

Abstract

(Farazmand and Haller 2012)

Sammendrag

Preface

Table of Contents

List of Figures • ix

List of Tables • xi

Notation • xiii

1 Introduction • 3

2 Theory • 5

3 Method • 7

4 Results • 9

5 Discussion • 11

6 Conclusions • 13

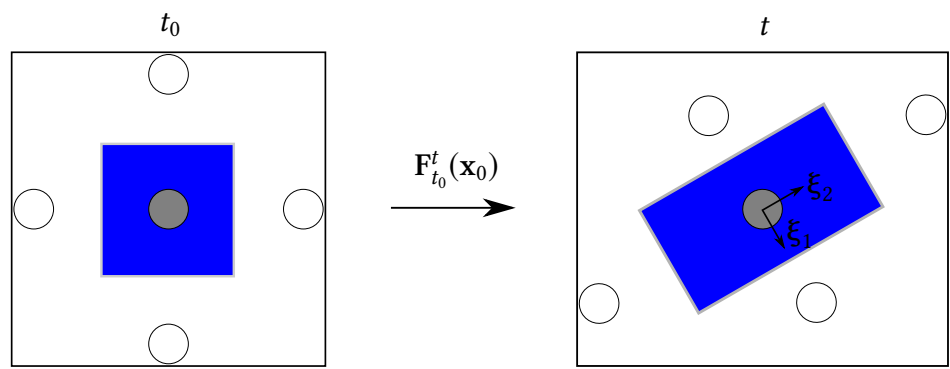
References • 15

A Appendix A • 17

List of Figures

List of Tables

Notation



1 Introduction

2 Theory

3 Method

4 Results

5 Discussion

6 Conclusions

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A Appendix A
