### hartree-fock

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# background

#### slater determinant

We need a wavefunction consisting of:

- orthogonal wavefunctions of individual particles
- follow antisymmetry requirement

$$\Phi = \frac{1}{\sqrt{N!}} \begin{vmatrix} \chi_1(x_1) & \chi_2(x_1) & \cdots & \chi_N(x_1) \\ \chi_1(x_2) & \chi_2(x_2) & \cdots & \chi_N(x_2) \\ \vdots & \vdots & \ddots & \vdots \\ \chi_1(x_N) & \chi_2(x_N) & \cdots & \chi_N(x_N) \end{vmatrix}$$

#### realm of methods

Exact answer:

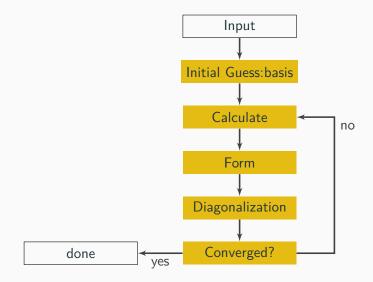
$$\Psi = \sum_{K}^{\infty} D_{k} \Phi_{K}$$

Hartree-Fock instead uses a single slater determinant for the ground state

$$\Psi = \Phi_0$$

All effort goes towards finding the best set of orbitals.

#### self consistent field



algorithm

#### derivation

example

## background

can we improve?

### missing correlation energy

## correlation energy