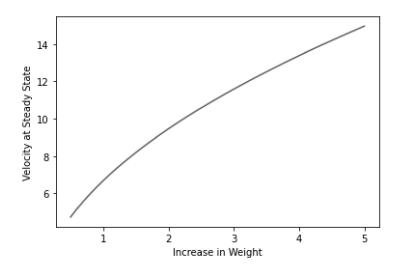
```
import math
import matplotlib.pyplot as plt
import numpy as np
# Constants Below
d = 1.293 \# density of air
c = 1.1 # Coeficient Of Drag
pi = 3.14159 # Pie
# Variables
wh = 0.5
wm = 0.5 # total weight of mass
w0 = 0.05 # initial weight of rotors
r = 0.1 # rotor radius
r0 = 0.1 # init radius of rotor
# Used in equations
v = []
v2 = []
x1 = []
x2 = []
x3=[]
```

Corelation between increase in mass and velocity at steady state

```
while wh<=5:
    i = math.sqrt((2*wh)/(d*pi*(r*r)*c))
    v.append(i)
    x1.append(wh)
    wh = wh+0.1

fig, ax = plt.subplots()
plt.xlabel("Increase in Weight")
plt.ylabel("Velocity at Steady State")
ax.plot(x1, v)
plt.show()</pre>
```



We have to account for increase in weight as the radius also increases. This is done by using the following

relation:
$$W_r = W_{r0}(\frac{R_r}{R_{r_0}})^3$$

```
while r<=1:
 Wr=W0*((r/r0)*(r/r0)*(r/r0))
  i = math.sqrt((2*w)/(d*pi*(r*r)*c))
 v2.append(i)
 x3.append(w)
 x2.append(r)
  r = r + 0.01
fig, ay = plt.subplots()
ay.plot(x2, v2)
plt.xlabel("Radius")
plt.ylabel("Velocity at Steady State")
plt.show()
fig, az = plt.subplots()
az.plot(x2, x3)
plt.xlabel("Radius")
plt.ylabel("Exponential Increase in Weight")
plt.show()
```

