Generative Models II

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Outline

- Generative Adversarial Networks Overview
- Training GANs
- Issues with Training GANs
- Conditional GANs

Generative Adversarial Networks

Generative Adversarial Networks



Generator



From: https://www.you tube.com/watch ?v=JBIm4wnjN

Discriminator



From: https://www.you tube.com/watch ?v=JBlm4wnjN

Adversarial Training



From: https://www.you tube.com/watch ?v=JBIm4wnjN

Adversarial Training



 $+.007 \times$

 $\operatorname{sign}(\nabla_{\boldsymbol{x}}J(\boldsymbol{\theta},\boldsymbol{x},y))$

"nematode" 8.2% confidence

 $x + \epsilon sign(\nabla_x J(\theta, x, y))$ "gibbon"

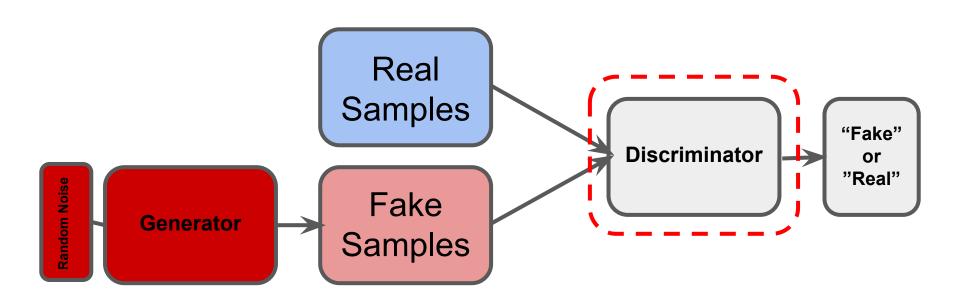
99.3 % confidence

"panda"
57.7% confidence

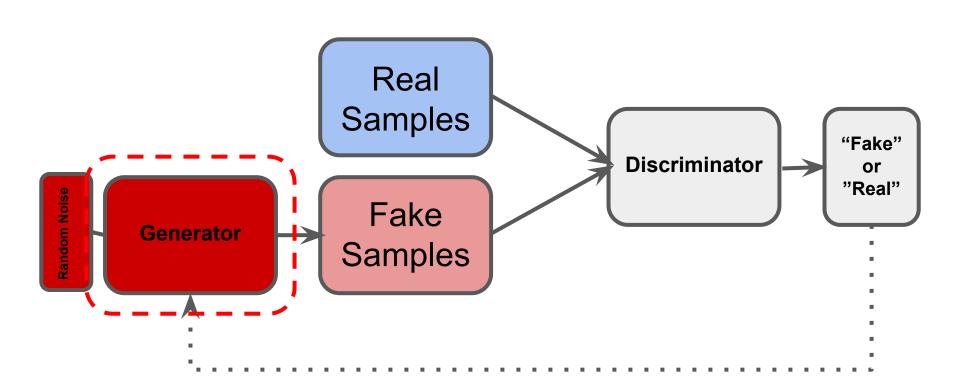
Adversarial Training



The Discriminator

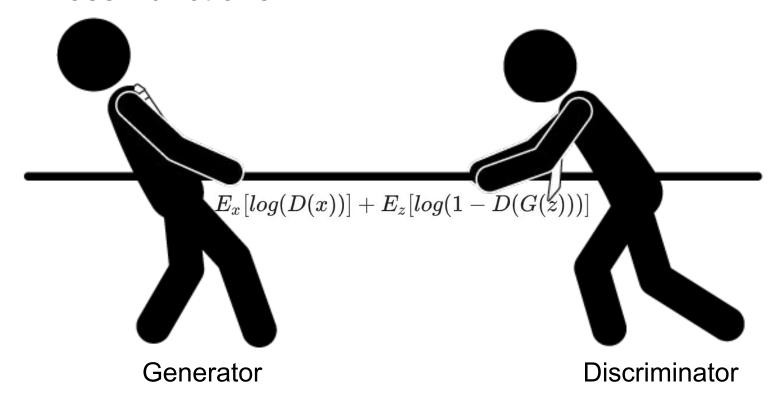


The Generator



Training GANs

- 1. Train the **discriminator** holding **generator** constant
- 2. Train the **generator** holding the **discriminator** constant
- 3. Repeat until convergence



$$E_x[log(D(x))] + E_z[log(1-D(G(z)))]$$

Discriminator's estimate that real sample is real

$$E_x[log(D(x))] + E_z[log(1-D(G(z)))]$$

Discriminator's estimate that fake sample is real

Discriminator wants to maximize

$$E_x[log(D(x))] + E_z[log(1-D(G(z)))]$$

Discriminator's estimate that real sample is real

Discriminator's estimate that fake sample is real

Generator wants to minimize

$$E_x[log(D(x))] + E_z[log(1-D(G(z)))]$$

Discriminator's estimate that real sample is real

Discriminator's estimate that fake sample is real

Training Loop

```
for i in range(training_iteration):
    # hold generator constant
   for k in range(discrim steps):
        x = sample_real_inputs(num = m)
       qz1 = generate_fake_inputs(num = m)
        discrim params = qradient ascent(x, qz)
    # hold discriminator constant
   qz2 = generate_fake_inputs(num = m)
   gener_params = gradient_descent(gz2)
```

Training Loop

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   # hold generator constant
   for k in range(discrim_steps):
       x = sample_real_inputs(num = m)
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Training GANs

- Train the **discriminator** holding **gens** Train the **generator** holding the
- Repeat until convergence 3.





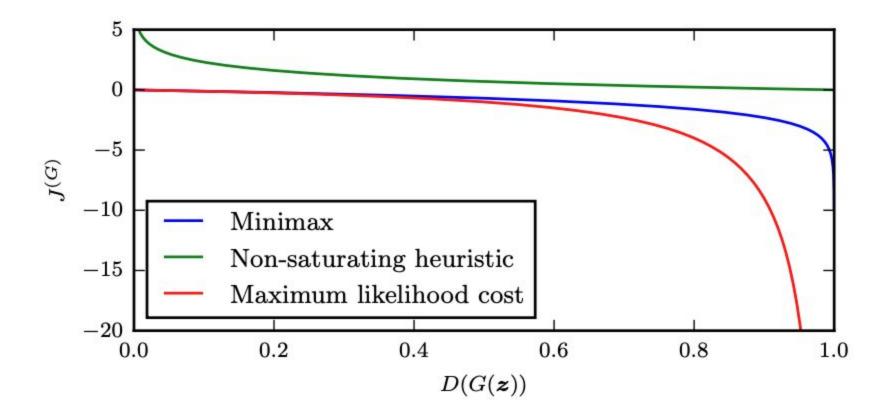






In the minimax game, the discriminator minimizes a cross-entropy, but the generator maximizes the same cross-entropy. This is unfortunate for the generator, because when the discriminator successfully rejects generator samples with high confidence, the generator's gradient vanishes.

-lan Goodfellow (https://arxiv.org/pdf/1701.00160.pdf)



Non-Saturating GAN Loss

Generator wants to maximize

$$-log(D(G(z)))$$

instead of minimizing

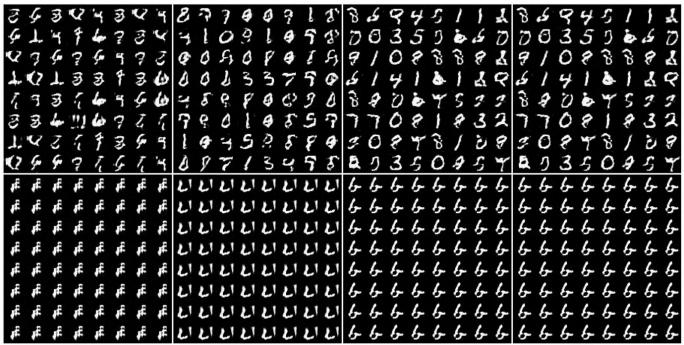
$$log(1 - D(G(z)))$$

Mode Collapse



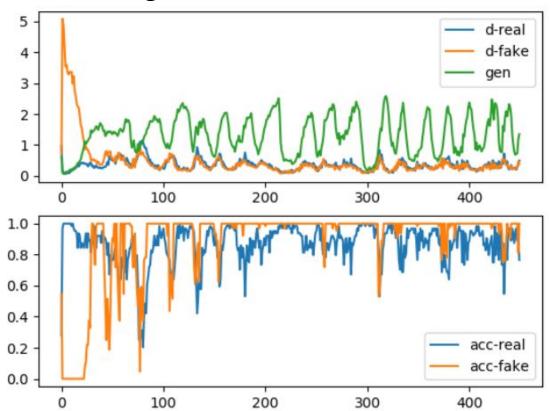
Image from: https://neptune.ai/blog/gan-loss-functions

Mode Collapse



10k steps 20k steps 50K steps 100k steps

Convergence



Sometimes the two players eventually reach an equilibrium, but in other scenarios they repeatedly undo each others' progress without arriving anywhere useful.

-lan Goodfellow
(https://arxiv.org/pdf/1701.00160.pdf)

Image from: https://neptune.ai/blog/gan-loss-functions

Wasserstein GANs



Discriminator Maximizes: Generator Maximizes:

$$D(x) - D(G(z))$$
 $D(G(z))$

Wasserstein GANs



"The Critic" Maximizes: Genera

D(x) - D(G(z)) D(G(z))

Generator Maximizes:

Conditional GANs

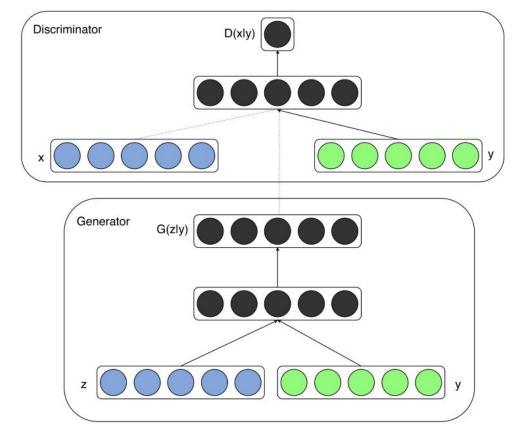


Image from: (Mirza and Osindero, 2014)

Figure 1: Conditional adversarial net

Conditional GAN

