

**IS 777: Data Analytics**

**Deliverable 4**

Resampling

**Group B**

Arjun Kumar

Milind Pawar

Sneha Rachkar

Pranitha Lolla

Vishal Sarvagod

**Topic: COVID-19 patient condition****Description:**

One of the biggest challenges that healthcare providers have encountered over the entire course of the pandemic is the lack of medical services without an adequate strategy to deliver them effectively. As the COVID-19 curve has tilted very unpredictably, they have been in the dark not understanding how much resource they can even in the very next week. In these trying times, it would be a great advantage to the authorities to be able to foresee what kind of resource a person would need at the time of being confirmed positive or even before that, and they will be able to obtain and arrange the services required to save the life of that patient.

The data set Link :- <https://www.kaggle.com/tanmoyx/covid19-patient-precondition-dataset> which is released by Mexican government on <https://www.gob.mx/salud/documentos/datos-abiertos-bases-historicas-direccion-general-de-epidemiologia>

**Number of columns in this data set are 23**

**Number of rows in this data set are 56602**

**Size of data set is 43.8 MB**

**N number of observations: 56602**

**P number of Predictor variables: 18**

**Response variable: 1**

**Attribute Description:**

Variable Name	Description	Value Type	Predictor/ Response variable
id	Case identifier number	TEXT,	
sex	Identify the sex of the patient.	Categorical Value [1,2]	P
patient_type	Sentinel surveillance is carried out through the system of respiratory disease monitoring units (USMER). The USMER includes medical units of the first, second or	Categorical Value [1,2]	P

	third level of care, and third level units also participate as USMERs, which due to their characteristics contribute to broadening the epidemiological information panorama, including those with a specialty in pulmonology, infectiology or pediatrics . (Categories in Annex Catalog).		
entry_date	Identify the date of admission of the patient to the care unit.	Timestamp	
date_symptoms	Identifies the date on which the patient's symptoms began.	Timestamp	P
date_died	Identify the date the patient died.		R
intubed	Identify if the patient required	Timestamp	
	intubation.	Categorical Value	R
Pneumonia	Identify if the patient was diagnosed with pneumonia.	[1,2,97] 97 :missing data. Categorical Value [1,2,97]	P
Age	Identify the age of the patient.	97 :missing data. Numeric Value	P
pregnancy	Identify if the patient is pregnant.	Categorical Value [1,2,97]	P
diabetes	Identify if the patient has a diagnosis of diabetes.	97 :missing data. Categorical Value [1,2]	P
copd	Identify if the patient has a diagnosis of COPD.	Categorical Value [1,2]	P
asthma	Identify if the patient has	Categorical Value	P
	a diagnosis of asthma.	[1,2]	
inmsupr	Identify if the patient is immunosuppressed.	Categorical Value [1,2]	P

hypertension	Identify if the patient has a diagnosis of hypertension.	Categorical Value [1,2]	P
other_disease	Identify if the patient has a diagnosis of other diseases.	Categorical Value [1,2,98] 98 :missing data.	P
cardiovascular	Identify if the patient has a diagnosis of cardiovascular disease.	Categorical Value [1,2,98] 98 :missing data.	P
obesity	Identify if the patient has a diagnosis of obesity.	Categorical Value [1,2,98] 98 :missing data.	P
renal_chronic	Identify if the patient has a diagnosis of chronic kidney failure.	Categorical Value [1,2,98] 98 :missing data.	P
tobacco	Identify if the patient has a smoking habit.	Categorical Value [1,2,98] 98 :missing data.	P
contact_other_covid	Identify if the patient had contact with any other case diagnosed with SARS CoV-2	Categorical value [1,2,99] 99 :missing data.	
covid_res	Identifies the result of the analysis of the sample reported by the laboratory of the National Network of Epidemiological Surveillance Laboratories (INDRE, LESP and LAVE). (Catalog of diagnostic results attached).	Categorical Value [1,2]	R
icu	Identify if the patient required admission to an Intensive Care Unit.	Categorical Value [1,2,97] 97 :missing data.	R

## Predictive Models:

Based on data set of COVID-19 patient pre-history, healthcare provider can easily predict the which categories of patient needs useful resources based on their health history. Variable date symptoms, age, contact\_other\_covid and covid\_res can be used to predict if patient result is positive then did patient is with contact with other and which age category is most vulnerable. Based on age and other health history such as diabetes, asthma cardiovascular it can be predicted that these patients need more useful resource and attention.

## Significance of study:

This data set can be used to predict how much resource of healthcare can utilize on different patient categories based on age, health history. This can be used to alert those people who are not yet COVID positive, but they have similar health history.



## Data After Cleaning

\* n (number of observations): 562647

\* Response Variable: 1

### Covid Result

\* Predictor Variables: 14

1. **Sex** : (Categorical Value) Identify the sex of the patient .

2. **patient\_type** : (Categorical Value) Sentinel surveillance is carried out through the system of respiratory disease monitoring units (USMER). The USMER includes medical units of the first, second or third level of care, and third level units also participate as USMERs, which due to their characteristics contribute to broadening the epidemiological information panorama, including those with a specialty in pulmonology, infectology or pediatrics.
3. **Age**: (Numeric Value) Identify the age of the patient
4. **Pneumonia**: (Categorical Value) Identify if the patient was diagnosed with pneumonia
5. **Diabetes**: (Categorical Value) Identify if the patient has a diagnosis of diabetes
6. **Copd**: (Categorical Value) Identify if the patient has a diagnosis of COPD
7. **Asthma**: (Categorical Value) Identify if the patient has a diagnosis of asthma.
8. **Inmsupr**: (Categorical Value) Identify if the patient is immunosuppressed
9. **Hypertension**: (Categorical Value) Identify if the patient has a diagnosis of hypertension
10. **other\_disease**: (Categorical Value) Identify if the patient has a diagnosis of other diseases
11. **Cardiovascular**: (Categorical Value) Identify if the patient has a diagnosis of cardiovascular disease
12. **Obesity**: (Categorical Value) Identify if the patient has a diagnosis of obesity
13. **Renal\_chronic**: (Categorical Value) Identify if the patient has a diagnosis of chronic kidney failure
14. **Tobacco**: (Categorical Value) Identify if the patient has a smoking habit

\* Descriptive Analysis:

```
> str(df)
'data.frame': 494299 obs. of 15 variables:
 $ sex      : Factor w/ 2 levels "0","1": 1 1 2 1 2 1 1 2 2 2 ...
 $ patient_type : Factor w/ 2 levels "0","1": 2 2 1 1 1 1 1 2 2 1 ...
 $ pneumonia  : Factor w/ 2 levels "0","1": 1 1 1 2 1 2 1 1 1 2 ...
 $ age        : num 0.218 0.193 0.445 0.244 0.496 ...
 $ diabetes   : Factor w/ 2 levels "0","1": 1 1 1 1 2 2 1 1 1 1 ...
 $ copd       : Factor w/ 2 levels "0","1": 1 1 1 1 1 1 1 1 1 1 ...
 $ asthma     : Factor w/ 2 levels "0","1": 1 1 1 1 1 1 1 1 1 1 ...
 $ inmsupr    : Factor w/ 2 levels "0","1": 1 1 1 1 1 1 1 1 1 1 ...
 $ hypertension : Factor w/ 2 levels "0","1": 1 1 1 1 2 1 2 2 1 1 ...
 $ other_disease : Factor w/ 2 levels "0","1": 1 1 1 1 1 1 1 1 1 1 ...
 $ cardiovascular: Factor w/ 2 levels "0","1": 1 1 1 1 2 1 1 1 1 1 ...
 $ obesity     : Factor w/ 2 levels "0","1": 1 1 2 1 1 1 1 1 1 2 ...
 $ renal_chronic : Factor w/ 2 levels "0","1": 1 1 1 1 1 1 1 2 1 1 ...
 $ tobacco     : Factor w/ 2 levels "0","1": 1 1 1 1 1 1 1 2 1 1 ...
 $ covid_res   : Factor w/ 2 levels "0","1": 1 1 1 1 1 1 1 1 1 1 ...
> |
```

## Categorical fields

File Edit Code View Plots Session Build Debug Profile Tools Help

Go to file/function Addins

Untitled1\* df

Filter

	sex	patient_type	pneumonia	age	diabetes	copd	asthma	inmsupr	hypertension	other_disease	cardiovascular	obesity	renal_chro
1	0	1	0	27	0	0	0	0	0	0	0	0	0
2	0	1	0	24	0	0	0	0	0	0	0	0	0
3	1	0	0	54	0	0	0	0	0	0	1	0	0
4	0	0	0	30	0	0	0	0	0	0	0	0	0
5	1	0	1	60	0	0	0	1	0	1	0	0	0
6	0	0	1	47	0	0	0	0	0	0	0	0	0
7	0	0	0	63	0	0	0	1	0	0	0	0	0
8	1	1	0	56	0	0	0	1	0	0	0	1	1
9	1	1	0	41	0	0	0	0	0	0	0	0	0
10	1	0	0	39	0	0	0	0	0	0	1	0	0
11	1	0	0	46	0	0	0	0	0	0	0	0	0
12	1	1	0	45	0	0	0	0	0	0	0	0	0
13	0	0	0	28	0	0	0	0	0	0	0	0	0
14	1	1	0	34	0	0	0	0	0	0	0	0	0
15	0	1	0	38	0	0	0	0	0	0	0	0	0
16	1	1	0	34	0	0	0	0	0	0	0	0	1
17	1	1	1	49	0	0	0	0	0	0	0	0	0
18	0	1	0	46	0	0	0	1	0	0	1	0	0
19	1	1	0	39	0	0	0	0	0	0	0	0	0
20	0	1	1	63	0	0	0	1	0	0	0	0	0
21	0	1	0	54	0	0	0	0	0	0	0	0	0
22	1	0	0	25	0	0	0	0	0	0	0	0	0
23	1	1	0	45	0	0	0	0	0	0	0	0	0
24	0	1	0	40	0	0	0	0	0	0	0	0	0
25	1	1	0	61	0	0	0	1	0	0	0	0	0
26	0	1	0	40	0	0	0	0	0	0	0	0	0

\*\* Summary statistics obtained from R for each variable. These include mean, median, and quartiles along with some other statistics



```

Console Terminal x Jobs x
~/
553604 9043
> barplot(table(df$other_disease),main='0-No 1-Yes',xlab="OtherDisease",
+ col="red")
> barplot(table(df$renal_chronic),main='0-No 1-Yes',xlab="RenalChronic",
+ col="red")
> barplot(table(df$covid_res),main='1-Positive 2-Negative 3-Awaiting Result',xlab="covid",
+ col="red")
> summary(df)
sex      patient_type pneumonia      age      diabetes      copd      asthma      inmsupr      hypertension
0:284820 0:120304 0:492328 Min. : 0.00 0:553604 0:544704 0:553761 0:470744 0:545684
1:277827 1:442343 1: 70319 1st Qu.: 31.00 1: 9043 1: 17943 1: 8886 1: 91903 1: 16963
                                Median : 41.00
                                Mean : 42.59
                                3rd Qu.: 53.00
                                Max. :120.00
other_disease cardiovascular obesity renal_chronic tobacco covid_res
0:550000 0:471029 0:551489 0:514907 0:284820 1:218902
1: 12647 1: 91618 1: 11158 1: 47740 1:277827 2:277389
                                3: 66356

> |

> summary(df)
sex      patient_type pneumonia      age      diabetes
Min. :0.0000 Min. :0.0000 Min. :1.000 Min. : 0.00 Min. :1.000
1st Qu.:0.0000 1st Qu.:1.0000 1st Qu.:2.000 1st Qu.: 31.00 1st Qu.:2.000
Median :0.0000 Median :1.0000 Median :2.000 Median : 41.00 Median :2.000
Mean :0.4938 Mean :0.7862 Mean :1.846 Mean : 42.59 Mean :1.875
3rd Qu.:1.0000 3rd Qu.:1.0000 3rd Qu.:2.000 3rd Qu.: 53.00 3rd Qu.:2.000
Max. :1.0000 Max. :1.0000 Max. :2.000 Max. :120.00 Max. :2.000

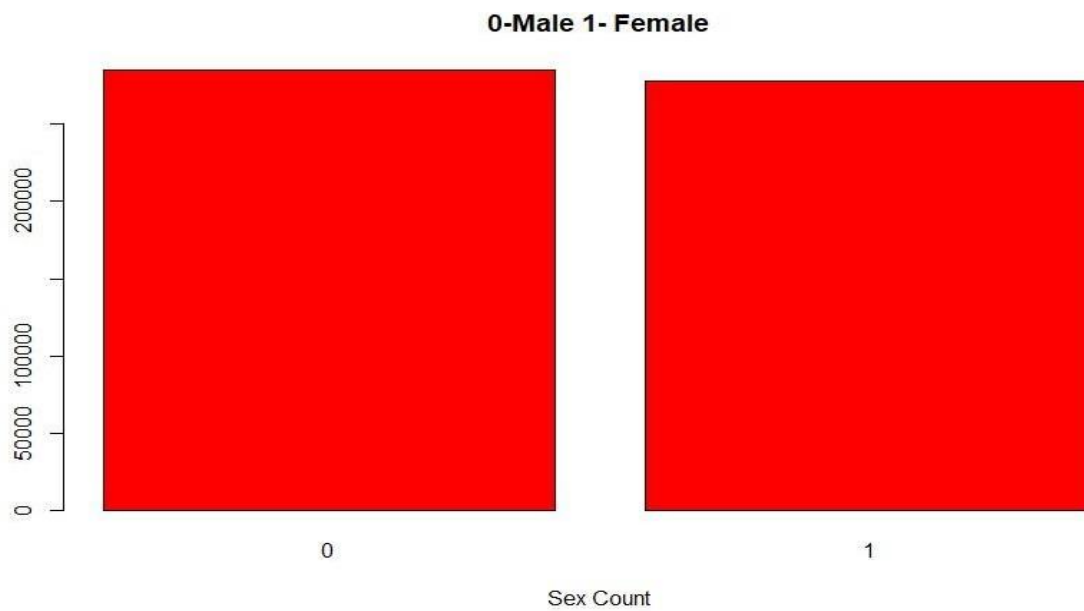
copd      asthma      inmsupr      hypertension      other_disease
Min. :1.000 Min. :1.000 Min. :1.000 Min. :1.000 Min. :1.00
1st Qu.:2.000 1st Qu.:2.000 1st Qu.:2.000 1st Qu.:2.000 1st Qu.:2.00
Median :2.000 Median :2.000 Median :2.000 Median :2.000 Median :2.00
Mean :1.984 Mean :1.968 Mean :1.984 Mean :1.837 Mean :1.97
3rd Qu.:2.000 3rd Qu.:2.000 3rd Qu.:2.000 3rd Qu.:2.000 3rd Qu.:2.00
Max. :2.000 Max. :2.000 Max. :2.000 Max. :2.000 Max. :2.00

cardiovascular      obesity      renal_chronic      tobacco      covid_res
Min. :1.000 Min. :1.000 Min. :1.00 Min. :1.000 Min. :1.000
1st Qu.:2.000 1st Qu.:2.000 1st Qu.:2.00 1st Qu.:2.000 1st Qu.:1.000
Median :2.000 Median :2.000 Median :2.00 Median :2.000 Median :2.000
Mean :1.978 Mean :1.837 Mean :1.98 Mean :1.915 Mean :1.729
3rd Qu.:2.000 3rd Qu.:2.000 3rd Qu.:2.00 3rd Qu.:2.000 3rd Qu.:2.000
Max. :2.000 Max. :2.000 Max. :2.00 Max. :2.000 Max. :3.000

> |

```

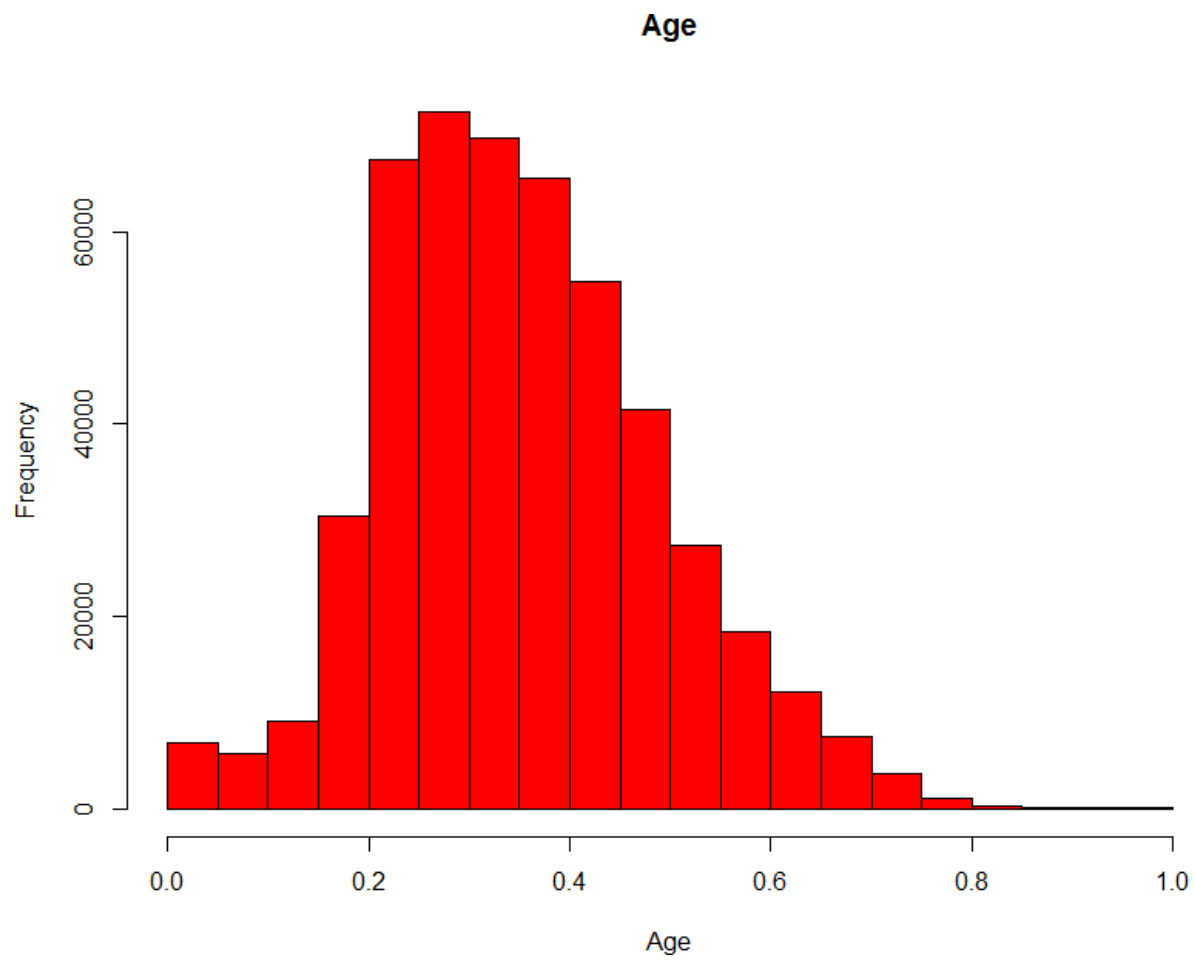
Histograms for quantitative variables and barcharts for the qualitative variables all produced in R  
**Sex**



```
sex
  n missing distinct
562647      0         2

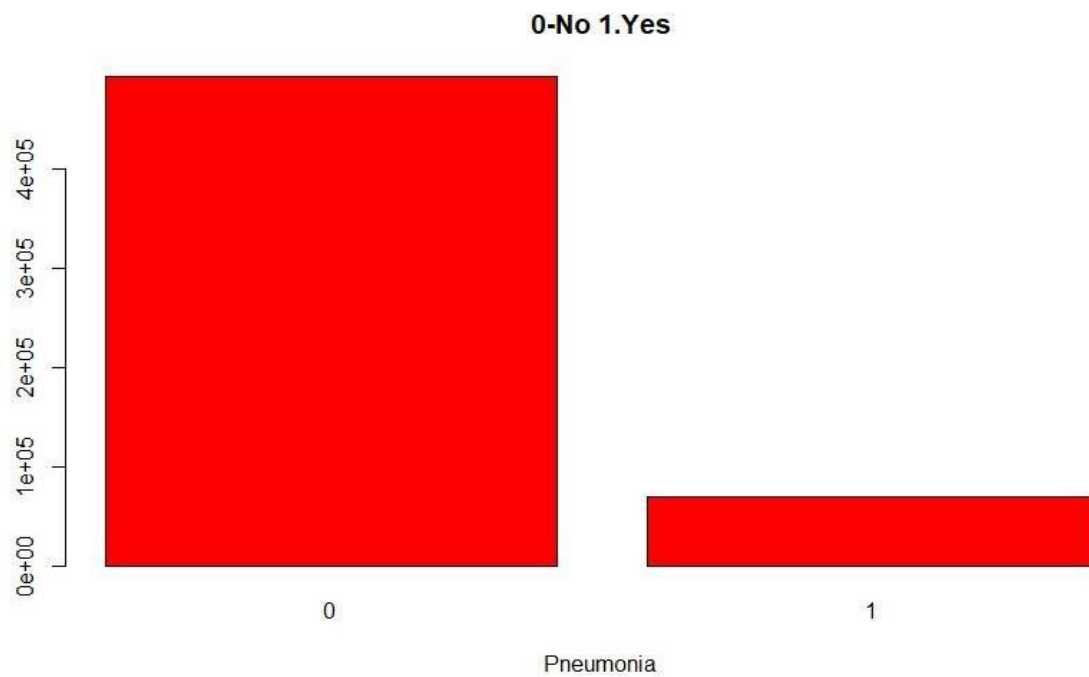
value      0      1
Frequency 284820 277827
Proportion 0.506 0.494
-----
```

## Age



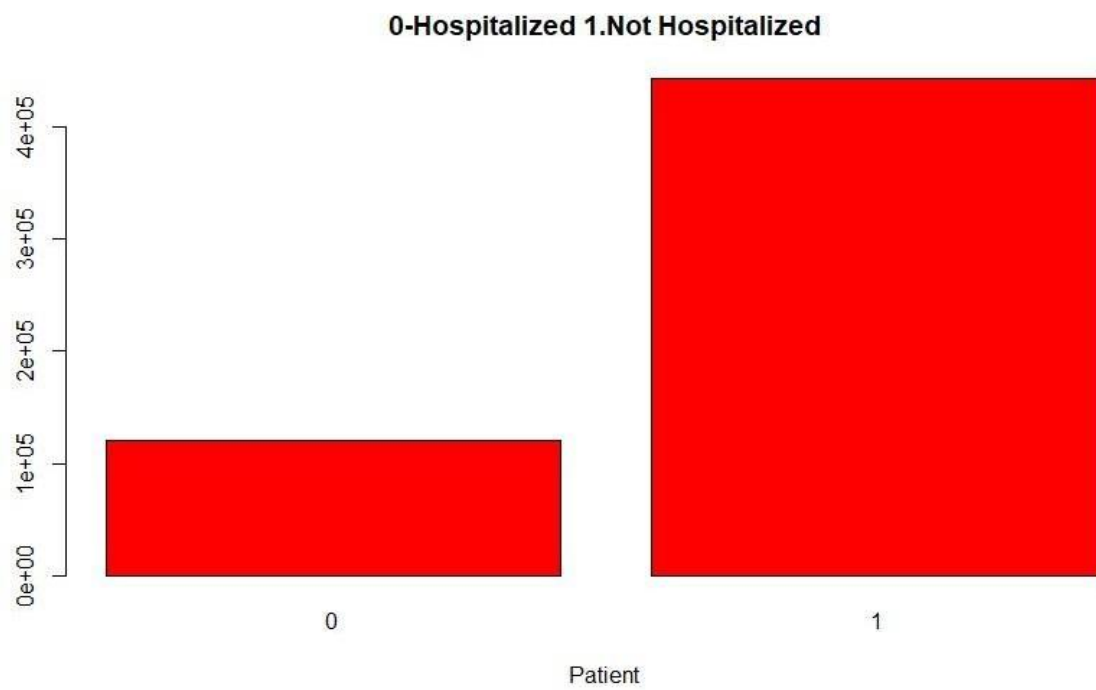
age													
n	missing	distinct	Info	Mean	Gmd	.05	.10	.25	.50	.75	.90	.95	
562647	0	120	1	42.59	18.64	19	24	31	41	53	65	73	
lowest : 0 1 2 3 4, highest: 116 117 118 119 120													

## Pneumonia



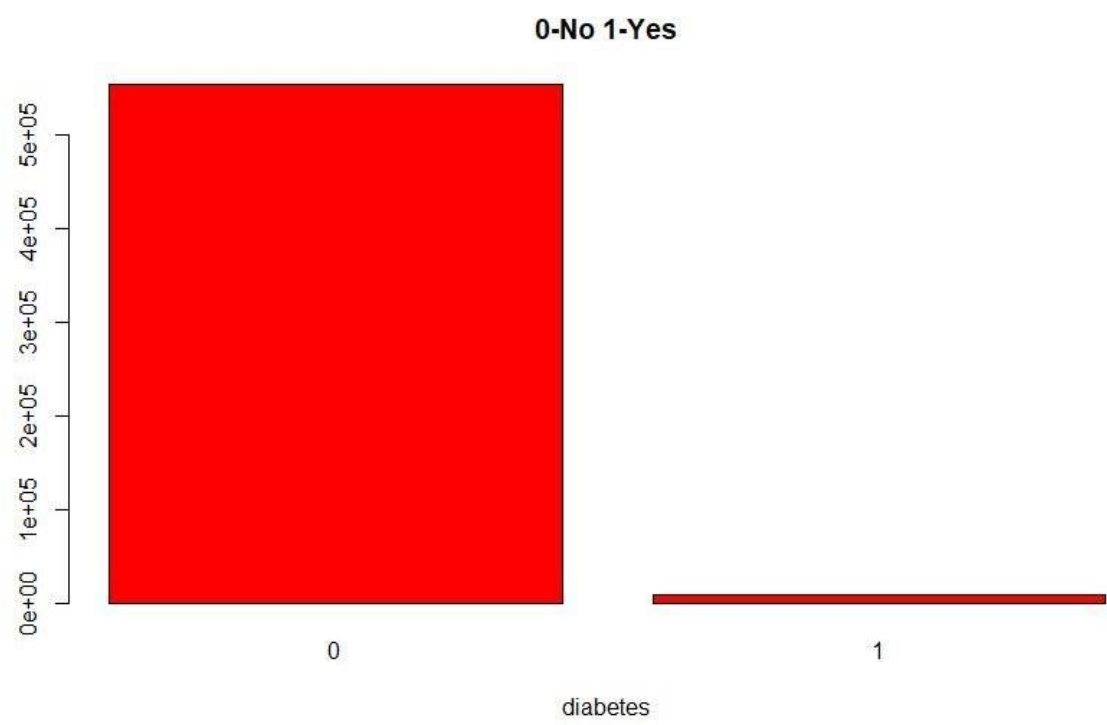
```
-----  
pneumonia  
  n missing distinct  
562647      0         2  
  
value      0      1  
Frequency 492328 70319  
Proportion 0.875 0.125  
-----
```

## Patient



```
-----  
patient_type  
  n missing distinct  
562647      0      2  
  
value      0      1  
Frequency 120304 442343  
Proportion 0.214 0.786  
-----
```

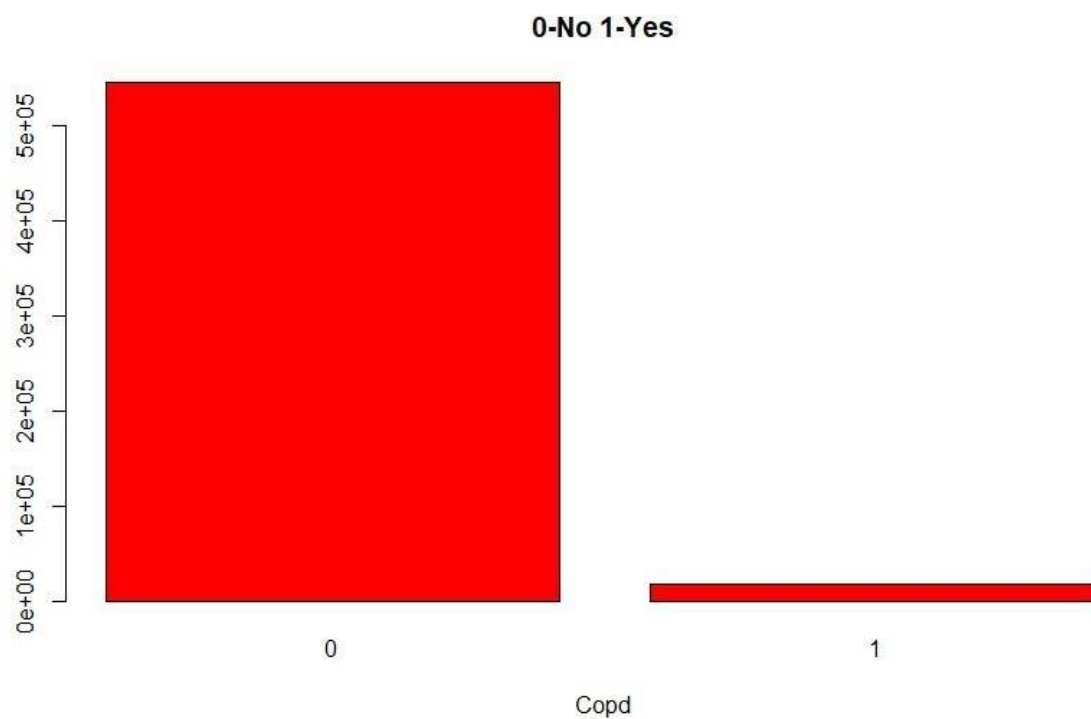
Diabetes



diabetes			
n	missing	distinct	
562647	0	2	
value	0	1	
Frequency	553604	9043	
Proportion	0.984	0.016	

-----

Copd:



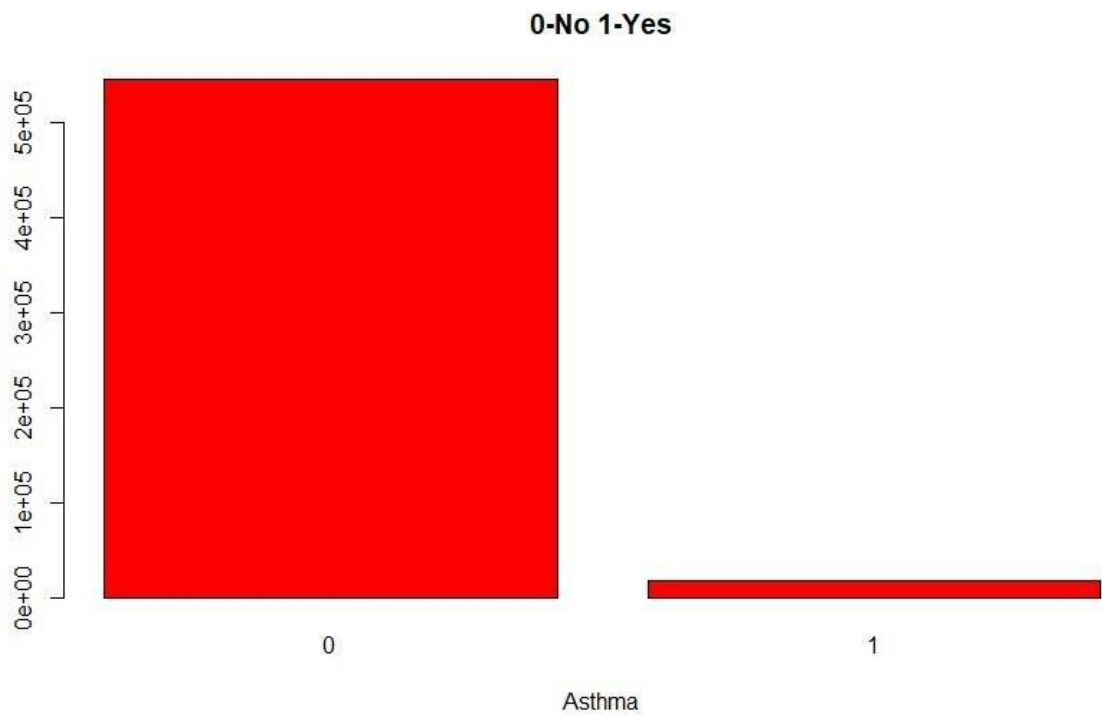
-----  
copd

	n	missing	distinct
	562647	0	2

Value	0	1
Frequency	544704	17943
Proportion	0.968	0.032

-----

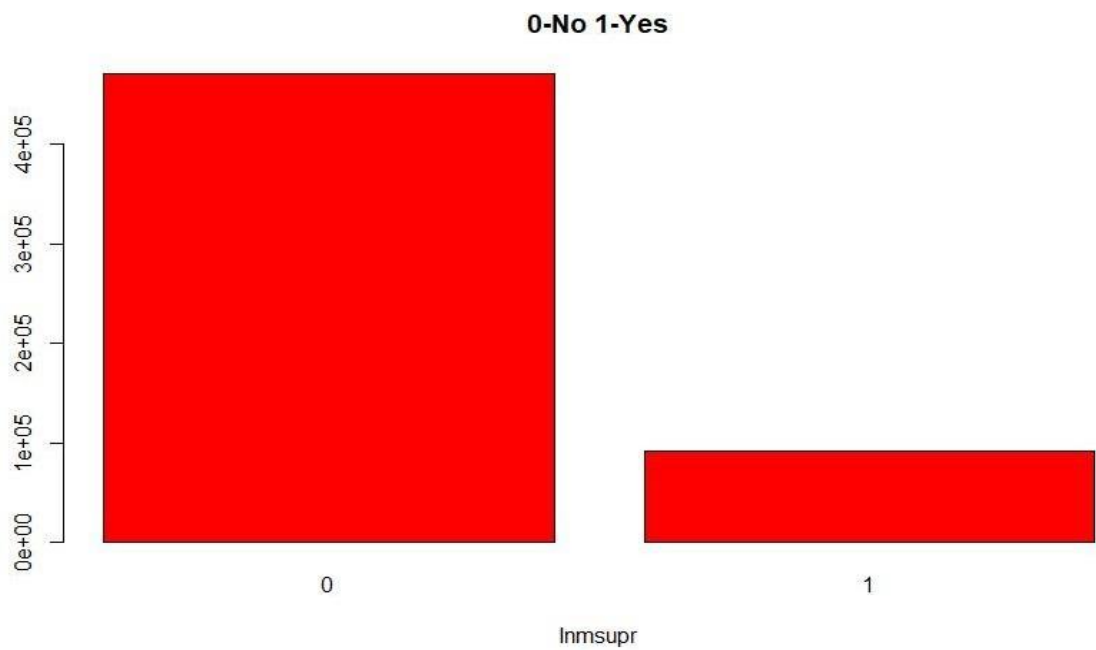
Asthma



-----			
asthma			
	n	missing	distinct
	562647	0	2
value	0	1	
Frequency	553761	8886	
Proportion	0.984	0.016	
-----			



Inmsupr

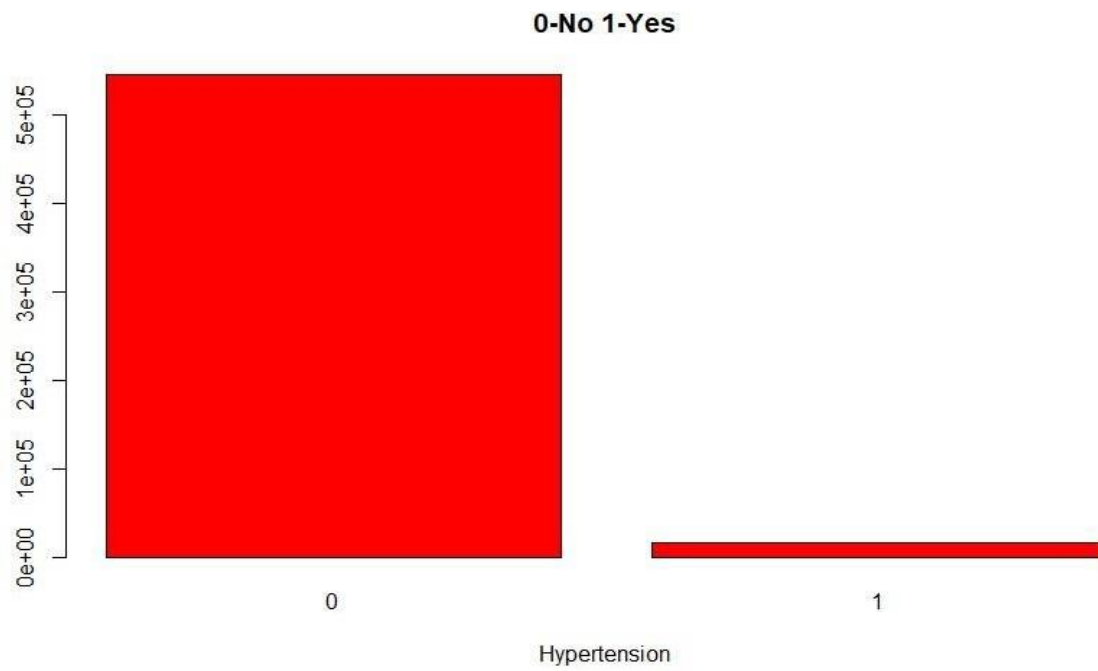


---

inmsupr			
	n	missing	distinct
	562647	0	2
value	0	1	
Frequency	470744	91903	
Proportion	0.837	0.163	

---

## Hypertension

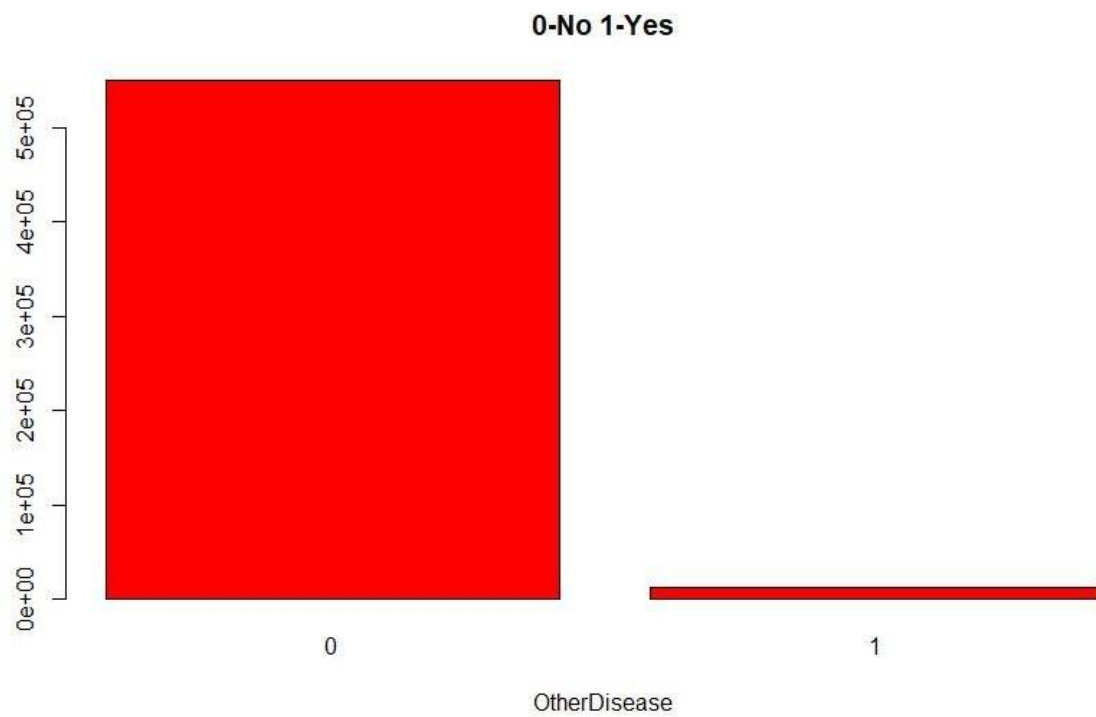


```
hypertension
  n missing distinct
562647      0         2

value      0      1
Frequency 545684 16963
Proportion 0.97  0.03
```

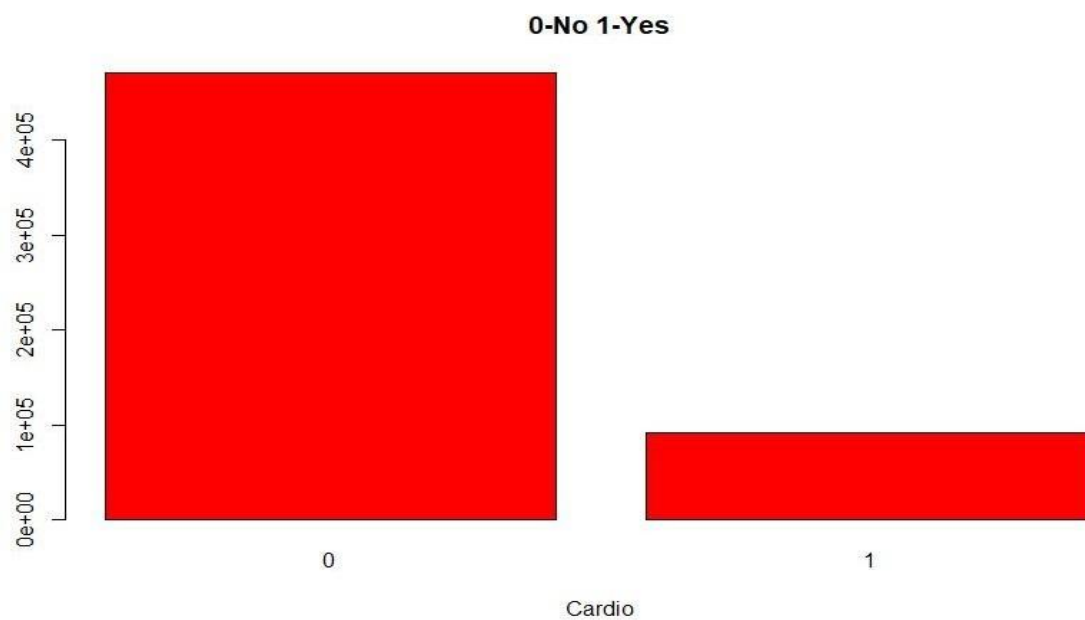
---

## Other Diseases



```
-----  
other_disease  
  n missing distinct  
562647      0         2  
value      0      1  
Frequency 550000 12647  
Proportion 0.978 0.022  
-----
```

## Cardiovascular

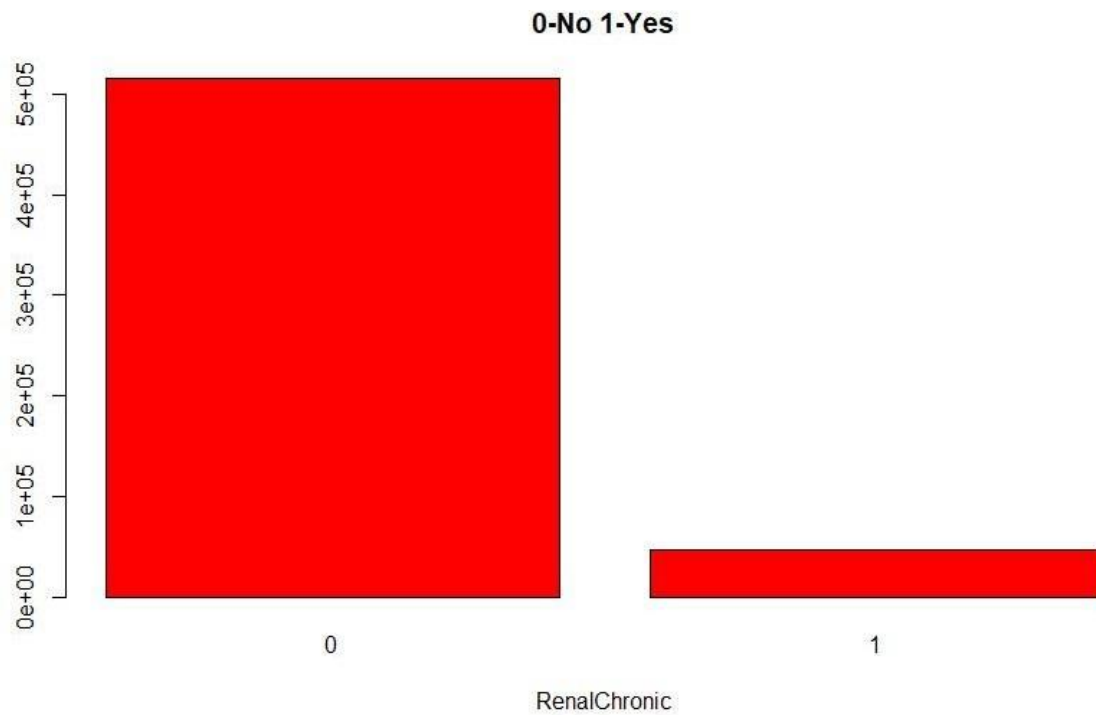


```
cardiovascular
  n missing distinct
562647      0         2

value      0      1
Frequency 471029 91618
Proportion 0.837 0.163
```

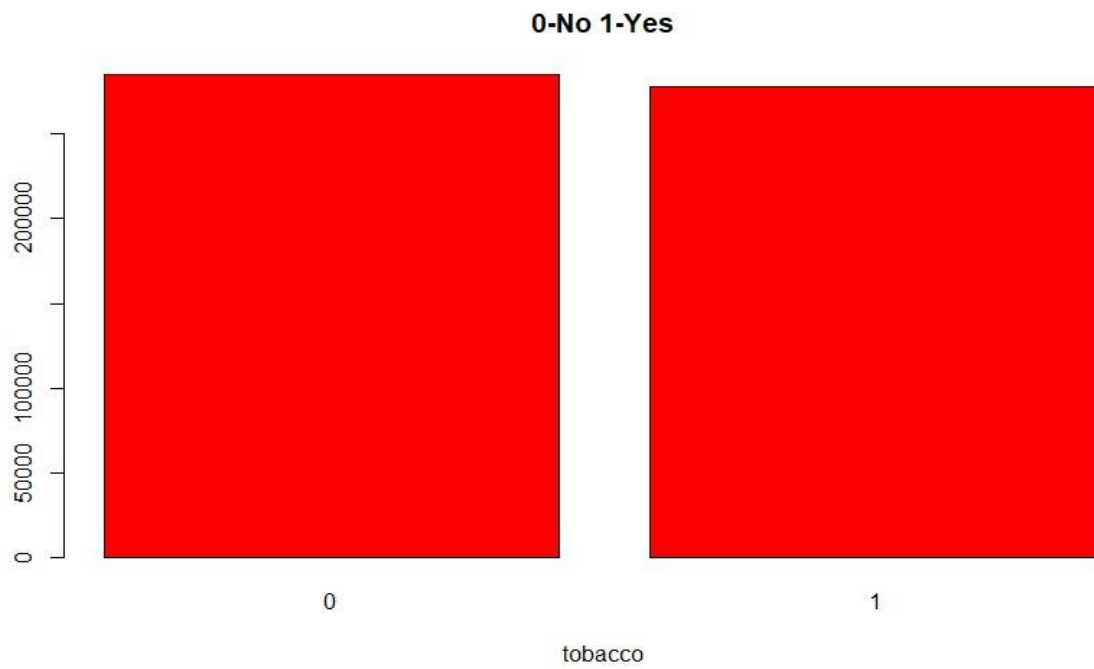
-----

## Renal Chronic



```
-----  
renal_chronic  
  n missing distinct  
562647      0        2  
  
value      0      1  
Frequency 514907 47740  
Proportion 0.915 0.085  
-----
```

## Tobacco

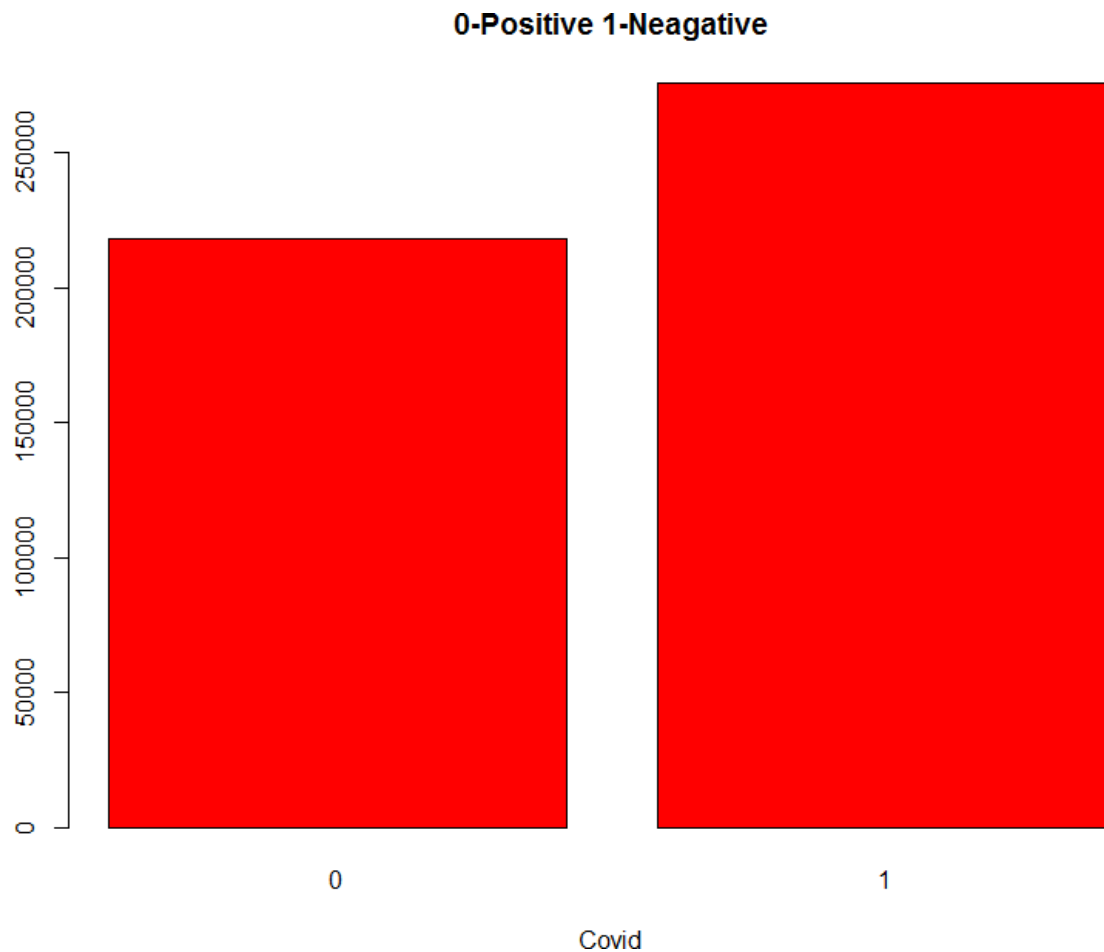


```
tobacco
  n missing distinct
562647      0        2

value      0      1
Frequency 284820 277827
Proportion 0.506 0.494
```

---

## Covid



```
covid_res
  n missing distinct
494299      0         2

value      0      1
Frequency 218467 275832
Proportion 0.442 0.558
```

\* Analysis Plan: Discuss your current plan about how the rest of your analysis will proceed. What type of predictive models seem to be appropriate? What is the response variable? What are the predictors?

Currently, we have implemented data cleaning, data pre-processing and data preparation

steps which would help for further analysis. We plan to use Logistic Regression Algorithm, Bayesian Model or



KNN for predictive modelling based on the accuracy and results achieved after implementing it on the training model and test data set. While implementing the algorithm for selecting one of the predictive models, we will analysis different attributes and various aspects of the data set like –

1. Does the gender of a patient relates to high chances of getting COVID-19?
2. Are the patients with previous cardiovascular disease or diabetes more likely to be affected by COVID-19?
3. Whether tobacco consumption is related to COVID-19?

These analyses will be useful to select the predictive model. Variables that have the best performing model will be selected. At each stage, the worst-performing predictor will be removed until all the regressors left perform well. The Logistic Regression Model will be used to assess the accuracy of this model 's prediction by creating a confusion matrix on train results. Then, it is possible to verify the assumptions of the logistic regression model. The generalized linear model assumes linear relationships between continuous independent variables and the result variable logit that can be visualized between- continuous predictor and the logit values using a scatterplot.

Total No. of Predictor Variables =

14 Predictor Variables:

1. Sex
2. patient\_type
3. Age
4. Pneumonia
5. Diabetes
6. Copd
7. Asthma
8. Inmsupr
9. Hypertension
10. other\_disease
11. Cardiovascular
12. Obesity
13. Renal\_chronic

#### 14. Tobacco

Total No. of Response Variables  
= 1 Response Variables:

# 1. COVID Result

## Correlation Matrix:

```
> cor$
      sex patient_type pneumonia age diabetes copd
sex      1.000000000  0.097916705 -0.08709672 -0.03897037 -0.0175918620 -0.005514876
patient_type 0.097916705  1.000000000 -0.65836619 -0.34236434 -0.2690772801 -0.124291776
pneumonia -0.087096718 -0.658366190  1.000000000  0.29228389  0.2229217686  0.096961571
age      -0.038970373 -0.342364339  0.29228389  1.000000000  0.3338728768  0.178838954
diabetes -0.017591862 -0.269077280  0.22292177  0.33387288  1.00000000000  0.103580737
copd     -0.005514876 -0.124291776  0.09696157  0.17883895  0.1035807370  1.000000000
asthma    0.046729476  0.017196028 -0.01620155 -0.02933946  0.0006772613  0.035375254
inmsupr   0.007567722 -0.097819648  0.06562218  0.03374849  0.0546177669  0.059749292
hypertension -0.009708038 -0.242980790  0.19572488  0.39514720  0.3759888781  0.122541827
other_disease 0.026726057 -0.090219612  0.05144422  0.04277219  0.0333334041  0.038417348
cardiovascular -0.010667025 -0.104387723  0.08118359  0.14031882  0.1121427524  0.115063310
obesity    0.018066335 -0.066729923  0.07215368  0.08291672  0.1149740326  0.037803252
renal_chronic -0.016042225 -0.153142795  0.10882504  0.10472235  0.1703407997  0.068610961
tobacco    -0.104793461 -0.008510295  0.01094760  0.01312483  0.0156094435  0.070661460
covid_res  0.072872825  0.207782095 -0.20363665 -0.16538636 -0.1052505364 -0.007022481

      asthma inmsupr hypertension other_disease cardiovascular obesity
sex      0.0467294763  0.007567722 -0.009708038  0.02672606 -0.010667025  0.01806634
patient_type 0.0171960275 -0.097819648 -0.242980790 -0.09021961 -0.104387723 -0.06672992
pneumonia -0.0162015509  0.065622176  0.195724877  0.05144422  0.081183585  0.07215368
age      -0.0293394558  0.033748490  0.395147204  0.04277219  0.140318816  0.08291672
diabetes  0.0006772613  0.054617767  0.375988878  0.03333340  0.112142752  0.11497403
copd     0.0353752542  0.059749292  0.122541827  0.03841735  0.115063310  0.03780325
asthma    1.0000000000  0.021006434  0.015250193  0.01695136  0.019137422  0.04543863
inmsupr   0.0210064340  1.000000000  0.047005446  0.13914955  0.066672863  0.01450908
hypertension 0.0152501926  0.047005446  1.000000000  0.05164145  0.167840909  0.16370850
other_disease 0.0169513568  0.139149553  0.051641446  1.000000000  0.069895309  0.01929561
cardiovascular 0.0191374221  0.066672863  0.167840909  0.06989531  1.000000000  0.05829928
obesity    0.0454386349  0.014509077  0.163708497  0.01929561  0.058299276  1.00000000
renal_chronic 0.0010030674  0.118073391  0.189759614  0.05175766  0.111128124  0.01524141
tobacco    0.0055391378  0.011088417  0.013507531  0.01230431  0.032048490  0.07408911
covid_res  0.0251923515  0.016943436 -0.091360950  0.01104615 -0.003528303 -0.07646390
```

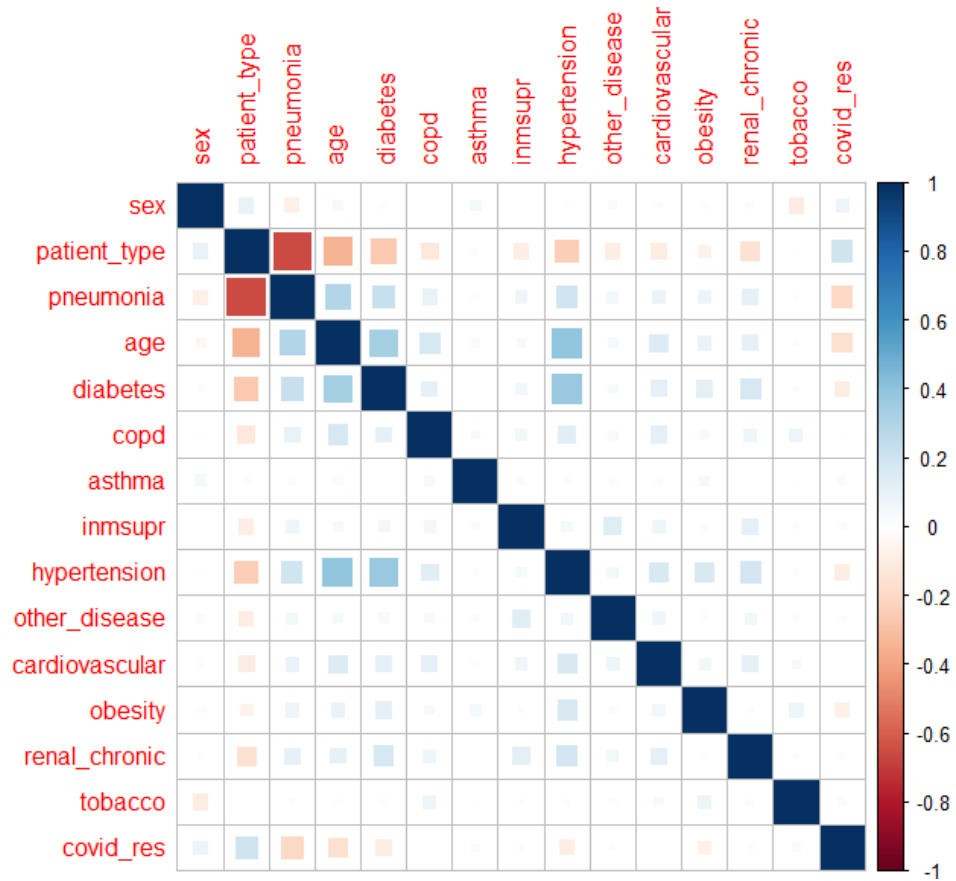
```

-----
               renal_chronic      tobacco      covid_res      -----
sex            -0.016042225 -0.104793461  0.072872825
patient_type   -0.153142795 -0.008510295  0.207782095
pneumonia      0.108825045  0.010947603 -0.203636654
age            0.104722349  0.013124827 -0.165386355
diabetes       0.170340800  0.015609444 -0.105250536
copd           0.068610961  0.070661460 -0.007022481
asthma         0.001003067  0.005539138  0.025192351
inmsupr       0.118073391  0.011088417  0.016943436
hypertension   0.189759614  0.013507531 -0.091360950
other_disease  0.051757663  0.012304306  0.011046154
cardiovascular 0.111128124  0.032048490 -0.003528303
obesity        0.015241411  0.074089107 -0.076463898
renal_chronic  1.000000000  0.015490871 -0.010522715
tobacco        0.015490871  1.000000000  0.027098593
covid_res      -0.010522715  0.027098593  1.000000000
> |

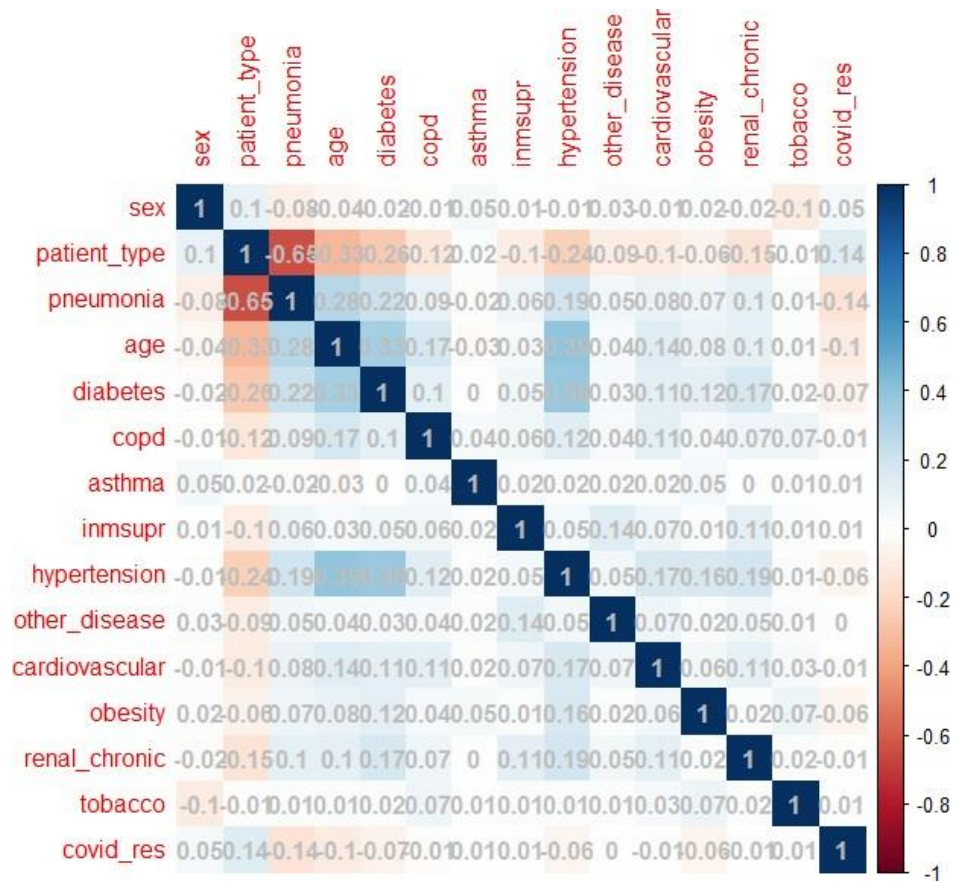
```

Above shown data is the correlation matrix for set of variables which determines if there is relationship between the variables. The positive number indicates positive relationship and negative number indicates negative relationship. For example, from above data (tobacco and renal chronic) are positively correlated and (tobacco and sex) are negatively correlated. Higher the positive number stronger is the correlation and Higher the negative number indicates weak correlation.

## Correlation Plot



The above image shows the correlation plot. Blue square indicates positive correlation and red square indicates negative correlation. Dark blue color indicates strong correlation and Dark red color indicates weak correlations. For example: (age and hypertension) are positively correlated and (age and patient type) are negatively correlated.



Positive and Negative Correlations with Positive and Negative coefficient value.

## **K nearest neighbors (KNN)**

k-nearest neighbors' classification for test set from training set. K-nearest neighbor classifier is one of the simplest to use, and hence, is widely used for classifying dynamic datasets.

For each row of the test set, the k nearest (in Euclidean distance) training set vectors are found, and the classification is decided by majority vote, with ties broken at random.

To perform k-nearest neighbors for classification, we will use the `knn()` function from the `class` package.

Here, `knn()` takes four arguments:

- Train the predictors for the train set.
- Test, the predictors for the test set. `knn()` will output results (classifications) for these cases.
- `cl`, the true class labels for the train set.
- `k`, the number of neighbors to consider.

This is how we partition overall test data set into 75% training and 25%testing

```
smp_size <- floor(0.75 * nrow(data_x))
```

```
train_ind <- sample(seq_len(nrow(data_x)), size = smp_size)
```

```
# creating test and training sets that contain all of the predictors
```

```
train.X <- data_x[train_ind, ]
```

```
train.Y <- data_y[train_ind, ]
```

```
test.X <- data_x[-train_ind, ]
```

```
test.Y <- data_y[-train_ind, ]
```



```

102 # 75% of the sample size
103 smp_size <- floor(0.75 * nrow(data_x))
104
105 train_ind <- sample(seq_len(nrow(data_x)), size = smp_size)
106
107 # creating test and training sets that contain all of the predictors
108
109 train.X <- data_x[train_ind, ]
110 train.Y <- data_y[train_ind, ]
111
112 test.X <- data_x[-train_ind, ]
113 test.Y <- data_y[-train_ind, ]
114
115 # sqrt(370724) ≈ 608/609 : we have 370724 training examples
116 pred_knn.608 <- knn(train = train.X, test = test.X, cl = train.Y, k=608)
117 pred_knn.609 <- knn(train = train.X, test = test.X, cl = train.Y, k=609)
118
119 accuracy <- function(x){sum(diag(x)/(sum(rowSums(x)))) * 100}
120
121 tab.608 <- table(pred_knn.608,test.Y)
122 accuracy(tab.608)
123 confusionMatrix(tab.608)
124
125 tab.609 <- table(pred_knn.609,test.Y)
126 accuracy(tab.609)
127 confusionMatrix(tab.609)
128

```

This is where we apply the knn model for our data set.

The screenshot shows the RStudio interface. The left pane contains R code for applying the KNN model. The right pane shows the Environment window with a list of objects created during the execution.

**R Code (Left Pane):**

```

115 # sqrt(370724) ≈ 608/609 : we have 370724 training examples
116 pred_knn.608 <- knn(train = train.X, test = test.X, cl = train.Y, k=608)
117 pred_knn.609 <- knn(train = train.X, test = test.X, cl = train.Y, k=609)
118
119 accuracy <- function(x){sum(diag(x)/(sum(rowSums(x)))) * 100}
120
121 tab.608 <- table(pred_knn.608,test.Y)
122 accuracy(tab.608)
123 confusionMatrix(tab.608)
124
125 tab.609 <- table(pred_knn.609,test.Y)
126 accuracy(tab.609)
127 confusionMatrix(tab.609)
128
129 # Find optimal value of K and plot the results
130 i=1
131 k.optm=1
132 while (i <= 611){
133   knn.mod <- knn(train = train.X, test = test.X, cl = train.Y, k=i)
134   knn.res <- table(knn.mod,test.Y)
135   k.optm[i] <- accuracy(knn.res)
136   cat('k[i]', i, ']', '=', k.optm[i], '\n')
137   i = i+10
138 }
139 plot(k.optm, type="b", xlab="K- Value", ylab="Accuracy level")
140
141
142
143
144
145
146

```

**Environment Window (Right Pane):**

Object	Class	Attributes
data	data.frame	566602 obs. of 23 variables
data_x	data.frame	494299 obs. of 14 variables
data_y	data.frame	494299 obs. of 1 variable
df	data.frame	494299 obs. of 15 variables
test	data.frame	169039 obs. of 15 variables
test.X	data.frame	123575 obs. of 14 variables
testing	data.frame	168350 obs. of 15 variables
testX	data.frame	169039 obs. of 14 variables
testY	data.frame	169039 obs. of 1 variable
train.X	data.frame	370724 obs. of 14 variables
training	data.frame	391978 obs. of 15 variables
trainX	data.frame	393608 obs. of 14 variables
trctrl	list	List of 27

The Environment window also shows a 'Values' section with a table of values for the 'correlated' variable.



After applying knn model to date set accuracy and confusion matrix to given data set  
Confusion matrix for model when K=609 and accuracy of model is 62.87%.

```

124 confusionMatrix(tab.608)
125
126
126:33 (Top Level)

```

---

```

Console Terminal x Jobs x
~/
> accuracy(tab.609)
[1] 62.8687
> confusionMatrix(tab.609)
Confusion Matrix and Statistics

      test.Y
pred_knn.609  0    1
              0 17319 8631
              1 37254 60371

              Accuracy : 0.6287
              95% CI : (0.626, 0.6314)
              No Information Rate : 0.5584
              P-Value [Acc > NIR] : < 2.2e-16

              Kappa : 0.2034

              Mcnemar's Test P-Value : < 2.2e-16

              Sensitivity : 0.3174
              Specificity : 0.8749
              Pos Pred Value : 0.6674
              Neg Pred Value : 0.6184
              Prevalence : 0.4416
              Detection Rate : 0.1401
              Detection Prevalence : 0.2100
              Balanced Accuracy : 0.5961

              'Positive' Class : 0

> |

```

After applying knn model to date set accuracy and confusion matrix to given data set  
Confusion matrix for model when K=609 and accuracy of model is 62.87%.

```
117 pred_knn.608 <- knn(train = train.X, test = test.X, cl = train.Y, k=608)
118 pred_knn.609 <- knn(train = train.X, test = test.X, cl = train.Y, k=609)
126:1 (Top Level) ↕
```

Console

Terminal ×

Jobs ×

~/ ↗

Confusion Matrix and Statistics

```
      test.Y
pred_knn.608  0      1
              0 17397  8754
              1 37176 60248

      Accuracy : 0.6283
      95% CI   : (0.6256, 0.631)
No Information Rate : 0.5584
P-Value [Acc > NIR] : < 2.2e-16

      Kappa : 0.203

McNemar's Test P-value : < 2.2e-16

      Sensitivity : 0.3188
      Specificity : 0.8731
      Pos Pred Value : 0.6653
      Neg Pred Value : 0.6184
      Prevalence : 0.4416
      Detection Rate : 0.1408
      Detection Prevalence : 0.2116
      Balanced Accuracy : 0.5960

      'Positive' Class : 0
```

Similarly, we observed the accuracy of model is 62.83% for k= 608

```
129
130 # Find optimal value of K and p1
131 i=1
132 k.optm=1
133 while (i <= 611){
141:1 (Top Level) ↕
```

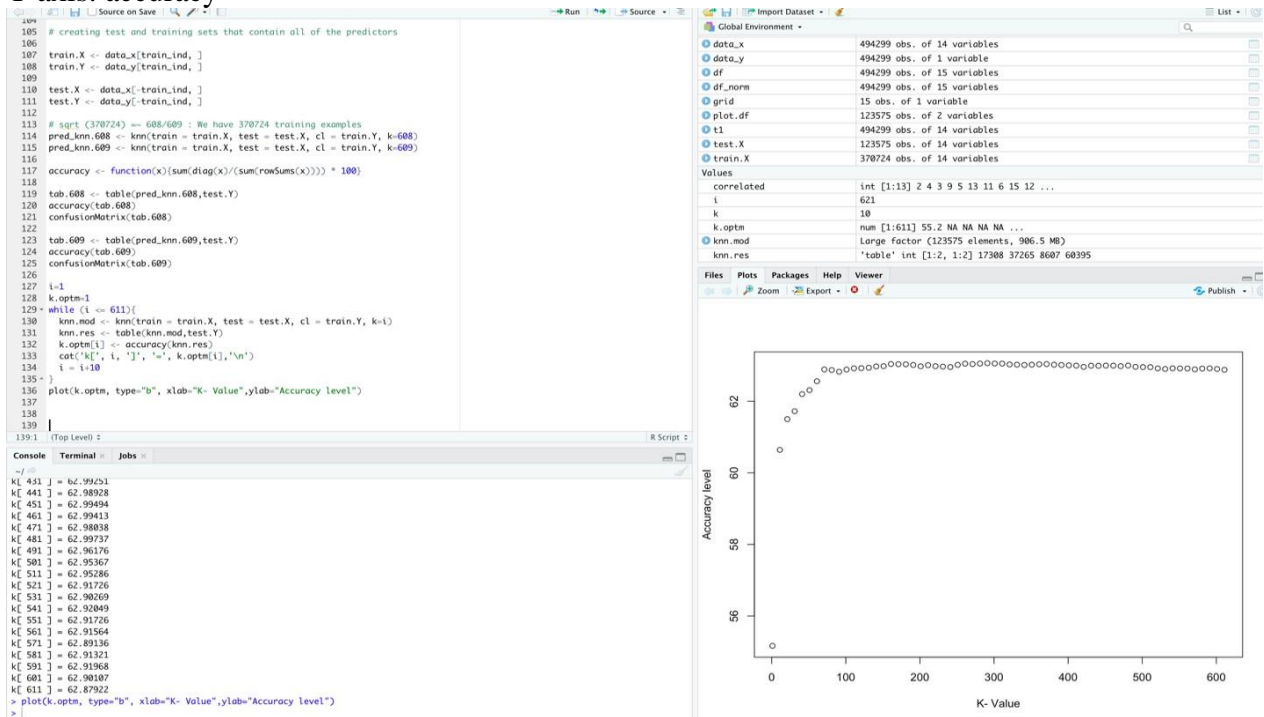
Console	Terminal ×	Jobs ×
+ }		
k[ 1 ] = 55.16488		
k[ 11 ] = 60.6401		
k[ 21 ] = 61.5003		
k[ 31 ] = 61.7196		
k[ 41 ] = 62.19786		
k[ 51 ] = 62.30953		
k[ 61 ] = 62.55958		
k[ 71 ] = 62.88812		
k[ 81 ] = 62.87194		
k[ 91 ] = 62.82501		
k[ 101 ] = 62.8857		
k[ 111 ] = 62.91968		
k[ 121 ] = 62.92454		
k[ 131 ] = 62.93668		
k[ 141 ] = 62.97309		
k[ 151 ] = 62.97876		
k[ 161 ] = 63.03945		
k[ 171 ] = 63.03459		
k[ 181 ] = 63.03055		
k[ 191 ] = 63.01355		

We also try find optimal value for k [1...611]

The maximum accuracy observed by our model is ~63% following graph shows the accuracy.

X axis: k values

Y axis: accuracy



The maximum accuracy observed by our model is ~63% following graph shows the accuracy.

X axis: k values

Y axis: accuracy

## Naive Bayes

For Naïve Bayes, library e1071 is used. To split the data sample () function is used which randomly selects the data based on probability.

```

#splitting the data into train and test
ran <- sample(1:nrow(df), 0.7 * nrow(df))

train1 <- df1[c(1:15)][ran,]
nrow(train1)# no of rows for training data
test1 <- df1[c(1:15)][-ran,]
nrow(test1)#no of rows for test data

```

Rows count for train and test.

```
> ran <- sample(1:nrow(df), 0.7 * nrow(df))
> train1 <- df1[c(1:15)][ran,]
> nrow(train1)
[1] 346009
> nrow(test1)
[1] 247150
> |
```

Then we have generated the naïve model using the function `naiveBayes()` and trained on response variable `covid_res`. Condition Probability is generated which tells about the likelihood of `covid_res` for each of the predictors.

```
216
217 Clas<- naiveBayes( train1$covid_res~ sex + patient_type + pneumonia + diabetes +
218 =train1)
218 Clas
219 predict.y <- predict(Clas, test1)
219:1 (Top Level) ↕
```

Console

Terminal ×

Jobs ×

```
> Clas
```

Naive Bayes Classifier for Discrete Predictors

Call:  
`naiveBayes.default(x = x, y = y, laplace = laplace)`

A-priori probabilities:

```
Y
      0      1
0.4423243 0.5576757
```

Conditional probabilities:

```
sex
Y      0      1
0 0.5480516 0.4519484
1 0.4754007 0.5245993
```

```
patient_type
Y      0      1
0 0.3079126 0.6920874
1 0.1363283 0.8636717
```

```
pneumonia
Y      0      1
0 0.75999817 0.24000183
1 0.91020758 0.08979242
```

After the model is trained, we passed the test data for the prediction of `covid_res`. For this `predict()` function is used. And then Confusion Matrix is generated using the prediction. To create this `confusionMatrix()` function is used.

```

> confusionMatrix(table(predict_y, test1$covid_res))
Confusion Matrix and Statistics

predict_y      0      1
      0 40440 24565
      1 68707 113438

              Accuracy : 0.6226
              95% CI   : (0.6207, 0.6245)
    No Information Rate : 0.5584
    P-Value [Acc > NIR] : < 2.2e-16

              Kappa : 0.201

  Mcnemar's Test P-Value : < 2.2e-16

              Sensitivity : 0.3705
              Specificity : 0.8220
    Pos Pred Value   : 0.6221
    Neg Pred Value   : 0.6228
        Prevalence   : 0.4416
    Detection Rate   : 0.1636
    Detection Prevalence : 0.2630
    Balanced Accuracy : 0.5963

    'Positive' Class : 0

```

The confusion matrix gives the information about true positive, true negative, false positive and false negative. After applying the confusion matrix, the 40440 elements are correctly classified who are covid positive whereas 113438 elements in the dataset are covid negative. Other elements are incorrectly classified. After applying Naïve Bayes model, the accuracy of the model is 62.26%.

### Logistic regression Model:

#### a) Correlation matrix:

Correlation is a common metric in finance, and it is useful to know how to calculate it in R.

The **cor()** function will calculate the correlation between two vectors, or will create a correlation matrix when given a matrix.

In our dataset we have only one numeric value (Age), so can not apply Correlation Matrix on our dataset.

#### b) Logistic regression:

We will try to implement Logistic regression model to predict the response variable Covid Result using columns from 1 to 14.

```
Segment <- sample(1:nrow(df), 0.5 * nrow(df))
```

```
traindataset <- df[c(1:15)][Segment,]
```

```
testdataset <- df[c(1:14)][-Segment,]
```



Using the above codes to divide the data into two equal halves for training and research. glm is used to fit generalized linear models, specified by giving a symbolic description of the linear predictor and a description of the error distribution. In order to say R to run a logistic regression, we need to define the argument **family = binomial**.

```
glm.fits=glm(covid_res ~ ., data = traindataset ,family =binomial )
```

```
summary (glm.fits)
```

```
> summary (glm.fits)

Call:
glm(formula = covid_res ~ ., family = binomial, data = traindataset)

Deviance Residuals:
    Min       1Q   Median       3Q      Max
-1.975  -1.010  -0.857   1.236   2.333

Coefficients: (1 not defined because of singularities)
              Estimate Std. Error z value Pr(>|z|)
(Intercept)  -0.0884678   0.0172415  -5.131 2.88e-07 ***
sex1         -0.2410847   0.0084594 -28.499 < 2e-16 ***
patient_type1 -0.8196142   0.0111612 -73.435 < 2e-16 ***
pneumonia1    0.1922927   0.0142184  13.524 < 2e-16 ***
age           0.0140314   0.0002912  48.192 < 2e-16 ***
diabetes1     -0.4975382   0.0339653 -14.648 < 2e-16 ***
copd1        -0.1792416   0.0240984  -7.438 1.02e-13 ***
asthma1      -0.4707005   0.0347111 -13.561 < 2e-16 ***
inmsupr1      0.0131183   0.0130894   1.002  0.316
hypertension1 -0.2979987   0.0250308 -11.905 < 2e-16 ***
other_disease1 -0.3823308   0.0293129 -13.043 < 2e-16 ***
cardiovascular1 0.3600929   0.0114561  31.432 < 2e-16 ***
obesity1     -0.3389289   0.0309838 -10.939 < 2e-16 ***
renal_chronic1 -0.2880410   0.0152793 -18.852 < 2e-16 ***
tobacco1      NA          NA          NA      NA
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

(Dispersion parameter for binomial family taken to be 1)

    Null deviance: 340577  on 248144  degrees of freedom
Residual deviance: 324221  on 248131  degrees of freedom
AIC: 324249

Number of Fisher Scoring iterations: 4

> |
```

Tobacco doesn't have any statistical significance value in this model. Here we can observe that we have a total of 14 coefficient numbers and P-value is very large 0.0130894 for Inmsupr1 means that Inmsupr1 statistical significance is not relevant to predict Covid19, similarly gluc2 statistical significance is also not essential since p-value is high, so when either forward selection or backward exclusion can be used to pick the right attributes to build better prediction.

## ANOVA:

The one-way analysis of variance (ANOVA), also known as one-factor ANOVA, is an extension of independent two-samples t-test for comparing means in a situation where there are more than two groups. In one-way ANOVA, the data is organized into several groups base on one single grouping variable (also called factor variable). This tutorial describes the basic principle of the one-way ANOVA test and provides practical anova test examples in R software.

```
anova(glm.fits, test = "Chisq")
```

```
> anova(glm.fits, test = "Chisq")
```

```
Analysis of Deviance Table
```

```
Model: binomial, link: logit
```

```
Response: covid_res
```

```
Terms added sequentially (first to last)
```

	Df	Deviance	Resid. Df	Resid. Dev	Pr(>Chi)
NULL			248144	340545	
sex	1	1288.8	248143	339256	< 2.2e-16 ***
patient_type	1	9432.7	248142	329823	< 2.2e-16 ***
pneumonia	1	753.2	248141	329070	< 2.2e-16 ***
age	1	2417.4	248140	326653	< 2.2e-16 ***
diabetes	1	366.7	248139	326286	< 2.2e-16 ***
copd	1	48.6	248138	326238	3.191e-12 ***
asthma	1	301.2	248137	325936	< 2.2e-16 ***
inmsupr	1	5.6	248136	325931	0.0176 *
hypertension	1	152.0	248135	325779	< 2.2e-16 ***
other_disease	1	184.8	248134	325594	< 2.2e-16 ***
cardiovascular	1	972.7	248133	324621	< 2.2e-16 ***
obesity	1	106.0	248132	324515	< 2.2e-16 ***
renal_chronic	1	341.7	248131	324173	< 2.2e-16 ***
tobacco	0	0.0	248131	324173	

---  
signif. codes: 0 '\*\*\*' 0.001 '\*\*' 0.01 '\*' 0.05 '.' 0.1 ' ' 1  
> |

the predict() function to suit the model into the test data and predict the response variable, since we first generated an object in the above code block and allocated a response variable value to the object, which we can then use if another comment affects the likelihood of class.

1. If the probability (P)> 0.5, class 1 indicates that patient has Covid19.
2. If the probability (P)<0.5, class '0' means patient does not Covid19.

```
fitted.results <- predict(glm.fits, newdata=subset(train1,select=c(1:14)),type='response') fitted.results <-
```

```
ifelse(fitted.results > 0.5,1,0)
```

```
ClasificError <- mean(fitted.results == train1$covid_res)
```

```
print(paste('Accuracy', ClasificError))
```

```
> fitted.results <- predict(glm.fits, newdata=subset(train1,select=c(1:14)),type='response')
warning message:
In predict.lm(object, newdata, se.fit, scale = 1, type = if (type == "response") "link" else "response",
  prediction from a rank-deficient fit may be misleading
> fitted.results <- ifelse(fitted.results > 0.5,1,0)
> ClasificError <- mean(fitted.results == train1$covid_res)
> print(paste('Accuracy', ClasificError))
[1] "Accuracy 0.626569143041367"
```

```
fitted.results <- predict(glm.fits, newdata=subset(test1,select=c(1:14)),type='response')
```

```
fitted.results <- ifelse(fitted.results > 0.5,1,0)
```

```
ClasificError <- mean(fitted.results == test1$covid_res)
```



```
print(paste('Accuracy', ClasificError))
```

```
[1] "Accuracy 0.626569143041367"  
> fitted.results <- predict(glm.fits, newdata=subset(test1,select=c(1:14)),type='response')  
warning message:  
In predict.lm(object, newdata, se.fit, scale = 1, type = if (type == :  
  prediction from a rank-deficient fit may be misleading  
> fitted.results <- ifelse(fitted.results > 0.5,1,0)  
> ClasificError <- mean(fitted.results == test1$covid_res)  
> print(paste('Accuracy', ClasificError))  
[1] "Accuracy 0.628585590740935"
```

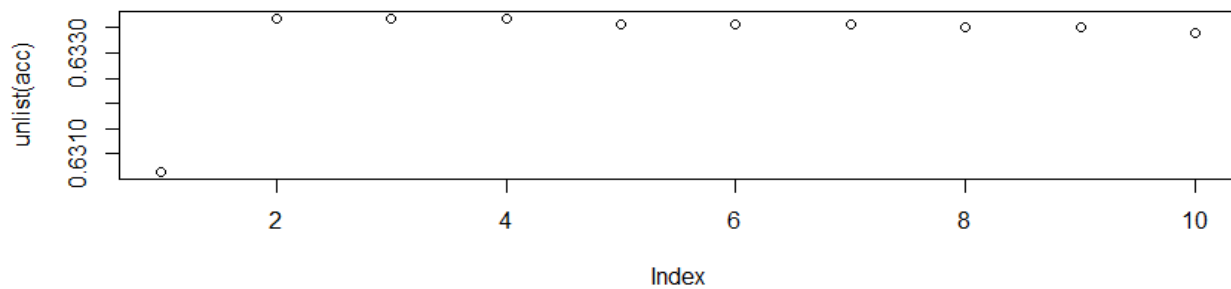
This is equal to the model's accuracy since we will run the model on both halves first on test data and obtained 62.85 percent accuracy and then on training dataset and obtained 62.85 percent accuracy, indicating that there is no variation and we will be able to generate more accuracy. Also, we are implementing K-fold cross validation to minimize i.

## Resampling

Resampling is the method that consists of drawing repeated samples from the original data samples. The process of Resampling is a nonparametric method of statistical inference. Resampling involves selecting randomized cases with replacement from the original data sample in such a manner that each number of the sample drawn has several cases like the original data sample. Due to replacement, the illustrated number of samples used by the method of Resampling consists of repetitive cases.

## logistic regression with -whole dataset approach

```
[1] 0.6334  
> acc  
[[1]]  
[1] 0.6306284  
  
[[2]]  
[1] 0.6336974  
  
[[3]]  
[1] 0.6336731  
  
[[4]]  
[1] 0.6336772  
  
[[5]]  
[1] 0.6335578  
  
[[6]]  
[1] 0.6335801  
  
[[7]]  
[1] 0.633574  
  
[[8]]  
[1] 0.6335113  
  
[[9]]  
[1] 0.6335072  
  
[[10]]  
[1] 0.6334
```

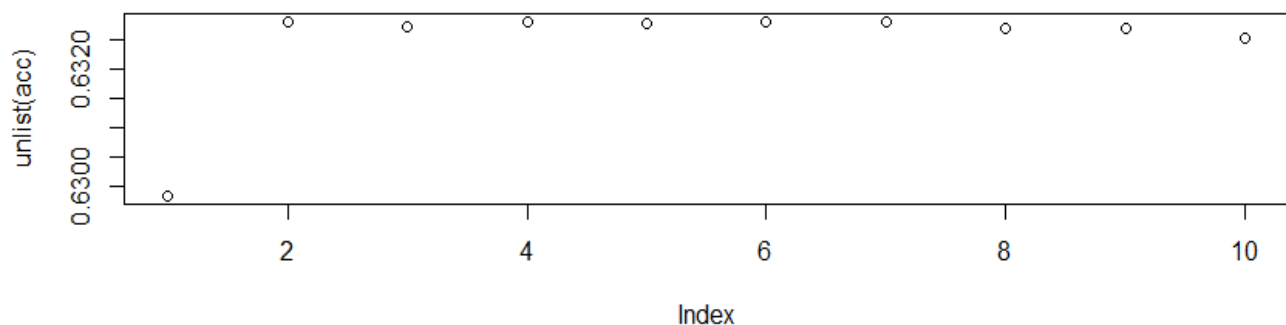


In this cross-validation approach, we are using whole data set for training and testing dataset. Above graph is output for this method, where we are using polynomial degree to check the accuracy. In above result we can clearly observe that initially degree of polynomial is increased and then remain constant.

### logistic regression with - Validation set approach:

#### Following step are Used:-

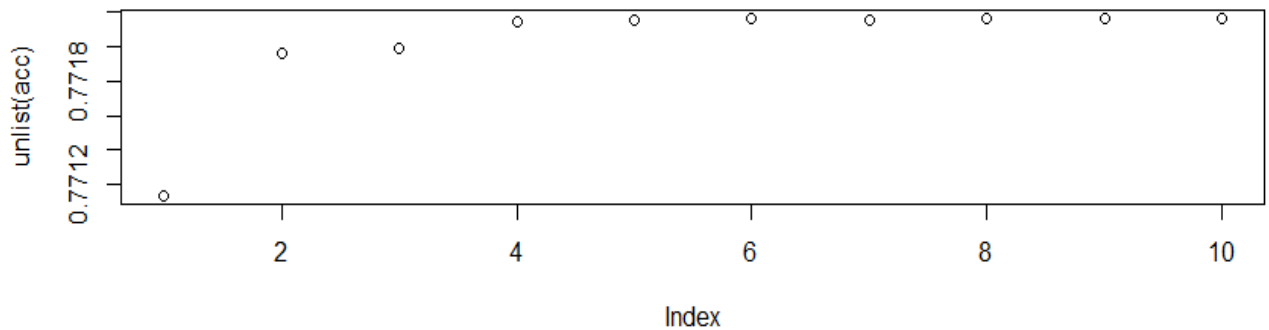
1. Randomly divide the available set of observations into two parts, a training set and a validation set or hold-out set.
2. Fit the model on the training set.
3. Use the resulting fitted model to predict the responses for the observations in the validation set.
4. The resulting validation set error rate is typically assessed using the MSE in the case of a quantitative response. This provides an estimate of the test error rate.



For this technique we divided the data in to two halves test data and training data. These are the result we received, polynomial degree is increased substantially in the beginning and then remain constant for rest of the time.

### logistic regression with - K- fold

This method randomly divides a set of observations into  $k$  groups, for *folds*, of approximately equal size. Each fold contains a non-overlapping (with the subsequent folds) validation set and training set. The approach could be thought of as a hybrid of both the LOOCV and the validation approach. In fact LOOCV is a special case of  $k$ -folds where  $k = n$ . The advantage of this is computational speed.



For this technique we divided the data randomly data. These are the result we got, polynomial degree is increased considerably in the beginning and then remain constant for rest of the time.

## KNN

### leave-one-out cross validation

In this for each row of the training set train, the k nearest (in Euclidean distance) other training set vectors are found, and the classification is decided by majority vote, with ties broken at random. If there are ties for the k th nearest vector, all candidates are included in the vote.

Training and Testing dataset :

```
data_y <- df %>% select(covid_res) # storing response variable covid_res in data_y
data_x <- df %>% select(-covid_res) # storing all the predictors variable in data_x
```

```
# 75% of the sample size
smp_size <- floor(0.75 * nrow(data_x))
train_ind <- sample(seq_len(nrow(data_x)), size = smp_size)
# creating test and training sets that contain all of the predictors
train.X <- data_x[train_ind, ]
train.Y <- data_y[train_ind, ]
```

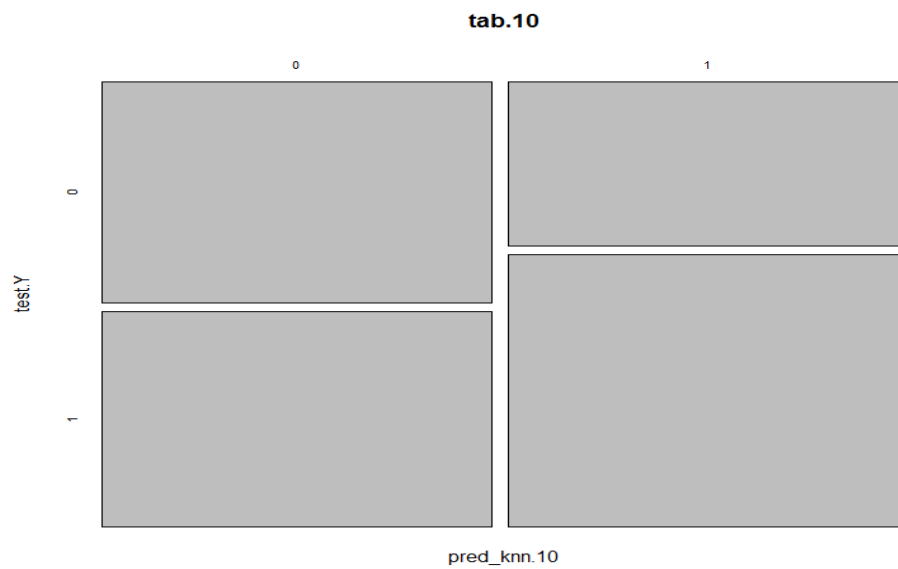
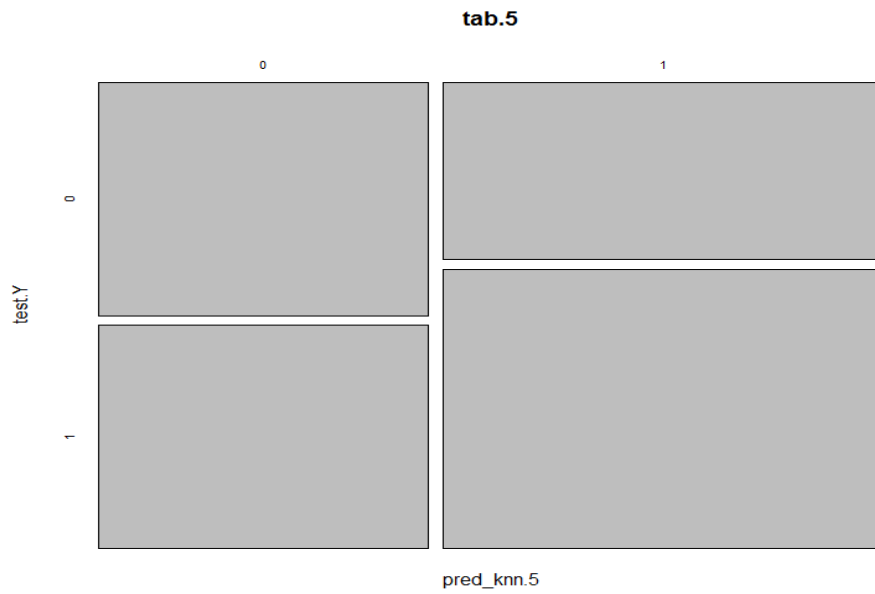
```
test.X <- data_x[-train_ind, ]
test.Y <- data_y[-train_ind, ]
```

```
pred_knn.5 <- knn(train = train.X, test = test.X, cl = train.Y, k=5)
pred_knn.10 <- knn(train = train.X, test = test.X, cl = train.Y, k=10)
```

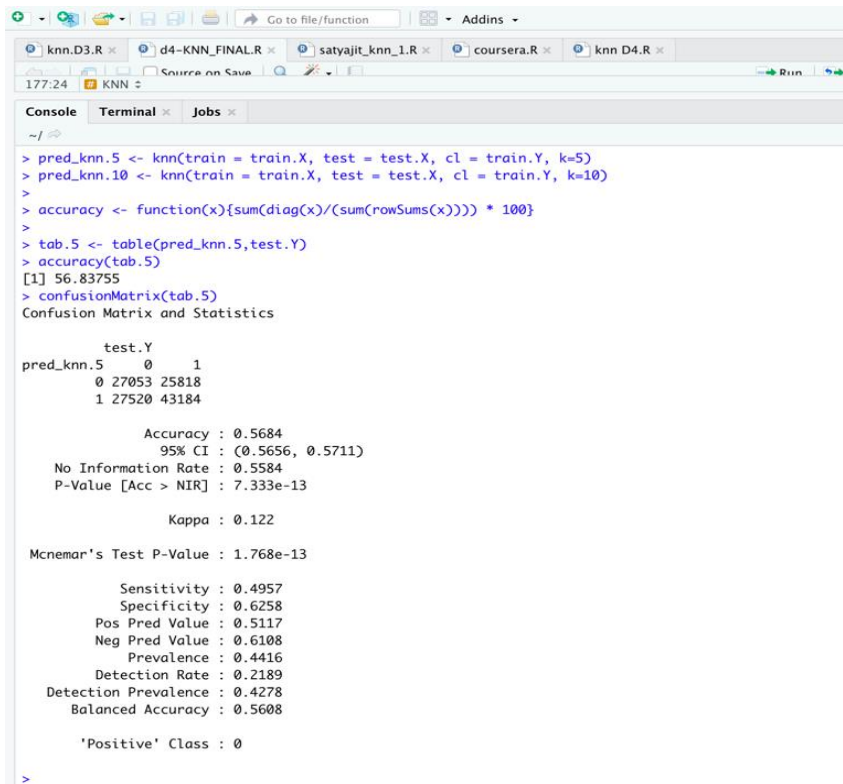
```
accuracy <- function(x){sum(diag(x)/(sum(rowSums(x)))) * 100}
```

```
tab.5 <- table(pred_knn.5,test.Y)
accuracy(tab.5)
confusionMatrix(tab.5)
```

```
tab.10 <- table(pred_knn.10,test.Y)
accuracy(tab.10)
confusionMatrix(tab.10)
```



output:



```
> pred_knn.5 <- knn(train = train.X, test = test.X, cl = train.Y, k=5)
> pred_knn.10 <- knn(train = train.X, test = test.X, cl = train.Y, k=10)
>
> accuracy <- function(x){sum(diag(x)/(sum(rowSums(x)))) * 100}
>
> tab.5 <- table(pred_knn.5,test.Y)
> accuracy(tab.5)
[1] 56.83755
> confusionMatrix(tab.5)
Confusion Matrix and Statistics

      test.Y
pred_knn.5  0      1
0  27053  25818
1  27520  43184

      Accuracy : 0.5684
      95% CI : (0.5656, 0.5711)
    No Information Rate : 0.5584
    P-Value [Acc > NIR] : 7.333e-13

      Kappa : 0.122

McNemar's Test P-Value : 1.768e-13

      Sensitivity : 0.4957
      Specificity : 0.6258
      Pos Pred Value : 0.5117
      Neg Pred Value : 0.6108
      Prevalence : 0.4416
      Detection Rate : 0.2189
      Detection Prevalence : 0.4278
      Balanced Accuracy : 0.5608

      'Positive' Class : 0
>
```

## k-fold cross validation

It's easy to follow and implement. Below are the steps for it:

- Randomly split your entire dataset into k" folds"
- For each k-fold in your dataset, build model on k – 1 folds of the dataset. Then, test the model to check the effectiveness for *k*th fold
- Record the error on each of the predictions
- Repeat this until each of the k-folds has served as the test set
- The average of your k recorded errors is called the cross-validation error and will serve as your performance metric for the model

#plotting cross-validated prediction accuracy

```
qplot(knn_results.k, knn_results.Accuracy, geom = "line",
      xlab = "k", ylab = "Accuracy")
input.data <- df[sample(nrow(df), 20000), ]
smp_size <- floor(0.25 * nrow(input.data))
train_ind <- sample(seq_len(nrow(input.data)), size = smp_size)
input.data.train <- df[train_ind, ]
input.data.test <- df[-train_ind, ]
```

Fold 10:

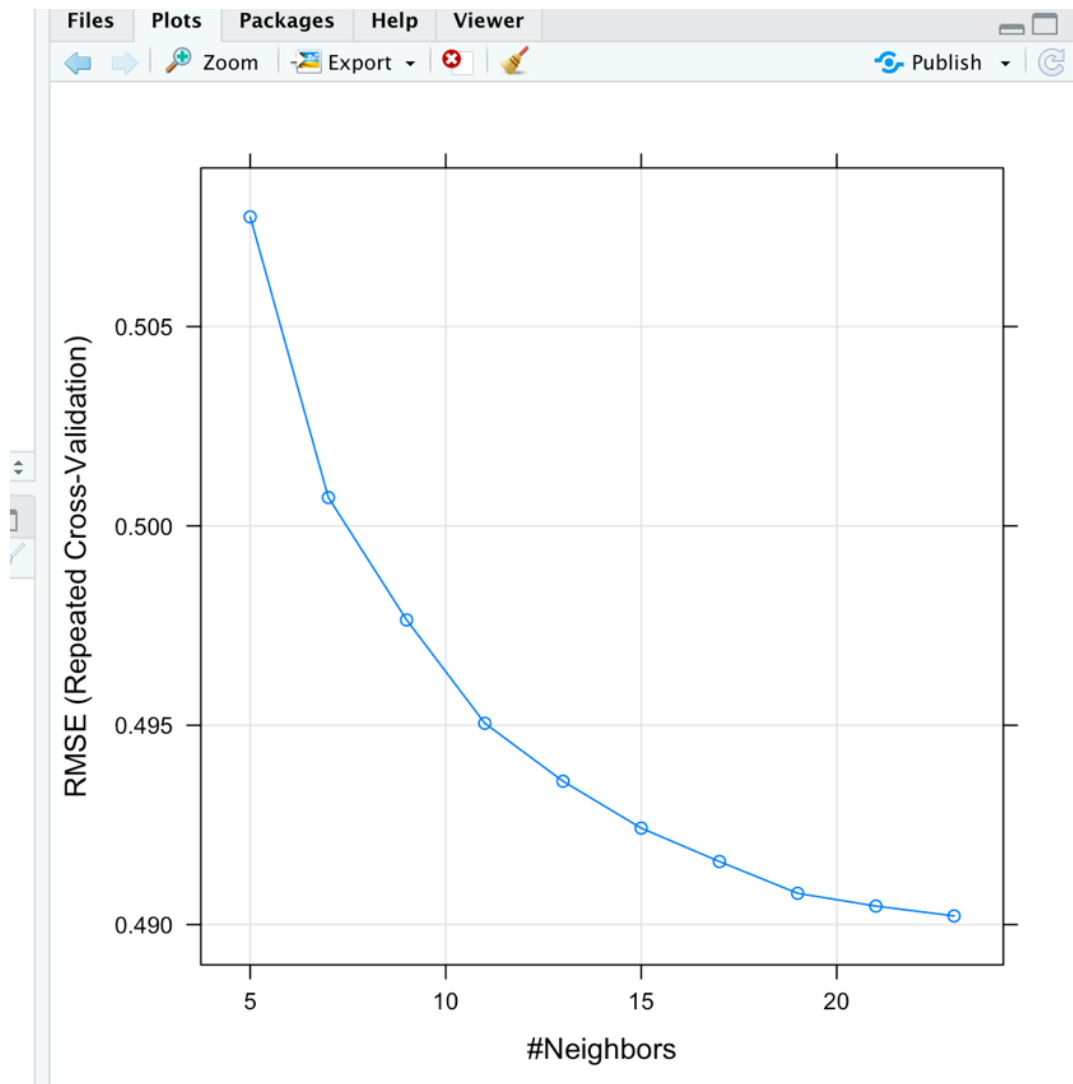
```
trCtrl.knn <- trainControl(method = "repeatedcv",
                           number = 10, #10-fold CV
                           repeats = 3,
```

```

classProbs = TRUE,
savePredictions = TRUE)
model.knn <- train(covid_res ~ .,
  data=input.data.train,
  method="knn",
  trControl = trCtrl.knn,
  preProcess = c("center","scale"),
  tuneLength=10)
model.knn_predict <- predict(model.knn, newdata = input.data.test)
#To print knn model
print(model.knn)
#To plot model knn
plot(model.knn)

```

**output:**



The RMSE decreases as the k polynomial increases.

## Naïve Bayes

### a) The Entire data set as the training data

```
#a. the entire data set as the training data.
head(datan)
#splitting the data into train and test
ran <- sample(1:nrow(df1), 1 * nrow(df1))
train1 <- df1[c(1:15)][ran,] #
nrow(train1)# no of rows for training data
clas<- naiveBayes( train1$covid_res~ sex + patient_type + pneumonia + diabetes , data=train1)
#training the model to predict covid result with predictors sex,patient type,pneumonia,diabetes
,copd,asthma.
clas #conditional probability for each attributes
predict_y <- predict(clas,train1) # prediction on test data
confusionMatrix(table(predict_y,train1$covid_res)) # confusionMatrix for the accuracy.
```

Taken entire dataset as training data and passed 4 parameters for the prediction.

#### Confusion Matrix and Statistics

```
predict_y      0      1
      0  81444  49598
      1 137023 226234

              Accuracy : 0.6225
              95% CI   : (0.6211, 0.6238)
    No Information Rate : 0.558
    P-Value [Acc > NIR] : < 2.2e-16

              Kappa : 0.2014

  Mcnemar's Test P-Value : < 2.2e-16

              Sensitivity : 0.3728
              Specificity : 0.8202
    Pos Pred Value : 0.6215
    Neg Pred Value : 0.6228
        Prevalence : 0.4420
    Detection Rate : 0.1648
    Detection Prevalence : 0.2651
    Balanced Accuracy : 0.5965

    'Positive' Class : 0
```

Taking entire data as training data and passed 4 parameters for prediction, we get the accuracy of 62.25%. Then we increased the number of parameters on entire training data.

```
-----
clas<- naiveBayes( train1$covid_res~ sex + patient_type + pneumonia + diabetes+tobacco+renal_chronic
, data=train1) #Training the model to predict covid result with predictors sex,patient type,pneumoni
a,diabetes ,copd,asthma.
clas #conditional probability for each attributes
predict_y <- predict(clas,train1) # prediction on test data
confusionMatrix(table(predict_y,train1$covid_res)) # confusionMatrix for the accuracy.
```

Passed 6 parameters for the prediction:

```

Accuracy : 0.6232
95% CI : (0.6218, 0.6245)
No Information Rate : 0.558
P-Value [Acc > NIR] : < 2.2e-16

```

```
Kappa : 0.202
```

```
McNemar's Test P-Value : < 2.2e-16
```

```

Sensitivity : 0.3685
Specificity : 0.8248
Pos Pred Value : 0.6249
Neg Pred Value : 0.6225
Prevalence : 0.4420
Detection Rate : 0.1629
Detection Prevalence : 0.2606
Balanced Accuracy : 0.5967

```

```
'Positive' Class : 0
```

After increasing the parameters on entire data, the accuracy slightly increased from 62.25 to 62.32

### c) leave-one-out cross validation

```

train_control <- trainControl(method="LOOCV")
# train the model
model11 <- train(covid_res~., data=train1, trControl=train_control, method="nb")
# summarize results
print(model11)
plot(model)
#-----

```

For LOOCV, we used method LOOCV with to make Naïve Bayes model.

```

14 predictor
2 classes: '0', '1'

```

No pre-processing

Resampling: Leave-One-out Cross-validation

Summary of sample sizes: 4941, 4941, 4941, 4941, 4941, 4941, ...

Resampling results across tuning parameters:

usekernel	Accuracy	Kappa
FALSE	0.6278834	0.2104456
TRUE	0.6110886	0.1210678

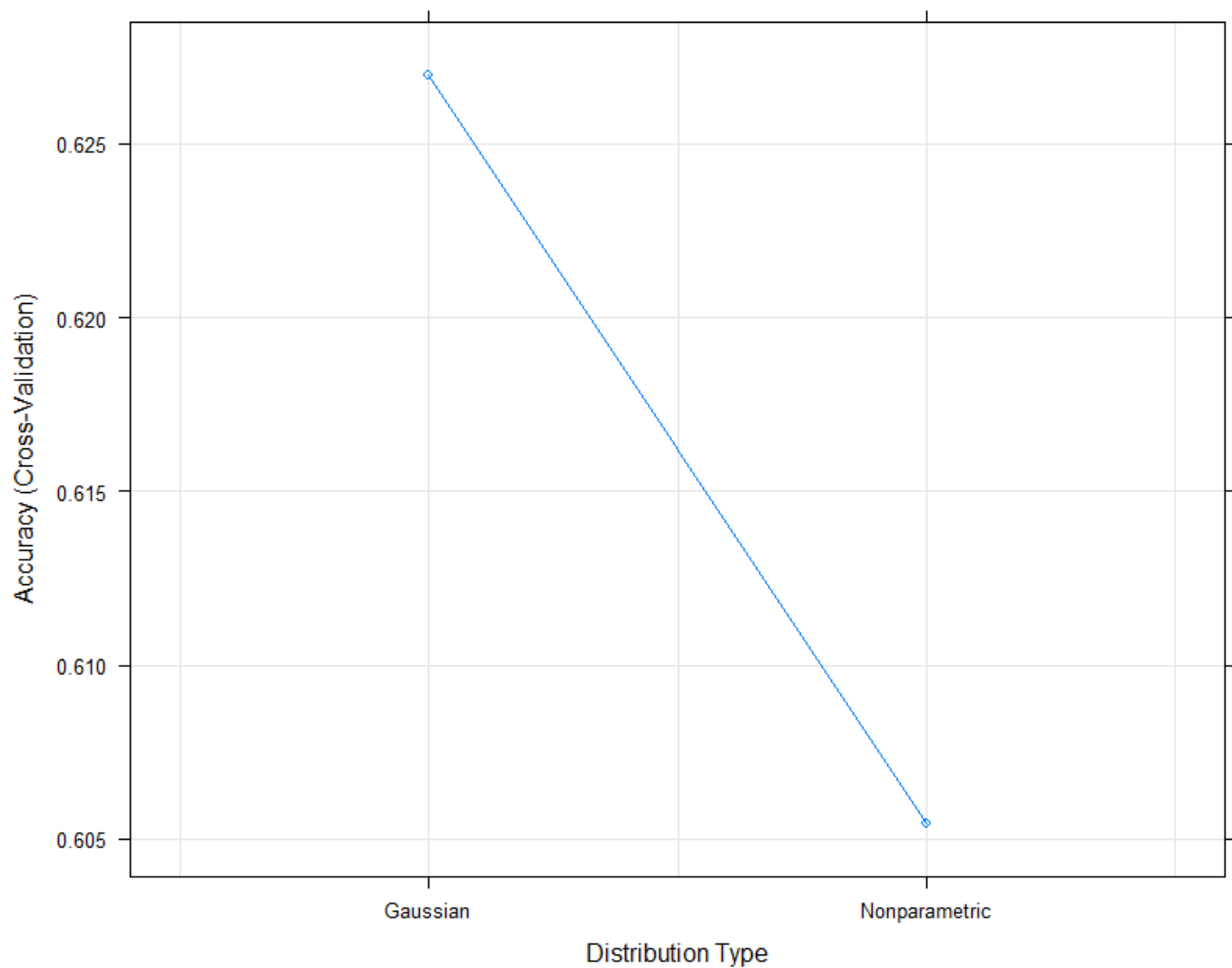
Tuning parameter 'fL' was held constant at a value of 0

Tuning parameter 'adjust' was held constant at a value of 1

Accuracy was used to select the optimal model using the largest value.

The final values used for the model were fL = 0, usekernel = FALSE and adjust = 1.





#### d) 10-fold cross validation

Naïve Bayes

```
# Define train control for k fold cross validation
train_control <- trainControl(method="cv", number=10)
# Fit Naïve Bayes Model
model <- train(covid_res~., data=train1, trControl=train_control, method="nb")
# Summarise Results
print(model)
plot(model)
```

Method used cv and number=10 for 10-fold cross validation.

49429 samples  
14 predictor  
2 classes: '0', '1'

No pre-processing

Resampling: Cross-validated (10 fold)

Summary of sample sizes: 44486, 44486, 44487, 44486, 44486, 44486, ...

Resampling results across tuning parameters:

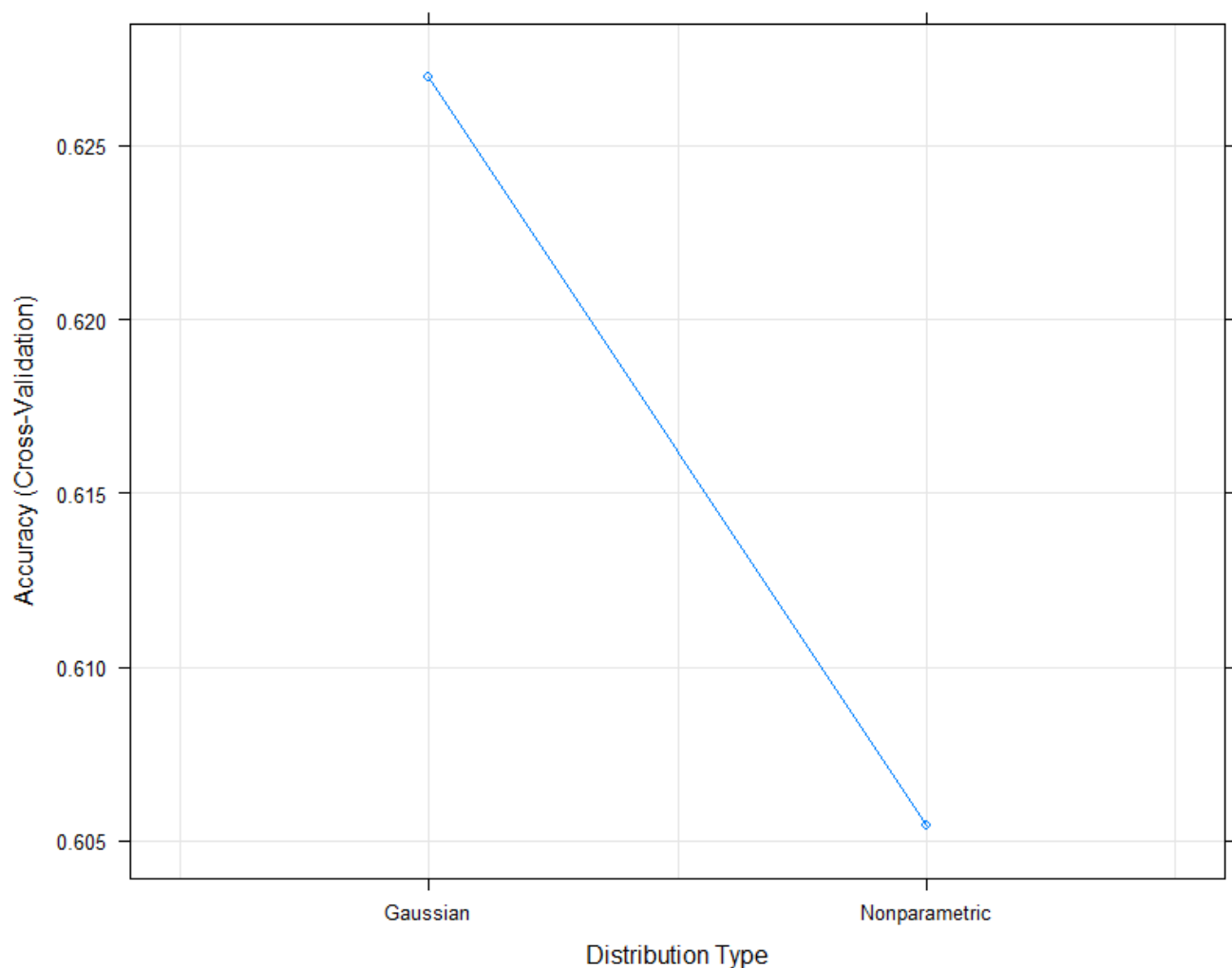
usekernel	Accuracy	Kappa
FALSE	0.626980	0.2168637
TRUE	0.605434	0.1258878

Tuning parameter 'fl' was held constant at a value of 0

Tuning parameter 'adjust' was held constant at  
a value of 1

Accuracy was used to select the optimal model using the largest value.

The final values used for the model were fl = 0, usekernel = FALSE and adjust = 1.



The Accuracy increases from 60.2 to 62.75

## 2.) Bootstrap

### Naïve Bayes

```
#Bootstrap
train_control <- trainControl(method="boot", number=10)
# train the model
model1 <- train(covid_res~sex + patient_type + pneumonia, data=train1, trControl=train_control,
method="nb")
# summarize results
print(model1)
plot(model1)
```

For Bootstrap, we used method boot for bootstrap with 10 resampling to make Naïve Bayes model.

Naïve Bayes

```
4942 samples
 3 predictor
 2 classes: '0', '1'
```

No pre-processing

Resampling: Bootstrapped (10 reps)

Summary of sample sizes: 4942, 4942, 4942, 4942, 4942, 4942, ...

Resampling results across tuning parameters:

usekernel	Accuracy	Kappa
FALSE	0.6296647	0.1978874
TRUE	0.6146677	0.1388817

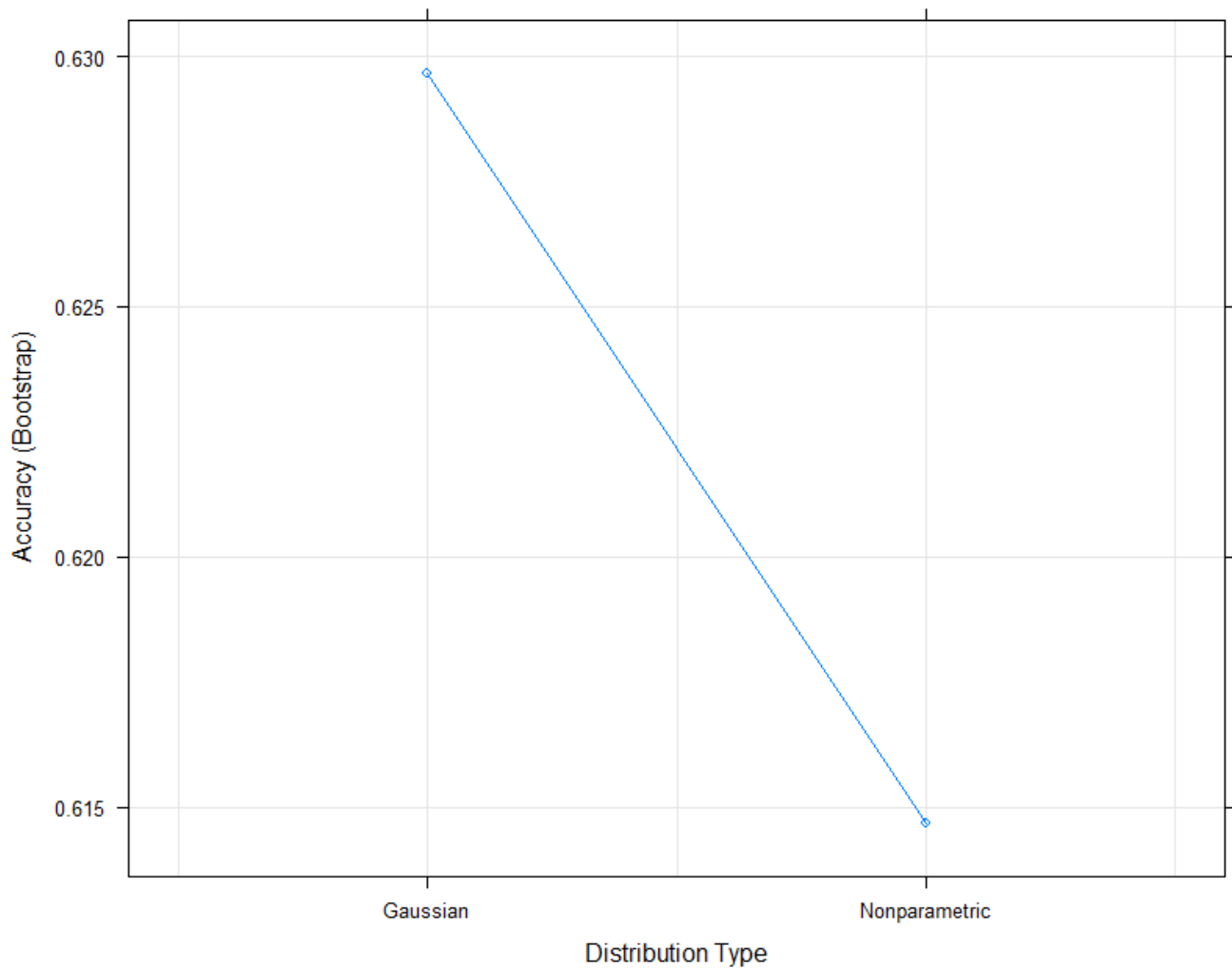
Tuning parameter 'fL' was held constant at a value of 0

Tuning parameter 'adjust' was held constant at  
a value of 1

Accuracy was used to select the optimal model using the largest value.

The final values used for the model were fL = 0, usekernel = FALSE and adjust = 1.

After applying bootstrap to Naïve Bayes, the TRUE accuracy increased from 60.54 to 61.46 and FALSE accuracy increased from 62.69 to 62.96

**Conclusion:**

Resampling is the method that consists of drawing repeated samples from the original data samples. The process of Resampling is a nonparametric method of statistical inference. Resampling involves selecting randomized cases with replacement from the original data sample in such a manner that each number of the sample drawn has several cases like the original data sample. Resampling methods like K cross fold , LOOCV, Bootstrapping , Validation are used to build the Naïve Bayes Model , KNN and Logistic Regression.

## References

1. [https://rstudio-pubs-static.s3.amazonaws.com/21668\\_28239bbc1ff34bc99f062f3241ca3a97.html](https://rstudio-pubs-static.s3.amazonaws.com/21668_28239bbc1ff34bc99f062f3241ca3a97.html)
2. [http://www2.stat.duke.edu/~rsc46/lectures\\_2017/05-resample/05-cv.pdf](http://www2.stat.duke.edu/~rsc46/lectures_2017/05-resample/05-cv.pdf)