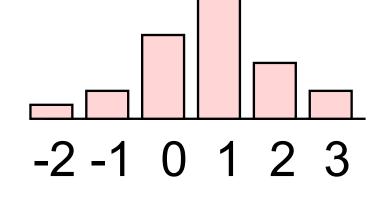
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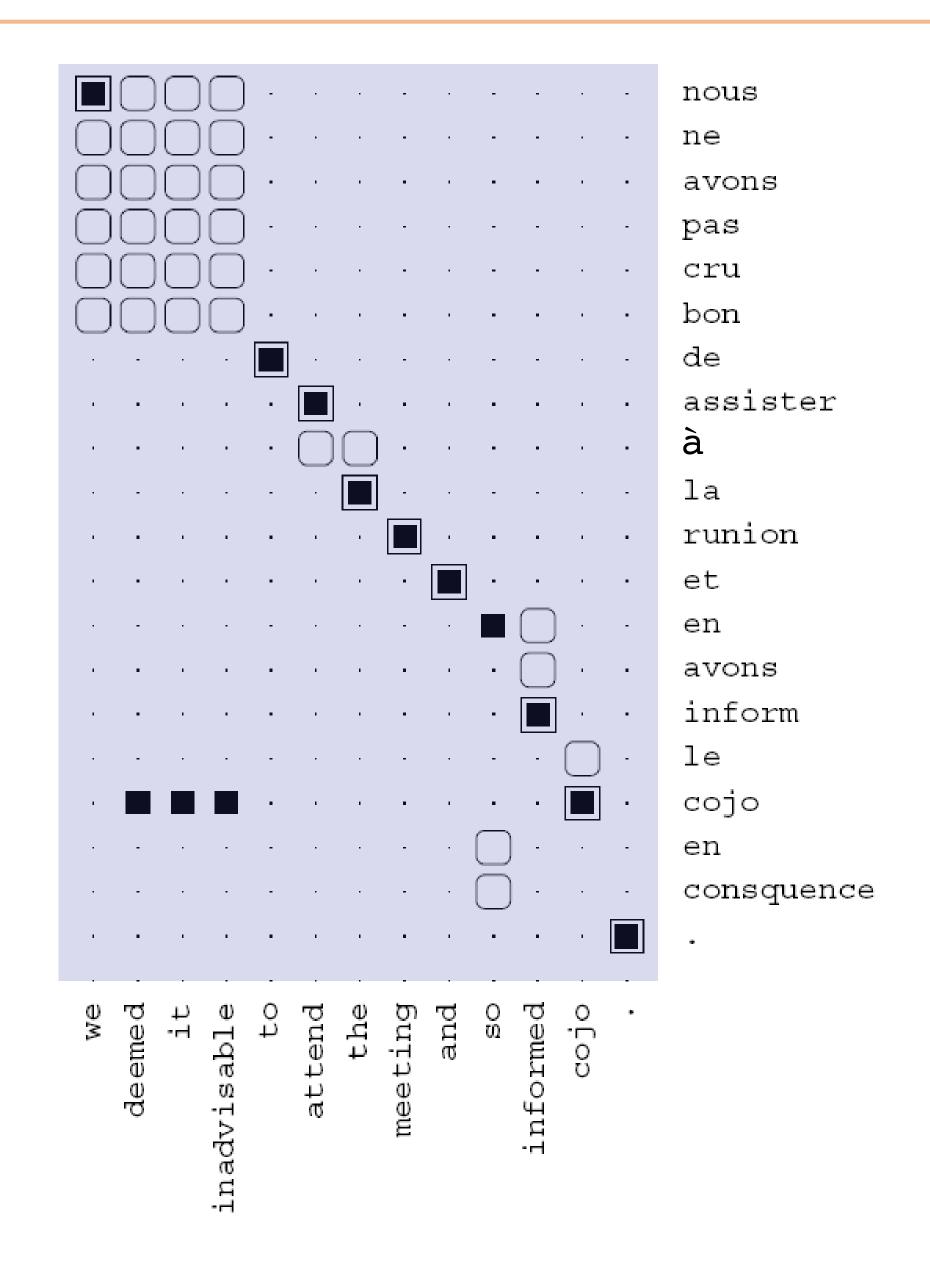
- Alignment dist parameterized by jump size: $P(a_j a_{j-1})$ ______
- $P(f_i|e_{a_i})$: same as before



Brown et al. (1993)

HMM Model

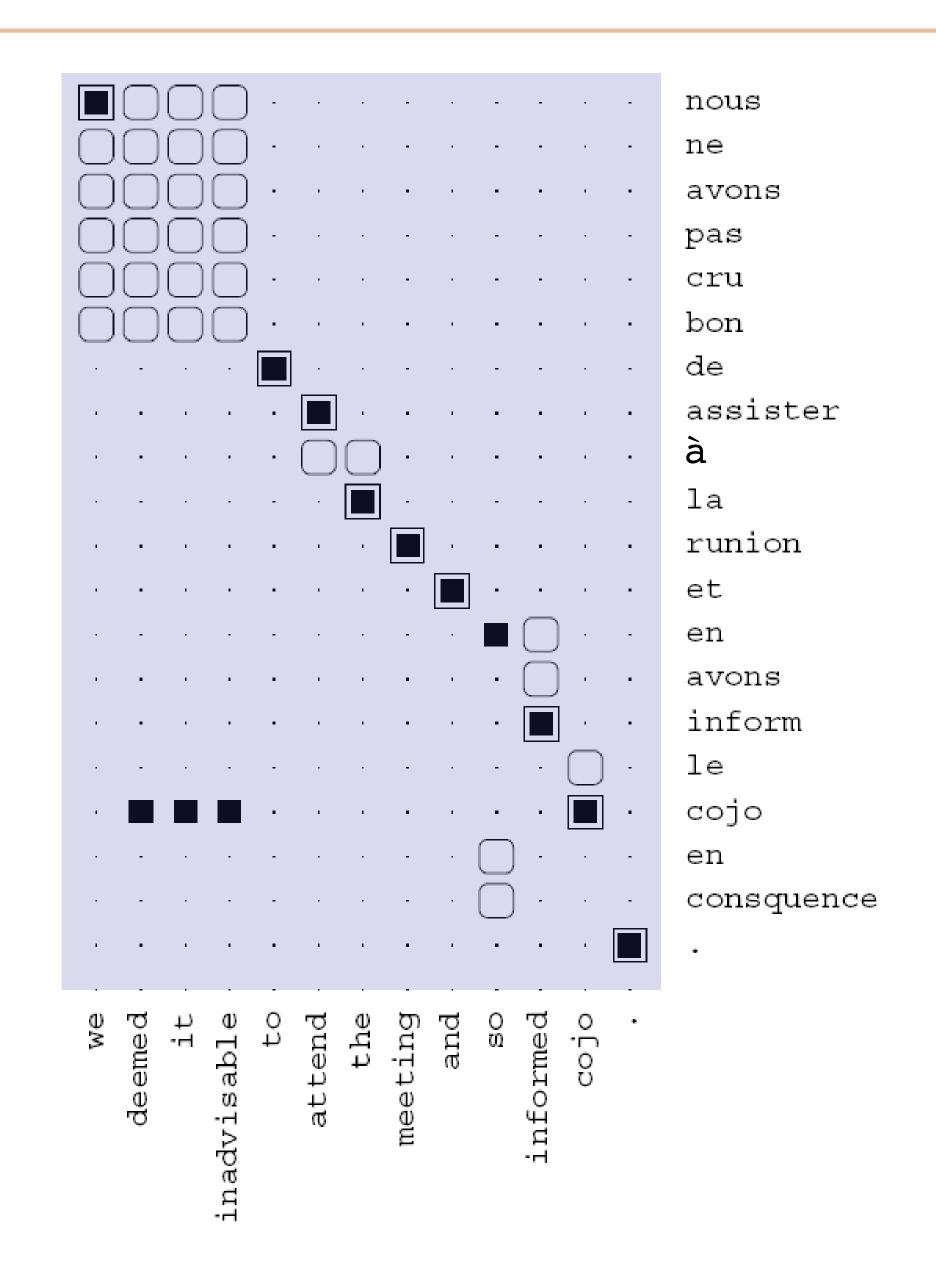
Which direction is this?



HMM Model

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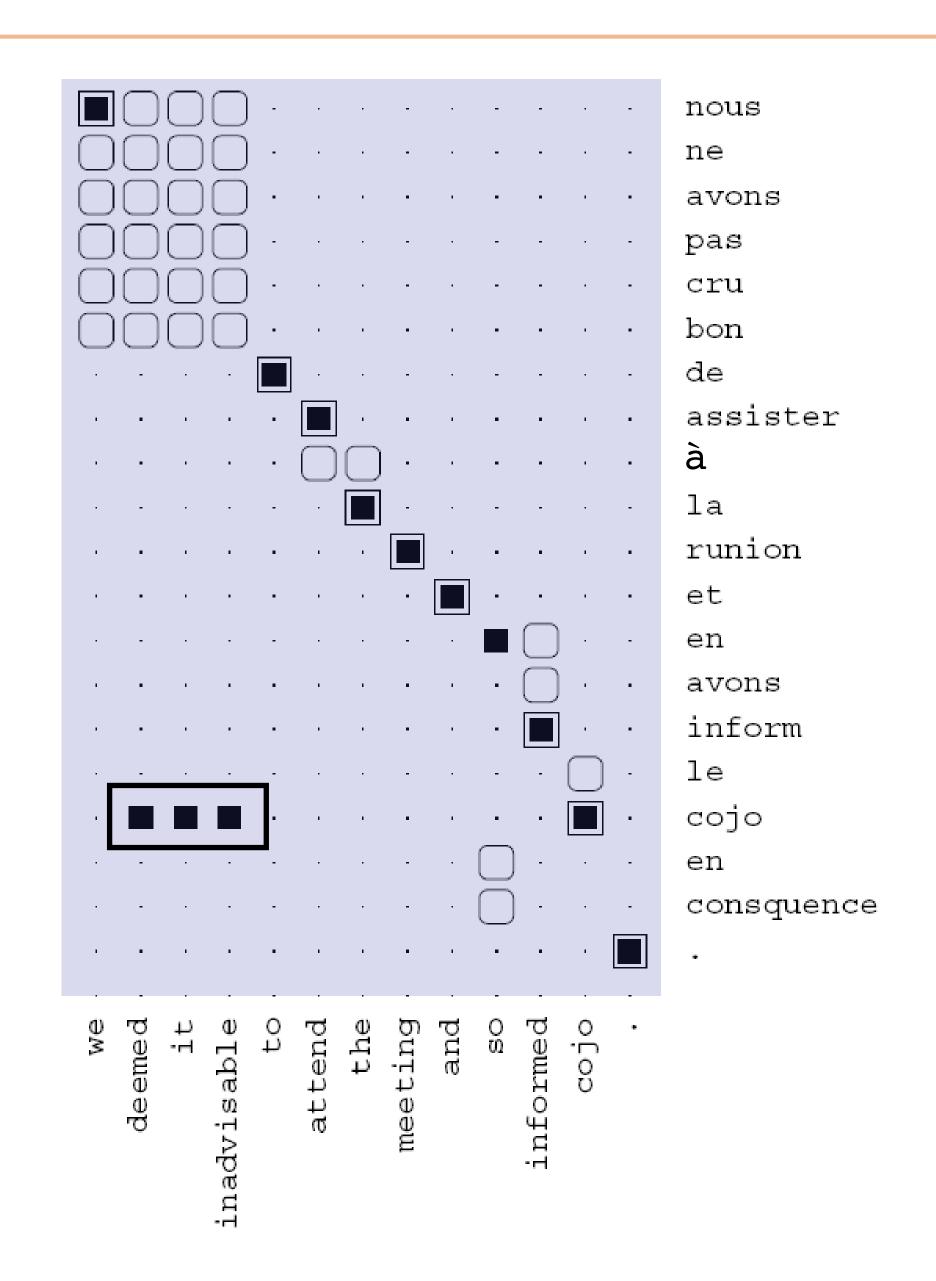
 Alignments are generally monotonic (along diagonal)



HMM Model

Which direction is this?

- Alignments are generally monotonic (along diagonal)
- Some mistakes, especially when you have rare words (garbage collection)



Evaluating Word Alignment

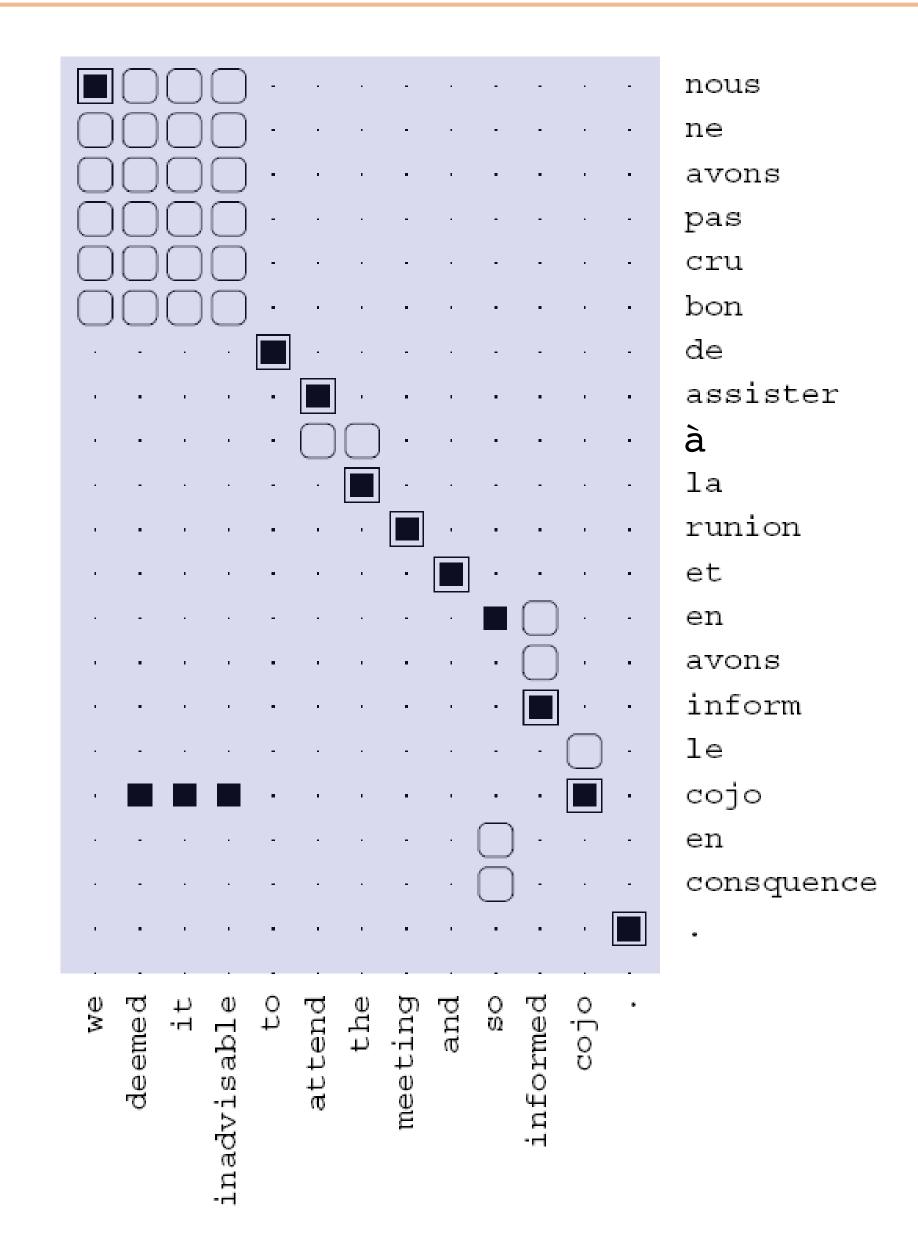
"Alignment error rate": use labeled alignments on small corpus

Model	AER
Model 1 INT	19.5
HMM E→F	11.4
HMM F→E	10.8
HMMAND	7.1
HMM INT	4.7
GIZA M4 AND	6.9

 Run Model 1 in both directions and intersect "intelligently"

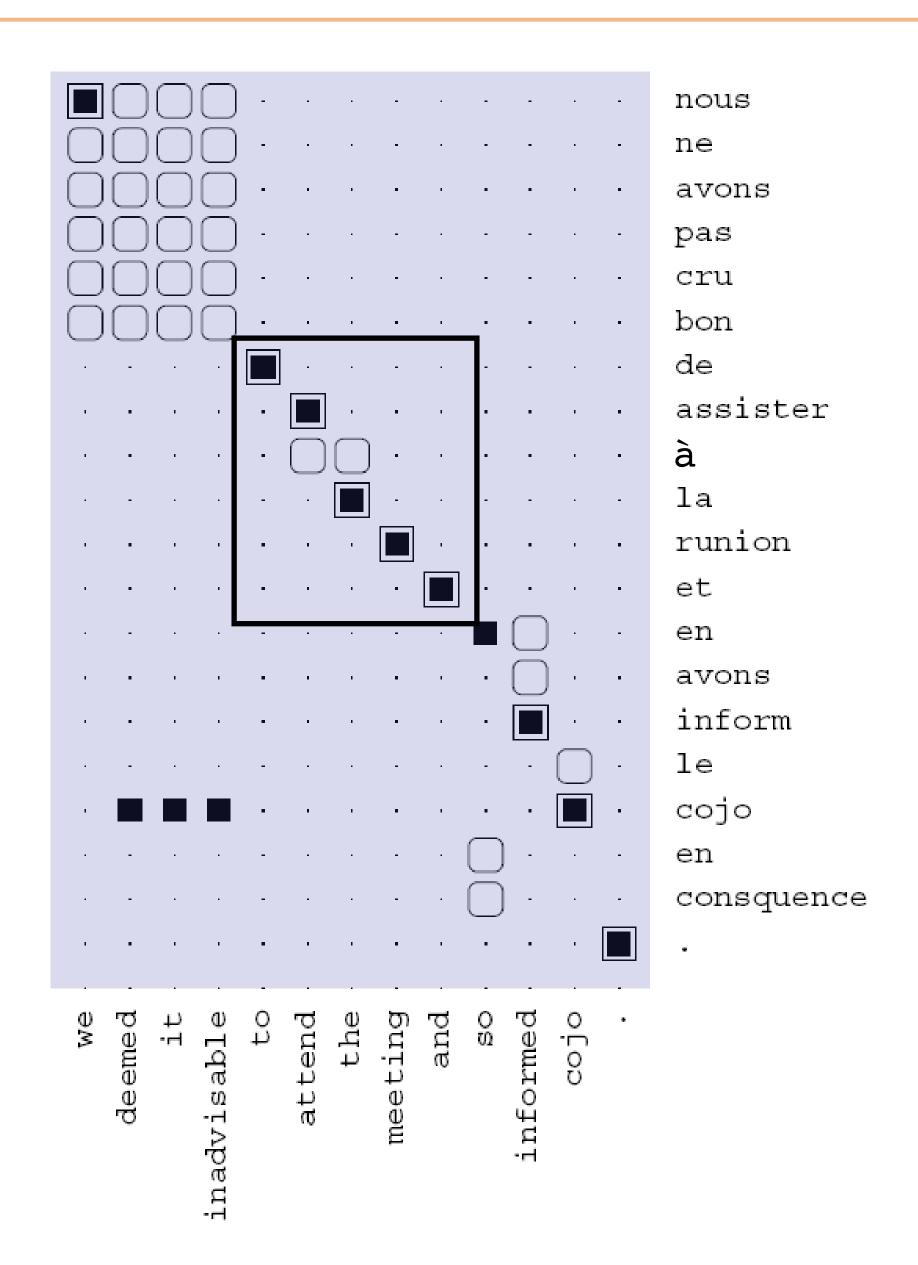
 Run HMM model in both directions and intersect "intelligently"

Find contiguous sets of aligned words in the two languages that don't have alignments to other words



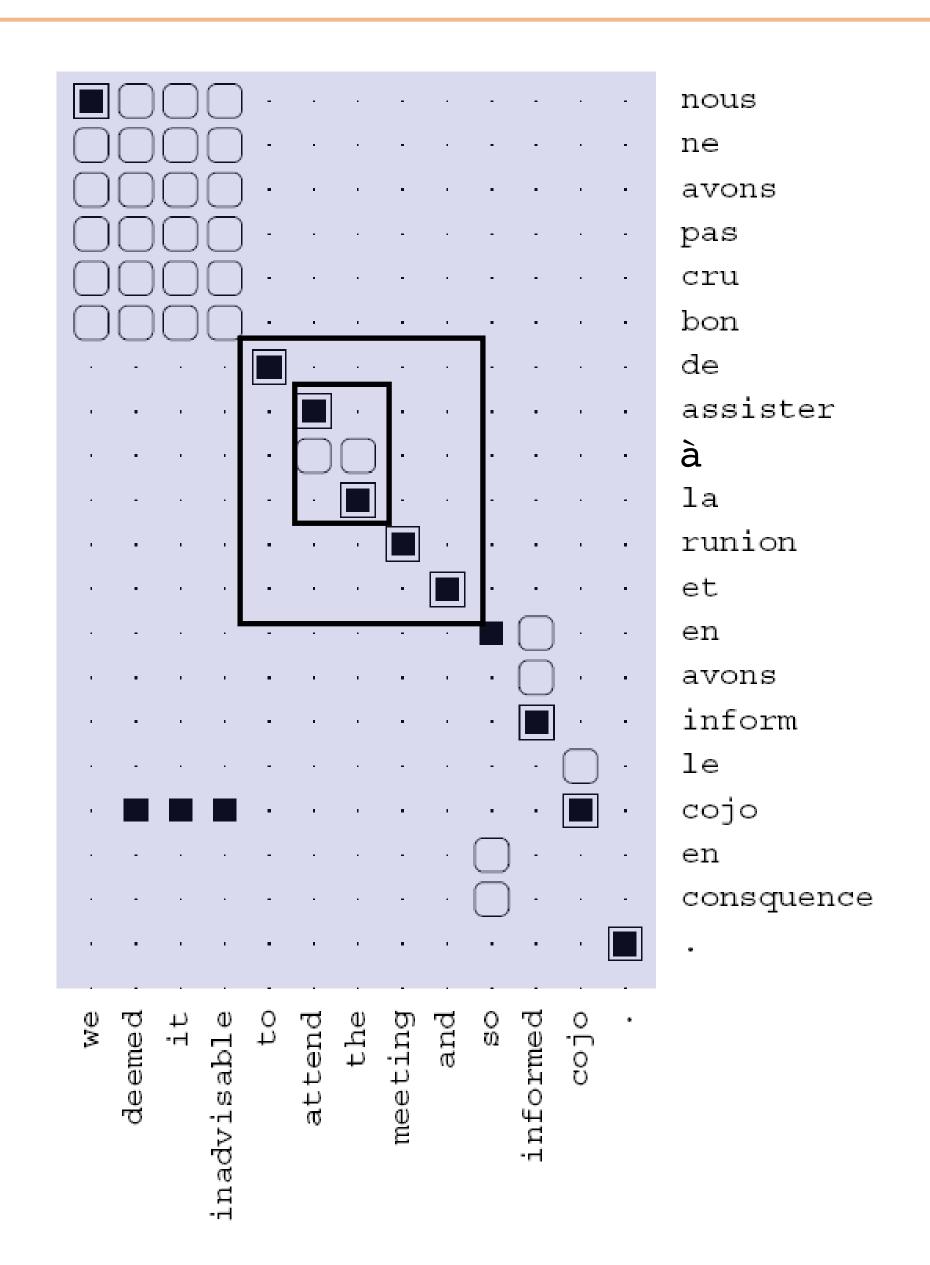
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d'assister à la reunion et | | | to attend the meeting and



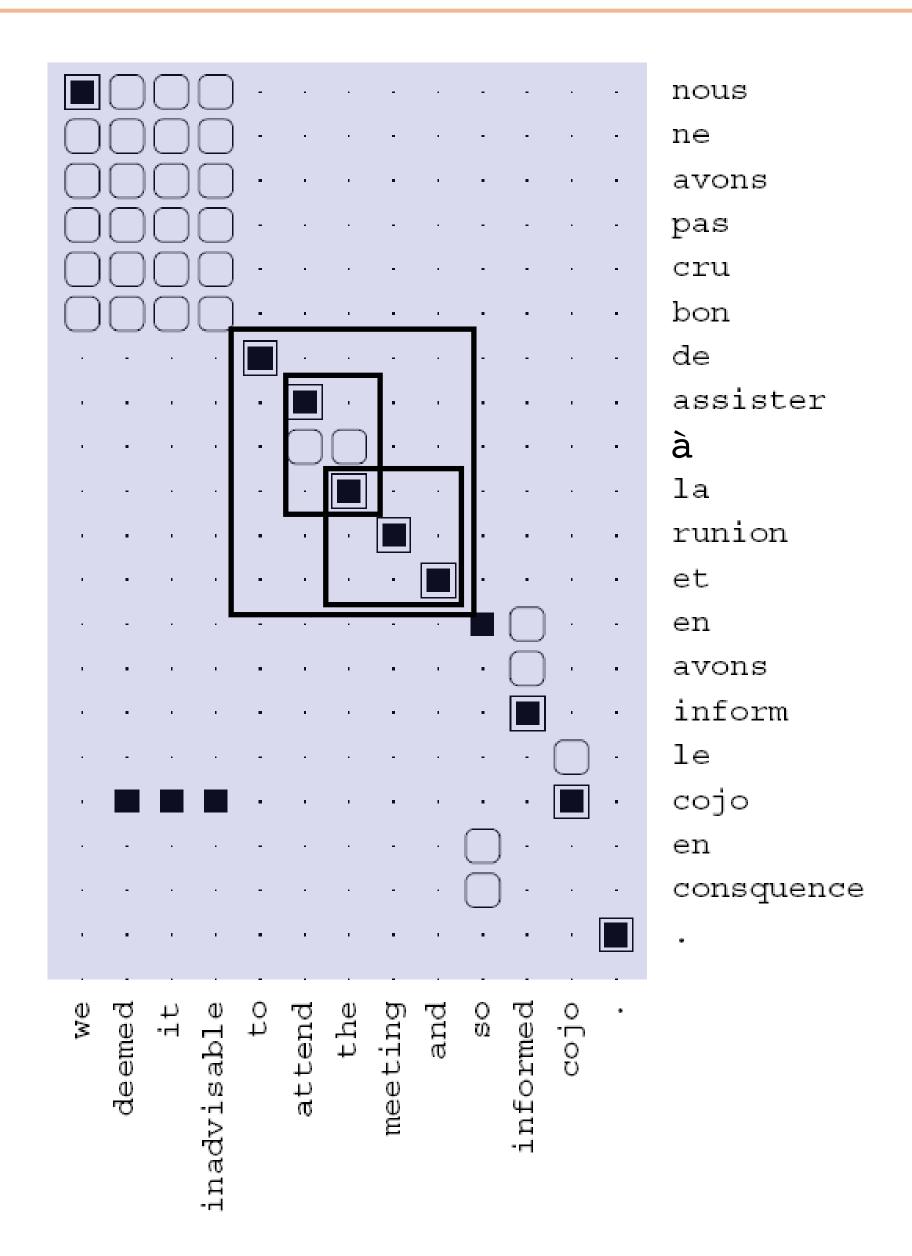
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d'assister à la reunion et ||| to attend the meeting and assister à la reunion ||| attend the meeting



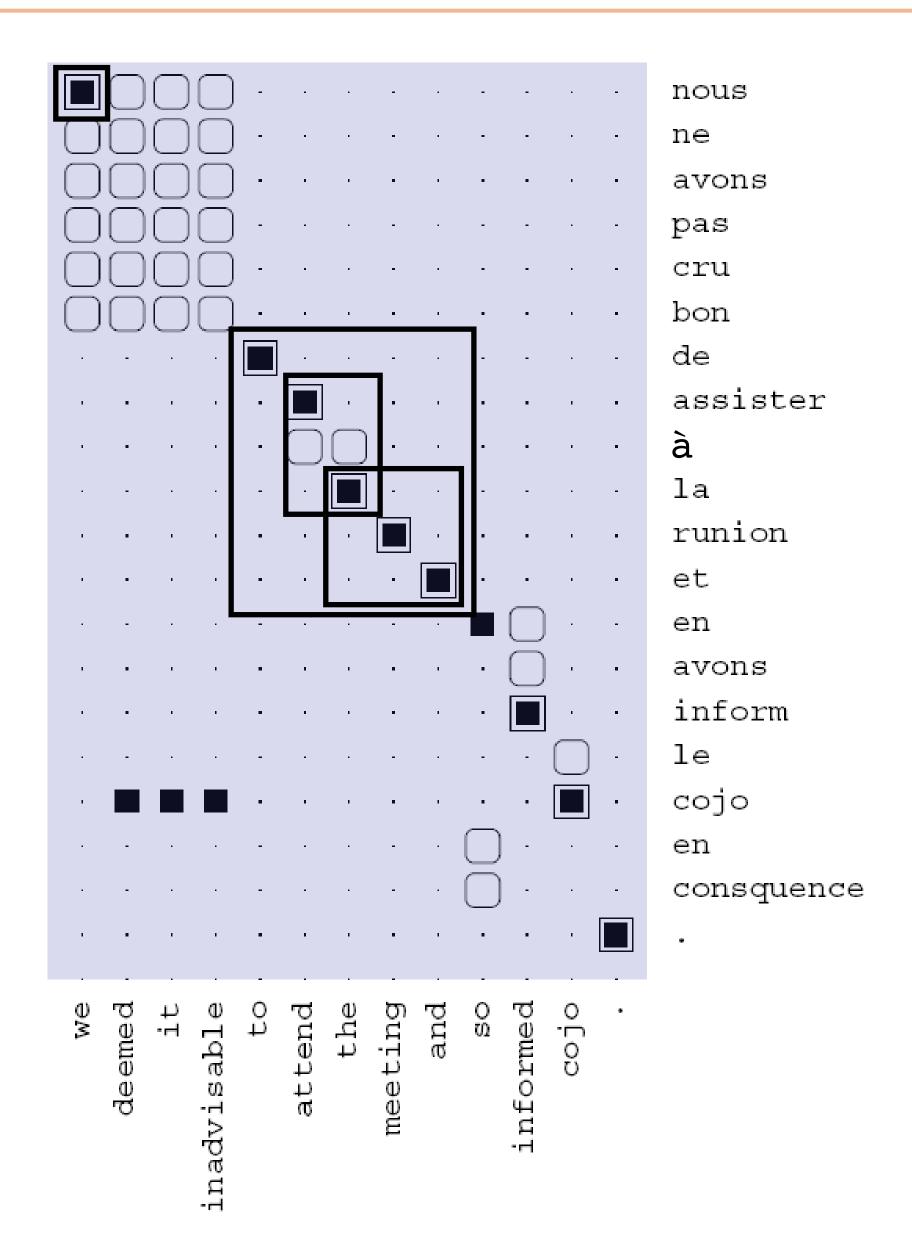
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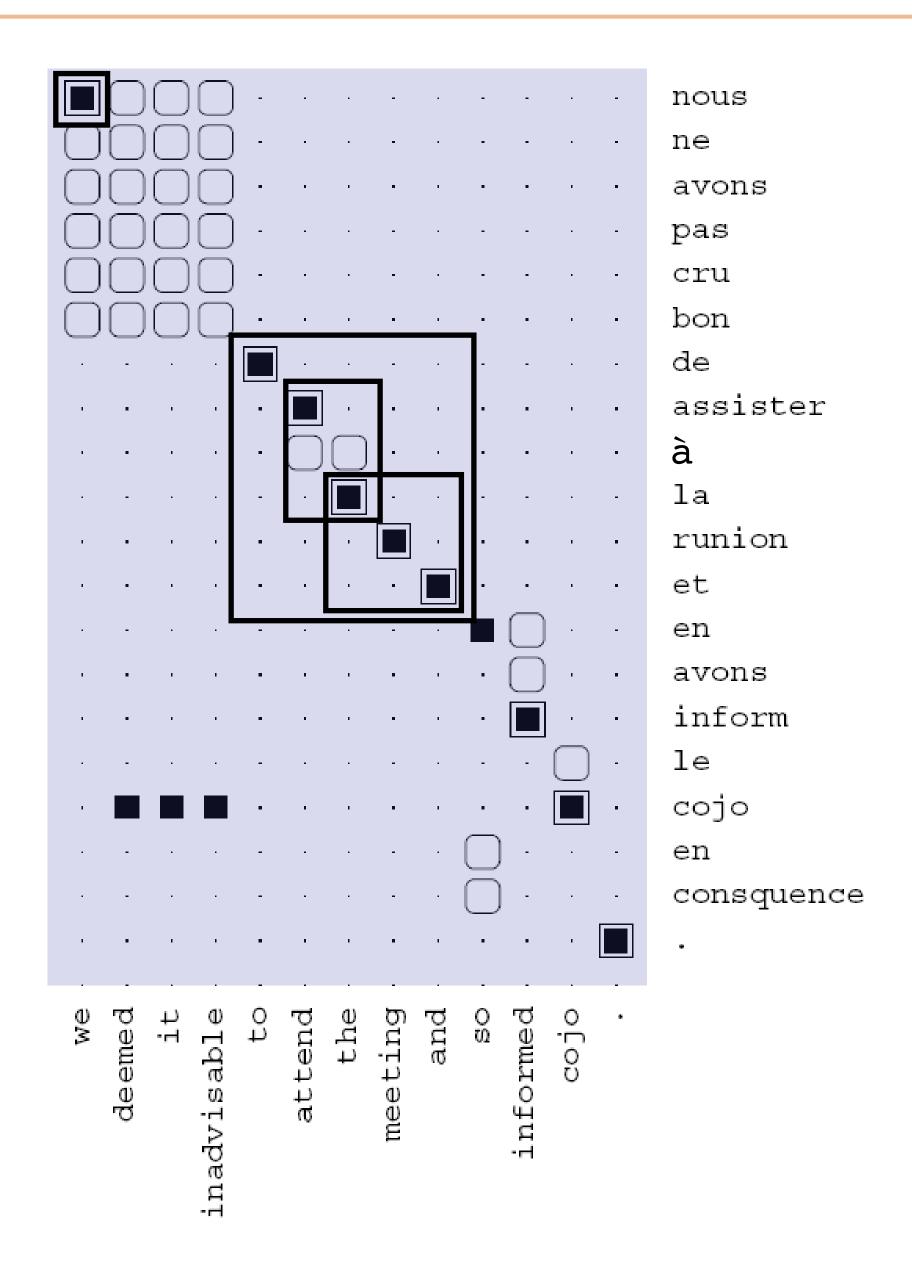
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d'assister à la reunion et ||| to attend the meeting and assister à la reunion ||| attend the meeting la reunion and ||| the meeting and nous ||| we



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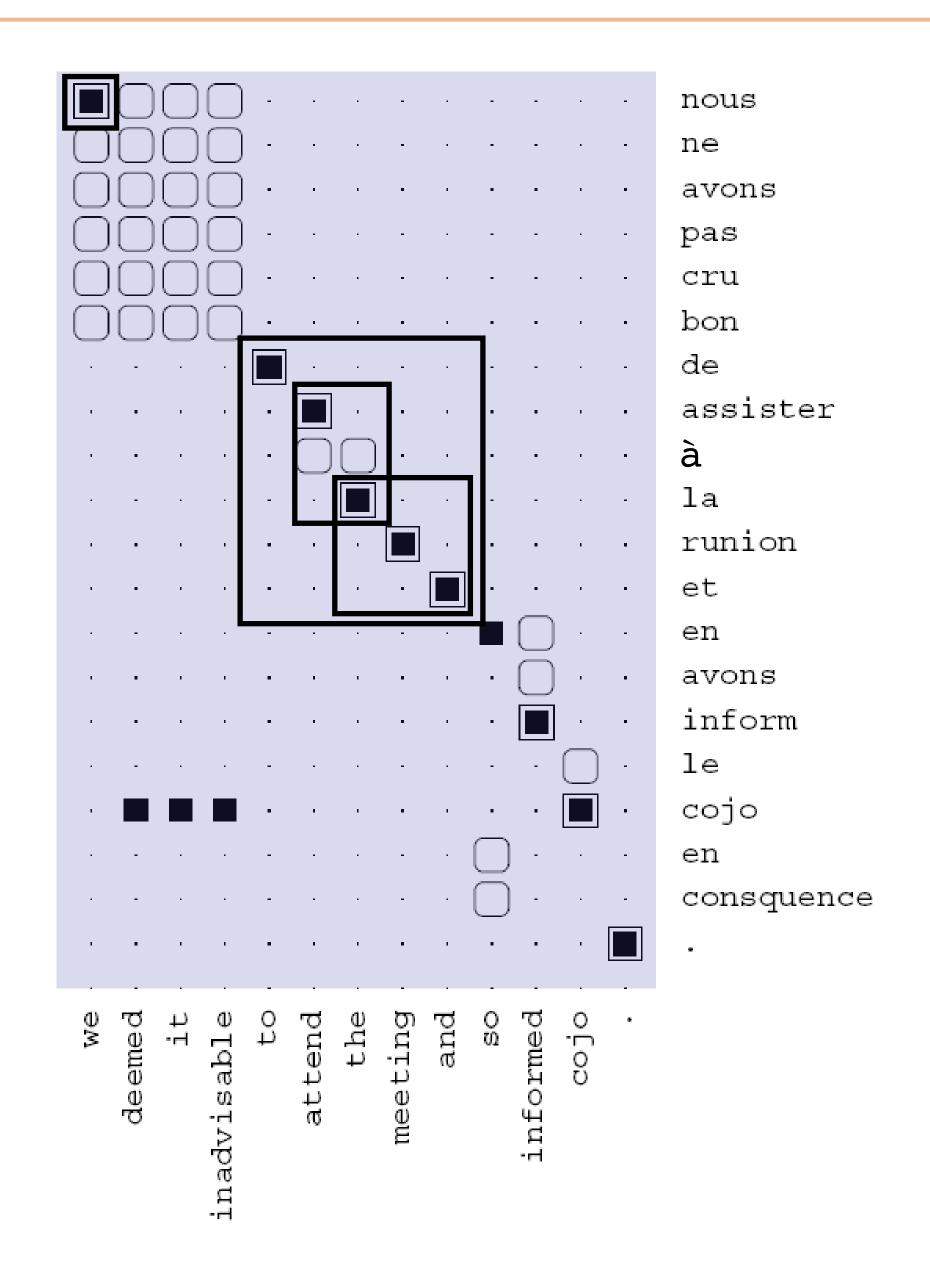
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```

 Lots of phrases possible, count across all sentences and score by frequency

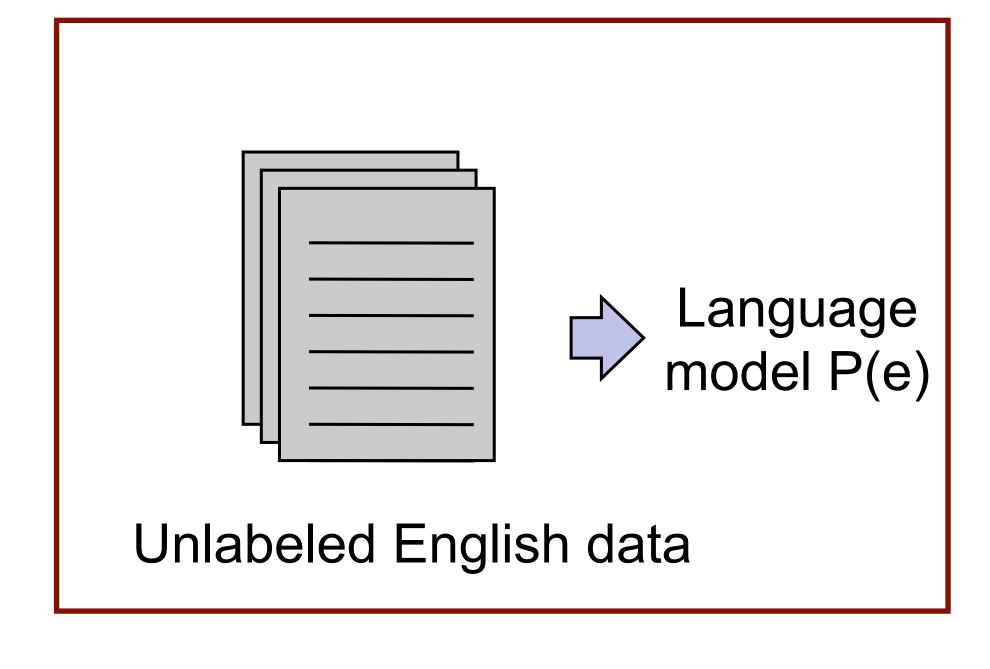


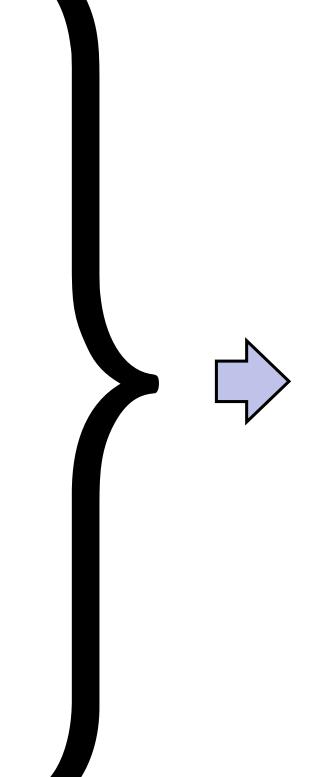
Language Modeling

Phrase-Based MT

cat ||| chat ||| 0.9
the cat ||| le chat ||| 0.8
dog ||| chien ||| 0.8
house ||| maison ||| 0.6
my house ||| ma maison ||| 0.9
language ||| langue ||| 0.9
...

Phrase table P(f|e)





$$P(e|f) \propto P(f|e)P(e)$$

Noisy channel model: combine scores from translation model + language model to translate foreign to English

"Translate faithfully but make fluent English"

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Maximum likelihood estimate of this probability from a corpus

 Just relies on counts, even in 2008 could scale up to 1.3M word types, 4B n-grams (all 5-grams occurring >40 times on the Web)

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$$P(x|\text{visited San}) = \frac{\text{count}(\text{visited San}, x) - k}{\text{count}(\text{visited San})} + \lambda \frac{\text{count}(\text{San}, x)}{\text{count}(\text{San})}$$

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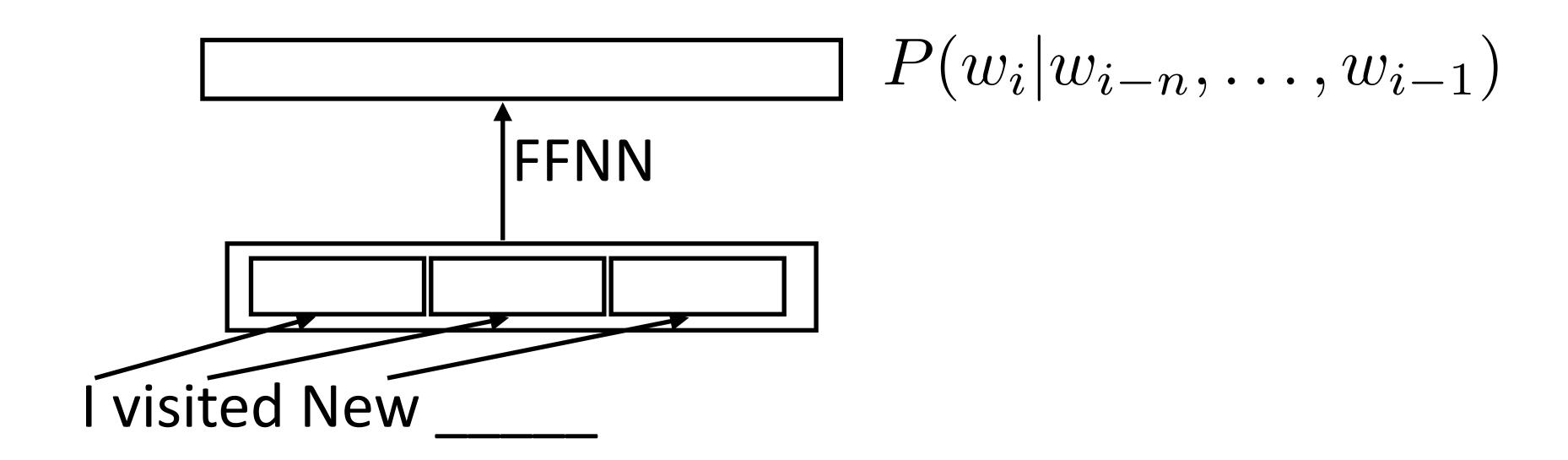
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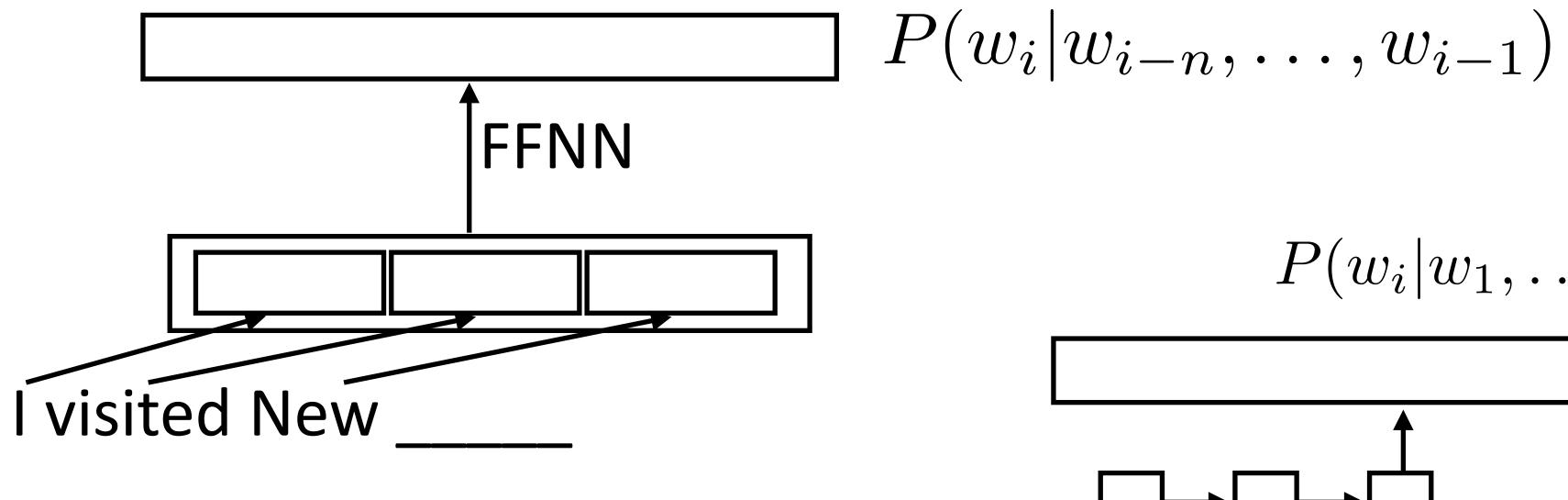
 Kneser-Ney smoothing: this trick, plus low-order distributions modified to capture fertilities (how many distinct words appear in a context)

Early work: feedforward neural networks looking at context

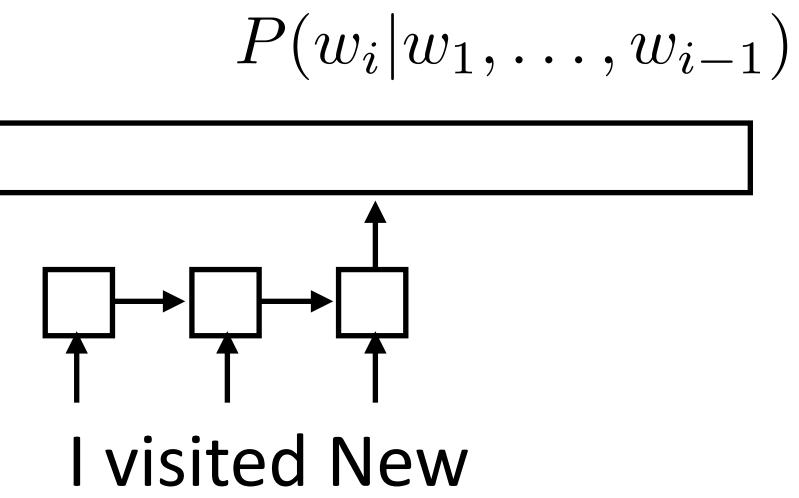
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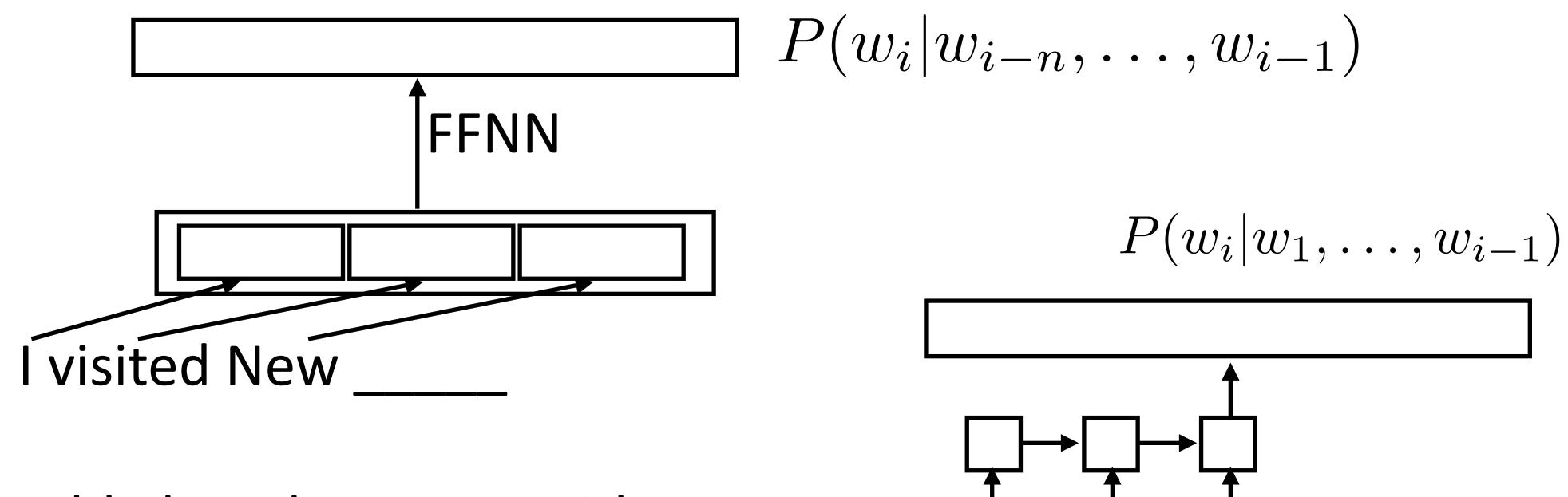


Variable length context with RNNs:



Mnih and Hinton (2003)

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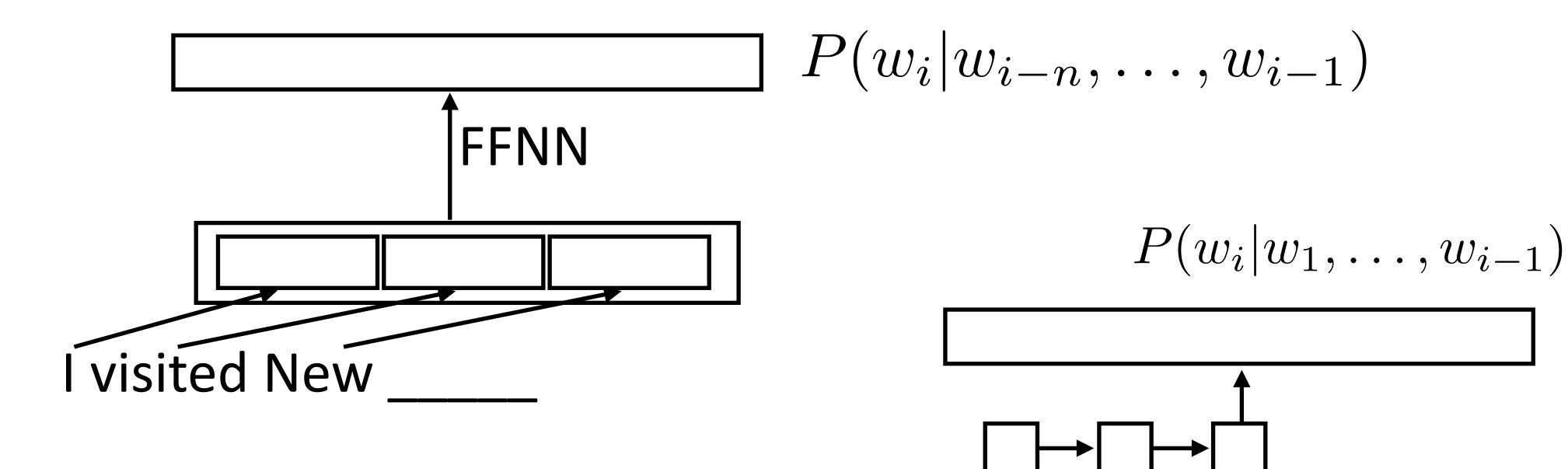


- Variable length context with RNNs:
 - Works like a decoder with no encoder

Mnih and Hinton (2003)

I visited New

Early work: feedforward neural networks looking at context



- Variable length context with RNNs:
 - Works like a decoder with no encoder
- Slow to train over lots of data!

Mnih and Hinton (2003)

I visited New

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 - NLL = -2 -> on average, correct thing has prob 1/4 -> PPL = 4. PPL is sort of like branching factor

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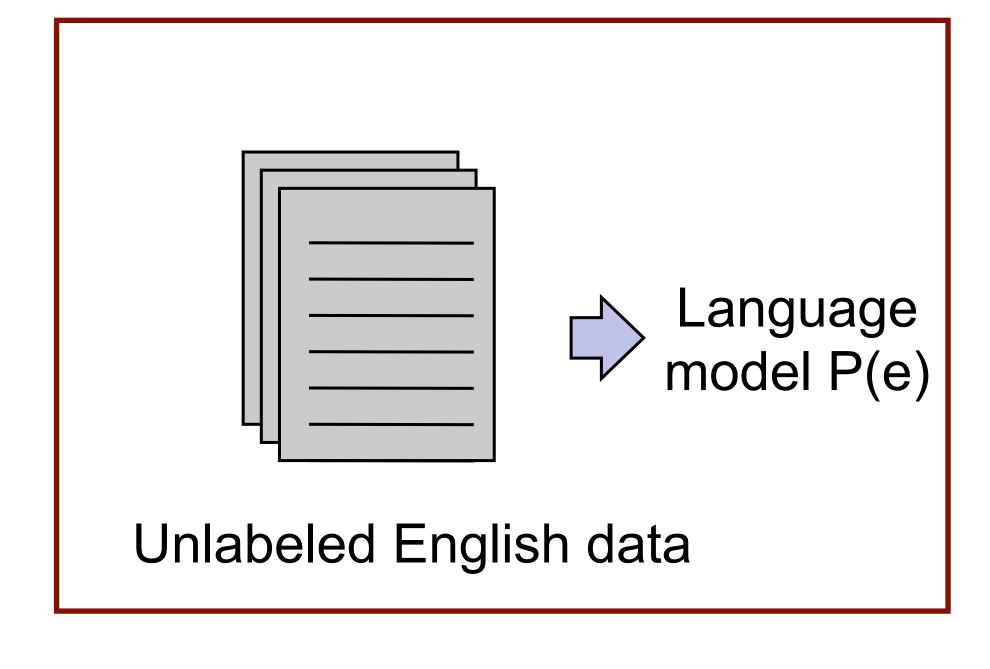
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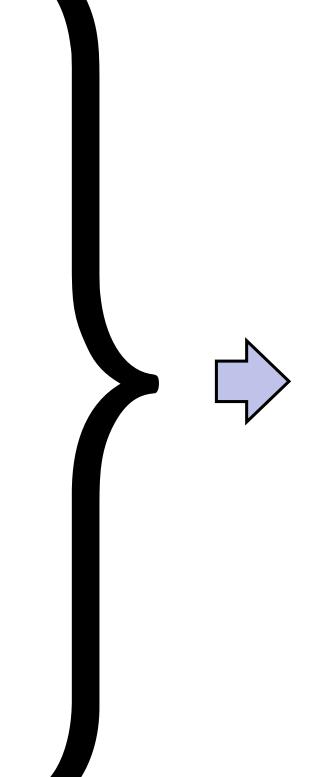
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- Melis et al.: many neural LM improvements from 2014-2017 are subsumed by just using the right regularization (right dropout settings).
 So LSTMs are pretty good

Phrase-Based MT

cat ||| chat ||| 0.9
the cat ||| le chat ||| 0.8
dog ||| chien ||| 0.8
house ||| maison ||| 0.6
my house ||| ma maison ||| 0.9
language ||| langue ||| 0.9
...

Phrase table P(f|e)





$$P(e|f) \propto P(f|e)P(e)$$

Noisy channel model: combine scores from translation model + language model to translate foreign to English

"Translate faithfully but make fluent English"

Phrase-Based Decoding

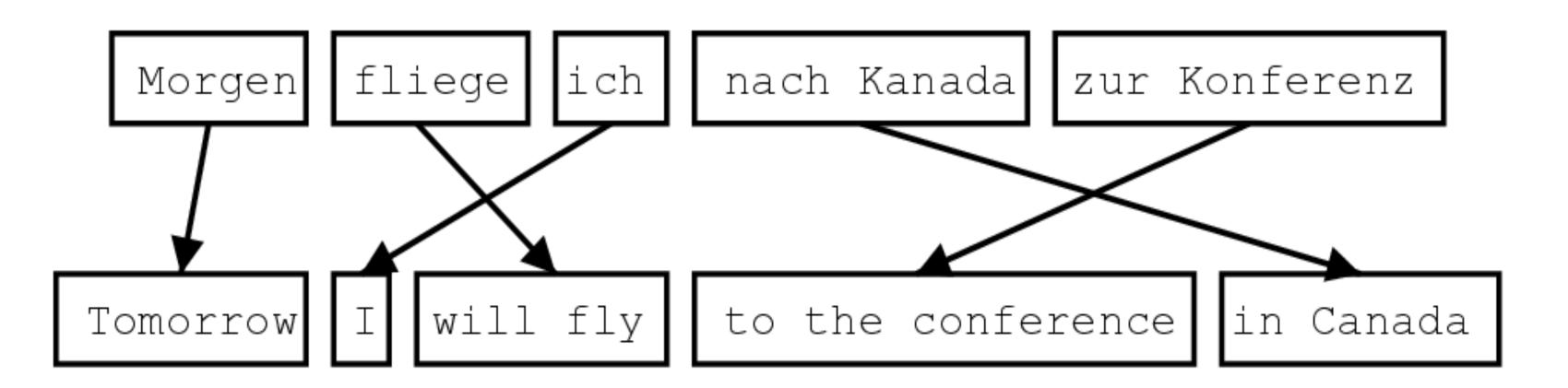
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 - Language model that scores $P(e_i|e_1,\ldots,e_{i-1}) \approx P(e_i|e_{i-n-1},\ldots,e_{i-1})$
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- Next time: results on these and comparisons to neural methods

Takeaways

- Phrase-based systems consist of 3 pieces: aligner, language model, decoder
 - HMMs work well for alignment
 - N-gram language models are scalable and historically worked well
 - Decoder requires searching through a complex state space
- Lots of system variants incorporating syntax
- Next time: neural MT