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DataCubes in Astrophysics

Lesson 10

Extracting basic information

- ❖ We can use the (more or less...) same procedures to detect and measure emission lines in the cube;
- ❖ or... we can use the information that is already available in the kinematics cube (derived with Kubeviz);
- ❖ the “interesting” emission lines are (in most cases): $H\beta$, [OIII], [OI], [NII], $H\alpha$, [SII].

The final task: 4.1

- ❖ Use the fluxes available for $H\alpha$ and $H\beta$ to calculate the pixel-by-pixel value of the extinction (extinction map);
- ❖ use this extinction map to correct $H\alpha$ flux and calculate the SFR for each pixel of the galaxy (sfr map);
- ❖ use the ratio of the [SII] lines to calculate the electron density (density map);
- ❖ use the other available lines to make a diagnostic diagram, and a ionization mechanism map.

Extinction: practically...

1. Which modules to import?
2. define a function to calculate A_v

Extinction: practically...

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```
import numpy as np  
from astropy.io import fits
```

Extinction: practically...

1. Which modules to import?
2. define a function to calculate A_v

```
import numpy as np
from astropy.io import fits

def Av_func(ha,hb):
    av = 1./(Av_b - Av_a)*2.5*(np.log10(ha/hb)-np.log10(2.86))
    if av > 6.:
        av = 0.
    return av
```

Extinction: practically...

1. Calculate Av_a and Av_b



Extinction: practically...

1. Calculate A_{v_a} and A_{v_b}

$av1 = 0.8136172$

$av2 = 0.8167424$

$av3 = 1.271163$

$av4 = 1.278603$

$ha_l = 6562.8$

$hb_l = 4861.3$

$A_{v_a} = (av1 - av2) / (6570. - 6550.) * (ha_l - 6550.) + av2$

$A_{v_b} = (av3 - av4) / (4870. - 4850.) * (hb_l - 4850.) + av4$

$kfile = 'J036_DATACUBE_FINAL_v1_ec_eo_res_gau_spax_noflag.fits'$

Extinction: practically...

```
hdukin = fits.open(kfile)
k_head = hdukin[0].header
k_cube = hdukin[0].data
nx = k_head["NAXIS1"]
ny = k_head["NAXIS2"]
Ha_mat = k_cube[3,:,:]
Hb_mat = k_cube[6,:,:]
av_mat = np.zeros([ny,nx])
for _x in range(nx):
    for _y in range(ny):
        if (Ha_mat[_y,_x] > 0.0 and Hb_mat[_y,_x] > 0.0):
            av_mat[_y,_x] = Av_func(Ha_mat[_y,_x],Hb_mat[_y,_x])
        if av_mat[_y,_x] < 0.:
            av_mat[_y,_x] = 0.0
```

Extinction: practically...

```
newheader = k_head.copy()  
del newheader[5:19]  
del newheader[19:]  
newheader["NAXIS"] = 2  
newheader["COMMENT"] = "Extinction map for the galaxy J036"  
newheader["COMMENT"] = "Made with the routine av.py"  
hdu_ext = fits.PrimaryHDU(av_mat, header=newheader)  
hdu_ext.writeto("ext_map.fits")
```

SFR: practically...

Use the A_V macro and just add what you need
to calculate the SFR

```
def sfr_func(ha):  
    sfr = 4.*np.pi*(dist*mpc2cm)**2*ha*4.6e-42*1e-20  
    return sfr  
  
## define constants  
dist = "put here the value of the distance of the galaxy"  
mpc2cm = 3.0856775815E+24
```

SFR: practically...

```
if Ha_mat[_y,_x] > 0.0 :  
    Ha_corr = Ha_mat[_y,_x]*10**(0.4*av_mat[_y,_x]*Av_a)  
    sfr_map[_y,_x] = sfr_func(Ha_corr)  
else:  
    sfr_map[_y,_x] = -999.
```

Electron density calculation

It is possible to calculate the electron density from the two [SII] lines, in the hypothesis of $T_{\text{GAS}}=10.000$ K

$$n_e = 0.0543 \cdot \tan(-3.0553 \times R + 2.8506) + 6.98 \\ - 10.6905 \times R + 9.9186 \times R^2 - 3.5422 \times R^3)$$

Where: $R = F_{6714}/F_{6731}$

This is valid in the range $0.4 < R < 1.435$

$Q(e^-)$: practically...

1. write a function that calculates the electron density;
2. read the two [SII] line fluxes

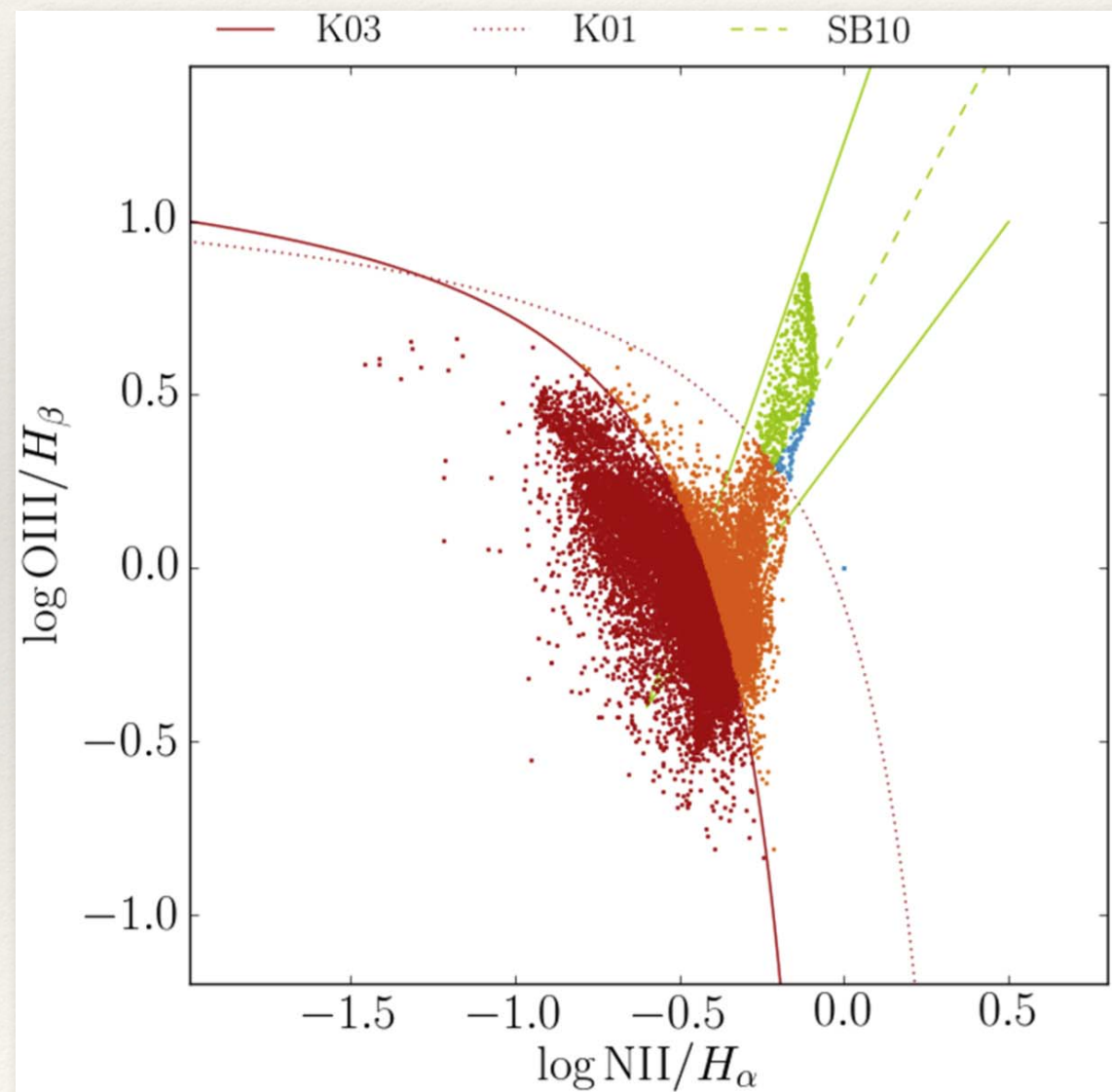
```
def edens(R):  
    if R < 0.4:  
        R = 0.4  
    if R > 1.435:  
        R = 1.435  
    rho = 0.0543*np.tan(-3.0553*R+2.8506)+6.98-10.6905*R+  
          9.9186*R**2-3.5422*R**3  
    return rho
```

Diagnostic diagrams

- ❖ Emission lines are powered by ionizing photons;
- ❖ these are produced by a variety of mechanisms and sources (massive stars, AGN, hot evolved stars);
- ❖ shocks, thermal heating might be as well responsible for line ionization;
- ❖ diagnostic diagrams (or BPT, from Baldwin, Phillips & Terlevich 1981) use line ratios to disentangle different ionizing mechanisms.

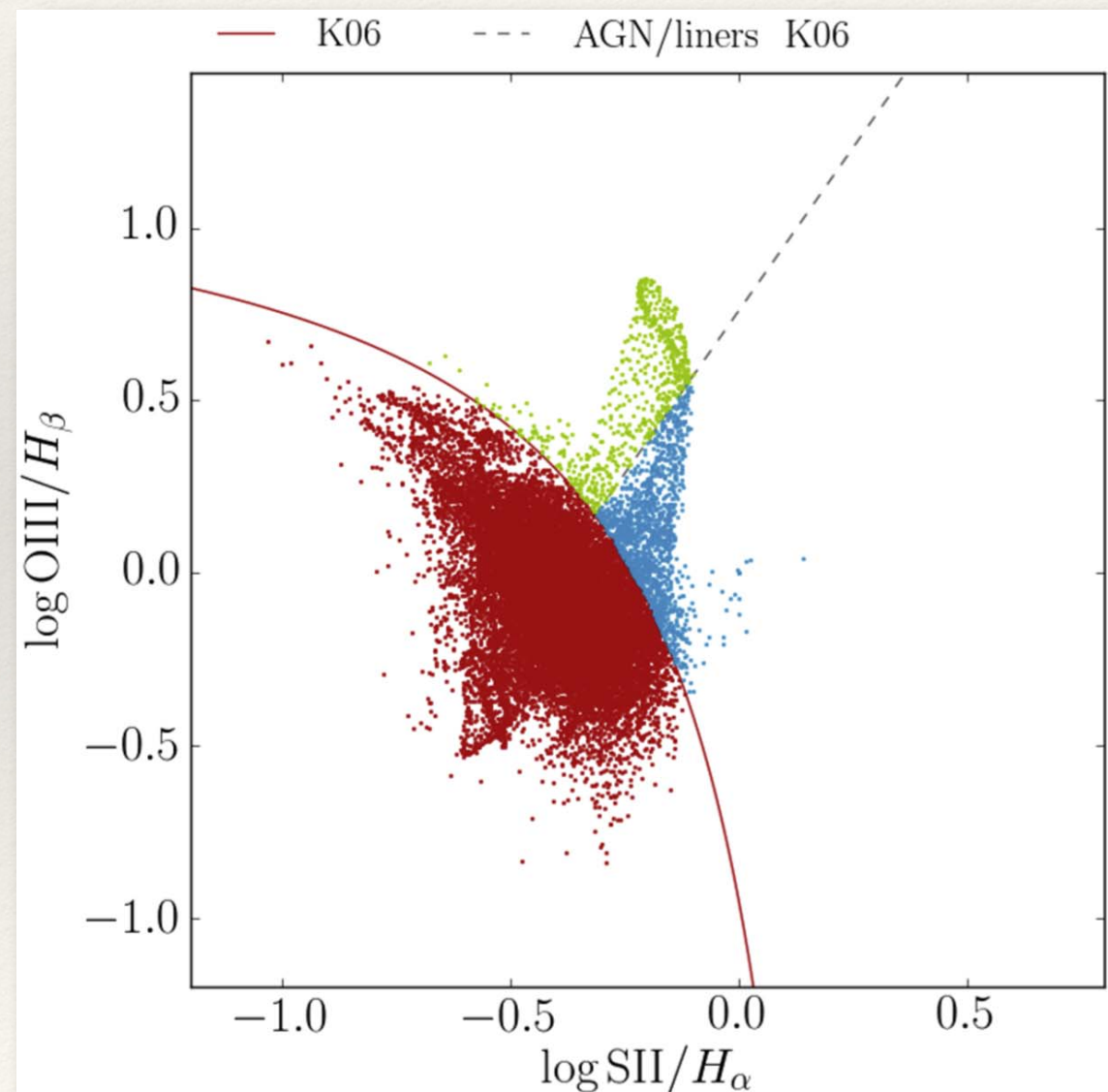
BPT 1

[NII] @ 6583 Å



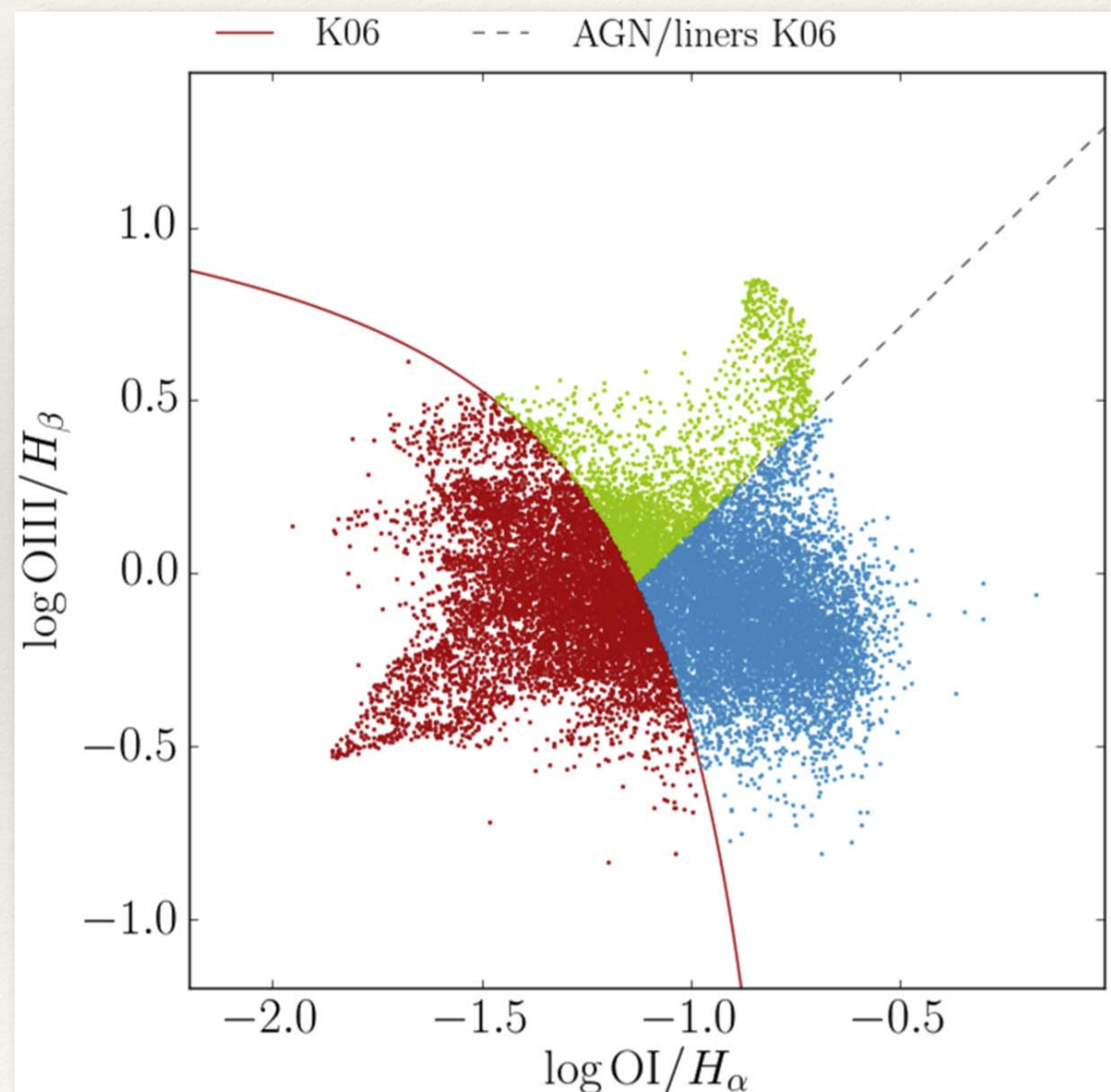
BPT 2

[SII] @ 6714+6731 Å



BPT 3

[OI] @ 6300 Å



BPT: practically...

```
import numpy as np
from astropy.io import fits
import pyregion
import matplotlib.pyplot as plt
from matplotlib import rc, rcParams

def f_k03(x):
    return ((0.61/(x-0.05))+1.3)

def f_k01(x):
    return ((0.61/(x-0.47))+1.19)

def f_s10(x):
    return (-0.4-1.5)/(-0.6-0.46)*(x-.46)+1.5
```

BPT: practically...

```
xk03=np.arange(-2., 0.04, 0.01)
xk01=np.arange(-2., 0.46, 0.01)
xs10=np.arange(-0.65, 0.5, 0.01)
k03=f_k03(xk03)
k01=f_k01(xk01)
s10=f_s10(xs10)
```

Kauffman

Kauffman

```
kfile = 'filename_in_KINEMATICS/'
hdukin = fits.open(kfile)
k_head = hdukin[0].header
k_cube = hdukin[0].data
nx = k_head["NAXIS1"]
ny = k_head["NAXIS2"]
size = (ny,nx)
```

BPT: practically...

```
Ha = k_cube[3,:,:]
Hb = k_cube[6,:,:]
NIIr = k_cube[5,:,:]
OIII = k_cube[8,:,:]
source = pyregion.open("diag3.reg")
mask = source.get_mask(shape=size)
x_rat1 = []
y_rat1 = []
x_rat2 = []
y_rat2 = []
x_rat3 = []
y_rat3 = []
x_rat4 = []
y_rat4 = []
```

BPT: practically...

```
NII_dia = np.zeros([ny,nx])
for n in range(nx):
    for i in range(ny):
        if mask[i,n] == True:
            if Ha[i,n] * Hb[i,n] * OIII[i,n] * NIIR[i,n] > 0.:
                xrat = 0.0
                yrat = 0.0
                xrat = np.log10(NIIR[i,n]/Ha[i,n])
                yrat = np.log10(OIII[i,n]/Hb[i,n])
                cond1=((xrat<0.05) and (yrat<f_k03(xrat)))
                cond3=((xrat<0.47) and (yrat>f_k01(xrat))
                        and (yrat>f_s10(xrat)))
                cond4=((xrat<0.47) and (yrat>f_k01(xrat))
                        and (yrat<f_s10(xrat)))
                cond2=((~cond1) and (~cond3) and (~cond4))
```

BPT: practically...

```
if cond1 == True:
    x_rat1.append(xrat)
    y_rat1.append(yrat)
    NII_dia[i,n] = 1
if cond3 == True:
    x_rat3.append(xrat)
    y_rat3.append(yrat)
    NII_dia[i,n] = 2
if cond4 == True:
    x_rat4.append(xrat)
    y_rat4.append(yrat)
    NII_dia[i,n] = 3
if cond2 == True:
    x_rat2.append(xrat)
    y_rat2.append(yrat)
    NII_dia[i,n] = 4
```

BPT: practically...

```
plt.plot(x_rat1, y_rat1, 'ro', color='red')
plt.plot(x_rat2, y_rat2, 'ro', color='orange')
plt.plot(x_rat3, y_rat3, 'ro', color='blue')
plt.plot(x_rat4, y_rat4, 'ro', color='green')
plt.plot(xk03, k03, linestyle='-', color='blue')
plt.plot(xk01, k01, linestyle=':', color='black', linewidth=4)
plt.plot(xs10, s10, linestyle='--', color='green', linewidth=3)
plt.xlabel(r' $\log([NII]/H\alpha)$ ', fontsize=16)
plt.ylabel(r' $\log([OIII]/H\beta)$ ', fontsize=16)
plt.xlim(-1, 0.4)
plt.ylim(-1.15, 1.)
```


END OF THE COURSE

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...OR NOT...?