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1 Meeting minutes: 11-20-13

1.1 Formalism

Using the form of the double-differential Cross-section for single-pion Electroproduction(2 d.o.f.), we can formalize the following for double-charged-pion Electroproduction:

$$\left(\frac{d\sigma}{dX^{ij}d\phi^j}\right)^h = A^{ij} + B^{ij} \cos \phi^j + C^{ij} \cos 2\phi^j + hPD^{ij} \sin \phi^j \quad (1.1.1)$$

where

- ij = index over Varset,Variable (3x5 matrix)
- $R2_{\alpha}^{ij} \doteq [A^{ij}, B^{ij}, C^{ij}, D^{ij}] \equiv [R_T + \epsilon_L R_L, R_{LT}, R_{TT}, R_{LT'}]$
- $R2_{\alpha}^{ij} = f(Q^2, W, X^{ij})$

For convenience, I define the following:

$$f^h(X^{ij}, \phi^j) \doteq \left(\frac{d\sigma}{dX^{ij}d\phi^j}\right)^h \quad (1.1.2)$$

1.2 Event selection

1. eid
2. efid
3. momcorr
4. MM Cuts

1.3 R2 Extraction method

Of the methods listed earlier:

1. Fit $f^h(X^{ij}, \phi^j)$ to extract ‘R2’
2. Calculate Asymmetry $\doteq f^{h=+} - f^{h=-}$ and then extract D^{ij}

3. $\int f^h(X^{ij}, \phi^j) * (\cos \phi / \cos 2\phi / \sin \phi) d\phi$ to extract $B^{ij}/C^{ij}/D^{ij}$

Method 3. is used, which even at the level of algorithmic detail is listed below.

NOTE that when multiplying by $\sin \phi$, the sign of the polarization is explicitly used

For every q2wbin:

1. $h5[pol]$ where $pol \in \{POS, NEG, UNP, AVG\}$; $pol \neq AVG$
2. $h5m[pol, pob] = h5[pol] \cdot h5f[pob]$
 - $pob \in \{A, B, C, D\}$; $pol \neq AVG$
 - $h5f[pob]$:
 - For every bin i , $h5f[pob](i) = f[pob](i)$
 - $f[pob] \in \{N.A., \cos \phi, \cos 2\phi, \text{sign}(pol) \sin \phi\}$
3. $hR2_Xij[pol, pob] = h5m[pol, pob]$ Project on to X^{ij} ; $pol \neq AVG$
4. $hR2_Xij[pol=AVG, pob] = (hR2_Xij[pol=POS, pob] + hR2_Xij[pol=NEG, pob])/2$

1.4 Observations

- Focussed only on $\langle B/C/D \rangle_{1THETA}$
- Top 1:2:3:4 used

Consistencies(C):

1. $\langle B/C \rangle[pos] = \langle B/C \rangle[neg] = \langle B/C \rangle[unp]$
2. $EF-C[unp] \approx SF-C[unp]$

Feedback To ensure that this consistency is not due to Hole-Filling, see how well $EC-C[unp]$ agrees with $SF-C[unp]$

Inconsistencies(I):

1. $EF-D[unp] \neq 0$
 - (a) $D[pos] = -D[neg]$
 - (b) $D[unp] = D[pos]$

Feedback These inconsistencies may be resolved if there is an additional $\sin \phi$ dependence present:

$$f^h(X^{ij}, \phi^j) \rightarrow f^h(X^{ij}, \phi^j) + X \sin \phi$$

This external dependence could be due to:

- Detector
- Physics: SIDIS?

However, the fact that no such external $\sin \phi$ dependence is seen in the Simulation (ST-D=SF-D) and if we assume that the Detector is accurately described by GSIM, rules out any Detector based external $\sin \phi$ dependence.

Need to look into Physics causes of any such effect: SIDIS?

2. $SF-D[unp] \neq 0$

Feedback What does Viktor think?

3. $SF-D[unp] \neq EF-D[unp]$

Feedback Revisit post resolution for I.1

4. $SF-B[unp] \neq EF-B[unp]$

Feedback Not sure what to make of this yet. Since there were my first order observations, with very iteration and growing confidence in data analysis, maybe this will still be the case, which means that Simulation be need tuning to reproduce Experimental observations?