# **Kmeans Clustering**

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In this notebook we talk about how k means clustering was implemented using (please find the implementation in the repo) and also show some examples of k means clustering using our implementation.

```
In [6]: import pandas as pd
   import numpy as np
   import matplotlib.image as mpimg
   import matplotlib.pyplot as plt
   from PIL import Image
   from sklearn.datasets import make_circles
   import matplotlib.pyplot as plt
   from sklearn.datasets import make_blobs

from sklearn.datasets import load_breast_cancer
   from sklearn.preprocessing import StandardScaler

from sklearn.metrics import confusion_matrix, accuracy_score
   from sklearn.cluster import SpectralClustering
   from kmeans import *
```

## In [7]: # %run kmeans

#### Intro

- Kmeans is a machine learning algorithm that does unsupervised learning. Unsupervised learning is that the algorithm makes clusters/groups using the vectors and not the labels or names in the dataset.
- One of the main hyperparameters in Kmeans algorithm is k. k is the number of clusters (centroids) you are looking for in your dataset.

Here is an example of using kmeans clustering with k=2 to find 2 clusters of points in the dataset.

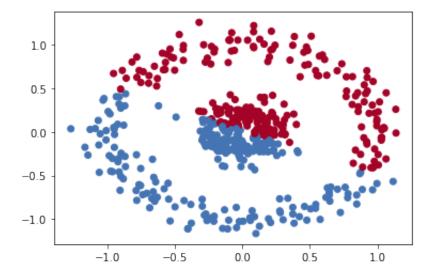
### **Implementation**

1. First, we start by initializing our centroid. As mentioned above we use k++ technique to do that. In k++ we initilize the first centroid randomly and after that we pick the points (k-1 points) that maximize the minimum distance to all the other points to the clusters that we have in our data.

- 2. After that for each point we try to find the closest cluster and once we find the clusters we add the point to the nearest cluster.
- 3. In the next step we recompute our centroids again.
- 4. We repeat step 2 and 3 until our centroids stop changing or until we do maximum number of iteration (hyperparameter).

### **Example 1**

```
In [8]: X, _ = make_circles(n_samples=500, noise=0.1, factor=.2)
    centroids, labels = kmeans(X, 2, centroids='kmeans++')
    print(centroids)
    colors=np.array(['#4574B4','#A40227'])
    plt.scatter(X[:,0], X[:,1], c=colors[labels])
    plt.show()
    plt.savefig("nested-kmeans.png", dpi=200)
```



<Figure size 432x288 with 0 Axes>

• As we can observe in the example above there is a distinct line between the blue and red points. That has happened due to the centroids that our model has found using k++ initialization method for centroids.

• As we can see we have 2 centroids since we defined our k to be equal to 2.

### Example 2

In the example above I am trying to show what k means clustering looks like for numeric output. We have set bunch of arbitrary grades from around 70 to around 90. We defined our k to be 3 which means having three clusters.

As expected we have 3 centroids that are around mid 70, 80, and 90. Also by looking at the labels we can see which clusters(labels) each data points belong to.

## Example 3

In the example below there is a good visualization to show how k means is able to detect different clusters in the data point and label them differently.

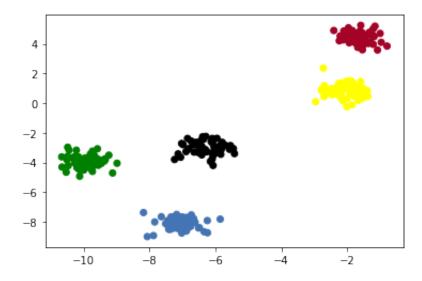
```
[[-7.06245396 -8.14417712]

[-1.6291819 4.43042653]

[-9.93145017 -3.93775512]

[-2.07873105 0.83626738]

[-6.28423845 -3.02433558]]
```



<Figure size 432x288 with 0 Axes>

## **Image Compression**

## **Image 1**

In here I am going to use k means clustering to perfome image compression. We can use k means clustering to compress images by using less colors than the original image and reproduce it with less colors.

#### **Original Image**



```
In [16]: image = Image.open('eyes.png')
h = np.asarray(image).shape[0]
w = np.asarray(image).shape[1]
X = np.asarray(image).flatten().reshape(h*w,3)

In [17]: k=10
centroids, labels = kmeans(X, k=k, centroids='kmeans++', tolerance=.01
centroids = centroids.astype(np.uint8)
X = centroids[labels]

In [18]: img_ = Image.fromarray(X.reshape(h, w, 3))
img_.show()
In [63]: img_.save("beautiful_eyes.png")
```

#### **Compressed Version**



In this example our algorithm was able to reproduce a compressed image with less colors (k=4). As we can see the model was able to do a decent job and reproduce these beautiful eyes.

#### How is K means clustering compressing images?

• An image is made of pixels and each pixel (colored) is 3 bytes of RGB (red, green, blue). RGB values are between 0 and 255 (each of them). Due to this attribute K means clustering is able to cluster similar colors together and create a compressed version of that image with less color. So that is how we were able to recreate an image with only 4 colors. We basically created 4 centroids and all the colors close to each centroid became a part of that centroid (the centroid near them).

## Image 2

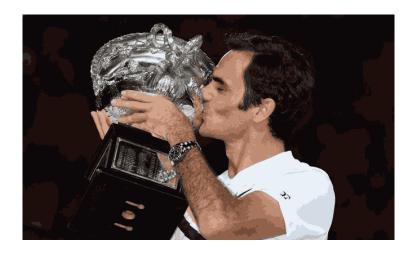
Since Roger Federe was my idol growing up and while I was playing professional tennis. I decided to recreate an image of him lifting his 20th grandslam (Australian Open 2018). #goat

## **Original Image**



```
In [68]: image = Image.open('goat.jpg')
h = np.asarray(image).shape[0]
w = np.asarray(image).shape[1]
X = np.asarray(image).flatten().reshape(h*w,3)

In [69]: k=15
centroids, labels = kmeans(X, k=k, centroids='kmeans++', tolerance=.01
centroids = centroids.astype(np.uint8)
X = centroids[labels]
In [70]: img_ = Image.fromarray(X.reshape((h, w, 3)))
img_.show()
```



In [72]: img\_.save("compressed\_goat.png")

### Flaws of K means clustering

In the first example, kmeans clustering does not seem to be accurate since the data is a circle data and probabaly it's best to cluster each circle together. Since Kmeans clustering failed to do a decent job with the first example we are going to explore other options.

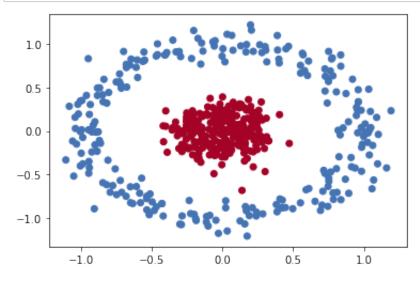
## **Other Methods for Clustering**

In here we will talk about other methods to explore for clustering.

## **Spectral clustering**

Spectral is a more advanced version and as we can see below it does a better job than k means with circle data.

```
In [5]: cluster = SpectralClustering(n_clusters=2, affinity="nearest_neighbors
labels = cluster.fit_predict(X) # pass X not similarity matrix
colors=np.array(['#4574B4','#A40227'])
plt.scatter(X[:,0], X[:,1], c=colors[labels])
plt.show()
```



Using Random Forest (Breiman's RF for unsupervised learning trick)

In [ ]:		

We could use random forest as a way to find the distance metric to obervation.