

$$d_c \coloneqq 120\text{ }\textcolor{blue}{mm}$$

$$div \coloneqq 500$$

$$d_l \coloneqq 10\text{ }\textcolor{blue}{mm}$$

$$R \coloneqq \frac{d_c}{2}$$

$$r \coloneqq \frac{d_l}{2}$$

$$H \coloneqq \sqrt{R^2-r^2} = 59.791\text{ }\textcolor{blue}{mm}$$

$$S_{A2x} \coloneqq \int\limits_{\overset{0}{R-r}}^Hy \cdot \left(\sqrt{R^2-y^2}-r\right) \mathrm{d} y = 63020.811\text{ }\textcolor{blue}{mm}^3$$

$$A_2 \coloneqq \int\limits_0^{\overset{R-r}{}} \left(\sqrt{R^2-y^2}-r\right) \mathrm{d} y = 2471.812\text{ }\textcolor{blue}{mm}^2$$

$$y_{G2} \coloneqq \frac{S_{A2x}}{A_2} = 25.496\text{ }\textcolor{blue}{mm}$$

$$h \coloneqq 6\text{ }\textcolor{blue}{mm}$$

$$AI \coloneqq \frac{1}{4} \cdot \frac{\textcolor{brown}{\pi} \cdot d_c^2}{4} = \left(2.827 \cdot 10^3\right)\text{ }\textcolor{blue}{mm}^2$$

$$AII \coloneqq \frac{d_l}{2} \cdot h = 30\text{ }\textcolor{blue}{mm}^2$$

$$AIII \coloneqq \frac{1}{2} \cdot \frac{d_l}{2} \cdot \frac{d_l}{2} \cdot \tan\left(30\text{ }\textcolor{blue}{deg}\right) = 7.217\text{ }\textcolor{blue}{mm}^2$$

$$A_1 \coloneqq AI-AII-AIII = 2790.217\text{ }\textcolor{blue}{mm}^2$$

$$y_{GI} \coloneqq \frac{2}{3} \cdot \frac{d_c}{\textcolor{brown}{\pi}} = 25.465\text{ }\textcolor{blue}{mm}$$

$$y_{GII} \coloneqq \frac{h}{2} = 3\text{ }\textcolor{blue}{mm}$$

$$y_{GIII} \coloneqq h + \frac{d_l}{2} \cdot \tan\left(30\text{ }\textcolor{blue}{deg}\right) \cdot \frac{1}{3} = 6.962\text{ }\textcolor{blue}{mm}$$

$$y_{G1} \coloneqq \frac{y_{GI} \cdot AI - y_{GII} \cdot AII - y_{GIII} \cdot AIII}{A_1} = 25.754\text{ }\textcolor{blue}{mm}$$

$$y_{pG} \coloneqq \frac{A_2 \cdot \left(y_{G1} + y_{G2}\right)}{A_1 + A_2} = 24.074\text{ }\textcolor{blue}{mm}$$

$$y_G \coloneqq y_{G1} - y_{pG} = 1.68\text{ }\textcolor{blue}{mm}$$

$$J_{A2n} \coloneqq 2 \cdot \int\limits_0^{H+y_G} y^2 \cdot \left(\sqrt{R^2-\left(y-y_G\right)^2}-r\right) \mathrm{d} y = \left(4.81 \cdot 10^6\right)\text{ }\textcolor{blue}{mm}^4$$

$$J_{A1pn} \coloneqq 2 \cdot \int\limits_0^{R-y_G} y^2 \cdot \left(\sqrt{R^2-\left(y+y_G\right)^2}-r\right) \mathrm{d} y = \left(3.96 \cdot 10^6\right)\text{ }\textcolor{blue}{mm}^4$$

$$J_{rn} \coloneqq \frac{d_l \cdot \left(h-y_G\right)^3}{12} + \left(h-y_G\right) \cdot d_l \cdot \left(\frac{h-y_G}{2}\right)^2 = 268.783\text{ }\textcolor{blue}{mm}^4$$

$$J_{Tn} \coloneqq \frac{d_l \cdot \left(r \cdot \tan\left(30\text{ }\textcolor{blue}{deg}\right)\right)^3}{36} + \frac{d_l \cdot r \cdot \tan\left(30\text{ }\textcolor{blue}{deg}\right)}{2} \cdot \left(\frac{r \cdot \tan\left(30\text{ }\textcolor{blue}{deg}\right)}{3} + \left(h-y_G\right)\right)^2 = 409.452\text{ }\textcolor{blue}{mm}^4$$

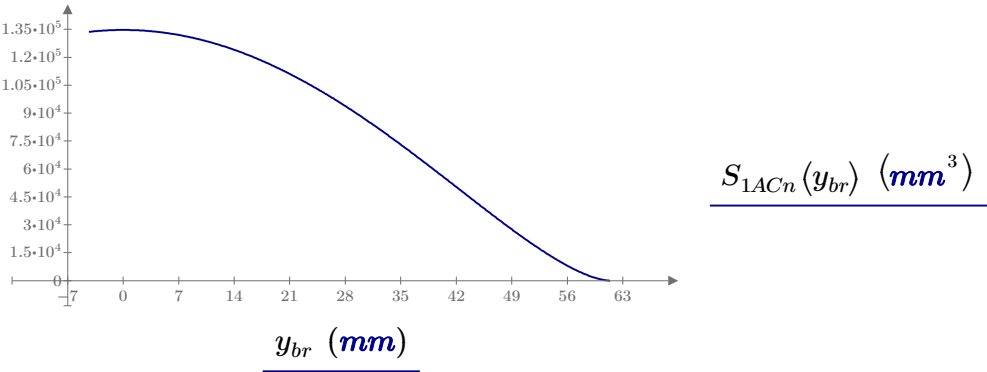
$$J_{ACn} \coloneqq J_{A2n} + J_{A1pn} - J_{rn} - J_{Tn} = \left(8.769 \cdot 10^6\right)\text{ }\textcolor{blue}{mm}^4$$

$$J_{XX}:=\frac{\pi\cdot d_c^4}{64}=\left(1.018\cdot 10^7\right)\textcolor{blue}{mm}^4$$

$$p:=100\cdot \frac{J_{XX}-J_{ACn}}{J_{XX}}=13.846$$

$$y_{br}:= -\left\langle h-y_G\right\rangle,-\left\langle h-y_G\right\rangle+\frac{H+y_G-\left\langle h-y_G\right\rangle}{div}..H+y_G$$

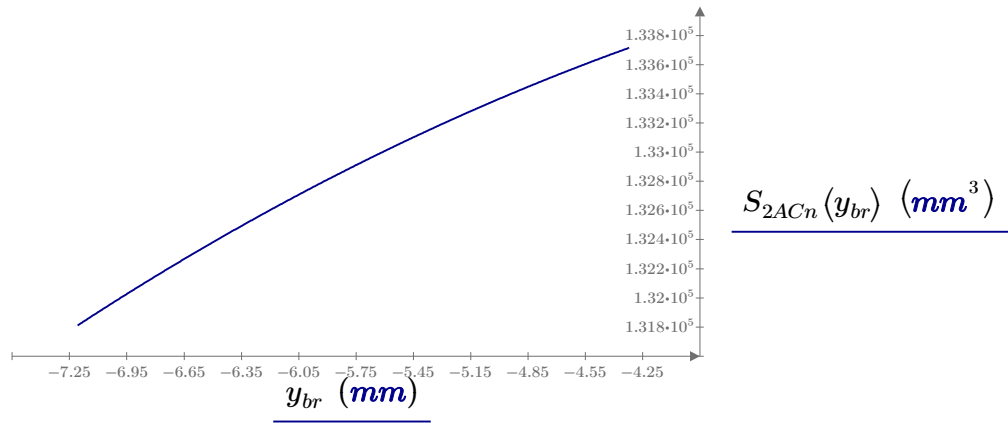
$$S_{1ACn}\left(y_{br}\right):=2\cdot \int\limits_{y_{br}}^{H+y_G}y\cdot \left(\sqrt{R^2-\left\langle y-y_G\right\rangle^2}-r\right)\mathrm{d}y$$



$$S_{1ACn}(0)=\left(1.347\cdot 10^5\right)\textcolor{blue}{mm}^3$$

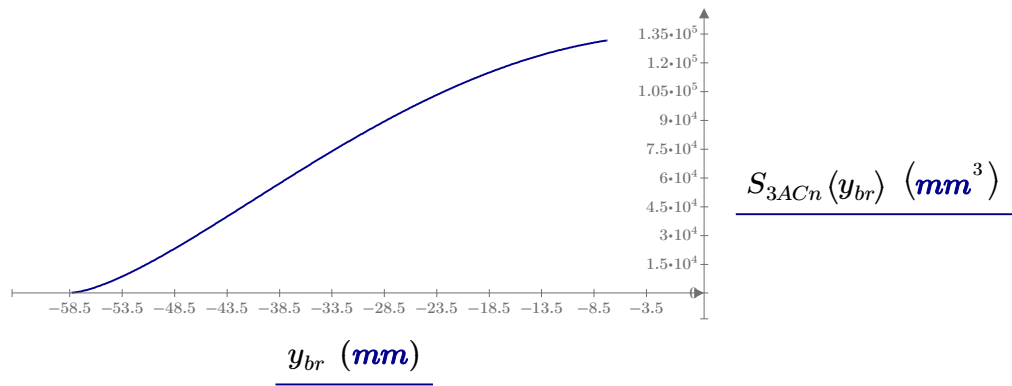
$$y_{br}:= -\left\langle \left(h-y_G\right)+r\cdot \tan\left(30\textcolor{blue}{deg}\right)\right\rangle,-\left\langle \left(h-y_G\right)+r\cdot \tan\left(30\textcolor{blue}{deg}\right)\right\rangle+\frac{-\left(h-y_G\right)+\left\langle \left(h-y_G\right)+r\cdot \tan\left(30\textcolor{blue}{deg}\right)\right\rangle}{div}..\left(h-y_G\right)$$

$$S_{2ACn}\left(y_{br}\right):=2\cdot \int\limits_{-\left(h-y_G\right)}^{H+y_G}y\cdot \left(\sqrt{R^2-\left\langle y-y_G\right\rangle^2}-r\right)\mathrm{d}y+2\cdot \int\limits_{-y_{br}}^{-\left(h-y_G\right)}y\cdot \left(\sqrt{R^2-\left\langle |y|+y_G\right\rangle^2}-r+\frac{|y|-\left\langle h-y_G\right\rangle}{\tan\left(30\textcolor{blue}{deg}\right)}\right)\mathrm{d}y$$



$$y_{br}:= -\left\langle R-y_G\right\rangle,-\left\langle R-y_G\right\rangle+\frac{-r\cdot \tan\left(30\textcolor{blue}{deg}\right)-\left\langle h-y_G\right\rangle+\left\langle R-y_G\right\rangle}{div}..-r\cdot \tan\left(30\textcolor{blue}{deg}\right)-\left\langle h-y_G\right\rangle$$

$$S_{3ACn}\left(y_{br}\right):=2\cdot \int\limits_{-\left(h-y_G\right)}^{H+y_G}y\cdot \left(\sqrt{R^2-\left\langle y-y_G\right\rangle^2}-r\right)\mathrm{d}y+2\cdot \int\limits_{-\left\langle \left(h-y_G\right)+r\cdot \tan\left(30\textcolor{blue}{deg}\right)\right\rangle}^{-\left(h-y_G\right)}y\cdot \left(\sqrt{R^2-\left\langle |y|+y_G\right\rangle^2}-r+\frac{|y|-\left\langle h-y_G\right\rangle}{\tan\left(30\textcolor{blue}{deg}\right)}\right)\mathrm{d}y+2\cdot \int\limits_{-y_{br}}^{-\left\langle \left(h-y_G\right)+r\cdot \tan\left(30\textcolor{blue}{deg}\right)\right\rangle}y\cdot \left(\sqrt{R^2-\left\langle |y|+y_G\right\rangle^2}\right)\mathrm{d}y$$



$$S_{3ACn}\left(R-y_G\right)=185.792\text{ }\textcolor{blue}{mm}^3$$

$$S_{3ACn}\left(0\right)=\left(1.349\cdot10^5\right)\text{ }\textcolor{blue}{mm}^3$$

$$\frac{S_{3ACn}\left(R-y_G\right)}{S_{3ACn}\left(0\right)}\cdot100=0.138$$

Calcolo del taglio

$$G_u:=55000\text{ }\textcolor{blue}{kgf}$$

$$G_i:=227\text{ }\textcolor{blue}{kgf}$$

$$G_g:=180\text{ }\textcolor{blue}{kgf}$$

$$l:=257\text{ }\textcolor{blue}{mm}$$

$$l_p:=\left(84\text{ }\textcolor{blue}{mm}-13\text{ }\textcolor{blue}{mm}\right)\cdot3=213\text{ }\textcolor{blue}{mm}$$

$$q:=\frac{G_u+G_i+G_g}{l_p}=260.127\frac{\text{ }\textcolor{blue}{kgf}}{\textcolor{blue}{mm}}$$

$$q_S:=\frac{G_u+G_i+G_g}{l}=215.591\frac{\text{ }\textcolor{blue}{kgf}}{\textcolor{blue}{mm}}$$

$$\frac{q-q_S}{q}\cdot100=17.121$$

$$a:=70\text{ }\textcolor{blue}{mm}$$

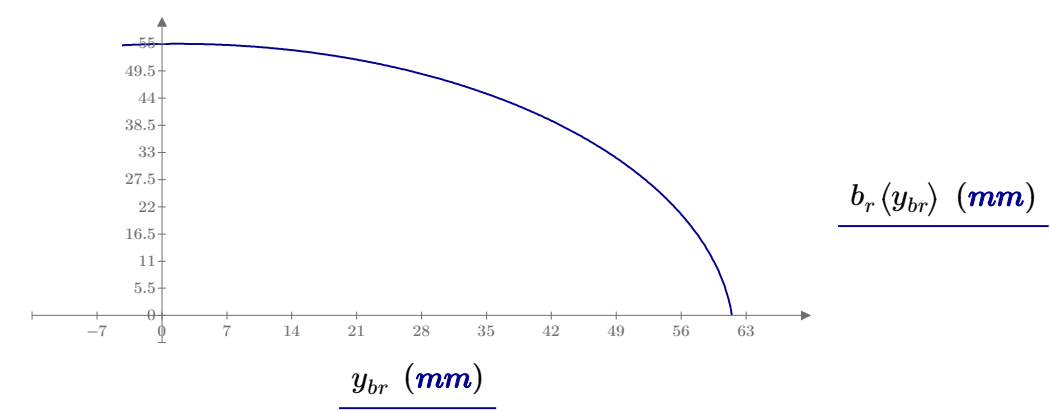
$$q_p:=\frac{q\cdot l}{2\text{ }\textcolor{blue}{a}}=477.518\frac{\text{ }\textcolor{blue}{kgf}}{\textcolor{blue}{mm}}$$

$$f:=43.25\text{ }\textcolor{blue}{mm}$$

$$T_{AA}:=q_p\cdot a-q\cdot f=\left(2.218\cdot10^4\right)\text{ }\textcolor{blue}{kgf}$$

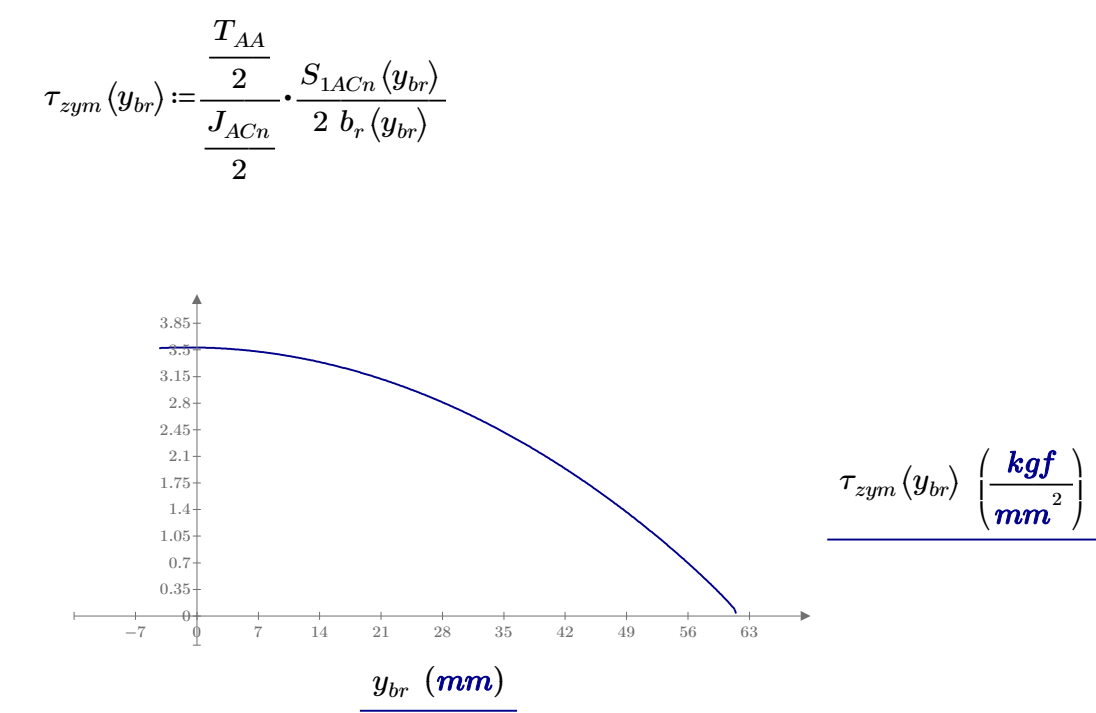
$$y_{br}:= -\left(h-y_G\right),-\left(h-y_G\right)+\frac{H+y_G+\left(h-y_G\right)}{div}..H+y_G$$

$$b_r\left(y_{br}\right):=\sqrt{R^2-\left(y_{br}-y_G\right)^2}-r$$



$$b_r\left(y_G\right)=55\text{ }\textcolor{blue}{mm}$$

$$S_{1ACn}\left(y_{br}\right):=2\cdot\int\limits_{y_{br}}^{H+y_G}y\cdot\left(\sqrt{R^2-\left(y-y_G\right)^2}\right)dy$$



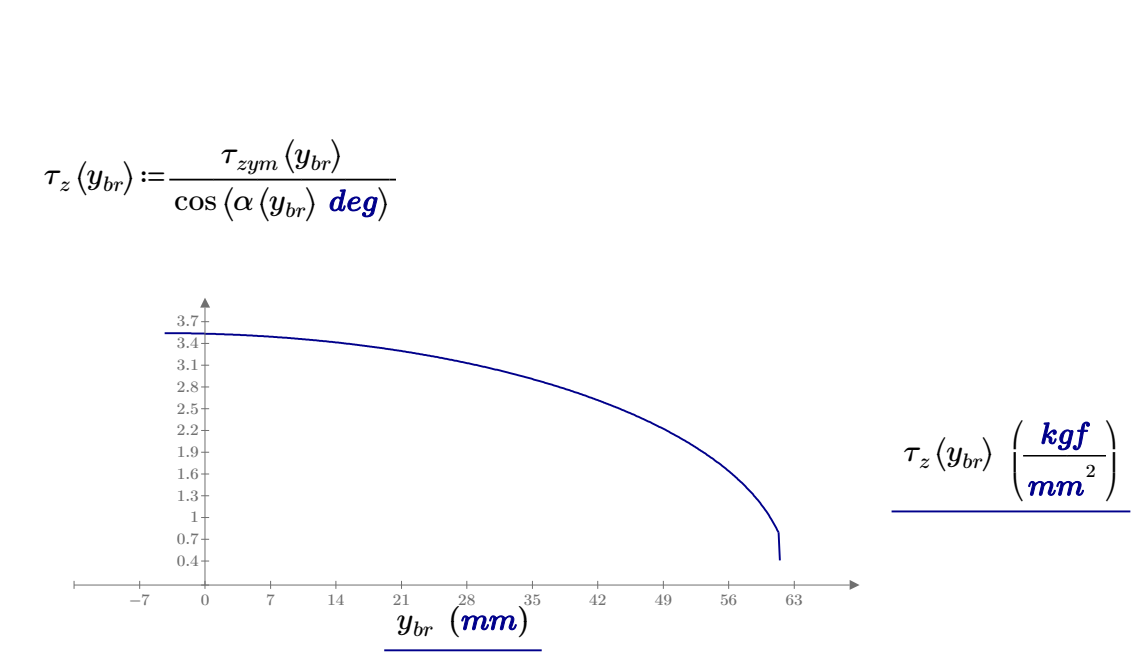
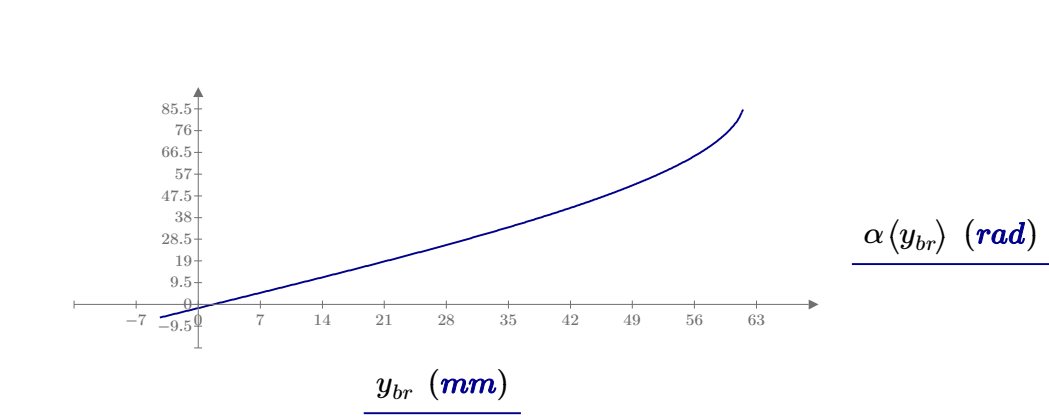
In corrispondenza dell'asse neutro

$$\tau_{zym}(0) = 3.532 \, \frac{\text{kgf}}{\text{mm}^2}$$

$$\tau_m := \frac{T_{AA}}{2 \cdot (A_1 + A_2)} = 2.107 \, \frac{\text{kgf}}{\text{mm}^2}$$

$$\alpha(y_{br}) := \frac{180}{\pi} \cdot \text{atan} \left(\frac{y_{br} - y_G}{b_r(y_{br}) + r} \right)$$

$$\alpha(y_G) = 0$$



$$\tau_z(0) = 3.534 \, \frac{\text{kgf}}{\text{mm}^2} \qquad \tau_z(-\langle h - y_G \rangle) = 3.542 \, \frac{\text{kgf}}{\text{mm}^2}$$

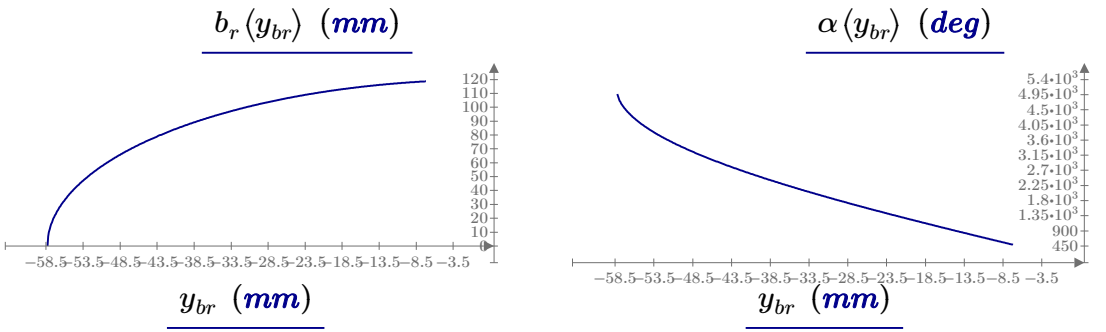
Valuto le tensioni ti taglio nel tratto di generatrice conica

$$y_{br} := -r \cdot \tan(30 \text{ deg}) - \langle h - y_G \rangle, -r \cdot \tan(30 \text{ deg}) - \langle h - y_G \rangle + \frac{r \cdot \tan(30 \text{ deg})}{\sin \alpha} \dots - \langle h - y_G \rangle$$

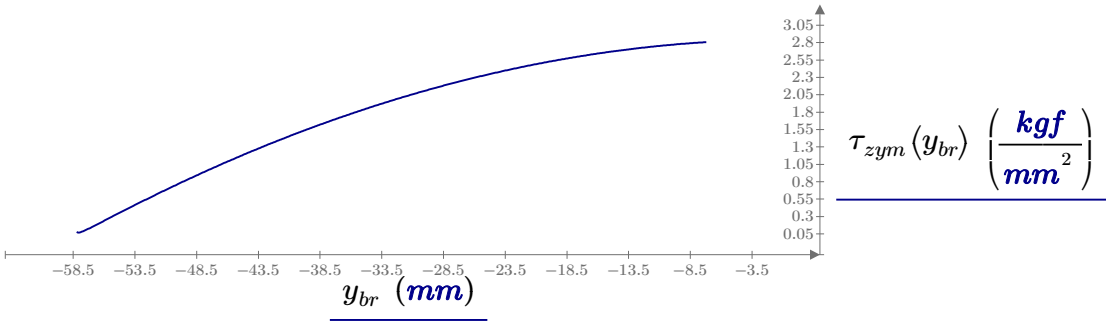
$$y_{br}:=y_G-R,y_G-R+\frac{R-h-r\cdot\tan\left(30\textcolor{blue}{deg}\right)}{div}..\left(h-y_G\right)-r\cdot\tan\left(30\textcolor{blue}{deg}\right)$$

$$b_r\left(y_{br}\right):=2\cdot\sqrt{R^2-\left(\left|y_{br}\right|+y_G\right)^2}$$

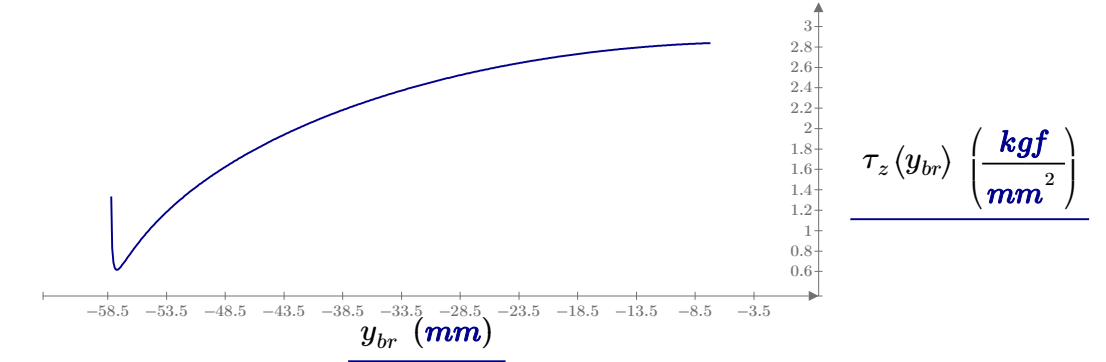
$$\alpha\left(y_{br}\right):=\frac{180}{\textcolor{brown}{\pi}}\operatorname{atan}\left(\left|\frac{\left|y_{br}\right|+y_G}{\frac{b_r\left(y_{br}\right)}{2}}\right|\right)$$



$$\tau_{zym}\left(y_{br}\right):=\frac{T_{AA}}{J_{ACn}}\cdot\frac{S_{3ACn}\left(y_{br}\right)}{b_r\left(y_{br}\right)}$$



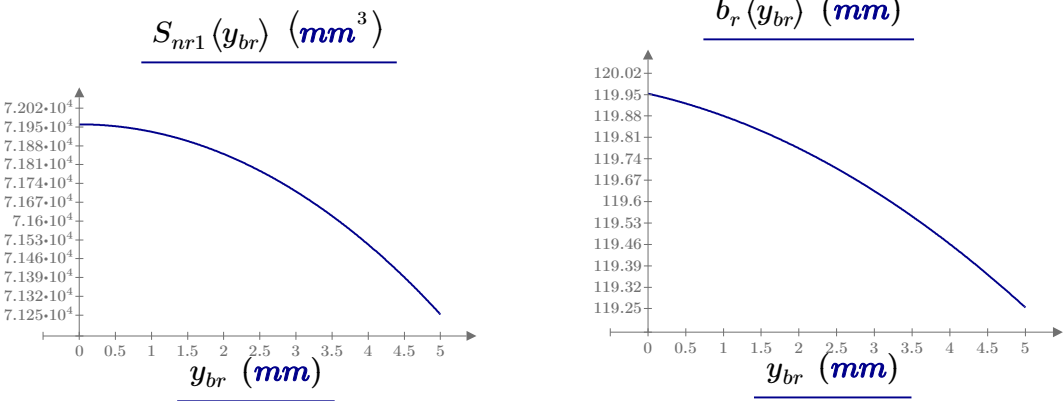
$$\tau_z\left(y_{br}\right):=\frac{\tau_{zym}\left(y_{br}\right)}{\cos\left(\alpha\left(y_{br}\right)\cdot\textcolor{blue}{deg}\right)}$$



$$y_{br}:=0,\frac{r}{div}..r$$

$$S_{nr1}\left(y_{br}\right):=\int\limits_{y_{br}}^ry\cdot\left(\sqrt{R^2-y^2}-\sqrt{r^2-y^2}\right)\mathrm{d}y+\int\limits_r^Ry\cdot\sqrt{R^2-y^2}\,\mathrm{d}y$$

$$b_{r1}\left(y_{br}\right):=\sqrt{R^2-y_{br}^2}-\sqrt{r^2-y_{br}^2}$$



$$b_{r1}\left(0\text{ }\textcolor{blue}{mm}\right)=55\text{ }\textcolor{blue}{mm}\qquad S_{nr1}\left(0\text{ }\textcolor{blue}{mm}\right)=\left(7.196\cdot10^4\right)\text{ }\textcolor{blue}{mm}^3$$

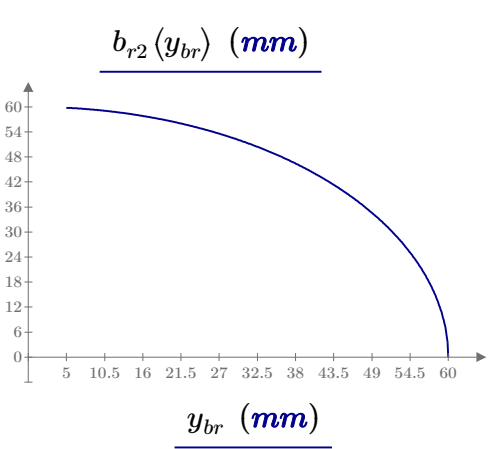
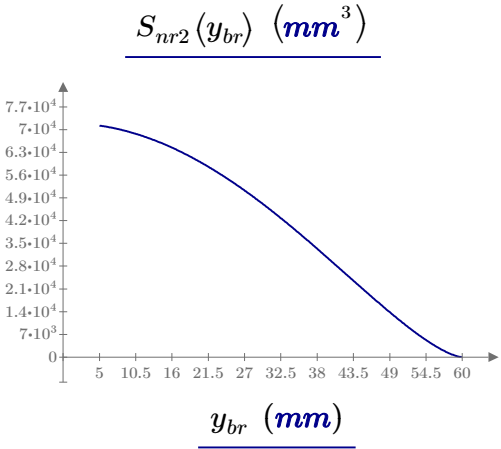
$$b_{r1}\left(r\right)=59.791\text{ }\textcolor{blue}{mm}\qquad S_{nr1}\left(r\right)=\left(7.125\cdot10^4\right)\text{ }\textcolor{blue}{mm}^3$$

$$r_{br}:=r, r+\frac{R-r}{div} \dots r-\frac{r}{div}$$

$$y_{br}:=r, r+\frac{R-r}{div} \dots R$$

$$S_{nr2}(y_{br}) := \int\limits_{y_{br}}^R y \cdot \sqrt{R^2 - y^2} \; \mathrm{d} y$$

$$b_{r2}(y_{br}) := \sqrt{R^2 - y_{br}^2}$$



$$b_{r2}(r)=59.791 \text{ mm}$$

$$d_c=120 \text{ mm}$$

$$b_{r2}(R)=0 \text{ mm}$$

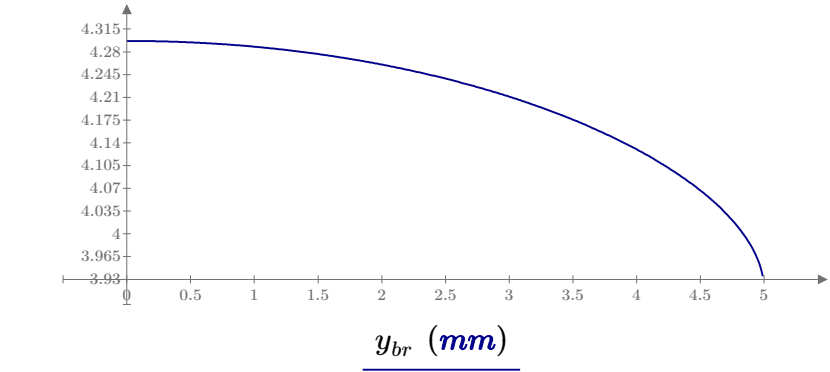
$$d_l=10 \text{ mm}$$

$$y_{br}:=0, \frac{r}{div} \dots r - \frac{r}{div}$$

$$T_{BB}:=q_p \cdot a = \left(3.343 \cdot 10^4\right) \text{ kgf}$$

$$J_{Bn}:=\frac{\pi}{64} \cdot \left(d_c^4 - d_l^4\right) = \left(1.018 \cdot 10^7\right) \text{ mm}^4$$

$$\tau_{zym}(y_{br}) := \frac{\frac{T_{BB}}{2}}{\frac{J_{Bn}}{2}} \cdot \frac{S_{nr1}(y_{br})}{b_{r1}(y_{br})}$$



$$\tau_{zym}(y_{br}) \left(\frac{\text{kgf}}{\text{mm}^2} \right)$$

$$\tau_{zym}(0 \text{ mm})=4.297 \frac{\text{kgf}}{\text{mm}^2}$$

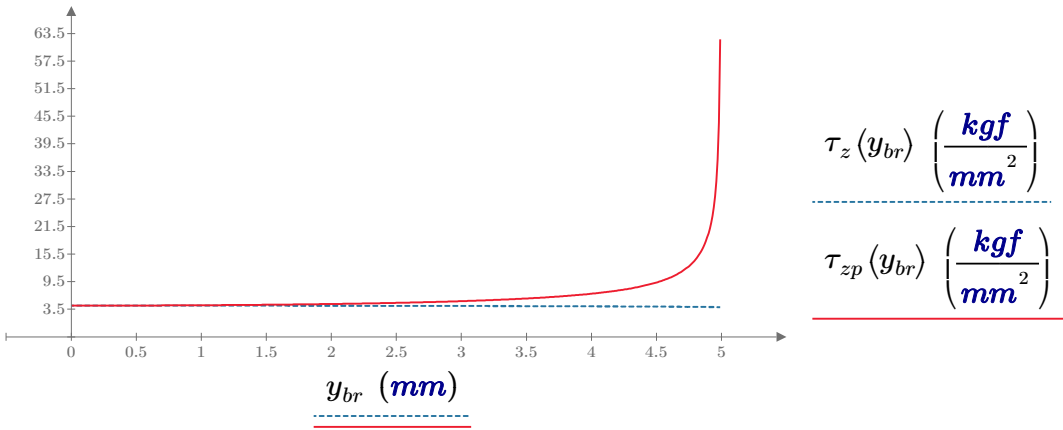
$$\tau_{zym}(r)=3.914 \frac{\text{kgf}}{\text{mm}^2}$$

$$\alpha \left(y_{br} \right) := \operatorname{atan} \left(\frac{y_{br}}{\sqrt{R^2 - y_{br}^2}} \right)$$

$$\alpha_p \left(y_{br} \right) := \operatorname{asin} \left(\frac{y_{br}}{r} \right)$$

$$\tau_z \left(y_{br} \right) := \frac{\frac{T_{BB}}{2}}{\frac{J_{Bn}}{2}} \cdot \frac{S_{nr1} \left(y_{br} \right)}{b_{r1} \left(y_{br} \right) \cdot \cos \left(\alpha \left(y_{br} \right) \right)}$$

$$\tau_{zp} \left(y_{br} \right) := \frac{\frac{T_{BB}}{2}}{\frac{J_{Bn}}{2}} \cdot \frac{S_{nr1} \left(y_{br} \right)}{b_{r1} \left(y_{br} \right) \cdot \cos \left(\alpha_p \left(y_{br} \right) \right)}$$



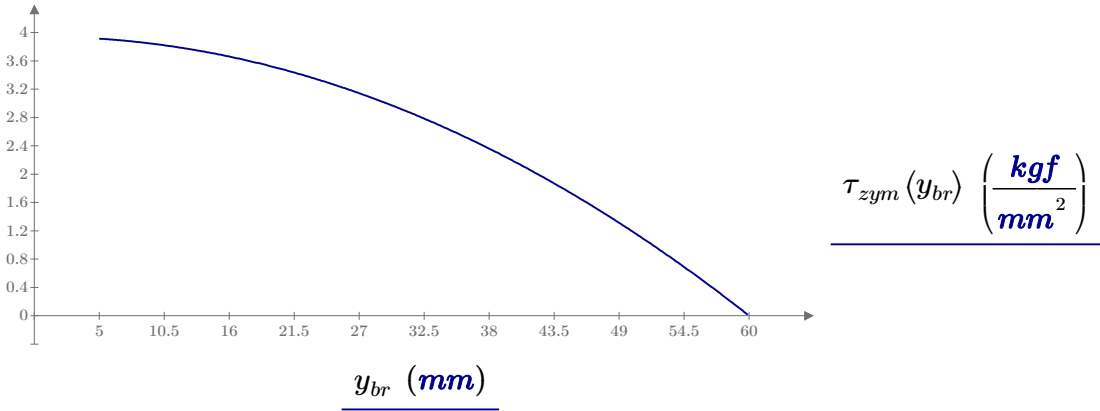
$$\tau_z (0 \text{ mm}) = 4.297 \frac{\textcolor{blue}{kgf}}{\textcolor{blue}{mm}^2}$$

$$\tau_{zp} (0 \text{ mm}) = 4.297 \frac{\textcolor{blue}{kgf}}{\textcolor{blue}{mm}^2}$$

$$\tau_z (r) = 3.927 \frac{\textcolor{blue}{kgf}}{\textcolor{blue}{mm}^2}$$

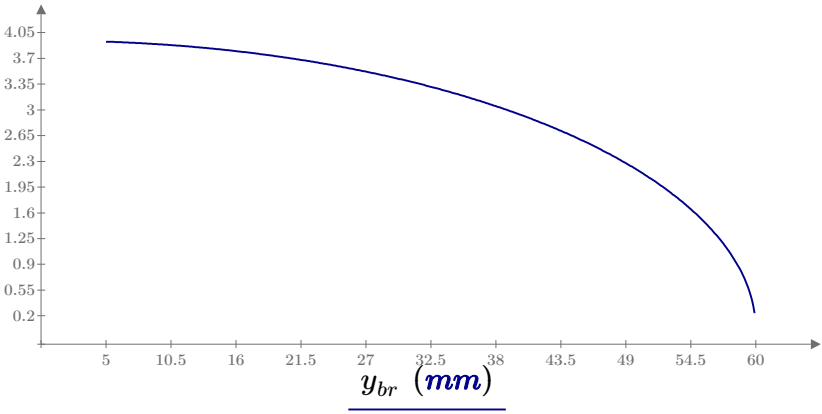
Sezione piena

$$y_{br} := r, r + \frac{R-r}{div} \dots R \qquad \tau_{zym} \left(y_{br} \right) := \frac{T_{BB}}{J_{Bn}} \cdot \frac{S_{nr2} \left(y_{br} \right)}{b_{r2} \left(y_{br} \right)}$$



$$\tau_{zym} (r) = 3.914 \frac{\textcolor{blue}{kgf}}{\textcolor{blue}{mm}^2} \qquad \tau_{zym} (R - 0.001 \text{ mm}) = \left(1.314 \cdot 10^{-4} \right) \frac{\textcolor{blue}{kgf}}{\textcolor{blue}{mm}^2}$$

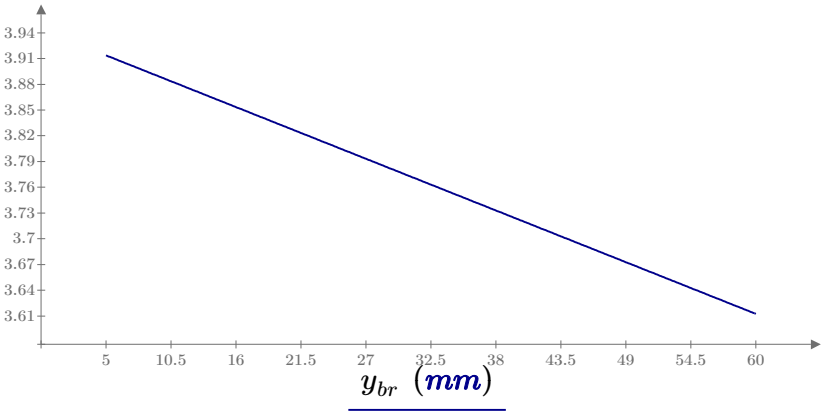
$$\tau_z \left(y_{br} \right) := \frac{T_{BB}}{J_{Bn}} \cdot \frac{S_{nr2} \left(y_{br} \right)}{b_{r2} \left(y_{br} \right) \cdot \cos \left(\alpha \left(y_{br} \right) \right)}$$



$$\tau_z \left(y_{br} \right) \left(\frac{\text{kgf}}{\text{mm}^2} \right)$$

$$\tau_z(r) = 3.927 \frac{\text{kgf}}{\text{mm}^2} \qquad \tau_z(R - 0.0001 \text{ mm}) = 0.007 \frac{\text{kgf}}{\text{mm}^2}$$

$$\tau_{zp} \left(y_{br} \right) := \tau_{zym} \left(0 \text{ mm} \right) - \frac{\left(\tau_{zym} \left(0 \text{ mm} \right) - \tau_{zym} \left(r \right) \right) \cdot y_{br}}{r}$$



$$\tau_{zp} \left(y_{br} \right) \left(\frac{\text{kgf}}{\text{mm}^2} \right)$$

$$\tau_{zym} \left(0 \text{ mm} \right) = 3.941 \frac{\text{kgf}}{\text{mm}^2} \qquad \tau_{zp} \left(0 \text{ mm} \right) = 3.941 \frac{\text{kgf}}{\text{mm}^2}$$

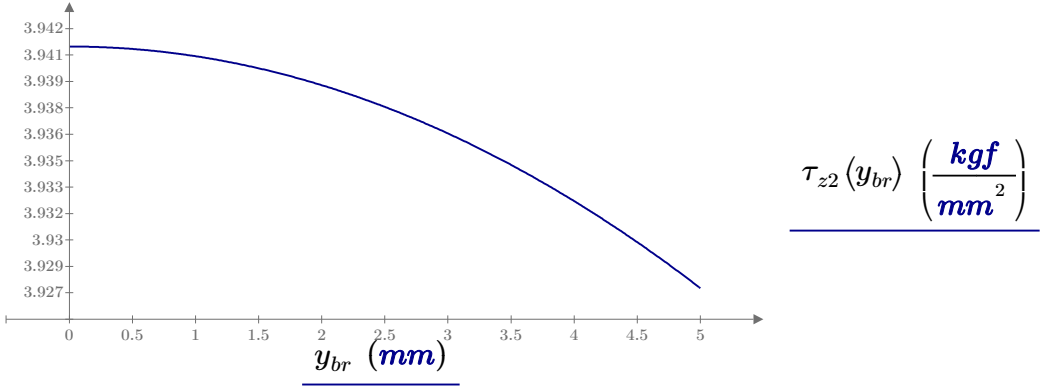
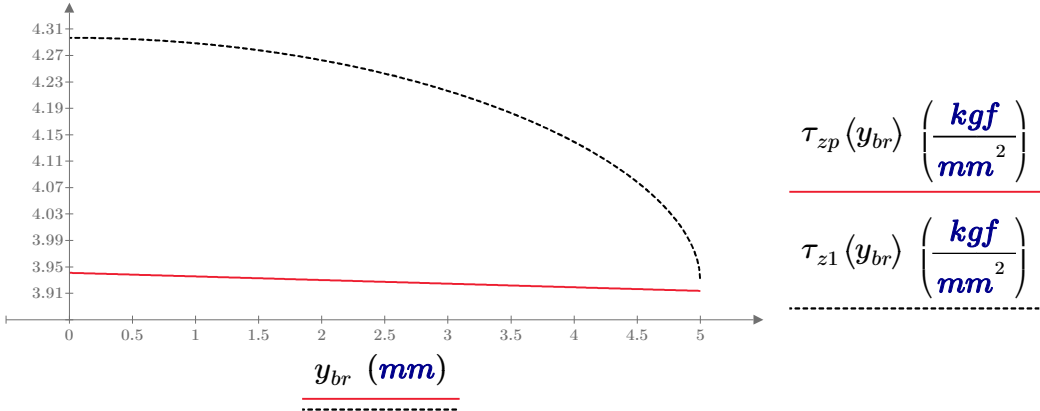
$$\tau_{zym} \left(r \right) = 3.914 \frac{\text{kgf}}{\text{mm}^2} \qquad \tau_{zp} \left(r \right) = 3.914 \frac{\text{kgf}}{\text{mm}^2}$$

$$y_{br} := 0, \frac{r}{div} \dots r$$

$$\alpha \left(y_{br} \right) := \operatorname{atan} \left(\frac{y_{br}}{\sqrt{R^2 - y_{br}^2}} \right)$$

$$\tau_{z1} \left(y_{br} \right) := \frac{\frac{T_{BB}}{2}}{\frac{J_{Bn}}{2}} \cdot \frac{S_{nr1} \left(y_{br} \right)}{b_{r1} \left(y_{br} \right) \cdot \cos \left(\alpha \left(y_{br} \right) \right)}$$

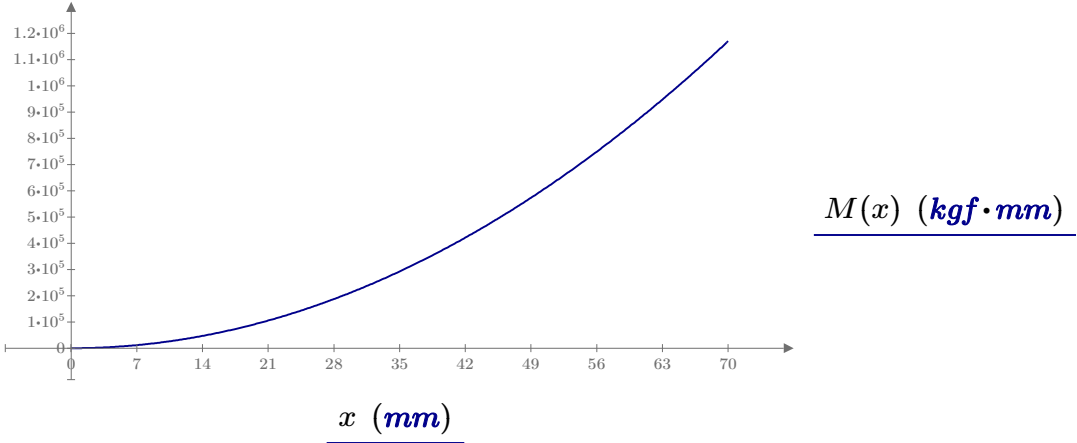
$$\tau_{z2} \left(y_{br} \right) := \frac{T_{BB}}{J_{Bn}} \cdot \frac{S_{nr2} \left(y_{br} \right)}{b_{r2} \left(y_{br} \right) \cdot \cos \left(\alpha \left(y_{br} \right) \right)}$$



Calcolo dei momenti flettenti

$$x := 0, \frac{a}{div} \dots a$$

$$M \left(x \right) := q_p \cdot x \cdot \frac{x}{2}$$

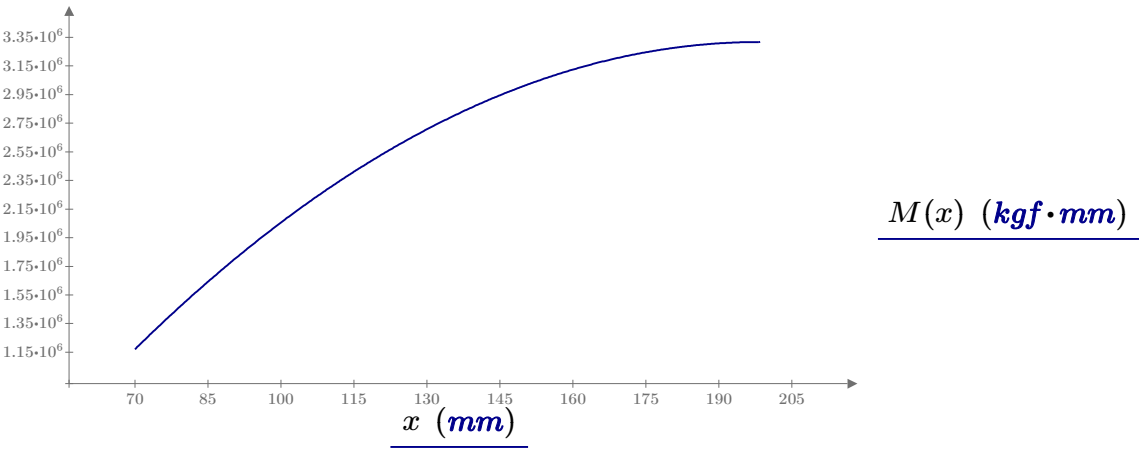


$$M(a)=\left(1.17\cdot 10^6\right)\text{ }\textcolor{blue}{kgf}\cdot\textcolor{blue}{mm}$$

$$x:=a,a+\frac{\frac{l}{2}}{div}..\frac{l}{2}+a$$

$$M(x):=q_p\cdot a\cdot \left(x-\frac{a}{2}\right)-q\cdot \frac{\left(x-a\right)^2}{2}$$

$$M(a)=\left(1.17\cdot 10^6\right)\text{ }\textcolor{blue}{kgf}\cdot\textcolor{blue}{mm}$$



$$M_{BB}:=M(a)=\left(1.17\cdot 10^6\right)\text{ }\textcolor{blue}{kgf}\cdot\textcolor{blue}{mm}$$

$$a=70\text{ }\textcolor{blue}{mm}$$

$$f=43.25\text{ }\textcolor{blue}{mm}$$

$$M_{AA}:=M(a+f)=\left(2.372\cdot 10^6\right)\text{ }\textcolor{blue}{kgf}\cdot\textcolor{blue}{mm}$$

$$M_{CC}:=M\left(a+\frac{l}{2}\right)=\left(3.318\cdot 10^6\right)\text{ }\textcolor{blue}{kgf}\cdot\textcolor{blue}{mm}$$

$$\sigma_{AAmax}:=\frac{\frac{M_{AA}}{\frac{J_{ACn}}{H+y_G}}}{\frac{J_{ACn}}{H+y_G}}=16.629\frac{\textcolor{blue}{kgf}}{\textcolor{blue}{mm}^2}$$

$$H+y_G=61.471\text{ }\textcolor{blue}{mm}$$

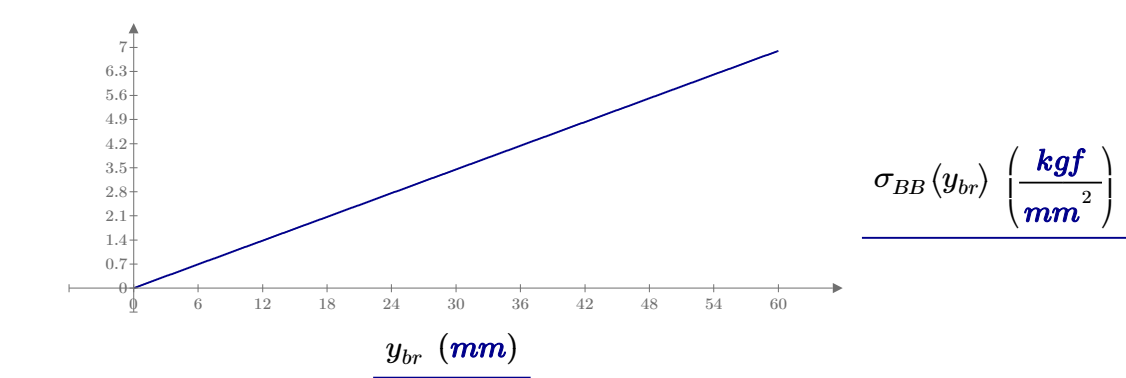
$$R-y_G=58.32\text{ }\textcolor{blue}{mm}$$

$$\sigma_{BBmax}:=\frac{\frac{M_{BB}}{\frac{J_{Bn}}{R}}}{\frac{J_{Bn}}{R}}=6.897\frac{\textcolor{blue}{kgf}}{\textcolor{blue}{mm}^2}$$

$$\sigma_{CCmax}:=\frac{\frac{M_{CC}}{\frac{J_{ACn}}{H+y_G}}}{\frac{J_{ACn}}{H+y_G}}=23.255\frac{\textcolor{blue}{kgf}}{\textcolor{blue}{mm}^2}$$

$$y_{br}:=0,\frac{R}{div}..R$$

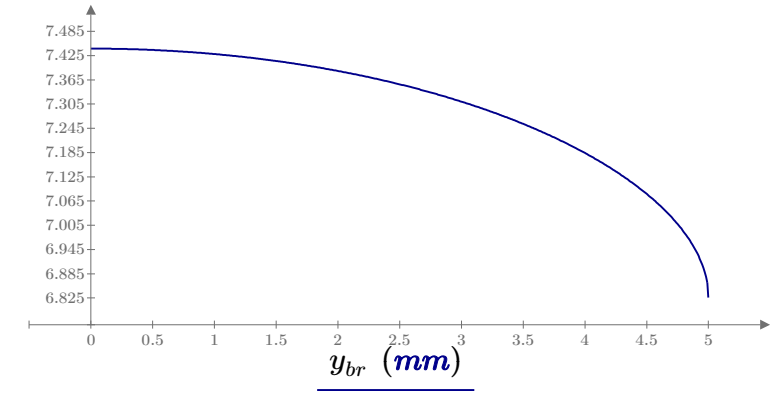
$$\sigma_{BB}\left(y_{br}\right):=\frac{M_{BB}\cdot y_{br}}{J_{Bn}}$$



$$\sigma_{1BBid}(y_{br}) := \sqrt{\sigma_{BB}(y_{br})^2 + 3 \cdot \tau_{z1}(y_{br})^2}$$

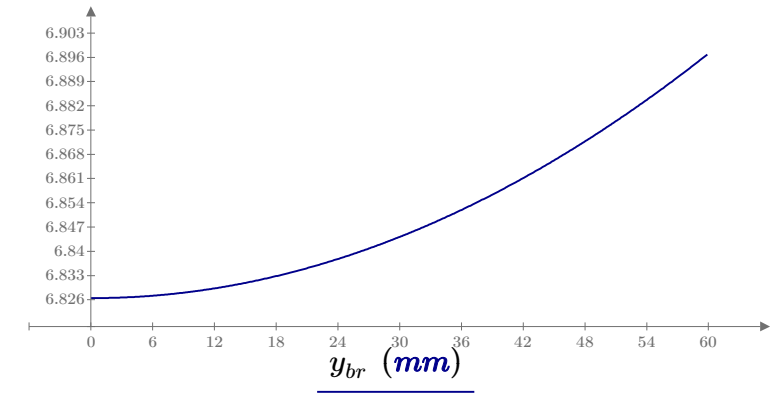
$$\sigma_{2BBid}(y_{br}) := \sqrt{\sigma_{BB}(y_{br})^2 + 3 \cdot \tau_{z2}(y_{br})^2}$$

$$y_{br} := 0, \frac{r}{div} \dots r$$



$$\sigma_{1BBid}(y_{br}) \left(\frac{\textcolor{blue}{kgf}}{\textcolor{blue}{mm}^2} \right)$$

$$y_{br} := 0, \frac{R}{div} \dots R$$



$$\sigma_{2BBid}(y_{br}) \left(\frac{\textcolor{blue}{kgf}}{\textcolor{blue}{mm}^2} \right)$$

$$\sigma_{1BBid}(0 \textcolor{blue}{mm}) = 7.442 \frac{\textcolor{blue}{kgf}}{\textcolor{blue}{mm}^2}$$

$$\sigma_{BB}(0 \textcolor{blue}{mm}) = 0 \frac{\textcolor{blue}{kgf}}{\textcolor{blue}{mm}^2}$$

$$\tau_{z1}(0 \textcolor{blue}{mm}) = 4.297 \frac{\textcolor{blue}{kgf}}{\textcolor{blue}{mm}^2}$$

$$\sigma_{1BBid}(r) = 6.826 \frac{\textcolor{blue}{kgf}}{\textcolor{blue}{mm}^2}$$

$$\sigma_{BB}(r) = 0.575 \frac{\textcolor{blue}{kgf}}{\textcolor{blue}{mm}^2}$$

$$\tau_{z1}(r) = 3.927 \frac{\textcolor{blue}{kgf}}{\textcolor{blue}{mm}^2}$$

$$\sigma_{2BBid}(R - 0.001 \textcolor{blue}{mm}) = 6.897 \frac{\textcolor{blue}{kgf}}{\textcolor{blue}{mm}^2}$$

$$\sigma_{BB}(R) = 6.897 \frac{\textcolor{blue}{kgf}}{\textcolor{blue}{mm}^2}$$

$$\tau_{z2}(R - 0.001 \textcolor{blue}{mm}) = 0.023 \frac{\textcolor{blue}{kgf}}{\textcolor{blue}{mm}^2}$$

$$\sigma_{2BBid}(r) = 6.826 \frac{\textcolor{blue}{kgf}}{\textcolor{blue}{mm}^2}$$

$$\sigma_{BB}(r) = 0.575 \frac{\textcolor{blue}{kgf}}{\textcolor{blue}{mm}^2}$$

$$\tau_{z2}(r) = 0.001 \textcolor{blue}{kaf}$$

$$\tau_{z2}(r)=3.927\,\frac{kgf}{mm^2}$$

Sollecitazione ideale massima nella sezione A-A

$$y_{br}:=0,\frac{H+y_G}{div}..H+y_G$$

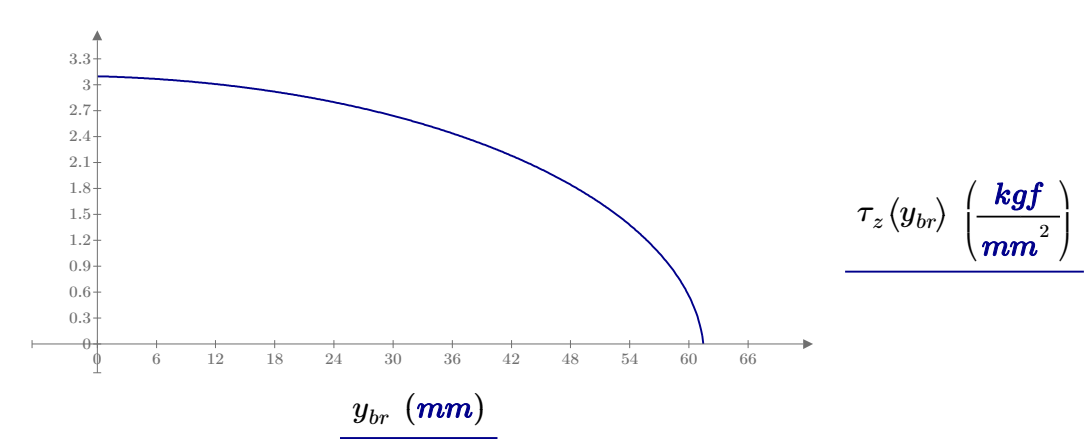
$$b_r\left(y_{br}\right):=\sqrt{R^2-\left(y_{br}-y_G\right)^2}-r$$

$$S_{1ACn}\left(y_{br}\right):=2\cdot\int\limits_{y_{br}}^{H+y_G}y\cdot\left(\sqrt{R^2-\left(y-y_G\right)^2}-r\right)dy$$

$$\tau_{zym}\left(y_{br}\right):=\frac{\frac{T_{AA}}{2}}{\frac{J_{ACn}}{2}}\cdot\frac{S_{1ACn}\left(y_{br}\right)}{2\cdot b_r\left(y_{br}\right)}$$

$$\alpha\left(y_{br}\right):=\frac{180}{\pi}\operatorname{atan}\left(\frac{y_{br}-y_G}{b_r\left(y_{br}\right)+r}\right)$$

$$\tau_z\left(y_{br}\right):=\frac{\tau_{zym}\left(y_{br}\right)}{\cos\left(\alpha\left(y_{br}\right)\,deg\right)}$$



$$\tau_z(0)=3.099\,\frac{kgf}{mm^2}$$

$$\sigma_{AA}\left(y_{br}\right):=\frac{M_{AA}\cdot y_{br}}{J_{ACn}}$$

$$\sigma_{1AAid}\left(y_{br}\right):=\sqrt{\sigma_{AA}\left(y_{br}\right)^2+3\cdot\tau_z\left(y_{br}\right)^2}$$

$$\sigma_{1AAid}\left(H+y_G\right)=16.629\,\frac{kgf}{mm^2}$$

$$\sigma_{AA}\left(H+y_G\right)=16.629\,\frac{kgf}{mm^2}$$

$$\tau_z\left(H+y_G\right)=0\,\frac{kgf}{mm^2}$$

$$y_{br}:= -\left(h-y_G\right),-\left(h-y_G\right)+\frac{h-y_G}{div}..0$$

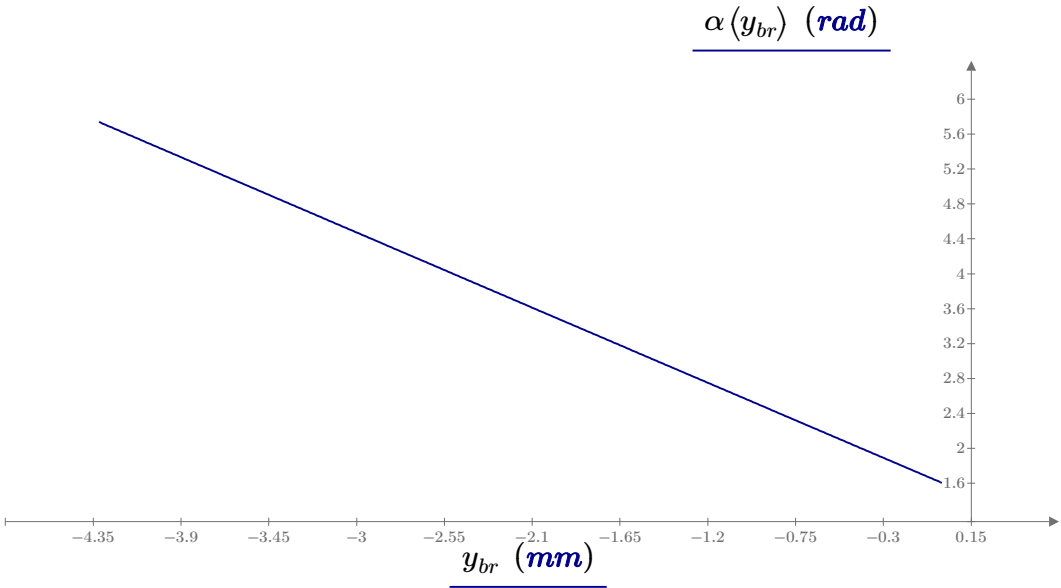
$$H+y_G$$

$$-\left(h-y_G\right)$$

$$S_{2ACn}\left(y_{br}\right):=2\cdot \int\limits_{-\left(h-y_G\right)}^{H+y_G}y\cdot \left(\sqrt{R^2-\left(y-y_G\right)^2}-r\right)dy+.2\cdot \int\limits_{-y_{br}}^{-\left(h-y_G\right)}y\cdot \left(\sqrt{R^2-\left(\left|y\right|+y_G\right)^2}-r+\frac{\left|y\right|-\left(h-y_G\right)}{\tan\left(30\textcolor{blue}{deg}\right)}\right)dy$$

$$b_r\left(y_{br}\right):=\sqrt{R^2-\left(y_{br}-y_G\right)^2}-r$$

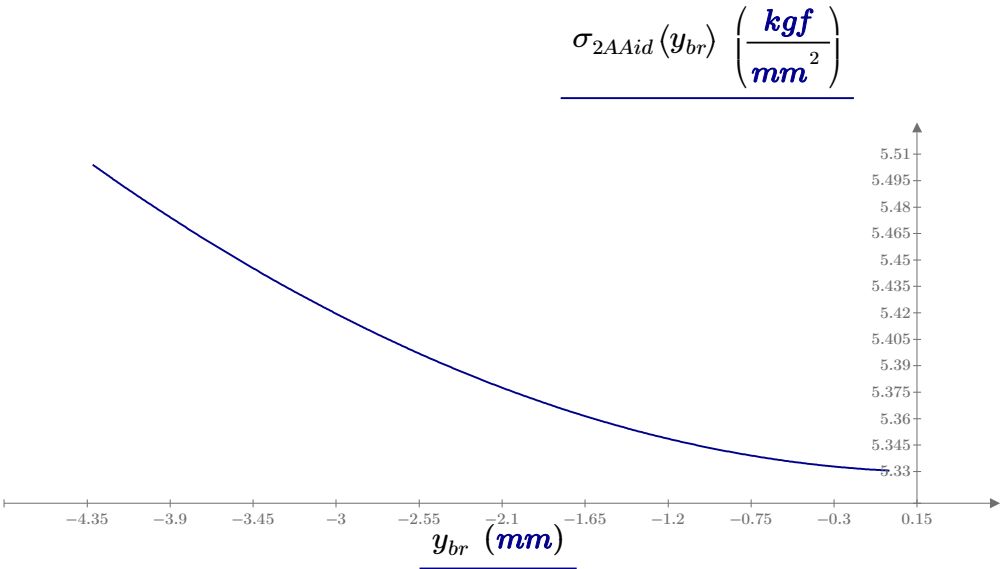
$$\alpha\left(y_{br}\right):=\frac{180}{\textcolor{brown}{\pi}}\cdot \operatorname{atan}\left(\frac{\left|y_{br}-y_G\right|}{b_r\left(y_{br}\right)+r}\right)$$



$$\tau_{zym}\left(y_{br}\right):=\frac{\frac{T_{AA}}{2}}{\frac{J_{ACn}}{2}}\cdot \frac{S_{2ACn}\left(y_{br}\right)}{2\cdot b_r\left(y_{br}\right)}$$

$$\tau_z\left(y_{br}\right):=\frac{\tau_{zym}\left(y_{br}\right)}{\cos\left(\alpha\left(y_{br}\right)\cdot \textcolor{blue}{deg}\right)}$$

$$\sigma_{2AAid}\left(y_{br}\right):=\sqrt{\sigma_{AA}\left(y_{br}\right)^2+3\cdot \tau_z\left(y_{br}\right)^2}$$



$$\sigma_{2AAid}\left(-\left(h-y_G\right)\right)=5.504\frac{\textcolor{blue}{kgf}}{mm^2}$$

$$y_{br}:= -\left(h-y_G\right),-\left(h-y_G\right)-\frac{r\cdot \tan\left(30\textcolor{blue}{deg}\right)}{div}..\left(h-y_G+r\cdot \tan\left(\textcolor{blue}{deg}\right)\right)$$

$$H+y_G$$

$$-\left(h-y_G\right)$$

$$S_{2ACn}\left\langle y_{br}\right\rangle :=2\cdot \int\limits_{-\left\langle h-y_G\right\rangle}^{H+y_G}y\cdot \left(\sqrt{R^2-\left\langle y-y_G\right\rangle^2}-r\right)dy+2\cdot \int\limits_{-y_{br}}^{-\left\langle h-y_G\right\rangle}y\cdot \left(\sqrt{R^2-\left(\left|y\right|+y_G\right)^2}-r+\frac{\left|y\right|-\left\langle h-y_G\right\rangle}{\tan\left(30\textcolor{blue}{deg}\right)}\right)dy$$

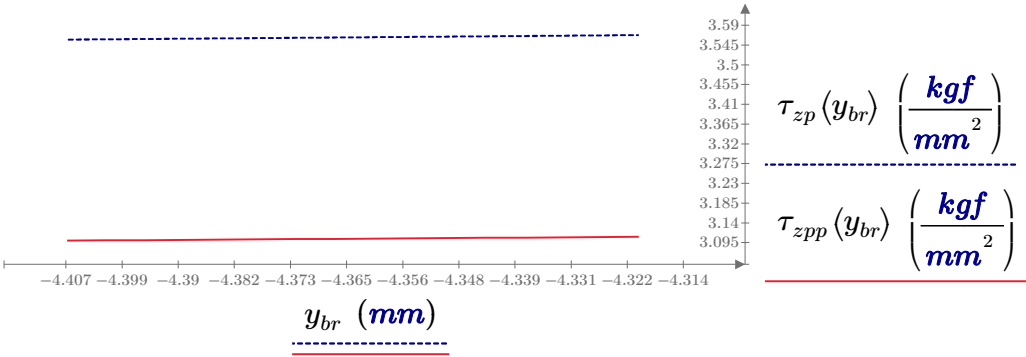
$$b_r\left\langle y_{br}\right\rangle :=\sqrt{R^2-\left(\left|y_{br}\right|+y_G\right)^2}-r+\frac{\left|y_{br}\right|-\left\langle h-y_G\right\rangle}{\tan\left(30\textcolor{blue}{deg}\right)}$$

$$\alpha\left\langle y_{br}\right\rangle :=\frac{180}{\textcolor{green}{\pi}}\cdot\text{atan}\left(\frac{\left|y_{br}\right|+y_G}{b_r\left\langle y_{br}\right\rangle +\frac{\left|y_{br}\right|-\left\langle h-y_G\right\rangle}{\tan\left(30\textcolor{blue}{deg}\right)}}\right)$$

$$\tau_{zym}\left\langle y_{br}\right\rangle :=\frac{\frac{T_{AA}}{2}}{\frac{J_{ACn}}{2}}\cdot\frac{S_{2ACn}\left\langle y_{br}\right\rangle}{2\cdot b_r\left\langle y_{br}\right\rangle}$$

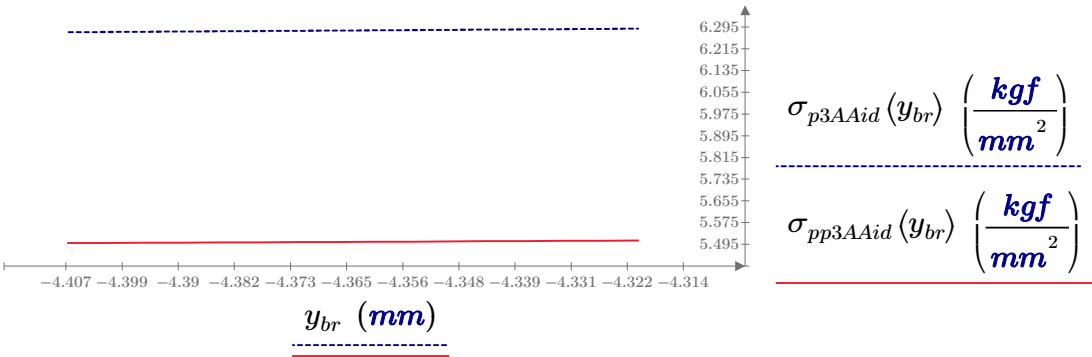
$$\tau_{zp}\left\langle y_{br}\right\rangle :=\frac{\tau_{zym}\left\langle y_{br}\right\rangle}{\cos\left(30\textcolor{blue}{deg}\right)}$$

$$\tau_{zpp}\left\langle y_{br}\right\rangle :=\frac{\tau_{zym}\left\langle y_{br}\right\rangle}{\cos\left(\alpha\left\langle y_{br}\right\rangle \textcolor{blue}{deg}\right)}$$



$$\sigma_{p3AAid}\left\langle y_{br}\right\rangle :=\sqrt{\sigma_{AA}\left\langle y_{br}\right\rangle^2+3\cdot\tau_{zp}\left\langle y_{br}\right\rangle^2}$$

$$\sigma_{pp3AAid}\left\langle y_{br}\right\rangle :=\sqrt{\sigma_{AA}\left\langle y_{br}\right\rangle^2+3\cdot\tau_{zpp}\left\langle y_{br}\right\rangle^2}$$



$$\sigma_{p3AAid}\left(-\left\langle h-y_G\right\rangle\right)=6.289\frac{\textcolor{blue}{kgf}}{\textcolor{blue}{mm}^2}$$

$$y_{br}:= -\left\langle R-y_G\right\rangle,-\left\langle R-y_G\right\rangle+\frac{-\left\langle h-y_G+r\cdot\tan\left(30\textcolor{blue}{deg}\right)\right\rangle+\left\langle R-y_G\right\rangle}{div}..\left\langle h-y_G+r\cdot\tan\left(30\textcolor{blue}{deg}\right)\right\rangle$$

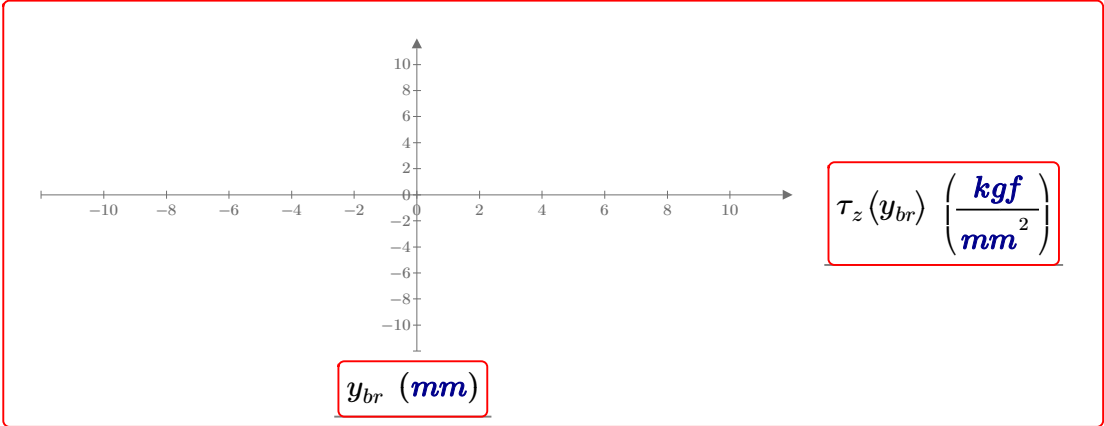
$$b_r\left\langle y_{br}\right\rangle :=2\cdot\sqrt{R^2-\left(\left|y_{br}\right|+y_G\right)^2}$$

$$\alpha\left\langle y_{br}\right\rangle :=\frac{180}{\textcolor{green}{\pi}}\cdot\frac{\text{atan}\left(\left|y_{br}\right|+y_G\right)}{\frac{b_r\left\langle y_{br}\right\rangle}{2}}$$

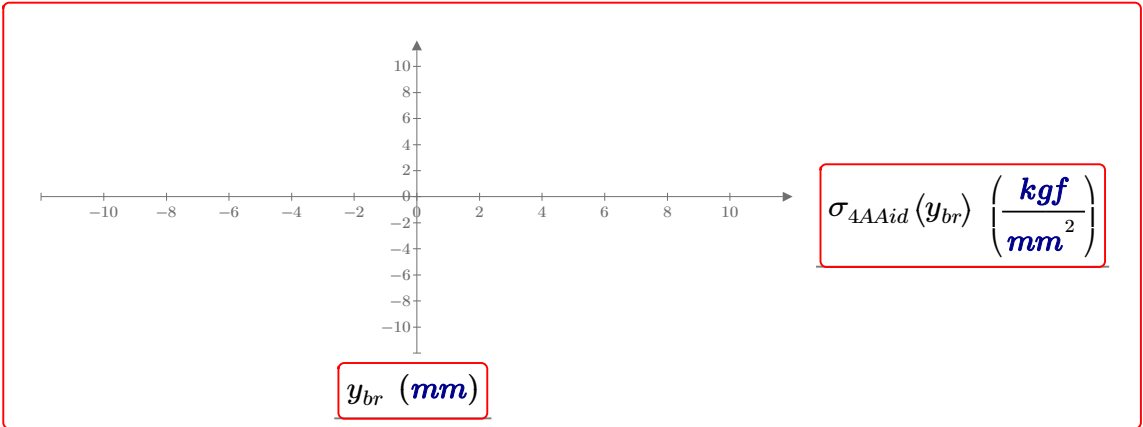
$$S_{3ACn}\left(y_{br}\right):=2\cdot\int\limits_{-\left\langle h-y_G\right\rangle}^{H+y_G}y\cdot\left(\sqrt{R^2-\left\langle y-y_G\right\rangle^2}-r\right)dy+2\cdot\int\limits_{-\left\langle\left(h-y_G\right)+r\cdot\tan\left(30\textcolor{blue}{deg}\right)\right\rangle}^{-\left\langle h-y_G\right\rangle}y\cdot\left(\sqrt{R^2-\left\langle|y|+y_G\right\rangle^2}-r+\frac{|y|-\left\langle h-y_G\right\rangle}{\tan\left(30\textcolor{blue}{deg}\right)}\right)dy+2\cdot\int\limits_{-y_{br}}^{-\left\langle\left(h-y_G\right)+r\cdot\tan\left(30\textcolor{blue}{deg}\right)\right\rangle}y\cdot\left(\sqrt{R^2-\left\langle|y|+y_G\right\rangle^2}\right)dy$$

$$\tau_{zym}\left(y_{br}\right):=\frac{T_{AA}}{J_{ACn}}\cdot\frac{S_{3ACn}\left(y_{br}\right)}{b_r\left(y_{br}\right)}$$

$$\tau_z\left(y_{br}\right):=\frac{\tau_{zym}\left(y_{br}\right)}{\cos\left(\alpha\left(y_{br}\right)\textcolor{blue}{deg}\right)}$$



$$\sigma_{4AAid}\left(y_{br}\right):=\sqrt{\sigma_{AA}\left(y_{br}\right)^2+3\cdot\tau_z\left(y_{br}\right)^2}$$



$$\left|\sigma_{AA}\left(-\left\langle R-y_G\right\rangle\right)\right|=15.777\frac{kgf}{mm^2}$$

$$\sigma_{1AAid}\left(H+y_G\right)=16.629\frac{kgf}{mm^2}$$

$$\sigma_{1BBid}\left(0\textcolor{blue}{mm}\right)=7.442\frac{kgf}{mm^2}$$

Sollecitazione ideale massima nella sezione C-C

$$\sigma_{CCmax}=23.255\frac{kgf}{mm^2}$$

$$\sigma_{idCCmax}:=\sigma_{CCmax}$$