



## BOHR'S ATOMIC MODEL

Theory based on quantum theory of radiation and the classical laws of physics

- $\frac{K(Ze)(e)}{r^2} = \frac{mv^2}{r}$
- $mvr = \frac{nh}{2\pi}$  or  $mvr = n\hbar$
- Electron remains in stationary orbit where it does not radiate its energy.
- **Radius :**  $r = 0.529 \times \frac{n^2}{Z} \text{ \AA}$
- **Velocity :**  $v = 2.188 \times 10^6 \frac{Z}{n} \text{ ms}^{-1}$
- Energy (KE + PE)  
 $= \text{Total energy} = -13.6 \times \frac{Z^2}{n^2} \text{ eV/atom}$
- $TE = -\frac{KZe^2}{2r}$ ,  $PE = \frac{-KZe^2}{r}$ ,  $KE = \frac{KZe^2}{2r}$   
 $PE = -2KE$ ,  $KE = -TE$ ,  $PE = 2TE$
- Revolutions per sec  $= \frac{v}{2\pi r}$
- Time for one revolution  $= \frac{2\pi r}{v}$
- Energy difference between  $n_1$  and  $n_2$  energy level  
 $\Delta E = E_{n_2} - E_{n_1} = 13.6Z^2 \left( \frac{1}{n_1^2} - \frac{1}{n_2^2} \right) \frac{\text{eV}}{\text{atom}} = IE \times \left( \frac{1}{n_1^2} - \frac{1}{n_2^2} \right)$   
 where IE = ionization energy of single electron species.
- **Ionization energy**  $= E_\infty - E_{G.S.} = 0 - E_{G.S.}$   
 $E_{G.S.}$  = Energy of electron in ground state

## HYDROGEN SPECTRUM

## • Rydberg's Equation :

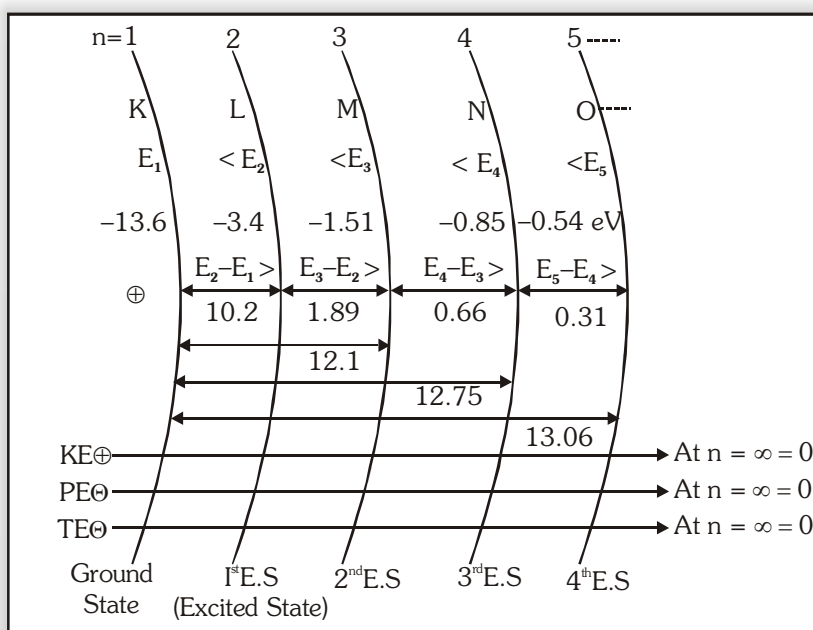
$$\frac{1}{\lambda} = \bar{\nu} = R_H \left[ \frac{1}{n_1^2} - \frac{1}{n_2^2} \right] \times Z^2$$

$$R_H \cong 109700 \text{ cm}^{-1} = \text{Rydberg constant}$$

- For first line of a series  $n_2 = n_1 + 1$
- Limiting spectral line (series limit) means  $n_2 = \infty$
- $H_\alpha$  line means  $n_2 = n_1 + 1$ ; also known as line of longest  $\lambda$ , shortest  $\nu$ , least E
- Similarly  $H_\beta$  line means  $n_2 = n_1 + 2$
- When electrons de-excite from higher energy level ( $n$ ) to ground state in atomic sample, then number of spectral lines observed in the spectrum  $= \frac{n(n-1)}{2}$
- When electrons de-excite from higher energy level ( $n_2$ ) to lower energy level ( $n_1$ ) in atomic sample, then number of spectral line observed in the spectrum

$$= \frac{(n_2 - n_1)(n_2 - n_1 + 1)}{2}$$

- No. of spectral lines in a particular series  $= n_2 - n_1$



### DE-BROGLIE HYPOTHESIS

- All material particles possess wave character as well as particle character.
- $\lambda = \frac{h}{mv} = \frac{h}{p}$
- The circumference of the  $n^{\text{th}}$  orbit is equal to  $n$  times of wavelength of electron i.e.,  $2\pi r_n = n\lambda$   
Number of waves =  $n$  = principal quantum number
- Wavelength of electron ( $\lambda$ )  $\approx \sqrt{\frac{150}{V(\text{volts})}} \text{ \AA}$
- $\lambda = \frac{h}{\sqrt{2mKE}}$

### HEISENBERG UNCERTAINTY

- According to this principle, "it is impossible to measure simultaneously the position and momentum of a microscopic particle with absolute accuracy"  
If one of them is measured with greater accuracy, the other becomes less accurate.
- $\Delta x \cdot \Delta p \geq \frac{h}{4\pi}$  or  $(\Delta x)(\Delta v) \geq \frac{h}{4\pi m}$   
where  $\Delta x$  = Uncertainty in position  
 $\Delta p$  = Uncertainty in momentum  
 $\Delta v$  = Uncertainty in velocity  
 $m$  = mass of microscopic particle
- Heisenberg replaced the concept of orbit by that of orbital.

## QUANTUM NUMBER

- Principal Quantum number (By Bohr)**
  - Indicates = Size and energy of the orbit, distance of  $e^-$  from nucleus
  - Values  $n = 1, 2, 3, 4, 5, \dots$
  - Angular momentum =  $n \times \frac{h}{2\pi}$
  - Total number of  $e^-$ s in an orbit =  $2n^2$
  - Total number of orbitals in an orbit =  $n^2$
  - Total number of subshell in an orbit =  $n$
- Azimuthal/Secondary/Subsidiary/Angular momentum quantum number ( $\ell$ )**
  - Given by = Sommerfeld
  - Indicates = Sub shells/sub orbit/sub level
  - Values  $\Rightarrow 0, 1, \dots, (n-1)$
  - Indicates shape of orbital/Sub shell

Value of $n$	Values of $\ell$ [Shape]	Initial from word
eg. If $n = 4$	$\ell = 0$ (s) [Spherical] $\ell = 1$ [p] [Dumb bell] $\ell = 2$ [d] [Double dumb bell] $\ell = 3$ [f] [Complex]	Sharp Principal Diffused Fundamental

- Total no. of  $e^-$ s in a suborbit =  $2(2\ell + 1)$
- Total no. of orbitals in a suborbit =  $(2\ell + 1)$
- Orbital angular momentum

$$= \sqrt{\ell(\ell+1)} \frac{h}{2\pi} = \sqrt{\ell(\ell+1)} \hbar$$

$h$  = Planck's constant

- For H & H like species all the subshells of a shell have same energy.  
i.e.  $2s = 2p$   $3s = 3p = 3d$

- Magnetic Quantum number ( $m$ )**

- Given by Linde
- Indicates orientation of orbitals i.e. direction of electron density.
- Value of  $m = -\ell, \dots, 0, \dots, +\ell$
- Maximum no. of  $e^-$ s in an orbital = 2 (with opposite spin)

$m$  for  $p$  sub shell =  $p_x \quad p_y \quad p_z$   
 $-1 \quad +1 \quad 0$

$m$  for  $d$  sub shell =

$d_{xy} \quad d_{yz} \quad d_{z^2} \quad d_{xz} \quad d_{x^2-y^2}$   
 $-2 \quad -1 \quad 0 \quad +1 \quad +2$

- Spin Quantum Number ( $m_s$  or  $s$ )**

Given by Uhlenback & Goudsmit

Values of  $s = \pm \frac{1}{2}$

Total value of spin in an atom =  $\pm \frac{1}{2} \times \text{number of unpaired electrons}$

$$\text{Spin Angular momentum} = \sqrt{s(s+1)} \frac{h}{2\pi}$$

### RULES FOR FILLING OF ORBITALS

- Aufbau principle** : The electrons are filled up in increasing order of the energy in subshells.  
 $1s^2 2s^2 2p^6 3s^2 3p^6 4s^2 3d^{10} 4p^6 5s^2 4d^{10} 5p^6 6s^2 4f^{14} 5d^{10} 6p^6 7s^2 5f^{14} 6d^{10}$
- ( $n + \ell$ ) rule** : The subshell with lowest ( $n + \ell$ ) value is filled up first, but when two or more subshells have same ( $n + \ell$ ) value then the subshell with lowest value of  $n$  is filled up first.
- Pauli exclusion principle** : Pauli stated that no two electrons in an atom can have same values of all four quantum numbers.
- Hund's rule of maximum multiplicity** : Electrons are distributed among the orbitals of subshell in such a way as to give maximum number of unpaired electrons with parallel spin.