

f(x) =       $x e^x - 1$                       x=0.567

Significant digits  
epsilon\_s

3  
0.05

x_l	x_u	f(x_l)	f(x_u)	x_r	f(x_r)	epsilon_a	f(xl)f(xr)
	0	1	-1	1.718282	0.367879	-0.46854	0.468536
0.367879		1	-0.46854	1.718282	0.503314	-0.16742	26.90861
0.503314		1	-0.16742	1.718282	0.547412	-0.05365	8.055672
0.547412		1	-0.05365	1.718282	0.561115	-0.01658	2.4421
0.561115		1	-0.01658	1.718282	0.565308	-0.00506	0.741763
0.565308		1	-0.00506	1.718282	0.566585	-0.00154	0.225395
0.566585		1	-0.00154	1.718282	0.566974	-0.00047	0.068497
0.566974		1	-0.00047	1.718282	0.567092	-0.00014	0.020816

f(x) =      cosx-xe^x              x=0.518

Significant digits  
epsilon\_s

3  
0.05

x_l	x_u	f(x_l)	f(x_u)	x_r	f(x_r)	epsilon_a	f(xl)f(xr)
	0	1	1	-2.17798	0.314665	0.519871	0.519871
0.314665		1	0.519871	-2.17798	0.446728	0.203545	0.105817
0.446728		1	0.203545	-2.17798	0.494015	0.070802	0.014411
0.494015		1	0.070802	-2.17798	0.509946	0.023608	0.001671
0.509946		1	0.023608	-2.17798	0.515201	0.00776	0.000183
0.515201		1	0.00776	-2.17798	0.516922	0.002539	1.97E-05
0.516922		1	0.002539	-2.17798	0.517485	0.000829	2.11E-06
0.517485		1	0.000829	-2.17798	0.517668	0.000271	2.25E-07
						0.03548	

f(x) =      xlogx-1.2                  x=2.741

Significant digits                  3

epsilon\_s                              0.05

x_l	x_u		f(x_l)	f(x_u)	x_r	f(x_r)	epsilon_a
	2	3	-0.59794	0.231364	2.721014	-0.01709	
2.721014		3	-0.01709	0.231364	2.740206	-0.00038	0.700359
2.740206		3	-0.00038	0.231364	2.740636	-8.6E-06	0.015709