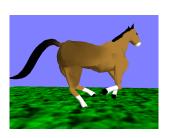
# Skeleton animation - bridging Maya and OpenGL

DH2640-Graphics and Interaction Programming



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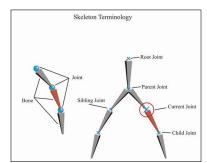
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- 1. Skeleton animation
- 2. Exporting data from Maya to OpenGL
- 3. Slicing the RTG mesh
- 4. Improvement : one-piece RTG + deformation

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### Skeleton animation





## Representation of a joint

```
class Joint {
         Joint father;
         Joint[] children;
         Point3 relative_position;
         Point3 relative scale:
         Point4 relative_rotation;
\Rightarrow Compute the relative matrix of the joint (4x4)
⇒ Compute the absolute matrix of the joint
absolute = father.absolute \times relative (4x4)
  Demo
```

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## Importing data from Maya

Maya: a 3D modeller.

Export objects according to the RTG format.

C++ RTG parser, written by Gustav.

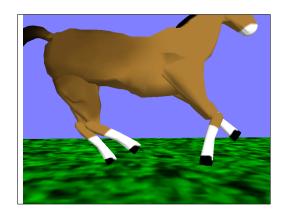
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## Slicing the RTG mesh

Idea: bind an RTG object to each joint

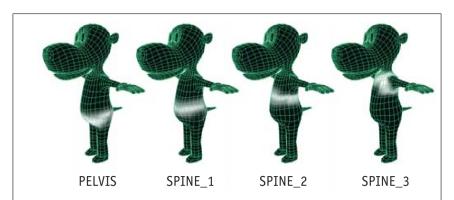
\*\*Demo\*\*

Problem: joints not perfect



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## Maya weight maps



Smooth Bind weighting for a simple character. The gray areas are where the weighting overlaps.

## Improvement : one-piece RTG + deformation

Export the weight maps from Maya as images.



### How to deform the mesh?

1. **Reference poses** (= bind poses) for the mesh and the skeleton : compute the matrix  $INVERSE \stackrel{DEF}{=} absolute^{-1}$  (constant 4x4)

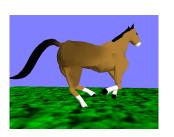
2. At a random pose, for each joint : 
$$finale = absolute \times INVERSE \text{ (4x4)}$$

3. position of p(x, y, z):

$$\tilde{p} = \frac{\sum_{b \in bones} weight(p, b) \times finale_b \times (x, y, z, 1)}{\sum_{b \in bones} weight(p, b)}$$

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