

1. For all the parts we have used symbol duration (T) = 0.5s, sampling interval (dt)=0.05s, amplitude (A) =10 (unless mentioned otherwise), number of samples per symbol (N) = 10. We followed below mentioned steps to get the desired results:

(a) For Part (a) the following steps were followed:

- A random bit stream of 7 bits was generated.
- The aforementioned bit stream was converted to a NRZ-L based scheme.
- It is then passed through the *channel* provided to us.
- Cutoff frequency was varied in the butterworth filter and the ISI effect was observed.

(b) For Part (b) the following steps were followed:

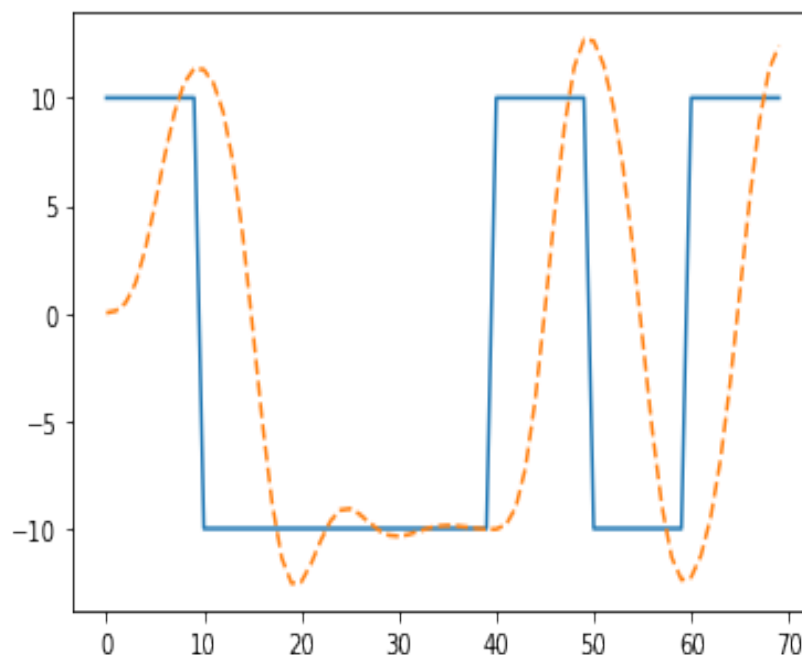
- A random bit stream of 3000 bits was generated.
- The aforementioned bit stream was converted to a NRZ-L based scheme.
- It is then passed through the *channel* provided to us and the output was detected by the matched filter.

(c) For Part (c) the following steps were followed:

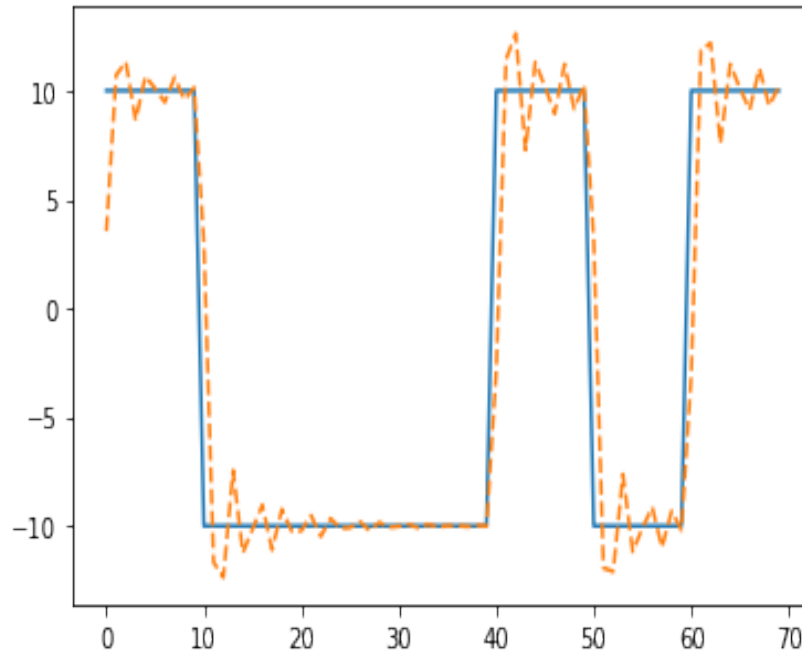
- For the aforementioned 3000 random bit-stream, cutoff frequency and the noise were varied to observe the effect on the detected bit stream and the bit-error probability.
- Furthermore, the effect of increasing signal-power was also observed for low cut-off frequencies.

2. Observations and Conclusion:

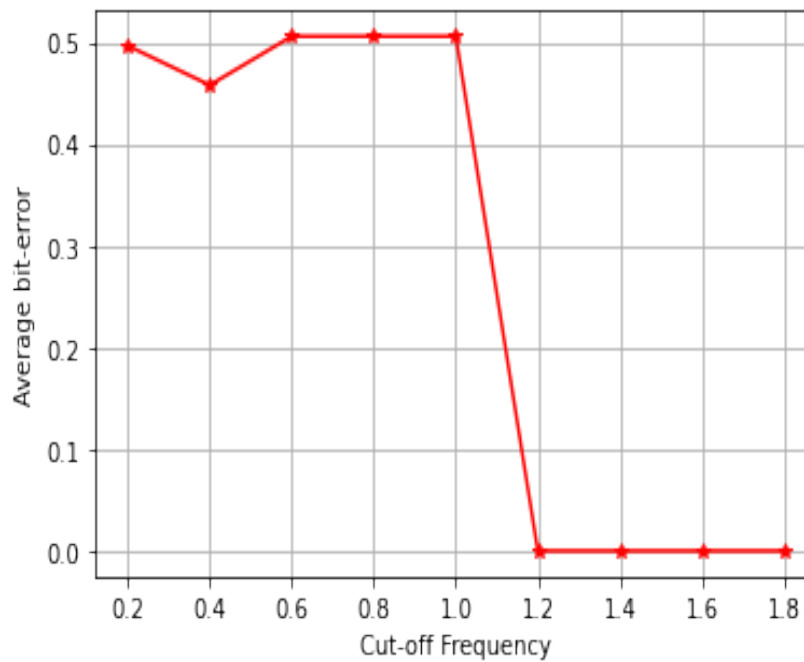
- For part (a) :We observed that as the cut-off frequency changed from 1 to 5 the output of the channel aligned more towards the original signal and the Inter Symbol Interference reduced significantly when cut-off frequency increased.
 - For $f_{cut}=1\text{Hz}$:



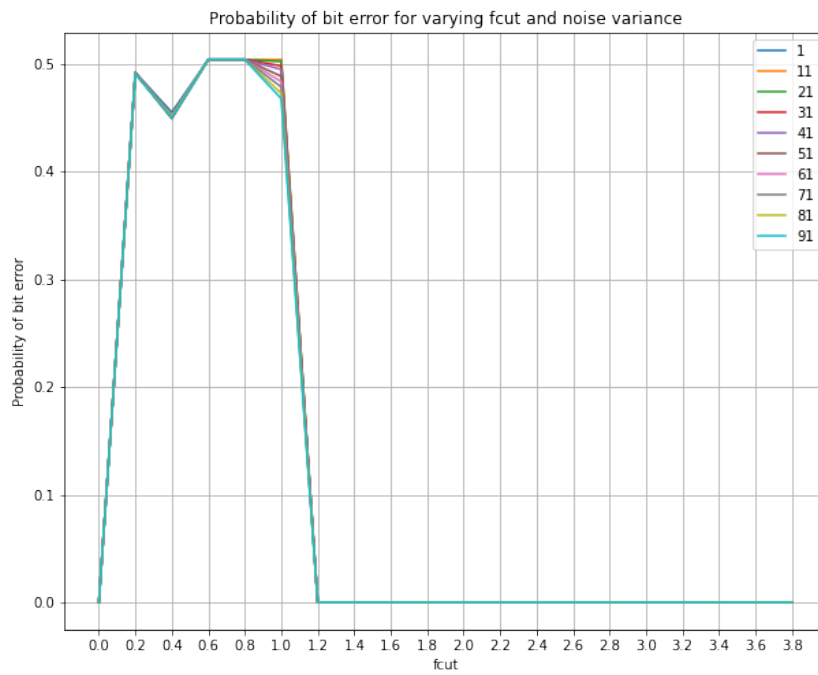
– For $f_{cut}=5\text{Hz}$:



- For part (b) : The Average bit-error was calculated by varying cut-off frequency from 0.2 to 1.8 and we observed that when cut-off frequency is greater than 1.2Hz the average bit-error is almost negligible and on increasing the cut-off frequency the average bit-error rate comes out to be zero.



- For part (c) : Here we changed noise variance from 1 to 100 in steps of 10 and for each values of variance we took different values of cut-off frequency to find the value for which probability of bit-error reduces to zero.



From the above graph we can conclude that the **ideal cut-off frequency is 1.2Hz** and for any value of frequency more than this the signal is detected correctly signifying that as **SNR increases the bit-error probability reduces**. So, to notice the effect of increasing signal power we chose $f_{cut}=1.2\text{Hz}$ and obtained the following:

