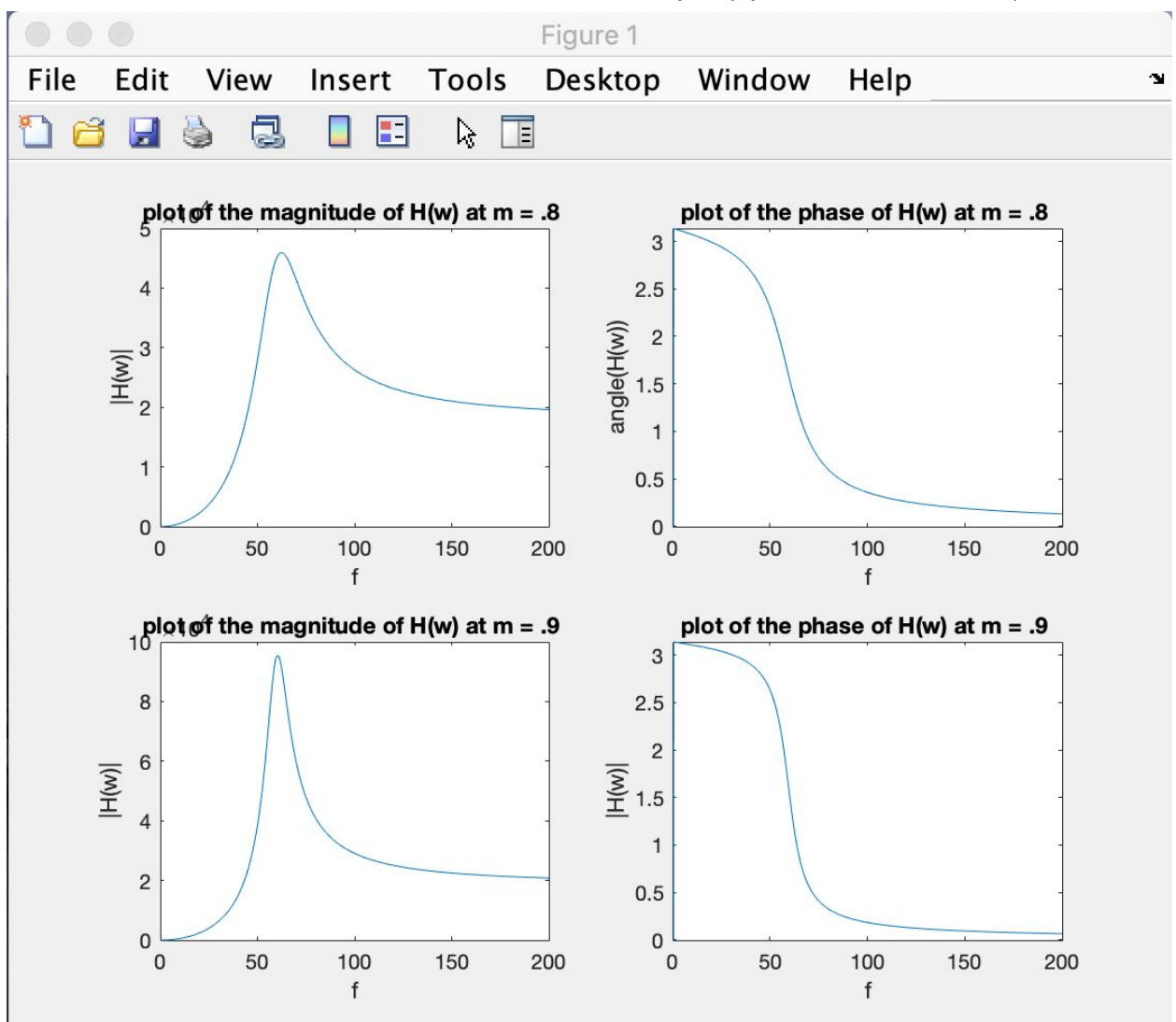


Assignment 6

- Problem 1:
 - Part a:

For this problem we were given formulas for the filter transfer function $H(w)$ and $Z(w)$ as well as $W(w)$. The first section asks for the student to play the magnitude and phase response of $H(w)$ in a set range In order to do this we can simply plug in the variables for the formula and make a 4-1 subplot(spectrum is .8 and .9)

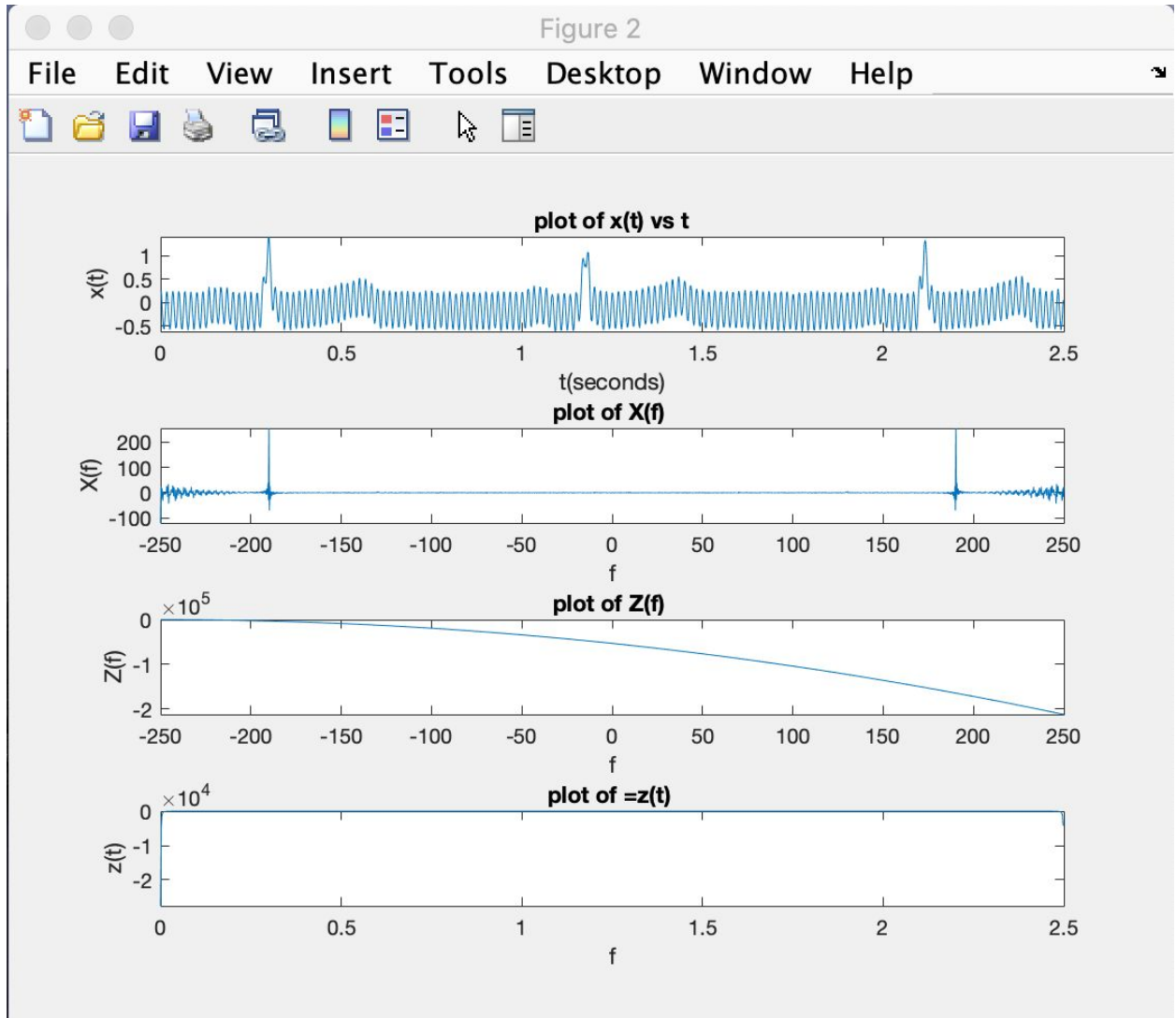


*Figure 1 above is the phase and magnitude plots of $H(w)$ for the expected spectrums

○

Part b:

For this part of the problem we were given $x(t)$ and were required to load in a given signal and use it for $x(t)$ and find $X(f)$, $Z(f)$, and $Z(t)$ as seen below:



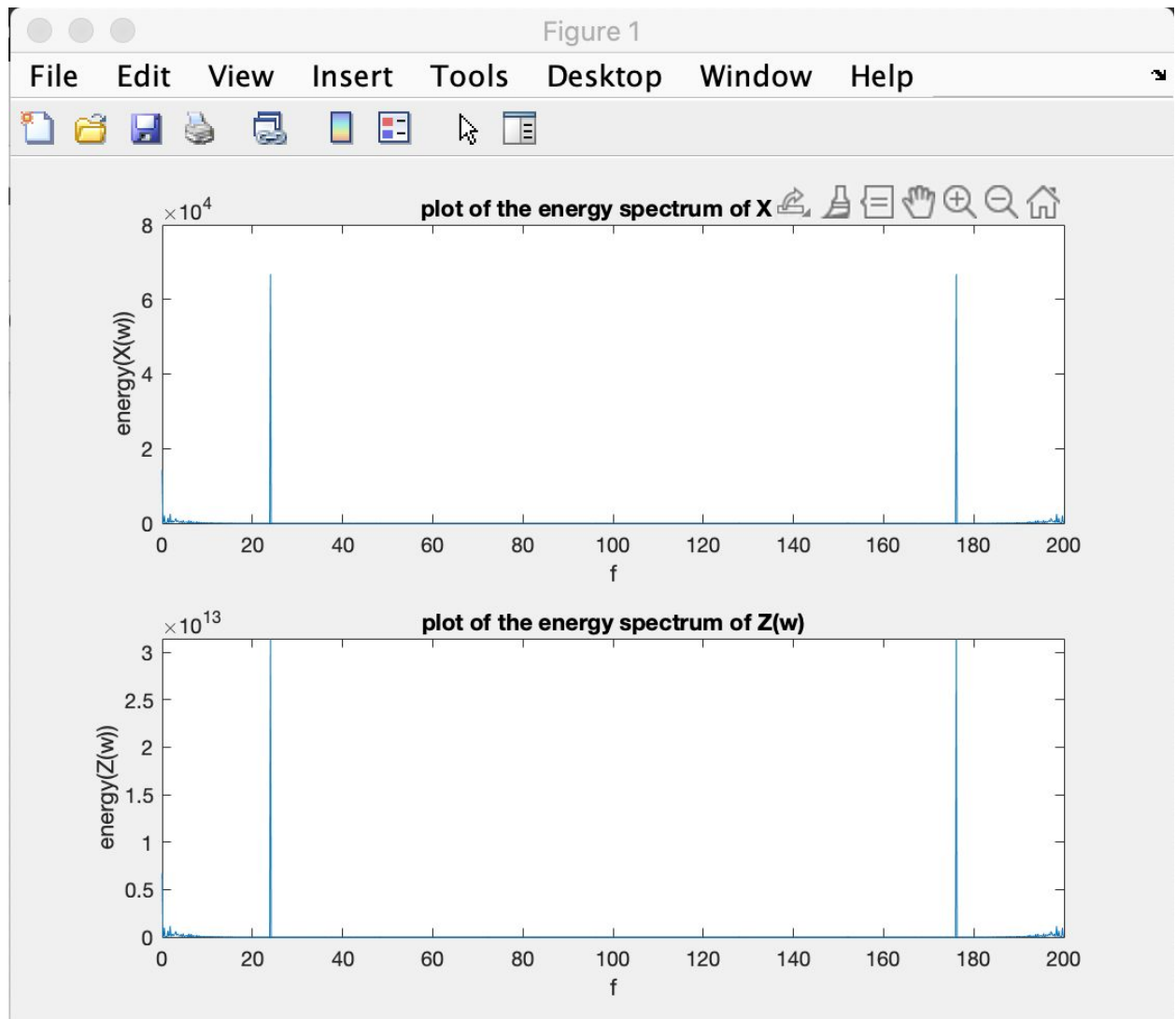
*Figure 2 above is the plot of $x(t)$, $X(f)$, $Z(f)$, and $z(t)$

- Problem 2:

For this problem we were finding the energy of $x(t)$ and $z(t)$ as well as using Parseval's theorem in order to find the function for energy and plot the energy spectrum of the signal (I used the formula $\text{energy}Zw(i) = \text{summation}(\text{real}Xw(i))^2 + \text{imaginary}(Zw(i))^2$)

For energy_{xt} I calculated .3124 joules

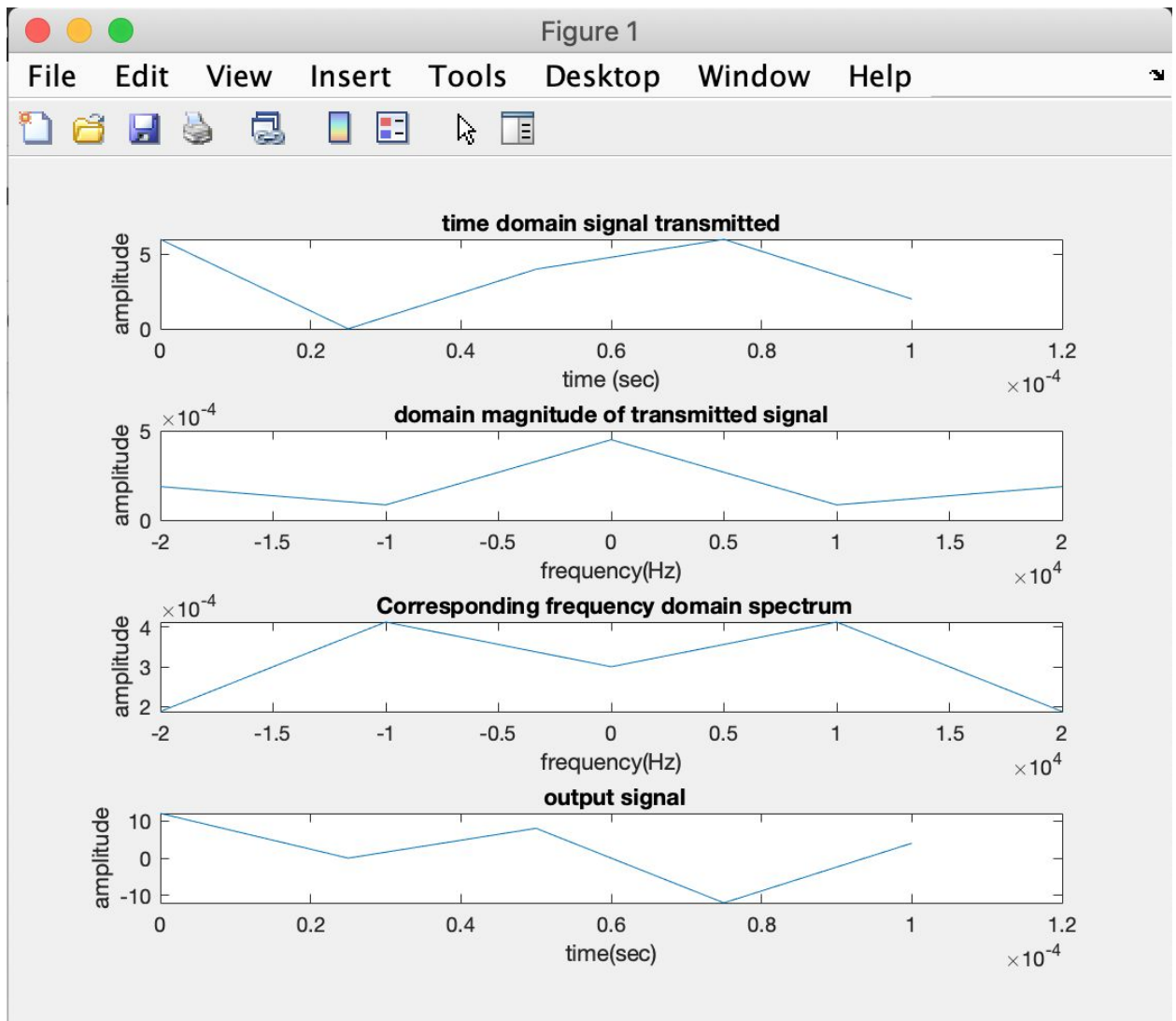
For energy_{zt} I calculated 1.471×10^8 joules



*Figure 3 above is the energy spectrums for $X(W)$ and $Z(w)$

- Problem 3:

For this problem I personally modified the provided program `dsb_sc_modulation.m` in order to simply return me the requested data: the time domain signal transmitted $s(t)$, frequency domain magnitude of the transmitted signal $|S(f)|$, time domain demodulated and low-pass filtered output signal $vo(t)$ and corresponding frequency domain spectrum $|Vo(f)|$. I personally had some issues with this as there were no clear examples of how to solve this problem, fortunately I stumbled upon the m-file mentioned above and ended up with the following results below:



*Figure 4 above is the 4-1 plot of the data requested