

HW 9

1)

A, B, D, E, F, G
Non accepting

C
accepting

no C \wedge into c

A, E, G

B, D, F, H

C

self on 0

into c on 0

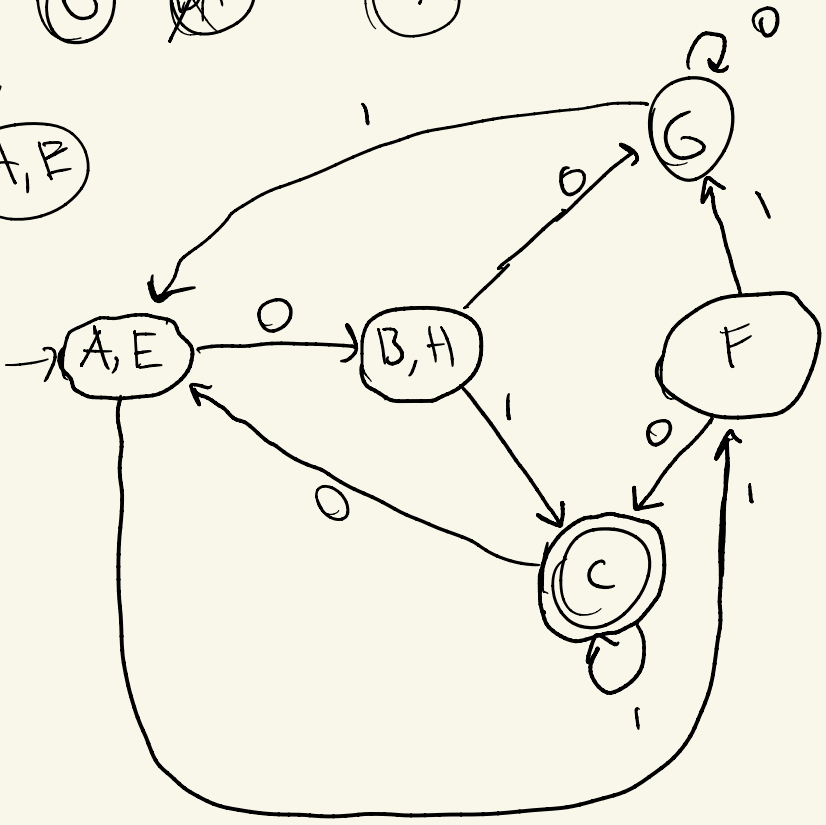
into c on 1

G

~~F~~

B, H

A, E



2)

	b	a	a	b	a
1	B	A, C	A, C	B	A, C
2	A, S	B	S, C	A, S	
3	\emptyset	B	B		
4	\emptyset	S, A			
5	A, S				

baaba will be generated

as S in final row

3) Suppose G is a cfg in CNF
First check G produces terminal symbols, if
not $L(G) = \emptyset$, and its rejected as it doesn't
generate strings

Then continue $L(G)$ finite or infinite using the
pumping lemma with constant c , focusing
on strings of length $c \leq \text{length} \leq 2c-1$

Run CYK for each string in this range.
If G generates any string in this range,
reject G as $L(G)$ is infinite. If no strings
in this range continue.

Next check $L(G)$ generates exactly one string
Generate all strings length $0 \leq \text{length} \leq c-1$
for c .

Run CYK to see if any outputs generated
If exactly one string generated from CYK
accept else reject

if isempty(G) \rightarrow test $L(G)$ empty
reject

$c = \text{pumping lemma length}(G) \rightarrow \text{const } c \text{ from } G$

For length in range($c, 2 * c$)

for w in generatestrings(length) \rightarrow gen strings
fro $c \rightarrow 2c-1$

if $\text{cyl}(G, w)$ \rightarrow check if
reject g generates the strings

count 0

for length in range($0, c$)

for w in generatestrings(length) \rightarrow generate strings
 $0 \rightarrow c-1$

if $\text{cyl}(G, w)$ \rightarrow test if g generates w
count += 1

if count > 1
reject \rightarrow reject it more than
one string found

if count == 1
accept \rightarrow accept it 1 string
found

else
reject